

No:1

Date: 31/12/2020

Aim:- Merge two sorted arrays and store in a third array.

Step 1: Start

Step 2: Declare the variables, $a[m], b[n], c[m+n]$

Step 3: Read the size of first array.

Step 4: Read the elements of first array in sorted order.

Step 5: Read the size of second array.

Step 6: Read the elements of second array in sorted order.

Step 7: Repeat the steps 8 and 9 while
 $i < m \& j < n$.

Step 8: check if $a[i] \geq b[j]$ then $c[k++] = b[j++]$

Step 9: else $c[k++] = a[i++]$

Step 10: Repeat step 11 while $i < m$.

Step 11: $c[k++] = a[i++]$

Step 12: Repeat step 13 while $i < m$

Step 13: $c[k++] = b[j++]$

Step 14: Print the first array

Step 15: Print second array

Step 16: Print merged array.

Step 17: End.

No:2

Date: 31/1/2021

Aim:- Singly linked Stack - push, pop, linear Search.

Step 1: Start

Step 2: Declare Variables, node.

Step 3: Declare functions for push, pop, search, display.

Step 4: Read the choice from user using switch

Steps: If the user choose to push an element,
then call the function push(), and read
the value to be pushed.

Step 5.1: Declare new node, allocate memory for new node.

Step 5.2: Set newnode \rightarrow Data = Value

Step 5.3: If top == null then Set newnode
 \rightarrow next = null.

Step 5.4: Set newnode \rightarrow next = top.

Step 5.5: Set top = newnode & print successful insertion.

Step 6: If user choose to pop an element, then
call pop()

Step 7: If top == Null, Print stack is empty

Step 6:2: Declare *temp, initialize temp=top.

Step 6:3: print element that being deleted

Set temp = temp->next.
free(temp).

Step 7: If selected choice is display -then call display().

Step 7:1: If (top==Null) print empty stack.

Step 7:2: else declare *temp, temp=top.

Step 7:3: Repeat steps below while (temp->next != null)

Step 7:4: print temp->data.

temp = temp->next.

Step 8: If selected choice is search, then call search().

Step 8:1: Declare *ptr, ptr=top.

Step 8:2: check if ptr=null -then print, empty stack

Step 8:3: else read the element to be searched.

Step 8:4: Repeat the steps 8:5 to 8:7.
while (ptr != Null)

Step 8:5: If (ptr->data == item)

Then print element found, flag = 1

Step 8.6: else set flag = 0.

Step 8.7: Increment i by 1 and set pte = pte->
next

Step 8.8: If flag = 0, print element not found.

Step 9: end.

No:3

Date: 7/1/2021

Aim: Circular Queue: Add, Delete, Search.

Step 1: Start

Step 2: Declare the functions for enqueue and dequeue, Search and display, Queues

Step 3: Read the choice from the user.

Step 4: If the user choose the choice enqueue,
then read the element to be inserted,
call the insert() function.

Step 4.1: Check if ($\text{front} == -1 \& \& \text{rear} == 1$)
then

Set $\text{front} = \text{rear} = 0$ and

Set $\text{Queue}[\text{rear}] = \text{element}$.

Step 4.2: else if ($\text{rear} + 1 \% \text{max} == \text{front}$

or $\text{front} == \text{rear} + 1$)

Print Queue is overflow.

Step 4.3: else Set $\text{rear} = \text{rear} + 1 \% \text{max}$ and

Set $\text{Queue}[\text{rear}] = \text{element}$.

Step 5: If the user choice is deque -then call
delede()

Step 5.1: If ($\text{front} == 1 \& \& \text{rear} == -1$), Print

Queue is under-flow.

Step 5.2: else check if $\text{front} == \text{rear}$ then
print -the element is to be dele-
ted then set $\text{front} = -1$, $\text{rear} = -1$

Step 5.3: Else print element to be dequeued
Set $\text{front} = \text{front} + 1$ to max.

Step 6: If choice is display then call display()

Step 6.1: check if $\text{front} = -1$ and $\text{rear} = -1$ then.
print Queue is empty.

Step 6.2: else repeat step 6.3 while $i < \text{rear}$.

Step 6.3 : print Queue[i] and set $i = i + 1$ to max.

Step 7: If the choice is search then call search()

Step 7.1: Read -the element to be searched.

Step 7.2: If $\text{item} = \text{Queue}[i]$ then print item found
and its position, $i++$

Step 7.3: If $c == 0$ print item not found.

Step 8: End.

Aim:- Doubly linked list - Insertion, Deletion, Search.

Step1: Start .

Step2: Declare Structure .

Step3: Define functions to create a node, insert a node in begining, at the end, given position, display, search.

Step4: Define function to create a node, declare the required variables .

Step4.1: Set memory allocated to the node = temp .
Then set temp \rightarrow prev = null and temp \rightarrow next = null

Step4.2: Read the value to be inserted to the node

Step4.3: Set temp \rightarrow n = data and increment count by 1 .

Step4.4: Read the choice from the user .

Step5: If choice is insertion then call insertion operation at the begining then call the corresponding function .

Step6.1: Check if head == null Then call the function to create a node . Step 4 to 4.3

Step 6.2: Set head = temp & temp1 = head.

Step 6.3: Set \head != 1 else call -the function to
create a node. Perform step 4 to 4.3
-Then set temp->next = head, set
head->prev = temp and
head = temp.

Step 7: If the choice is insertion at the end.
Call -the function.

Step 7.1: If head == null -Then call function to
Create a newnode, set temp = head and
head = temp1.

Step 7.2: else call the function to create a
new node then set temp1->next
=temp.
temp->prev = temp1 and temp1 = temp.

Step 8: If the user choose to perform insertion
at any position -Then call -the corresponding
function.

Step 8.1: Declare the necessary variables.

Step 8.2: Read the position, element of -the node
to be inserted, Set tempa = head

Step 8.3: If pos < 1 or pos > count + 1 then print out of

Range.

Step 8.4: If $\text{head} == \text{null}$, $\text{pos} = 1$ then print "cannot insert other than 1st position.

Step 8.5: If $\text{head} == \text{null}$ and $\text{pos} = 1$ then call the function to create new node, set
 $\text{temp} = \text{head}$, and $\text{head} = \text{temp}$.

Step 8.6: While $\text{pos} \leq i < \text{pos}$. Then set
 $\text{temp}_2 = \text{temp}_2 \rightarrow \text{next}$.

Step 8.7: Call the function to create new node.
Then set $\text{temp} \rightarrow \text{prev} = \text{temp}$.
 $\text{temp} \rightarrow \text{next} = \text{temp}_2 \rightarrow \text{next} \rightarrow$
 $\text{prev} = \text{temp}$.
 $\text{temp}_2 \rightarrow \text{next} = \text{temp}$.

Step 9: If the user choose to perform deletion operation. Then call the function for deletion.

Step 9.1: Define the Variables.

Step 9.2: Read the position where the node need to be deleted set $\text{temp} = \text{head}$.

Step 9.3: If $\text{pos} < 1$ or $\text{pos} > \text{count} + 1$ - then ring out of range

Step 9.4: If $\text{head} == \text{null}$ print empty

Step 9.5 : While $i < pos$ - Then $\cdot temp_2 = \cdot temp_2 \rightarrow next$
and increment i by 1.

Step 9.6 : If ($i = -1$) - Then check. If ($\cdot temp_2 \rightarrow next$
 $= = Null$) then print node deleted.
 $free(\cdot temp_2)$. Set $\cdot temp_2 = head = null$.

Step 9.7 : If ($\cdot temp_2 \rightarrow next == null$) - Then
 $\cdot temp_2 \rightarrow prev \rightarrow next = null$.
 $free(\cdot temp_2)$. print deleted.

Step 9.8 : $\cdot temp_2 \rightarrow next \leftarrow \cdot prev = \cdot temp_2 \rightarrow prev$
Then check if $i = 1$ - Then.
 $\cdot temp_2 \rightarrow prev \rightarrow next = \cdot temp_2 \rightarrow next$

Step 9.9 : If $i \neq 1$ - Then $head = \cdot temp \rightarrow next$ - Then.
Print node deleted. $free(\cdot temp)$.

Step 10 : If the user chose display.

Step 10.1 : Set $\cdot temp_2 = head$.

Step 10.2 : check if $\cdot temp_2 = null$ - Then $\cdot temp_2 \rightarrow next$ - Then
is empty.

Step 10.3 : While $\cdot temp_2 \rightarrow next == null$ - Then print.
If $\cdot temp_2 \rightarrow n$ - Then
 $\cdot temp_2 \rightarrow \cdot temp_2 \rightarrow next$.

Step 11 : If the user chose search .

Step 11.1 : Declare the necessary Variables.

Step 11.2 : Set $\cdot temp_2 = head$.

the first place it may be well to speak of
changes that the value of the dollar
will undergo (approximately) during
the next few years.
First change will be due to
changes the foreign exchange market
will undergo.
Second change will result from
changes in

Aim: Set operations (Union, Intersection and difference)
Using bitstring

Step1: Start.

Step2: Declare the necessary variables.

Step3: Read the choice from the user.

Step4: IF the user chose to perform union.

Step4.1: Read the cardinality of two sets.

Step4.2: check if $m_1 = n$ print cannot perform union

Step4.3: else read the elements in both the sets.

Step4.4: Repeat the steps 4.5 to 4.7 until $i < m$.

Step4.5: $C[i] = A[i] \cup B[i]$

Step4.6: increment i .

Step4.7: print

Step5: If the user wants to perform intersection.

Step5.1: Read the cardinality of two sets.

Step5.2: If $m_1 \neq n$. print cannot perform intersection.

Step5.3: else read the elements

Step5.4: Repeat steps 5.5 to 5.7 until $i < m$

Step5.5: $C[i] = A[i] \cap B[i]$.

Step5.6: increment i

Step5.7: Print [i].

Step6: If the user choose to perform difference operation

Step6.1: Read the cardinality.

Step6.2: If ($m \neq n$) Print cannot perform difference operation.

Step6.3: else read the elements

Step6.4: Repeat the steps 6.5 to 6.8 until $i < n$.

Step6.5: If $A[i] == 0$ then $C[i] = 0$.

Step6.6 else if $B[i] == 1$ then $C[i] = 0$.

Step6.7 else if $C[i] = 1$.

Step6.8 increment i .

Step7: Repeat the steps 7.1, 7.2 until $i < m$.

Step7.1: print $C[i]$

Step7.2: $i++$.

Step8: Stop.

Aims: Binary Search Trees - Insertion, Deletion, Search

Step 1: Start.

Step 2: Declare a structure and structure pointers functions for.

Step 3: Declare a pointer as root and also the required variables

Step 4: Read the choice from the user.

Step 5: If the user chose to perform insertion operation then read the value which is to be inserted.

Step 5.1 Pass the value to the insert pointer and also the root.

Step 5.2: If $\& \text{root} = \text{NULL}$ then allocate memory for the root

Step 5.3: Set the value to the info part of the root and then set left and right part of the root to null and return root.

Step 5.4: If $\text{root} \rightarrow \text{info} > \text{x}$ then call the insert pointer to insert to left of the root.

Step 5.5: If $\text{root} \rightarrow \text{info} < \text{x}$, then call insert() to the right of root.

Step 5.6: Return root.

Step 6: If the user choose to perform deletion operation. Then read element to be deleted, pass the root and item to delete.

Step 6.1: check if not ptr . Then print node not found.

Step 6.2: else if $\text{ptr} \rightarrow \text{info} < x$. call delete() at the right

Step 6.3 elseif $\text{ptr} \rightarrow \text{info} > x$. Then call delete() at the left.

Step 6.4: If $\text{ptr} \rightarrow \text{info} == \text{item}$. Then
 $\text{ptr} \rightarrow \text{left} == \text{ptr} \rightarrow \text{right}$.
Free (ptr)
return Null.

Step 6.5: elseif $\text{ptr} \rightarrow \text{left} == \text{null}$ Then set

$P_1 = \text{ptr} \rightarrow \text{right}$ and Free (ptr)
return (P_1)

Step 6.6: else if $\text{ptr} \rightarrow \text{right} == \text{null}$.
 $P_1 = \text{ptr} \rightarrow \text{left}$.

Free (ptr), return (P_1)

Step 6.7: else set $P_1 = \text{ptr} \rightarrow \text{right}$ and $\text{ptr} = \text{ptr} \rightarrow \text{right}$.

Step 6.8: while ($\text{ptr} \rightarrow \text{left} != \text{null}$),

white

Set $p_1 \rightarrow \text{left} \Rightarrow p_2 \rightarrow \text{left}$.

and free p_2 , return p_1 .

Step 6.9 : return p_1 .

Step 7 : If the user choose search operation.

Step 7.1 : Declare the pointers and variables.

Step 7.2 : Read the element to be searched.

Step 7.3 : While p_2 check if $\text{item} > p_2 \rightarrow \text{info}$
then $p_2 = p_2 \rightarrow \text{right}$.

Step 7.4 : else if $\text{item} < p_2 \rightarrow \text{info}$ then $p_2 =$
 $p_2 \rightarrow \text{left}$.

Step 7.5 : else break.

Step 7.6 : check if p_2 then point that the element
is found.

Step 7.7 : Else point element not found in tree
and return false.

Step 8 : If the user choose to perform traversal.

Step 8.1 : If root not equals to null, recursively
call the functions by passing $\text{root} \rightarrow \text{left}$

Step 8.2 point $\text{root} \rightarrow \text{info}$.

Step 8.3: call the traversal function recursively
by passing $x_{root} \rightarrow \text{right}$

Step 9: stop

Aim:- Disjoint sets and the associated operations
(Create, Union, find).

Step 1: Start.

Step 2: Declare the structure and related standard variable

Step 3: Declare a function makeset()

Step 3.1: Repeat step 3.2-10 3.4 until i < n.

Step 3.2: dis.parent[i] is set to i

Step 3.3: Set dis.rank[i] is equal to 0.

Step 3.4: Increment i by 1.

Step 4: Declare a function display set.

Step 4.1: Repeat step 4.2 and 4.3 until i < n.

Step 4.2: Print dis.parent[i]

Step 4.3: Increment i by 1.

Step 4.4: Repeat step 4.5 and 4.6 until i < n

Step 4.5: Print dis.rank[i].

Step 4.6: Increment i by 1.

Steps: Declare a function find and pass x to the function

Steps.1: Check if dis.parent[n] != x - then set

- the return value to dis.parent[n]

Step 6: Declare a function union and pass two variables x and y.

Step 6.1: Set x set to find(x).

Step 6.2: Set y set to find(y)

Step 6.3: Check if xset == yset then return

Step 6.4: Check if dis.rank[xset] < dis.rank[yset] then

Step 6.5 Set yset = dis.parent[yset]

Step 6.6: Set -1 to dis.rank[xset]

Step 6.7: Else if check dis.rank[xset] > dis.rank[yset]

Step 6.8: Set x set to dis.parent[yset]

Step 6.9: Set -1 to dis.rank[yset]

Step 6.10: Else dis.parent[yset] = xset

Step 6.11: Set dis.rank[xset] + 1 to dis.rank[yset]

Step 6.12: Set -1 to dis.rank[yset]

Step 7: Read the number of elements .

Step 8: Call the function makeset()

Step 9: Read the choice from user.

- Step 10: If the choice is union, then read
the elements to perform union, if it
is find operation, read Read the elem
ents to check if they are connected.
- Step 11.1 Check if $\text{find}(k) == \text{find}(y)$ Then print
connected component.
- Step 11.2 Else print not connected
- Step 12: If user choose display then call
display().
- Step 13: Stop.