Quiz2

1 True or False [60 pts]

- Machine learning is the process of discovering patterns in data through runing learning algorithm on hypothesis set. T
- \bullet Supervised learning is a type of machine learning where the training data includes the desired outputs. T
- Unsupervised learning is a type of machine learning where the training data does not include the desired outputs. T
- Classification, and regression are all types of supervised learning. T
- For known target functions, we still need to construct a hypothesis set and a learning algorithm to solve the problem. F
- Generally, fewer training samples are better, as they allow any hypothesis set to fit easily. F
- We can use the same learning algorithm to solve for any hypothesis set. F
- A training set is a set data used to discover potentially predictive relationships, so that the larger training set, the better. T
- A test set is a set of data used to assess the strength and utility of a predictive relationship T
- \bullet The Expected Risk Minimization refer to minimize the loss on a particular observed sample data. F
- The Empirical Risk Minimization refer to minimize the loss on the true joint distribution. F
- You will work hard and pass the Machine Learning Class T/F

2 ERM [40 pts]

1. Given the dataset $\{(x_1,y_1),(x_2,y_2),...,(x_n,y_n)\}$, hypothesis set \mathcal{H} , please write down the formula of Empirical Risk Minimization and Expected Risk Minimization.

See Lecture+2-ERM Slides 23.

2. Assume $h_{\theta} \in \mathcal{H} = \{\theta + 2024; \theta \in \mathcal{R}\}$ and if the loss function is defined as $loss(h_{\theta}, y_i) = (h_{\theta} - y_i)^2$, write down the θ that minimizes the empirical risk.

$$\theta = \frac{1}{n} \sum_{i=1}^{n} y_i - 2024$$

3. Assume $h_{\theta} \in \mathcal{H} = \{2024 \times \theta; \theta \in \mathcal{R}\}$ and if the loss function is defined as $loss(h_{\theta}, y_i) = |h_{\theta} - y_i|$, write down the θ that minimizes the empirical risk.

$$\theta = \text{median } y_i / 2024$$

4. Assume $h_{\theta} \in \mathcal{H} = \{\theta; \theta \in \mathcal{R}\}$ and if the loss function is defined as $loss(h_{\theta}, y_i) = |h_{\theta} - y_i|_{\infty}$ (note that $||_{\infty}$ denotes Infinity (L ∞) Norm), write down the θ that minimizes the empirical risk.

$$\theta = (y_{\text{max}} + y_{\text{min}}) / 2$$