

## + Pattern Printing.

### How To Approach :-

i) Count the total no. of lines.

Total no. of lines = Total no. of rows.

Total no. of rows = Total no. of times outer loop will run.

ii) Identify what is happening in each row.

iii) How many columns are there

iv) Types of elements in columns (e.g.: Star, number, space, Alphabet)

v) Try to find the formula relating rows & column.

### 1) Square Pattern

```
* * * * ← Row 0
* * * * ← Row 1
* * * * ← Row 2
* * * * ← Row 3
col 0 1 2 3
```

### 2) Rectangle Pattern

```
* * * * * → R0
* * * * * → R1
* * * * * → R2
↓ ↓ ↓ ↓ ↓
col 0 1 2 3 4
```

### Observation :-

R0 → 4 Star

R1 → 4 "

R2 → 4 "

R3 → 4 "

Every row print 4 star

### Pseudocode :

```
for (i → 0 → 3)
```

```
    for (j → 0 → 4)
```

```
        cout << "*";
```

### Observation :

Every row has 5 star &

Total no. of rows = 3

### Pseudocode :

```
for (i = 0 → 3) {
```

```
    for (j = 0 → 5) {
```

```
        cout << "*";
```

```
    }
```

```
    cout << endl;
```

```
}
```

3)

### Hollow Rectangle

```
* * * * *
* - - -
* - - -
* * * * *
```

Total no. of rows = 4.

$R_0 = 5$  Star

$R_1 = 1$  Star 3 space 1 Star

$R_2 = 1$  " " "

$R_3 = 5$  Star.

### Half Pyramid

```
* → R0
* * → R1
* * * → R2
* * * *
```

Total no. of rows = 4

$R_0 \rightarrow 1$  Star

$R_1 \rightarrow 2$  "

$R_2 \rightarrow 3$  "

$R_3 \rightarrow 4$  "

In every row ( $row + 1$ ) Star point.

### Pseudocode :

```
for i=0; i<4; i++;  
    for j=0; j<5; j++;  
        if (i==0 || i==3 || j==0 || j==4)  
            print("*");  
        else  
            print(" ");  
    outer loop = 0 → i = 3  
    inner loop = 0 → row+1.  
    print " ";  
    print "*" ;
```

### Numeric Half Pyramid

```
1 → R0
1 2 → R1
```

1 2 3 → R2

1 2 3 4 → R3

1 2 3 4 5 → R4

Total no. of rows ( $n$ ) = 5

$R_0 = 1$  number = ( $row + 1$ )

$R_1 = 2$  " = "

$R_2 = 3$  " = "

$R_3 = 4$  " = "

$R_4 = 5$  " = "

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### Inverted Half Pyramid

\* \* \* \* → R0

\* \* \* → R1

\* \* → R2

\* → R3

Total no. of rows = 4. =  $n$ .

$R_0 = 4$  Star

$R_1 = 3$  Star

$R_2 = 2$  "

$R_3 = 1$  "

In every row

( $n - row$ ) Star

Point.

Outer loop =  $0 \rightarrow n(4)$

Inner loop =  $0 \rightarrow (n - row)$

Print ("\*");

Outer loop =  $0 \rightarrow 5(n)$

Inner loop =  $0 \rightarrow row + 1$

Print = col + 1

## 7) Inverted Numeric Half Pyramid

$$1 \ 2 \ 3 \ 4 \ 5 \rightarrow R_0$$

$$1 \ 2 \ 3 \ 4 \rightarrow R_1$$

$$1 \ 2 \ 3 \rightarrow R_2$$

$$1 \ 2 \rightarrow R_3$$

$$1 \rightarrow R_4$$

## 8) Full Pyramid

$$- - - * \rightarrow R_0$$

$$- - - * \ * \rightarrow R_1$$

$$- - * \ * \ * \rightarrow R_2$$

$$- * \ * \ * \ * \rightarrow R_3$$

$$* \ * \ * \ * \ * \rightarrow R_4$$
Total no. of rows ( $n$ ) = 5 $R_0 = 5$  num (n-row) $R_1 = 4$  num ("") $R_2 = 3$  " ("") $R_3 = 2$  " ("") $R_4 = 1$  " ("")Total no. of rows ( $n$ ) = 5 $R_0 = 4$  space + star $R_1 = 3$  " 2 " $R_2 = 2$  " 3 " $R_3 = 1$  " 4 " $R_4 = 0$  " 5 "

(n-row-1) (row+1)

Space Star

Outerloop = 0 → 5

Innerloop = 0 → (n-row)

Point = col+1

Outerloop = 0 → n

Innerloop 1 = 0 → n-row-1

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\* \* \* \* R<sub>0</sub> \* \* \* \*

Point (" ")

-\* \* \* R<sub>1</sub> -\* \* \*

Innerloop 2 = 0 → row+1

--\* \* R<sub>2</sub> --\* \*

Point ("\*").

---\* R<sub>3</sub> ---\*

Inverted full pyramid.

Total no. of rows ( $n$ ) = 4 $R_0 = 0$  space 4 star $R_1 = 1$  " 3 "

Outerloop = 0 → n

 $R_2 = 2$  " 2 "

Innerloop 1 = 0 → row

 $R_3 = 3$  " 1 "

Point (" ")

 $\underbrace{\text{no. of row}}_{\text{Space}}$      $\underbrace{n-\text{row}}_{\text{Star}}$ 

Innerloop 2 = 0 → n-row

Point ("\*")

# Basics of Programming - Level 2

## Pattern continues.

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### Diamond Pattern

<del>- - - *</del>	<del>R0</del>	Total no. of rows ( $n$ ) = 8
<del>- - * *</del>	<del>R1</del>	for upper half.
<del>- * * *</del>	<del>R2</del>	Total no. of rows ( $n$ ) = 4.
<del>* * * *</del>	<del>R3</del>	$R_0 = 3$ space, 1 star
<del>* * * *</del>	<del>R0</del>	$R_1 = 2$ " , 2 "
<del>- * * *</del>	<del>R1</del>	$R_2 = 1$ " , 3 "
<del>- - * *</del>	<del>R2</del>	$R_3 = 0$ " , 4 "
<del>- - - *</del>	<del>R3</del>	$(n - \text{row} - 1)$ Space $(\text{row} + 1)$ Star

### for lower half

$$\text{Total no. of rows } (n) = 4$$

$R_0 = 4$  star, 0 space

outerloop =  $0 \rightarrow n (4)$

$R_1 = 3$  " , 1 "

$\Rightarrow$  Innerloop1 =  $0 \rightarrow \text{no. of row}$

$R_2 = 2$  " , 2 "

print (" ")

$R_3 = 1$  " , 3 "

Innerloop2 =  $0 \rightarrow n - \text{row}$

print ("\*")

### for upper half

outerloop =  $0 \rightarrow n (4)$

Innerloop1 =  $0 \rightarrow n - \text{row} - 1$

print (" ")

Innerloop2 =  $0 \rightarrow \text{row} + 1$

print ("\*")

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### Hollow Pyramid

- - - *	R <sub>0</sub>	Total no. of rows (n) = 4.
- - * - *	R <sub>1</sub>	R <sub>0</sub> = 3 space, 1 star
- * - - - *	R <sub>2</sub>	R <sub>1</sub> = 2 " , 2 "
* - - - - *	R <sub>3</sub>	R <sub>2</sub> = 1 " , 2 " R <sub>3</sub> = 0 " , 2 "

∴ Here, we're printing star  
on 1st & last column of every row.  
(n-row-1) (row+1)

outerloop = 0 → n

Innerloop 1 = 0 → n-row-1 & print (" ")

Innerloop 2 = 0 → row + 1, if (col == 0 || col == row+1-1)

Print Star for 1st & last col → print ("\*")

Print Space betn 1st & last col → else, print (" ")

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### Inverted Hollow Pyramid

R <sub>0</sub> * - - - - *	Total no. of row (n) = 4.
----------------------------	---------------------------

R <sub>1</sub> - * - - - *	R <sub>0</sub> = 2 star, 5 space, 0 space (space)
R <sub>2</sub> - - * - *	R <sub>1</sub> = 2 " , 3 " , 1 " before
R <sub>3</sub> - - - *	R <sub>2</sub> = 2 " , 1 " , 2 " star) R <sub>3</sub> = 1 " , 0 " , 3 " no. of row (row)

∴ Here, for every row, print  
Star for 1st & last column

Outerloop = 0 → n

Innerloop 1 = 0 → row, print (" ") → space before star.

Innerloop 2 = 0 → n-row, if (col == 0 || col == n-row-1)

print ("\*")

else print (" ")

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### Inverted Hollow Pyramid

R<sub>0</sub> \* ---- \* R<sub>0</sub> = 0 space, 1 character ('\*' + space)

R<sub>1</sub> - \* --- \* R<sub>1</sub> = 1 " , 5 " ( " )

R<sub>2</sub> -- \* - \* R<sub>2</sub> = 2 " , 3 " ( " )

R<sub>3</sub> --- \* R<sub>3</sub> = 3 " , 1 " ( " )

Outerloop = 0 → n

Innerloop 1 = 0 → <sup>row</sup>.

Print (" ") + print space before star

Innerloop 2 = 0 → 2n - 2r - 1

if (col == 0 || col == n - row - 1)

Print ("\*")

↳ Last column of every row

else Print (" ")

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*	
* - *	
* - - - *	
* - - - - *	
* - - - - - *	

Upper Half

⇒ Hollow Pyramid

↳ use the code of Hollow Pyramid

1	R <sub>0</sub>
2 * 2	R <sub>1</sub>
3 * 3 * 3	R <sub>2</sub>
4 * 4 * 4 * 4	R <sub>3</sub>
c <sub>0</sub> c <sub>1</sub> c <sub>2</sub> c <sub>3</sub> c <sub>4</sub> c <sub>5</sub> c <sub>6</sub>	

Total no. of rows (n) = 4

R<sub>0</sub> = 1 character (2r+1)

R<sub>1</sub> = 3 " ( " )

R<sub>2</sub> = 5 " ( " )

R<sub>3</sub> = 7 " ( " )

Odd column = '\*' → print

Even " = 'row+r' → print

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Outerloop =  $0 \rightarrow n$

Innerloop =  $0 \rightarrow 2n+1$

```
if (col % 2 == 1) print (*);  
else print (row+1);
```

SOL NO. 1

Outerloop =  $0 \rightarrow n$

Innerloop =  $0 \rightarrow \underline{\text{row+1}} \rightarrow$  Total no. of col

if (col == row+1-1)  $\rightarrow$  Last column of every row.

```
print (row+1)  
else print (row+1)  $\neq$  (*)
```

SOL

NO. 2

### 15) Hollow Inverted Half Pyramid

R<sub>0</sub> \* \* \* \* \*

Total no. of row (n) = 6

R<sub>1</sub> \* - - - \*

Observation :-

R<sub>2</sub> \* - - \*

1) In 1st & last row has no space

R<sub>3</sub> \* - \*

$\therefore \text{row} = 0 \text{ } || \text{row} = n-1$

R<sub>4</sub> \* \*

Print (\*)

R<sub>5</sub> \*

2) For other row, only 1st & last column has printed star

Outerloop =  $0 \rightarrow n$

$\therefore \text{col} = 0 \text{ } || \text{col} = n-\text{row}-1$

Innerloop =  $0 \rightarrow n-\text{row}$

Print (\*)

~~if col == 0 || col == n-row~~ otherwise, Print (" ") .

1) if (row == 0 || row == n-1)

Print (\*) ;

else

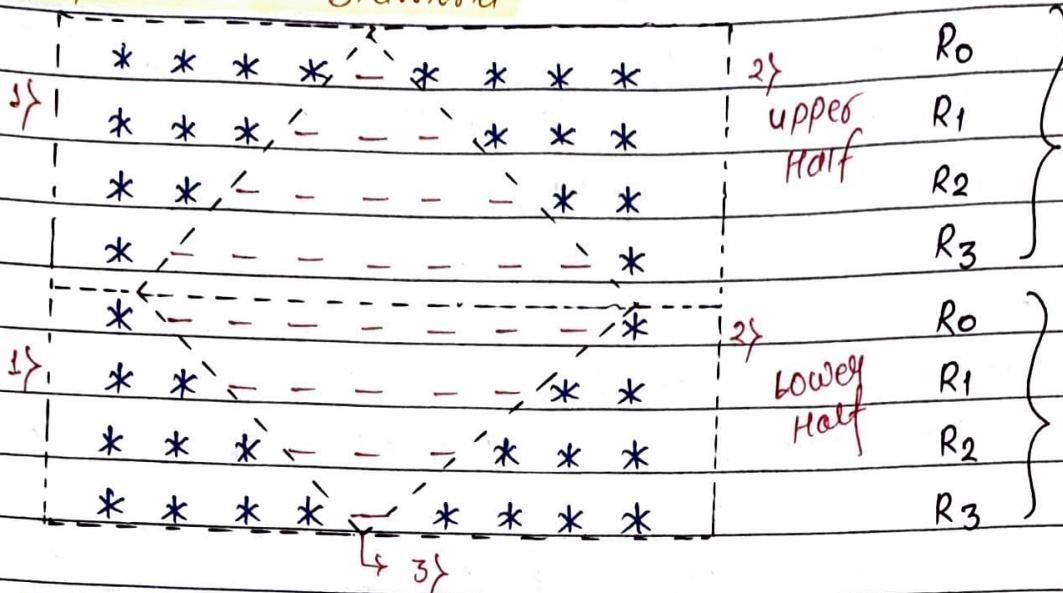
2) if (col == 0 || col == n-row-1)

Print (\*)

else Print (" ") .

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### Fliped Solid Diamond



### Observation for upper Half

$R_0 = 4 \text{ Star}$	$R_0 = 1 \text{ space}$
$R_1 = 3 \text{ Star}$	$R_1 = 3 \text{ "}$
$R_2 = 2 \text{ Star}$	$R_2 = 5 \text{ "}$
$R_3 = 1 \text{ "}$ (n-row)	$R_3 = 7 \text{ "}$ ( $2r+1$ )

Full Pyramid of Space.

$R_0 = 4 \text{ Star}$	
$R_1 = 3 \text{ "}$	Inverted
$R_2 = 2 \text{ "}$	Half
$R_3 = 1 \text{ "}$ (n-row)	Pyramid

$$\text{Total no. of row (n)} = 4$$

Outerloop:  $0 \rightarrow n$

Innerloop 1:  $0 \rightarrow n-\text{row}$ , print ("\*")

Innerloop 2:  $0 \rightarrow 2r+1$ , print (" ")      r = row

Innerloop 3:  $0 \rightarrow n-\text{row}$ , print ("\*")

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### → observation for Lower Half

$$\begin{aligned} R_0 &= 1 \text{ Star} \\ R_1 &= 2 \text{ Star} \\ R_2 &= 3 \text{ "} \\ R_3 &= 4 \text{ "} \end{aligned} \quad \left. \begin{array}{l} \text{Half} \\ \text{Pyramid} \end{array} \right\} \quad (\text{row}+1)$$

$$\begin{aligned} R_0 &= 4 \text{ Space} \\ R_1 &= 5 \text{ "} \\ R_2 &= 3 \text{ "} \\ R_3 &= 1 \text{ "} \end{aligned} \quad \left. \begin{array}{l} \text{Full pyramid} \\ \text{of space} \end{array} \right\} \quad (2n-2r-1)$$

$$\begin{aligned} R_0 &= 1 \text{ Star} \\ R_1 &= 2 \text{ "} \\ R_2 &= 3 \text{ "} \\ R_3 &= 4 \text{ "} \end{aligned} \quad \left. \begin{array}{l} \text{Half} \\ \text{Pyra} \\ \text{mid} \end{array} \right\} \quad (\text{row}+1)$$

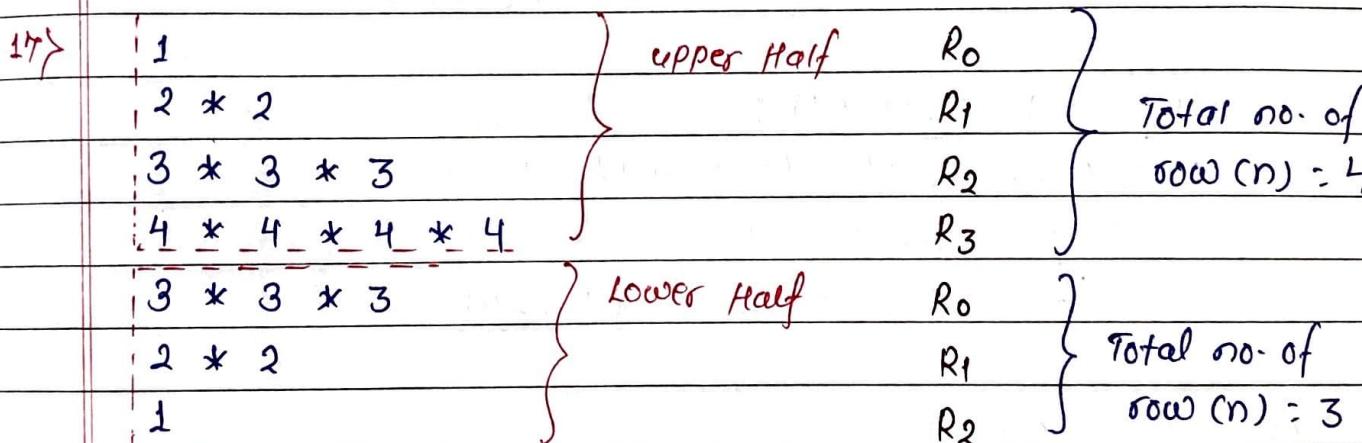
Total no. of row ( $n$ ) = 4.

outerloop =  $0 \rightarrow n$

Innerloop 1 =  $0 \rightarrow \text{row}+1$ , print("\*")

Innerloop 2 =  $0 \rightarrow 2n-2r-1$ , print(" ")

Innerloop 3 =  $0 \rightarrow \text{row}+1$ , print("\*")



### → upper Half

⇒ use the same code of Pattern No. 14).

### → Lower Half

$$\begin{aligned} R_0 &= 5 \text{ character} \\ R_1 &= 3 \text{ "} \\ R_2 &= 1 \text{ "} \end{aligned} \quad (2n-2r-1)$$

Total no. of row ( $n$ ) = 3

outerloop =  $0 \rightarrow n$

Innerloop =  $0 \rightarrow 2n-2r-1$

if ( $\text{col \% 2 == 1}$ ) print("\*")

else print( $n-\text{row}$ ) & (" ")

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1

R<sub>0</sub>

Total no. of row(n) = 6

1 - 2

R<sub>1</sub>

Observation:

1 - - 3

R<sub>2</sub>

i} In 1st & last row has no space

1 - - - 4

R<sub>3</sub>

ii} Except 1st & last row, every row has some spaces & numbers.

1 - - - - 5

R<sub>4</sub>

1 2 3 4 5 6

R<sub>5</sub>

R<sub>0</sub> = 1 character

} (row+1) character print.

R<sub>1</sub> = 3 "

R<sub>2</sub> = 4 "

} (row+2) character print

R<sub>3</sub> = 5 "

R<sub>4</sub> = 6 "

} n character print

if (row == 0) print (1);

if (row == n-1) print (1 ~ (row+1));

if (row != 0 && row != n-1)

print (1-2) (1--3) (1---4) -----

Outerloop : 0 → n

if (row == 0) print (row+1);

else if (row == n-1), Then

Innerloop1 : 0 → n , print (col+1);

else

Innerloop2 : 0 → row+2

if (col == 0) print (col+1);

elseif (col == row+2-1) print (col);

else print (" ");

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### Numeric Hollow Half Pyramid.

R<sub>0</sub> 1

Total no. of rows(n) = 5

R<sub>1</sub> 1 2

R<sub>2</sub> 1 - 3

Outerloop = 0 → n (row < n)

R<sub>3</sub> 1 - - 4

Innerloop = 0 → row (col <= row)

R<sub>4</sub> 1 2 3 4 5

if (col == 0 || col == row || row == n - 1)

' C<sub>0</sub> C<sub>1</sub> C<sub>2</sub> C<sub>3</sub> C<sub>4</sub>

print (col + 1);

Last row

else print (" ");

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' A ' R<sub>0</sub>

A B ' A R<sub>1</sub>

Total no. of rows(n) = 5

A B C ' B A R<sub>2</sub>

A B C D ' C B A R<sub>3</sub>

A B C D E ' D C B A R<sub>4</sub>.

Outerloop = 0 → n;

char ch;

Innerloop1 = 0 → row + 1

int num = col + 1;

ch = num + 'A' - 1; // mapping of character

print (ch);

This loop

print

triangle

of character

er

Innerloop2 = ch → 'A'

Print character until reach to 'A'

for (char alpha = ch; alpha > 'A'; ) {

alpha -= 1;

print (alpha);

}

cout << endl;

This loop print

character till

'A'.

21}

### Half Pyramid with Number

1	$R_0$	Total no. of rows (n) = 5
1 2	$R_1$	
1 2 3	$R_2$	Outerloop = $0 \rightarrow n$
1 2 3 4	$R_3$	Innerloop = $0 \rightarrow \text{row} + 1$
1 2 3 4 5	$R_4$	Print (col+1);

22}

### Inverted Half Pyramid with Number

1 2 3 4 5	$R_0$	Total no. of rows (n) = 5
1 2 3 4	$R_1$	
1 2 3	$R_2$	Outerloop = $0 \rightarrow n$
1 2	$R_3$	Innerloop = $0 \rightarrow n - \text{row} + 1$
1	$R_4$	Print (col+1);

23}

1	$R_0$	Total no. of rows (n) = 5
2 2	$R_1$	
3 3 3	$R_2$	Outerloop = $0 \rightarrow n$
4 4 4 4	$R_3$	Innerloop = $0 \rightarrow \text{row} + 1$
5 5 5 5 5	$R_4$	Print (row+1);

24}

### Floyd's Triangle

1	$R_0$	Total no. of rows (n) = 5
2 3	$R_1$	int num = 1;
4 5 6	$R_2$	Outerloop = $0 \rightarrow n$
7 8 9 10	$R_3$	Innerloop = $0 \rightarrow \text{row} + 1$
11 12 13 14 15	$R_4$	Print (num); num ++;

## 25) Numeric Palindrome Equilateral Pyramid

								$R_0$
Space	-	-	1	2	1			$R_1$
Space	-	-	1	2	3	2	1	$R_2$
Space	-	1	2	3	4	3	2	$R_3$
Space	-	1	2	3	4	5	4	$R_4$
								$c_0 \ c_1 \ c_2 \ c_3 \ c_4 \ c_5 \ c_6 \ c_7 \ c_8$

Total no. of row( $n$ ) = 5

### Observation :-

$R_0$  = 4 space, 1 number

$R_1$  = 3 " , 2 "

$R_2$  = 2 " , 3 "

$R_3$  = 1 " , 4 "

$R_4$  = 0 " , 5 "

( $n - \text{row} - 1$ )

(row + 1)

$R_0$  = 0 Number

$R_1$  = 1 "

$R_2$  = 2 "

$R_3$  = 3 "

$R_4$  = 4 "

(row)

Left Triangle

Right Triangle

Outerloop = 0 → n

Innerloop1 = 0 →  $n - \text{row} - 1$ , print (" "); (space before num).

int num = 1;

Innerloop2 = 0 → row+1,

print (num);

num++;

} print left hand side

number triangle.

Innerloop3 = num-1 → 1 } print right hand side number  
 print (col) } triangle fill '1'.

```
for (int col = num-1; col > 1;) {
    col--;
    print (col);
}
```

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$* * * * * * * / 1 *$	$* * * * * * * *$	$R_0$
$* * * * * * * / 2 * 2 *$	$* * * * * * *$	$R_1$
$* * * * * * / 3 * 3 * 3 *$	$* * * * * *$	$R_2$
$* * * * * / 4 * 4 * 4 * 4 *$	$* * * * *$	$R_3$
$* * * * * / 5 * 5 * 5 * 5 * 5 *$	$* * * *$	$R_4$

Pattern 1      Pattern 2      Pattern 3

Total no. of row ( $n$ ) = 5

**Observation for pattern 1 & 3**

$R_0 = 8$  stay

$R_1 = 7$  "

$R_2 = 6$  "

$R_3 = 5$  "

$R_4 = 4$  "

$(2n - \text{row} - 2)$

**Observation for Pattern 2.**

$R_0 = 1$  character

$R_1 = 3$  "

$R_2 = 5$  "

$R_3 = 7$  "

$R_4 = 9$  "

$(2 \times \text{row} + 1)$

odd column = '\*' point

Even " = 'row+1' point.

Outerloop =  $0 \rightarrow n$

Innerloop 1 =  $0 \rightarrow 2n - \text{row} - 2$

point ("\*");

} For point stay

Innerloop 2 =  $0 \rightarrow 2 \times \text{row} + 1$ .

if ( $\text{col \% 2} == 1$ ) point ("\*");

else point (row+1);

} For point

} num & stay

Innerloop 3 =  $0 \rightarrow 2n - \text{row} - 2$

point ("\*");

} For point

} Stay.

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### 24} Solid Half Diamond

*	R <sub>0</sub>	Total no. of row (n) = 4.
* * R <sub>1</sub>		⇒ (row+1) start point
* * * R <sub>2</sub>		
* * * * R <sub>3</sub>		
-----		
* * * R <sub>0</sub>	Total no. of row (n) = 3	
* * R <sub>1</sub>	R <sub>0</sub> = 3 start	
* R <sub>2</sub>	R <sub>1</sub> = 2 "	{ (n-row-1)
	R <sub>0</sub> = 1 "	

### Upper Half

Outerloop = 0 → n

Innerloop = 0 → row+1

Print ("\*");

### Lower Half

Outerloop = 0 → n

Innerloop = 0 → n-row-1.

Print ("\*");

### 28} 0 - 1 triangle

1 R <sub>0</sub>	Total no. of rows (n) = 5
0 1 R <sub>1</sub>	R <sub>0</sub> = 1 number
1 0 1 R <sub>2</sub>	R <sub>1</sub> = 2 "
0 1 0 1 R <sub>3</sub>	R <sub>2</sub> = 3 "
1 0 1 0 1 R <sub>4</sub>	R <sub>3</sub> = 4 "
	R <sub>4</sub> = 5 "

Outerloop = 0 → n

Innerloop = 0 → row+1

int sum = row+col;

if (sum % 2 == 0)

Print ("1 ");

else

Print ("0 ");

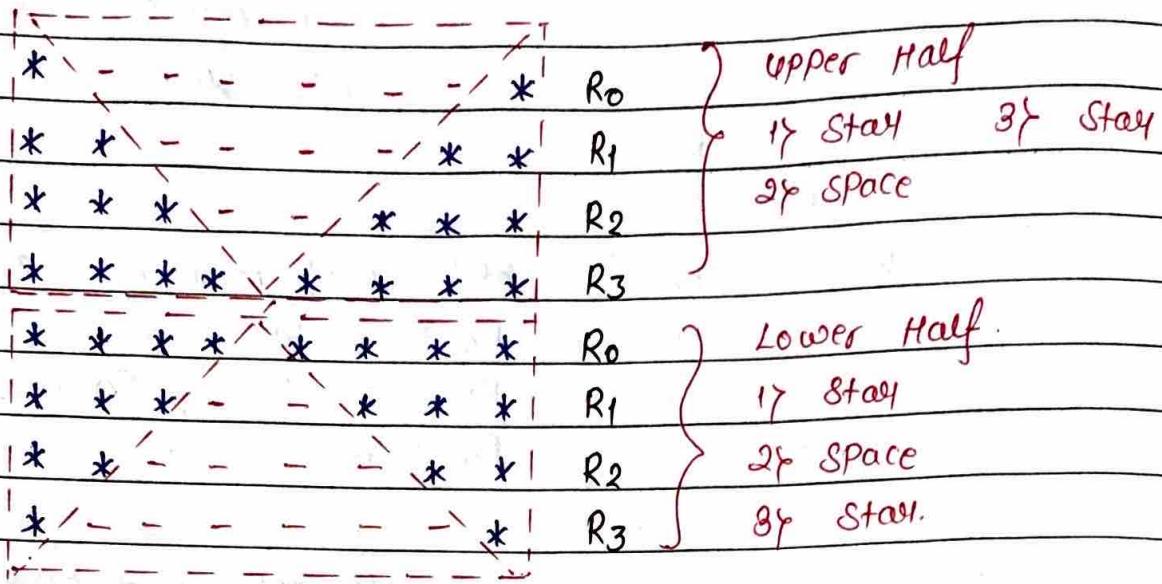
0 1 2 3 4
row+col = 0 1 (0,0)
1 (1,0) (1,1) 2 (2,0) (2,1) (2,2)
3 (3,0) (3,1) (3,2) (3,3) 4 (4,0) (4,1) (4,2) (4,3) (4,4)
row+col = 4 = 5

when row+col = Even Then Print 1, otherwise Print 0.

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## Butterfly Pattern.

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### Observation for upper Half

	Stay	Space	Stay
$R_0$ =	1 Stay	6 Space	1 Stay
$R_1$ =	2 "	4 "	2 "
$R_2$ =	3 "	2 "	3 "
$R_3$ =	4 "	0 "	4 "
	(row+1)	(2n - 2row - 2)	(row+1)

Outerloop =  $0 \rightarrow n$       Total no. of rows ( $n$ ) = 4

Innerloop 1 :  $0 \rightarrow \text{row}+1$   
 Point ("\*");

Innerloop 2 :  $0 \rightarrow (2n - 2\text{row} - 2)$   
 Point (" ");

Innerloop 3 :  $0 \rightarrow \text{row}+1$   
 Point ("\*");

**Observation for Lower Half**

Star	Space	Star
$R_0 = 4$ Star	0 Space	4 Star
$R_1 = 3$ "	2 "	3 "
$R_2 = 2$ "	4 "	2 "
$R_3 = 1$ "	6 "	1 "
$(n - \text{row})$	$(2 \times \text{row})$	$(n - \text{row})$

Outerloop =  $0 \rightarrow n$ .Total no. of rows ( $n$ ) = 4Innerloop1 =  $0 \rightarrow (n - \text{row})$ 

Print ("\*");

Innerloop2 =  $0 \rightarrow (2 \times \text{row})$ 

Print (" ");

Innerloop3 =  $0 \rightarrow (n - \text{row})$ 

Print ("\*");

**30) Numeric Hollow Inverted Half Pyramid**1 2 3 4 5  $R_0$ Total no. of row ( $n$ ) = 52 - - 5  $R_1$ Outerloop =  $0 \rightarrow n$ 3 - 5  $R_2$ Innerloop = row + 1  $\rightarrow <= n$ 4 5  $R_3$ 

if (col != row + 1 || col == n ||

5  $R_4$ 

row == 0)

C<sub>0</sub> C<sub>1</sub> C<sub>2</sub> C<sub>3</sub> C<sub>4</sub>

Print (col);

else

Print (" ");