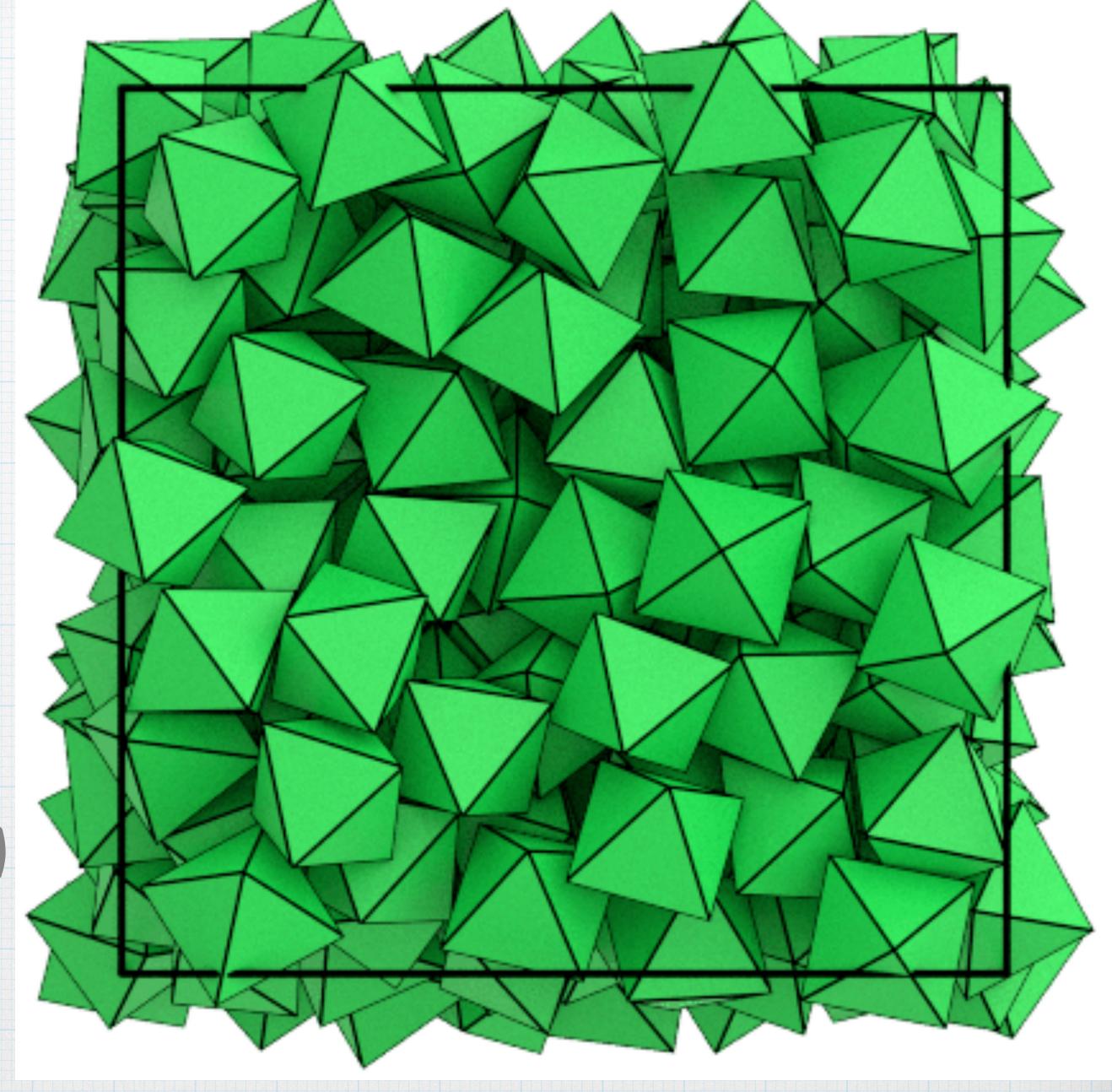
Self Assembly Of Hockey stick

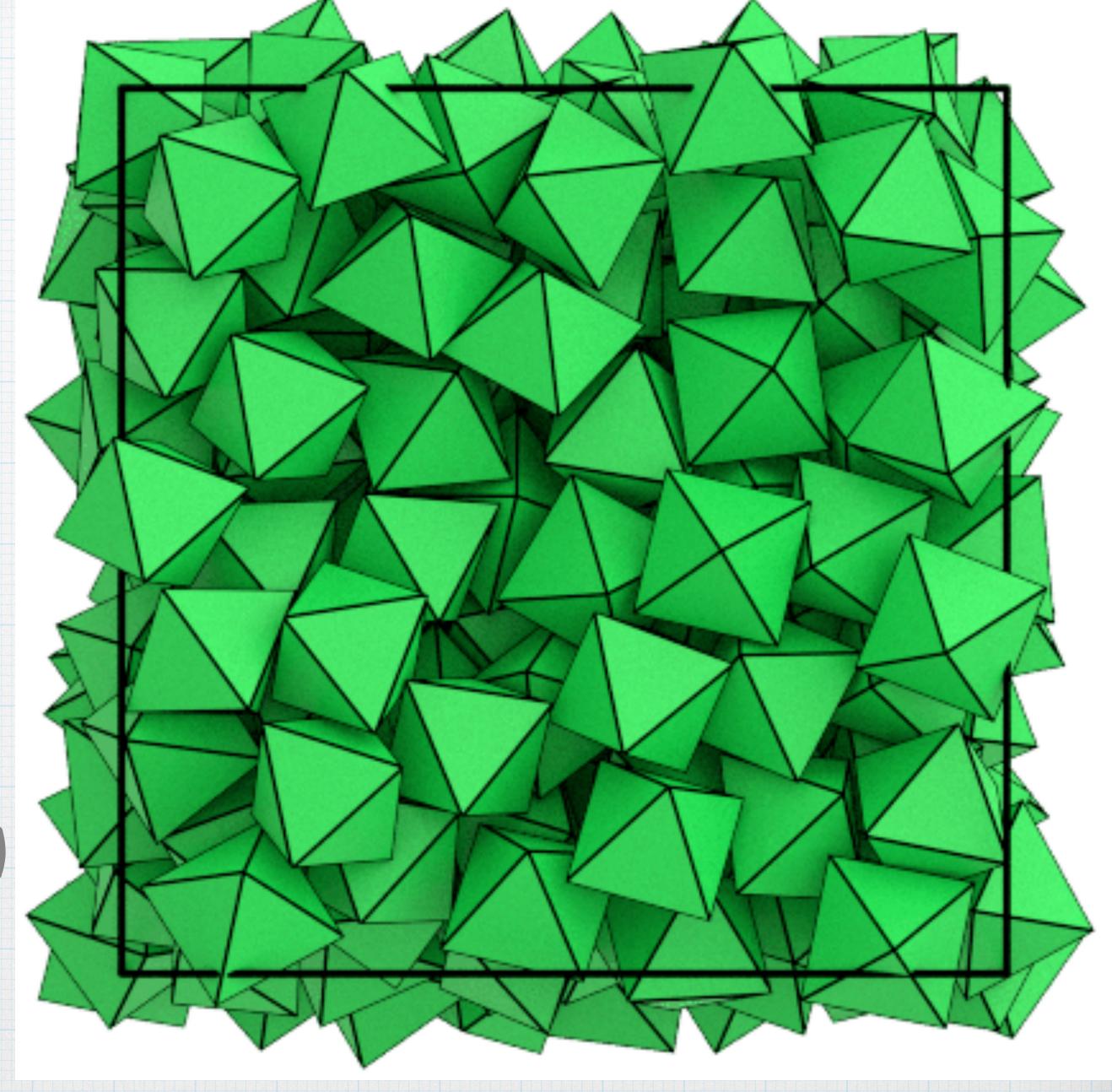
End-term course project presentation by Aman Anand (14807) For Molecular Simulation course (PH 322) Taught by: Prof. Prabal Maity & Prof. Anand Srivastava



https://github.com/glotzerlab/hoomd - examples

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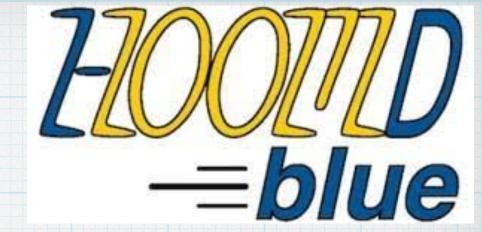
What is Self-Assembly?

- * Self-assembly is the process of association of individual units of a material into highly arranged/ordered structures/patterns.
- * F = E TS (Free energy)
- * In physics we see energy-minimisation comes into play to order things at low temperatures and disorder at high-temperature.
- * With no interaction and at high density, we observe the emergence of quasi-order. This happens to increase the number of available microstates.

Why do self assembly??

- * The potential of 'bottom-up' manufacturing to improve the economics and performance of certain technologies.
- * It draws from the enormous wealth of examples in biology for inspiration: self-assembly is one of the most important strategies used in biology for the development of complex, functional structures
- * It tends to produce structures that are relatively defect-free and self-healing because it requires that the target structures be the thermodynamically most stable ones open to the system.

Hoomd-blue



- * Software developed by Glotzer group, UMich.
- * It is a python package that run simulations of particle systems on CPUs and GPUs.
- * It performs hard particle Monte Carlo simulation of a variety of shape classes and molecular dynamics simulations of particles with a range of pair, bond, angle, and other potentials.
- * The group has also created other software which are used for compiling of hoomd files. Like FREUD, FRESNEL and GSD.
- * GSD GSD files store trajectories of the HOOMD-blue system state in a binary file with efficient random access to frames.
- * FREUD The FREUD Python library provides a simple, flexible, powerful set of tools for analyzing trajectories obtained from molecular dynamics or Monte Carlo simulations.
- * FRESNEL FRESNEL is a python library for path tracing publication quality images of soft matter simulations in real time.

FRESNEL: making hockey sticks

- * The FRESNEL provides Geometry feature to build certain geometries: sphere, cylinder, convex polyhedra, mesh, polygon and box.
- * The convex polyhedra option takes vertex coordinates and creates the convex hull of the vertices. Our hockey stick is not a convex polyhedron. So, the only option left is to make the figure out of triangular meshes.

```
In [1]: import fresnel
import numpy

In [2]: verts = numpy.load('hstick_mesh.npy')
scenel = fresnel.Scene()
hstick = fresnel.geometry.Mesh(scenel,vertices=verts)
hstick.material = fresnel.material.Material(color=fresnel.color.linear([0.25,0.5,0.9]), roughness=0.6)
scenel.camera = fresnel.camera.Orthographic.fit(scenel,margin=0)
scenel.lights = fresnel.light.cloudy()
#scenel.background_alpha = 1.0
#scenel.background_color = fresnel.color.linear([0, 0, 0])
hstick.outline_width = 0.015
fresnel.pathtrace(scenel, samples=200)
```

Creating a triangular mesh data file (.npy) for the hockey stick

```
In [2]: import numpy as np
        L1=5
        L2 = 3
        theta degree=125
        h=1
        a=1
        b=1
        theta radian = theta degree*np.pi/180
        cost = np.cos(theta radian)
        sint = np.sin(theta radian)
        #finding the internal edge lengths-l1,l2
        l1 = L1 - b/sint - a*(cost/sint)
        l2 = L2 - a/sint - b*(cost/sint)
        #using simple trigo finding the vertices of the hockey stick and storing in v
        v = ["null", [0,0,0], [0,0,h], [L2*sint, L2*cost,0], [L2*sint, L2*cost,h], [0,L1,0], [0,L1,h],
             [a+l2*sint,L1-l1+l2*cost,0],[a+l2*sint,L1-l1+l2*cost,h],[a,L1,0],[a,L1,h],[a,L1-l1,0],[a,L1-l1,h]]
        #writing the 20triangle vertices number, like 1,4,2 are the vertices of first triangle and so on
        x = [1,4,2,1,3,4,1,3,11,3,7,11,3,7,4,7,8,4,7,8,11,11,8,12,4,8,12,2,4,12,2,12,6,12,10,6,12,11,9,12,
             9,10,9,5,10,5,6,10,1,2,6,6,5,1,1,5,9,1,9,11]
        #creating the mesh array which will store triangle vertices coordinates according to x
        mesh = ["null"]*len(x)
        j=0
        for i in x:
            mesh[j]=v[i]
            j = j+1
        #saving the mesh data as .npy file which we can load at our convinience
        np.save('hstick mesh.npy', mesh)
```

Initialising the state

```
In [18]: import math
         import hoomd
         import os
         import warnings
         import fresnel
         import IPython
         import packaging.version
         device = fresnel.Device()
         tracer = fresnel.tracer.Path(device=device, w=300, h=300)
         def render2(snapshot):
             L = snapshot.configuration.box[0]
             verts = numpy.load('hstick mesh.npy')
             scene = fresnel.Scene(device)
             hstick = fresnel.geometry.Mesh(scene,vertices=verts, N=snapshot.particles.N)
             hstick.material = fresnel.material.Material(color=fresnel.color.linear([0.25]
                               ,0.5,0.9]), roughness=0.6)
             hstick.position[:] = snapshot.particles.position[:]
             hstick.orientation[:] = snapshot.particles.orientation[:]
             hstick.outline width = 0.01
             box = fresnel.geometry.Box(scene, [L, L, L, 0, 0, 0], box_radius=.02)
             scene.lights = [
                 fresnel.light.Light(direction=(0, 0, 1),
                                     color=(0.8, 0.8, 0.8),
                                     theta=math.pi),
                 fresnel.light.Light(direction=(1, 1, 1),
                                     color=(1.1, 1.1, 1.1),
                                     theta=math.pi / 3)
             scene.camera = fresnel.camera.Orthographic(position=(L * 2, L, L * 2),
                                                         look at=(0, 0, 0),
                                                        up=(0, 1, 0),
                                                        height=L * 1.4 + 1)
             scene.background color = (1, 1, 1)
             return IPython.display.Image(tracer.sample(scene, samples=500)._repr_png_())
```

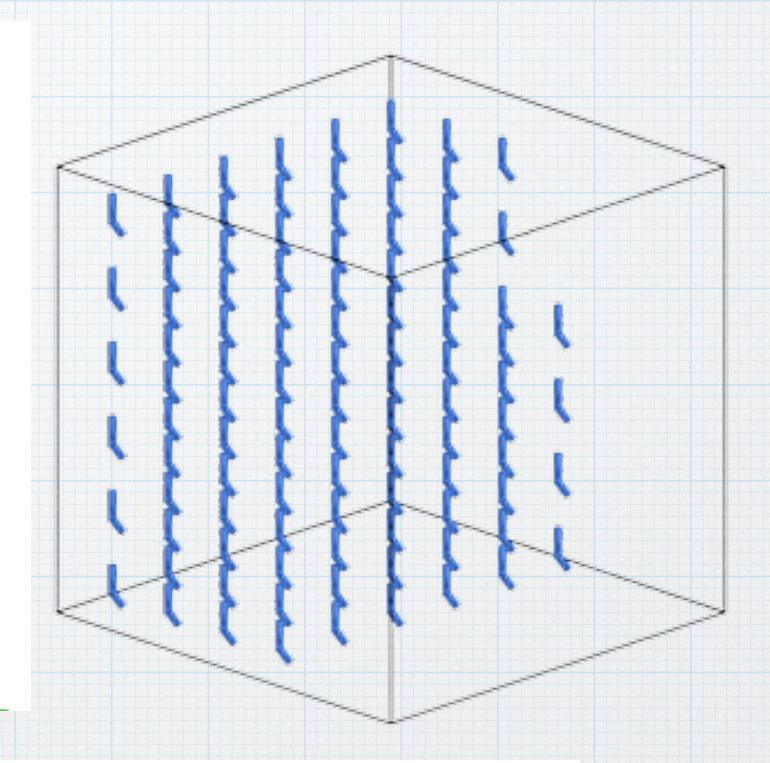
Initialising the state

```
In [6]: import gsd.hoomd
import os

fn = os.path.join(os.getcwd(), 'lattice.gsd')
![ -e "$fn" ] && rm "$fn"

snapshot = gsd.hoomd.Snapshot()
snapshot.particles.N = N_particles
snapshot.particles.orientation = position
snapshot.particles.orientation = orientation

snapshot.particles.typeid = [0] * N_particles
snapshot.particles.types = ['hstick']
snapshot.configuration.box = [L, L, L, 0, 0, 0]
with gsd.hoomd.open(name='lattice.gsd', mode='xb') as f:
    f.append(snapshot)
```

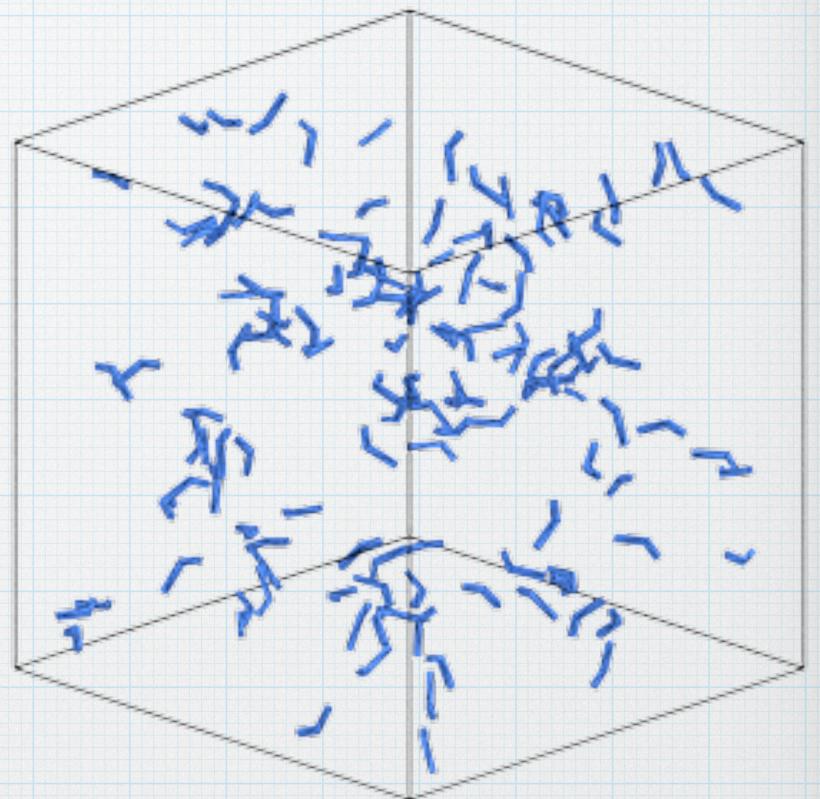


```
In [*]: m = 4
    N_particles = 2* m**3
    spacing = 1.2
    K = math.ceil(N_particles**(1 / 3))
    L = K * spacing
    x = numpy.linspace(-L / 2, L / 2, K, endpoint=False)
    position = list(itertools.product(x, repeat=3))
    position = position[0:N_particles]
    orientation = [(1, 0, 0, 0)] * N_particles
```

Randomising the initialised state

```
In [8]: import gsd.hoomd
    cpu = hoomd.device.CPU()
    sim = hoomd.Simulation(device=cpu, seed=2)
    mc = hoomd.hpmc.integrate.Polyhedron(0.15,0.2,0.4,2)
    vertices1 = numpy.load('hstick_vertices.npy')
    faces1=numpy.load('hstick_faces.npy')
    mc.shape["hstick"] = dict(vertices=vertices1 ,faces=faces1)
    sim.operations.integrator = mc
    sim.create_state_from_gsd(filename='lattice.gsd')

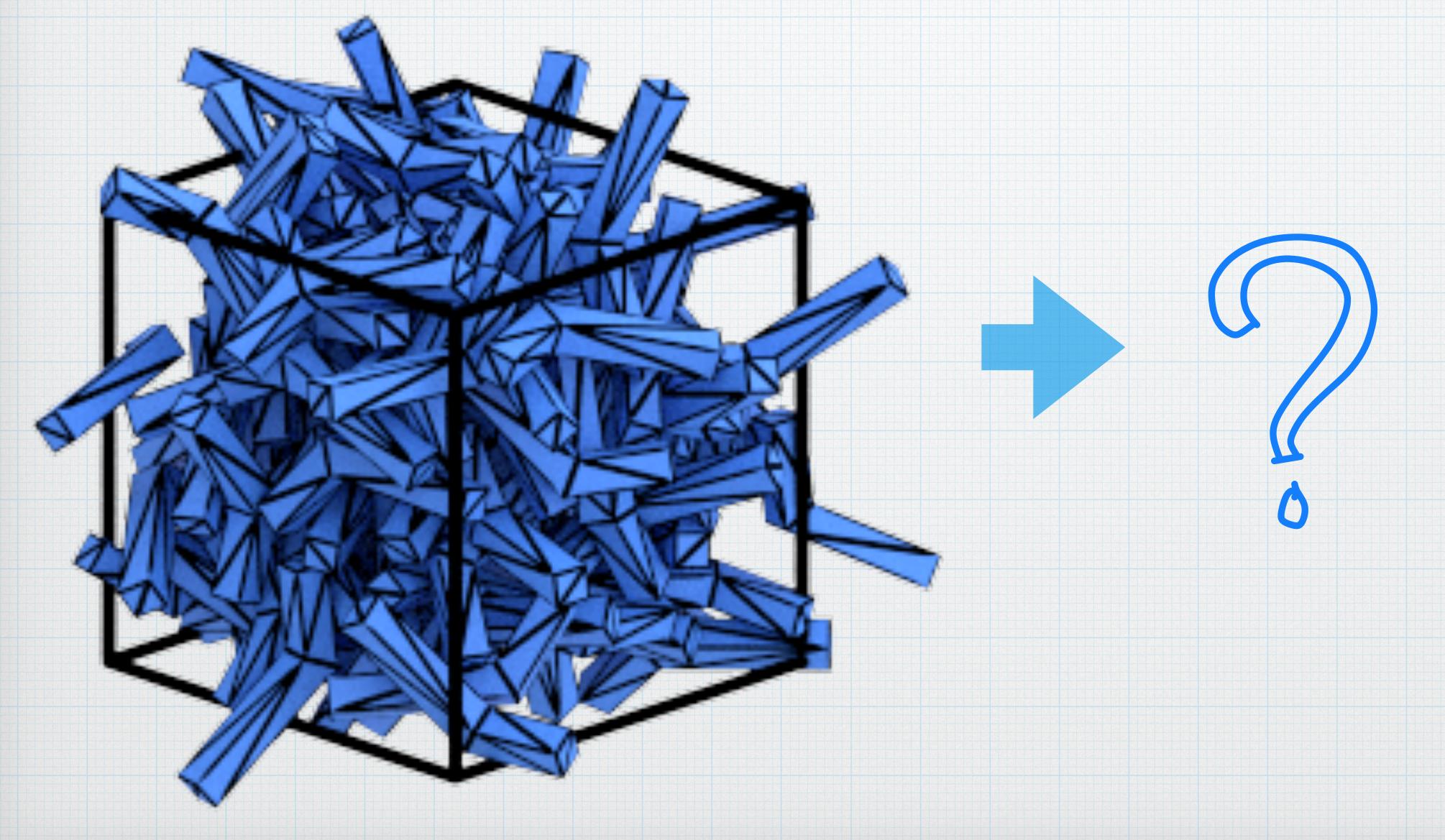
In [20]: initial_snapshot = sim.state.get_snapshot()
    sim.run(10e3)
    final_snapshot = sim.state.get_snapshot()
```

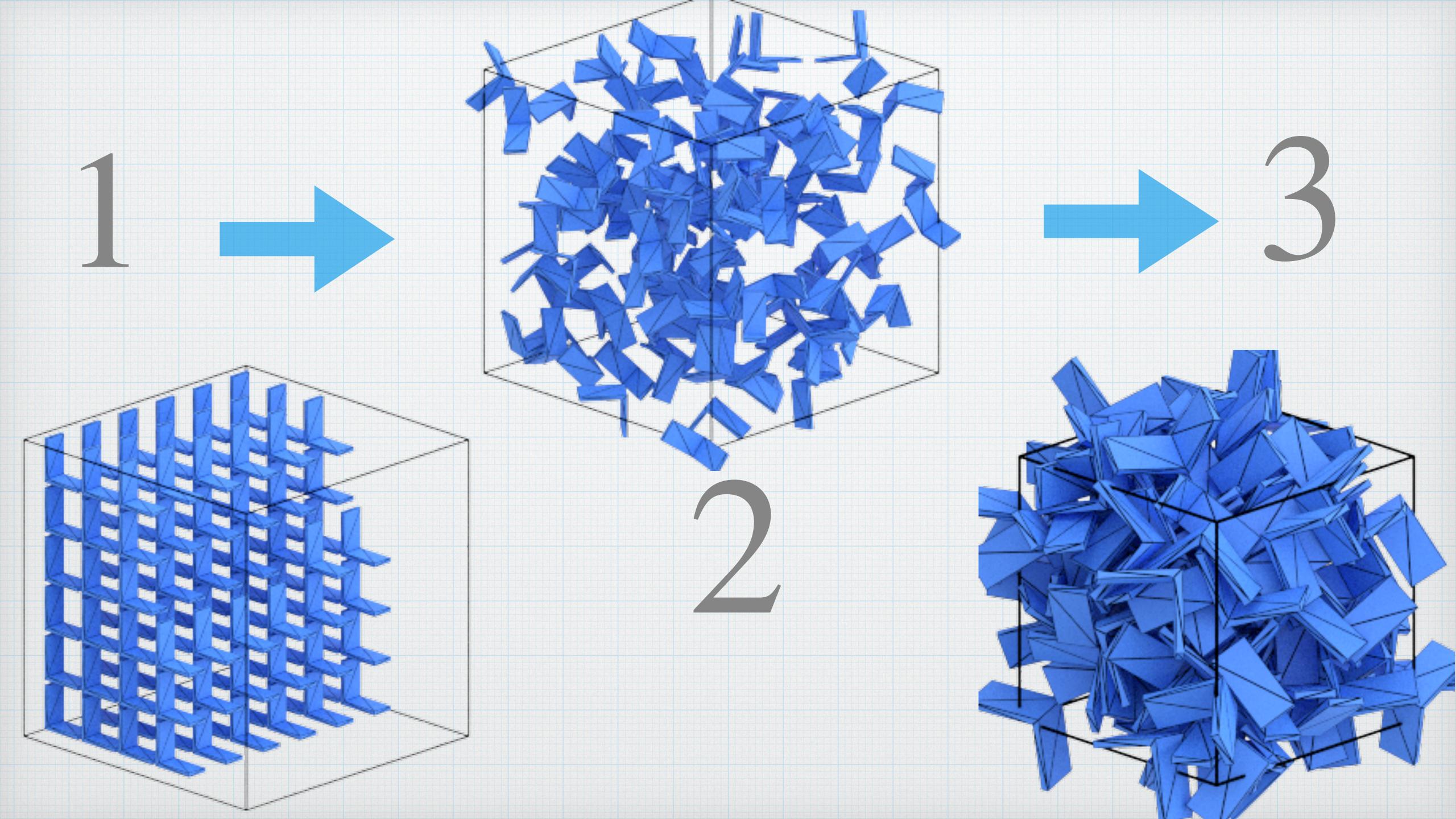


Compressing the random state

```
In [37]: initial box = sim.state.box
         final box = hoomd.Box.from box(initial box)
         final packing fraction = 0.57
         final box.volume = sim.state.N particles * V particle / final packing fraction
         compress = hoomd.hpmc.update.QuickCompress(trigger=hoomd.trigger.Periodic(10),
                                                     target box=final box)
In [38]: sim.operations.updaters.append(compress)
In [39]: periodic = hoomd.trigger.Periodic(10)
         tune = hoomd.hpmc.tune.MoveSize.scale solver(moves=['a', 'd'],
                                                       target=0.2,
                                                       trigger=periodic,
                                                       max translation move=0.2,
                                                       max rotation move=0.2)
         sim.operations.tuners.append(tune)
 In [*]: while not compress.complete and sim.timestep < le6:</pre>
             sim.run(1000)
```

Equilibrating the compressed state





Future directions

- * Test with the standard results. I change just the mesh file so that the mesh now gives a tetrahedron.
- * Look at the self-assembly for different edge-lengths and angles.
- * Will the system equilibrate? If yes, then at what critical densities do we get ordered structures?
- * Check the self-assembly for experimentally possible parameters.
- * Effect of smoothening of hockey stick on self-assembly.