DATE: / / Aman Kumar Pandey RA1911003010685 1 Artificial Intelligence lab dim: Developing agent programs for real world problems - tradelling salesman Problem (TSP) Puoblem Formulation For a given complete graph cuith in vertices and weight junction defined on the edges, the objective is to construct a tour, i.e, a the objective count that passes through each werten only once of minimum total usight Initial State Final State Broblem Solving 20 10 35 3

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	we start at verden I and find the minimum cost path with I as starting point, i as ending point and all vertices appearing.
	cost path with 1 as starting point, i as
	ending point and all vertices appearing.
	enactly once.
	For path 1-2 the minimum cost would be
	through direct path.
	10/15 -) 10/15
	$(2)$ $(3)$ $(2)^{1/3}$ $(3)$
	et tries for various other
	permutations as well and 1-2-4-10
	permutations as well and 1-2-4- 3-1 permutation works perfect as it provides minimum (ost. 2) (3)
	as it provides minimum (ost. (2) (3)
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# AMAN KUMAR PANDEY RA1911003010685 ARTIFICIALINTELLIGENCELAB EXPERIMENT NO: 2

# <u>Developing agent programs for Real-World Problems</u>

#### (TRAVELLING SALESMAN PROBLEM)

#### Algorithm:

Step 1: Consider city 1 as the starting and ending point.

Step 2: Generate all (n-1)! Permutations of cities.

Step 3: Calculate the cost of every permutation and keep track of the minimum cost permutation.

Step 4: Return the permutation with minimum cost.

#### Source code:

```
from sys import maxsize
from itertools import permutations
V = 4
# implementation of traveling Salesman Problem
def travellingSalesmanProblem(graph, s):

# store all vertex apart from source vertex
vertex = []
for i in range(V):
    if i != s:
        vertex.append(i)
```

```
# store minimum weight Hamiltonian Cycle
  min_path = maxsize
  next_permutation=permutations(vertex)
  # for i in next_permutation:
      print(i," ")
  for i in next_permutation:
    # store current Path weight(cost)
    current_pathweight = 0
    # compute current path weight
    k = s
    for j in i:
       current_pathweight += graph[k][j]
       k = i
    current_pathweight += graph[k][s]
    # update minimum
    min_path = min(min_path, current_pathweight)
  return min_path
# Driver Code
if__name__ == "__main__":
  # matrix representation of graph
  graph = [[0, 10, 15, 20], [10, 0, 35, 25],
       [15, 35, 0, 30], [20, 25, 30, 0]]
  s = 0
  print("Minimum weight for visiting all the cities",
travellingSalesmanProblem(graph, s))
```

## Output:



## Result:

Hence, the implementation of the Travelling Salesman Problem is done successfully.