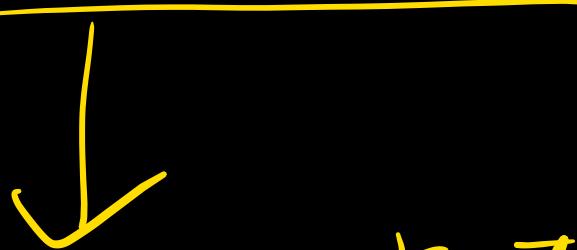


linked list



Data Structure.

Procedural code



C-like language



→ no programming language is required

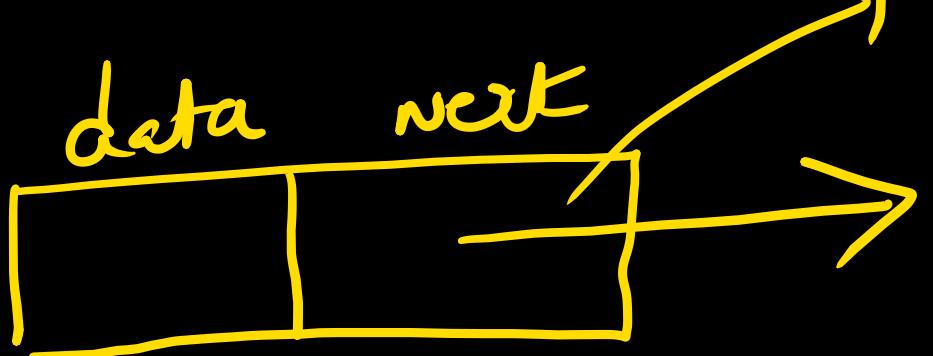
But we will follow

C-like program style

Struct node

```
{ int data;  
    struct node * next;
```

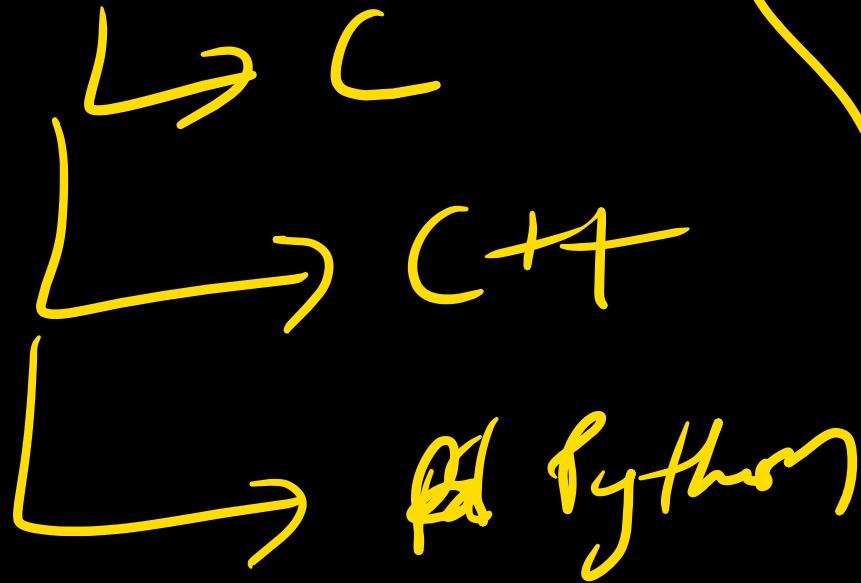
}



next is a pointer to a  
node structure .

it refers to data structure of  
same time . It is called  
self referential structures .

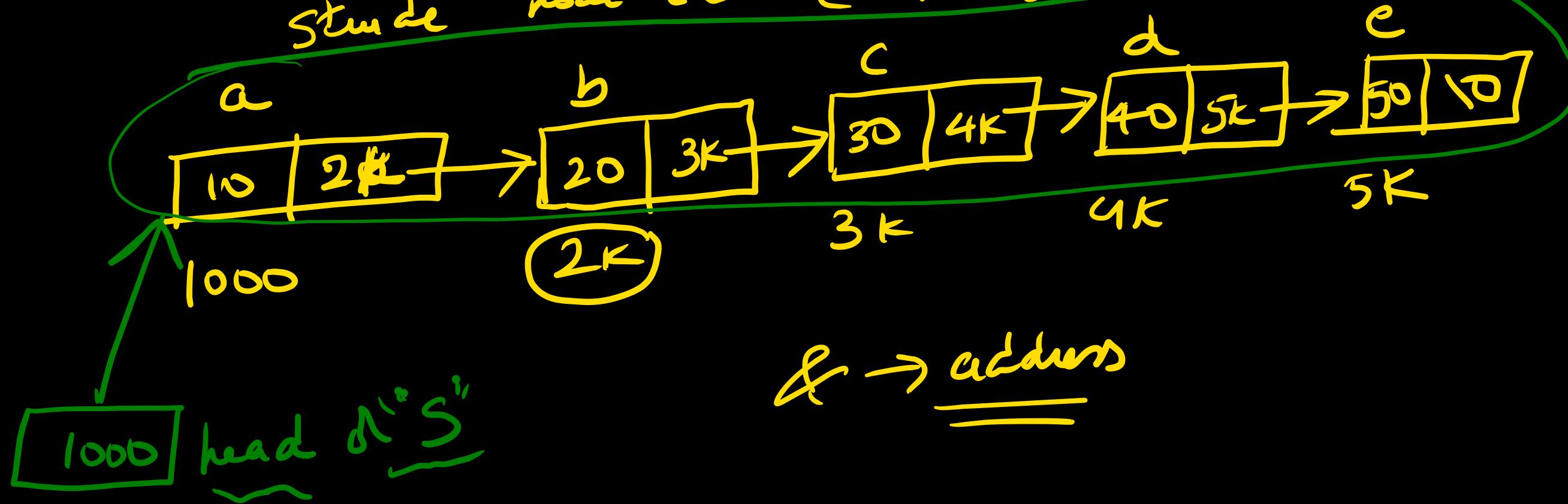
linked list



C-like lang.

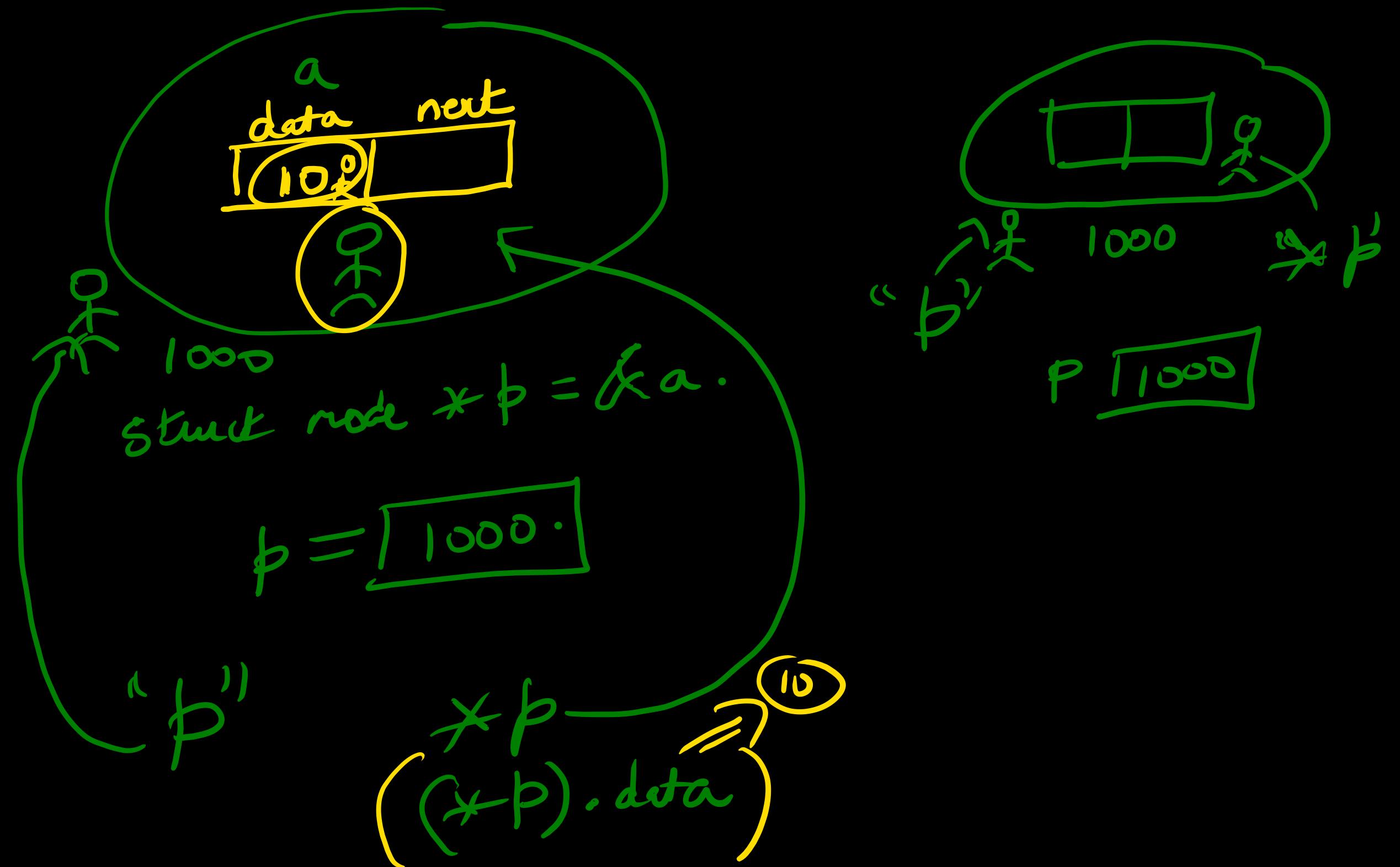
Data structures are not  
related to programming  
language.

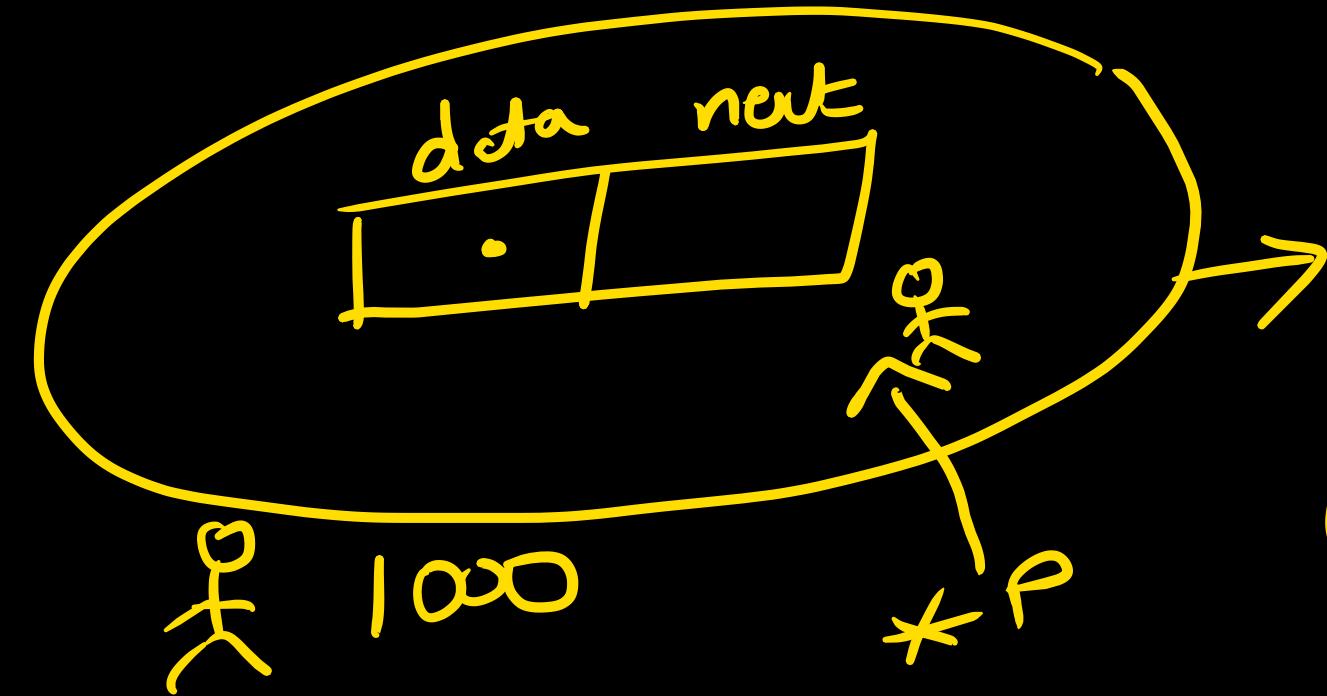
Struct node \*head  
 head = &a  
 Struct node a = {10, &b}  
 Struct node b = {20, &c}  
 Struct node c = {30, &d}  
 Struct node d = {40, &e}  
 Struct node e = {50, 10}



Struct node  
 { int data;  
 Struct node \*next;

$\&$   $\rightarrow$  address





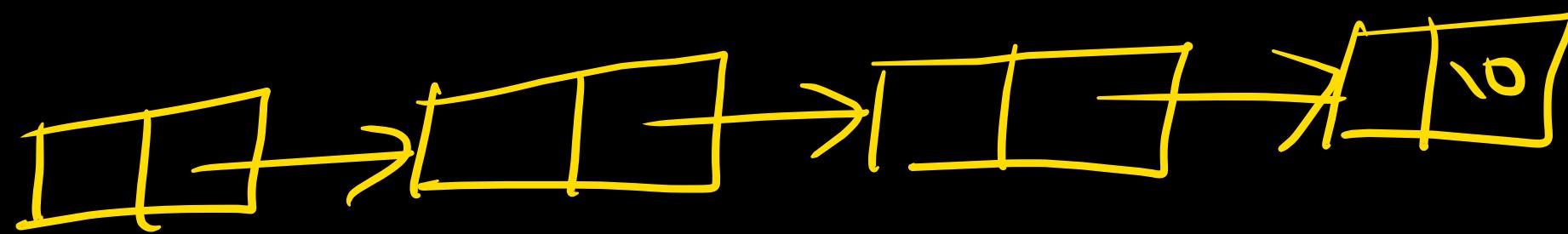
For your understanding.

$$\cancel{(*p) \cdot \text{data}} \equiv p \rightarrow \text{data} \quad \checkmark$$

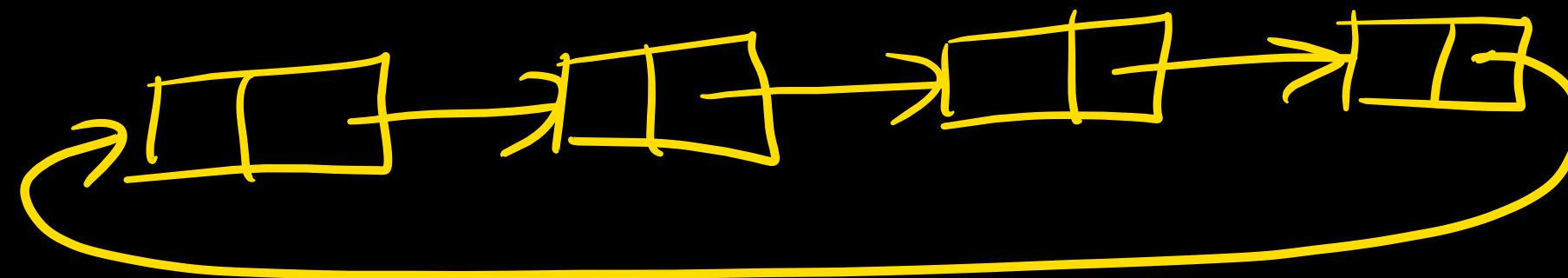


$p \rightarrow \text{data}$   
 $p \rightarrow \text{next}$

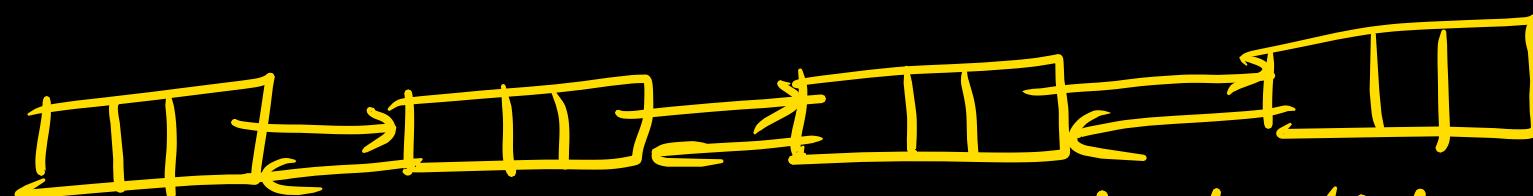
Write an algo to find last node of a Single LL?



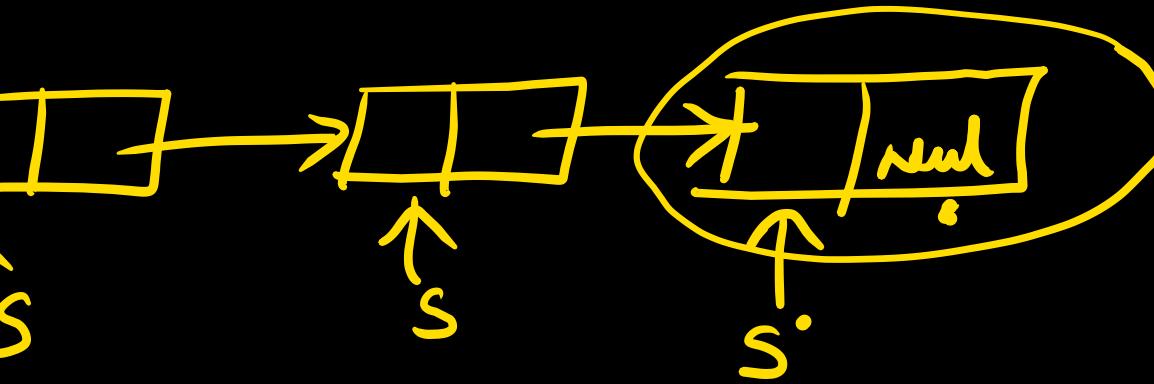
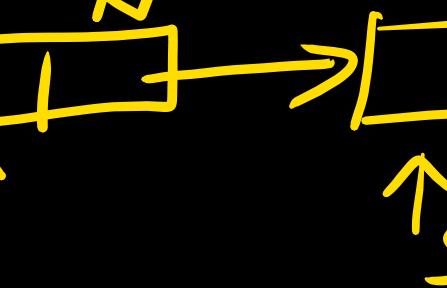
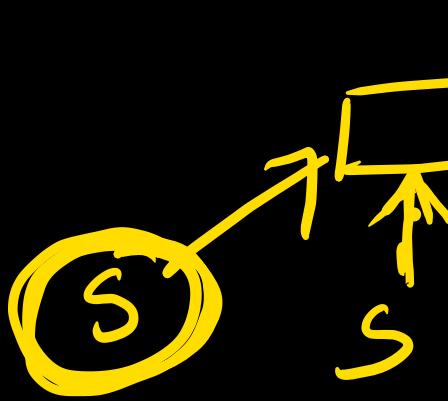
SLL



Circular SLL.



Double linked list.



(`struct node *`)Find last node add ( `struct node * s`)

```
{ if (s == null) { pf ("LL empty")
    return null;
    s = s;
```

```
while (s->next != null)
```

```
s = s->next;
```

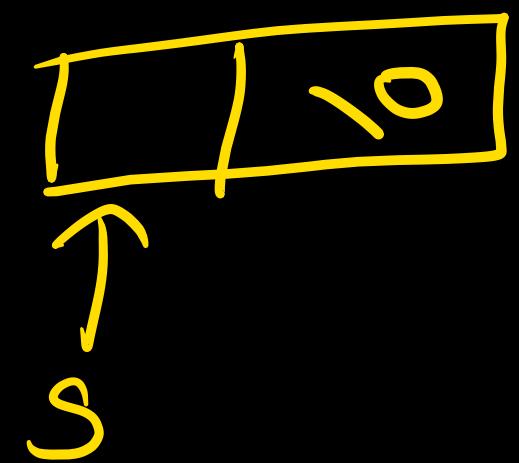
```
return s;
```

```
}
```

Write an algo to find add of 2nd last node in a given SLL

① if ( $s == \text{null}$ )  $\rightarrow$  LL is empty  
returns null ✓

② if ( $s \rightarrow \text{next} == \text{null}$ ) returns null ✓  
only one element is present.

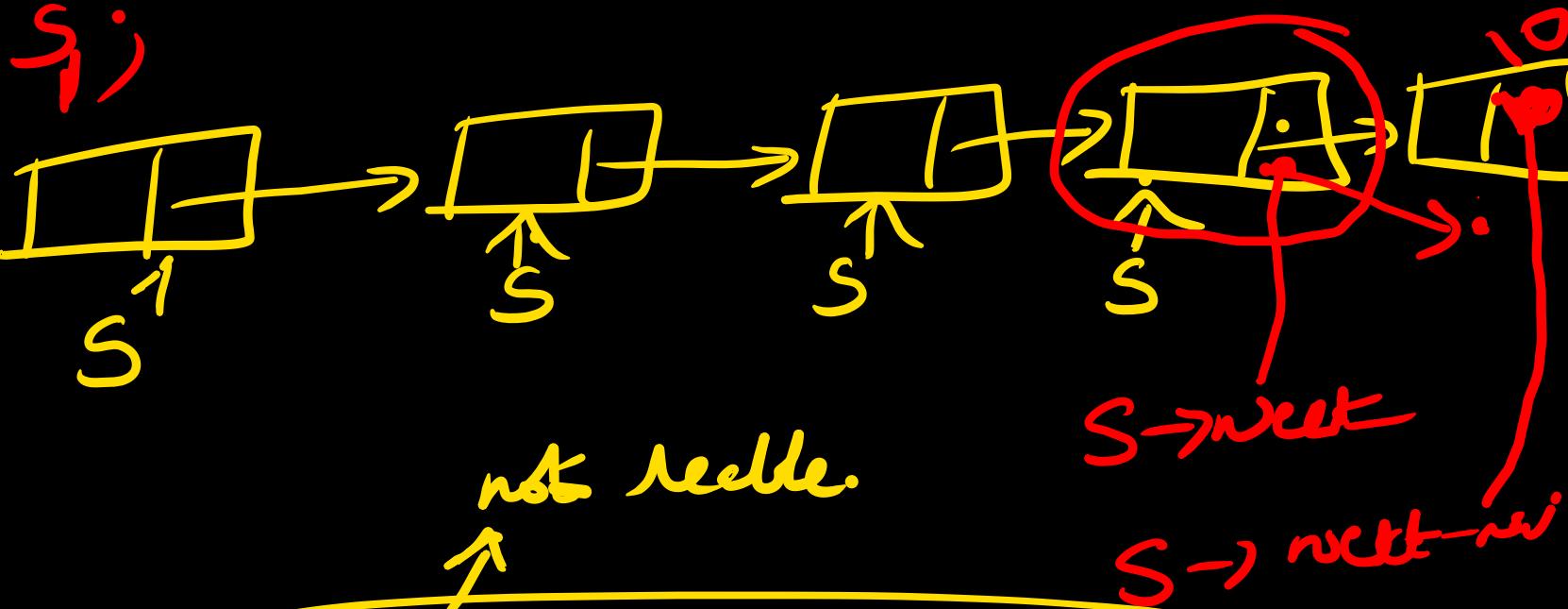


We should have at least 2 nodes

$s_1 = s$   
while ( $s_1 \rightarrow \text{next} \rightarrow \text{next} \neq \text{null}$ )

$s_1 = \underline{s_1 \rightarrow \text{next}}$   
 $\equiv$

return  $s_1$ ;



3rd last:

while ( $s \rightarrow \text{next} \rightarrow \text{next} \rightarrow \text{next} \neq \text{null}$ )  
 $s = s \rightarrow \text{next}$

“S” is the  
node.

$O(n)$

while ( $S_1 \rightarrow \text{next} \neq \text{null}$ )

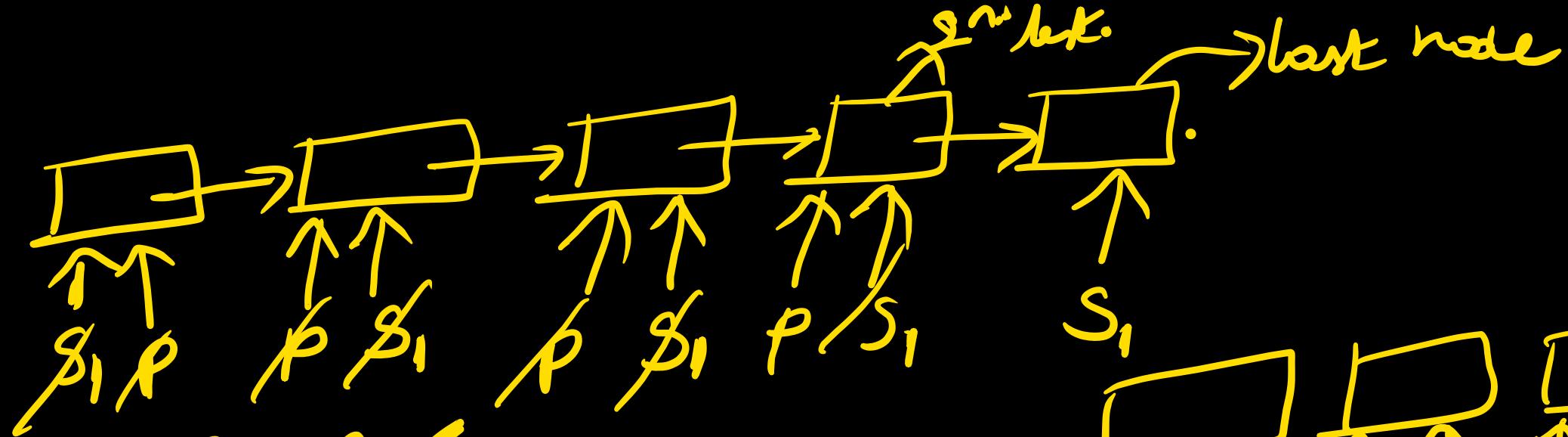
{

$p = S_1$

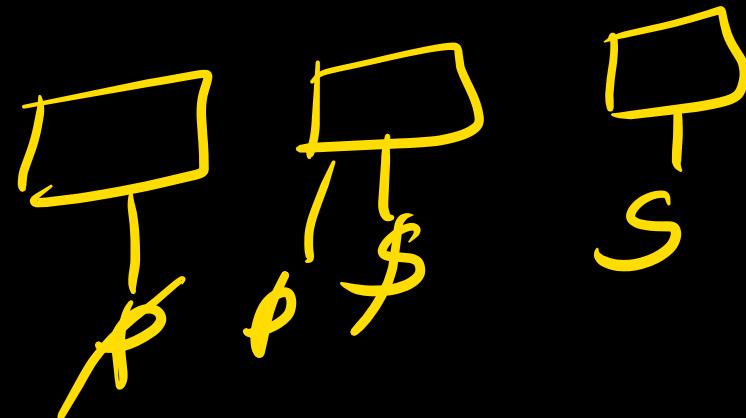
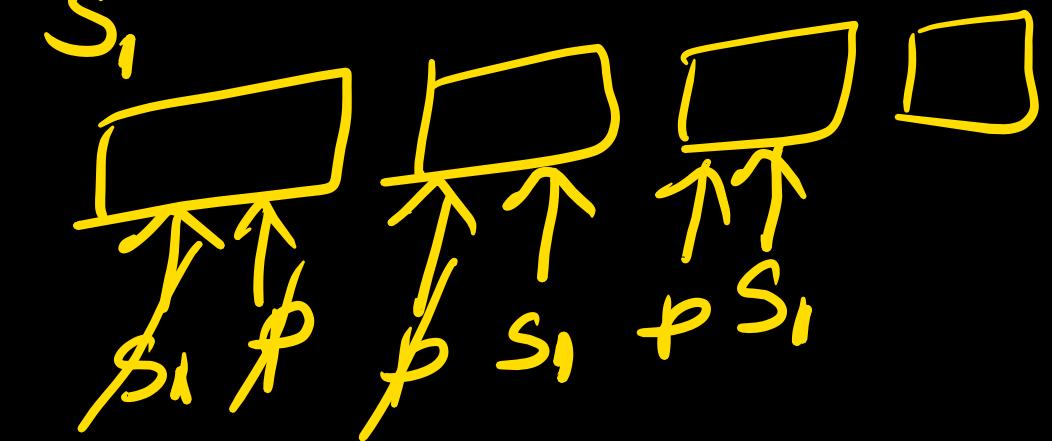
$S_1 = S_1 \rightarrow \text{next}$

}

return  $p$ ;



$s_1 = s_1 \checkmark$



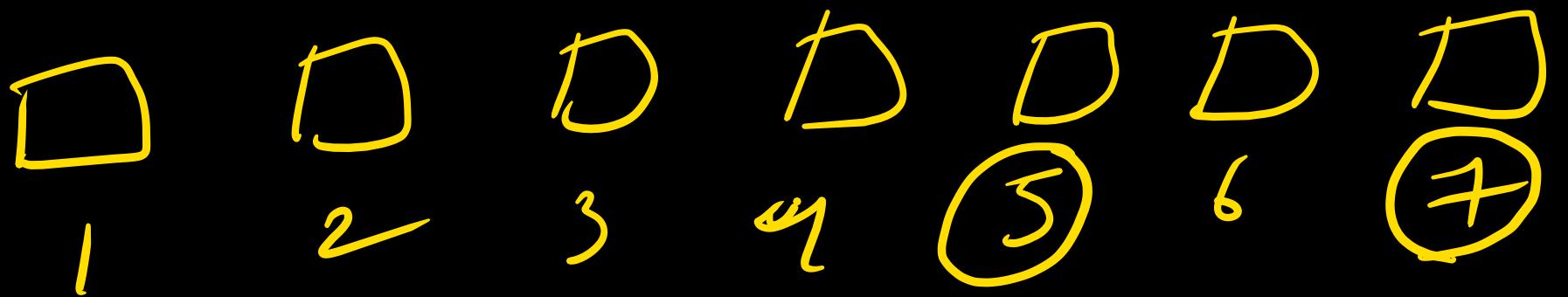
$s$

write an algo to find address of  $k^{th}$  node from last .



I pass - count  
Count = 6  
II pass  
3<sup>rd</sup> node = 4  
then point '4'.

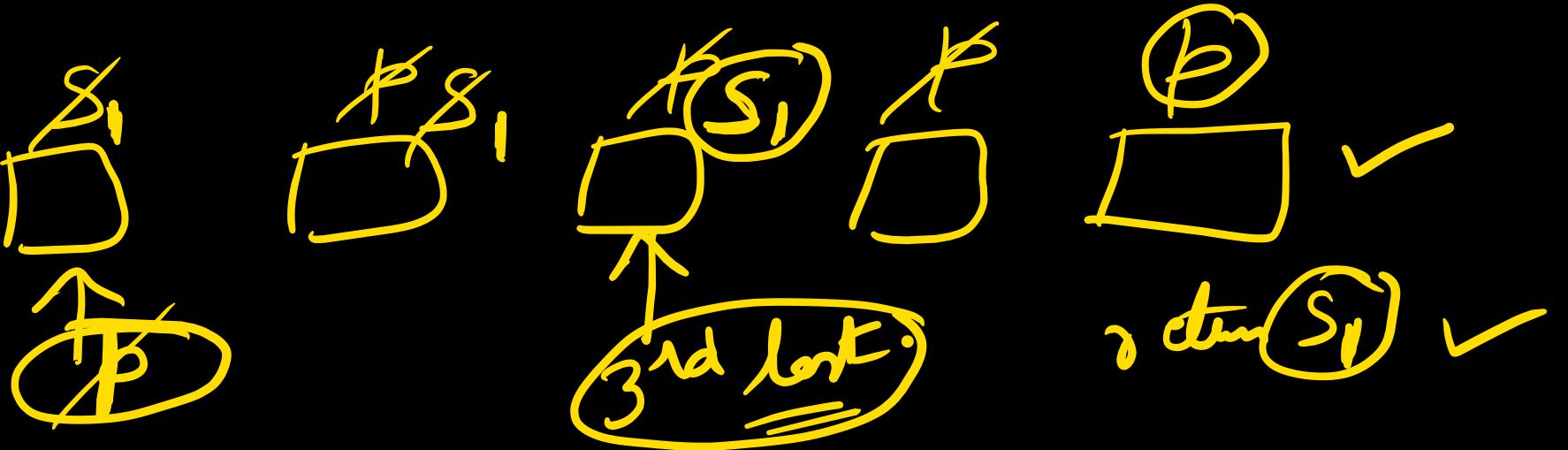
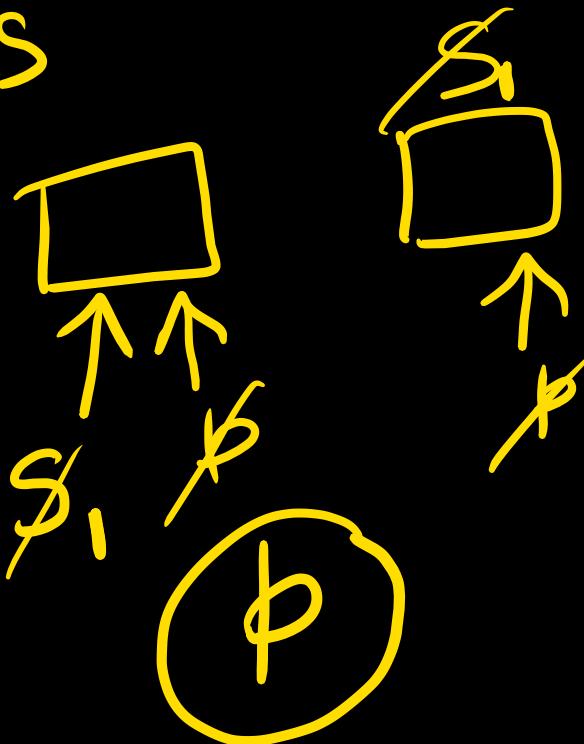
3<sup>rd</sup> node from the back.



I pass  $\rightarrow$  count(7)

II pass  $\rightarrow$  get the element(5) ✓

$$S_1 = S$$



$\phi$        $\equiv$       3<sup>rd</sup> element from the last.  
move       $s$  and  $\phi$  one step each till  
              last element       $k = 3$

$$k=3$$

$$F = 5$$

$$k = \rho$$

if ( $S == \text{null}$ ) return  $S$ ;

let  $p = S$

while ( $p \rightarrow \text{next} \neq \text{null}$ )  $\&$   $k \neq 0$

{    $p = p \rightarrow \text{next}$ ;

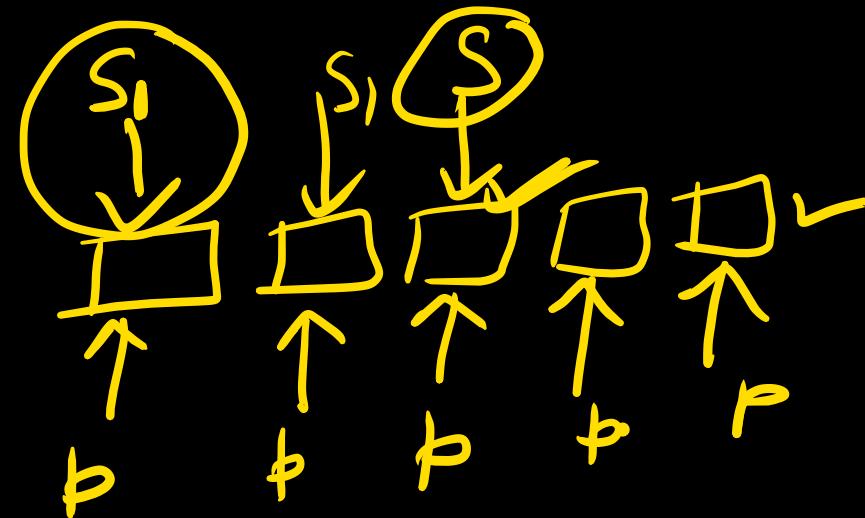
$k = k - 1$ ;

}

if ( $p \rightarrow \text{next} == \text{null}$ )

This means that size of  
LL is less than ' $k$ '.

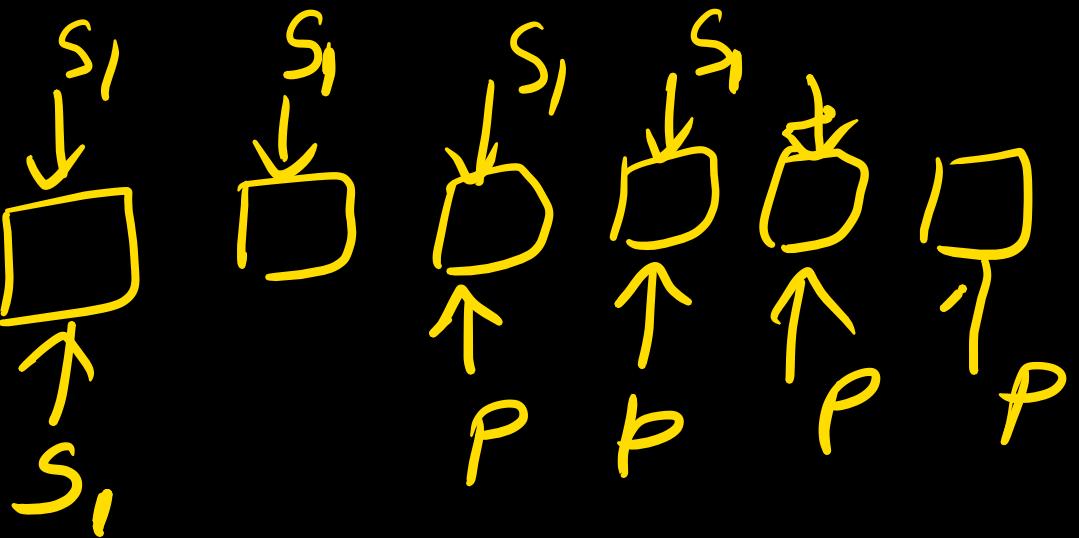
fake.



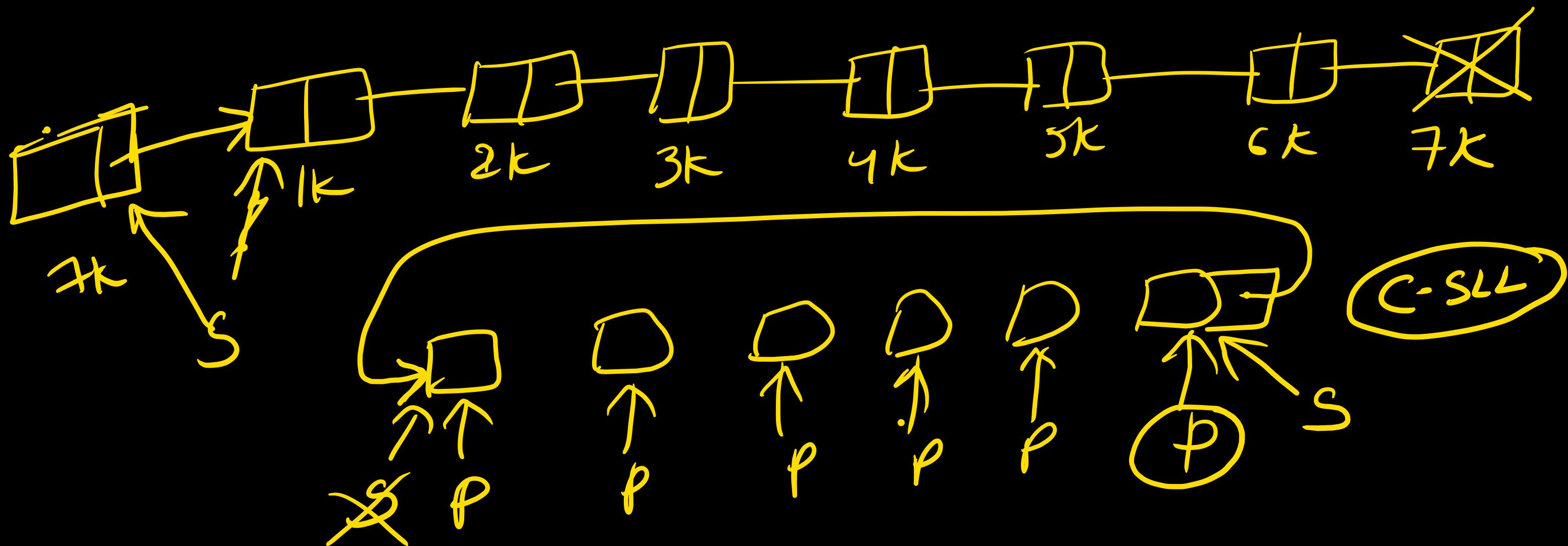
if  $k = 3$   
build more 2 times.

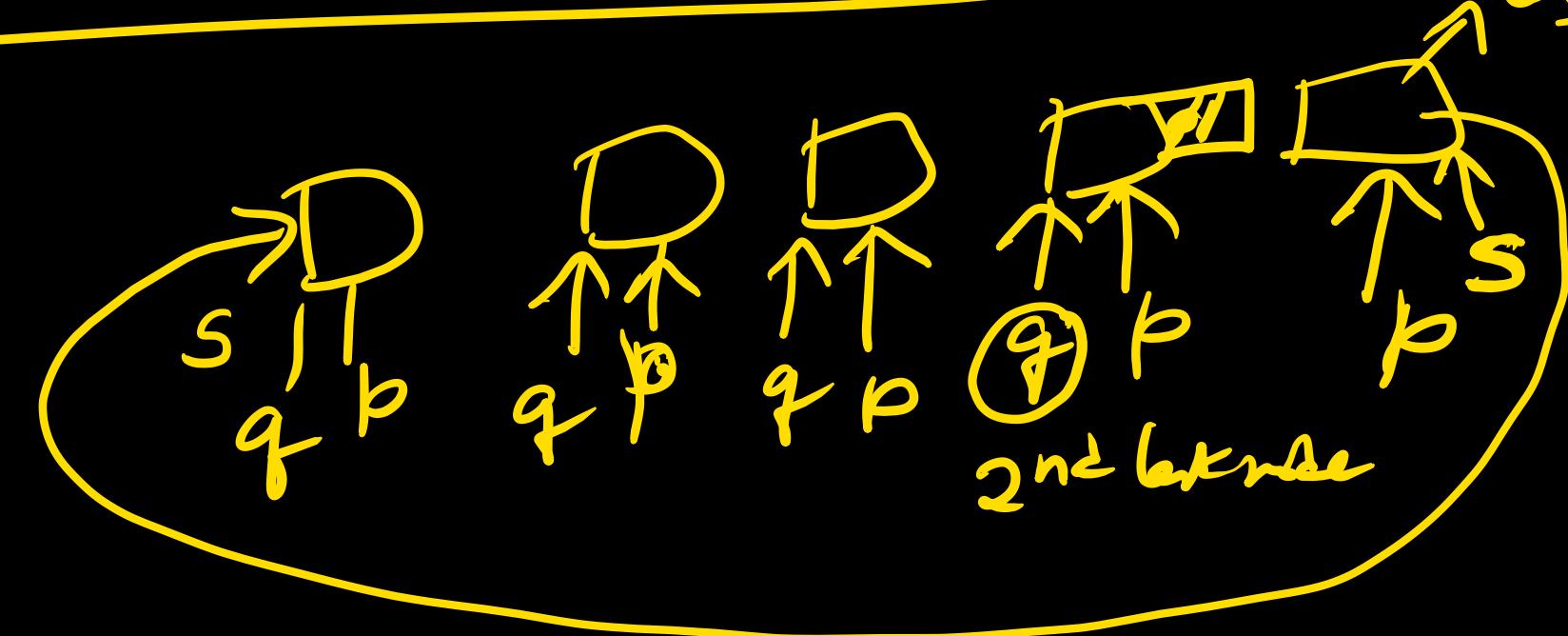
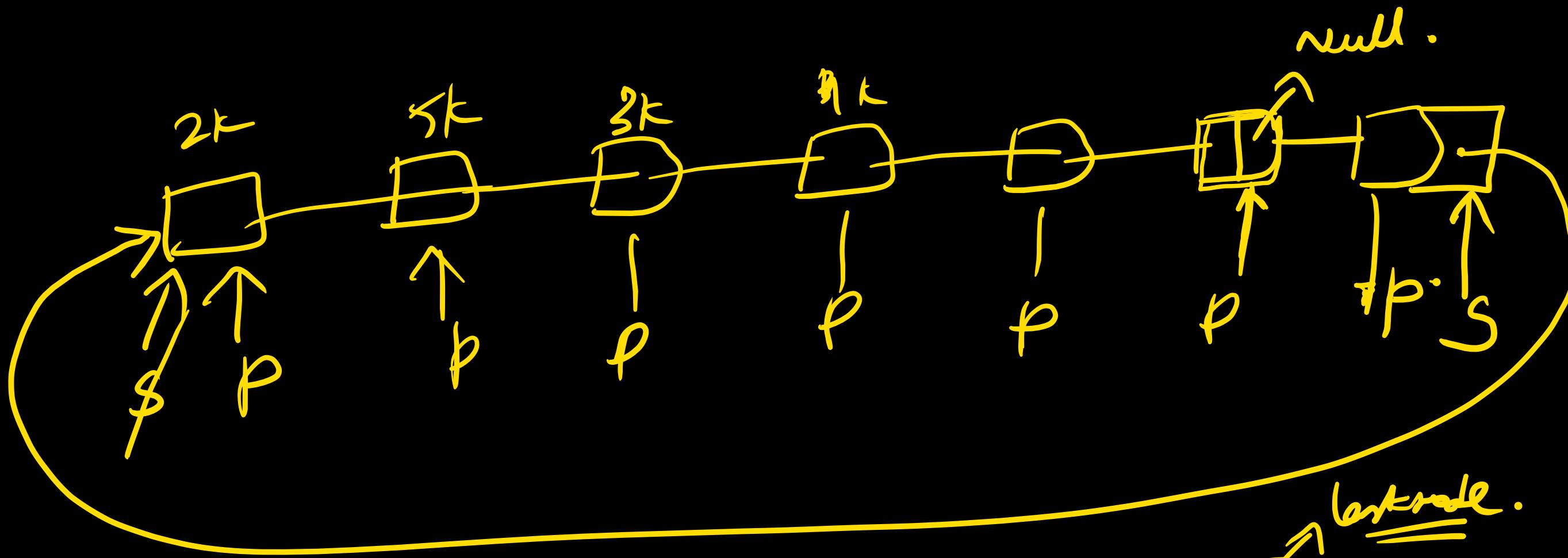
$s_1 = s$   
 while ( $p \rightarrow \text{next} \neq \text{null}$ )  
 {  
      $p = p \rightarrow \text{next};$   
      $s_1 = s_1 \rightarrow \text{next};$   
 }  
 return  $s_1;$

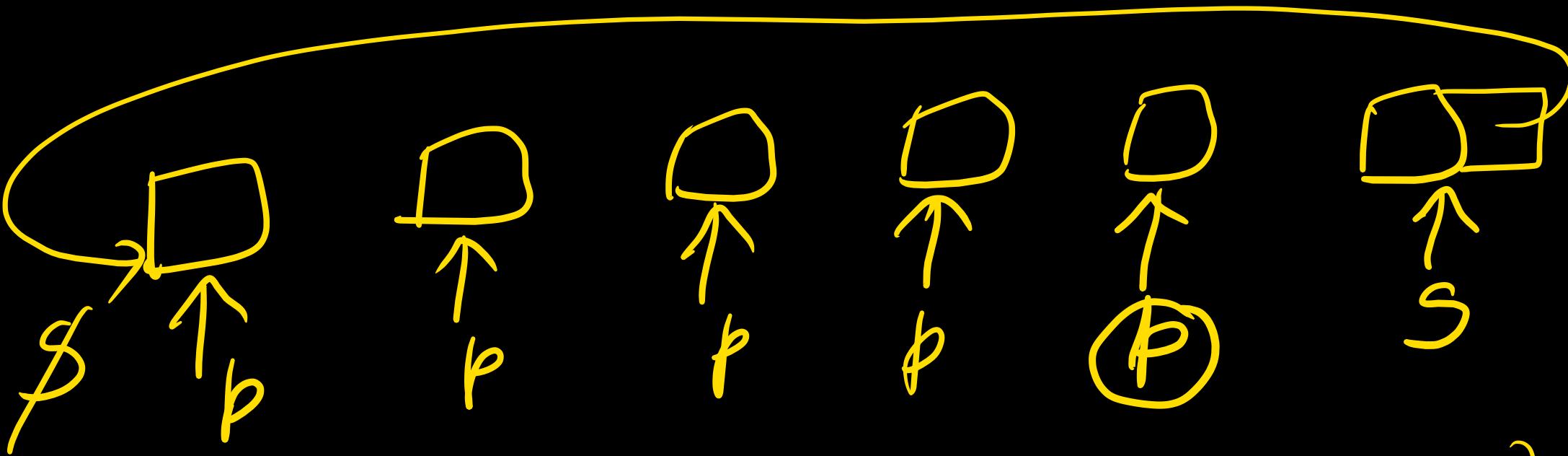
y



write an algo to move last node of SLL to the first position







Single  
pointer.

$\left. \begin{array}{l} p \rightarrow \text{next} \rightarrow \text{next} = S \\ S = p \rightarrow \text{next} \\ p \rightarrow \text{next} = \text{null} \end{array} \right\}$

if ( $s == \text{null}$ ) return null  $\rightarrow$  0 nodes

if ( $s \rightarrow \text{next} == \text{null}$ ) return ( $s$ )  $\rightarrow$  1 node

$p = q = s ;$

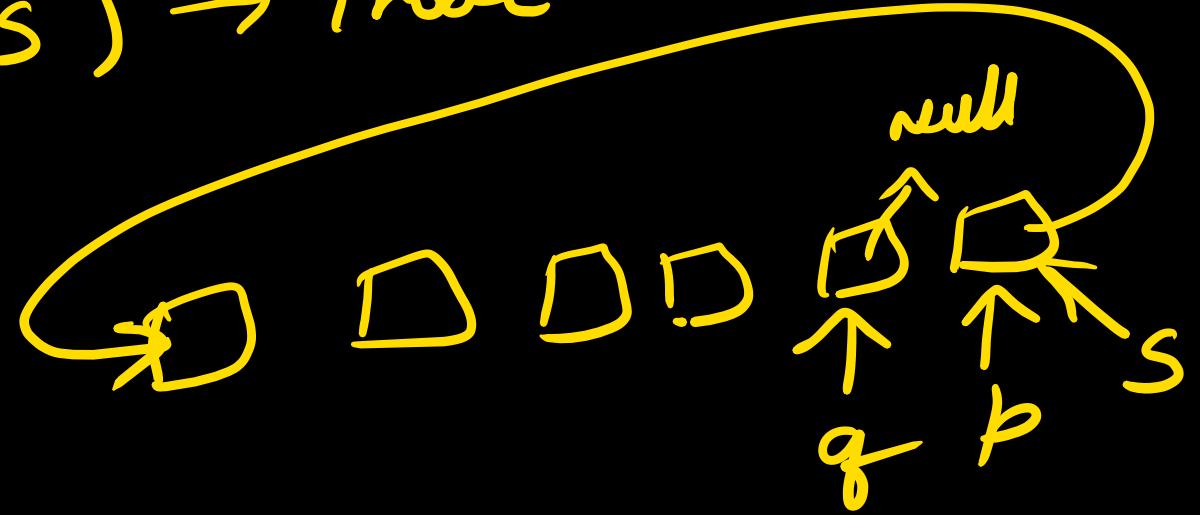
while ( $p \rightarrow \text{next} != \text{null}$ )

{    $q = p ;$

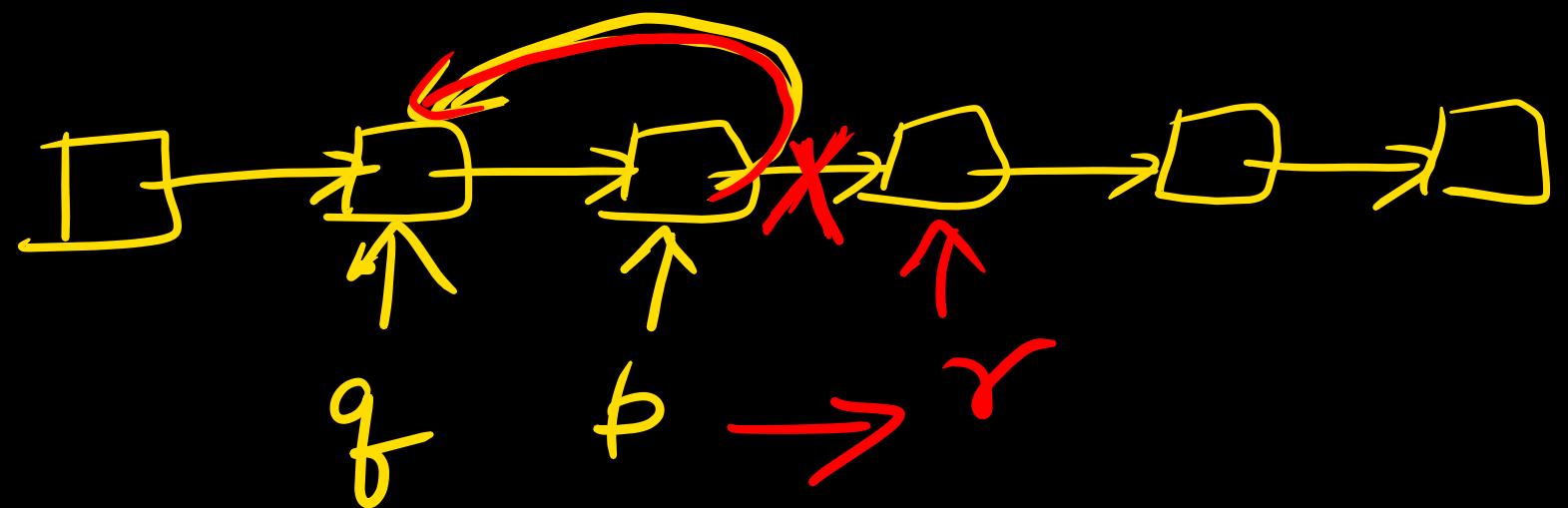
$p = p \rightarrow \text{next}$

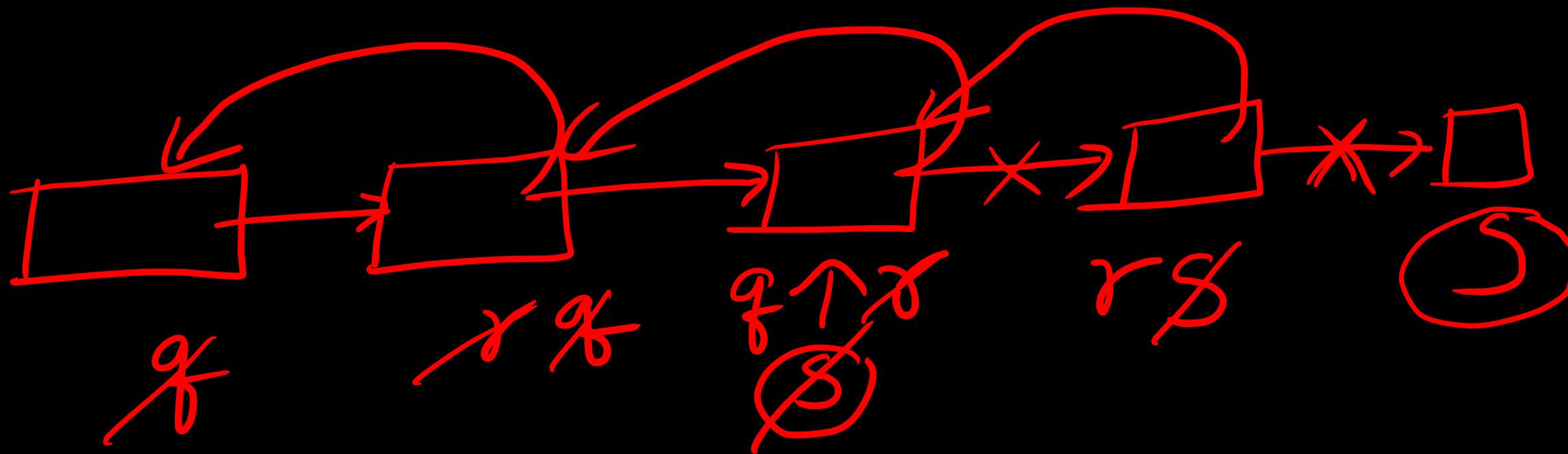
}

$q \rightarrow \text{next} = \text{null} ; p \rightarrow \text{next} = s ; s = p ; \text{return}(s)$



write an algo to reverse a given SLL





$q = r = \text{null}$

while ( $S \neq \underline{\underline{\text{null}}})$

{      $q = r; \rightarrow q$  is following  $r$

$r = S; \rightarrow S$  is following  $S$

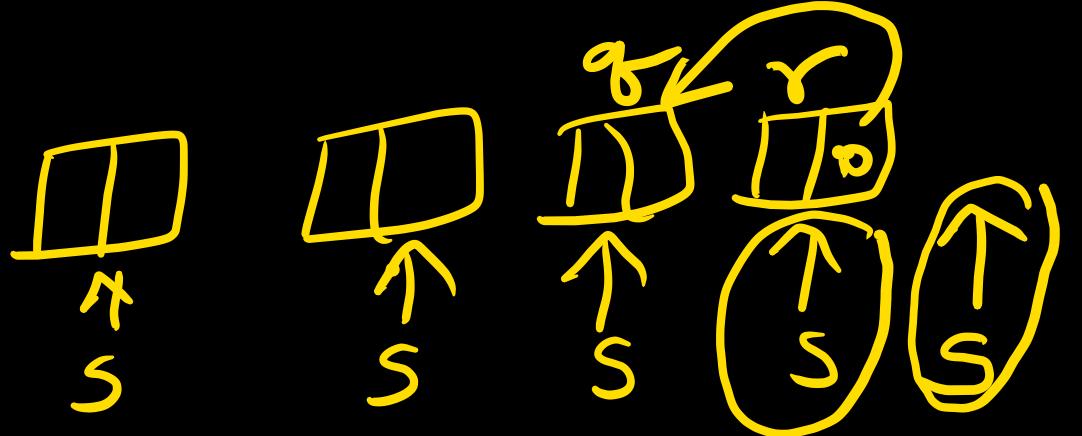
$S = S \rightarrow \text{next};$

$r \rightarrow \text{next} = q;$

}

$S = \emptyset;$

$\text{extend}(S);$

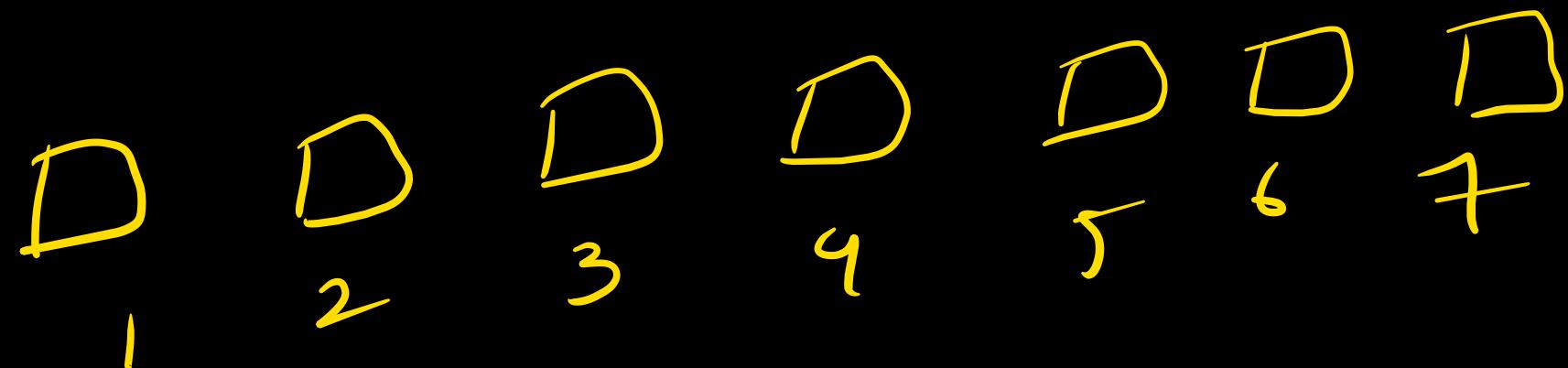


$q \rightarrow r \rightarrow S$

last node



Write an algo to find address of middle node in SLL.

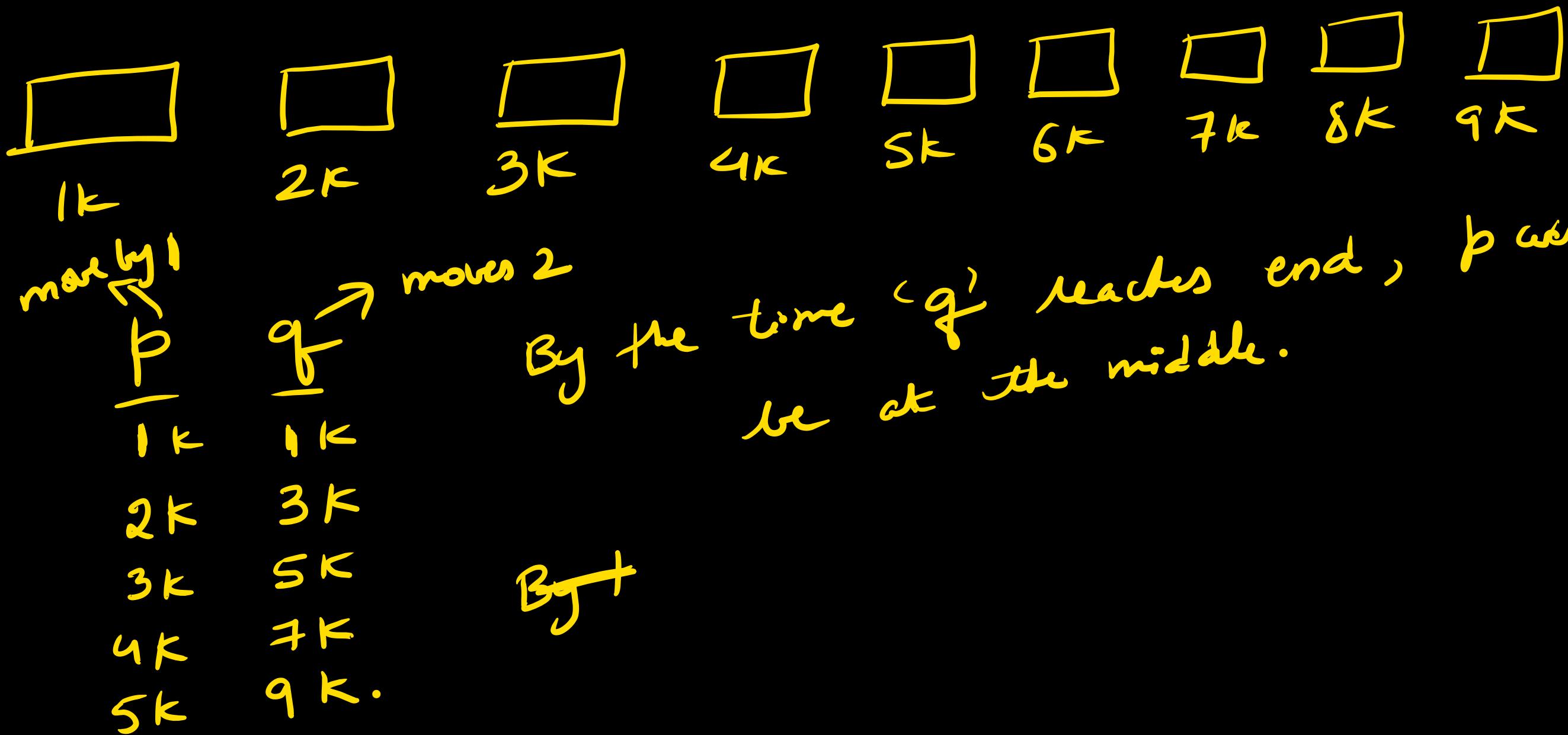


⑦ → number.  
then 4 is middle

1 pass ← 2 passes: I pass - count  
II pass - get middle

assume that LL Contains odd no of nodes

$\equiv$



$p = q = s$

while (  $q \neq \text{null} \& q \rightarrow \text{next} \neq \text{null}$   $\& q \rightarrow \text{next} \rightarrow \text{next} \neq \text{null}$  )

{     $p = p \rightarrow \text{next};$

$q = q \rightarrow \text{next} \rightarrow \text{next};$

}

return ( $p$ );

With an algo to insert a node at the end of the SLL

$p \leftarrow$  Create a node with data  $x$  and give its pointer

$p \rightarrow \text{data} = x$

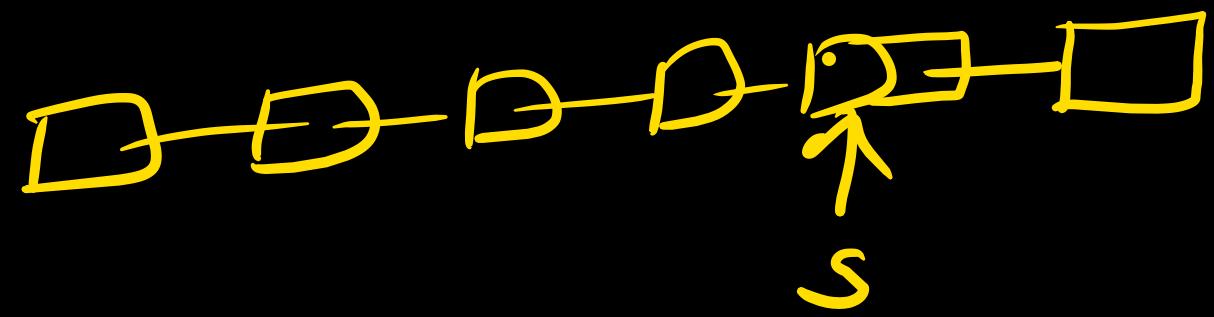
$p \rightarrow \text{next} = \text{null}$   
if ( $s = \text{null}$ )  $s = p$  return ' $s$ ';

while ( $s_1 \rightarrow \text{next} \neq \text{null}$ )

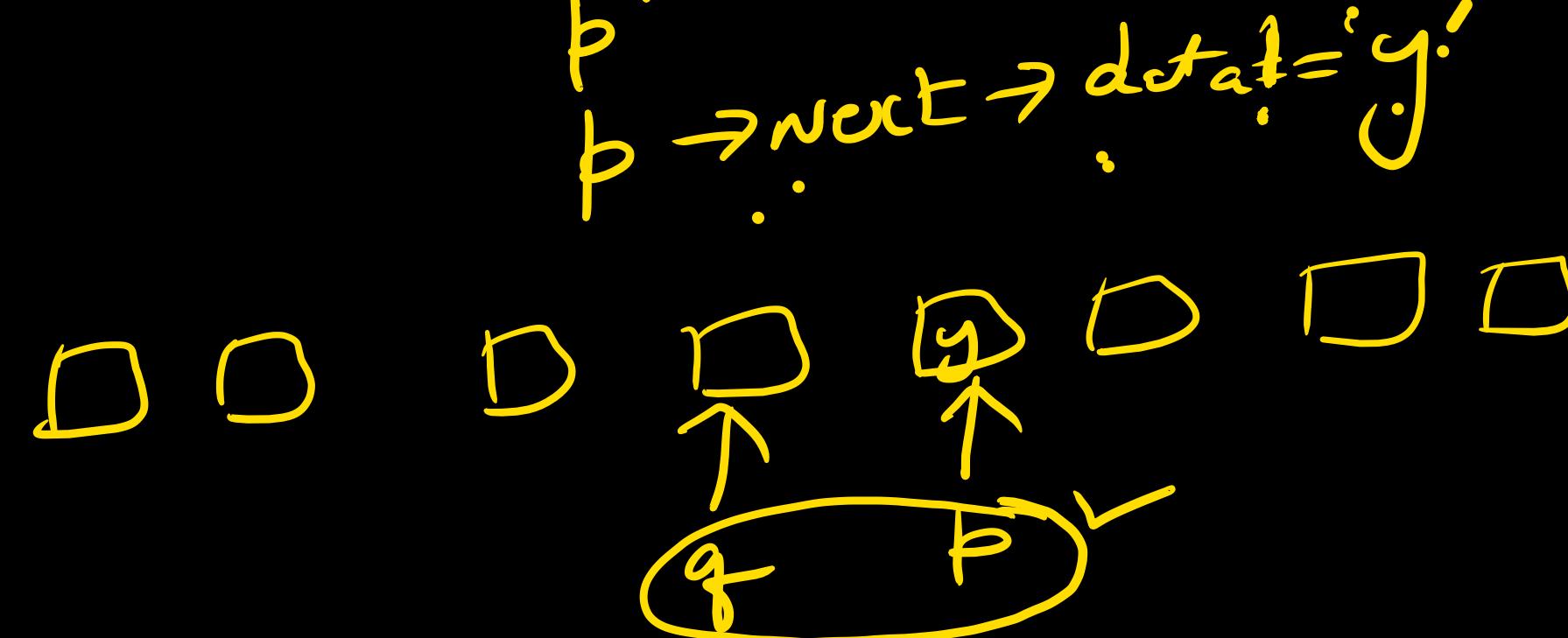
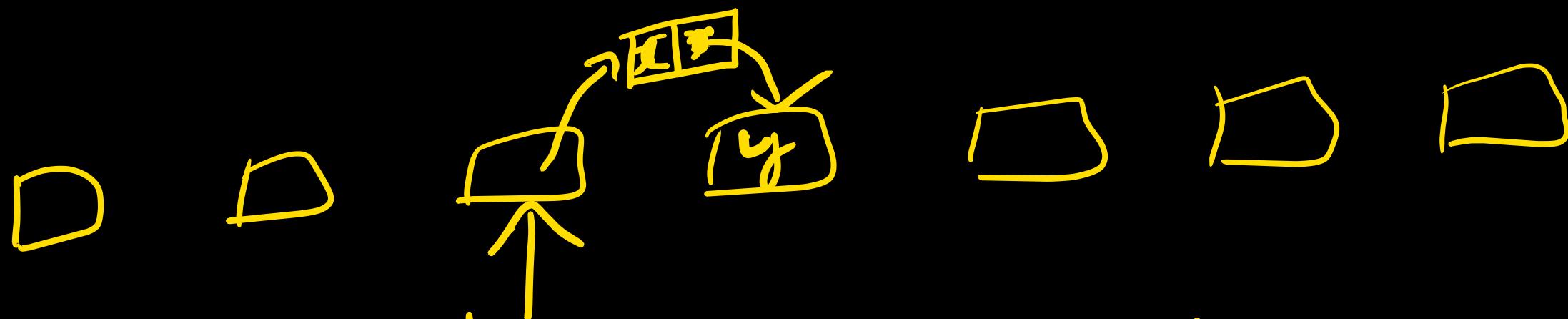
$s_1 = s_1 \rightarrow \text{next};$

$s_1 \rightarrow \text{next} = p;$

return ' $s$ '  $\rightarrow$  returning the first node on stack.



Write an algo to insert a node with data x before  
node with data y in SLL.



if ( $S = \text{null}$ ) return 'S'  
struct node \* $p =$  <sup>(struct node \*)</sup>  
 $\text{malloc}(\text{size of (struct node)})$

$p \rightarrow \text{data} = x;$

$s_1 = S;$

while ( $\underbrace{s_1 \rightarrow \text{data} \neq y}_{\text{or}} \text{ or } \underbrace{s \rightarrow \text{next} \neq \text{null}}$ )

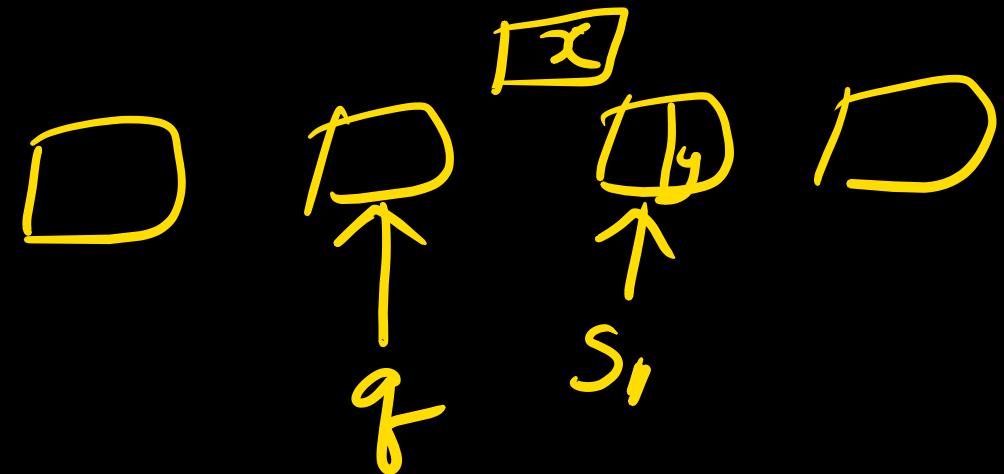
{       $q = s_1$   
       $s_1 = s_1 \rightarrow \text{next}$   
       $y$

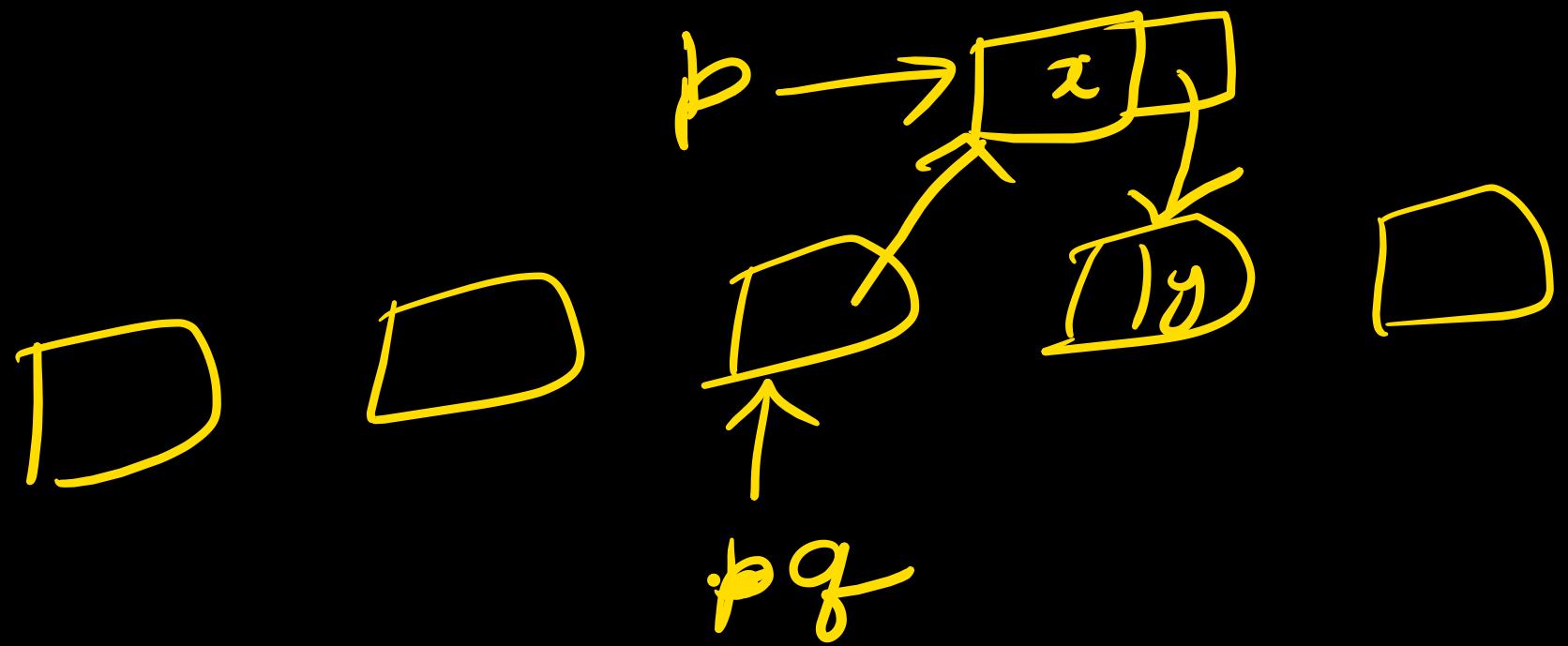


```

if (s->data == y)
{
    q->next = p
    p->next = s
    return(s);
}
printf("no y is present")
return 'S'

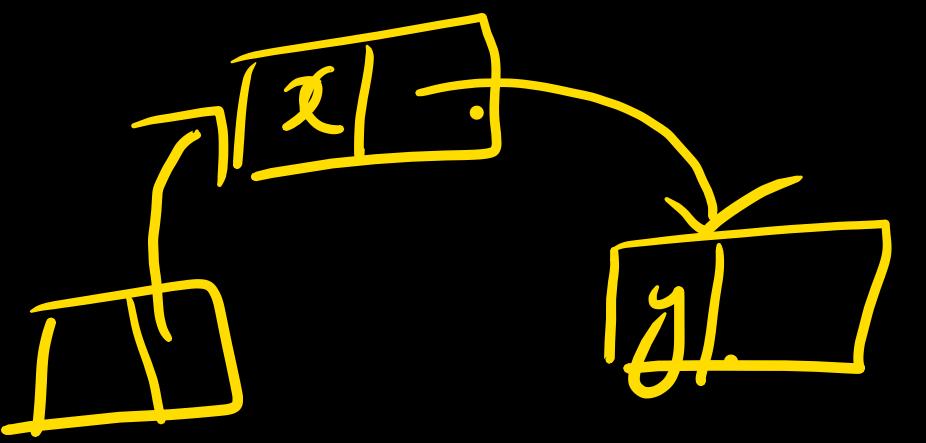
```



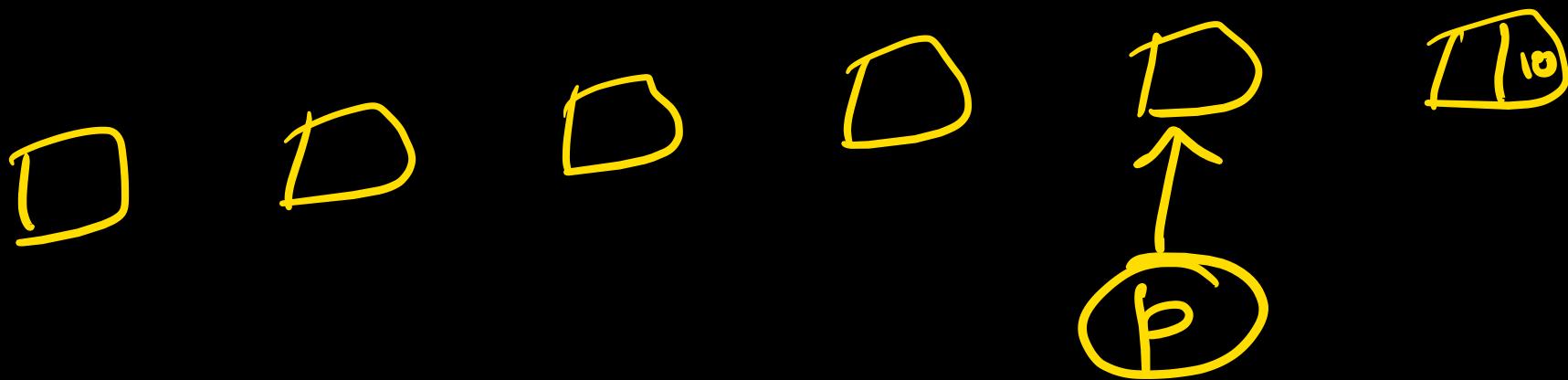


$\underbrace{\text{while}(\text{p} \rightarrow \text{next} \rightarrow \text{data} != y)$

$\text{p} \rightarrow \text{next} = q \rightarrow \text{next}$   
 $q \rightarrow \text{next} = p$



Write an algo to delete a node at the end of SLL.



while( $p \rightarrow \text{next} \rightarrow \text{next} \neq \text{NULL}$ )

free up the  
space  $\leftarrow \text{free}(p \rightarrow \text{next})$ .  
 $p \rightarrow \text{next} = \text{NULL};$

if ( $S == \text{null}$ ) return  $S$ ;

~~$S_1 = S$~~

$S_1 = S$

while ( $S_1 \rightarrow \text{next} != \text{null}$ )

{     $p = S_1$

$S_1 = S_1 \rightarrow \text{next}$

}

$p \rightarrow \text{next} = \text{null};$

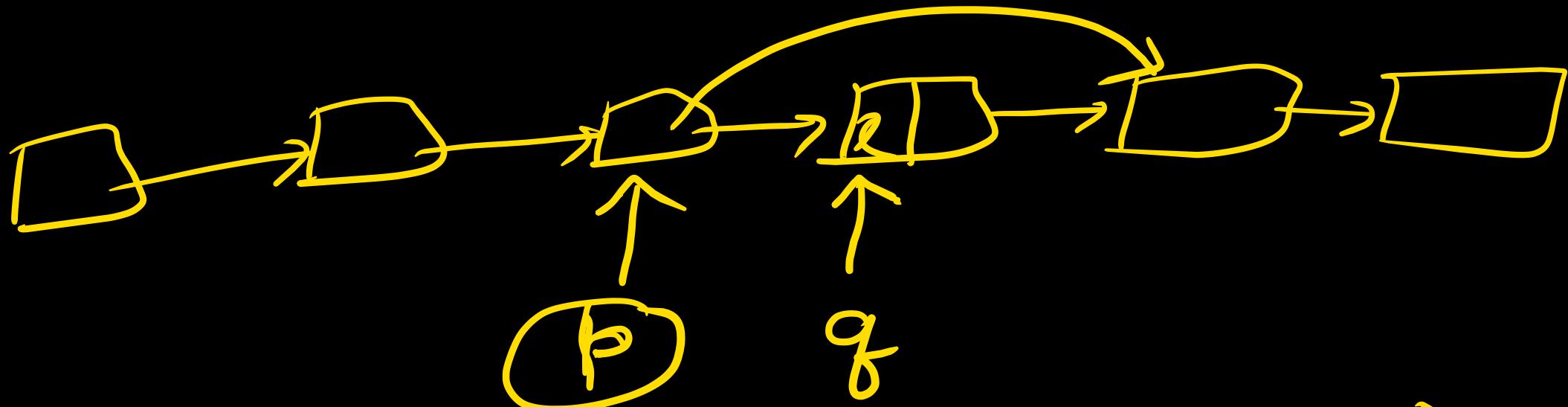
free ( $\underline{\underline{S_1}}$ )

return ( $S$ );



free means deallocate the  
memory allocated.

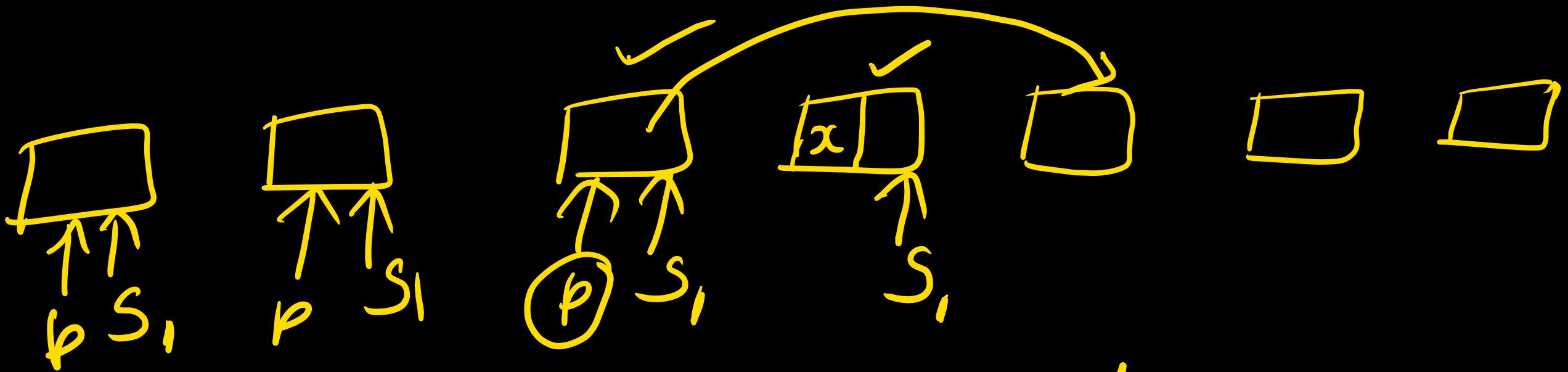
Write an algo to delete a node with data  $x$ .



while ( $p \rightarrow \text{next} \rightarrow \text{data} \neq x$ )

$q = p \rightarrow \text{next};$

$p \rightarrow \text{next} = q \rightarrow \text{next}.$   
free( $q$ ).



$b \rightarrow \text{new } x$     $x \rightarrow \text{new}$   
 $\text{free}(S_1)$ .