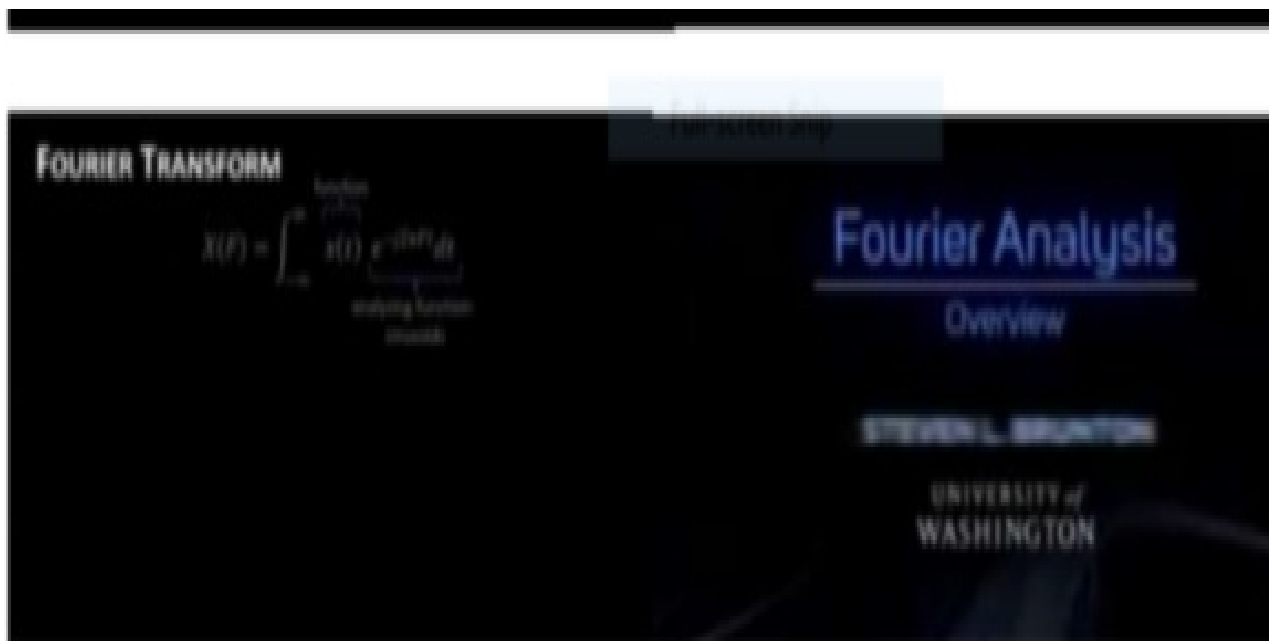


## DAILY ASSESSMENT FORMAT

Date:	25-05-2020	Name:	M V Ramya
Course:	DSP	USN:	4AL17EC045
Topic:	Communication skills, Effective presentation and soft skills	Semester & Section:	6th sem, A sec
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### FORENOON SESSION DETAILS



## DIGITAL SIGNAL PROCESSING

### # Introduction to Fourier Series and Fourier Transform

- Fast Fourier Transform
- $f(t) = \frac{1}{2} a_0 + \sum_{k=1}^{\infty} [a_k \cos 2\pi k t + b_k \sin 2\pi k t]$
- Fourier transform :-  

$$X(F) = \int_{-\infty}^{\infty} x(t) e^{-j2\pi F t} dt$$

$$X_a(F) = \int_{-\infty}^{\infty} x(t) \cos 2\pi F t dt$$

$$X_b(F) = \int_{-\infty}^{\infty} x(t) \sin 2\pi F t dt$$

Continuous,  $X(F) = \int_{-\infty}^{\infty} x(t) e^{-j2\pi F t} dt$

Discrete,  $X_k = \sum_{n=0}^{N-1} x_n e^{-j2\pi k n / N}$

Let  $\frac{2\pi k n}{N} = b_n$

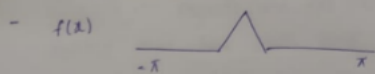
$$\therefore X_k = x_0 e^{-b_{0j}} + x_1 e^{-b_{1j}} + x_2 e^{-b_{2j}} + \dots$$

Euler's formula,  $e^{j\theta} = \cos \theta + j \sin \theta$

after solving we get,  $X_k = A_k + B_k j$

$$\text{magnitude} = \sqrt{A_k^2 + B_k^2} \quad \theta = \tan^{-1} \left( \frac{B_k}{A_k} \right)$$

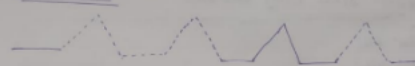
### # Fourier Series Part 1 :-



$$f(x) = \frac{A_0}{2} + \sum_{k=1}^{\infty} (A_k \cos(kx) + B_k \sin(kx))$$

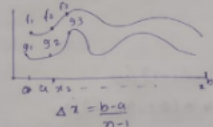
$$A_k = \frac{1}{\pi} \int_{-\pi}^{\pi} f(x) \cos(kx) dx \quad B_k = \frac{1}{\pi} \int_{-\pi}^{\pi} f(x) \sin(kx) dx$$

### Fourier Series Part-2



### # Inner Product of Hilbert Space :-

$$\langle f(x), g(x) \rangle = \int_a^b f(x) \bar{g}(x) dx$$



$$\langle f, g \rangle = \sum_{k=1}^n f_k g_k$$

$$\langle f, g \rangle \Delta x = \sum_{k=1}^n f(x_k) \bar{g}(x_k) \Delta x$$

### # Complex Fourier Series :-

$$\langle f(x), g(x) \rangle = \int_{-\pi}^{\pi} f(x) \bar{g}(x) dx$$

$$f(x) = \sum_{k=-\infty}^{\infty} C_k e^{ikx}$$

$$= \sum_{k=-\infty}^{\infty} (\alpha_k + i\beta_k) (\cos(kx) + i\sin(kx))$$

$$\langle \psi_j, \psi_k \rangle = \int_{-\pi}^{\pi} e^{ijx} e^{-jkx} dx = \int_{-\pi}^{\pi} e^{i(j-k)x} dx = \frac{1}{i(j-k)} e^{i(j-k)x} \Big|_{-\pi}^{\pi}$$

$$= \begin{cases} 0 & \text{if } j \neq k \\ 2\pi & \text{if } j = k \end{cases}$$

### # Fourier Series Using MATLAB

```
clear all;
close all;
clc;
set(gcf, 'position', [500 200 600 1200]);
L = pi;
N = 1024;
dx = 2 * L / (N-1);
x = -L : dx : L;
f = 0 * x;
f(N/4 : N/2) = 4 * (1 : N/4 + 1) / N;
f(N/2 + 1 : 3 * N/4) = 1 - 4 * (0 : N/4 - 1) / N;
plot(x, f, '-k', 'linewidth', 3.5), hold on
cc = jw(20);
A0 = sum(f, 'on') * dx / pi;
fFS = A0/2
for k = 1 : 20
    A(k) = sum(f, 'on') * cos(pi * k * x / L) * dx / pi;
    B(k) = sum(f, 'on') * sin(pi * k * x / L) * dx / pi;
    fFS = fFS + A(k) * cos(k * pi * x / L) + B(k) * sin(k * pi * x / L);
plot(x, fFS, '-r', 'color', cc(k,:), 'linewidth', 2)
pause(0.1)
end
```

### # Fourier Series Using Python

```
In [8]: import numpy as np
import matplotlib.pyplot as plt
from matplotlib.cm import get_cmap

plt.rcParams['figure.figsize'] = [8, 8]
plt.rcParams.update({'font.size': 16})

dx = 0.001
L = np.pi
x = L * np.arange(-1 + dx, 1 + dx, dx)
n = len(x)
nqvart = int(np.floor(n/4))

f = np.zeros_like(x)
f[nqvart : 2 + nqvart] = (1/n) * np.arange(1, nqvart + 1)

fig, ax = plt.subplots()
ax.plot(x, f, '-', color='k', linewidth=2)
```

Date: 25 May 2020

Course: python

Topic: Basics

Name: MV Ramya

USN: 4AL17EC045

Semester &  
Section:

6th sem Asec

### AFTERNOON SESSION DETAILS

Image of session



Edit with WPS Office

## Python

### # Fixing Programming Errors:-

#### -> Syntax error

```
print(1)
int(1)
print(2)
print(3)
```

int is a function in python,  
∴ g should be enclosed in brackets  
& even print

o/p :- File "errors.py", line 3

int g  
Invalid syntax

#### -> Exceptions:-

```
a = 1
b = "2"
print(int(1+5))
print(a+b)
```

we get error at print(a+b) but we got the error due to previous line i.e. print int(1+5) here we are missing the print closing bracket

- How fix error if we don't understand the message just copy the instruction & search in google

### \* Application 3 :- Build a website blocker

#### Program architecture

windows ; c:\windows\system32\drivers\etc.

### \* Setting up the infinite loop

```
while True:
    if dt [dt.now().year, dt.now().month, dt.now().day] < dt.now() < dt.now() + dt.timedelta(days=1):
        print("working hours ----")
    else:
        print("fun hours ----")
    time.sleep(3)
```