# Meta-Learning that Memorizes (M&M)

## Alex Boulton McKeehan

### **MAML**

Goal: Learn optimal initialization parameters for any model.

Input: Batch of tasks (datasets) split into train and test.

Outer loop update: Update  $\theta \leftarrow \theta - \beta \nabla_{\theta} \sum_{\mathcal{T}_i \sim p(\mathcal{T})} \mathcal{L}_{\mathcal{T}_i}(f_{\theta_i'})$ 

(backprop meta-parameters over total training

loss over all tasks)

Inner loop update: 
$$heta_i' = heta - lpha 
abla_{ heta} \mathcal{L}_{\mathcal{T}_i}(f_{ heta})$$

(standard stochastic gradient descent)

## Limitations

#### 1. Training performance highly stochastic.

- Limits threshold of maximum attainable performance.
- Ex: highest possible meta-accuracy ~97% in (1).

#### 2. Catastrophic forgetting.

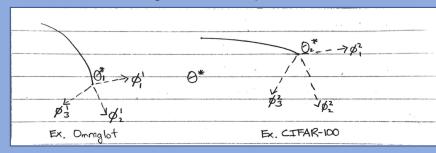
- The optimum in meta-parameter space over all task families may be far from all optima.
- Learning one task family (ex. animal classification) after another (ex. Facial recognition) erodes performance on the former.

#### 3. Meta-Gradient thrashing.

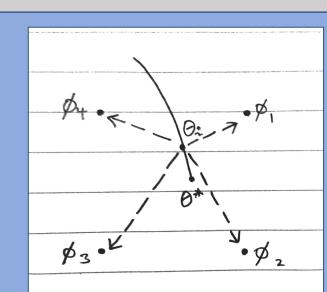
 Meta-gradient updates may conflict and yield updates in opposite directions.



(1) Meta-validation accuracy of MAML trained on Omniglot with meta-Ir of 0.4. Notice the high stochasticity, even at the end of training.



(2) Example of catastrophic forgetting for two task families, where reaching either meta-optimum will induce poor performance on tasks from the other task family.



(3) Example of gradient thrashing, where

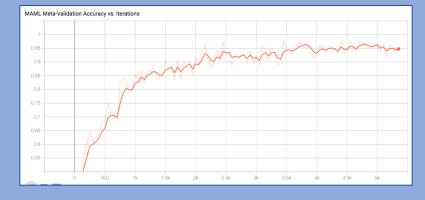
## Attempt 1: Learn Inner-Loop Learning Rate

#### **Implementation**

 Learn inner-loop learning rate per weight layer and inner loop update iteration.

#### Advantages

- Enables meta-gradient to converge efficiently.
  - Don't overshoot; speed up to reduce loss most efficiently.



Performance on Omniglot with inner-loop learning rate initialized to 0.04. Compare to earlier graph in terms of convergence and final

## **Attempt 2: Hessian regularization**

#### **Implementation**

Encourage meta-gradient updates to take a similar trajectory by encouraging similarity in second-order updates.

Unclear results; need more compute time.



 $\theta \leftarrow \theta - \nabla \mathcal{L}(\theta - \nabla \mathcal{L}(\theta, \mathcal{D}_i^{\text{train}}), \mathcal{D}_i^{\text{test}})$  $\mathcal{L}_H = \sum ||\mathbf{H}[\mathcal{L}( heta', \mathcal{D}_i^{ ext{train}})]||_F^2$ 

Loss and accuracy after running on Omniglot for a small Loss and accuracy after running on Omniglot for a small number of epochs. The failure of the loss to decrease suggests number of epochs. The failure of the loss to decrease suggests the regularization term coefficient (0.01) is too high. the regularization term coefficient (0.01) is too high.

## **Attempt 3: Meta-PCGrad**

#### **Implementation**

- Group meta-batches into sets of meta-batch tasks.
- Modify original PCGrad algorithm to project meta-gradients instead of standard gradients.

```
Algorithm 1 PCGrad Update Rule
  Require: Current model parameters \theta
       Sample mini-batch of tasks \mathcal{B} = \{\mathcal{T}_k\} \sim p(\mathcal{T})
     : for \mathcal{T}_i \sim \mathcal{B} in sequence do
         Compute gradient \mathbf{g}_i of \mathcal{T}_i as \mathbf{g}_i = \nabla_{\theta} \mathcal{L}_i(f_{\theta})
            for \mathcal{T}_i \stackrel{\text{uniformly}}{\sim} \mathcal{B} in random order do
                  Compute gradient \mathbf{g}_j of task \mathcal{T}_j as \mathbf{g}_j = \nabla_{\theta} \mathcal{L}_j(f_{\theta})
                 Compute cosine similarity between \mathbf{g}_i as \mathbf{g}_j as \cos(\phi_{ij}) = \frac{\mathbf{g}_i \cdot \mathbf{g}_j}{\|\mathbf{g}_i\| \|\mathbf{g}_j\|}
                if \cos(\phi_{ij}) < 0 then
                     Set \mathbf{g}_i = \mathbf{g}_i - \frac{\mathbf{g}_i \cdot \mathbf{g}_j}{\|\mathbf{g}_i\|^2} \mathbf{g}_j
                                                                                           // Subtract the projection of \mathbf{g}_i onto \mathbf{g}_j
  11: Store \mathbf{g}_i^{\text{proj}} = \mathbf{g}_i
12: end for
 13: return update \Delta \theta = \sum_{i} \mathbf{g}_{i}^{\text{pro}}
```

#### Conclusion

- Meta-learning fails to reach top accuracies due to gradient thrashing.
- These effects can be ameliorated by algorithmic fine-tuning.
- Optimal meta parameters still cannot generalize to different task families.

Next Steps: Generative model, MADAM.

#### References

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