

The general solution of equation $\log (px - y) = p$, where $p = \frac{dy}{dx}$, is given by

a)
$$y = cx - e^c$$
 b) $y = cx + \frac{a}{c}$ c) $y = cx - sin^{-1}c$ d) $(y - cx)^2 = a^2c^2 + b^2$

- 0 a
- 0 b
- 00
- Oa

ear Pesnoose

Integrating Factor of $ydx - xdy + a(x^2 + y^2)dx = 0$ is a) $\frac{1}{x^2}$ b) $\frac{1}{y^2}$ c) $\frac{1}{x^2y^2}$ d) $\frac{1}{(x^2+y^2)}$

Journ Bergall Salva Halling

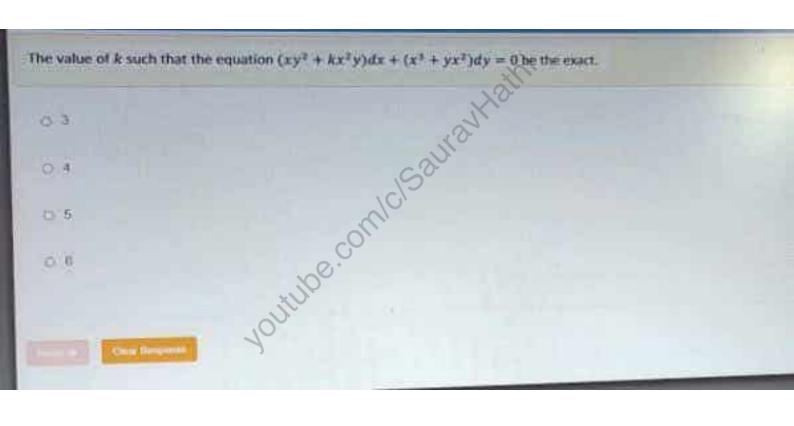
- O a
- 0 b
- 0 c
- 0 d

Section [Unit 1] 1 of 6 Question : 5 of 5 Marks : 1 Negation Select the correct answer

The degree of the differential equation sin $\left(\frac{dy}{dx}\right) + y = \log x \approx$

- Not Exist

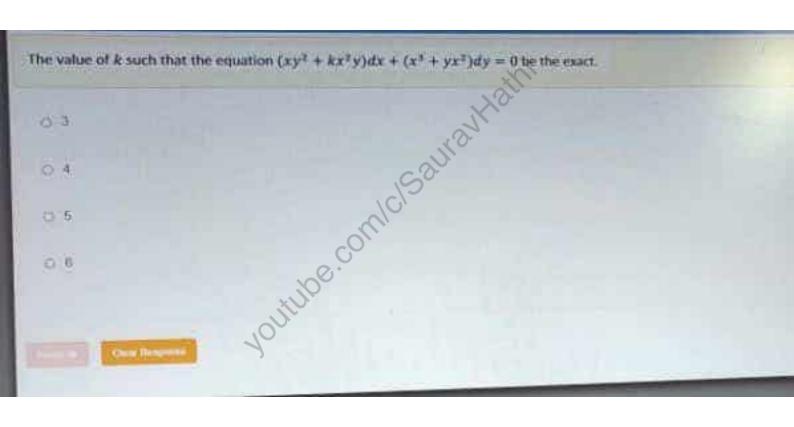
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e interval in which the differential equation $(1-x^2)y'' - x\sqrt{x}y' + y = 0$ is not Normal

- $(-\infty,\infty)$
- (2,00)
- (-1,1)
- (2, 5)

Finish 🕏



Section [Unit 1] 1 of 6 Question : 3 of 5 Marks : 1 Negative Marks : -25% on wrong answer

Select the correct answer

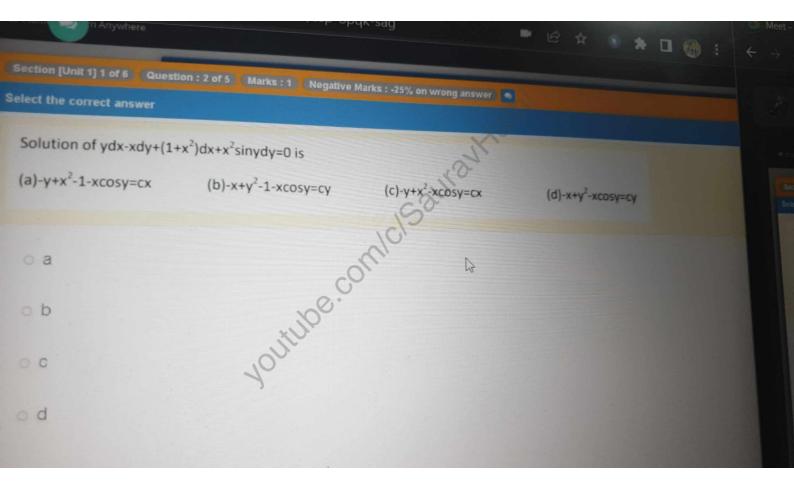
The general solution of differential equation (y-xp)(p-1)=p where $p=\frac{dr}{dx}$ is given by

(a) $y = cx + \frac{c}{c-1}$ (b) $y = cx - \frac{c}{c-1}$ (c) $y = c + \frac{cx}{c-1}$ (d) none of these

o a

o b

o d



The solution of differential equation (x + y + 3)dx + (x - y + 2)dy = 0 is

a) $x^2 - y^2 + 2xy + 6x + 4y = c$ c) $x^2 - y^2 + 2xy = c$ d) $x^2 + y^2 + 6x = c$ a)

b) $x^2 - y^2 + 2xy = c$ d) $x^2 + y^2 + 6x = c$ b) $x^2 - y^2 + 2xy = c$ d) $x^2 + y^2 + 6x = c$ d) $x^2 + y^2 + 6x = c$ d) $x^2 + y^2 + 6x = c$

Section [Unit 1] 1 of 6 Question: 4 of 5 Marks: 1 Negative Marks: -25% on wrong answer

Select the correct answer

 $(b) \frac{1}{(bx+ay)}; (ax - by) \neq 0$ $(d) \frac{1}{(ax+by)}; (ax - by) \neq 0$ The integrating factor of a homogeneous equation a(x, y) dy + b(x, y) dx = 0 is

(a)
$$\frac{1}{(ax+by)}; (ax+by) \neq 0$$

$$(b) \frac{1}{(bx+ay)}; (ax-by) \neq 0$$

* 🗆 💮

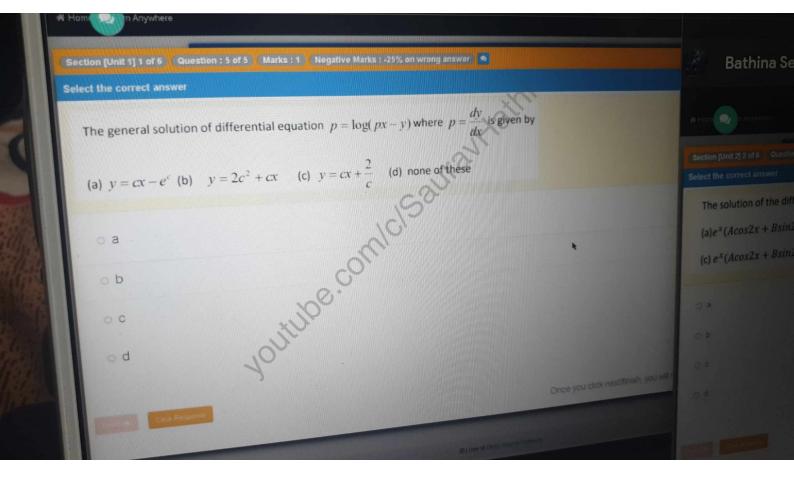
(c)
$$\frac{1}{(bx+ay)}$$
; $(bx+ay) \neq 0$

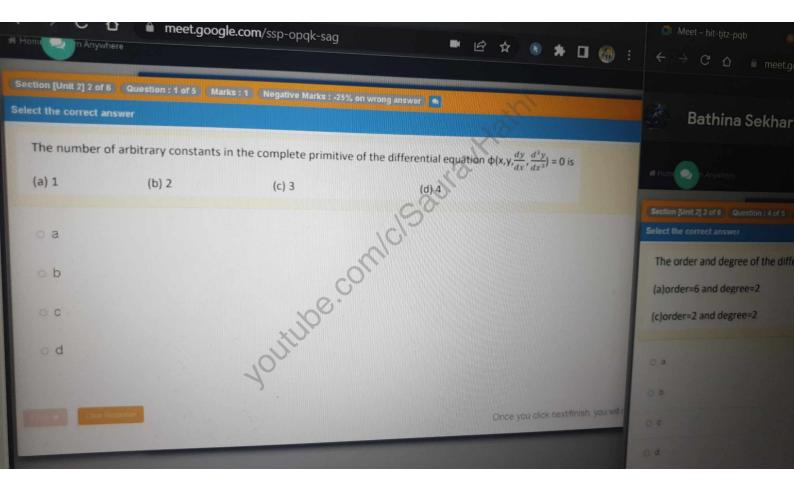
(d)
$$\frac{1}{(ax+by)}$$
; $(ax-by) \neq 0$

o a

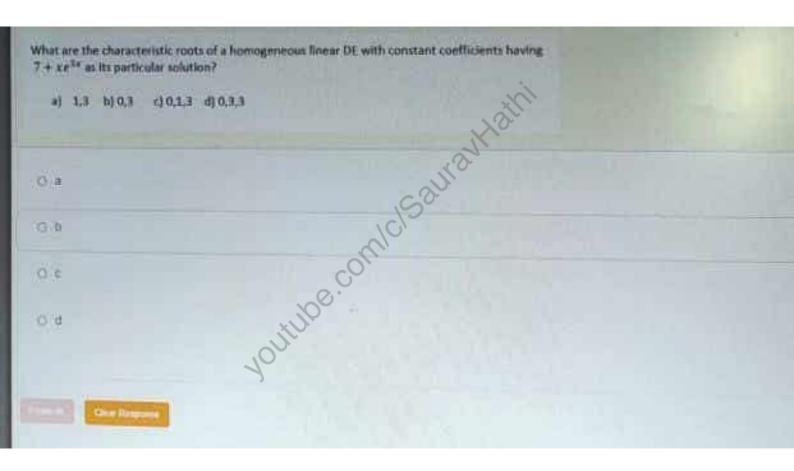
0 b

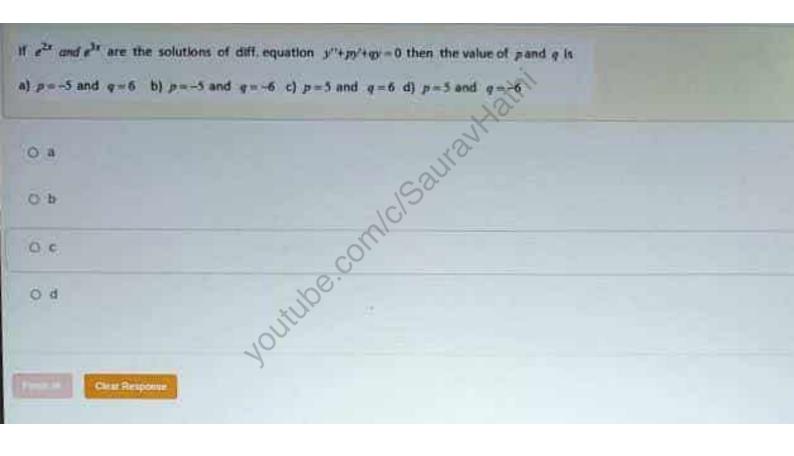
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Section [Unit 2] 2 of 8 Question: 2 of 5 Marks: 1 Negative Marks: .25% on wrong answer

Select the correct answer

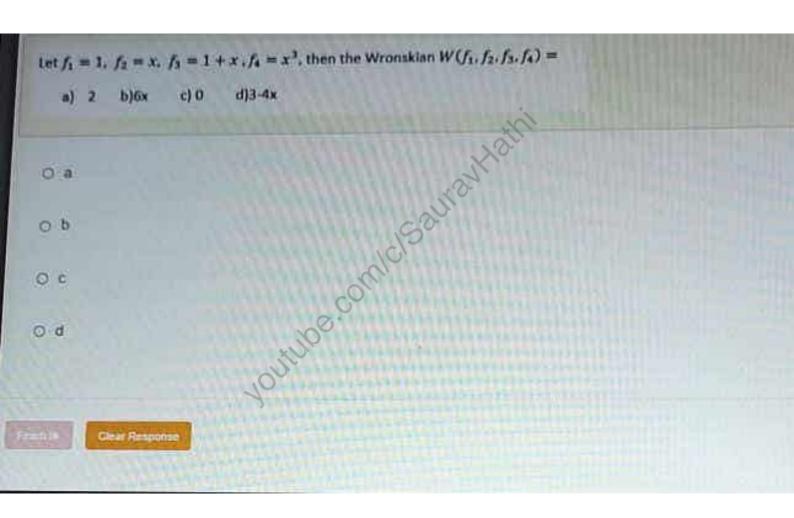
Functions which are linearly independent on any interval I are

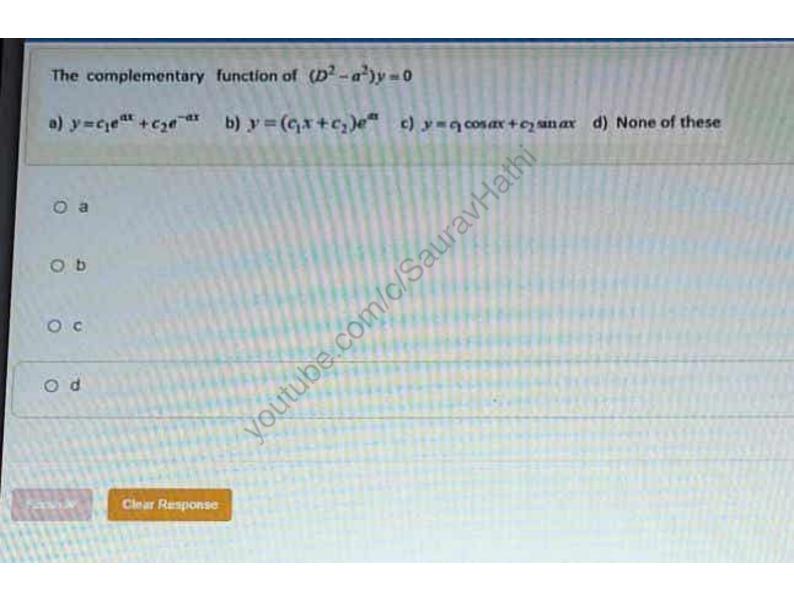
(a) x^2 , x^3 and $6x^2 - x^3$ (b) $x^2 - 1$, $3x^2$ and $2 - 5x^2$ (c) 1, Sin^2x and cos^2x (d) 1, Sinx and cosx

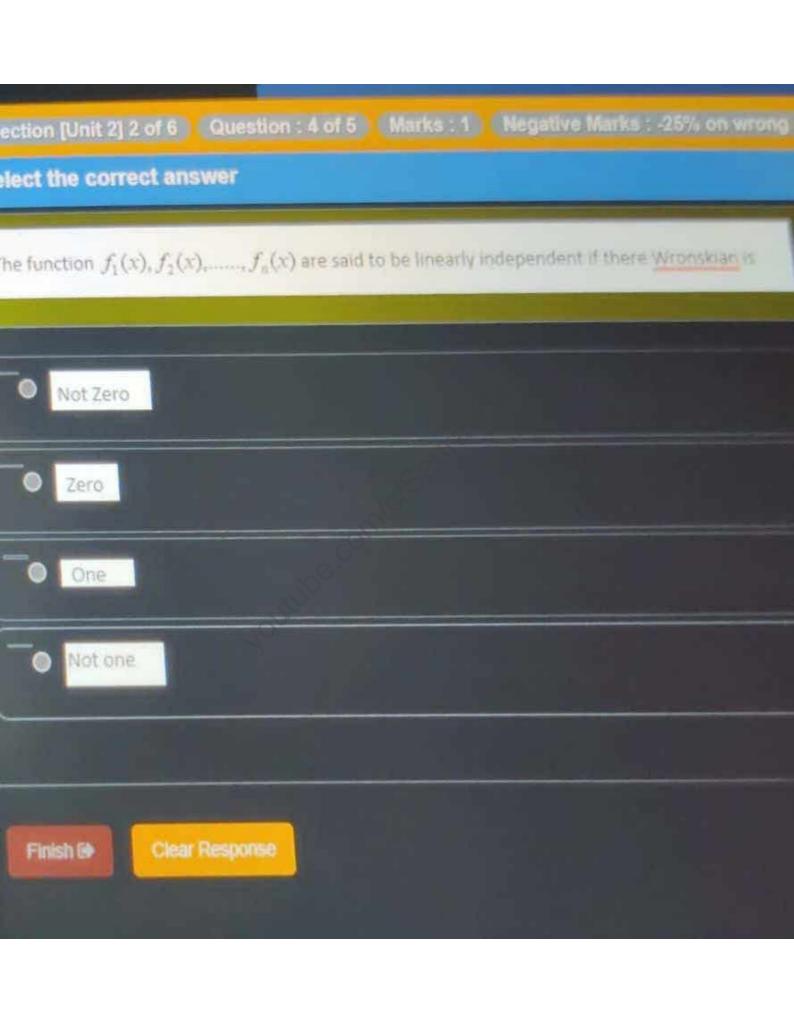
if the roots of the auxiliary equation of a differential equation are -2,-4,-5 then dis C.F. is written as

- $c_1e^{-is}+c_1e^{-is}+c_1e^{-is}$
- $c_1e^{-2x}+(c_2+c_1)e^{-2x}$
- $c_1e^{-4s} + (c_1 + xc_1)e^{3-s} + e^{-2s}$
- None of these

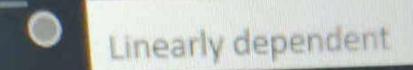
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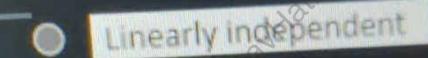


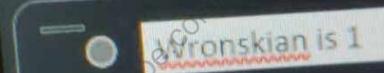


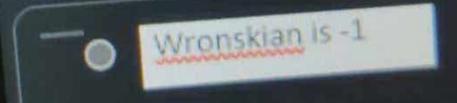


The functions x,1-x,1-2x are

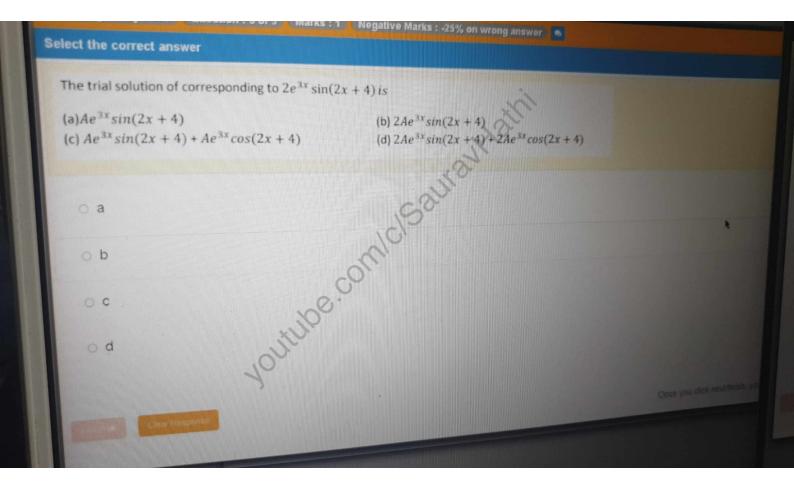


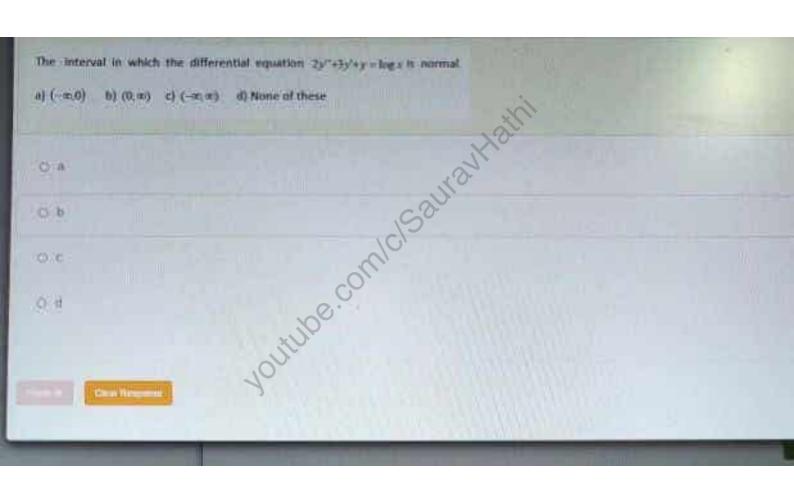






Finish 6





Select the correct answer

On putting $x=e^z$, the transformed differential equation of $x^2 \frac{d^3x}{dx^2} + x \frac{dy}{dx} + y = x$ is

(a) $\frac{d^2y}{dz^2} + y = e^z$ (b) $\frac{d^2y}{dz^2} - y = e^z$ (c) $\frac{dy}{dz} + y = e^z$ (d) $\frac{dy}{dz} - y = e^z$

0 d

Section [Unit 3] 3 of 6 Question: 1 of 5 Ma

Select the correct answer

$$PI. = \frac{1}{f(D)} x^2 e^{2x}$$
 is equal to

real part of e^{it} $\sqrt{D+i}$ x^{2} .

Imaginary part of $e'' \frac{1}{f(D+i)} x^2$

real part of $\frac{1}{f(D)}e^{ix}x^{2}$

None of these

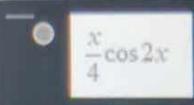
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Particular Integral of diff. equation $x^2y''+xy'-6y=\sin(\ln x)$ is

- a) $-\sin(\ln x)$ b) $-\frac{1}{7}\cos(\ln x)$ c) $-\frac{1}{7}\sin(\ln x)$ d) None of these

- Oa
- 0 6
- 0 c
- 0 d

The P.I. of the differential equation $(D^2 + 4)y = \cos 2x$, is



$$\frac{x}{4}\sin 2x$$

$$-\frac{x}{4}\cos 2x$$

$$-\frac{x}{4}\sin 2x$$

Section [Unit 4] 4 of 6 Question: 3 of 10 Marks: 1 Negative Marks: -25% on wrong answer

Select the correct answer

youtube comicisauranta A tightly stretched string with fixed end points x=0 and x=1 is initially at rest in the equilibrium position. Then the boundary conditions are

$$y = f(x)$$
 at $x = 0$ and $x = l$

$$y = 0$$
 at $x = 0$ and $x = l$

- cannot say
- none of these

The two dimensional steady state heat flow equation is represented by

$$\frac{\partial^2 u}{\partial x^2} + \frac{\partial^2 u}{\partial t^2} = 0$$

$$\frac{\partial^2 u}{\partial x^2} = \frac{\partial^2 u}{\partial y^2}$$

$$\frac{\partial^2 u}{\partial x^2} = \frac{\partial u}{\partial y}$$

$$\frac{\partial^2 u}{\partial x^2} + \frac{\partial^2 u}{\partial y^2} = 0$$

Notifipo coulcle alluant lathi

Once you click next/finish,

Section [Unit 3] 3 of 6 Question : 4 of 5 Marks : 1

elect the correct answer

The P.I. of the differential equation $(D-4)^{\circ}y = 5e^{\circ}$ is

$$-\frac{5x^6e^{4x}}{120}$$

$$\frac{5x^5e^{4x}}{120}$$

$$\begin{array}{c|c}
5x^6e^{4x} \\
\hline
720
\end{array}$$

$$-\frac{5x^5e^{4x}}{720}$$

The equation
$$\frac{\partial u}{\partial t} = c^2 \frac{\partial^2 u}{\partial x^2}$$
 with $u(0,t) = u(1,t) = 0$, $u(x,0) = f(x)$ is

- heat equation when ends of bar are kept at temperature zero
- heat equation when ends of bar have varied temperature
- heat equation when bar length is infinite
- o none of these

Select the correct answer

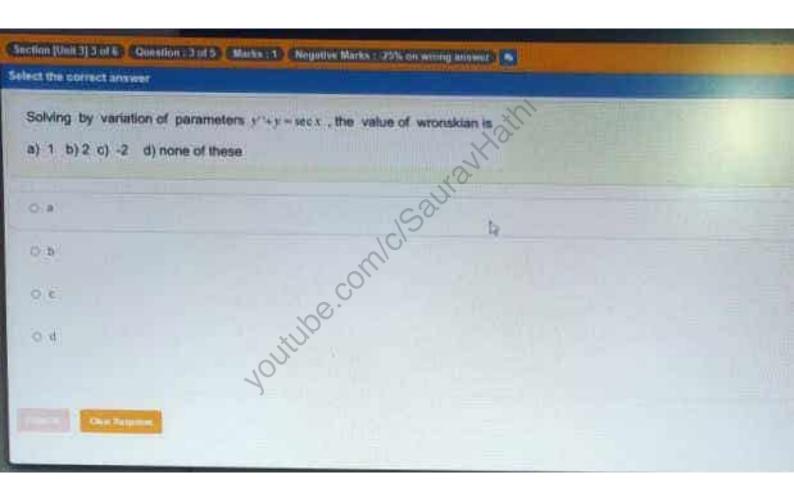
$$\frac{1}{(D-a)}\phi(x) =$$

$$e^{ax} \int e^{-ax} \phi(x) dx$$

$$e^{-\alpha x} \int e^{\alpha x} \phi(x) dx$$

Finish (*)

Clear Response



on [Unit 4] 4 of 6 Question: 2 of 10 Marks: 1 Negative Marks: -25% on wrong a t the correct answer If u(x,t) is the D' Alembert solution of the wave equation $\frac{\partial^2 u}{\partial x^2} = \frac{\partial^2 u}{\partial t^2}$ with the condition u(x,0) = x, $\frac{\partial u(x,0)}{\partial t} = 0$ then u = 0Finish (#

ct the correct answer

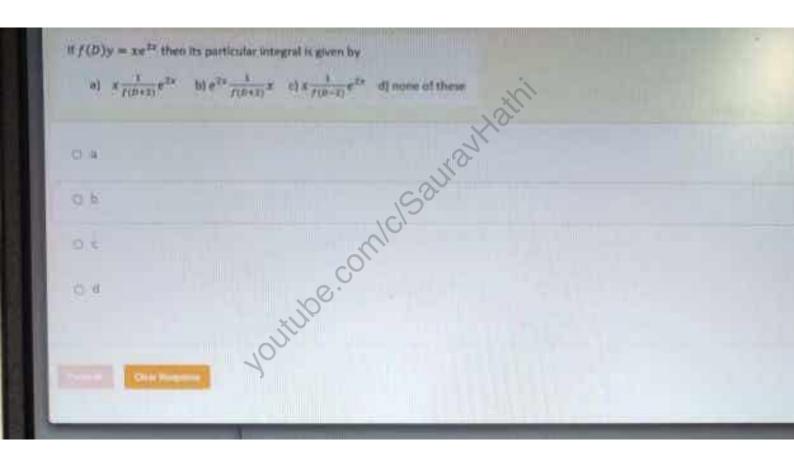
If The solution of
$$\frac{\partial^2 u}{\partial x^2}C^2 = \frac{\partial^2 u}{\partial t^2}$$
; $u(0,t) = 0$, $u(1,t) = 0$; $\left(\frac{\partial u}{\partial t}\right)_{\infty} = 0$; $u(x,0) = x$

Is $u(x,t) = \sum_{n} b_n Sin(n\pi x) Cos(n\pi x)$ then the value of b_n is given by

$$b_n = \frac{1}{2} \int_0^1 \sin(n\pi x) dx$$

$$b_n = \int_0^1 x \sin(n\pi x) dx$$

$$b_{\mu} = \frac{1}{2} \int_{0}^{1} x^{\mu} \sin(n\pi x) dx$$



elect the correct answer

Which of the following represents the solution of $\frac{\partial^2 u}{\partial x^2} = \frac{\partial^2 u}{\partial x^2}$;

$$u(0,t) = 0$$
; $u(1,t) = 0$; $\left(\frac{\partial u}{\partial t}\right)_{t=0} = 0$; $u(x,0) = f(x)$

$$u(x,t) = \sum_{n} b_n Sin(n\pi c) e^{-a^2 \tau^2 c}$$

$$u(x,t) = \sum_{n} b_{n} Sin(n\pi x) e^{i2\pi^{2}x^{2}}$$

$$(x,t) = \sum_{n} b_{n} \sin\left(\frac{n\pi ct}{L}\right) \cos\left(\frac{n\pi c}{L}\right)$$

$$u(x,t) = \sum_{a} b_{a} Sin\left(\frac{n\pi ct}{L}\right)$$

Select the correct answer

The P.D.E. corresponding to the curve

$$z = a \log \left\{ \frac{b(y-1)}{1-x} \right\}; \text{ where a and b are arbitrary constants if}$$

$$p(1+x) + q(1-y) = 0$$

$$p(1-x)+q(1+y)=0$$

$$p(1+x) + q(1+y) = 0$$

$$p(1-x)+q(1-y)=0$$

 $\frac{\partial^2 u}{\partial t^2} = c^2 \frac{\partial^2 u}{\partial x^2}$ represents the equation for

Heat flow of a thin rod

Motion of a projectile in a gravitational fie

Oscillation of a simple pendulum

Vibration of a stretched string

Finish 🕪

Clear Response

ect the correct answer

The P.D.E. corresponding to

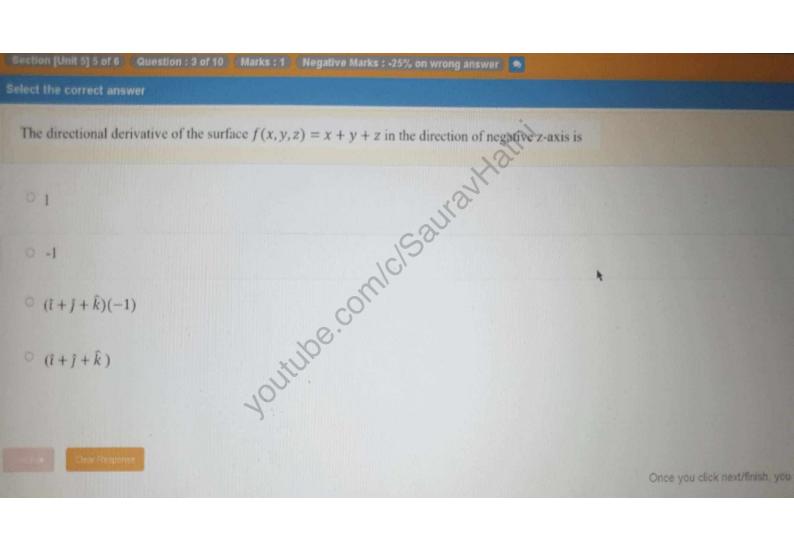
$$x^2 + y^2 + (z - a)^2 = c^2$$
; where a and c are arbitrary constants is

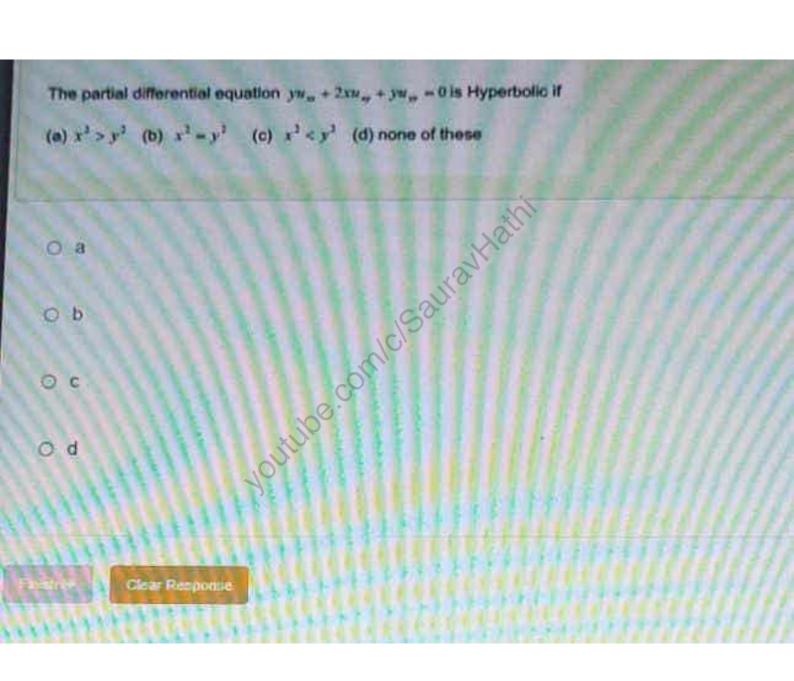
$$yp - xq = 0$$

$$yp + xq = 0$$

$$\sum xp - yq = 0$$

$$py+qx=0$$





lect the correct answer The vector that gives the direction of maximum rate of increase where $f = 3x^2 + y^2$ at (0, 1) is (d) 6i-2j (c) 2j (a) 6i + 2j(b) 61 Youtube comicisation and a superior of the sup O a -0 b 0 0 0 d

Clear Response

ection [Unit 5] 5 of 6 Question: 4 of 10 Marks: 1 Negative Marks: -25% on wrong

In wave equation $5\frac{\partial^2 u}{\partial x^2} = \frac{\partial^2 u}{\partial t^2}$, the value of c^2 is

a)
$$\pm \sqrt{5}$$
 b) 5 c) $\frac{1}{5}$ d) $\pm \frac{1}{\sqrt{5}}$

- Oa
- O b
- OC
- O d

Salkan

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FEIRE IN

Clear Response

elect the correct answer

The partial differential equation formed by eliminating arbitrary functions the equation $z = f(x^2 - y^2)$ is

$$px + qy = 0$$

$$pxqy = 0$$

$$py + qx = 0$$

A unit normal vector to the surface $x^2+3y^2+2z^2=6$ at (2,0,1) is

 $\bigcirc \quad \frac{i+j+k}{\sqrt{3}}$

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Section [Unit 5] 5 of 6 Question: 4 of 10 Marks: 1 Negative Marks: -25% on wrong answer

Select the correct answer

If $\phi = 3x^2y$ and $\psi = xz^2 - 2y$ then grad ϕ grad ψ is

- $6xyz_3^2-6x^2$
- 0 $6xyz^2 6x$

youtube connicisativallativi

Select the correct answer

The value of
$$\int \vec{F} \cdot d\vec{r}$$
 where $\vec{F} = y\hat{i}$ and $C: y = 3x^2$ from $0 \le x \le 1$ is

none of these

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