POPULATION GENETICS OF THE CRITICALLY ENDANGERED SPOON-BILLED SANDPIPER

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photo by Gerrit Vyn



Pimm S.L. et al. *Science*Barnosky A.D. et al. *Nature*Bairlein F. *Science*Clark N.A. *Oryx*

EAST ASIAN-AUSTRALASIAN FLYWAY

Wildlife is experiencing a global decline in population size, possibly on a way to a massive extinction event. Birds are not an exception, especially migratory birds.



100 - 200 breeding pairs

spoon-billed sandpiper

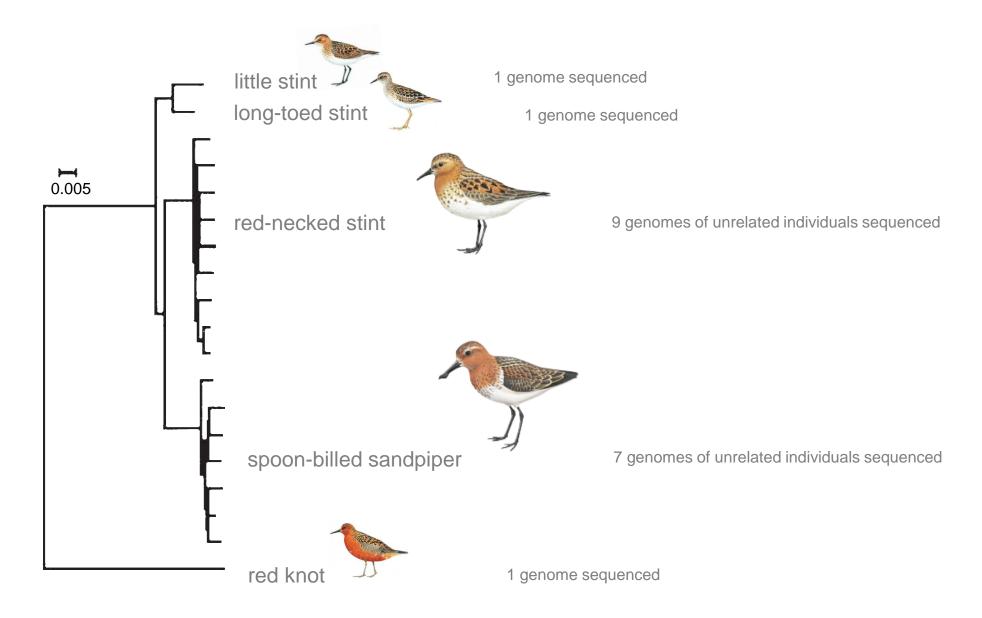


of least concern

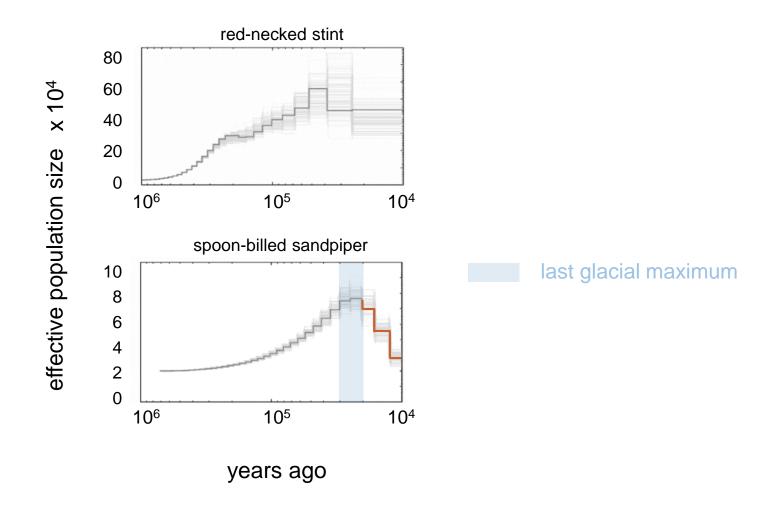


photo by Ekaterina Maksimova

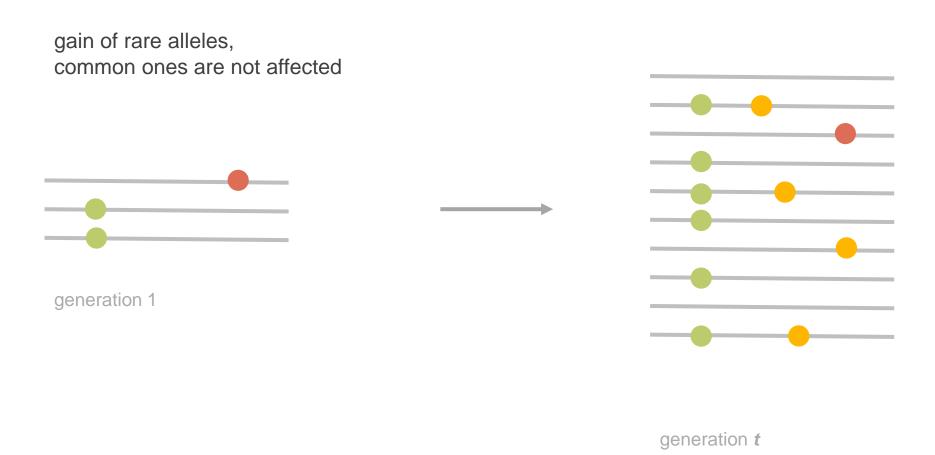
Phylogeny of sequenced Calidris species



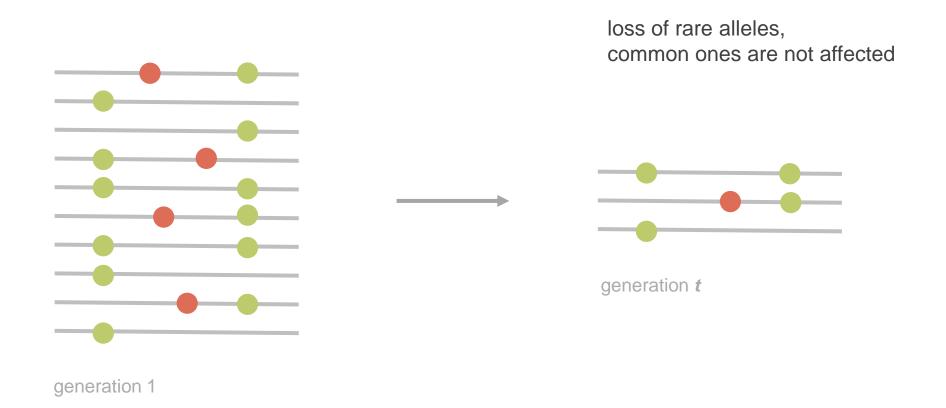
Demographic history reconstructed with PSMC



What happens when a population grows?

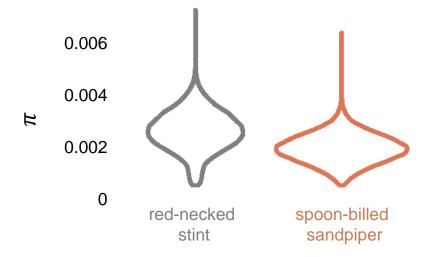


What happens when a population goes through a bottleneck?

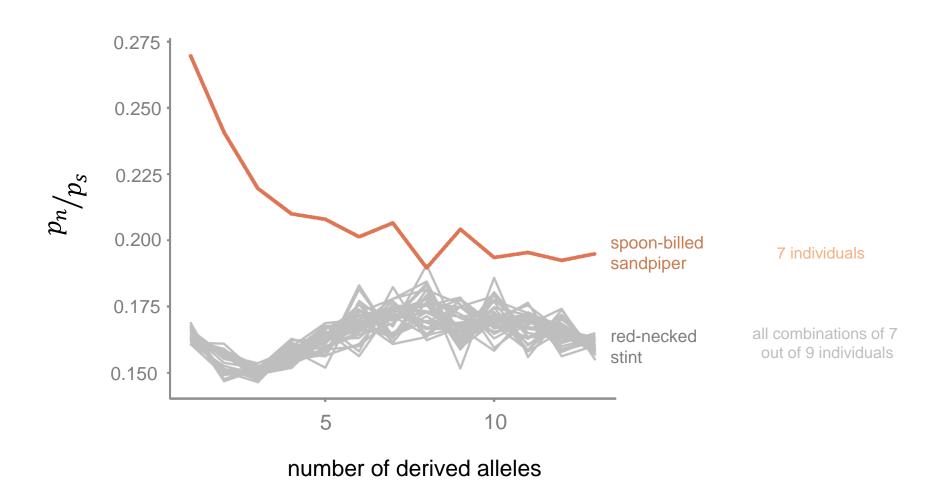




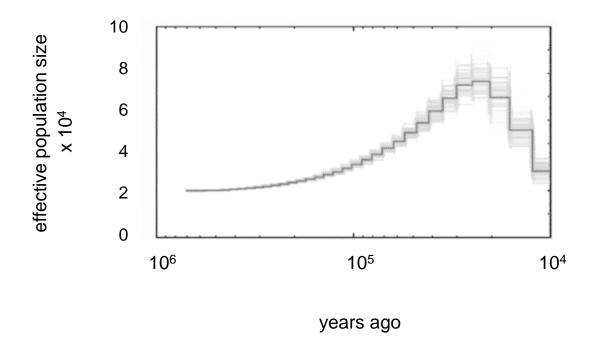
The overall level of nucleotide diversity indeed did not change much

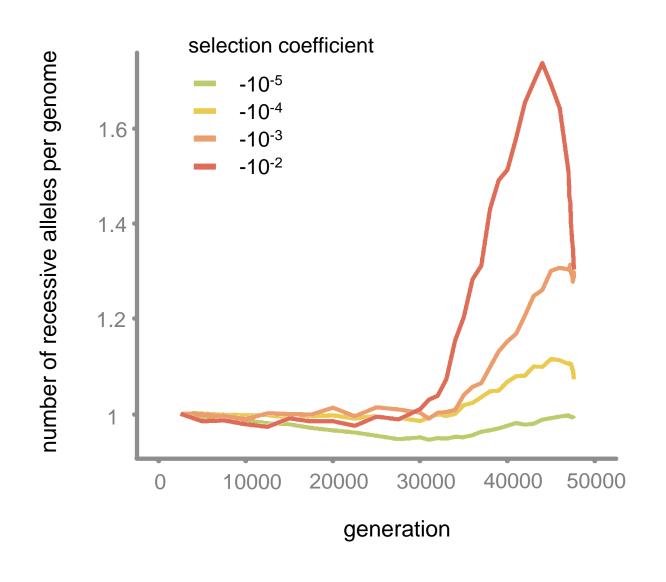


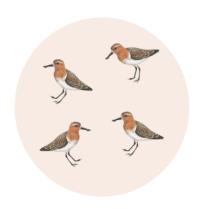
But the proportion of deleterious polymorphisms increased



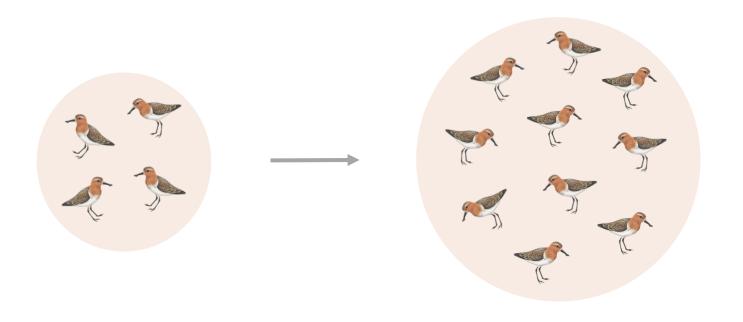








In a small population, genetic drift helps remove bad recessive variants.



When a population is growing, genetic drift stops, allowing to accumulate new deleterious variants.



When a population declines immediately after a population growth, it maintains some of the new recessive deleterious variants.

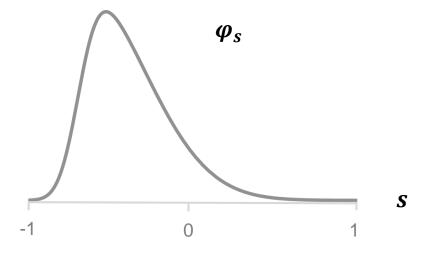
Can we find a distribution of selection coefficients that explains what we see?



spoon-billed sandpiper



red-necked stint



probability density function of the distribution of selection coefficients on new mutations







genotype

S

sh

0

relative fitness

$$subs(\varphi_{s}, N_{e}, h) = 2N_{e}ut \cdot \int_{s}^{\frac{1}{2N_{e}}} \frac{\int_{0}^{\frac{1}{2N_{e}}} e^{2N_{e}s((2h-1)x^{2}-2hx)} dx}{\int_{0}^{1} e^{2N_{e}s((2h-1)x^{2}-2hx)} dx} \cdot \varphi_{s} ds$$

number of mutations

fixation probability

 \boldsymbol{x} allele frequency

s selection coefficient

 N_e effective population size

h dominance coefficient

u mutation rate

t number of generations

 $\varphi_s (\mu, \sigma, \alpha)$ probability density function of the distribution of selection coefficients which we model as a skew normal distribution with location parameter μ , scale parameter σ , and shape parameter α

$$pols(\varphi_{S}, N_{e}, h) = \int_{S} \int_{0}^{1} 2x(1-x) \cdot \frac{1}{c_{S}} e^{2N_{e}s(x^{2}+2hx(1-x))} x^{4N_{e}v-1} (1-x)^{4N_{e}u-1} \cdot \varphi_{S} dxds$$

frequency of heterozygotes

probability density function of the distribution of allele frequency x

probability density function of the distribution of selection coefficients *s*

 \boldsymbol{x} allele frequency

s selection coefficient

 N_e effective population size

h dominance coefficient

u, **v** forward and backward mutation rates

 c_s normalizing constant

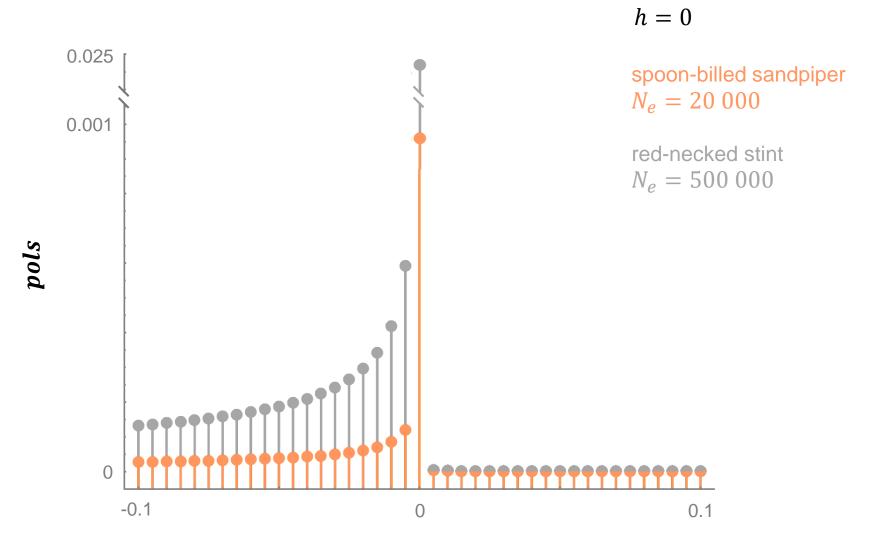
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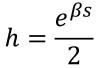
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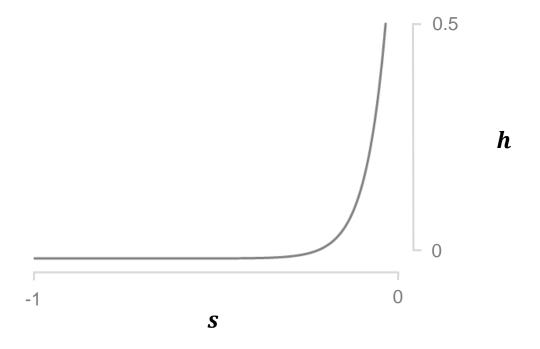
$$c_S = \int_0^1 e^{2N_e s \left(x^2 + 2hx(1-x)\right)} x^{4N_e v - 1} (1-x)^{4N_e u - 1} dx$$

$$h = 0: \int_{0}^{1} e^{2N_{e}sx^{2}} x^{4N_{e}v-1} (1-x)^{4N_{e}u-1} dx$$

$$h = \frac{1}{2}: \int_{0}^{1} e^{2N_{e}sx} x^{4N_{e}v-1} (1-x)^{4N_{e}u-1} dx$$













Mateusz Konczal

Luis Zapata, Francisco Camara, Anna Vlasova, Carla Bello, Christelle Fraïsse, Marta Gut, Romain Derelle, Maria N. Tutukina, Maria Plyuscheva, Claudia Fontsere, Pavel Tomkovich, Nikolay Yakushev, Ivan Shepelev, Vladimir Arkhipov, Christoph Zöckler, Roland Digby, Egor Loktionov, Elena Lappo, Stephan Ossowski, Tomas Marques, Roderic Guigo, Evgeny Syroechkovskiy