

## DSP

Fourier transform derivatives,  
Laplace transform, Z transform

\* The Fourier transform

$$f(x): [-L, L] \rightarrow \mathbb{C}$$

we have orthogonal ~~exp~~

$$f(x) = \sum_{n=-\infty}^{\infty} C_n e^{-n\pi x/L}$$

$$C_n = \frac{1}{2L} \int_{-L}^L f(y) e^{-n\pi y/L} dy \quad \text{--- (1)}$$

Now let's take limit  $\rightarrow \infty$

~~for all~~ setting  $k_n = n\pi/L$  &

$$\Delta k = \pi/L \quad \text{--- (5)}$$

we can write as,

$$f(x) = \frac{1}{2\pi} \sum_{n=-\infty}^{\infty} \left( \int_{-L}^L f(y) e^{-k_n y} dy \right)$$

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HALICECH6

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## \* Fourier transform convolutions:

The inverse transform of a product of function is not the product of transform defined as,

$$(f * g)(x) = \int_{-\infty}^{\infty} f(x-y) g(y) dy$$

using the definition, fourier transform of this is,

$$(f * g)^{\wedge} = \int_{-\infty}^{\infty} \int_{-\infty}^{\infty} f(x-y) g(y) e^{-ikx} dx dy$$

using the change of variable  $z = x - y$  this becomes,

$$\int_{-\infty}^{\infty} \int_{-\infty}^{\infty} f(x) g(y) e^{ik(y+z)} dy dz$$

$$= \left( \int_{-\infty}^{\infty} f(z) e^{-ikz} dz \right) \left( \int_{-\infty}^{\infty} g(y) e^{-iky} dy \right)$$

$$= f^{\wedge}(k) g^{\wedge}(k)$$

\* The intension behind fourier & laplace transforms,

$$f(\omega) = \int_{-\infty}^{\infty} f(t) e^{-j\omega t} dt$$

$$e^{-j\omega t} = \cos(\omega t) - j\sin(\omega t)$$

$$f(\omega) = \int_{-\infty}^{\infty} f(t) \cos(\omega t) dt - j \int_{-\infty}^{\infty} f(t) \sin(\omega t) dt$$



$$\int_0^\infty f(t) \cos(\omega t) dt$$

$$\int_0^\infty f(t) \sin(\omega t) dt$$

\* Laplace transform: first order eqn,

$$F(s) = \int_0^\infty f(t) e^{-st} dt$$

$$F(s) = \int_0^\infty e^{at} e^{-st} dt$$

$$= \left[ \frac{e^{(a-s)t}}{a-s} \right]_0^\infty = \frac{1}{(s-a)}$$

$$\frac{dy}{dt} - ay = 0$$

$$\int_0^\infty \frac{dy}{dt} e^{-st} dt = \int_0^\infty y(t) (-s e^{-st} dt) + [y e^{-st}]_0^\infty$$

$$= sY(s) - y(0)$$

Transform of  $dy/dt$ .

$$sY(s) - y(0) - aY(s) = 0$$

$$Y(s) = \frac{y(0)}{s-a} \quad \frac{\text{inv.}}{\text{LT}} \quad y(t) = y(0) e^{at}$$

$$y(t) = y(0) e^{at} \Rightarrow \left[ \frac{e^{ct} - e^{at}}{c-a} \right]$$



# Python report

26/5/2020

Day 7

# Application :- Build a personal website with python & flask

→ Building website:-

First create a python file & then write the code in that file.

```
from flask import flask
```

```
app = flask(__name__)
```

```
@app.route('/')
```

```
def home():
```

```
    return "website content goes here!"
```

```
if __name__ == "__main__":
```

```
    app.run(debug=True)
```

→ From flask import flask, render-template

```
app = flask(__name__)
```

```
@app.route('/')
```

```
def home():
```

```
    return render_template("name.html")
```

```
@app.route('/about')
```

```
def about():
```

```
    return render_template("about.html")
```

```
if __name__ == "__main__":
```

```
    app.run(debug=True)
```



<!DOCTYPE html>

<html>

<body>

<header>

<div class="contance">

<ul class="menu">

<li><a href="{% url\_for 'about' %}">about</a>

</li></ul></div>

</div>

</header>

<div class="container">

{% block content %}

{% endblock %}

</div>

</body>

</html>