CS150A Database

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Dec. 13, 2024

Today:

• Parallel Query Processing:

Readings:

 Database Management Systems (DBMS), Chapter 22

Review: Refinement

Refinement

- Remove Redundance: Functional Dependencies
- FD
 - Formally:An FD X \rightarrow Y holds over relation schema R if, for every allowable instance r of R: t1 \in r, t2 \in r, π_X (t1) = π_X (t2) \Rightarrow π_Y (t1) = π_Y (t2)
 - Key/Super Key/Candidate Key
 - F+ = closure of F:
 - the set of all FDs that are implied by F.
 - includes "trivial dependencies"
 - Armstrong's Axioms

Example

- Contracts(cid,sid,jid,did,pid,qty,value), and:
 - C is the key: C → CSJDPQV
 - Proj (J) purchases each part (P) using single contract (C): JP → C
 - Dept (D) purchases at most 1 part (P) from a supplier (S): SD → P
- Problem: Prove that SDJ is a key for Contracts
- JP \rightarrow C, C \rightarrow CSJDPQV
 - Imply JP → CSJDPQV
 - (by transitivity) (shows that JP is a key)
- $SD \rightarrow P$
 - implies SDJ → JP (by augmentation)
- SDJ → JP, JP → CSJDPQV
 - imply SDJ → CSJDPQV
 - (by transitivity) (shows that SDJ is a key).
- Q: can you now infer that SD → CSDPQV

Refinement

- Remove Redundance: Functional Dependencies
- FD
 - Formally:An FD X \rightarrow Y holds over relation schema R if, for every allowable instance r of R: $t1 \in r$, $t2 \in r$, $\pi_X(t1) = \pi_X(t2) \Rightarrow \pi_Y(t1) = \pi_Y(t2)$
 - Key/Super Key/Candidate Key
 - F+ = closure of F:
 - the set of all FDs that are implied by F.
 - includes "trivial dependencies"
 - Armstrong's Axioms
 - Compute attribute closure of X (denoted X+) wrt F.

Attribute Closure (example)

$$R = \{A, B, C, D, E\}$$

$$F = \{B \rightarrow CD, D \rightarrow E, B \rightarrow A, E \rightarrow C, AD \rightarrow B\}$$

- Is B → E in F⁺ ?
 B+ = {B, C, D, E, ...}
 ... Yep!
- Is D a key for R?

$$D^+ = \{D, E, C\}$$
... Nope!

Is AD a key for R?

$$AD^{+} = \{A, D, E, C, B\}$$

...Yep!

Is AD a candidate key for R?

$$A^+ = \{A\} \ D^+ = \{D, E, C\}$$
 ... Yes!

Is ADE a candidate key for R?
 No!

Refinement

- Remove Redundance: Functional Dependencies
- Functional Dependencies
- Normal Form: Boyce-Codd Normal Form (BCNF)
 - R is in BCNF if the only non-trivial FDs over R are key constraints.
- Decomposition of a Relation Scheme into BCNF
 - There are three potential problems to consider:
 - 1) May be *impossible* to reconstruct the original relation! (Lossiness)
 - Decomposition of R into X and Y is *lossless-join* w.r.t. a set of FDs F if, for every instance r that satisfies F: $\mathcal{T}_{Y}(r) \bowtie \mathcal{T}_{Y}(r) = r$
 - Theorem: The decomposition of R into X and Y is lossless with respect to F if and only if the closure of F contains: $X \cap Y \to X$, or $X \cap Y \to Y$
 - 2) Dependency checking may require joins.
 - Decomposition of R into X and Y is dependency preserving if (FX ∪ FY) + = F +
 - 3) Some queries become more expensive.

Dependency Preservation: Notes

- Critical to consider F + in the definition:
 - ABC, $A \rightarrow B$, $B \rightarrow C$, $C \rightarrow A$, decomposed into AB and BC.
 - Is this dependency preserving? Is C → A preserved?????
- Well... $F + contains F \cup \{A \rightarrow C, B \rightarrow A, C \rightarrow B\}$, so...
 - $F_{AB} \supseteq \{A \rightarrow B, B \rightarrow A\}; F_{BC} \supseteq \{B \rightarrow C, C \rightarrow B\}$
 - So, $(F_{AB} \cup F_{BC})^+ \supseteq \{B \rightarrow A, C \rightarrow B\}$
 - Hence $(F_{AB} \cup F_{BC})^+ \supseteq \{C \rightarrow A\}$

$$(F_X \cup F_Y)^+ = F^+$$

Decomposition into BCNF

- Consider relation R with FDs F.
- If $X \to Y$ violates BCNF, decompose R into R Y and XY (guaranteed to be loss-less).
 - Repeated application of this idea will give us a collection of relations that are in BCNF
 - Lossless join decomposition, and guaranteed to terminate.
- e.g., CSJDPQV, key C, JP \rightarrow C, SD \rightarrow P, J \rightarrow S
 - {contractid, supplierid, projectid,deptid,partid, qty, value}
 - To deal with SD → P, decompose into SDP, CSJDQV.
 - To deal with J → S, decompose CSJDQV into JS and CJDQV
 - So we end up with: SDP, JS, and CJDQV
- Note: several dependencies may cause violation of BCNF.
- The order in which we "deal with" them could lead to very different sets of relations!

BCNF and Dependency Preservation

- In general, there may not be a dependency preserving decomposition into BCNF.
- E.g., CSZ, CS \rightarrow Z, Z \rightarrow C
 - Can't decompose while preserving 1st FD; not in BCNF.
- Similarly, decomposition of CSJDPQV into SDP, JS and CJDQV is not dependency preserving (w.r.t. the FDs JP → C, SD → P and J → S).
 - However, it is a lossless join decomposition.
 - In this case, adding JPC to the collection of relations gives us a dependency preserving decomposition.
 - but JPC tuples are stored only for checking the f.d. (Redundancy!)

A little history

- Relational revolution
 - declarative set-oriented primitives
 - 1970's
- Parallel relational database systems
 - on commodity hardware
 - 1980's
- Big Data: MapReduce, Spark, etc.
 - scaling to thousands of machines and beyond
 - 2005-2015

Review: Parallel Query Processing

Why Parallelism?

- Scan 100TB
 - At 0.5 GB/sec (see lec 4):
 ~200,000 sec = ~2.31 days



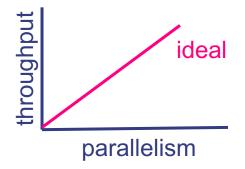
Why Parallelism? Cont.

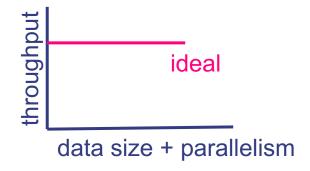
- Scan 100TB
 - At 0.5 GB/sec (see lec 4):
 ~200,000 sec = ~2.31 days
- Run it 100-way parallel:
 - 2,000 sec = 33 minutes
- 1 big problem = many small problems
 - Trick: make them independent



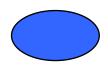
Two Metrics to Shoot For

- Speed-up
 - Increase HW
 - Fix workload
- Scale-up
 - Increase HW
 - Increase workload

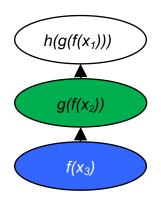




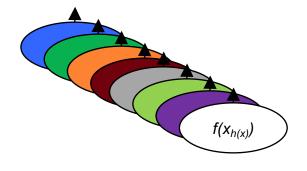
Roughly 2 Kinds of Parallelism



: any sequential program, e.g. a relational operator



Pipeline scales up to pipeline depth



Partition scales up to amount of data

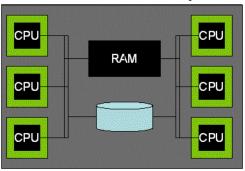
We'll get more refined soon.

Easy for us to say!

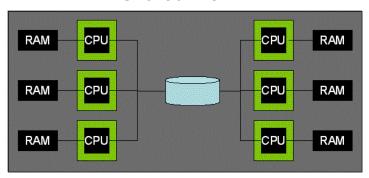
- Lots of Data:
 - Batch operations
 - Pre-existing divide-and-conquer algorithms
 - Natural pipelining
- Declarative languages
 - Can adapt the parallelism strategy to the task and the hardware
 - All without changing the program!
 - Codd's Physical Data Independence

Parallel Architectures

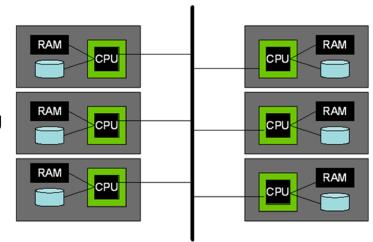
Shared Memory



Shared Disk



Shared Nothing (cluster)

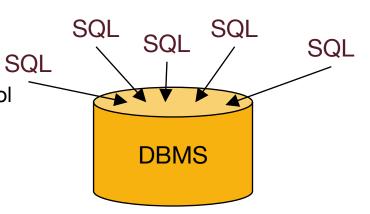


Shared Nothing

- We will focus on Shared Nothing here
 - It's the most common
 - DBMS, web search, big data, machine learning, ...
 - Runs on commodity hardware
 - Scales up with data
 - Just keep putting machines on the network!
 - Does not rely on HW to solve problems
 - Good for helping us understand what's going on
 - Control it in SW

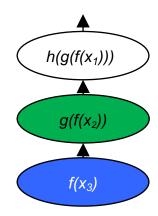
Kinds of Query Parallelism

- Inter-query (parallelism across queries)
 - Each query runs on a separate processor
 - Single thread (no parallelism) per query
 - Does require parallel-aware concurrency control



Intra Query – Inter-operator

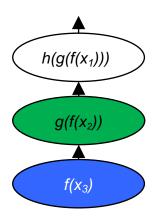
- Intra-query (within a single query)
 - Inter-operator (between operators)

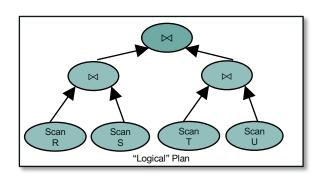


Pipeline Parallelism

Intra Query – Inter-operator Part 2

- Intra-query
 - Inter-operator

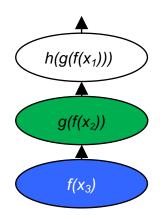




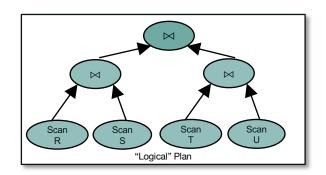
Pipeline Parallelism

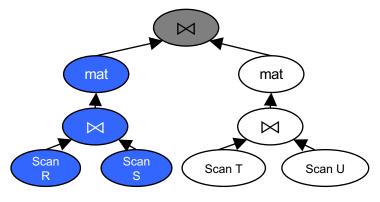
Intra Query - Inter-Operator Part 3

- Intra-query
 - Inter-operator



Pipeline Parallelism

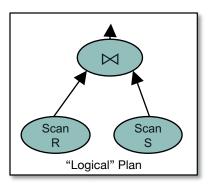




Bushy (Tree) Parallelism

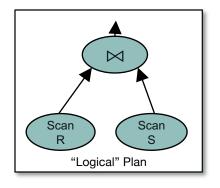
Intra Query – Intra-Operator

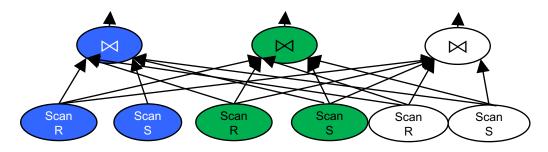
- Intra-query
 - Intra-operator (within a single operator)



Kinds of Query Parallelism, cont.

- Intra-query
 - Intra-operator



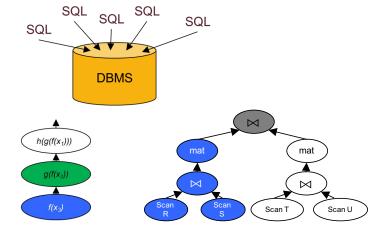


Partition Parallelism

Summary: Kinds of Parallelism

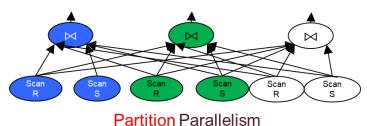
Inter-Query

- Intra-Query
 - Inter-Operator



Pipeline Parallelism

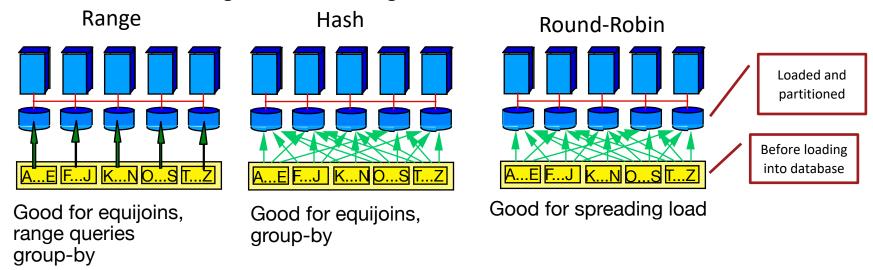
Intra-Operator (partitioned)



INTRA-OPERATOR PARALLELISM

Data Partitioning

- How to partition a table across disks/machines
 - A bit like coarse-grained indexing!



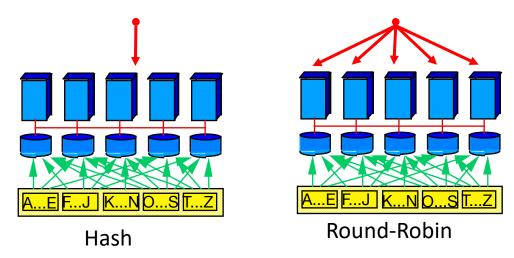
Shared nothing particularly benefits from "good" partitioning

Parallel Scans

- Scan in parallel, merge (concat) output
- σ_p : skip entire sites that have no tuples satisfying p
 - range or hash partitioning
- Indexes can be built at each partition
- Q: Do indexes differ in the different data partitioning schemes?

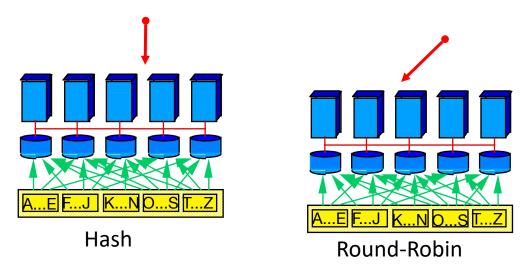
Lookup by key

- Data partitioned on function of key?
 - Great! Route lookup only to relevant node
- Otherwise
 - Have to broadcast lookup (to all nodes)



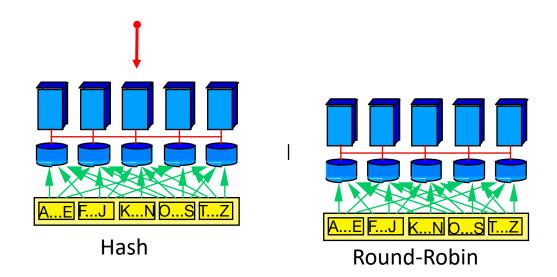
What about Insert?

- Data partitioned on function of key?
 - Route insert to relevant node
- Otherwise
 - Route insert to any node



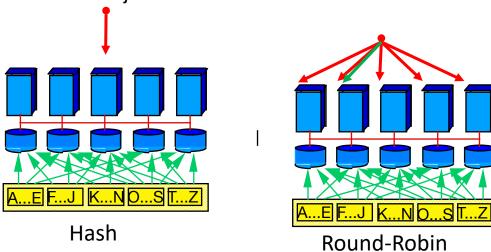
Insert to Unique Key?

- Data partitioned on function of key?
 - Route to relevant node
 - And reject if already exists

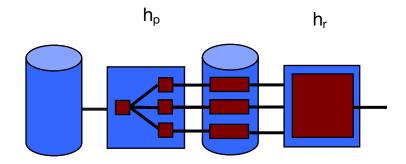


Insert to Unique Key cont.

- Otherwise
 - Broadcast lookup
 - Collect responses
 - If not exists, insert anywhere
 - Else reject

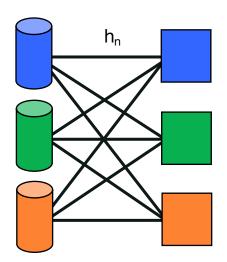


Remember Hashing?



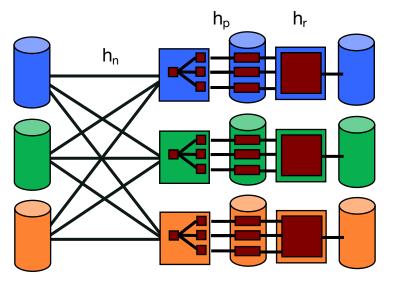
Parallelize me! Hashing

- Phase 1: shuffle data across machines (hn)
 - streaming out to network as it is scanned
 - which machine for this record?
 - use (yet another) independent hash function hn



Parallelize me! Hashing Part 2

- Receivers proceed with phase 1 in a pipeline as data streams in
 - from local disk and network



Nearly same as single-node hashing

Near-perfect speed-up, scale-up! Streams through phase 1, during which time every component works at its top speed, no waiting.

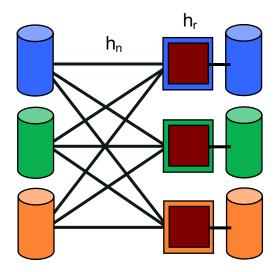
Have to wait to start phase 2.

Hash Join?

• Hmmm....

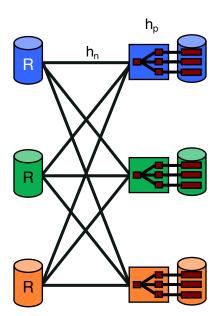
If you have enough machines... Naïve parallel hash join

- Phase 1: shuffle each table across machines (h_n)
 - Parallel scan streaming out to network
 - Wait for building relation to finish
 - Then stream probing relation through it
- Receivers proceed with naïve hashing in a pipeline as probe data streams in
 - from local disk and network
 - Writes are independent, hence parallel
- Note: there is a variation that has no waiting: both tables stream
 - Wilschut and Apers' "Symmetric" or "Pipeline" hash join
 - Requires more memory space



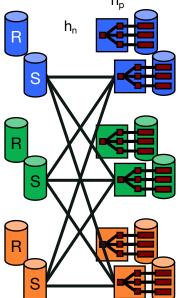
Parallel Grace Hash Join Pass 1

Pass 1 is like hashing above



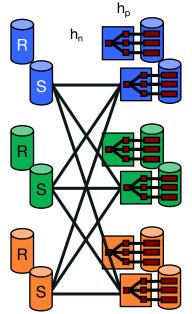
Parallel Grace Hash Join Pass 1 cont

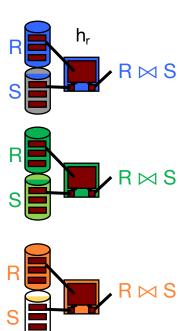
- Pass 1 is like hashing above
 - But do it 2x: once for each relation being joined



Parallel Grace Hash Join Pass 2

- Pass 2 is local Grace Hash Join per node
 - Complete independence across nodes



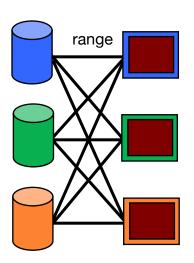


Parallel Grace Hash Join

- Pass 1: parallel streaming
 - Stream building and probing tables through shuffle/partition
- Pass 2 is local Grace Hash Join per node
 - Complete independence across nodes in Pass 2
- Near-perfect speed-up, scale-up!
- Every component works at its top speed
 - Only waiting is for Pass 1 to end.
- Note: there is a variant that has no waiting
 - Urhan's Xjoin, a variant of symmetric hash

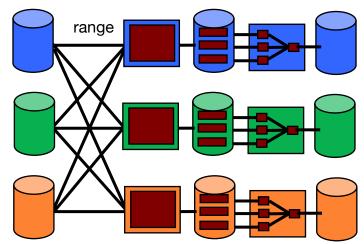
Parallelize me! Sorting Pass 0

- Pass 0: shuffle data across machines
 - streaming out to network as it is scanned
 - which machine for this record?
 Split on value range (e.g. [-∞,10], [11,100], [101, ∞]).



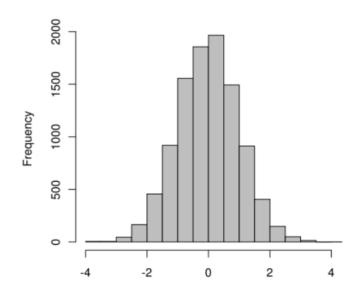
Parallelize me! Sorting Pass 1-n

- Receivers proceed with pass 0 as the data streams in
- Passes 1–n done independently as in single-node sorting
- A Wrinkle: How to ensure ranges are the same #pages?!
 - i.e. avoid data skew?



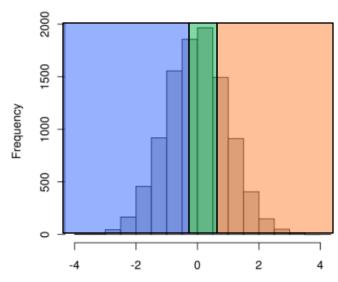
Range partitioning

- Goal: equal frequency per machine
- Note: ranges often don't divide x axis evenly
- How to choose?



Range partitioning cont.

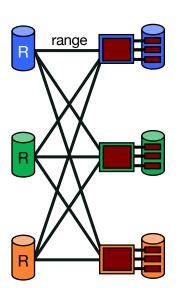
- Would be easy if data small
- In general, can sample the input relation prior to shuffling, pick splits based on sample
- Note: Random sampling can be tricky to implement in a query pipeline; simpler if you materialize first.



How to sample a database table? Advanced topic, we will not discuss in this class.

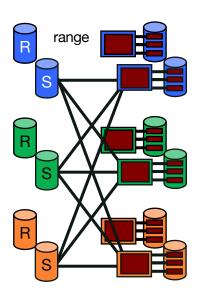
Parallel Sort-Merge Join

- Pass 0 .. n-1 are like parallel sorting above
- Note: this picture is a 2-pass sort (n=1); this is pass 0



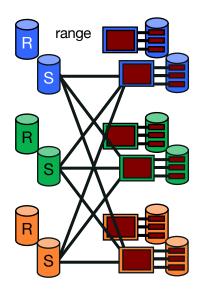
Parallel Sort-Merge Join Pass 0...n-1

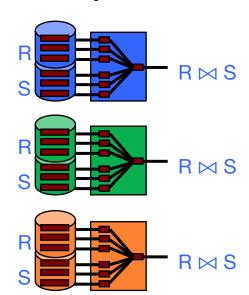
- Pass 0 .. n-1 are like parallel sorting above
 - But do it 2x: once for each relation, with same ranges
 - Note: this picture is a 2-pass sort (n=1); this is pass 0



Pass n (with optimization)

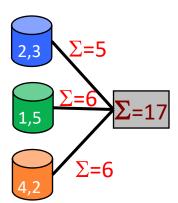
- Pass 0 .. n-1 are like parallel sorting above
 - But do it 2x: once for each relation, with same ranges
- Pass n: merge join partitions locally on each node





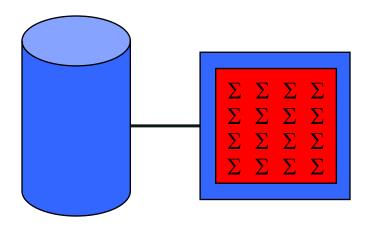
Parallel Aggregates

- Hierarchical aggregation
- For each aggregate function, need a global/local decomposition:
 - $sum(S) = \Sigma \Sigma (s)$
 - count = Σ count (s)
 - $avg(S) = (\Sigma \Sigma (s)) / \Sigma count(s)$
 - etc...



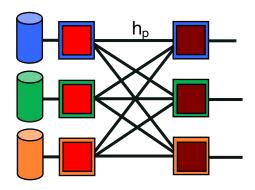
Parallel GroupBy

- Naïve Hash Group By
 - Local aggregation: in hash table keyed by group key ki keep local aggi
 - E.g. SELECT SUM(price) group by cart;



Parallel GroupBy, Cont.

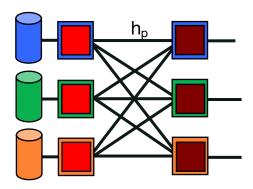
- Naïve Hash Group By
 - Local aggregation: in hash table keyed by group key k_i keep local agg_i
 - For example, k is major, agg is (avg(gpa), count(*))
 - Shuffle local aggs by a hash function h_p(k_i)
 - Compute global aggs for each key k_i



Parallel Aggregates/GroupBy Challenge!

Exercise:

- Figure out parallel 2-pass GraceHash-based scheme to handle # large of groups
- Figure out parallel Sort-based scheme

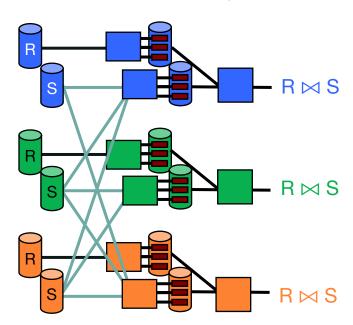


Joins: Bigger picture

- Alternatives:
 - Symmetric shuffle
 - What we did so far
 - Asymmetric shuffle
 - Broadcast join

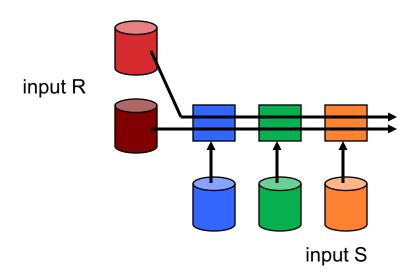
Join: One-sided shuffle

- If R already suitably partitioned,
- just partition S, then run local join at every node and union results.



"Broadcast" Join

- If R is small, send it to all nodes that have a partition of S.
- Do a local join at each node (using any algorithm) and union results.

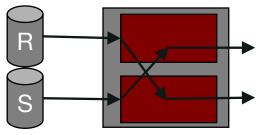


What are "pipeline breakers"?

- Sort
 - Hence sort-merge join can't start merging until sort is complete
- Hash build
 - Hence Grace hash join can't start probing until hashtable is built
- Is there a join scheme that pipelines?

Symmetric (Pipeline) Hash Join

- Single-phase, streaming
- Each node allocates two hash tables, one for each side
- Upon arrival of a tuple of R:
 - Build into R hashtable by join key
 - Probe into S hashtable for matches and output any that are found
- Upon arrival of a tuple of S:
 - Symmetric to R!

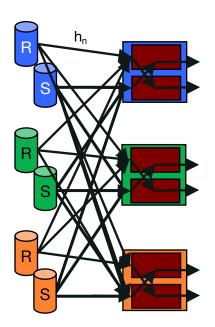


Symmetric (Pipeline) Hash Join cont

- Why does it work?
 - Each output tuple is generated exactly once: when the second part arrives
- Streaming!
 - Can always pull another tuple from R or S, build, and probe for outputs
 - Useful for Stream query engines!

Extensions

- Parallel Symmetric Hash Join
 - Straightforward—part of the original proposal
 - Just add a streaming partitioning phase up front
 - As in naïve hash join
- Out-of-core Symmetric Hash Join
 - Quite a bit trickier. See the X-Join paper.
- Non-blocking sort-merge join
 - See the <u>Progressive Merge Join</u> paper



Parallel DBMS Summary

- Parallelism natural to query processing:
 - Both pipeline and partition
- Shared-Nothing vs. Shared-Mem vs. Shared Disk
 - Shared-mem easiest SW, costliest HW.
 - Doesn't scale indefinitely
 - Shared-nothing cheap, scales well, harder to implement.
 - Shared disk a middle ground
 - For updates, introduces tricky stuff related to concurrency control
- Intra-op, Inter-op, & Inter-query parallelism all possible.

Parallel DBMS Summary, Part 2

- Data layout choices important!
- Most DB operations can be done partition-parallel
 - Sort. Hash.
 - Sort-merge join, hash-join.
- Complex plans.
 - Allow for pipeline-parallelism, but sorts, hashes block the pipeline.
 - Partition parallelism achieved via bushy trees.

Parallel DBMS Summary, Part 3

- Transactions require introducing some new protocols
 - distributed deadlock detection
 - two-phase commit (2PC)
- 2PC not great for availability, latency
 - single failure stalls the whole system
 - transaction commit waits for the slowest worker
- More on this in subsequent lectures