Prim Sec.

A single-phase, 150-kVA, 1100-V/400-V transformer has 100 turns on the secondary winding. The number of turns on its primary winding will be

• Ans D

In case Arg. is in decomals

Then, value taken

is 276 turns

-i Half turn not Possible

$$\frac{N_1}{N_2} = \frac{V_1}{V_2}$$

=)
$$N = \frac{1100}{4}$$

= 275 turns.

A 250 kVA, 11 000 V/400 V, 50 Hz single-phase transformer has 80 turns on the secondary. Calculate

- (a) the approximate values of the primary and secondary currents;
- (b) the approximate number of primary turns;
- (c) the maximum value of the flux

Full load, prim. Current,
$$I_p = \frac{p_{owev}}{voltg}$$
 $I_p = \frac{250 \times 10^3}{11000} = \frac{250}{11} = 22.727A$

Ally, $I_s = \frac{p_{owv}}{voltg} = \frac{250 \times 10^3}{400} = 625A$.

(a) Full-load primary current

$$\simeq \frac{250 \times 1000}{11\,000} = 22.7 \text{ A}$$

and full-load secondary current

$$=\frac{250\times1000}{400}=625 \text{ A}$$

(b) No. of primary turns

$$\simeq \frac{80 \times 11000}{400} = 2200$$

(c) From expression [35.5] $400 = 4.44 \times 80 \times 50 \times \Phi_{m}$

$$\Phi_{\rm m} = 22.5 \text{ mWb}$$

A 250 kVA, 11 000 V/400 V, 50 Hz single-phase transformer has 80 turns on the secondary. Calculate

- (a) the approximate values of the primary and secondary currents;
- (b) the approximate number of primary turns;
- (c) the maximum value of the flux

(C) Enif Eqn 7 a Xefur:

$$e = 4.44 \text{ Nf pm}$$

(Sec. Side)

 $= 7.44 \text{ Nf pm}$
 $= \frac{900}{9.44 \text{ Nf}} = \frac{900}{9.44 \times 90 \times 50} = 0.021525$

(Or) $= 22.52 \text{ mWb}$
 $= 0.022525 = 22.52 \text{ mWb}$
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A single-phase, 50-Hz transformer has 30 primary turns and 350 secondary turns. The net cross-sectional area of the core is 250 cm². If the primary winding is connected to a 230-V, 50-Hz supply, calculate (a) the peak value of flux density in the core, (b) the voltage induced in the secondary winding, and (b) the primary current when the secondary current is 100 A. (Neglect losses.)

Solution

(a) The peak value of the flux in the core is given as

$$\Phi_{\rm m} = \frac{E_1}{4.44fN_1} = \frac{230}{4.44 \times 50 \times 30} = 0.034534 \,\text{Wb}$$

Therefore, the peak value of the flux density in the core is

$$B_{\rm m} = \frac{\Phi_{\rm m}}{A} = \frac{0.034534}{250 \times 10^{-4}} = 1.3814T$$

(b) The voltage induced in the secondary winding is

$$E_2 = E_1 \times \frac{N_2}{N_1} = 230 \times \frac{350}{30} = 2683.33 \text{ V} = 2.683 \text{ kV}$$

(c) The primary current is

$$I_1 = I_2 \left(\frac{N_2}{N_1} \right) = 100 \times \left(\frac{350}{30} \right) = 1166.67 \text{ A} \approx 1.167 \text{ kA}$$

A single-phase, 50-Hz transformer has 30 primary turns and 350 secondary turns. The net cross-sectional area of the core is 250 cm². If the primary winding is connected to a 230-V, 50-Hz supply, calculate (a) the peak value of flux density in the core, (b) the voltage induced in the secondary winding, and (b) the primary current when the secondary current is 100 A. (Neglect losses.)

K

A source with an output resistance of 50 Ω is required to deliver power to a load of 800 Ω . Find the turns-ratio of the transformer to be used for maximizing the load power.

Solution For delivering maximum power to the load, the equivalent resistance must be equal to the source resistance.

This requires a resistance of 50 Ω looking into the primary of the transformer. That is,

$$R_{eq} = R_L/K^2$$
 or $50 = 800/K^2$ \Rightarrow $K = \sqrt{800/50} = \sqrt{16} = 4$

Thus,

$$K = \frac{N_2}{N_1} = 4$$

$$\left[K = \frac{N_2}{N_I}\right]$$

$$= 50 = \frac{800}{K^2}$$



A single-phase transformer has a turns-ratio of 4: 1. If the secondary winding has a resistance of 1 ohm, this resistance as referred to the primary will be

(a) 16 Ω

(b) 4 Ω

(c) 0.25 Ω

(d) 0.0625Ω

• Ans A

$$= 7 \text{ Zs} = \frac{1}{100} = \frac{1}{16}$$

A transformer has 500 turns of the primary winding and 10 turns of the secondary winding.

- a) Determine the secondary voltage if the secondary circuit is open and the primary voltage is 120 V.
- b) Determine the current in the primary and secondary winding, given that the secondary winding is connected to a resistance load 15 Ω ?

$$U_2 = rac{10}{500} \cdot 120 \, \mathrm{V} = 2.4 \, \mathrm{V}$$

When calculating the primary current, we assume that this is an ideal transformer, i.e. that it is lossless. In this case, for the electric power on the coils it applies:

Numerical substitution: Primary current: $I_1 = \frac{(2.4)^2}{120 \cdot 15} \, A = 3.2 \, \text{mA}$ Secondary current: $I_2 = \frac{2.4}{15} \, A = 0.16 \, A$ Then $I_0 = NS \times T_S = 10 \, S$

ideal transformer, i.e. that it is
$$\int \frac{1}{3} \int \frac{1}{3}$$

If the full-load copper loss of a transformer is 100 W, its copper loss at half load will be

(a) 200 W

(b) 100 W

(c) 50 W

(d) 25 W

- (1) I'k = 1

 (2) Hay load = 7 current is $\frac{1}{2}$ is $(\frac{1}{2})^2 R = \frac{1}{9} I^2 R = \frac{1}{9} \times 1000$ = 2500

(d) 25 W

If the full-load core loss of a transformer is 100 W, its core loss at half load will be

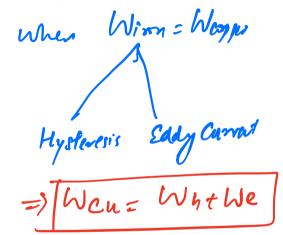
(a) 200 W (b) 100 W

(c) 50 W

Core losses one court. &

A transformer operates at maximum efficiency, when

- (a) its hysteresis loss and eddy-current loss are minimum
- (b) the sum of its hysteresis loss and eddy-current loss is equal to its copper loss
 - (c) the power factor of the load is leading
 - (d) its hysteresis loss is equal to its eddy-current loss



A distribution transformer should be selected on the basis of its

- (a) all-day efficiency
 - (b) regulation
 - (c) commercial efficiency
 - (d) all the above

depends on the depends on the load consumers are consumers are lowestrips!

-> varies | mex. at might less dress day.

Cooling of transformers is required so as to

- (a) increase the efficiency
- (b) reduce the losses
- (c) reduces the humming
- (d) dissipate the heat generated in the windings