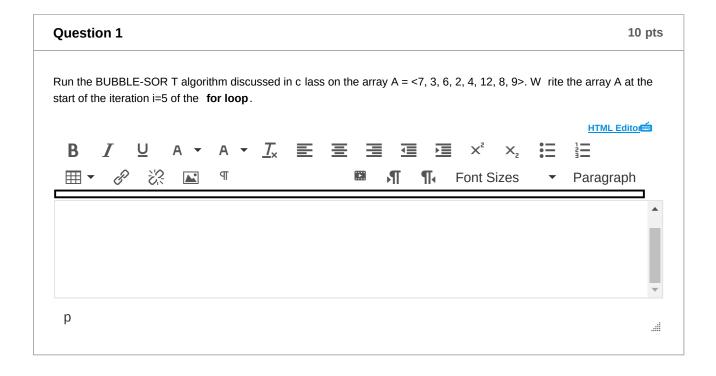
1/28/2017 Quiz: Quiz 1

## Quiz 1

Started: Jan 28 at 11:07am

## **Quiz Instructions**



Question 2	10 pts
Consider the BUBBLE-SOR T algorithm that we d iscussed in class. Which of the following is the correct <b>for the for loop</b> in line 3?	oop invariant
At the start of each iteration j of the for loop (line 3), A[j] has the smallest value in A[1j].	
At the start of each iteration j of the for loop (line 3), A[j] has the smallest value in A[1n].	
At the start of each iteration j of the for loop (line 3), A[j] has the smallest value in A[jn].	
At the start of each iteration j of the for loop (line 3), A[j] has the smallest value in A[1j+1].	
At the start of each iteration j of the for loop (line 3), A[j] has the smallest value in A[j+1n].	

Question 3 10 pts

What is the running time for the pseudocode below? Express the running time using  $\Theta$  - notation as a function of n.

for i = 1 to n

Question 4 10 pts

Select all the statements below which are TRUE:

$$\square \ 5n + 100 = \omega \left( n \right)$$

$$\square \left(\frac{1}{2}\right)^n = \Omega\left(n\right)$$

$$\square 2n^3 + n - 100 = \Theta(n)$$

$$^{\square} n^2 \lg^2 n + n + \left(\frac{1}{2}\right)^n = o\left(n^3\right)$$

$$\square n^3 - n - 500 = \Omega \left( n^2 \right)$$

$$\square \ n^3 - 100 = O\left(n^3\right)$$

1/28/2017 Quiz: Quiz 1

Question 5 10 pts

What is the  $\Theta$  - notation for the expression below? Select the correct answer  $\;\;$  .

$$\left(\frac{1}{3}\right)^n + n^3 \lg n + 3^n + 729^{\log_3 n}$$

- $\bigcirc$   $\Theta$   $(729^{\log_3 n})$
- $\Theta\left(n^3 \lg n\right)$
- $\bigcirc$   $\Theta$   $(3^n)$
- $^{\circ}$   $\Theta\left(\left(\frac{1}{3}\right)^n\right)$

Question 6 10 pts

Find  $\Theta$  - notation for the expression:

$$\left(1^3 + 2^3 + \ldots + n^3\right) + n^3 \lg n + \left(\frac{1}{3}\right)^n + 729^{\log_3 n}$$

B  $I \cup A + A + \underline{I}_{x} \equiv \exists \exists \exists x^{2} \times^{2} \times_{2} \vdots \equiv \frac{1}{2}$ 





р

10 pts

.....

Arrange the following functions in ascending order of growth rate. That is, if function g(n) immediately follows function f(n) in your list, then it should be the case that f(n) = O(g(n)).

$$f_1(n) = 729^{\log_3 n}$$

$$f_2(n) = n!$$

$$f_3(n) = n^5 \sqrt{n}$$

$$f_4(n) = 5^n$$

$$f_5(n) = n^5 \lg n$$

$$f_6(n) = \left(\frac{1}{5}\right)^n$$

B  $I \cup A + A + \underline{I}_{\times} \sqsubseteq \Xi \equiv \Xi \cup \Xi \times^{2} \times_{2} \stackrel{!}{\sqsubseteq} \stackrel{!}{\sqsubseteq}$ 

III ▼ Paragraph III Font Sizes ▼ Paragraph

р

......

**Question 8** 

10 pts

Use formal definitions to show that:

$$3n^3 - 7n + 500 = O\left(n^4\right)$$

$$3n^3 - 2n + 10 = \omega (n^2)$$

Show your work, similar to the examples from the notes.

Upload a file with your solution.

Upload

Choose a File

**Question 9** 

10 pts

1. Solve the following recurrence using **backward substitution:** 

$$T(n)=2T(n-1)+3$$
 for  $n>1$ ,  $T(1)=4$ .

Show your work similar to the example from the notes. You do not need to prove the correctness.

2. Solve the following recurrence using the **change of variable** method:

$$T\left(n\right)=T\left(\sqrt[4]{n^3}\right)+5$$
 . Use the change of variable  $\,$  m=lg(n).

Upload

Choose a File

Question 10 pts

A king stands on the upper left square of the chessboard. T wo players make turns moving the king either one square to the right or one square downward or one square along a diagonal in the southeast direction. The player who can place the king on the lower right square of the chessboard wins. Who will win? Describe the winning strategy .



Upload

Choose a File

Quiz saved at 11:08am

Submit Quiz