Exercise x 0-1 14C, 12 is stable. So for decreasing ntio, p will be contred. 12 -1 14N+ C+V [n - p++e] 30 P -> "Si + B+ + 2 (pt n+ pt) 3 27 Al is stable, so 13 Al is expected to disintegrate by B. (for decreasing mp notio) n - p+ + B C So here in crease in proton and decrease in neutron occurs. 13 Be - 12 Be + M , 6) 8. from above example, al can say reacting involving neutron emission will generate an isotope.

@ 335 is noutron rich, so for decreasing of ratio (n-p++c-), it will like to undargo beta emission. $\begin{array}{c} 238 \\ 92 \end{array} \times \begin{array}{c} 206 \\ 92 \end{array} / + n_1 \stackrel{4}{}_{2}He + n_2 \stackrel{0}{}_{-1}e \end{array}$ $238 = 206 + 4n_{1} | 92 = 82 + 2n_{1} - n_{2}$ $n_{1} = 32/4 = 8 | 10 = 2 \times 8 - n_{2}$ $n_{2} = 6$ 35 \times $\xrightarrow{p^+ n + \beta^+ 34}$ \xrightarrow{alphy} $\xrightarrow{32}$ · A-2Z value of y= 88-2×34 = 20 and for Z = 84-2132 = 20 So y and Z are 150 duaphors. 90 Th 232 -d +88 R4228 -B (89 AC228) -B , 75 Th 228 85 At 2-B ay D = 85 Pag 224 -2 C = 88 Ra 1 This is not a notural decay product of qTh 232.

Scanned with CamScanner

To no of helf life =
$$\frac{18}{3} = 6$$
 And = B

from $M_1 = \frac{M_0}{2^n} = M_1 = \frac{256}{26} = 49m$.

10 hoot half life (n) =
$$\frac{24}{4} = 6$$
 $N_t = \frac{N_0}{2^n}$, $N_t = \frac{N_0}{2^6}$
 $A = N/1$
 $A = \frac{N_1}{A_2} = \frac{N_1}{N_2}$

$$\frac{1}{A_2} = \frac{N_2}{N_0}$$
 $\frac{2N_0}{A_2} = \frac{N_0}{N_0/26}$
 $A_2 = \frac{2N_0}{64} = 3.125 dpm.$

$$M_{t} \approx \frac{m_{o}}{2^{n}}$$
 $lom_{g} = \frac{m_{o}}{2^{1/2}}$
 $m_{o} \approx 10 \times \sqrt{2}$
 $= 1.41 \times 10 = 14.1 \text{ my}$

and after some time, no of nuclides of ANB 4x 2N'S NI respectively no of half life for A = to for $B = \frac{t}{10}$ for A, $N_t = \frac{N_0}{2^h}$, $2N' = \frac{N}{2^{+/50}}$ $N' = \frac{8N}{2^{t/10}}$ for B, $I \div II$ $2 = \frac{2^{t/10}}{8 \times 2^{t/50}}$ 16 = 2 10 - 1/50 24 = 2 Toro y = 40± 500 t 2 9x500 = 50 min,

(N - N) T & N - N



firen initial activity is Stapmand after 693 min it was found 20 Apm.

$$\frac{56}{N_1} = \frac{36}{N_2} \left| \frac{N_1}{N_2} = \frac{36}{38} \right|$$

$$\frac{N_1}{N_2} = \frac{2}{1}$$

final no of atom is just nate , so time 69.3 is +1/2.0

$$A = NA$$

$$10 = NA \frac{\ln 2}{41/2} 10 = NA \frac{0.693}{69.3}$$

$$N = 10^{3}$$

$$N = 10^{3}$$

$$N = 10^{3}$$

$$N = 10^{3}$$

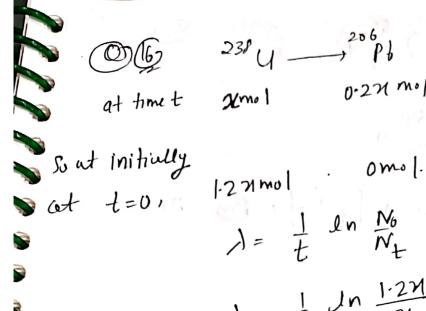


$$R_1 = N_1 \times \frac{dn^2}{T}$$

$$R_2 = N_2 \times \frac{dn^2}{T}$$

$$N_1 = \frac{R_1 T}{2n2}$$
, $N_2 = \frac{R_2 \times T}{2n2}$

$$N_1 - N_2 = \frac{1}{0.693} (\dot{R}_1 - R_2)$$
 (Am)



$$\frac{\gamma_{pb}}{\gamma_{q}} = \frac{0.2}{L}$$

$$J = \frac{1}{t} \ln \frac{N_0}{N_t}$$

$$J = \frac{1}{t} \ln \frac{N_0}{N_t}$$

$$J^{2} = \frac{1}{t} Jn \frac{1.2M}{M}$$
 $J^{2} = \frac{1}{t} Jn \frac{1.2M}{5}$

$$\frac{A_1}{A_2} = \frac{N_1}{N_2} \bigg| \frac{7.6}{15.2} = \frac{N_1}{N_2}$$

$$\frac{N_1}{N_2} = \frac{1}{2}$$
, $N_2 = 2N_{\perp}$

$$X = A + 2+0$$
 $Y = B + 2 \times 1$
 $230 = A$ $89 = B + 2$
 $B = 86$