# **Q5 - Naive Bayes and Decision Trees**

### Import the libraries

```
from sklearn.naive_bayes import MultinomialNB
from IPython.display import SVG
from id3 import export_graphviz
from id3 import Id3Estimator
from sklearn import tree

import matplotlib.pyplot as plt
import numpy as np
import graphviz
import os
matplotlib inline
```

#### Load the data

```
1
    def data and headers(filename):
 2
        data = None
 3
        with open(filename) as fp:
4
            data = [x.strip().split(',') for x in fp.readlines()]
5
        headers = data[0]
        headers = np.asarray(headers)
 6
7
        class field = len(headers) - 1
8
        data_x = [[x[i] for i in range(class_field)] for x in data[1:]]
9
        data x = np.asarray(data x)
10
        data_y = [[x[i] for i in range(class_field, class_field + 1)] for x in
    data[1:]]
11
        data y = np.asarray(data y)
        return headers, data_x, data_y
```

```
headers, X, Y = data_and_headers('Data' + os.sep + 'hw2q5.csv')
indexes=[int(x) for x in list(X[:,0])]
X=X[:,1:]
```

## (A) K-Fold Splits

```
1
   def createfolds(indexes):
2
       folds = {i:{'train':[], 'test':[]} for i in range(1,6)}
3
       for i in range(len(indexes)):
4
           for j in range(1,6):
               if indexes[i] % 5 == j-1:
                    folds[j]['test'].append(i)
6
7
               else:
                    folds[j]['train'].append(i)
8
9
       return folds
```

```
folds = createfolds(indexes)
```

### **Naive Bayes**

```
1  X = X.tolist()
2  Y = np.ravel(Y).tolist()
3  d1={'presbyopic':2, 'pre-presbyopic':1, 'young':0, 'myope':0,
    'hypermetrope':1, 'no':0, 'yes':1, 'normal':1, 'reduced':0}
4  d2={'Yes':1, 'No':0}
5  X = [[d1[X[i][j]] for j in range(len(X[0]))] for i in range(len(X))]
6  X = np.asarray(X)
7  Y = [d2[Y[i]] for i in range(len(Y))]
8  Y = np.asarray(Y)
```

```
cnt = 0
    subheaders = headers[1:-1]
 2
 3
    for i in sorted(folds.keys()):
 4
        print('Fold '+str(i))
5
        nb = MultinomialNB(alpha=1)
 6
        nb=nb.fit(X[folds[i]['train'],:],Y[folds[i]['train']])
7
        ypred=nb.predict(X[folds[i]['test'],:])
 8
        print('\tTest IID -\t' + ', '.join([str(x) for x in
    np.asarray(indexes)[folds[i]['test']]]))
        print('\tActual -\t'+', '.join(['Yes' if x==1 else 'No' for x in
9
    Y[folds[i]['test']]]))
10
        print('\tPredict -\t' + ', '.join(['Yes' if x==1 else 'No' for x in
    ypred]))
11
        for j in range(len(ypred)):
            if ypred[j]!=Y[folds[i]['test']][j]:
12
13
                cnt+=1
14
        print('\tProbabilities - ')
        dt={0:'Yes', 1:'No'}
15
        for i in range(len(nb.feature_log_prob_)):
16
```

```
Fold 1
 1
        Test IID - 5, 10, 15, 20
 2
        Actual -
                     No, Yes, No, Yes
 3
        Predict - No, No, No, No
 4
 5
        Probabilities -
            P(patient age | Class=Yes) = 0.472
 6
 7
            P(spectacle prescription | Class=Yes) = 0.194
            P(astigmatic | Class=Yes) = 0.222
 8
            P(tear production rate | Class=Yes) = 0.111
9
10
            P(patient age | Class=No) = 0.227
            P(spectacle prescription | Class=No) = 0.227
11
12
            P(astigmatic | Class=No) = 0.182
            P(tear production rate | Class=No) = 0.364
13
14
    Fold 2
15
        Test IID - 1, 6, 11, 16, 21
16
        Actual - No, Yes, No, No, No
                    No, Yes, No, Yes, No
17
        Predict -
        Probabilities -
18
            P(patient age | Class=Yes) = 0.452
19
20
            P(spectacle prescription | Class=Yes) = 0.226
            P(astigmatic | Class=Yes) = 0.226
21
            P(tear production rate | Class=Yes) = 0.097
22
            P(patient age | Class=No) = 0.308
23
            P(spectacle prescription | Class=No) = 0.154
24
25
            P(astigmatic | Class=No) = 0.192
26
            P(tear production rate | Class=No) = 0.346
27
    Fold 3
28
        Test IID - 2, 7, 12, 17, 22
                     Yes, No, Yes, No, Yes
29
        Actual -
        Predict - Yes, No, No, No, No
30
        Probabilities -
31
32
            P(patient age | Class=Yes) = 0.444
33
            P(spectacle prescription | Class=Yes) = 0.222
            P(astigmatic | Class=Yes) = 0.222
34
35
            P(tear production rate | Class=Yes) = 0.111
            P(patient age | Class=No) = 0.250
36
37
            P(spectacle prescription | Class=No) = 0.200
38
            P(astigmatic | Class=No) = 0.200
39
            P(tear production rate | Class=No) = 0.350
40
    Fold 4
```

```
41
        Test IID - 3, 8, 13, 18, 23
42
        Actual -
                    No, Yes, No, No, No
        Predict - No, Yes, No, Yes, No
43
44
        Probabilities -
45
            P(patient age Class=Yes) = 0.433
            P(spectacle prescription | Class=Yes) = 0.233
46
            P(astigmatic | Class=Yes) = 0.233
47
            P(tear production rate | Class=Yes) = 0.100
48
49
            P(patient age Class=No) = 0.320
            P(spectacle prescription | Class=No) = 0.160
50
            P(astigmatic | Class=No) = 0.160
51
            P(tear production rate | Class=No) = 0.360
52
53
    Fold 5
54
        Test IID - 4, 9, 14, 19, 24
                    Yes, No, Yes, No, No
55
        Actual -
        Predict -
56
                    Yes, No, Yes, No, No
57
        Probabilities -
            P(patient age | Class=Yes) = 0.419
58
59
            P(spectacle prescription | Class=Yes) = 0.258
            P(astigmatic | Class=Yes) = 0.226
60
            P(tear production rate | Class=Yes) = 0.097
61
62
            P(patient age Class=No) = 0.304
            P(spectacle prescription | Class=No) = 0.174
63
            P(astigmatic | Class=No) = 0.174
64
            P(tear production rate | Class=No) = 0.348
65
66
    Naive-Bayes 5-fold CV accuracy - 75.0%
```

### **Decision Tree**

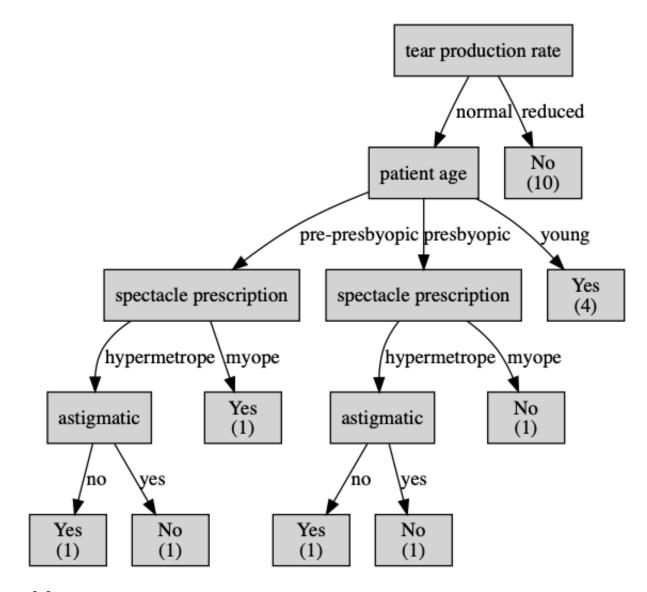
```
headers, X, Y = data_and_headers('Data' + os.sep + 'hw2q5.csv')
indexes=[int(x) for x in list(X[:,0])]
X=X[:,1:]
```

```
1
  cnt = 0
   subheaders = headers[1:-1]
2
   for i in sorted(folds.keys()):
3
       print('Fold '+str(i))
4
5
       #dt = tree.DecisionTreeClassifier(criterion='entropy',
   splitter='best')
6
       dt = Id3Estimator(gain_ratio=True)
7
       dt = dt.fit(X[folds[i]['train'],:],Y[folds[i]['train']])
8
       ypred=dt.predict(X[folds[i]['test'],:])
```

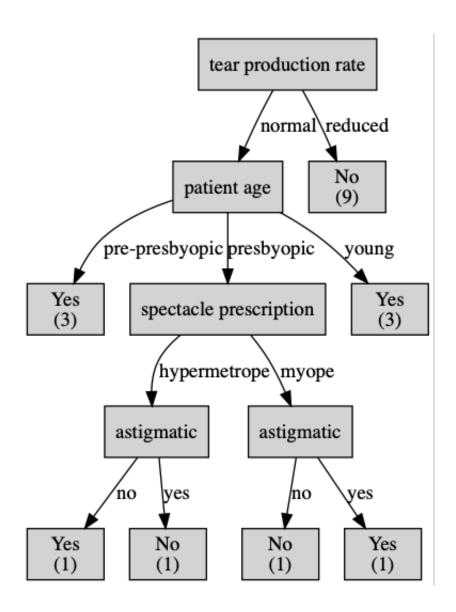
```
print('\tTest IID -\t' + ', '.join([str(x) for x in
9
    np.asarray(indexes)[folds[i]['test']]]))
        print('\tActual -\t'+', '.join(np.ravel(Y[folds[i]['test']])))
10
11
        print('\tPredict -\t' + ', '.join(ypred))
12
          print('\tActual -\t'+', '.join(['Yes' if x==1 else 'No' for x in
    Y[folds[i]['test']]]))
          print('\tPredict -\t' + ', '.join(['Yes' if x==1 else 'No' for x in
13
    ypred]))
14
        for j in range(len(ypred)):
            if ypred[j]!=Y[folds[i]['test']][j]:
                cnt+=1
16
17
        dot_data = export_graphviz(dt.tree_,
    'fold'+str(i)+'.dot',feature_names = subheaders)
print('\nDecision Tree 5-fold CV accuracy - '+ str((24-cnt)*100/24) + '%')
```

```
1
    Fold 1
 2
        Test IID - 5, 10, 15, 20
       Actual - No, Yes, No, Yes
 3
       Predict - No, Yes, No, No
 4
   Fold 2
 5
 6
       Test IID - 1, 6, 11, 16, 21
       Actual - No, Yes, No, No, No
 7
       Predict - No, Yes, No, Yes, No
 8
 9
   Fold 3
10
        Test IID - 2, 7, 12, 17, 22
       Actual - Yes, No, Yes, No, Yes
11
       Predict - Yes, No, No, No, No
12
13
   Fold 4
14
        Test IID - 3, 8, 13, 18, 23
15
       Actual - No, Yes, No, No, No
       Predict - No, No, No, Yes, No
16
17
   Fold 5
18
        Test IID - 4, 9, 14, 19, 24
       Actual - Yes, No, Yes, No, No
19
        Predict - Yes, No, No, No, Yes
20
21
    Decision Tree 5-fold CV accuracy - 66.66666666666667%
```

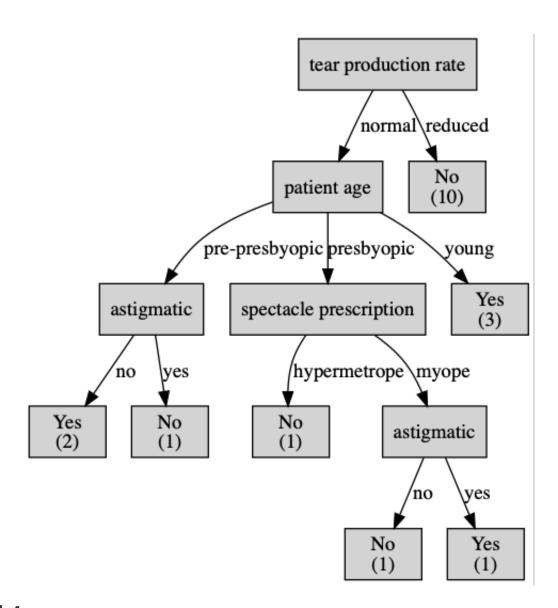
#### Fold 1



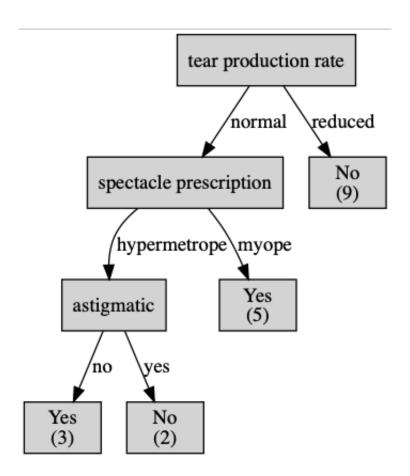
Fold 2



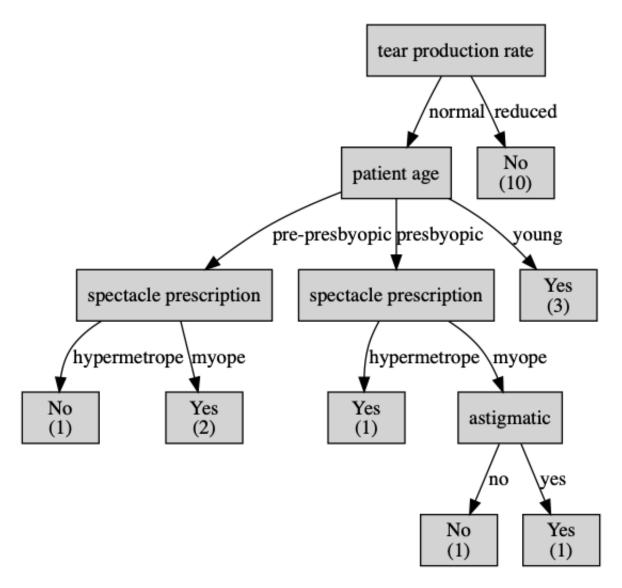
Fold 3



Fold 4



Fold 5



### **(B) Choosing Model**

Based on the above 5-fold CV accuracy, it seems that Naive Bayes is the better model for this dataset.

### **Naive Bayes for Full Data**

```
1  X = X.tolist()
2  Y = np.ravel(Y).tolist()
3  d1={'presbyopic':2, 'pre-presbyopic':1, 'young':0, 'myope':0,
    'hypermetrope':1, 'no':0, 'yes':1, 'normal':1, 'reduced':0}
4  d2={'Yes':1, 'No':0}
5  X = [[d1[X[i][j]] for j in range(len(X[0]))] for i in range(len(X))]
6  X = np.asarray(X)
7  Y = [d2[Y[i]] for i in range(len(Y))]
8  Y = np.asarray(Y)
```

```
nb = MultinomialNB(alpha=1)
nb=nb.fit(X,Y)
print('Final Model for Naive Bayes')
print('Probabilities - ')

td={0:'Yes', 1:'No'}
for i in range(len(nb.feature_log_prob_)):
    for j in range(len(subheaders)):
    print('\tP({}|Class={}) = {:.3f}'.format(subheaders[j], dt[i],
    np.exp(nb.feature_log_prob_)[i][j]))
```

#### **Model Details -**

```
1
    Final Model for Naive Bayes
2
   Probabilities -
        P(patient age | Class=Yes) = 0.450
3
        P(spectacle prescription | Class=Yes) = 0.225
 4
        P(astigmatic | Class=Yes) = 0.225
 5
        P(tear production rate | Class=Yes) = 0.100
 6
        P(patient age | Class=No) = 0.286
7
 8
        P(spectacle prescription | Class=No) = 0.179
        P(astigmatic | Class=No) = 0.179
 9
10
        P(tear production rate | Class=No) = 0.357
```