# Ramanujan College(University of Delhi) Kalkaji Delhi-110019

# Numerical Optimization Practical File



**Submitted To:** Mr.Akash Singh

Submitted By:
AMAN,
B.Sc(H) Computer science
20221406

#### Q1-WAP for finding optimal solution using Line Search method.

```
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Name-Aman
Examination roll number -22020570024
Class Roll number -20221406
Course- B.Sc(H) computer science
import pulp as p
import matplotlib.pyplot as plt
import numpy as np
# Define the Linear Programming Problem
lp_problem = p.LpProblem("Maximize_Profit", p.LpMaximize)
# Define decision variables
x = p.LpVariable("x", lowBound=0) # x >= 0
y = p.LpVariable("y", lowBound=0) # y >= 0
# Objective function
lp_problem += 3 * x + 2 * y, "Z"
# Constraints
lp_problem += x + y <= 4
lp_problem += 2 * x + y <= 7
# Solve the LP problem
lp_problem.solve()
```

# **Output:**

```
*IDLE Shell 3.11.6*

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Python 3.11.6 (tags/v3.11.6:8b6ee5b, Oct 2 2023, 14:57:12) [MSC v.1935 64 bit (AMD64)] on win32

Type "help", "copyright", "credits" or "license()" for more information.

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Optimal Solution: [0.25]

Optimal Value: [0.875]

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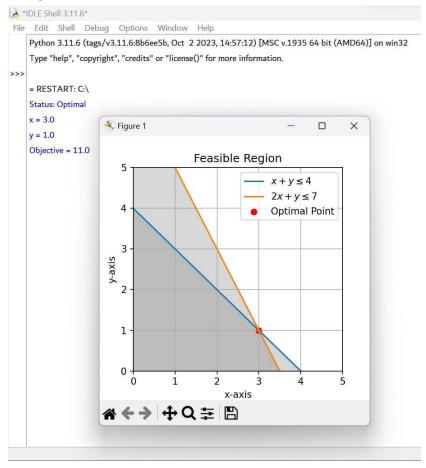
Python 3.11.6 (tags/v3.11.6:8bee5b, Oct 2 2023, 14:57:12) [MSC v.1935 64 bit (AMD64)] on win32

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#### Q2-WAP to solve a LPP graphically.

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 Name-Aman
 Examination roll number -22020570024
 Class Roll number -20221406
 Course- B.Sc(H) computer science
import numpy as np
from scipy.optimize import minimize_scalar
# Define your objective function here
def objective function(x):
 return 2 * x**2 - x + 1 # Example function: f(x) = 2 * x**2 - x + 1
def line_search_method(initial_guess, search_direction):
  # Define the objective function to be minimized along the search direction
  def objective_along_direction(alpha):
     x = initial_guess + alpha * search_direction
     return objective function(x)
  # Perform a line search to find the optimal step size (alpha)
  result = minimize_scalar(objective_along_direction)
  optimal alpha = result.x
  # Calculate the optimal solution
  optimal_solution = initial_guess + optimal_alpha * search_direction
```



# Q3-WAP to compute the gradient and Hessian of the function $f(x) = 100(x^2 - x^1)^2 + (1 - x^1)^2$



#### Q4-WAP to find Global Optimal Solution of a function

 $f(x) = -10Cos(\pi x - 2.2) + (x + 1.5)x$  algebraically.

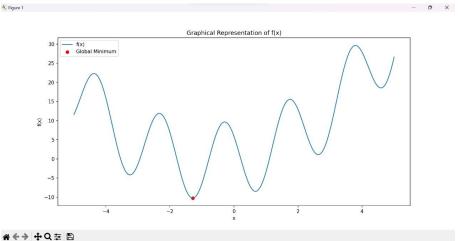


#### Q5- WAP to find Global Optimal Solution of a function

 $f(x) = -10Cos(\pi x - 2.2) + (x + 1.5)x$  graphically.

```
Name-Aman
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 Class Roll number -20221406
 Course- B.Sc(H) computer science
import numpy as np
import matplotlib.pyplot as plt
# Rest of the code remains unchanged
# Define the objective function
def objective_function(x):
  return -10 * np.cos(np.pi * x - 2.2) + (x + 1.5) * x
# Generate x values
x_values = np.linspace(-5, 5, 1000)
# Calculate corresponding y values
y_values = objective_function(x_values)
# Plot the function
plt.plot(x_values, y_values, label='f(x)')
# Find the minimum of the function
min_x = x_values[np.argmin(y_values)]
min_y = objective_function(min_x)
```

```
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y_values = objective_function(x_values)
# Plot the function
plt.plot(x_values, y_values, label='f(x)')
# Find the minimum of the function
min_x = x_values[np.argmin(y_values)]
min_y = objective_function(min_x)
# Mark the minimum point on the plot
plt.scatter(min_x, min_y, color='red', label='Global Minimum')
# Add labels and title
plt.xlabel('x')
plt.ylabel('f(x)')
plt.title('Graphical Representation of f(x)')
# Display the legend
plt.legend()
# Show the plot
plt.show()
# Print the result
print("Global optimal solution found at x =", min_x)
print("Optimal function value =", min_y)
```



#### Q6-WAP to solve constraint optimization problem.

```
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Name-Aman
 Examination roll number -22020570024
Class Roll number -20221406
Course- B.Sc(H) computer science
from scipy.optimize import minimize
# Objective function to minimize
def objective_function(x):
  return x[0]**2 + x[1]**2 # Example: minimize x^2 + y^2
# Constraint function
def constraint_function(x):
  return x[0] + x[1] - 1 # Example: constraint x + y = 1
# Initial guess
initial_guess = [0, 0]
# Define the constraint
constraint = {'type': 'eq', 'fun': constraint_function}
# Solve the optimization problem
result = minimize(objective_function, initial_guess, constraints=constraint)
# Print the result
print("Optimal solution:", result.x)
print("Optimal value of the objective function:", result.fun)
```

```
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= RESTART: C:\
Optimal solution: [0.5 0.5]
Optimal value of the objective function: 0.5
```