

⑥ I Backpropagation Algorithm

Initialize all weights to small random numbers. Until satisfied do

• For each training example, Do

i) Input the training example to the network and compute the network outputs

ii) For each output unit k

$$\delta_k \leftarrow o_k(1-o_k)(t_k-o_k)$$

iii) For each hidden unit h

$$\delta_h \leftarrow o_h(1-o_h) \sum w_{hk} \delta_k$$

iv) Update each network weight w_{ij}

$$w_{ij} \leftarrow w_{ij} + \Delta w_{ij}$$

where, $\Delta w_{ij} = \eta \delta_j x_{ij}$

• Gradient descent over entire network weight vector

• Easily generalized to arbitrary directed graph

• Will find a local, not necessarily global error minimum.

• Often include weight momentum α

$$\Delta w_{ij}(n) = \eta \delta_j x_{ij} + \alpha \Delta w_{ij}(n-1)$$

• Minimizes error over training examples

• Training can take thousands of iterations

• Using network after training is very fast.

- II Advantages & i) It is able to incorporate both direct evidence and indirect evidence into a single analysis.
- ii) Able to produces results for all comparisons of interest within a connected network
- iii) It is able to directly calculate the probability that each drug is the best treatment
- iv) It is able to adjust for correlations within multi-arm trials
- v) It is able to incorporate meta-regression to assess heterogeneity all within one model.
- vi) Appears to produce valid, accurate results for the star and ladder network patterns

III $\sin(x) + \sqrt{x^2 + y}$

