HW1_problem1

February 2, 2023

1 Setup Code

To begin, prepare the colab environment by clicking the play button below. This will install all dependencies for the future code and should take no more than 2 minutes. Make sure to also click Runtime on the top tab, then Change Runtime Type and make sure you are using a GPU runtime. The free tier of Google Colab will be sufficient but if you have access to a GPU we recommend you to download this notebook (File -> Download -> Download.ipynb) as Colab's resources are limited.

```
[]: try:
    import google.colab
    IN_COLAB = True
except:
    IN_COLAB = False

if IN_COLAB:
    import site
    site.main() # run this so local pip installs are recognized
```

2 CSE 291: Getting started with Gym Environments and Robotics

Welcome to CSE 291! This notebook is designed to get you started with some of the basic tools and code you will need for things in the course. It will cover some basic robotics, simulators/environments, visual data, and working with robotics demonstration datasets.

Research in robotics has often been difficult in the real world due to safety constraints and limited data. Robotics researchers often leverage simulators like Mujoco, Isaac-Gym, or Sapien to train and evaluate embodied agents in simulation. Simulators are much more scalable and provide a feasible alternative to real-world robotics training. We will be using the Sapien simulator and the

associated environments in ManiSkill2 as they come with expert demonstrations of tasks and are fast for visual based methods.

Make sure to read every section and play around with the code and tools! Some general prerequisites is familiarity with NumPy and general python programming.

We will also ask questions about these environments and demonstrations to test your knowledge. Questions will be marked with a "Q" and you can find all of them by clicking the Table of contents tab on the top left.

Lets first import some packages

```
[]: # Import required packages
import gym
from tqdm.notebook import tqdm
import numpy as np
import mani_skill2.envs
import matplotlib.pyplot as plt
```

2.1 1 Environments

Environments define a world with agents, objects, etc. and moves forward in time using the underlying simulator. An environment effectively takes **actions** as input, steps forward one time step, and returns new **observations** (also referred to as state) as output.

Gym environments refers to an API established by OpenAI of a common interface between agents and environments. This api importantly defines two functions: step(actions) to step forward one timestep and reset to reset the environment to a clean state. Note that we will be using the original Gym API throughout the course. For those who are interested, the most up to date version is now called Gymnasium and is now maintained by the Farama foundation: https://github.com/Farama-Foundation/Gymnasium (who do great open-source RL work!)

The Gym API was designed originally with Reinforcement Learning in mind, where agents are trained by reinforcing positive actions and penalizing negative ones. As a result, environments will also return a **reward** signal indicating how well you are performing in an environment and a **done** signal indicating whether you have finished a task or not.

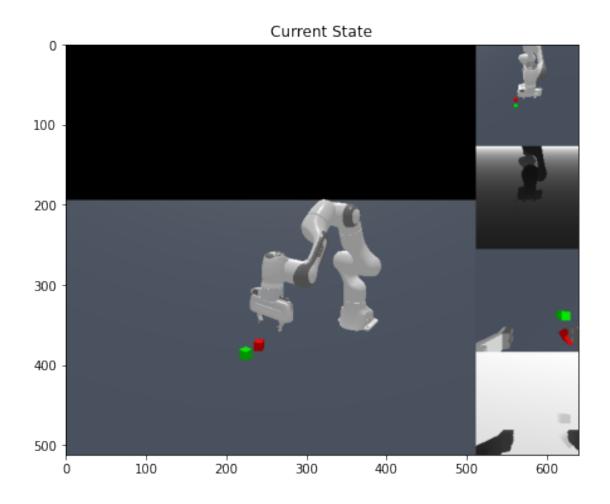
2.1.1 1.1 Understanding Observations and Actions

Every environment comes with an **observation space** and **action space**. The observation space defines the possible observations and the action space defines the possible actions. You can find more details on how spaces work to define mathematical sets here: https://gymnasium.farama.org/api/spaces/

We will play around with this in the following code cell which will render what you choose. Pick an environment, observation mode and control mode. The observation mode changes the observation space and the control mode changes the robotic controller which changes the action space. (no need to understand the code here just yet)

```
# Can be any env id from the list of Rigid-Body envs: https://github.com/
→haosulab/ManiSkill2/wiki/Riqid-Body-Environments
# and Soft-Body envs: https://github.com/haosulab/ManiSkill2/wiki/
 \hookrightarrow Soft-Body-Environments
env_id = "StackCube-v0" #@param can be one of ['PickCube-v0',__
 → 'PegInsertionSide-v0', 'StackCube-v0', 'PlugCharger-v0']
# choose an observation type and space, see https://github.com/haosulab/
 →ManiSkill2/wiki/Observation-Space for details
obs mode = "pointcloud" #@param can be one of ['pointcloud', 'rqbd', _
→ 'state_dict', 'state']
# choose a controller type / action space, see https://github.com/haosulab/
 →ManiSkill2/wiki/Controllers for a full list
control_mode = "pd_ee_delta_pos" #@param can be one of ['pd_ee_delta_pose',_
 → 'pd_ee_delta_pos', 'pd_joint_delta_pos', 'arm_pd_joint_pos_vel']
reward mode = "dense"
# create our environment with our configs and then reset to a clean state
env = gym.make(env_id, obs_mode=obs_mode, reward_mode=reward_mode,_u
⇔control mode=control mode)
obs = env.reset()
print("Action Space:", env.action_space)
# take a look at the current state
img = env.render(mode="cameras")
plt.figure(figsize=(10,6))
plt.title("Current State")
plt.imshow(img)
env.close() # close the environment and free up resources
```

Action Space: Box([-1. -1. -1. -1.], [1. 1. 1.], (4,), float32)



of them will require you dig through `env.observation_space` and `env. →action_space`. Reading through https://github.com/haosulab/ManiSkill2/wiki/ →Observation-Space may help as well. #@markdown How many dimensions are in the action space of the nd ee delta nose.

#@markdown How many dimensions are in the action space of the pd_ee_delta_pose_ \hookrightarrow controller?

#@markdown Please answer the following questions and fill in the fields. Some_

pd_ee_delta_pose_dimensions = 6 #@param

[]: #@title 1.1 Questions

rgbd_obs_mode_camera_count = 2 #@param

##@markdown With the RGBD observation mode, what are the dimensions of the RGB \hookrightarrow images in both cameras?

```
# rgbd_obs_mode_image_shape = "h x w x c" #@param

# #@markdown With the Pointcloud observation mode, what are the dimensions of_u
the Pointcloud?

# pcd_obs_mode_shape = "n x d" #@param

# #@markdown What do the dimensions of the Pointcloud observation mean (the_u
xyzw key)?

# pcd_dimensions = "enter your answer" #@param
```

2.1.2 1.2 Environment Interaction

Now lets dig into the code. With gym we can create environments using gym.make(env_id: str) and reset to a starting state with env.reset(). We can then step through the environment with env.step(action). We also need something to generate the action, which we call policy in the code below. The policy is a function that takes an observation and returns an action.

If you aren't using Colab, the env.render() function will open a display window which renders the environment. Otherwise you can watch the saved videos

With this api, the usual interaction loop looks like this:

```
env = gym.make(env_id)

obs = env.reset()

for i in range(1000):
    action = policy(obs)
    obs, reward, done, info = env.step(action)
    env.render()
    if done:
        obs = env.reset()
```

Notice that env.reset returns an observation named obs. This is the first observation. From here, we get an action by using the obs, submit the action to the environment via env.step and get a new updated obs. You might notice that because of this loop, for N actions there will be N+1 observations. Typically once an episode (one loop until done=True) finishes, the final extra observation is known as the temrinal observation.

env.step returns a number of things. obs is the next observation. reward is a scalar value defined by the environment.

done is whether the current episode is completed. Read the code below to see when done might be true, it's quite ambiguous!

info contains miscellaneous information, which may often contain things such as the elapsed number of steps since the last env.reset() call or whether the current state is successful or not.

Read the following code under the play function to see in practice how we interact with an environment and what each of these things do

```
[]: from mani_skill2.utils.wrappers import RecordEpisode
     from IPython.display import Video
     def play(env, policy, steps=100):
         # reset environment to a clean state
         obs = env.reset()
         for i in tqdm(range(steps)):
             # repeatedly sample actions from the policy function
             action = policy(obs)
             # step through the environment and save the new observation, reward,_{\sqcup}
      \hookrightarrowdone, and additional information
             obs, reward, done, info = env.step(action)
             if not IN_COLAB: env.render() # will render with a window if possible
             if done:
                 # whenever an env is done, either we have succeeded or
                 # perhaps have entered a failed state. Any case, we will reset the
      ⇔enυ
                 # Failure states usually mean we reached a time_limit (default is_
      →200 steps here)
                 # or the robot has entered some irrecoverable state that the
      →environemnt defines as needing a reset
                 obs = env.reset()
```

Now lets try running some random actions. Feel free to change env_id to other environment names to move in them randomly as well.

```
[]: env_id = "LiftCube-v0"
     # create environment
     env = gym.make(env_id)
     # for Colab users we wrap an environment wrapper to auto save videos, no need
      →to learn how RecordEpisode works
     env = RecordEpisode(env, "./videos", render_mode="cameras", info_on_video=True)
     def policy(obs):
         # sample random actions from the action space
         return env.action_space.sample()
     play(env, policy, steps=100)
     # Save the video
     env.flush_video()
     # close the environment and release resources
     env.close()
     Video("./videos/0.mp4", embed=True) # Watch our replay
    2023-02-02 20:11:32,321 - mani_skill2 - WARNING - mani_skill2 is not
```

installed with git.

[]: <IPython.core.display.Video object>

```
[]: #@title 1.2 Questions
     #@markdown Please answer the following questions and fill in the fields.
     #@markdown During environment interaction, the policy function generates
      ⇔actions from observations. Where are these observations from?
     q12_1 = 'env.reset or env.step' #@param ['select answer', 'they were dreamed', __
      -'env.reset or env.step', 'the initial env.reset output', 'from the policy,'
      ⇒itself']
     #@markdown When done is True, what does that mean? List some of the meanings. __
      You may notice that there are quite a few and it's quite ambiquous!
     q12 2 = 'It means the roll-out of this experiment is finished. It could be the
      \rightarrowjob of getting the cubes is successful. Or the arm failed in getting cubes.
      _{\circ}Or the arm is in abnormal state. All cases need to be terminated by setting_{\sqcup}
      →done to true.' #@param {type:"string"}
     #@markdown Using the above interaction loop, how many different `obs` are there_
      ⇔if we generated `N` actions and ran `env.step` `N` times?
     q12 3 = "N+1" #@param ['select answer', 'N', 'N-1', 'N+1']
```

2.2 2 Robotics

Section 1 has shown how to create environments and step through them randomly. But now we want to understand the robotics side of things! We will go through more in depth on visual observations, the different controllers, as well as understanding robot states.

CSE 291 will cover some of the more specific details such as how joints and links work, how to control them etc. This section will mainly go over the programming side of things on those topics and get you comfortable.

2.2.1 2.1 Robot Arms and Controllers

In the previous videos and images we have shown an robot, specifically a robot arm + gripper. Robot arms are often used as a flexible piece of hardware that can perform a number of tasks that involve grasping.

Now the robot at the low level has each of it's joint controlled via control signals. The control signals are produced via the actions we give to the environment.

For more details see https://github.com/haosulab/ManiSkill2/wiki/Controllers

2.1.1 Joint Controllers Joint controllers are typically the most low-level form of control of a robot arm. In real robot arms, humans can only program and control a robot by changing the configuration of each joint.

Typically joint is configured by rotation if its a revolute joint or by translation if it's a prismatic joint. The current configuration of the robot can found with env.agent.get_state() which gives the qpos, also known as configuration position. In particular, the pd_joint prefixed controllers will generally control the first 8 dimensions of the robot state.

The following code and questions will ask about pd_joint_delta_pos and pd_joint_pos but there are additional more complex ways of controlling joints e.g. via target velocities and positions.

The following cell experiments allows experimenting with different joint controllers and seeing what they do.

```
[]: env id = "LiftCube-v0"
     control_mode = "pd_joint_delta_pos"
     env = gym.make(env id, control mode=control mode)
     env = RecordEpisode(env, "./videos", render_mode="cameras", info_on_video=True)
     print(env.action_space.shape)
     def policy(obs):
         action = np.zeros(env.action_space.shape) # create an empty action
         action[5] = -1
         return action
     play(env, policy, steps=100)
     env.flush_video()
     env.close()
     Video("./videos/0.mp4", embed=True)
    2023-02-02 20:42:31,856 - mani_skill2 - WARNING - mani_skill2 is not
    installed with git.
    (8,)
                   | 0/100 [00:00<?, ?it/s]
      0%1
[]: <IPython.core.display.Video object>
[]: #@title 2.1.1 Questions
     #@markdown Now it's your turn to experiment and learn.
```

```
#@markdown Experiment with the code above. Which dimension(s) controls au
 ⇔revolute joint?
q211_2 = "The first 6 dimensions." #@param {type:"string"}
#@markdown Which dimension(s) controls a prismatic joint? What part of the
 ⇔robot does it control?
q211_3 = "The last dimension. Two gripper fingers." #@param {type:"string"}
#@markdown ### pd_joint_pos
#@markdown What does a zero action mean with this controller?
q211_4 = "The robot arm is erect. " #@param {type:"string"}
#@markdown Bonus: Can you find the action choice that makes the robot stay near_
 ⇔its rest position?
#@markdown Write the code to do so below:
env_id = "LiftCube-v0"
control_mode = "pd_joint_pos"
env = gym.make(env_id, control_mode=control_mode)
env = RecordEpisode(env, "./videos", render_mode="cameras", info_on_video=True)
def policy(obs):
    action = np.zeros(env.action_space.shape)
    ### Write your code for the bonus question here
    # hint: env.agent.get_state() has some useful information
    action=np.array([-0.02336664,0.36680603, -0.01309012, -1.954156,0.
 →01753465,2.3889859,0.8230239,0.04 ])
    return action
play(env, policy, steps=100)
env.flush_video()
# close the environment and release resources
env.close()
Video("./videos/0.mp4", embed=True) # Watch our replay
2023-02-02 20:39:01,417 - mani_skill2 - WARNING - mani_skill2 is not
installed with git.
  0%1
               | 0/100 [00:00<?, ?it/s]
```

[]: <IPython.core.display.Video object>

2.1.2 End-Effector / Position Controllers To the physical robot, joint controllers are intuitive and direct as they directly control the individual movable joints. But for humans and AI models, this is not an intuitive controller interface. One solution is position control of which ManiSkill2 environments support.

In robotics, the end-effector typically refers to the device attached to the end of a robot arm like the two finger gripper seen before. An intuitive way to then control a robot is to simply tell it to move its end-effector in xyz space (and optionally control the rotation via 6D-pose). It's much easier to tell the arm to move along the y-axis 100cm compared to telling it to rotate joint 1 a little, joint 2 a little etc.

The pd_ee_delta_pos controller controls the end-effector positionally (xyz space) while the pd_ee_delta_pose controller controls position and rotation in 6D-pose space. These controllers are built upon inverse-kinematics that product joint signals based on desired positions of the end-effector.

```
[]: env_id = "LiftCube-v0"
     control_mode = "pd_ee_delta_pose"
     env = gym.make(env_id, control_mode=control_mode)
     env = RecordEpisode(env, "./videos", render_mode="cameras", info_on_video=True)
     print(env.action_space.shape)
     def policy(obs):
         action = np.zeros(env.action_space.shape)
         action[3] = -1
         return action
     play(env, policy, steps=100)
     env.flush_video()
     # close the environment and release resources
     env.close()
     Video("./videos/0.mp4", embed=True) # Watch our replay
    2023-02-02 20:50:36,611 - mani_skill2 - WARNING - mani_skill2 is not
    installed with git.
    (7,)
      0%1
                   | 0/100 [00:00<?, ?it/s]
[]: <IPython.core.display.Video object>
[]: #@title 2.1.2 Questions
     #@markdown Now it's your turn to experiment (again).
     #@markdown The above code and the documentation at
     #@markdown https://qithub.com/haosulab/ManiSkill2/wiki/Controllers will be_
     #@markdown the following questions under each heading assume that particular
      → `control mode`
     #@markdown ### pd_ee_delta_pos
     \# \mathit{Qmarkdown} There are 4 dimensions in this controller. The first three control
      \rightarrow x, y, and z translational movements while the last one controls the open and
```

⇔closing of the gripper. In robotics we typically denote this axis as the⊔

→ "up-down" axis. Which one is it?

 $q212_1 = "z" \# Oparam ['select answer', 'x', 'y', 'z']$

```
#@markdown In machine learning, less dimensions typically means easier learning.

This controller has 3 dimensions which is great, but what's one drawback of this in the context of robotics and manipulating objects?

q212_2 = "The end-effector only has translational movements. But sometimes it need to rotate a little a bit to pick up objects. The drawback is the lack of rotational control. "#@param {type:"string"}

#@markdown ### pd_ee_delta_pose
#@markdown This controller adds 3 new dimensions. What do they control?

q212_3 = "The rotations along x,y,z axes of ee or base frame." #@param {type:
    "string"}

#@markdown While this adds in rotational control to the end-effector, for some tasks this type of control might not be sufficient. What kind of tasks would be impossible to solve using this controller?

q212_4 = "Pick up objects with various weights. The strength may not be enough of or heavy objects. It should be controlled." #@param {type:"string"}
```

2.2.2 Visual Observations

So we know how to control an arm, but we can't control it blindly! In order to train strong, generalizable robots, visual observations enable a robot to reason about the world like humans and is not limited to a specific environment.

This section will cover RGBD (RGB colors and Depth information) and Pointcloud observations and detail how to work with them.

2.2.1 RGBD Observations RGBD contains both RGB colors and depth information, with a RGBD "image" resulting in a shape of ($H \times W \times 4$).

In ManiSkill2 environments, there are always two cameras, a base_camera and a hand_camera attached to the end-effector. The show_camera_view function below is a simple way to display what the captured RGB and depth images are like

```
[]: def show_camera_view(obs_camera, title):
    plt.figure()
    rgb, depth = obs_camera['rgb'], obs_camera['depth']
    plt.subplot(1,2,1)
    plt.title(f"{title} - RGB")
    plt.imshow(rgb)
    plt.subplot(1,2,2)
    plt.title(f"{title} - Depth")
    plt.imshow(depth[:,:, 0], cmap="gray")
    print(depth[1:5,1:5, 0])

env_id = "PlugCharger-v0"
    control_mode = "pd_ee_delta_pose"
    env = gym.make(env_id, control_mode=control_mode, obs_mode="rgbd")
    obs = env.reset() # reset env and generate an observation
```

```
# display the RGBD observations
show_camera_view(obs['image']['base_camera'], "Base Camera View")
show_camera_view(obs['image']['hand_camera'], "Hand Camera View")
```

```
[[-0. -0. -0. -0.]

[-0. -0. -0. -0.]

[-0. -0. -0. -0.]

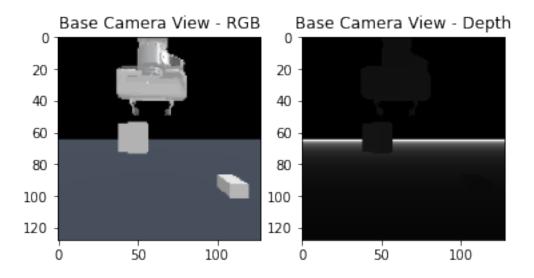
[-0. -0. -0. -0.]]

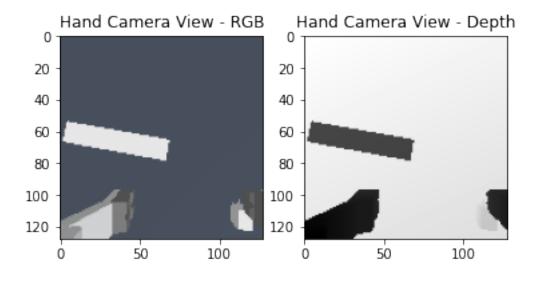
[[0.2614849  0.2614045  0.26132417  0.26124388]

[0.26130357  0.26122332  0.2611431  0.26106292]

[0.26112252  0.26104236  0.26096225  0.2608822 ]

[0.2609417  0.26086167  0.26078168  0.26070172]]
```





We also provide intrinsic and extrinsic camera matrices which allow one to know where the image was taken and its orientation relative to different frames (e.g. the world frame).

```
[]: for camera_name in obs['camera_param'].keys():
        params = obs['camera_param'][camera_name]
        print(f"{camera_name} extrinsic\n", params['extrinsic_cv'])
        print(f"{camera_name} intrinsic\n", params['intrinsic_cv'])
    base_camera extrinsic
     [[ 0.
            -1.
                 Ο.
                       0.]
     Γ0.
            0. -1.
                      0.17
     [ 1.
            0.
                 0.
                      0.3]
     ΓΟ.
            0.
                 0.
                      1. ]]
    base_camera intrinsic
     [[64. 0.64.]
     [ 0. 64. 64.]
     [ 0. 0. 1.]]
    hand_camera extrinsic
     [[ 0.04122755 -0.9989782 -0.01851613 0.04603412]
     [-0.99830866 -0.04042551 -0.04178077 0.0586086 ]
     [ 0.04098952  0.02020733  -0.99895525  0.24277903]
     Γ0.
                   0.
                               0.
                                                     11
                                           1.
    hand_camera intrinsic
     [[64.05098 0.
                         64.
                                 ]
     Γ0.
               64.05098 64.
                                1
     [ 0.
                                ]]
                0.
                         1.
[]: #@title 2.2.1 Questions
     #@markdown Answer the following questions about the RGBD observations. https://
      →qithub.com/haosulab/ManiSkill2/wiki/Observation-Space will be useful tou
      →answer some questions.
     #@markdown In the hand camera depth image, what do the darker colors represent?
     q221_1 = "Invalid pixels." #@param {type:"string"}
     #@markdown In the base camera depth image data there are Os in it. What do theyu
      ⇔reference to?
     q221_2 = "The background or ground." #@param {type: "string"}
     #@markdown When interacting with an environment, you may notice that the
      ⇔hand camera extrinsic is constantly changing. Why is that?
     q221_3 = "The end-effector is changing. So the hand_camera extrinsic is
      ⇔changing with respect to base frame." #@param {type:"string"}
```

2.2.2 Pointcloud Observations Pointclouds are another form of representation of 3D data of shape N x 3 and generally assume a set-like structure where the order of points has no meaning.

They are also a promising observation format to learn from via architectures like PointNet that

typically process and understand 3D geometry better than 2D computer vision models. Read the code below to see how we use the trimesh package to process and display a pointcloud for viewing. The interactive pointcloud viewer is controlled with the scroll wheel (zoom), left click (rotate), and right click (pan).

Note that ManiSkill2 pointcloud observations are of shape $N \times 4$, where the extra 4th dimension is a boolean encoding whether or not the point is infinite or not.

```
[]: def show_pointcloud(obs):
    import trimesh
    # we load the points and the colors of each point
    pts = obs['pointcloud']['xyzw'][::,:3]
    colors = obs['pointcloud']['rgb']
    s = trimesh.Scene([trimesh.points.PointCloud(pts, colors)])
    return s.show()

env_id = "StackCube-v0"
    control_mode = "pd_ee_delta_pose"
    env = gym.make(env_id, control_mode=control_mode, obs_mode="pointcloud")
    obs = env.reset() # reset env and generate an observation
    # display the Pointcloud observation
    show_pointcloud(obs)
```

[]: <IPython.core.display.HTML object>

You may also notice that unlike RGBD observations, there isn't specific data for each camera in the observation. Point clouds effectively merge all the 3D data into one matrix in the world frame. This is made a little obvious by how some parts of the point cloud above looks denser and that's because two cameras were pointed at them.

Since it's in the world frame, this makes working and learning from PointClouds fairly easy. Below shows a simple example of how to segment out the ground plane and only keep the objects and the robot. This would take a bit of extra work to do with RGBD data as you would need to transform the pixels and depth data into the world frame using the camera matrices.

```
[]: env_id = "StackCube-v0"
    control_mode = "pd_ee_delta_pose"
    env = gym.make(env_id, control_mode=control_mode, obs_mode="pointcloud")
    obs = env.reset() # reset env and generate an observation
    # display the Pointcloud observation
    filter = obs['pointcloud']['xyzw'][::,2] > 0
    obs['pointcloud']['xyzw'] = obs['pointcloud']['xyzw'][filter]
    obs['pointcloud']['rgb'] = obs['pointcloud']['rgb'][filter]
    show_pointcloud(obs)
```

[]: <IPython.core.display.HTML object>

```
[]: #@title 2.2.2 Questions
```

```
\# \mathit{Qmarkdown} Answer the following question about the PointCloud observations. \sqcup
 →https://qithub.com/haosulab/ManiSkill2/wiki/Observation-Space may be useful
 →to answer some questions.
#@markdown Code a filter that segments out everything but the red block in the
 →StackCube environment. Fill in the code below
env_id = "StackCube-v0"
control_mode = "pd_ee_delta_pose"
env = gym.make(env_id, control_mode=control_mode, obs_mode="pointcloud")
obs = env.reset() # reset env and generate an observation
# display the Pointcloud observation
\#filter = obs['pointcloud']['xyzw'][::,2] > 0 \# replace with your own filter
print(obs['pointcloud']['rgb'].shape)
thre = 100
filter = (obs['pointcloud']['rgb'][:,0]>thre) * (obs['pointcloud']['rgb'][:
 \hookrightarrow,2]<thre)
obs['pointcloud']['xyzw'] = obs['pointcloud']['xyzw'][filter]
obs['pointcloud']['rgb'] = obs['pointcloud']['rgb'][filter]
show_pointcloud(obs)
```

(32768, 3)

[]: <IPython.core.display.HTML object>

2.3 3 Using Robotic Demonstrations

The following code will go through the basic usage of our large-scale robotics demonstration dataset. Demonstrations enable Learning from Demonstrations (LfD) approaches which show promise in speeding up training compared to pure online RL and may enable better generalization at scale.

While RL enables an agent to learn beyond the constraints of a dataset and potentially rely less on expert guidance, it still remains sample inefficient and slow compared to traditional supervised-learning based methods to solve these robotics tasks (such as Behavior Cloning).

This section will simply cover how to download, load, and view the demonstrations dataset which will come into use in the future.

2.3.1 3.1 Download and load

Each environment comes with a .h5 file composed of all the demonstrations. Moreover, each .h5 file has an associated .json file defining the environment configuration used in those demonstrations. We provide a simple command line tool to download demos. Specify an output folder and environment ID and it will download the appropriate demonstrations

```
[]: env_id = "StackCube-v0" #@param can be one of ['PickCube-v0', use 'PegInsertionSide-v0', 'StackCube-v0', 'PlugCharger-v0']
```

```
[]: # We provide a command line tool to download demonstrations.
     !python -m mani_skill2.utils.download_demo {env_id} -o "demos"
    Downloading from Google Drive link https://drive.google.com/drive/folders/1XSSsI
    58rpLYxyexbNFf7LzhJQXAY_fVO?usp=share_link ...
    Retrieving folder list
    Processing file 1HqY3sgoAMV7DtJR_CcYstzFJlpm80e5J trajectory.h5
    Processing file 1CONEvPUHNNQXGdCOaEc3iTOPZFLyqbTb trajectory.json
    Retrieving folder list completed
    Building directory structure
    Building directory structure completed
    Downloading...
    From: https://drive.google.com/uc?id=1HqY3sgoAMV7DtJR_CcYstzFJlpm80e5J
    To: /content/demos/rigid_body/StackCube-v0/trajectory.h5
    100% 47.9M/47.9M [00:00<00:00, 134MB/s]
    Downloading...
    From: https://drive.google.com/uc?id=1CONEvPUHNNQXGdCOaEc3iTOPZFLyqbTb
    To: /content/demos/rigid_body/StackCube-v0/trajectory.json
    100% 365k/365k [00:00<00:00, 158MB/s]
    Download completed
```

To load the demonstration dataset, we use h5py and a load_json utility

```
[]: import h5py
from mani_skill2.utils.io_utils import load_json

# Load the trajectory data from the .h5 file
traj_path = f"demos/rigid_body/{env_id}/trajectory.h5"
h5_file = h5py.File(traj_path, "r")

# Load associated json
json_path = traj_path.replace(".h5", ".json")
json_data = load_json(json_path)

episodes = json_data["episodes"] # meta data of each episode
env_info = json_data["env_info"]
env_id = env_info["env_id"]
env_kwargs = env_info["env_kwargs"]

print("env_id:", env_id)
print("env_kwargs:", env_kwargs)
print("#episodes:", len(episodes))
```

env_id: StackCube-v0
env_kwargs: {'obs_mode': 'none', 'control_mode': 'pd_joint_pos'}
#episodes: 1000

The trajectory of each episode is stored under the traj_{episode_id} key in the HDF5 file. episode_id usually ranges from 0 to len(episodes) - 1. episode_id and other meta information

of episdoes are stored under the episodes key in the JSON file. The raw trajectory contains 3 keys: actions, env_states and success. For soft-body environments, env_states is replaced by env_init_state (initial state) to reduce data storage.

```
[]: traj_id = "traj_0"
    traj_h5 = h5_file[traj_id]
    for key in traj_h5:
        print(key, traj_h5[key].shape, traj_h5[key].dtype)

actions (126, 8) float32
    env_states (127, 70) float32
```

Note that the raw trajectories do not include actual observations. We store both actions and environment states, which can be used to replay trajectories and generate desired observations (states, RGBD images, point cloud). Section 3.3 goes over a simple tool that adds desired observations.

2.3.2 3.2 Replay demonstrations

success (126,) bool

To replay the trajectory of an episode, you need to first create an environment given the environment initialization keyword arguments stored in the JSON file. Additionally, you need to reset the environment with the same seed and other keyword arguments of the episode recorded in the JSON file. Then, the trajectory can be replayed by actions or environment states stored in the HDF5 file.

The function below will allow you to save a video and if possible render a display window of a demonstration.

```
[]: def replay(episode_idx, h5_file, json_data, render_mode="cameras", fps=20):
         episodes = json_data["episodes"]
         ep = episodes[episode idx]
         # episode_id should be the same as episode_idx, unless specified otherwise
         episode id = ep["episode id"]
         traj = h5_file[f"traj_{episode_id}"]
         # Create the environment
         env_kwargs = json_data["env_info"]["env_kwargs"]
         env = gym.make(env_id, **env_kwargs)
         # Reset the environment
         reset_kwargs = ep["reset_kwargs"].copy()
         reset_kwargs["seed"] = ep["episode_seed"]
         env.reset(**reset_kwargs)
         frames = [env.render(mode=render_mode)]
         for i in tqdm(range(len(traj["actions"]))):
             action = traj["actions"][i]
             obs, reward, done, info = env.step(action)
```

```
if not IN_COLAB: env.render()
  frames.append(env.render(mode=render_mode))

env.close()
del env
return frames
```

<IPython.core.display.HTML object>

2.3.3 3.3 Convert demonstrations

The demonstration dataset does not include actual observations. You can convert trajectories to a desired observation space and action space with the below tool.

```
# Replay the trajectory to `rgbd` observations and the `pd_ee_delta_pose` controller with 10 p python -m mani_skill2.trajectory.replay_trajectory --traj-path demos/rigid_body/PickCube-v0/trajectory
```

This will come in handy in the future when we start looking into robotic learning with Reinforcement Learning and Learning from Demonstrations

2.4 4 Final Thoughts

We hope this notebook got you familiar with the ManiSkill2 environments and robotics in general. There's a ton of room for things to do with the software and data available.

Finally, please fill out this feedback form so we can iterate and improve this tutorial: https://forms.gle/RQGqCLaBwm7MNHGh6

HW1_problem234

February 2, 2023

```
[]: import numpy as np
     import math
     import transforms3d as T
```

Problem 2

1.

$$\frac{p+q}{2} = \frac{1}{\sqrt{2}} + \frac{1}{2\sqrt{2}}i + \frac{1}{2\sqrt{2}}j$$

The norm $\|\frac{p+q}{2}\|$ is $\frac{\sqrt{3}}{2}$. The quaternion r is $\frac{\sqrt{6}}{3} + \frac{\sqrt{6}}{6}i + \frac{\sqrt{6}}{6}j$

Rotation matrix of r is

$$M(r) = \begin{bmatrix} \frac{2}{3} & \frac{1}{3} & \frac{2}{3} \\ \frac{1}{3} & \frac{2}{3} & -\frac{2}{3} \\ -\frac{2}{3} & \frac{2}{3} & \frac{1}{3} \end{bmatrix}$$

The axis M(r) rotates is

$$\left[\frac{\sqrt{2}}{2}, \frac{\sqrt{2}}{2}, 0\right]^T$$

The angle of rotation is 70.53° .

```
[]: r_quat = [math.sqrt(6)/3, math.sqrt(6)/6, math.sqrt(6)/6, 0]
     r_mat = T.quaternions.quat2mat(r_quat)
     print('The rotation matrix of r is \n',r_mat)
     r_vec,r_theta = T.quaternions.quat2axangle(r_quat)
     print('The aixs M(r) rotate is ',r vec)
     print('The angle of rotation is ',np.rad2deg(r_theta))
    The rotation matrix of r is
```

[-0.66666667 0.66666667 0.333333333]]

The aixs M(r) rotate is $[0.70710678 \ 0.70710678 \ 0.$]

The angle of rotation is 70.52877936550931

2.

The exponential coordinates of p is $\left[\frac{\pi}{2},0,0\right]$.

The exponential coordinates of q is $[0, \frac{\pi}{2}, 0]$.

```
[]: p_quat,q_quat = [1/math.sqrt(2),1/math.sqrt(2),0,0],[1/math.sqrt(2),0,1/math.
        ⇔sqrt(2),0]
      p_vec,p_theta = T.quaternions.quat2axangle(p_quat)
      q_vec,q_theta = T.quaternions.quat2axangle(q_quat)
      print("The exponential coordinates are",p_vec*p_theta)
      print("The exponential coordinates are",q_vec*q_theta)
      The exponential coordinates are [1.57079633 0.
                                                                                  0.
                                                                                                ]
      The exponential coordinates are [0.
                                                                   1.57079633 0.
      3.(a)
                                                  \begin{bmatrix} \omega_p \end{bmatrix} = \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & -\frac{\pi}{2} \\ 0 & \frac{\pi}{2} & 0 \end{bmatrix}
                                                  \begin{bmatrix} \omega_q \end{bmatrix} = \begin{bmatrix} 0 & 0 & \frac{\pi}{2} \\ 0 & 0 & 0 \\ -\frac{\pi}{2} & 0 & 0 \end{bmatrix}
                                               \exp(\left[\omega_p\right]) = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 0 & -1 \\ 0 & 1 & 0 \end{bmatrix}
                                               \exp(\left[\omega_q\right]) = \begin{bmatrix} 0 & 0 & 1 \\ 0 & 1 & 0 \\ -1 & 0 & 0 \end{bmatrix}
[]: def skew_symmetric(array):
            return np.array([[0, -array[2], array[1]], [array[2], 0, -array[0]],
        →[-array[1], array[0], 0]])
      print('[p]: \n',skew_symmetric(p_vec*p_theta))
      print('[q]: \n',skew_symmetric(q_vec*q_theta))
      : [q]
       [[ 0.
                          -0.
                                            0.
       ΓО.
                                          -1.57079633]
       [-0.
                          1.57079633 0.
                                                         11
      [q]:
       [[ 0.
                          -0.
                                            1.57079633]
       Γ0.
                                          -0.
                          0.
                                                         11
       [-1.57079633 0.
                                           0.
[]: def exp_skew(array,angle):
            ex = np.identity(array.shape[0])+np.sin(angle)*array+(1-np.
        ⇔cos(angle))*array@array
            return ex
      print(exp_skew(skew_symmetric(p_vec),p_theta))
      print(exp_skew(skew_symmetric(q_vec),q_theta))
```

```
[[ 1.0000000e+00
                  0.00000000e+00
                                  0.0000000e+00]
                  1.11022302e-16 -1.00000000e+00]
 [ 0.0000000e+00
 [ 0.0000000e+00
                  1.00000000e+00 1.11022302e-16]]
                  0.0000000e+00 1.0000000e+00]
[[ 1.11022302e-16
 [ 0.0000000e+00
                  1.00000000e+00
                                  0.0000000e+00]
 [-1.0000000e+00
                  0.0000000e+00 1.11022302e-16]]
3.(b)
```

$$\exp(\left[\omega_{p}\right] + \left[\omega_{q}\right]) = \begin{bmatrix} \frac{1}{2} + \frac{\cos(\frac{\pi}{\sqrt{2}})}{2} & \frac{1}{2} - \frac{\cos(\frac{\pi}{\sqrt{2}})}{2} & \frac{\sin(\frac{\pi}{\sqrt{2}})}{\sqrt{2}} \\ \frac{1}{2} - \frac{\cos(\frac{\pi}{\sqrt{2}})}{2} & \frac{1}{2} + \frac{\cos(\frac{\pi}{\sqrt{2}})}{2} & -\frac{\sin(\frac{\pi}{\sqrt{2}})}{\sqrt{2}} \\ -\frac{\sin(\frac{\pi}{\sqrt{2}})}{\sqrt{2}} & \frac{\sin(\frac{\pi}{\sqrt{2}})}{\sqrt{2}} & \cos(\frac{\pi}{\sqrt{2}}) \end{bmatrix}$$

$$\exp(\left[\omega_p\right])\exp(\left[\omega_q\right]) = \begin{bmatrix} 0 & 0 & 1 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \end{bmatrix}$$

4.(a)

The exponential coordinates of p' is $\left[-\frac{3\pi}{2},0,0\right]$. The exponential coordinates of q' is $\left[0,-\frac{3\pi}{2},0\right]$. p and -p, q and -q, r and -r represent the same rotation respectively.

So if r is a rotation quaternion, then r and -r will produce the same rotation.

Proof: Let $r = \cos(\frac{\theta}{2}) + \sin(\frac{\theta}{2})(i+j+k)$ represent the rotation θ .

Rotation θ and $2\pi - \theta$ are the same rotation. $r' = \cos(\frac{2\pi - \theta}{2}) + \sin(\frac{2\pi - \theta}{2})(-i - j - k) = -\cos(\frac{\theta}{2}) - \sin\frac{\theta}{2}(i + j + k) = -r$ Hence, (r,-r) are the same rotation.

```
[]: q_prime_quat = -np.array(q_quat)
     p_prime_quat = -np.array(p_quat)
     q_prime_vec,q_prime_theta = T.quaternions.quat2axangle(q_prime_quat)
     p_prime_vec,p_prime_theta = T.quaternions.quat2axangle(p_prime_quat)
     print("The exponential coordinates are",p_prime_vec*p_prime_theta)
     print("The exponential coordinates are",q_prime_vec*q_prime_theta)
```

```
4.71238898038469 [-1. -0. -0.]
```

```
The exponential coordinates are [-4.71238898 -0.
                                                           -0.
                                                                       ]
                                                                       ]
The exponential coordinates are [-0.
                                               -4.71238898 -0.
```

4(b)

In neural network, we are going to minimize the loss function, which is the L2 distance in the question. If the ground truth is r and the predicted result is -r, the Ls distance is the largest. But actually they represent the same rotation, the loss function should be zero. Therefore, we couldn't use L2 distance to regress the quaternion outputs.

Problem 3

1.

The output of the last case is

```
[]: from IPython.display import Image Image(filename='/Users/wzang/Study/23Win/CSE291/HW1/q4_1.png')
```

```
FK Test with qpos: [1.6580627893946132, -0.6283185307179586, -0.3] .

Link base's pose is: Pose([0, 0, 0], [1, 0, 0, 0]) .

Link link1's pose is: Pose([0.796956, -0.0697246, 1.7], [0.67559, 8.78903e-08, 0, -0.737277]) .

Link link2's pose is: Pose([2.27965, 0.272581, 2.1], [0.870356, 5.87015e-08, 0, -0.492424]) .

Link link3's pose is: Pose([3.30825, 0.890627, 2.4], [0.870356, 5.87015e-08, 0, -0.492424]) .

Link end_effector's pose is: Pose([3.30825, 0.890627, 1.15], [0.870356, 5.87015e-08, 0, -0.492424]) .

Link left_pad's pose is: Pose([2.8368, 0.607356, 0.8], [0.870356, 5.87015e-08, 0, -0.492424]) .

Link right_pad's pose is: Pose([3.77969, 1.1739, 0.8], [0.870356, 5.87015e-08, 0, -0.492424]) .
```

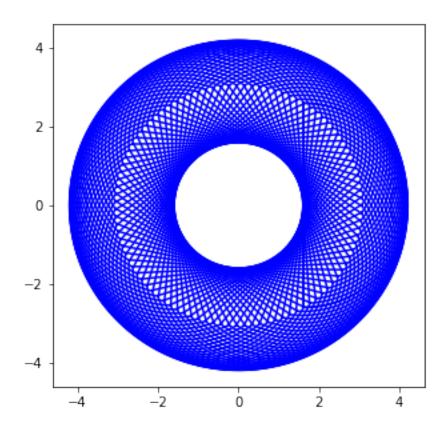
2.

$$T(\theta) = \begin{bmatrix} \cos(\theta_1 + \theta_2) & \sin(\theta_1 + \theta_2) & 0 & 2\sin(\theta_1 + \theta_2) + 1.6\sin(\theta_1) \\ -\sin(\theta_1 + \theta_2) & \cos(\theta_1 + \theta_2) & 0 & 2\cos(\theta_1 + \theta_2) + 1.6\cos(\theta_1) \\ 0 & 0 & 1 & -\theta_3 + 0.85 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

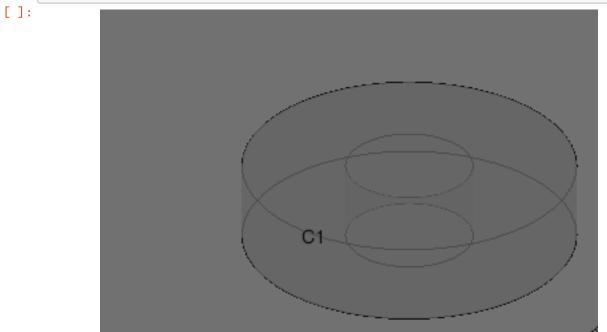
3.

The first two joints, q_1 and q_2 points to the z-axis in the base frame.(depends on the definition, I defined they rotate the z-axis of base frame pointing downward.) So the two links connected to them must move in x-y plane. The work space of link 1, is a circle with radius of length of link, which is the area joint 2 can reach. Link 2 is rotating along joint 2, so the workspace is a semi-circle given a fixed q_1 . I tried to plot the horizontal view of work space, which is a ring with inner radius 1.6 and outter radius 4.2 (Assume the base link is origin), as shown below. Because q_3 is the primastic joint that only has translational moving ability. The final reachable workspace looks like a hollow cylinder, as shown in the second plot below. The height of this workspace is 2 and range is [-0.9, 1.1] in the vertical z axis.

```
[]: import matplotlib.pyplot as plt
    a=np.linspace(0,2*np.pi,100)
    b = np.linspace(-np.pi/2,np.pi/2,100)
    plt.figure(figsize=(5,5))
    plt.plot(1.6*np.cos(a),1.6*np.sin(a))
    for i in a:
        plt.plot(1.6*np.cos(i)+2.6*np.cos(i+b),1.6*np.sin(i)+2.6*np.sin(i+b),'b')
        x = 1.6*np.cos(i)+2.6*np.cos(i+b)
        y = 1.6*np.sin(i)+2.6*np.sin(i+b)
        plt.plot([x[0],x[-1]],[y[0],y[-1]],'b')
```



```
[]: from IPython.display import Image Image(filename='/Users/wzang/Study/23Win/CSE291/HW1/rw.png')
```



4.

$$q^e = \begin{bmatrix} x_e \\ y_e \\ z_e \end{bmatrix} = \begin{bmatrix} 0 \\ -0.55 \\ -0.35 \end{bmatrix}, \quad q^s = \begin{bmatrix} x_s \\ y_s \\ z_s \end{bmatrix}$$

$$\begin{bmatrix} x_s \\ y_s \\ z_s \\ 1 \end{bmatrix} = T_{s \to e}(\theta) \begin{bmatrix} x_e \\ y_e \\ z_e \\ 1 \end{bmatrix},$$

$$q^s = \begin{bmatrix} x_s \\ y_s \\ z_s \end{bmatrix} = \begin{bmatrix} 1.45sin(\theta_1 + \theta_2) + 1.6sin(\theta_1) \\ 1.45cos(\theta_1 + \theta_2) + 1.6cos(\theta_1) \\ 0.5 - \theta_3 \end{bmatrix}$$

$$\dot{q^{s}} = \begin{bmatrix} \dot{x_{s}} \\ \dot{y_{s}} \\ \dot{z_{s}} \end{bmatrix} = \begin{bmatrix} 1.45cos(\theta_{1} + \theta_{2}) + 1.6sin(\theta_{1}) \\ -1.45sin(\theta_{1} + \theta_{2}) - 1.6sin(\theta_{1}) \\ 0 \end{bmatrix} \dot{\theta_{1}} + \begin{bmatrix} 1.45cos(\theta_{1} + \theta_{2}) \\ -1.45sin(\theta_{1} + \theta_{2}) \\ 0 \end{bmatrix} \dot{\theta_{2}} + \begin{bmatrix} 0 \\ 0 \\ -1 \end{bmatrix} \dot{\theta_{3}}$$

Given $\theta = \left[-\frac{\pi}{6}, \frac{\pi}{6}, \frac{1}{2} \right], \dot{\theta} = [1, 2, 1],$

$$\dot{q^s} = \begin{bmatrix} 4.2856\\ 0.8\\ -1 \end{bmatrix}$$

$$T_{s \rightarrow e}^{-1} = \begin{bmatrix} cos(\theta_1 + \theta_2) & -sin(\theta_1 + \theta_2) & 0 & 1.6sin(\theta_2) \\ sin(\theta_1 + \theta_2) & cos(\theta_1 + \theta_2) & 0 & -1.6cos(\theta_2) - 2 \\ 0 & 0 & 1 & \theta_3 - 0.85 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

$$\dot{q^e} = egin{bmatrix} \dot{x_e} \\ \dot{y_e} \\ \dot{z_e} \end{bmatrix} = egin{bmatrix} 5.08564 \\ -2.58564 \\ -1.35 \end{bmatrix}$$

Problem 4 Contributions

Group member: Wenshuo Zang, Zhaofang Qian Both member are involved in the discussion, understanding the questions and API and getting the solutions. Wenshuo and Zhaofang solved the problem 1 together. Wenshuo did the first two questions analyzing and the calculation of rest questions of problem 2. Zhaofang did the first two questions calculation and the analyzing of the rest of questions of problem 2. Wenshuo did the derivations and coding of the problem 3. Zhaofang analyzed, calculated the results, and verified the results of problem 3.

[]:

HW1_problem3_code

February 2, 2023

1 Setup Code

To begin, prepare the colab environment by clicking the play button below. This will install all dependencies for the future code and should take no more than 2 minutes. Make sure to also click Runtime on the top tab, then Change Runtime Type and make sure you are using a GPU runtime (or else it won't work). The free tier of Google Colab will be sufficient but if you have access to a GPU we recommend you to download this notebook (File -> Download -> Download.ipynb) as Colab's resources are limited.

```
[]: try:
    import google.colab
    IN_COLAB = True
except:
    IN_COLAB = False

if IN_COLAB:
    import site
    site.main() # run this so local pip installs are recognized
```

2 HW 1 Starter Code

This starter code is the same as seen in util.py and robot.py. The code below is copied from util.py so make sure to run it

```
[]: ### util.py ###
import numpy as np
import time
```

```
def check_joint_limit(limits, types, q):
    # check whether the joint positions are within the joint limits
    n = len(q)
    for i in range(n):
        if types[i] == "revolute":
            # for revolute joints, q and q + 2k pi are equivalent
            if (np.abs(q[i] - limits[i][0]) < 1e-3):</pre>
                continue
            q[i] = 2 * np.pi * np.floor((q[i] - limits[i][0]) / (2 * np.pi))
            if q[i] > limits[i][1] + 1e-3:
                return False
        else:
            if q[i] < limits[i][0] - 1e-3 or q[i] > limits[i][1] + 1e-3:
                return False
    return True
def random_sample_qpos(limits):
    # randomly sample a joint position within the joint limits
    return np.random.rand(limits.shape[0]) * (limits[:, 1] - limits[:, 0]) +
 →limits[:, 0]
def test_FK(robot, qpos):
    # take a set of joint positions as input
    # output the poses of all the links in that configuration
    print("FK Test with qpos: ", qpos, ".")
    robot.set_qpos(qpos)
    for link in robot.get_links():
        print("Link %s's pose is: " % link.get_name(), link.get_pose(), ".")
```

Fill in your answers below and run the code below to test your answer. It will generate an output.png file showing what your robot configuration looks like. To open the file and view it click the folder icon on the left of Colab and click output.png. If output.png doesn't show up try clicking the folder fresh icon.

```
[]: ### robot.py ###
import sapien.core as sapien
from sapien.utils import Viewer
import numpy as np
import transforms3d
#import sophus as sp

FILL_ME_P = [0., 0., 0.]
FILL_ME_Q = [1., 0., 0., 0.]
def create_robot(scene: sapien.Scene):
```

```
# You can find a similar example at:
  # https://storage1.ucsd.edu/docs/sapien-dev/tutorial/basic/
⇔create_articulations.html
  builder = scene.create_articulation_builder()
  base: sapien.LinkBuilder = builder.create link builder()
  base.set name('base')
  base.add_box_collision(half_size=[0.2, 0.2, 1.5])
  base.add_box_visual(half_size=[0.2, 0.2, 1.5], color=[0.4, 0.6, 0.8])
  link1 = builder.create_link_builder(base)
  link1.set_name('link1')
  link1.add_box_collision(half_size=[0.2, 1, 0.2])
  link1.add_box_visual(half_size=[0.2, 1, 0.2], color=[0.4, 0.8, 0.6])
  link1.set_joint_name('link1_joint')
  link1.set_joint_properties(
       "revolute", limits=[[-np.pi, np.pi]],
       # parent_pose refers to the relative linear transformation from the u
⇒parent frame to the joint frame
       # in sapien, both revolute joint and prismatic joint points to the
\rightarrow x-axis
      pose_in_parent=sapien.Pose(p=[0,0,1.5], # p is the position
                               q=transforms3d.euler.euler2quat(0, np.
\rightarrowdeg2rad(90), 0)), # q is the quaternion, you may use transforms3d
       # child_pose refers to the relative linear transformation from the
⇔child frame to the joint frame
      pose_in_child=sapien.Pose(p=[0,-(1-0.2),-0.2],
                               q=transforms3d.euler.euler2quat(0, np.

deg2rad(90), 0))

  )
  link2 = builder.create_link_builder(link1)
  link2.set_name('link2')
  link2.add_box_collision(half_size=[0.2, 1, 0.2])
  link2.add_box_visual(half_size=[0.2, 1, 0.2], color=[0.6, 0.4, 0.8])
  link2.set_joint_name('link2_joint')
  link2.set_joint_properties(
       "revolute", limits=[[-np.pi / 2, np.pi / 2]],
      pose_in_parent=sapien.Pose(p=[0,1-0.2,0.2],
                               q=transforms3d.euler.euler2quat(0, np.
\rightarrowdeg2rad(90), 0)),
      pose_in_child=sapien.Pose(p=[0,-(1-0.2),-0.2],
                               q=transforms3d.euler.euler2quat(0, np.

deg2rad(90), 0))

  )
```

```
link3 = builder.create_link_builder(link2)
  link3.set_name('link3')
  link3.add_capsule_collision(radius=0.2, half_length=1, pose=sapien.
Pose(q=transforms3d.euler.euler2quat(0, 0, 0))) #should not be rotating
  link3.add_capsule_visual(radius=0.2, half_length=1, pose=sapien.
Pose(q=transforms3d.euler.euler2quat(0, 0, 0)), color=[0.6, 0.8, 0.4])
  link3.set_joint_name('link3_joint')
  link3.set_joint_properties(
      "prismatic", limits=[[-1, 1]],
      pose_in_parent=sapien.Pose(p=[0,1,0], #half the link2 length
                               q=transforms3d.euler.euler2quat(0,np.
\rightarrowdeg2rad(90),0)),
      pose_in_child=sapien.Pose(p=[0,-0.2,0],#half the radius
                               q=transforms3d.euler.euler2quat(0, np.
\rightarrowdeg2rad(90), 0))
  end_effector = builder.create_link_builder(link3)
  end_effector.set_name('end_effector')
  end effector.add box collision(half size=[0.2, 0.5, 0.05])
  end_effector.add_box_visual(
      half_size=[0.2, 0.5, 0.05], color=[0.8, 0.4, 0.6])
  end_effector.set_joint_name('end_effctor_joint')
  end_effector.set_joint_properties(
      "fixed", limits=[],
      pose_in_parent=sapien.Pose(p=[0, 0, -1.2],
                               q=transforms3d.euler.euler2quat(0, 0, 0)),
      pose_in_child=sapien.Pose(p=[0, 0, 0.05],
                               q=transforms3d.euler.euler2quat(0, 0, 0))
  )
  # for simplicity, the gripper is fixed
  left_pad = builder.create_link_builder(end_effector)
  left_pad.set_name('left_pad')
  left pad.add box collision(half size=[0.2, 0.05, 0.4])
  left_pad.add_box_visual(half_size=[0.2, 0.05, 0.4], color=[0.8, 0.6, 0.4])
  left_pad.set_joint_name('left_pad_joint')
  left_pad.set_joint_properties(
      "fixed", limits=[],
      pose_in_parent=sapien.Pose(p=[0, -0.5, 0],
                               q=transforms3d.euler.euler2quat(0, 0, 0)),
      pose_in_child=sapien.Pose(p=[0, 0.05, 0.35],
                               q=transforms3d.euler.euler2quat(0, 0, 0))
  )
  right_pad = builder.create_link_builder(end_effector)
  right_pad.set_name('right_pad')
```

```
right_pad.add_box_collision(half_size=[0.2, 0.05, 0.4])
   right_pad.add_box_visual(half_size=[0.2, 0.05, 0.4], color=[0.8, 0.6, 0.4])
   right_pad.set_joint_name('right_pad_joint')
   right_pad.set_joint_properties(
        "fixed", limits=[],
       pose_in_parent=sapien.Pose(p=[0, 0.5, 0],
                                q=transforms3d.euler.euler2quat(0, 0, 0)),
       pose_in_child=sapien.Pose(p=[0, -0.05, 0.35],
                                q=transforms3d.euler.euler2quat(0, 0, 0))
   )
   robot = builder.build(fix_root_link=True)
   robot.set name('robot')
   robot.set_qpos([0, 0, 0]) # qpos indicates joint positions
   return robot
def main():
   engine = sapien.Engine()
   renderer = sapien.VulkanRenderer()
   engine.set_renderer(renderer)
   scene_config = sapien.SceneConfig()
   scene_config.gravity = np.array([0.0, 0.0, 0.0]) # ignore the gravity
   scene = engine.create scene(scene config)
   scene.set_timestep(1 / 100.0)
   scene.add_ground(altitude=-1.5) # let base link frame align with world frame
   robot = create_robot(scene)
   print('The DoF of the robot is:', robot.dof)
    # HW1: You need to fill the blanks in `create_robot` and then run the
 ⇔following test cases
    # You can check your implementation with the first 4 test cases.
   test_FK(robot, [0, 0, 0])
   test_FK(robot, [0, 0, 0.7])
   test_FK(robot, [0, np.deg2rad(45), 0.7])
   test_FK(robot, [np.deg2rad(-30), np.deg2rad(45), 0.7])
    # Please report your output for this test case in your PDF submission
   print("Hidden Test Case:")
   test_FK(robot, [np.deg2rad(95), np.deg2rad(-36), -0.3])
   scene.set_ambient_light([0.5, 0.5, 0.5])
   print("Verify question 2")
   test_FK(robot, [0.1*np.deg2rad(180), 0.2*np.deg2rad(180), -0.3])
   print("Verify question 3:")
```

```
test_FK(robot, [-np.deg2rad(180)/6,np.deg2rad(180)/6,0.5])
  test_FK(robot, [0, 0, -1])
  test_FK(robot, [0, 0, 1])
  # uncomment the following codes and run with `xvfb-run python3 robot.py` ifu
→you do not no DISPLAY;
  # the result will be saved in `output.png`;
  # you may need tune the camera position for better visualization.
  from PIL import Image
  near, far = 0.1, 100
  width, height = 640, 480
  camera_mount_actor = scene.create_actor_builder().build_kinematic()
  camera = scene.add_mounted_camera(
      name="camera",
      actor=camera_mount_actor,
      pose=sapien.Pose(), # relative to the mounted actor
      width=width.
      height=height,
      fovx=np.deg2rad(35),
      fovy=np.deg2rad(35),
      near=near,
      far=far,
  )
  print('Intrinsic matrix\n', camera.get_camera_matrix())
  # Compute the camera pose by specifying forward(x), left(y) and up(z)
  cam_pos = np.array([-2, -4, 3])
  forward = -cam_pos / np.linalg.norm(cam_pos)
  left = np.cross([0, 0, 1], forward)
  left = left / np.linalg.norm(left)
  up = np.cross(forward, left)
  mat44 = np.eye(4)
  mat44[:3, :3] = np.stack([forward, left, up], axis=1)
  mat44[:3, 3] = cam_pos
  camera_mount_actor.set_pose(sapien.Pose.from_transformation_matrix(mat44))
  scene.step()
  scene.update_render()
  camera.take_picture()
  #viewer.render()
  #continue
  rgba = camera.get_float_texture('Color') # [H, W, 4]
  # An alias is also provided
  \# rgba = camera.get\_color\_rgba() \# [H, W, 4]
  rgba_img = (rgba * 255).clip(0, 255).astype("uint8")
```

```
rgba_pil = Image.fromarray(rgba_img)
    rgba_pil.save('output.png')
    return
main()
The DoF of the robot is: 3
FK Test with qpos: [0, 0, 0] .
Link base's pose is: Pose([0, 0, 0], [1, 0, 0, 0]).
Link link1's pose is: Pose([0, 0.8, 1.7], [1, 0, 0, 0]).
Link link2's pose is: Pose([0, 2.4, 2.1], [1, 0, 0, 0]).
Link link3's pose is: Pose([0, 3.6, 2.1], [1, 0, 0, 0]).
Link end effector's pose is: Pose([0, 3.6, 0.85], [1, 0, 0, 0]).
Link left_pad's pose is: Pose([0, 3.05, 0.5], [1, 0, 0, 0]).
Link right_pad's pose is: Pose([0, 4.15, 0.5], [1, 0, 0, 0]).
FK Test with qpos: [0, 0, 0.7] .
Link base's pose is: Pose([0, 0, 0], [1, 0, 0, 0]).
Link link1's pose is: Pose([0, 0.8, 1.7], [1, 0, 0, 0]).
Link link2's pose is: Pose([0, 2.4, 2.1], [1, 0, 0, 0]).
Link link3's pose is: Pose([8.34465e-08, 3.6, 1.4], [1, 0, 0, 0]).
Link end_effector's pose is: Pose([8.34465e-08, 3.6, 0.15], [1, 0, 0, 0]).
Link left_pad's pose is: Pose([8.34465e-08, 3.05, -0.2], [1, 0, 0, 0]) .
Link right pad's pose is: Pose([8.34465e-08, 4.15, -0.2], [1, 0, 0, 0]).
FK Test with qpos: [0, 0.7853981633974483, 0.7] .
Link base's pose is: Pose([0, 0, 0], [1, 0, 0, 0]).
Link link1's pose is: Pose([0, 0.8, 1.7], [1, 0, 0, 0]).
Link link2's pose is: Pose([0.565685, 2.16569, 2.1], [0.92388, 4.56194e-08, 0,
-0.382683]) .
Link link3's pose is: Pose([1.41421, 3.01421, 1.4], [0.92388, 4.56194e-08, 0,
-0.382683]) .
Link end effector's pose is: Pose([1.41421, 3.01421, 0.15], [0.92388,
4.56194e-08, 0, -0.382683]) .
Link left_pad's pose is: Pose([1.0253, 2.6253, -0.2], [0.92388, 4.56194e-08, 0,
-0.382683]) .
Link right_pad's pose is: Pose([1.80312, 3.40312, -0.2], [0.92388, 4.56194e-08,
0, -0.382683]) .
FK Test with qpos: [-0.5235987755982988, 0.7853981633974483, 0.7] .
Link base's pose is: Pose([0, 0, 0], [1, 0, 0, 0]).
Link link1's pose is: Pose([-0.4, 0.69282, 1.7], [0.965926, -3.08536e-08, 0,
0.258819]) .
Link link2's pose is: Pose([-0.592945, 2.15838, 2.1], [0.991445, 1.55599e-08,
0, -0.130526]) .
Link link3's pose is: Pose([-0.282362, 3.31749, 1.4], [0.991445, 1.55599e-08,
0, -0.130526]) .
Link end_effector's pose is: Pose([-0.282362, 3.31749, 0.15], [0.991445,
1.55599e-08, 0, -0.130526]) .
```

```
Link left_pad's pose is: Pose([-0.424712, 2.78623, -0.2], [0.991445,
1.55599e-08, 0, -0.130526]) .
Link right pad's pose is: Pose([-0.140011, 3.84875, -0.2], [0.991445,
1.55599e-08, 0, -0.130526]) .
Hidden Test Case:
FK Test with gpos: [1.6580627893946132, -0.6283185307179586, -0.3] .
Link base's pose is: Pose([0, 0, 0], [1, 0, 0, 0]).
Link link1's pose is: Pose([0.796956, -0.0697246, 1.7], [0.67559, 8.78903e-08,
0, -0.737277]) .
Link link2's pose is: Pose([2.27965, 0.272581, 2.1], [0.870356, 5.87015e-08, 0,
-0.492424]) .
Link link3's pose is: Pose([3.30825, 0.890627, 2.4], [0.870356, 5.87015e-08, 0,
-0.492424]) .
Link end_effector's pose is: Pose([3.30825, 0.890627, 1.15], [0.870356,
5.87015e-08, 0, -0.492424]) .
Link left_pad's pose is: Pose([2.8368, 0.607356, 0.8], [0.870356, 5.87015e-08,
0, -0.492424]) .
Link right_pad's pose is: Pose([3.77969, 1.1739, 0.8], [0.870356, 5.87015e-08,
0, -0.492424]) .
Verify question 2
FK Test with qpos: [0.3141592653589793, 0.6283185307179586, -0.3] .
Link base's pose is: Pose([0, 0, 0], [1, 0, 0, 0]).
Link link1's pose is: Pose([0.247214, 0.760845, 1.7], [0.987688, 1.86484e-08,
0, -0.156434]) .
Link link2's pose is: Pose([1.14164, 1.99192, 2.1], [0.891007, 5.41199e-08, 0,
-0.453991]) .
Link link3's pose is: Pose([2.11246, 2.69726, 2.4], [0.891007, 5.41199e-08, 0,
-0.453991]) .
Link end_effector's pose is: Pose([2.11246, 2.69726, 1.15], [0.891007,
5.41199e-08, 0, -0.453991]) .
Link left_pad's pose is: Pose([1.6675, 2.37398, 0.8], [0.891007, 5.41199e-08,
0, -0.453991]) .
Link right pad's pose is: Pose([2.55742, 3.02054, 0.800001], [0.891007,
5.41199e-08, 0, -0.453991]) .
Verify question 3:
FK Test with qpos: [-0.5235987755982988, 0.5235987755982988, 0.5] .
Link base's pose is: Pose([0, 0, 0], [1, 0, 0, 0]).
Link link1's pose is: Pose([-0.4, 0.69282, 1.7], [0.965926, -3.08536e-08, 0,
0.258819]) .
Link link2's pose is: Pose([-0.8, 2.18564, 2.1], [1, 0, 0, 0]).
Link link3's pose is: Pose([-0.8, 3.38564, 1.6], [1, 0, 0, 0]).
Link end_effector's pose is: Pose([-0.8, 3.38564, 0.350001], [1, 0, 0, 0]).
Link left_pad's pose is: Pose([-0.8, 2.83564, 6.25849e-07], [1, 0, 0, 0]).
Link right_pad's pose is: Pose([-0.8, 3.93564, 6.25849e-07], [1, 0, 0, 0]) .
```

```
FK Test with qpos: [0, 0, -1].
Link base's pose is: Pose([0, 0, 0], [1, 0, 0, 0]).
Link link1's pose is: Pose([0, 0.8, 1.7], [1, 0, 0, 0]).
Link link2's pose is: Pose([0, 2.4, 2.1], [1, 0, 0, 0]).
Link link3's pose is: Pose([-1.19209e-07, 3.6, 3.1], [1, 0, 0, 0]).
Link end_effector's pose is: Pose([-1.19209e-07, 3.6, 1.85], [1, 0, 0, 0]).
Link left pad's pose is: Pose([-1.19209e-07, 3.05, 1.5], [1, 0, 0, 0]).
Link right_pad's pose is: Pose([-1.19209e-07, 4.15, 1.5], [1, 0, 0, 0]).
FK Test with qpos: [0, 0, 1].
Link base's pose is: Pose([0, 0, 0], [1, 0, 0, 0]).
Link link1's pose is: Pose([0, 0.8, 1.7], [1, 0, 0, 0]).
Link link2's pose is: Pose([0, 2.4, 2.1], [1, 0, 0, 0]).
Link link3's pose is: Pose([1.19209e-07, 3.6, 1.1], [1, 0, 0, 0]).
Link end_effector's pose is: Pose([1.19209e-07, 3.6, -0.15], [1, 0, 0, 0]) .
Link left_pad's pose is: Pose([1.19209e-07, 3.05, -0.5], [1, 0, 0, 0]).
Link right_pad's pose is: Pose([1.19209e-07, 4.15, -0.5], [1, 0, 0, 0]).
Intrinsic matrix
                                         ]
 [[761.18274
              0.
                      320.
           761.18274 240.
 Γ 0.
                                 0.
                                        ]
 [ 0.
             0.
                                        ]
                       1.
                                 0.
 Γ 0.
             0.
                       0.
                                 1.
                                        ]]
```