

①

Closure Operation & If I is a set of items for a grammar G , then $\text{closure}(I)$ is the set of items constructed from I by the two rules:

- i) Initially every item in I is added to $\text{closure}(I)$
- ii) If $A \rightarrow \alpha \cdot B \beta$ is in $\text{closure}(I)$ and $B \rightarrow \gamma$ is a production then add the item $B \rightarrow \gamma$ to I , if it is not already there. We apply this rule until no more items can be added to $\text{closure}(I)$.

Example:

$S' \rightarrow S$

$S \rightarrow AA$

$A \rightarrow aA \mid b$

$\text{Closure}(S' \rightarrow S) = S' \rightarrow \cdot S$

$S \rightarrow \cdot AA$

$A \rightarrow \cdot aA \mid b$

$\text{Closure}(S \rightarrow A \cdot A) = S \rightarrow A \cdot A$

$A \rightarrow \cdot aA \mid b$

$\text{Closure}(A \rightarrow \cdot aA) = A \rightarrow a \cdot A$

②

GoTo Function & To model the transition that the parser would make from a given state on some grammar symbol x , the algorithm computes the set of items that would result from recognizing an x . To do so, the algorithm selects the subset of the current set of LR(1) items where x precedes x and advances the past the x in each of them.

Algorithm :-

Find state transitions

S : a set of LR(1) items
 x : a terminal or non-terminal symbol

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goto( $S, x$ )
  moved  $\leftarrow \{ \}$ 
  for each item  $i$  in  $S$ 
    for  $i$  is like  $[A \rightarrow \beta \cdot x \$, a]$  then
      moved  $\leftarrow$  moved  $\cup \{ [A \rightarrow \beta x \cdot \$, a] \}$ 
  return closure(moved)

```

③ LR Algorithm

```

token = next token()
repeat forever
   $S$  = top of stack
  if action[ $S, token$ ] = "shift  $e_i$ " then
    push token
    push  $e_i$ 
    token = next token()
  else if action[ $S, token$ ] = "reduce  $A::=\beta$ " then
    pop 2 *  $|\beta|$  symbols
     $S$  = top of stack
    push  $A$ 
    push goto[ $S, A$ ]
  else if action[ $S, token$ ] = "accept" then
    return
  else
    error()

```

④ i) Handle Pruning : It is the general approach used in shift and reduce

parsing. A handle is a substring that matches the body of a production. Handle reduction is a step in the reverse of rightmost derivation. A rightmost derivation in reverse can be obtained by handle pruning.

- ii) Kernel Items & which include the initial item, $S' \rightarrow \cdot S$ and all item whose dots are not at the left end.
- iii) Non-Kernel Items & which have their dots at the left end.

⑤ LR parser is most powerful among bottom up parsers. It is a non-recursive, shift-reduce, bottom up parser. It uses a wide class of context-free grammar which makes it the most efficient syntax and analysis technique. LR parsers are also known as $LR(k)$ parsers, where L stands for left to right scanning of the input stream, R stands for the construction of right-most derivation in reverse and k denotes the number of lookahead symbols to make decisions.

⑥ Predictive Parser & i) It comes under the top-down parsing.

- ii) Backtracking does not show its impact on predictive parser.
- iii) The input string can be replaced by using the parser of recursive descent.
- iv) Look ahead pointer is used for denoting the succeeding input symbols.

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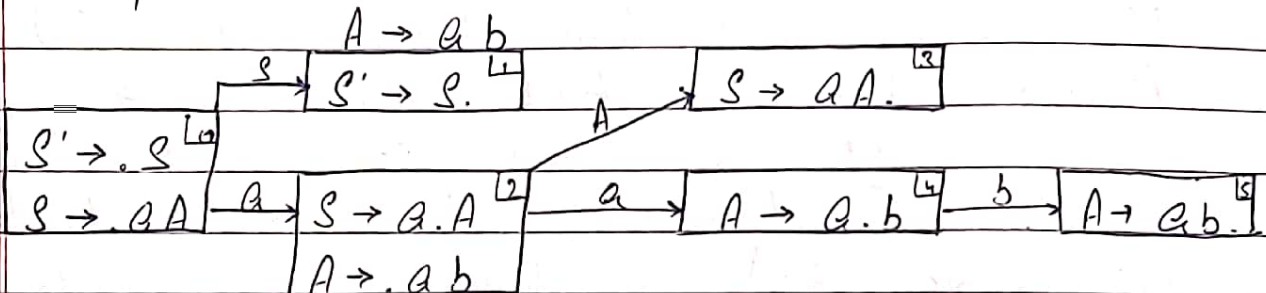
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Shift Reduce Parser :- i) It is the type of bottom up parsing.

- ii) Shift step and reduce step are unique techniques in shift reducing parsing.
- iii) The next input symbol is pointed by shift step technique.
- iv) The complete grammar rule are tracked by reduce step technique.

⑦ : LR(0) Item & An LR(0) item is a production G with dot at some position on right side of the production. LR(0) item is useful to indicate that how much of the input has been scanned up to a given point in the process of parsing.

Example $\rightarrow S \rightarrow aA$



State	Action			Goto	
	a	b	\$	S	A
0	S ₂			1	
1			Accept		
2	S ₄				3
3	r ₁	r ₁	r ₁		
4		S ₅			
5	r ₂	r ₂	r ₂		

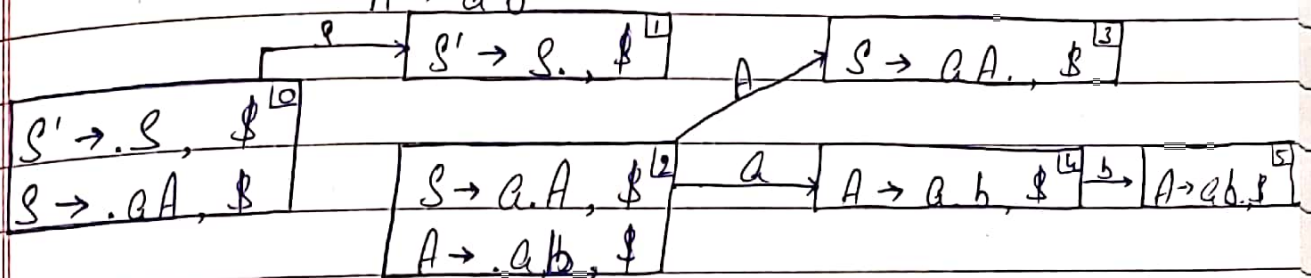
ii) LR(1) Item :- It is a collection of LR(0) items and a look ahead symbol.

LR(1) item = LR(0) item + look ahead

The look ahead is used to determine that where we place the final item. The look ahead always add \$ symbol for the argument production.

Example $\rightarrow S \rightarrow aA$

$A \rightarrow ab$



State	a	b	\$	S	A
0	S ₂			'	
1			Accept		
2	S ₄				S
3			S ₁		
4		S ₅			
5			S ₁		