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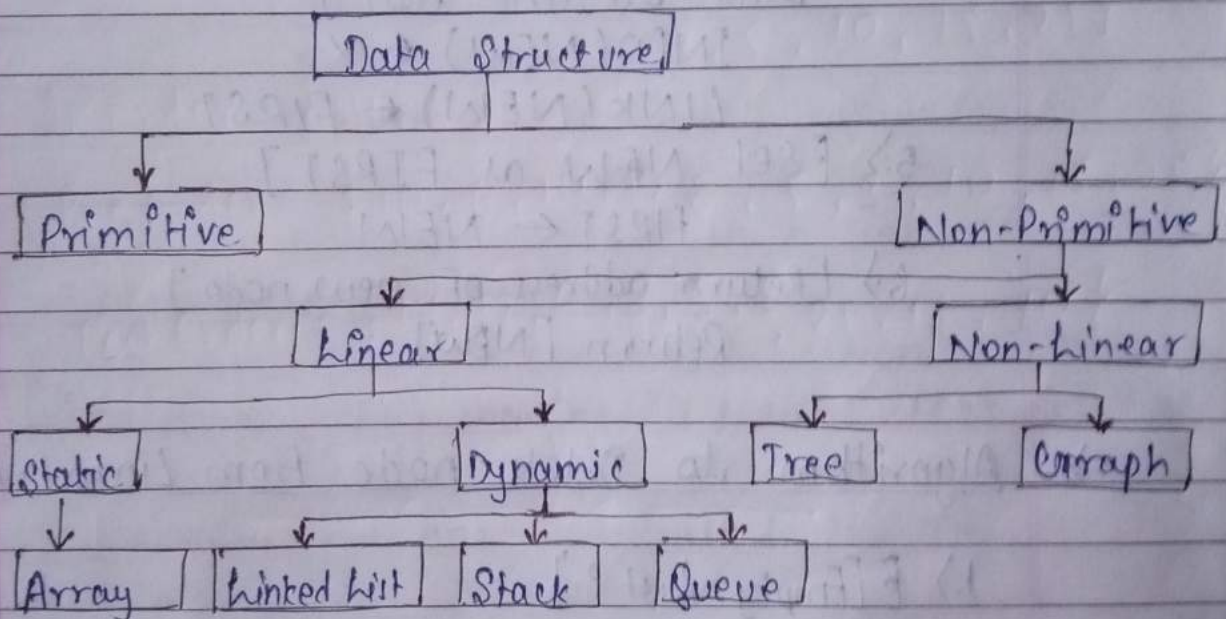
Batch :- C

BCA

1.) What is data Structure? Explain its bifurcation?

Ans Data Structure is a Programming way of Storing and Organizing data.

In Simple words we can say "Way we organise our data", is called Data Structure.



2.) What is linked List? Write algorithm to insert (Beginning) and delete element from linked list (singly)

Ans Linked List can be defined as collection of objects called Nodes that are randomly stored in memory.

⇒ Algorithm to insert node at beginning

1. > [Underflow?]

IF $AVAIL = NULL$

then write ('Availability Stack Overflow')

Return (First).

2. > [Obtain address of next free node]

$NEW \leftarrow AVAIL$

3. > [Remove free Node from Availability Stack]

$AVAIL \leftarrow LINK[AVAIL]$

4. > [Initialize fields of new node and its link to the list]

$INFO(NEW) \leftarrow X$

$LINK(NEW) \leftarrow FIRST$

5. > [Set NEW as FIRST]

$FIRST \leftarrow NEW$

6. > [Return address of new node]

Return [NEW]

⇒ Algorithm to Delete node from Linked-List

1. > [Empty List?]

IF $FIRST = NULL$

then write ("Underflow")

Return.

2. > [Initialize search for X]

$TEMP \leftarrow FIRST$

3. > [FIND X]

Repeat through steps while $TEMP \neq X$
and $LINK(TEMP) \neq NULL$

4. > [Update predecessor / previous marker]

$PRED \leftarrow TEMP$

5.) [Move to next Node]

TEMP \leftarrow LINK[TEMP]

6.) [End of the List?]

if TEMP \neq X

then Write ('Node not found')

Return

7.) [Delete X]

if X = FIRST (Is X the first node?)

then FIRST \leftarrow LINK(FIRST)

else LINK(PRED) \leftarrow LINK(X)

8.) [Return node to availability area]

LINK(X) \leftarrow AVAIL

AVAIL \leftarrow X

Return.

3.) Write a note on stack with its operation
(Algorithms)

Ans Stack are also an ordered collection of elements like array, but having a special feature that deletion and insertion of elements can be done only from one end called the Top.

⇒ Terminology in Stack are :-

(i) Top

(ii) Bottom

(iii) Stack Overflow

(iv) Stack Underflow

⇒ Operation's in Stack are :-

(i) PUSH

(ii) POP

(iii) PEEP

(iv) CHANGE

⇒ Algorithm for PUSH() operation

1.) [check for Overflow]

if $Top > N$ then

write ("Stack Overflow")

Exit

2.) [Increment the Top pointer]

$Top \leftarrow Top + 1$

3.) [Insert an element into the stack]

$stack[Top] \leftarrow item$

4.) [finished]

Return.

⇒ Algorithm for POP() operation

1.) [check for Stack Underflow]

if $Top \leq 0$ then

write ("Stack Underflow")

Exit

2.) [Accessing the value to be deleted]

$Item \leftarrow stack[Top]$

3.) [Decrement the Stack pointer]

$Top \leftarrow Top - 1$

4.) [Return deleted element Item]

Return Item.

⇒ Algorithm for PEEP() operation

1.) [check for Underflow]

if $(Top - i + 1) < 0$ then

write ('stack underflow')

Exit

2.) [Storing the i th element in item]

$item \leftarrow stack[Top - i + 1]$

3.> ^{Stop} [Finished]
Return item

4.> Write a note on Circular Queue with its operation (Algorithms)

Ans In Circular queue any element is accessible from any position but only in a forward manner.

=> Algorithm to insert an element in ~~Double~~ circular Queue.

1.> [Reset rear Pointer ?]

if $R = N$

then $R \leftarrow -1$

Else

$R \leftarrow R + 1$

2.> [Check for Overflow ?]

if $R = F$

then write ('Overflow')

Return

3.> [Insert Element]

$Q[R] \leftarrow Y$

4.> [Is front pointer properly set ?]

if $F = 0$

then $F \leftarrow 1$

Return

⇒ Algorithm to delete an element in Circular queue

1.) [Underflow?]

if $F = 0$

then write ('Underflow')

Return.

2.) [Delete an Element]

$y \leftarrow B[F]$

3.) [Queue empty]

if $R = F$

then $R \leftarrow F \leftarrow 0$

Return (y)

4.) [Increment front pointer]

if $F = N$

then $F \leftarrow 1$

else

$F \leftarrow F + 1$

Return (y)

5.) What is Tree? Explain Tree Traversal with example.

Ans A Tree is also one of the data structures that represent hierarchical data.

Tree traversal means traversing or visiting each node of a Tree.

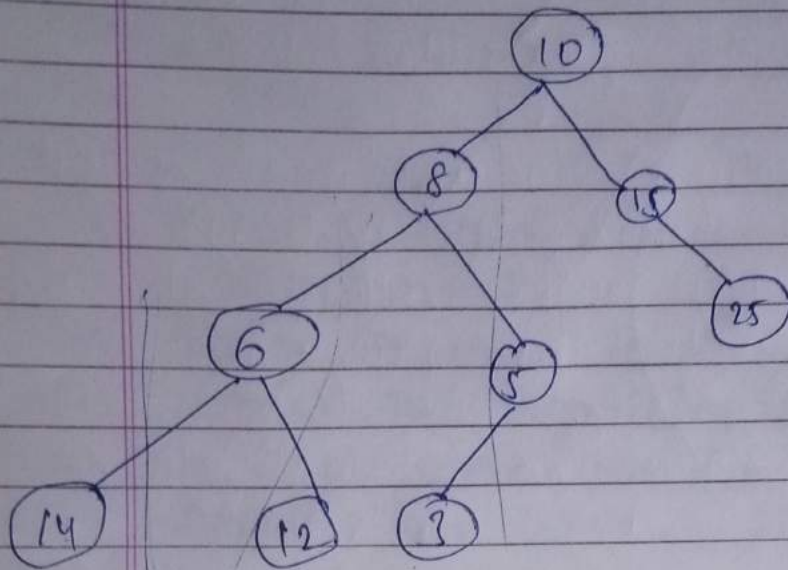
3 ways of Traversal are :-

(i) InOrder traversal (LRR)

(ii) PreOrder traversal (RLR)

(iii) PostOrder traversal (LRR)

Let's understand with an example



In Order = {14, 6, 12, 8, 3, 5, 10, 15, 25}

Pre Order = {10, 6, 14, 12, 8, 5, 3, 10, 15, 25}

Post Order = {14, 12, 6, 3, 5, 8, 25, 15, 10}

— x — x —