

# Daily Assessment format

Date: 24/08/2020

Name: Jyoti S. Dhanu

USN: 4AL17EC037

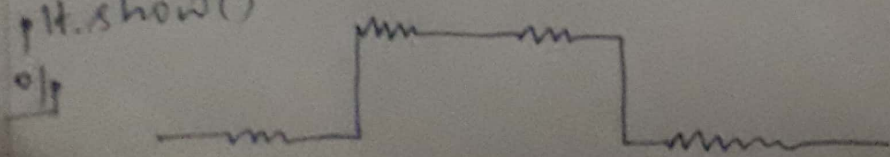
Course: Digital signal processing

Topic: Fourier series & Gibbs phenomena, Fourier Transform derivative & convolution, implementation of Laplace Transform & Z-Transform using Matlab

GitHub repository: jyoti-courses

## Fourier series & Gibbs phenomena

```
import numpy as np
import matplotlib.pyplot as plt
plt.rcParams['figure.figsize'] = [8, 8]
plt.rcParams.update({'font.size': 18})
dx = 0.01
L = 2 * np.pi
x = np.arange(0, L + dx, dx)
n = len(x)
nquart = int(np.floor(n/4))
f = np.zeros_like(x)
f[nquart:3 * nquart] = 1
A0 = np.sum(f * np.ones_like(x) * dx * 2/L)
fTs = A0/2 * np.ones_like(f)
for k in range(1, 101):
    Ak = np.sum(f * np.cos(2 * np.pi * k * x/L) * dx * 2/L)
    Bk = np.sum(f * np.sin(2 * np.pi * k * x/L) * dx * 2/L)
    fFs = fTs + Ak * np.cos(2 * k * np.pi * x/L) + Bk * np.sin(2 * k * np.pi * x/L)
plt.plot(x, f, color='k', linewidth=2)
plt.plot(x, fFs, '-', color='r', linewidth=1.5)
plt.show()
```



## Fourier transform derivatives

$$f(\omega) = F(f(x)) = \int_{-\infty}^{\infty} f(x) e^{-j\omega x} dx$$

$$f(x) = F^{-1}(\hat{f}(\omega)) = \frac{1}{2\pi} \int_{-\infty}^{\infty} \hat{f}(\omega) e^{j\omega x} d\omega$$

$$F\left(\frac{d}{dx} f(x)\right) = \int_{-\infty}^{\infty} \frac{d}{dx} f(x) e^{-j\omega x} dx$$

$$= j\omega \int_{-\infty}^{\infty} f(x) e^{-j\omega x} dx = \frac{j\omega F(f(x))}{F\left(\frac{d}{dx}\right)}$$

$$\bullet F(f * g) = F(f) F(g) = \hat{f} \hat{g}$$

$$\begin{aligned} F'(\hat{f} \hat{g})(x) &= \frac{1}{2\pi} \int_{-\infty}^{\infty} \hat{f}(\omega) \hat{g}(\omega) e^{j\omega x} d\omega \\ &= \int_{-\infty}^{\infty} g(t) f(x-y) dy \\ &= f * g \end{aligned}$$

$$\bullet F(\omega) = \int_{-\infty}^{\infty} f(t) e^{-j\omega t} dt$$

$$F(\omega) = \int_{-\infty}^{\infty} f(t) \cos(\omega t) dt - j \int_{-\infty}^{\infty} f(t) \sin(\omega t) dt$$

## Z-transform in matlab

syms n w0;

% signal

a = n+1;

disp('the input equation is:');

disp(a);

% taking Z-transform

b = Ztrans(a)

%/p a = z^n

b = Ztrans(a)

b = z

z-2

a = sin(w\*n)

b = Ztrans(a)

disp(b)

z \* sin(w)

z^2 - 2 cos(w) z + 1



Date: 26/05/2020

Course: python

Topic: Application 4: build a personal website with python & flask

GitHub Repository: jyoti-courses

Name: Jyoti's Dornus

USN: 4AL17E1037

Sem: 6 A section

### Afternoon session details

Report

Application 4: Build a personal website with python and flask

→ building first website:  
first create a python file & then write the code in that file

```
from flask import flask
```

```
app = flask(__name__)
```

```
@app.route('/')
```

```
def home():
```

```
    return render_template("home.html")
```

```
@app.route('/about')
```

```
def about():
```

```
    return render_template("about.html")
```

```
if __name__ == "__main__":
```

```
    app.run(debug=True)
```

```
<!DOCTYPE html>
```

```
<html>
```

```
<body>
```

```
<header>
```

```
<div class="container">
```

```
<h1 class="logo">Aadi's webpage </h1>
```

```
<strong><nav>
```

```
<ul class="menu">
```

```

<li><a href="{url_get('home')}}">Home</a>
</li>
</ul>
</nav></div>
</div>
</header>
<div class="container">
  {x.block content}
  {y.endblock}
</div>
</body>
</html>

```