# Discussion of "Control costs, rational inattention, and retail price dynamics" by James Costain and Anton Nakov

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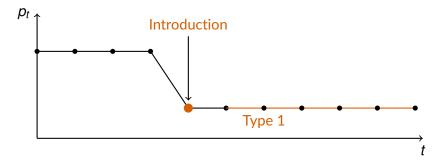
### Overview

### **Question:** How do firms set prices?

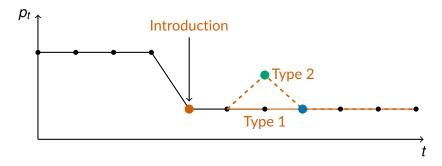
- Sticky prices? Sales? Sticky plans?
- Matters for real effects of monetary policy (+ other shocks)

### This paper:

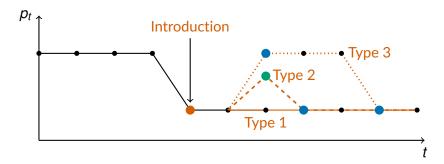
- Empirics: most price changes are to prices already seen ≥ once in the last year.
  - But firms don't change their set of prices all at once.
    - Contrast to Stevens (2019).
- Theory: explain data with short-term memory RI model.
   Key novelties:
  - 1. Directly calibrate  $Pr(\text{no nominal }\Delta p)$  and Pr(return to old p) from data.
  - Combine RI with stochastic price discrimination (Guimaraes & Sheedy, 2011).



Calvo/menu costs: mostly type 1 introductions, some transitory changes.

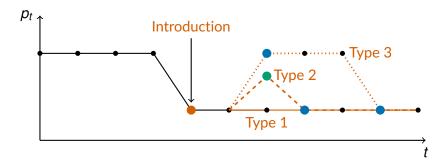


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**Data**: mostly recurrences, then type 3 introductions.

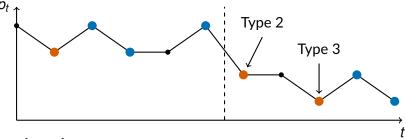


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**Data**: mostly recurrences, then type 3 introductions.

Sticky plans (Stevens, 2019): mostly recurrences, then ...?

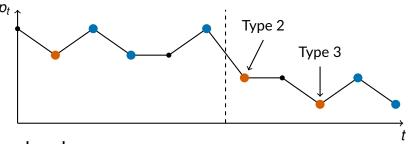
# Empirics: type 3 introductions in a sticky plan model



### When plans change:

- 1 type 2, then all subsequent introductions in the plan are type 3.

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- Stevens (2019): median # prices in plan =4, so expect  $\approx 75\%$  introductions = type 3.

### This paper:

- 44% products have only type 1 or only type 3, but 11% of all intros are type 2.

Sticky plans could be good description of remaining products?

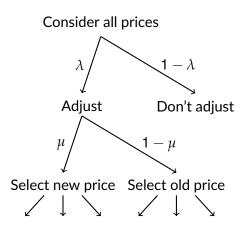
# Theory: adapting RI/CC to explain sticky nominal price points

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#### Costain Nakov solution:



- $\lambda$ ,  $\mu$ : weighted logit.
- Multi-stage decision isomorphic to standard RI if choose weights optimally.
  - Key insight: optimal weights are unconditional probabilities
     calibrate to empirical hazard functions.

# Theory: how should we interpret high $1 - \bar{\lambda}$ ?

$$\begin{array}{cccc} \textbf{Standard RI model:} & & & & \\ & \underline{Inputs} & & \underline{Outputs} \\ \hline f(z) & & \underline{Pr(p)} & = & \eta(p) & \Rightarrow & 1 - \bar{\lambda} \\ \pi(p,z) & & \underline{Pr(p|z)} & & \end{array}$$

 $\bar{\lambda}$  is endogenous, not a free parameter.

Question: when we calibrate  $\bar{\lambda}$ , what adjusts to allow that?

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### Options:

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Question: when we calibrate  $\bar{\lambda}$ , what adjusts to allow that?

### Options:

- 1.  $\eta(p)$  not chosen optimally.
- 2. Allow an input to change with calibration.

Which is it? Affects whether  $\bar{\lambda}$  changes after aggregate shocks.

### Conclusion

Nice paper! Important contributions to empirics and theory.

#### The 2 questions/comments:

- 1. Could be more systematic on why data rejects sticky plans.
- 2. Economic interpretation of calibrated  $\bar{\lambda}$  which part of the firm problem adjusts?