```
PRIGUSENO TITKANJE
                                      pot wyell x=x,
      Fre = - bv
                                                 X - Va
       mdix = -kx -bv
                                       # = 28 - Patter proprietage
                     a por growing
         in dx + Ex + PA = 0
                                        5 - wit - whether frotuniage
             dix , b dt , k x -0
    perpostanto gesenje x Bet V B dext x" - B det vustimo
             5x ext, 288 xext, w, 8ex - 0
                     2 = 28x+4, = = = = = = 28 = 148 = 465
                                          Kn = - 8 = 18 = w.
   Postojt 3 slucaja
      with the slate progressive
      8 = 6st - knhono progratuje
      5'> ω, + approstrate propriety
 I SLABO PRIGUSENJE: (Kg. - Still)
                                             -> x = Ce'e'. 3 e'e' = C+9
      X= Ce e + De e
      v=cetemt(.J.w).De e (-J.w) = v=c(w-0).0(-d-1w)=
                                                 = -3 (C+D) + (W (C-D)
  MC = In D &C - Rell => C = D = templetion toughtpoon D=C"
     > [x= E e e (61.4.) , Be e (61.4.)
          = ZE e tosput+ 4) - Ase os (wt+4) - Ase of sin (wt+4)
I APERIODIERO PRIGOSENJE («12 = d'± (3 · w. )
                                                    divit = eve
      X = A e e . Se e ut
      X = A o the (chest + short) + B = e (chest - short) 2b = short = e - e - e
                                                   ent - chut + short
      x = e " (chw't (A+3) . shw't (A-B))
                                                  e wit - chuit -shart
      x . e t (C chait , Dshwit)
      4- 3et (cohot - Dahot) , e " (commit , Daichuit)
 12 mps 144-0 -> 4-31C.1Dw -0 -> 3+d, x,
        Yra = x . + o'Tocho +D sho) = C
     x-x,est (dut of shuit)
```

. PRISILNO TITRANJE:

perodena vanjsta sila
$$F = F_0$$
 sinut , $\omega_0 = \frac{1}{m}$ - olastia Revolución de ω_0

oft? oft
$$\Rightarrow A_0$$

Hereign perhaps $x = X_{+} + X_{0}$ (hoursgans + particulars)

Hereign perhaps $x_{0} = A(\omega) \sin(\omega t \cdot \theta)$

$$\times_{\rho} = -A\omega \omega s(\omega t - \varphi)$$
 $\dot{x} = -A \omega^2 s.n(\omega t - \varphi)$

wishing -Awt sin (wt-4) - 28 Awas (wt-4) + wa Asin (wt-4) - As sin (wt) A(w2-w2)sin(wt-4) +2Adwsin(wt-4+ 1/2) - Assin(wt)

$$A(\omega_{s}^{2}-\omega^{2})\sin(\omega t-\Psi)+2Ad\omega\sin(\omega t-\psi)$$

$$A(\omega_{s}^{2}-\omega^{2})\sin(\omega t-\psi)+2$$

PRIJELAZNO IC TRANSIJENTHIO CENTRIA PORTE potrebno da utrae XX

Rezonantina feterenaja:
$$dA = 0 \dots \omega_r = \sqrt{\omega_o^* - 2\delta^*}$$

HARMONIEL OSCILATOR:

IARMONIERI OSCILATOR:

Fopi = -kx

$$\int_{\text{particle}} \text{particle} \int_{\text{particle}} \text{ring} - i \cdot k \text{ax} = 0$$
 $\int_{\text{particle}} \text{particle} \int_{\text{particle}} \text{ring} - i \cdot k \text{ax} = 0$
 $\int_{\text{particle}} \text{particle} \int_{\text{particle}} \text{ring} - i \cdot k \text{ax} + i \cdot k = m \cdot x$
 $\int_{\text{particle}} \text{particle} \int_{\text{particle}} \text{ring} - i \cdot k \text{ax} + i \cdot k = m \cdot x$
 $\int_{\text{particle}} \text{particle} \int_{\text{particle}} \text{ring} - i \cdot k \text{ax} + i \cdot k = m \cdot x$
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 $\int_{\text{particle}} \text{particle} \int_{\text{particle}} \text{ring} - i \cdot k \text{ax} + i \cdot k = m \cdot x$
 $\int_{\text{particle}} \text{particle} \int_{\text{particle}} \text{par$

```
BERBECKOVO NJIHALO
                                         X, = Aisin (wit + di)
-u fazi
                                                     X_1 = A_1' \sin(\omega_1 t + \psi_1)
          I gow - A, w, sin (w, t + p, ) + A, (w, + U2) cin (w, t + p, ) = U2 A, sin (w, t + p, )
                                                                                                      \omega_1^2 - (\omega_1^2 + \Omega_1^2) + \Omega_1^2 + \Omega_2^2 = 0 \qquad (*)
        I pod - A, wa sin (wat + $4 ) + A, sin (wat + $4 ) (w. + ol2) = ol2 A, sin (w, t + $4, )
                                                                                                      \omega_i^{\pm} - (\omega_o^{\pm} + i \ell^{\pm}) + i \ell^{\ell} \frac{\Lambda_i}{\Lambda_i} = 0 (xx)
                                i_{\mathcal{L}} (*) (**) \Rightarrow \frac{A_1}{A_1} : \frac{A_1}{A_1'} \Rightarrow \sqrt{A_1 \times A_1'}
                                                        (v) = \(\omega_1^2 - \omega_2^2 - \omega_2^2 + \omega_2^2
                                                                                                                                                 W= W0
   - a protubazi x, = Azsin (w. 6 + 0)
                                                                       X_{z} = A_{z}^{\dagger} \sin(\omega_{z}t + \phi_{z} + \pi) = -A_{z}^{\dagger} \sin(\omega_{z}t + \phi_{z})
              I jodu - A_2\omega_z^2 sin \{\omega_z t + \phi_z\} + A_2\{\omega_z^2 + o(t^2)\sin(\omega_z t + \phi_z) = -o(t^2)A_z^2\sin(\omega_z t + \phi_z)
                                                                                          \omega_z^z = (\omega_z^z + \omega_z^z) - \omega_z^z \frac{\Lambda_z}{\Lambda} = 0 (*)
               Therefore A_2^2 \omega_c^2 \sin(\omega_c t + \phi_c) - A_2^2 \sin(\omega_c t + \phi_c)(\omega_c^2 + cl^2) - sl^2 A_2 \sin(\omega_c t + \phi_c)
                                                                                              (\omega_2^2 - (\omega_3^4 + \mathcal{N}^2) - \frac{A_2}{A_2}, \mathcal{N}^2 = 0 (**)
                                          (x) + (xx) => \( \begin{align*} A_2 & A_2 \end{align*} \)
                                               (*) => Wi - Wi - N' - U' = 3
                                                                                                                                              WE = JW + 21/2
      TRANSVERZALNO TITRANJE:
                                                                                                                                                                                                                                                              同同
          dE = Ton - F(sind, sind) and buton painted

AF = (100 - 100) sind of xide article article.
         de F (lyx, - tyx,)
         dE_{S} = F \left[ \left( \frac{\partial \Psi}{\partial x} \right)_{colo} - \left( \frac{\partial \Psi}{\partial x} \right)_{colo} \right] \qquad \text{for } d_{S} = \left( \frac{\partial \Psi}{\partial x} \right)_{colo} + \left( \frac{\partial \Psi}{\partial x} \right)_{colo} + \left( \frac{\partial \Psi}{\partial x} \right)_{colo} + \left( \frac{\partial \Psi}{\partial x} \right)_{colo} \right]
```

= F (SA) * (SA) Ax (SA)] * E SA JX

$$dF_{S} = F \frac{\partial^{2} \psi}{\partial x^{2}} dx \qquad dw = \mu dx \qquad \mu - kineama quities were$$

$$dF_{S} = \mu \frac{\partial^{2} \psi}{\partial x^{2}} dx \qquad = E k kineama quities were$$

$$\Rightarrow F \frac{\partial^{2} \psi}{\partial x^{2}} dx = \mu \frac{\partial^{2} \psi}{\partial x^{2}} dx \qquad rjeseuja jednadžbe$$

$$\begin{cases} \frac{\partial^{2} \psi}{\partial x^{2}} - \mu \frac{\partial^{2} \psi}{\partial x^{2}} = 0 \end{cases} \qquad \forall = f(vt - x) + g(vt + x)$$

HUYGENSOV PRINCIP:

-svata totta value fronte izvor je novog tuglastog elementarnog vala; envelopa (ovojura) svih elementarnih valova je nova valua fronta.

· SUPERPOZICIJA VALOVA

I valo use amplifiede in ins is pomotom a low

4. = A sin (w, t - +, x + d)

W = A sin (624 - 22x + 02)

 $\Psi = \Psi_{i} + \Psi_{k} = A \left(\sin(\omega_{i} t - k_{i} x + \phi_{i}) + \sin(\omega_{k} t - k_{k} x + \phi_{k}) \right) =$

= 2A (500 (wit-tix + d, + wit-ti = + d) - wit (wit-tix + d, - wit + tix + d))

= 1A [Sin (without + + 1+ + 2 x + di + di) ws (with + - + + + 2 x + di + di))

20 W = W = W 1 + + + = +

A $\phi_i \neq \phi_k \neq \phi$ $\left[\Psi = 2 \text{A s. in } \left[\omega \cdot 1 - k \times + \phi \cdot \right] \right]$ KONSTRUKTIONA INTERFERENCES A $\phi_i = \phi_k \cdot i \omega \times \omega_{i+1}$

2 \$ = \$ + \$ \$ \$ \$ \quad - \text{2} + \$ \bar{\pi} \rightarrow \text{2} + \$ \bar{\pi} \rightarrow \text{2} \\ \pi_{\alpha} = \pi_{\alpha} + \bar{\pi} \rightarrow \text{2} \\ \pi_{\alpha} = \pi_{\alpha} + \bar{\pi} \rightarrow \text{2} \\ \pi_{\alpha} = \pi_{\alpha} + \bar{\pi} \\ \pi_

· PEFLEETI PANI I TRANSLATIRANI

LETLECTIPANT : YE . As Sin [w (+1 x)]

TRANSLATIRANI (+ - A, SIN [W (1-8)] - A, SIN [W (1-)]

I Y . Y = Y me wyste x = 0

 $\mathbb{T} = \frac{\partial Y_0}{\partial x} + \frac{\partial Y_0}{\partial x} = \frac{\partial Y_1}{\partial x}$

$$T \rightarrow A_0 \sin \omega t + A_0 \sin \omega t - A_1 \sin \omega t - A_2 \sin \omega t - A_3 \cos \omega t - A_4 \cos \omega t -$$

Mn - 3 L

STOOM LONGITUDINALUI VALOVI:

Chospon
$$x + \frac{1}{2}$$
 $\psi(t, \frac{1}{2}) + 3$ for $(h, \frac{1}{2}) = 3$
$$\frac{2\pi}{2} \frac{L}{2} + \frac{(2n+1)\pi}{2} \pi \qquad n = 0,1,2$$

$$\pi_n = \frac{2L}{2n+1}$$
Tegus: $x + L$ $\psi(t, x = L) = \pm A$ for $(h, \frac{1}{2}) = \pm 1$

PBusi:
$$X+L$$
 $\Psi(t, x=L)=tA$ $cos(tnL)=t1$

$$\frac{2\pi}{2n}L=\frac{2n\pi}{2}$$

$$n=2L$$

$$(2n-2L)$$

LONGITUDINALNI VAL U PLINU:

PLINAR PLANT PLANT PLANT PLANT PROGRAM PRINTS Have no uperture
$$X$$
 and X and X personance X and X and X and X and X are X and X are X and X are X and X are X are X are X and X are X are X are X and X are X and X are X are X are X are X and X are X are X are X and X are X are X and X are X are X and X are X and X are X are X are X are X are X and X are X and X are X are X and X are X are X and X are X are X are X are X and X are X are X are X are X are X and X are X and X are X are X are X and X are X are X and X are X are X and X

$$|e^{dx-j2ba}|_{trial} = 8 \frac{\partial^2 \psi}{\partial x^2} \cdot 5 \cdot dx = \frac{\partial^2 \psi}{\partial t^2} \cdot f \cdot dx$$

$$|e^{dx-j2ba}|_{trial} = 8 \frac{\partial^2 \psi}{\partial x^2} \cdot 5 \cdot dx = \frac{\partial^2 \psi}{\partial t^2} \cdot f \cdot dx$$

$$|e^{dx-j2ba}|_{trial} = 8 \frac{\partial^2 \psi}{\partial x^2} \cdot 5 \cdot dx = \frac{\partial^2 \psi}{\partial t^2} \cdot f \cdot dx$$

... U STAPUI

$$\left| \frac{\partial^2 S}{\partial x^1} - \frac{f}{E} \frac{\partial^2 S}{\partial x^2} - O \right| \Rightarrow \quad 0 = \left| \frac{\overline{E}}{J} \right|$$

DOPLEROV EFEKT

busy write delettor se giting and the premia recomme

a)
$$\frac{1}{\sqrt{v_0}}$$
 $v+v_0$ $f'=\frac{v+v_0}{\sqrt{v_0}}=\frac{1}{\sqrt{v_0}}\frac{v+v_0}{\sqrt{v_0}}=\frac{1}{\sqrt{v_0}}\frac{v+v_0}{\sqrt{v_0}}$

b)
$$\overrightarrow{y}$$
 \overrightarrow{y} \overrightarrow{v} \overrightarrow{v} \overrightarrow{v} \overrightarrow{v} \overrightarrow{v}

I lower so upon och il preus mongratum delibetorn

I Harvelova jednodita u diferencyalismi obliku

AV - AX AY AZ

Eylryay, 2) box grow xz

[Ey (xy ray, z) - Ey (xy, z)] Ax AZ = Ey (xy ray, 2) - Ey (xy z) Ax Ay AZ test plane 24

[Ex(xxx, y, z) - Ex(x, y, z)] Ay AZ = Ex(xxxx, y, z) - Ex(x, y, z) = Ax - Ay Az

tor plake xy

[Ez(x,y,z+az)-Ez(x,y,z)] ax-ay = Ez(x,y,z+az)-Ez(x,y,z). ax-ay-az

IAMPER - & jubst one staline struje bja prelized kroz dva rama usporedna i neieujerno duga vodita zamemanivo malog kružnog presjeta u valenumu međusobno udaljena i in uzrotuje između uph silv od 215 N/m

FARADAYEV ZAKOIN INDUKCIJE - Elektromagnatska indu
je pojava u tojoj se u posutnosti magnetskog poja mehamička el
poetvara u elektronu . Induciranaha elektromotorna sila razinjan
je brzim promjene magnetskog toka kroz petju.

E = 20
ott

LENZOVO PRAVILO - inducrana struja ina takan sinjer da proizvode tok magnetskog posja kroz petlije biji se protivi promjer magnetskog toka zbog kojeg je nastala. Da inje tako imal bi perpetuum mobile. Proizlazi iz zakona o održanju energije.

BOHROVI POSTULATI

- 1. deletron se može gibati oto jezqre samo određenim dozvojenim kuzuum stazama Elektron pri tom gibanju ne crati
- 2. Dozvođena stanja su ona za toje je Lutna kolicina grbanja jednah visekratniku reducirane Planckove konstante.
- 3. Kada elektron stoci s više staze energije Ek na vižu stazu evergije Et anda izrazi loton sija je evergija jednata hv-Et-El

2 -> Ln=nh h=h n=12 GLAVER CHANTER SPOR $|\vec{r}_n = \frac{\epsilon_s \, k^x}{|\vec{r}_n \, e^z|} \, n^z$ $n = 1, 2, \dots$ $r_q = 0, 5.3 \, \text{nyn}$ Ln+mTn-Vn WoVIn n.K.

ZAKON PADICAKTIUNOG TRASPADA

to Nortroj jezgara A-(aktivnost) - brzina tojou se gogne raspadaju [36]

A = - dN all -- 2N 2-tonstanta respada

 $\Rightarrow \frac{dN}{N} = -Rdt$ / $\Rightarrow \int_{N}^{4} dN = \int_{-R}^{-R} dt$ for t = 0t=0 N=N.

M+ - At+C W+C

N+Ce N+Noe

A = - dN + - No (-2)e = No 2e t= 0 A = 2No A=A,e-lt

VRIJEHE POLLIPASPADA (POLIZIVOT Tox)

long viewerst interval in topeniuse rospodine 1/2 jeogara rodoaktivne tua N=12 1=ext m/2 - 2t T/2 = 12 = 9673 m2 = t = T/2

SZEDINJE URIJEME ŽIVOTA T utupno injene života svih jergara/pocetu broj jergara

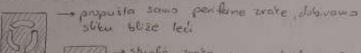
T= 1 ton J-AN, text paragrap = 1 No Nat du - RNOL -- Albertou

POGRESKE LECE

Sterna aberacija: nake koje ne zadovotavaju Gaussove aproksimacje

Promatramo siroki snop upadnih zraka svjetlosti, trake padaju na velki poursine tece Upadus kutovi craka svjetlash su razlicih i stite dobivene ledow nish ostre. Potus sa razlethu restoura





dobrous stike dage od lete

Krowatska aberocija: konvergencija ili jatost leće ovisi o indetsir lowa leće pa se unjeuja s bojou svjetlosti toja prolazi troz leću

JEDNADEBA SFERNOG ZECALA



A je simetrala buta stu ga zatvaraju Pa i Po

AM'C je stienn ABB'C AAA'D je stienn ABB'D

Gaugne aprolowagle ADEAT

$$(a-r): \alpha = (r-5): 5$$

$$\begin{bmatrix} \frac{A}{a} + \frac{1}{b} = \frac{2}{r} \end{bmatrix}$$

FERNATON PRINCIP

Sypthost se izweolo olugu zadanih točaka isin unom stazom ra toju joj treba

mywork viewens

$$L_{5} = \frac{S_{1}}{V} + \frac{S_{4}}{V} = \frac{1}{V} \sqrt{(a^{2} + x^{2})^{2}} + \sqrt{(d \cdot x)^{2} + b^{2}}$$



$$\frac{dl_0}{de} = 0 \qquad \frac{dl_0}{de} = \frac{e}{\left(a^2 \cdot x^2\right)^2} - \frac{d-x}{\left((d-x)^2 \cdot b^2\right)} = \sin u - \sin \sigma = 0 \qquad \text{sinu-sinor}$$

$$u = \sigma$$

$$C_0 = \frac{c_d}{V_d} + \frac{c_d}{V_d} = \frac{\left(c^2 + \kappa^2\right)^2 + \sqrt{\left(d - \kappa\right)^2 + b^2}}{V_d}$$

PLANCEOV ZAKON ZRAČENJA CRNOG TISELA: dayleigh f(V,T) = ZITV E En = nhV h-brandna tonslanta $= hV \frac{x+2x^{2}+3x^{3}+...nx^{n}}{1+x+x^{2}+x^{3}+...nx^{n}} = hV \frac{x}{1-x}$ $= hV \frac{x+2x^{2}+3x^{3}+...nx^{n}}{1+x+x^{2}+x^{3}+...nx^{n}} = hV \frac{x}{1-x}$ $= hV \frac{e^{\frac{2}{2}}}{1+x+x^{2}+x^{3}+...nx^{n}} = hV \frac{x}{1-x}$ $= hV \frac{e^{\frac{2}{2}}}{1+x+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2}+x^{2$ E = NnEn Nn = Noe F E - E No En

COMPTONOV EFERT

OHPTONOV EFEIT

The page suchara passe suchara

$$A^{1} = \frac{h}{h}$$
 $A^{1} = \frac{h}{h}$
 $A^{2} = \frac{h}{h}$

$$(x) \rightarrow (xx) \Rightarrow \frac{(h - h)^2 + 2\omega_{e}C(h - h)}{(h - h)^2 + 2\omega_{e}C(h - h)} + \omega_{e}^2C^2 + \frac{Ge^2}{C^2} = Pe^2 + \omega_{e}^2C^2$$

$$(x) \rightarrow (xx) \Rightarrow \frac{(h - h)^2 + 2\omega_{e}C(h - h)}{(h - h)^2 + 2\omega_{e}Ch(\frac{h^2 - h}{h^2 - h})} = \frac{(h - h)^2}{(h - h)^2} + \frac{2h}{hh}, \omega_{s}\Theta$$

$$(x) \rightarrow (xx) \Rightarrow \frac{(h - h)^2 + 2\omega_{e}C(h - h)}{(h - h)^2 + 2\omega_{e}Ch(\frac{h^2 - h}{h^2 - h})} = \frac{(h - h)^2}{(h - h)^2} + \frac{2h}{hh}, \omega_{s}\Theta$$

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$$(x) \rightarrow (x) \Rightarrow \frac{(h - h)^2 + 2\omega_{e}Ch(\frac{h^2 - h}{h^2 - h})} = \frac{(h - h)^2}{(h - h)^2} + \frac{2h}{hh}, \omega_{s}\Theta$$

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$$(x) \rightarrow (x) \Rightarrow \frac{(h - h)^2 + 2\omega_{e}Ch(\frac{h}{h})} = \frac{(h - h)^2}{(h - h)^2} + \frac{2h}{hh}, \omega_{s}\Theta$$

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PAKONI GEOMETRIJSKE OPTIKE:

(-privience po se kad su dimensije objekata puno veće od valne duljino svjetlosi.)
Grana filite toja proučava valove valnih duljina 380-780mm.)

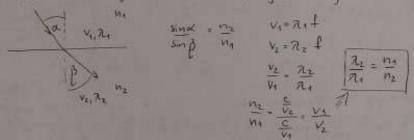
4. zarona :

- 1. ZAFON PRAVOCIZTIVOG ŠIRENJA SVJETLOSTI: Svjetlost se u homogenom izotropnom sredstvu širi pravocitno.
- 2 RAKON NEOVISNOSTI SNOPOVA SVJETLOSTI

 Ata se dwa svjetlosna snopa presjecaju jedan na drugi ne utjere i
 svati se širi bao do onaj otugi ne postoji

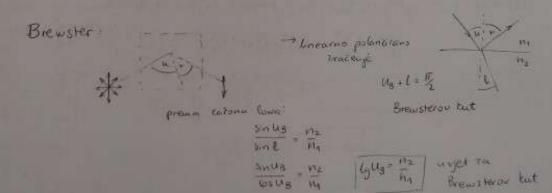
 (vrijedi ato visu toherentni, ato su toherentni, onda interferivaju)
- 3. zaron Loma Sujetiosti

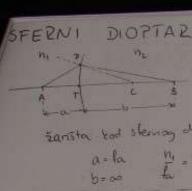
 Kada se svjetost reflektira na opranici dva sredstva upadva zraka,
 reflektirana zraka : akonica na opranici dva sredstva leže u
 istoj ravnimi ,a upadni kut zrake (kul između upadve zrake i
 okonice na opranicu sredstava) jednak je kutu reflektirane zvake



POLARIZACIJA

Dobovauje polanzirane syetlasti relletsjou prolaskou kroz knistale





$$\left|\frac{n_1}{a} + \frac{n_2}{b} \cdot \frac{n_1 - n_1}{2}\right|$$

Zarista kod sternog droptin:

$$\frac{R}{n_2-n_1}\frac{n_1}{a}+\frac{R}{n_2-n_1}\frac{n_2}{b}=1 \implies \frac{f_a}{a}+\frac{f_b}{b}=1$$

$$\frac{y'}{5c} = \frac{y}{AC} \qquad \frac{AC \cdot a + R}{9C - b - R} \qquad \frac{n_1}{a} + \frac{n_2}{b} = \frac{n_3 - n_4}{R}$$

$$|m| = \frac{y'}{y} = \frac{8C}{AC} = \frac{b \cdot R}{a + Q} \qquad |m| = -\frac{b - R}{a \cdot Q} \qquad n_4 \left(\frac{a + Q}{a \cdot Q}\right) = n_2 \left(\frac{b \cdot R}{b \cdot R}\right) = 7 \quad |m| = -\frac{n_1}{n_2} \cdot \frac{b}{a}$$

TANKA LECA

ANKA LL -

-dua sustava

$$n_1 \rightarrow n_2$$
 $n_1 \rightarrow n_2$
 $n_2 \rightarrow n_3$
 $n_3 \rightarrow n_3$
 $n_4 \rightarrow n_3$
 $n_4 \rightarrow n_3$
 $n_4 \rightarrow n_3$
 $n_5 \rightarrow n_4$
 $n_5 \rightarrow n_5$
 $n_5 \rightarrow n_5$
 $n_5 \rightarrow n_5$

(*) : (**)
$$\frac{n_2-n_1}{R_1} + \frac{n_3-n_2}{R_2} = \frac{n_1}{A} + \frac{n_3}{b}$$

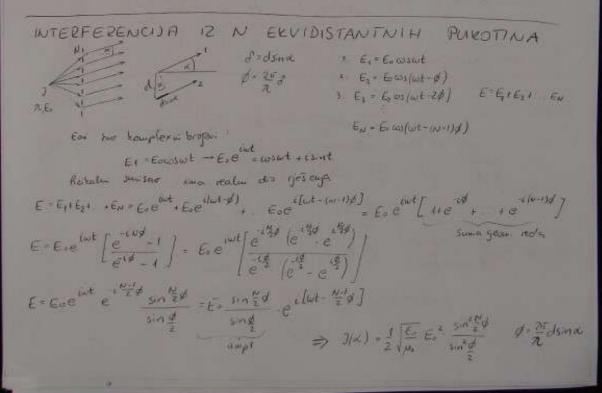
on
$$n_4 - n_5$$
 $\frac{f_b}{f_n} = f$ $f_b + f_a = f$
$$\frac{1}{f} = (v_k - v_n) \left(\frac{1}{E_4} - \frac{1}{R_2} \right) \qquad f = J - a^{k \log m_1 n_2}$$

YOUNGOV PORUS:

$$NA \Rightarrow \delta = \Delta = X_0 - X_2 \cdot d(A + |y + y|^2) - d(A + |y + y|^2)$$

$$X_1 + \sqrt{d^2 + (y + y|^2)}$$

$$Y^{\frac{1}{2}} = (A + d) \cdot (A + \frac{1}{2} + \frac{1}{2}$$



IB ILI DIFRAKCIJA

$$E_{A} = E_{0} \frac{\sin\left(\frac{\pi}{2} \frac{\partial F}{\partial H} \sin \alpha\right)}{\sin\left(\frac{\pi}{2} \frac{\partial F}{\partial H} \cos \alpha\right)} = E_{0} \frac{\sin\left(\frac{\pi}{2} \frac{\partial F}{\partial H} \cos \alpha\right)}{\sin\left(\frac{\pi}{2} \frac{\partial F}{\partial H} \cos \alpha\right)} = \left[E_{0} \frac{1}{12} \frac{1}{1$$

313.

$$E_A = \frac{E(0)}{m} = \frac{\sin\left(\frac{\Gamma}{\Lambda} d \sin \alpha\right)}{\sin\left(\frac{\Gamma}{\Lambda} d \sin \alpha\right)} \qquad m \to \infty$$

more muni di = 0

NA DVIJE PUROTINE