

Using Similar triangles Approach. we get :-

$$x' = \frac{x \cdot (\text{focallength})}{(-z)} \quad , \quad y' = \frac{y \cdot (\text{focallength})}{(-z)}$$

—(i) —(i)

∴ Here I have added -ve(z) Co-ordinate because z is negative in the direction of projection of points

To calculate focal length :-

field of view or angle of view = 90° ,

∴ here we have to note that 90° is the angle for the entire screen, so we have take $(\theta/2)$ angle, i.e. is 45° ,

∴ By using \tan , we can say

$$\tan(\theta) = \frac{\text{Perpendicular}}{\text{Base}} = \frac{(\text{Screen size}/2)}{\text{focal length}}$$

$$\therefore \tan 45^\circ = 1$$

So

$$(\text{Screen size}/2) = \text{focal length}$$

$$\therefore \text{Screensize} = 2$$

$$\therefore \text{So Focallength} = 2 / 2 = 1$$

Now, we will substitute focal length = 1 in first eq, it will become

$$x' = \frac{x}{(-z)}, \quad y' = \frac{y}{(-z)} //$$

Now we will use this formulae to calculate the ~~for~~ points and perform Perspective Projection. Thank You!