



Experiment-7

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Branch: BE-CSE

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Subject Name: Advanced Programming Lab - 2

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Section/Group: KPIT-901/B

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Subject Code: 22CSP-351

1. Aim: Greedy algorithm.

1. Problem: 53. Maximum Subarray.
2. Problem: 70. Climbing Stairs.

2. Objective:

1. Find the contiguous subarray with the largest sum using Kadane's Algorithm in O(n) time complexity.
2. Find the number of distinct ways to climb a staircase with n steps, where each step can be 1 or 2 at a time.

3. Implementation/Code:

1.)

```
class Solution {
public:
    int maxSubArray(vector<int>& nums) {
        int maxSum = nums[0], currSum = 0;

        for (int num : nums) {
            currSum = max(num, currSum + num);
            maxSum = max(maxSum, currSum);
        }

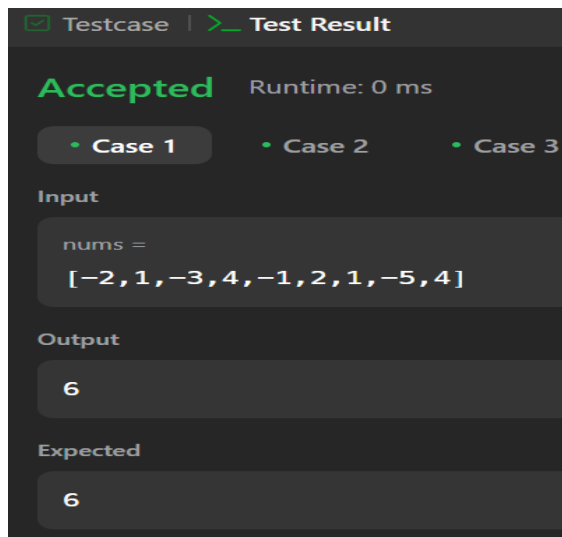
        return maxSum;
    }
};
```

2.)

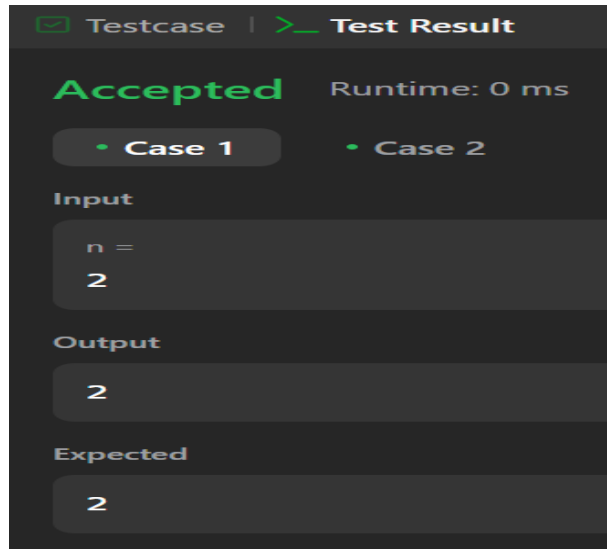
```
class Solution {  
public:  
    int climbStairs(int n) {  
        if (n <= 2) return n;  
  
        int prev1 = 1, prev2 = 2, curr;  
        for (int i = 3; i <= n; i++) {  
            curr = prev1 + prev2;  
            prev1 = prev2;  
            prev2 = curr;  
        }  
  
        return prev2;  
    }  
};
```

4. Output:

1.



2.



5. Time Complexity:

1. $O(n)$
2. $O(n)$

6. Space Complexity:

1. $O(1)$
2. $O(1)$

7. Learning Outcome:

1. Kadane's Algorithm efficiently finds the maximum subarray sum in linear time.
2. It follows a greedy approach, maintaining a running sum and updating the maximum sum encountered.
3. Helps understand dynamic programming principles, particularly prefix sums and state transitions. Learn how to optimize space complexity ($O(1)$ in Jump Game, $O(n)$ in Coin Change) while maintaining efficient time complexity.
4. The problem follows the Fibonacci sequence pattern: $dp[i] = dp[i-1] + dp[i-2]$.



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5. Dynamic Programming (DP) Optimization: We reduce space complexity by using only two variables instead of an array.
6. The approach efficiently computes results in $O(n)$ time with constant space, making it scalable.