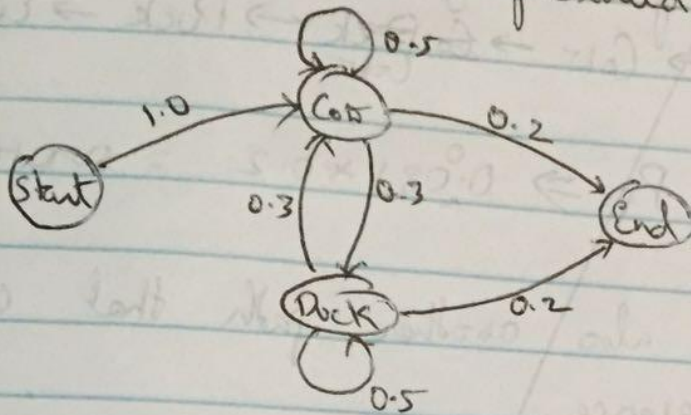


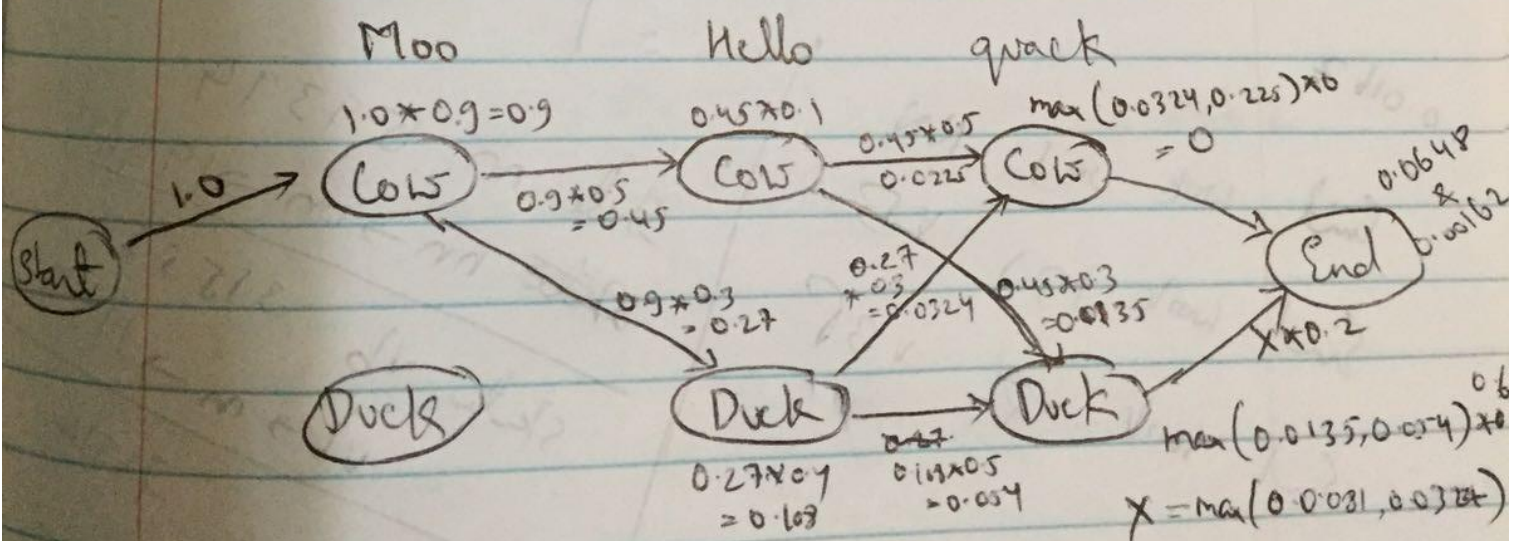
NLP - Assignment 2

i) The states can be represented as



Cow emits 'moo' (with 0.9 probability) or
'hello' (with 0.1 probability)
Duck emits 'quack' (0.6 probability) or
'hello' (0.4 probability)

Using viterbi algorithm, the states can be as follows.



Looking at the diagram, the path that emits maximum probability is

Start \rightarrow Cow \rightarrow Duck \rightarrow Duck \rightarrow End

$$P_1 = 0.0324 \times 0.2 = 0.00648$$

b) There is another path that can emit the same sequence

Start \rightarrow Cow \rightarrow Cow \rightarrow Duck \rightarrow End

$$P_2 = 0.0081 \times 0.2 = 0.00162$$

Total probability of emitting this sentence is

$$P_1 + P_2 = 0.00648 + 0.00162$$

$$= 0.0081$$

2) Correct Sentence

I want to work

I : PRP

want : VBP

to : TO

work : VB

Incorrect Sentence

Engineers work day and night.

Engineers : NNS

work : VBP NN

day : NN

and : CC

night : NN

Here 'work' should have been 'verb'.

~~Let's look at this~~

The ^{relat} probability that ~~the~~ ^{the} ~~layer~~ ^{layer} tagged it ~~was~~ ^{is} wrong is.

Relative probability that is of correct tagged and wrong tagged.

$$\frac{P(\text{Wrong tagged})}{P(\text{Correct tagged})} = \frac{P(\text{Work as NN}) \times P(\text{NN|NNS}) \times P(\text{NN|NN})}{P(\text{Work as VB}) \times P(\text{VB|NNS}) \times P(\text{NN|VB})}$$

previous slide

From corpus,

$$(1) \quad P(\text{Work as NN}) = \frac{301}{458} = 0.657$$

$$(2) \quad P(\text{Work as } \overset{\text{VB}}{\text{verb}}) = \frac{131}{458} = 0.286$$

$$(3) \quad \begin{aligned} \text{state NN} &= 159394 \\ \text{NN} \rightarrow \text{NN} &= 19463 \\ \Rightarrow P(\text{NN|NN}) &= \frac{19463}{159394} = 0.122 \end{aligned}$$

$$(4) \quad \begin{aligned} \text{state VB} &= 31555 \\ \text{VB} \rightarrow \text{NN} &= 1957 \\ P(\text{NN|VB}) &= \frac{1957}{31555} = 0.062 \end{aligned}$$

$$\textcircled{5} \text{ state } NNS = 71914$$

$$NNS \rightarrow VB = 285$$

$$P(VB|NNS) = \frac{285}{71914} = 0.003963$$

$$NNS \rightarrow NN = 1517$$

$$P(NN|NNS) = \frac{1517}{71914} = 0.02109$$

Note that, in relative probability, we are interested in terms that differ in values.

$$\frac{P(\text{Wrong tagged})}{P(\text{Correct tagged})} = \frac{0.657 * 0.02109 * 0.122}{0.286 * 0.003963 * 0.062}$$

$$= \frac{0.00169}{0.0000702}$$

Note that $P(\text{Wrong tagged})$ has higher value compared to $P(\text{Correct tagged})$. That is why the tagger tagged it wrong.