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Experiment - 3

Explanation

Aim → Implementation of uncertain method (Dempster Shafer Theory)

Problem formulation

To solve inference problem representing uncertain method to obtain a belief function.

Using the Massfunction which has built in combination rules obtain the Dempster rule of combination

Initial state

$m_1 = \{ 'a': 0.4, 'b': 0.2, 'ab': 0.1, 'abc': 0.3 \}$

$m_2 = \{ 'b': 0.5, 'c': 0.2, 'ac': 0.3, 'a': 0.0 \}$

Final state

$\{ 'ac': 0.157894$

$'c': 0.105263,$

$'b': 0.5263157,$

$'ab': 0.0,$

$'abc': 0.0,$

$'a': 0.21052631 \}$

Problem Solving

The combination is calculated from the two sets of masses m_1 and m_2 in the following manner.

$$\bullet m_{1,2}(\phi) = 0$$

$$\bullet m_{1,2}(A) = (m_1 \oplus m_2)(A) = \frac{1}{1-K} \sum_{B \cap C = A} m_1(B) m_2(C)$$

where

$$k = \sum_{B \cap C = \emptyset} m_1(B) m_2(C)$$

combination of m_1 & m_2

$$\xi'_b = 0.59, \quad \xi'_{b'} = 0.2499, \quad \xi'_{c'}, 'b' = 0.1499$$

$$, \quad \xi'_{c'} = 0.0999$$

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EXPERIMENT NO: 9

IMPLEMENTATION OF UNCERTAIN
METHODS – DEMPSTER SHAFER THEORY

Algorithm:

Step 1: Start

Step 2: Each piece of evidence is represented by a separate belief function **Step**

3: Combination rules are then used to successively fuse all these belief functions in order to obtain a belief function representing all available evidence.

Step 4: Specifically, the combination (called the *joint mass*) is calculated from the two sets of masses m_1 and m_2 in the following manner:

- $m_{1,2}(\emptyset) = 0$
- $m_{1,2}(A) = (m_1 \oplus m_2)(A) = (1/1-K) \sum_{B \cap C = A \neq \emptyset} m_1(B) m_2(C)$

where,

- $K = \sum_{B \cap C = \emptyset} m_1(B) m_2(C)$

K is a measure of the amount of conflict between the two mass sets.

Step 5: In python Mass-Function has the built-in combination rules.

Step 6: Stop

Source code:

```
from numpy import *

def DempsterRule(m1, m2):

    ## extract the frame of discernment

    sets=set(m1.keys()).union(set(m2.keys()))

    result=dict.fromkeys(sets,0)

    ## Combination process

    for i in m1.keys():

        for j in m2.keys():

            if set(str(i)).intersection(set(str(j))) == set(str(i)):

                result[i]+=m1[i]*m2[j]

            elif set(str(i)).intersection(set(str(j))) == set(str(j)):

                result[j]+=m1[i]*m2[j]

    ## normalize the results

    f= sum(list(result.values()))

    for i in result.keys():

        result[i] /=f

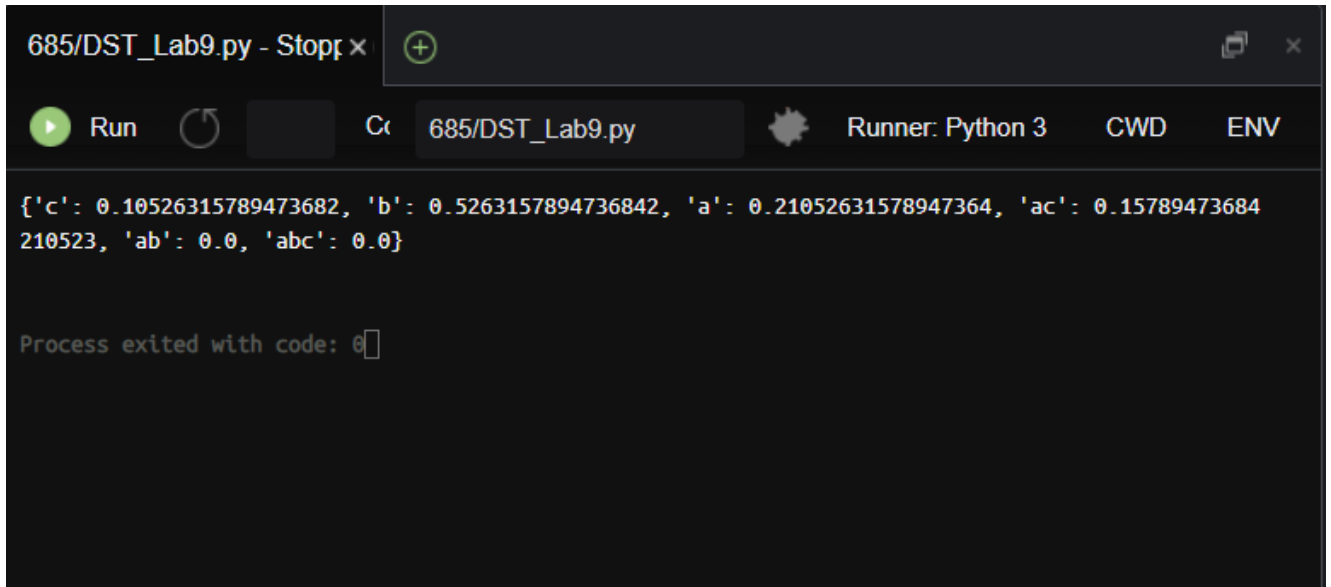
    return result

m1 = {'a':0.4, 'b':0.2, 'ab':0.1, 'abc':0.3}
```

```
m2 = {'b':0.5, 'c':0.2, 'ac':0.3, 'a':0.0}
```

```
print(DempsterRule(m1, m2))
```

Output:



The screenshot shows a Python IDE window titled "685/DST_Lab9.py - Stop". The interface includes a "Run" button, a "C" icon, a file path "685/DST_Lab9.py", a "Runner: Python 3" indicator, and "CWD" and "ENV" labels. The output area displays the following text:

```
{'c': 0.10526315789473682, 'b': 0.5263157894736842, 'a': 0.21052631578947364, 'ac': 0.15789473684210523, 'ab': 0.0, 'abc': 0.0}
```

Below the output, it states "Process exited with code: 0".

Result:

Hence, the Implementation of Dempster Shafer Theory is done successfully.