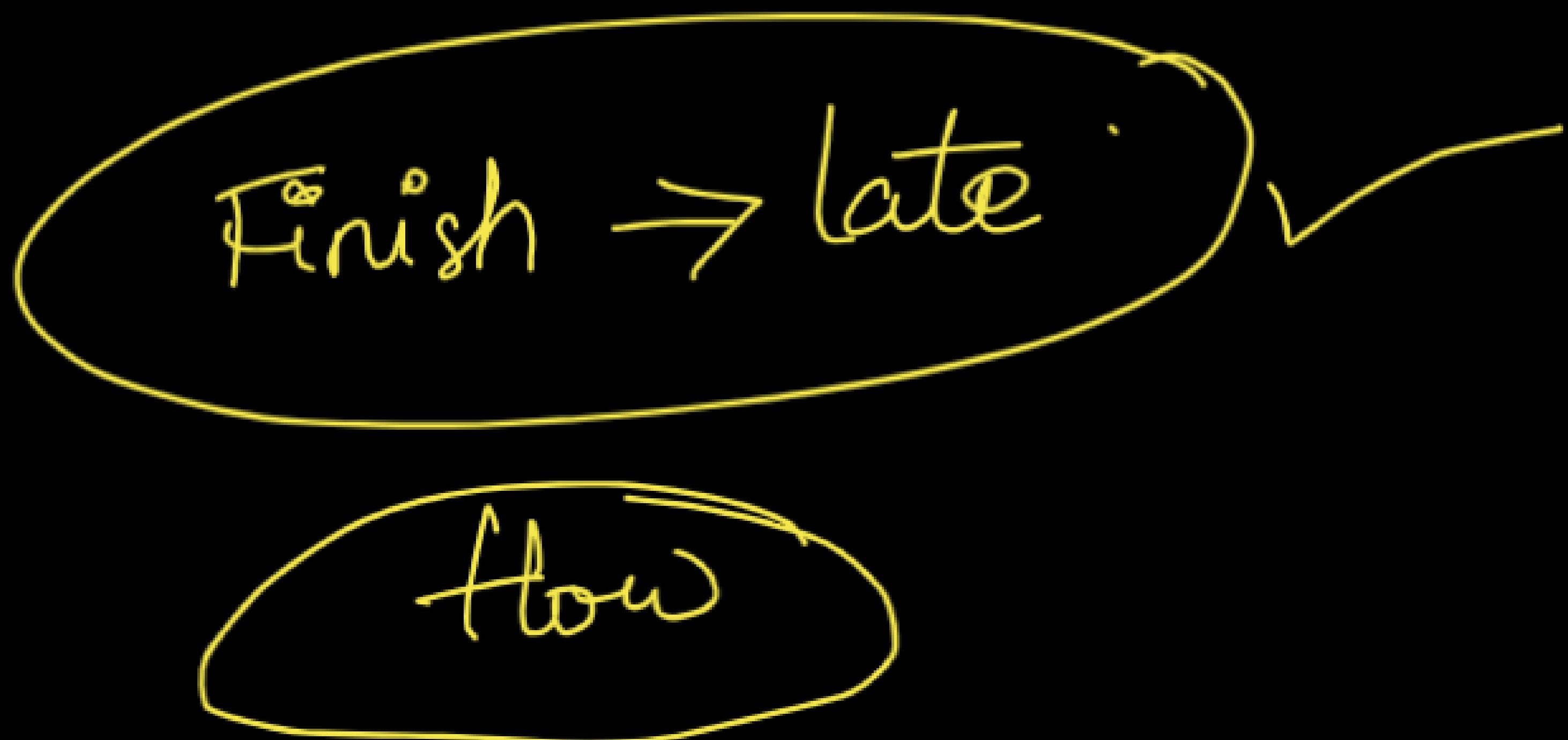
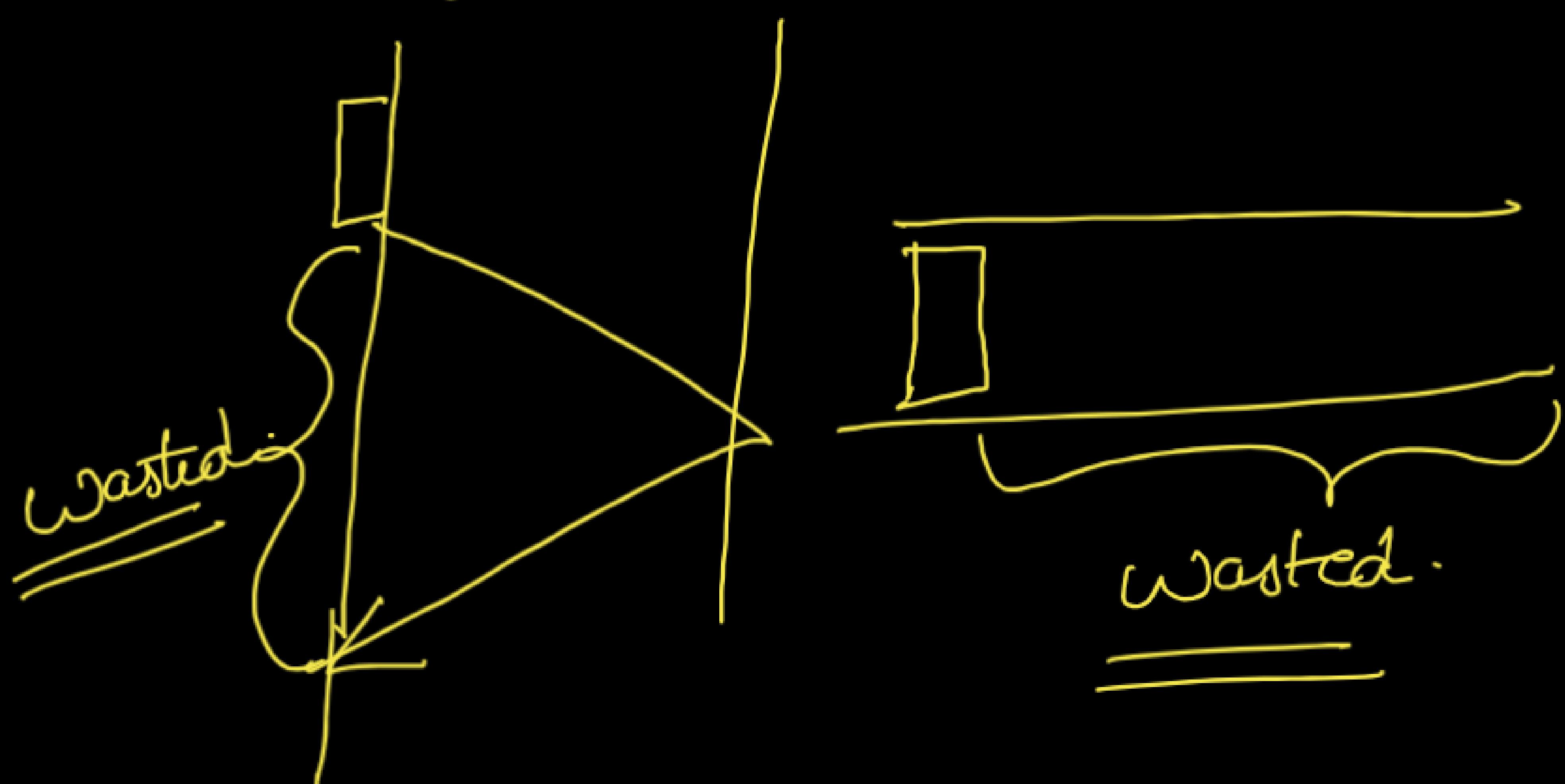
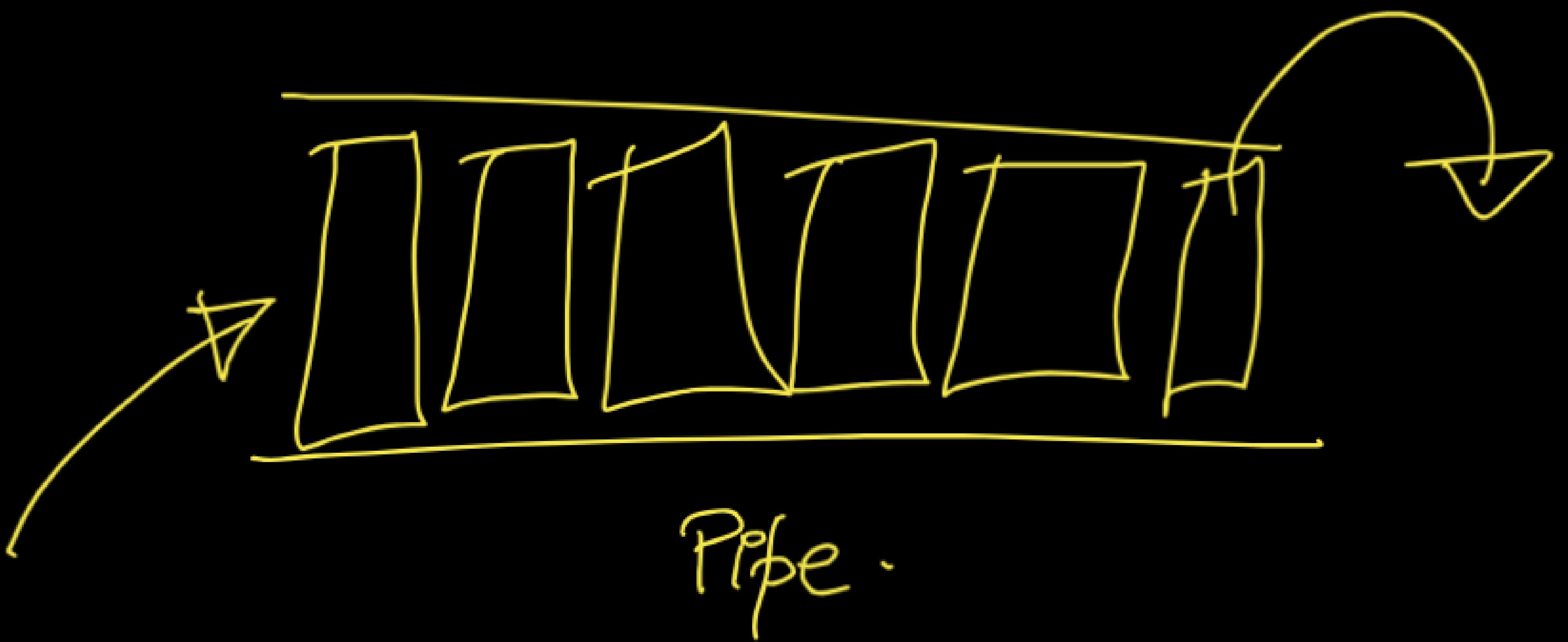


S Sliding window protocol.



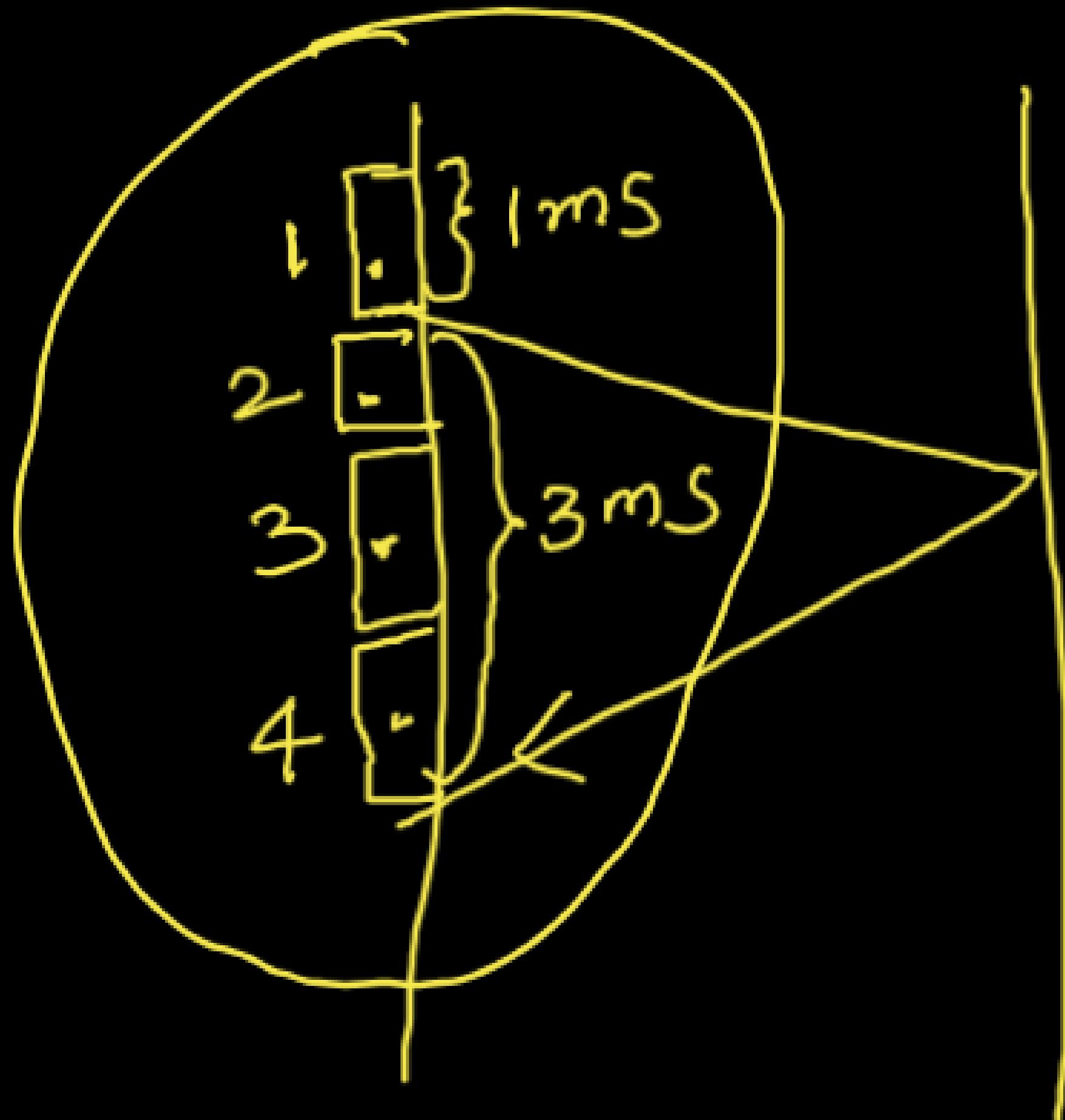
Sand work



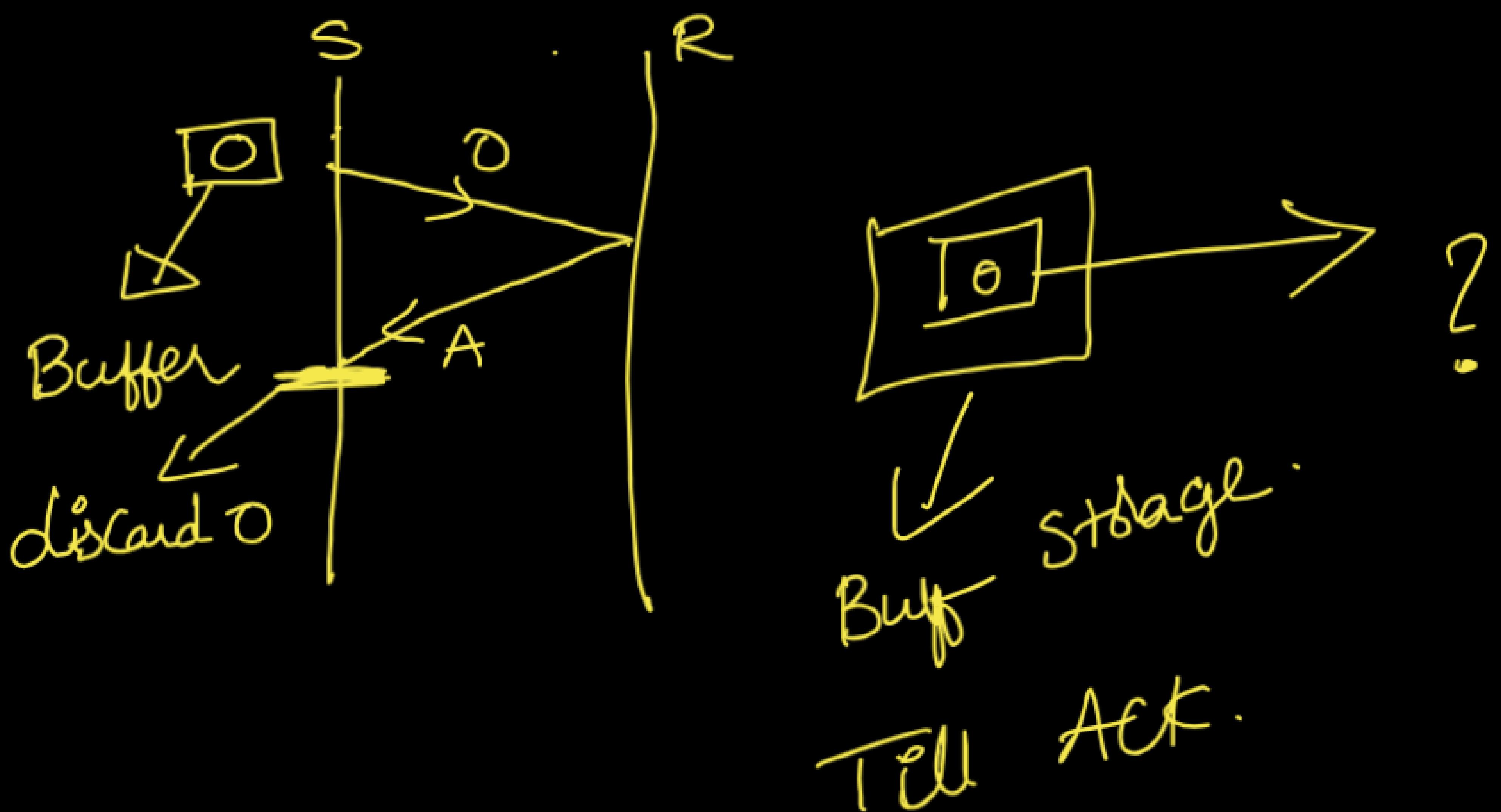


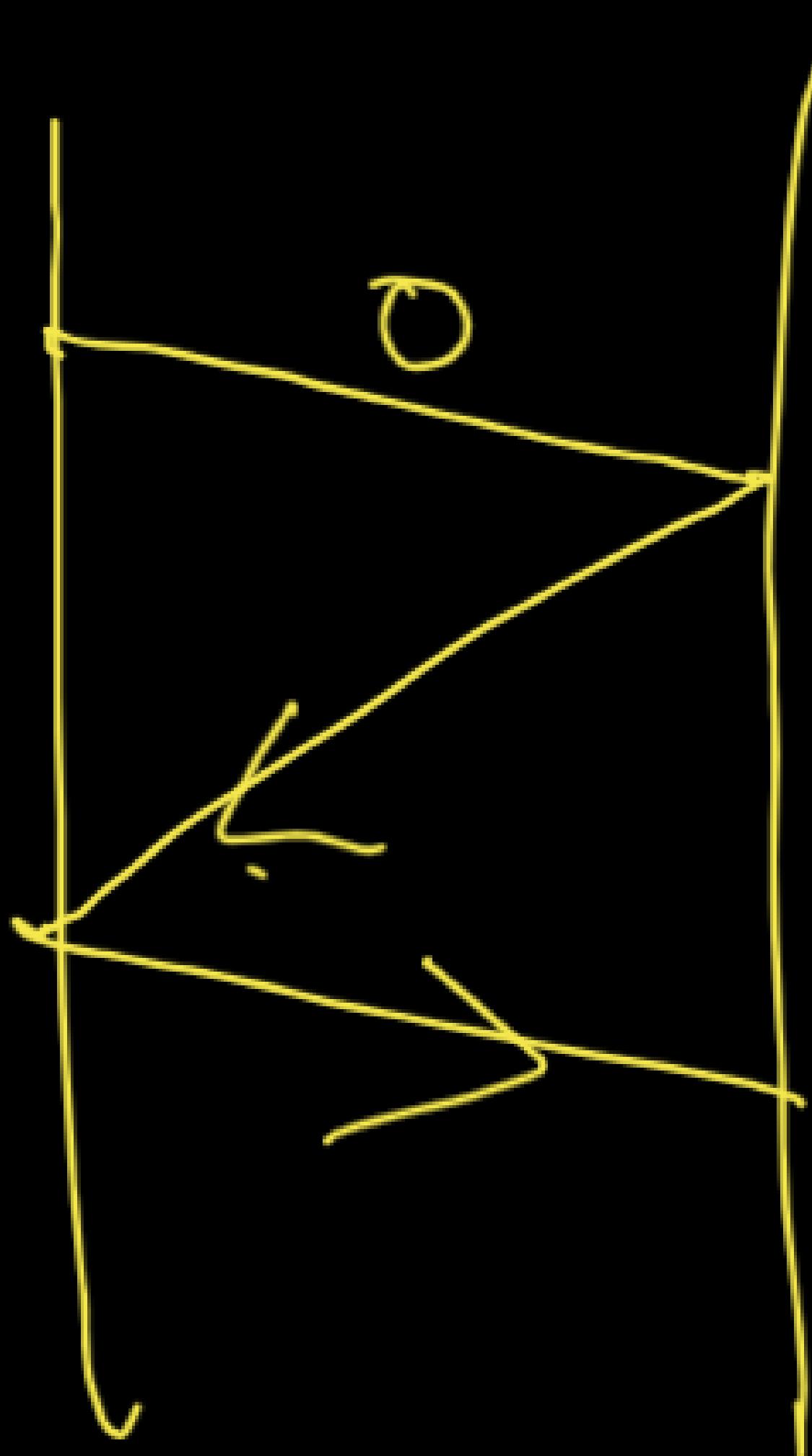
SwP :

$$T_t = 1 \text{ ms} \quad T_p = 1.5 \text{ ms} \quad n = ? \quad 25\% \quad \frac{1}{4}$$

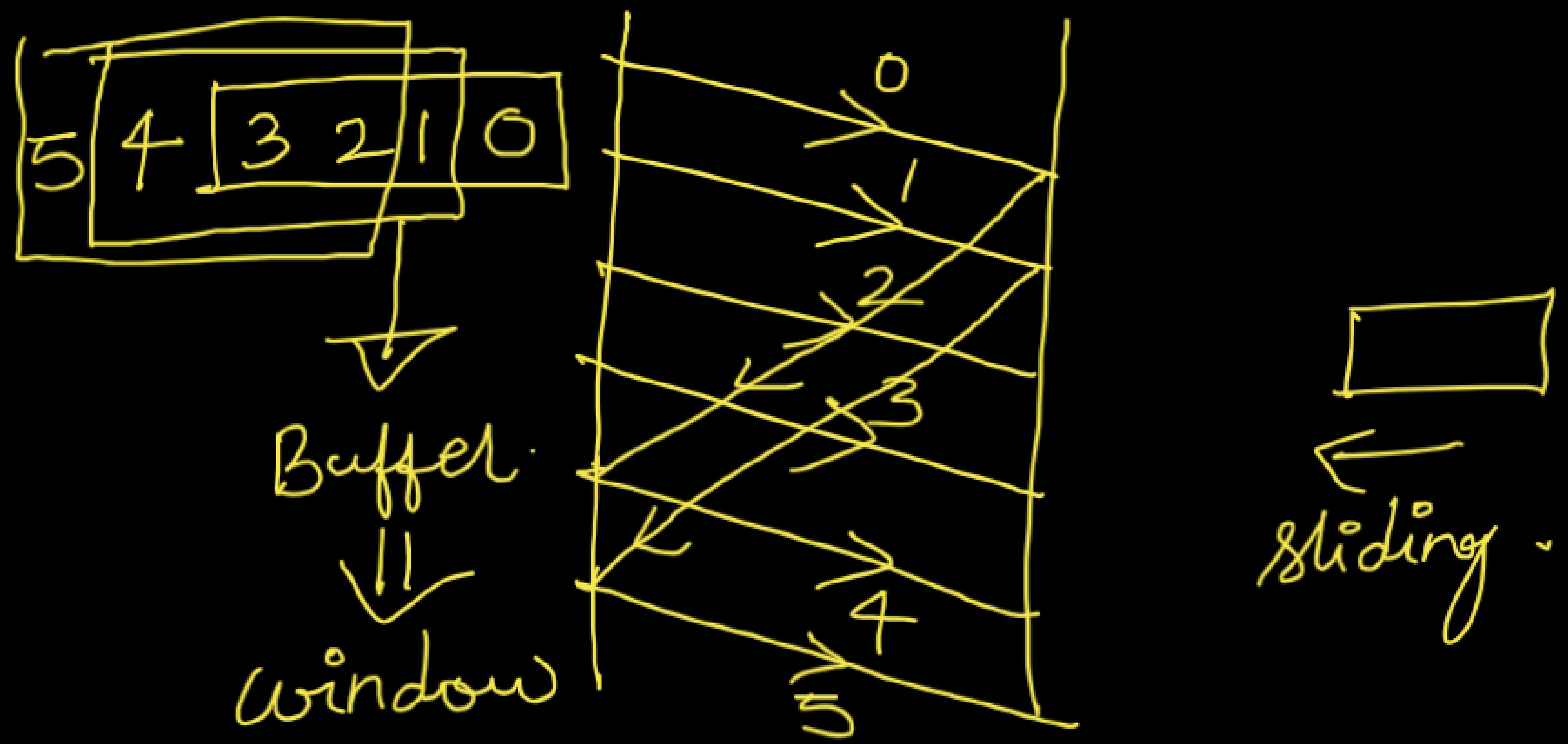


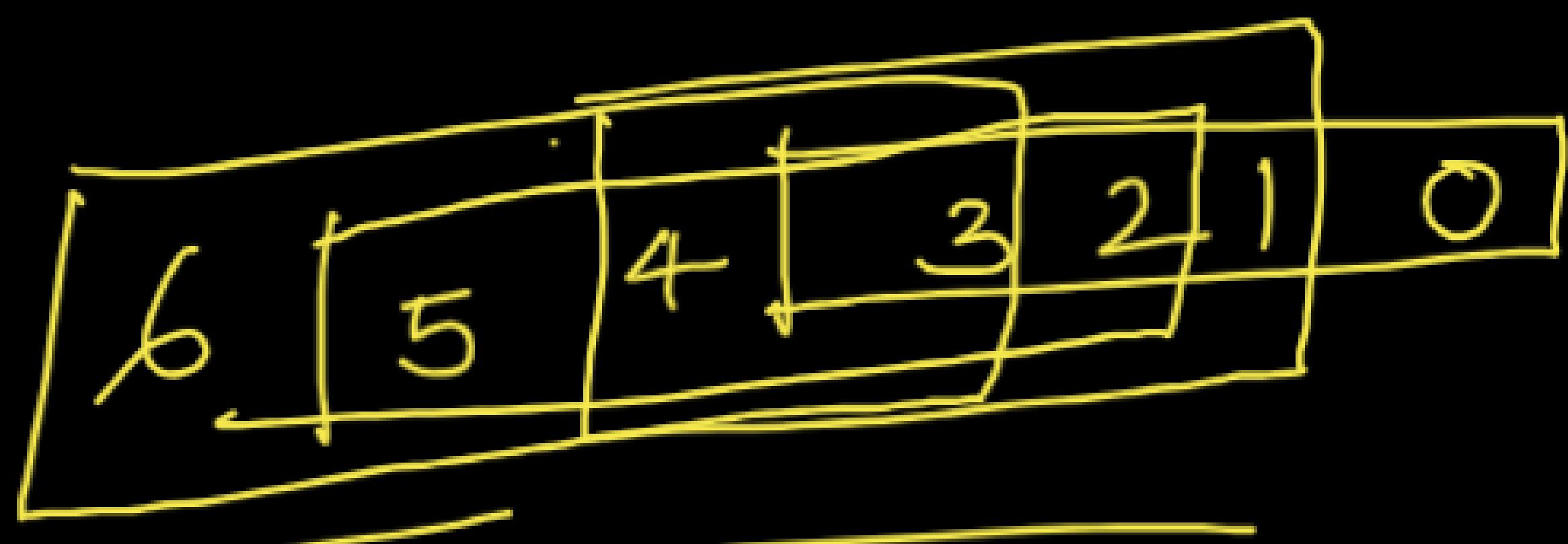
Sliding window
protocol.





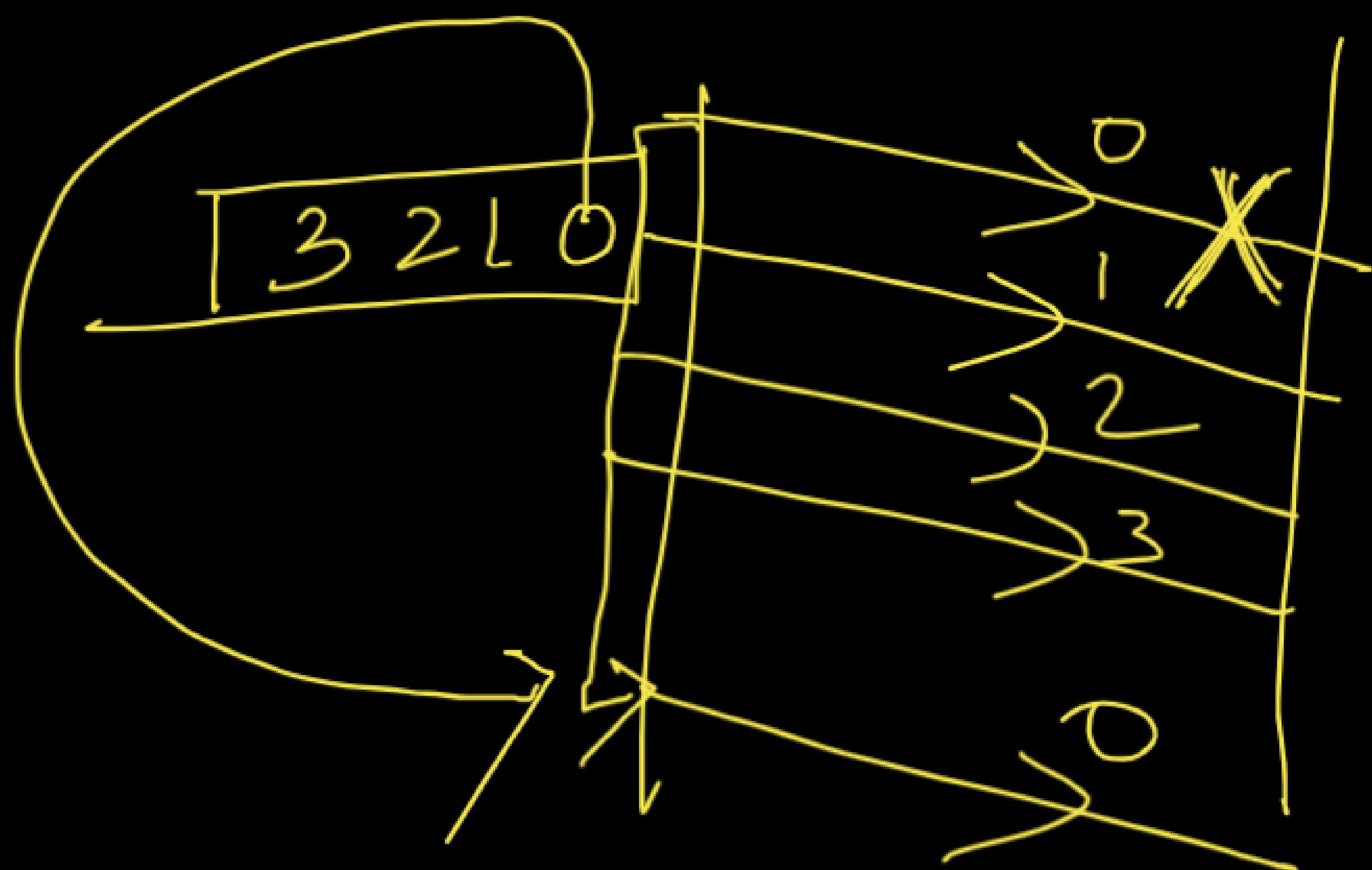
How long do you save a packet?
Till ack is rec





sliding

swp



$$T_t = 1 \text{ ms} \quad T_p = 1.5 \text{ ms}$$

window size = ?

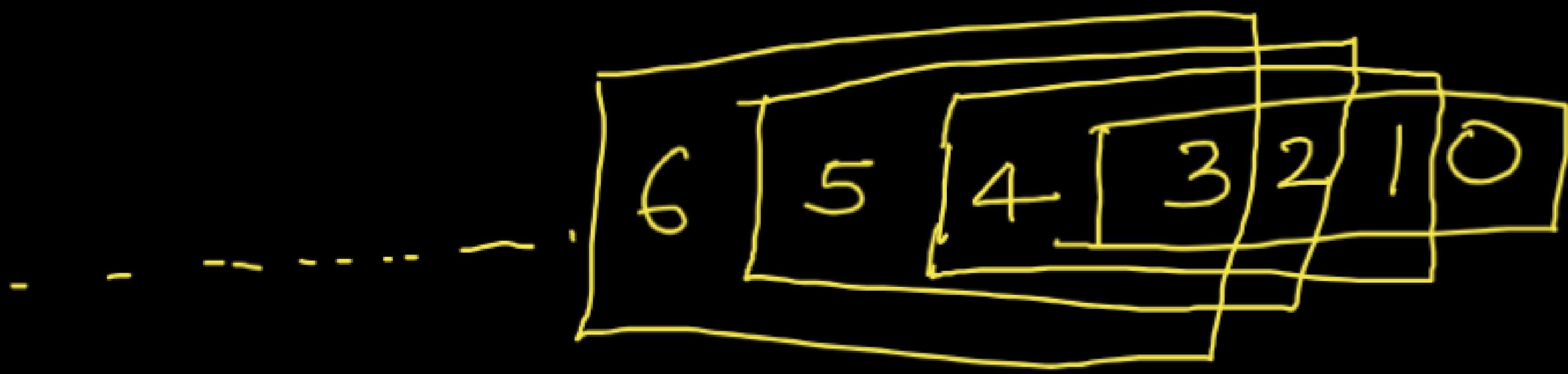
For 100% efficiency

T_t time \rightarrow 1 packet

$T_t + 2 * T_p \rightarrow ?$

$$\frac{T_t + 2 * T_p}{T_t} = \boxed{1 + 2a}$$

Fd max eff $\omega_s = (t + 2a)$



how many numbers?

"∞"

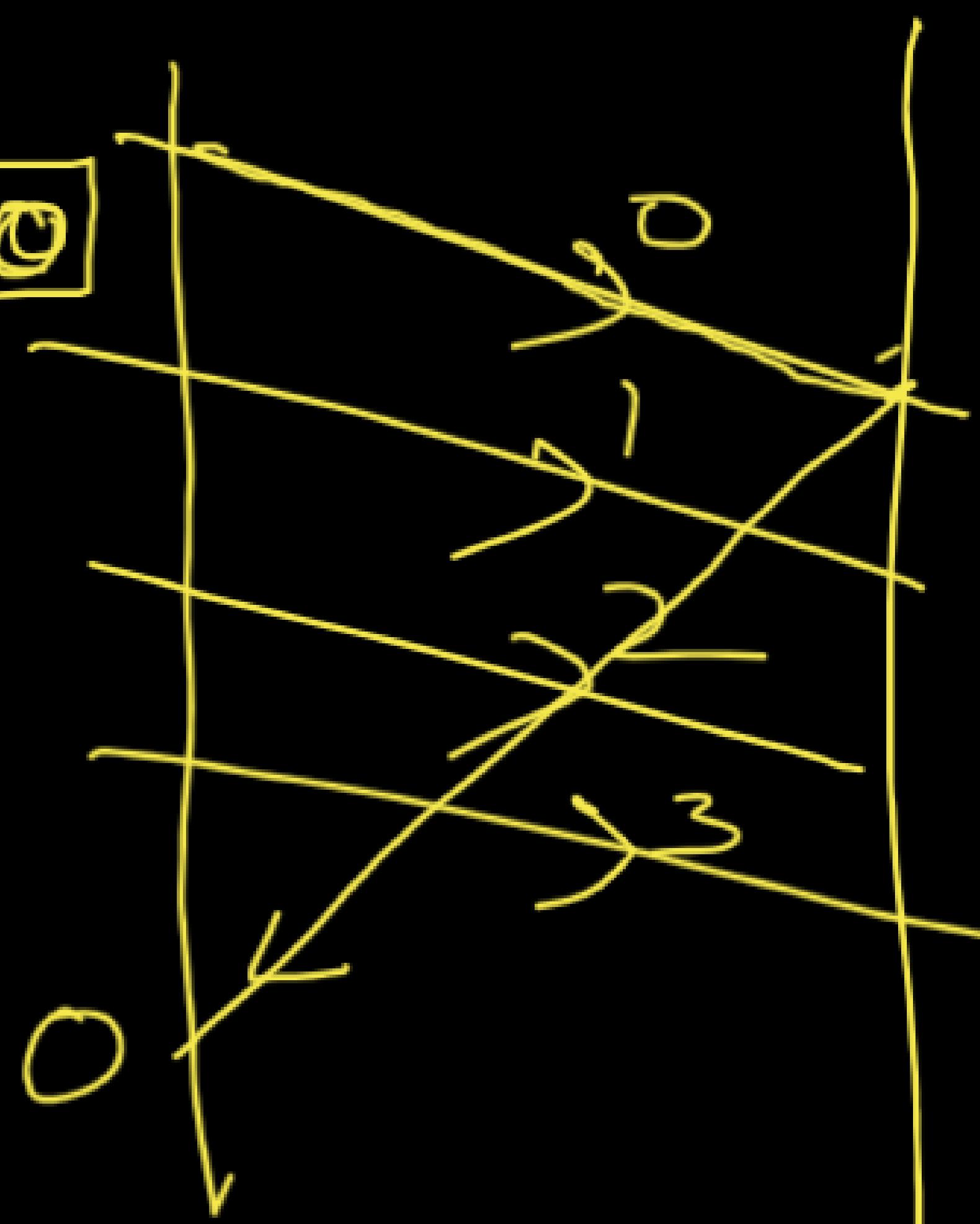
min

sequence number

data packet

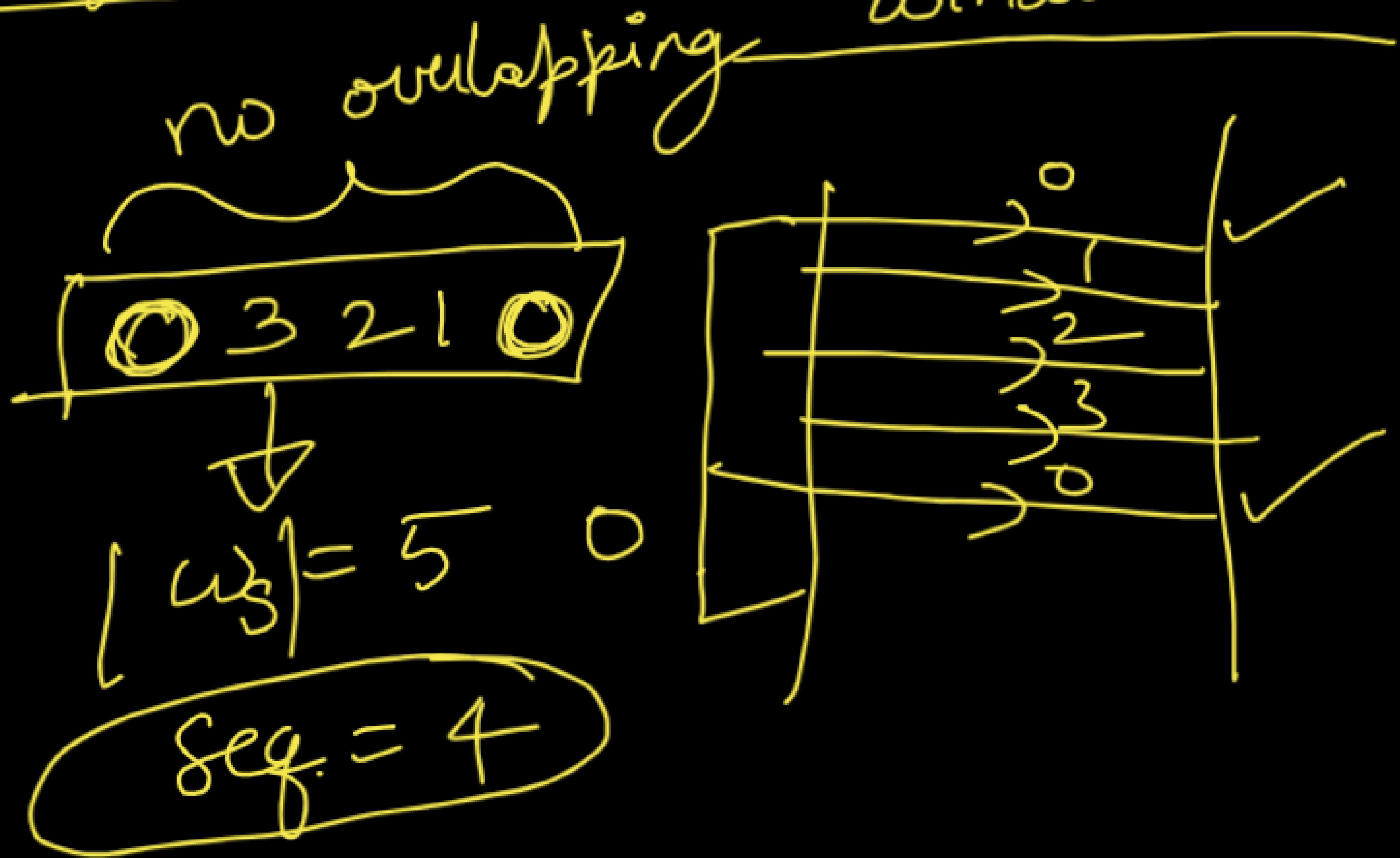
32

year



0 is not
in the
n/w

min Seg numbers = size of the window



min seq no = size of window

Eg: 4 \rightarrow seq \rightarrow ? bits

2 bits

16 \rightarrow seq \rightarrow ? bits

4 bits

10 \rightarrow seq \rightarrow ? bits

4 bits

4 bits \rightarrow Seg num?

16

10 no problems

Seg num > [WS]

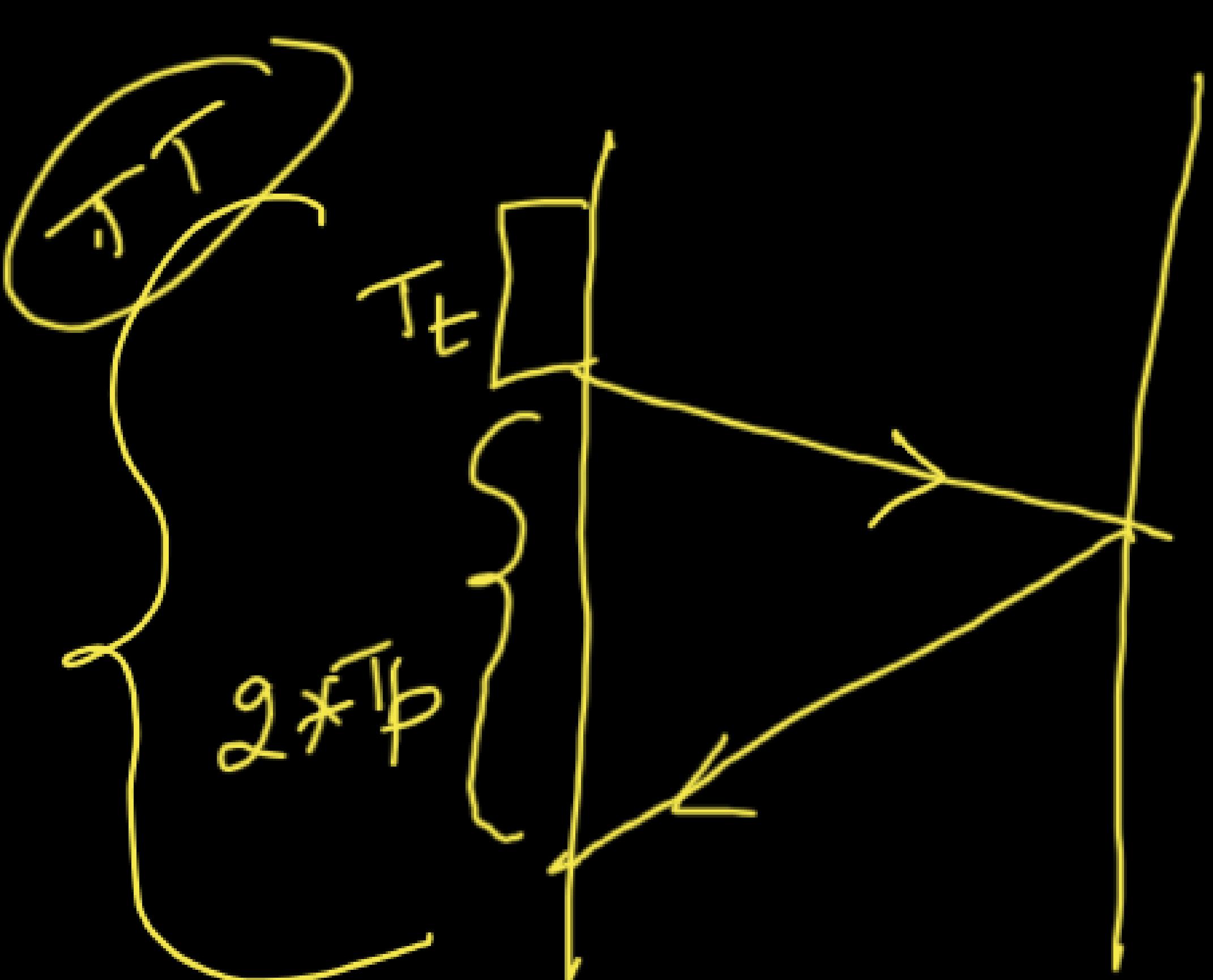
Seg numbers $\geq w_s$

Seg numbers $\geq (1+2a) \rightarrow 100\%$
efficiency

bits in seg number field -

$$\log_{10} \{3^3\}$$

$$\lceil \log_2 (1+2a) \rceil \rightarrow \text{ceil. } 100\% \text{ effi}$$



$$\text{Total time} = \overline{T_t} + 2\bar{T_p}$$

\bar{T}_t sec. \rightarrow 1 packet $\rightarrow \bar{T}_t$ sec.

$\bar{T}_t \rightarrow 1$ packet

1 sec $\rightarrow \frac{1}{\bar{T}_t}$ packets

$$\bar{T}_t + 2\bar{T_p} \rightarrow \frac{\bar{T}_t + 2\bar{T_p}}{\bar{T}_t} \text{ pack}$$

$$a = \frac{\bar{T_p}}{\bar{T}_t} = \boxed{\sqrt{1+2a}}$$

For 100% efficiency $\rightarrow (1+2a) \cdot$
 $\therefore |\omega_S| = (1+2a)$

 ($\omega_S = 4$) $\rightarrow 4$ seq numbers.

Seq $= \boxed{(1+2a)}$ bits $\rightarrow \lceil \log_2(1+2a) \rceil$ ✓

$$T_t = 1 \text{ ms} \quad T_p = 49.5 \text{ ms}$$

$|\omega_S| \rightarrow 100\% \text{ effi}$

$$|\omega_S| = 1 + 20 = 100 \quad \text{bits}$$

Seq numbers = 0

at least 100

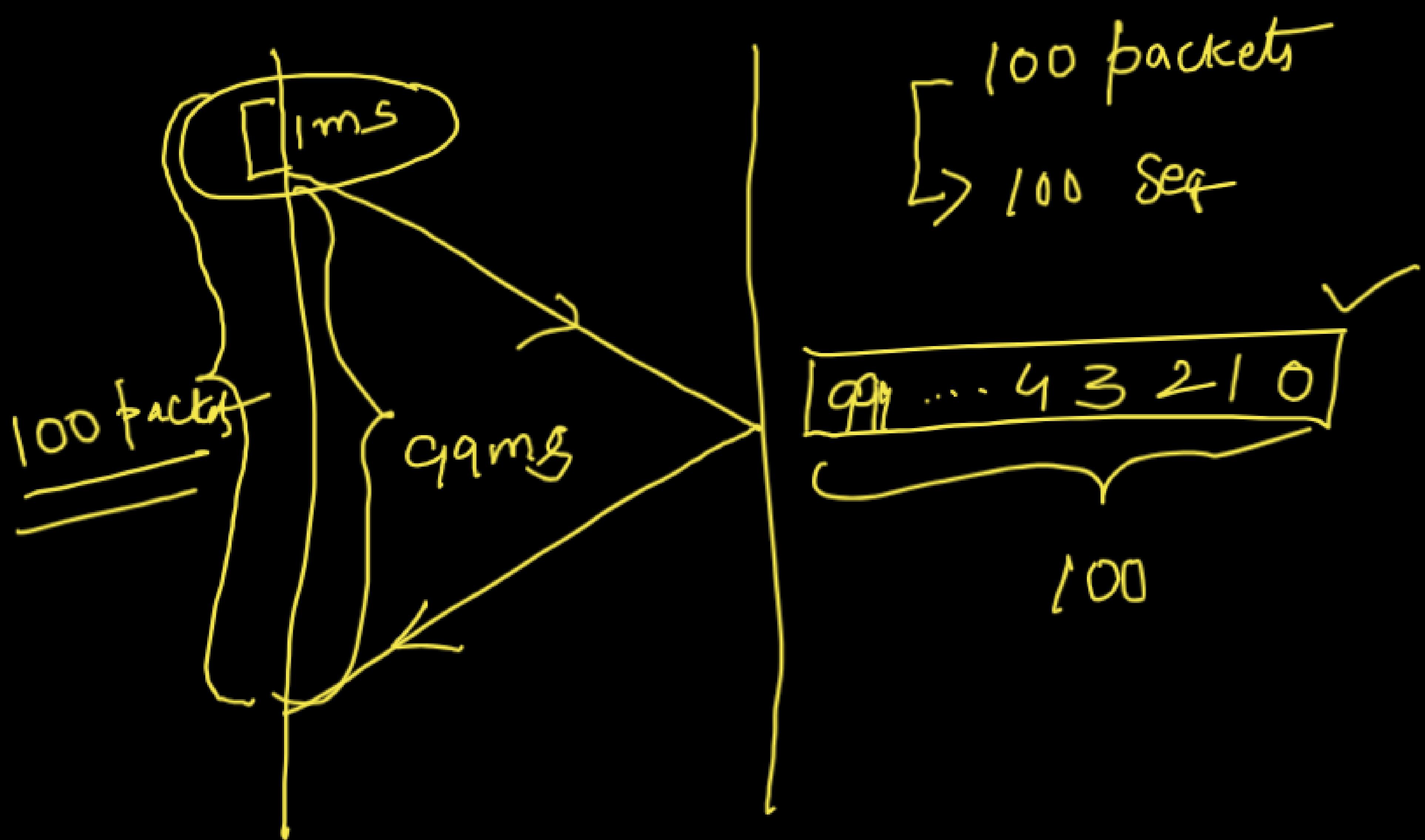
$$\lceil \log_2 100 \rceil = 7 \text{ bits}$$

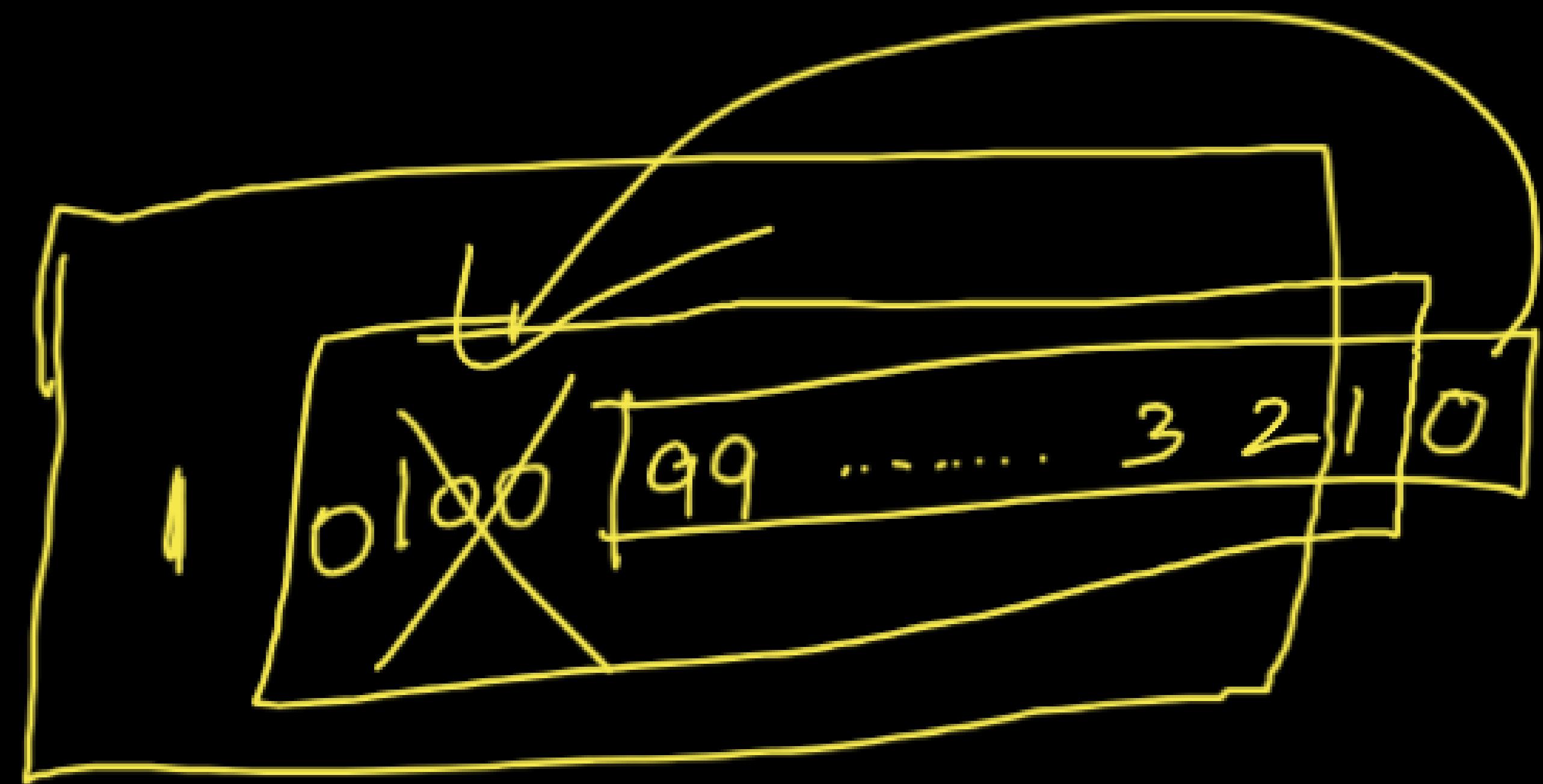
↓

128 ✓

≥ 100

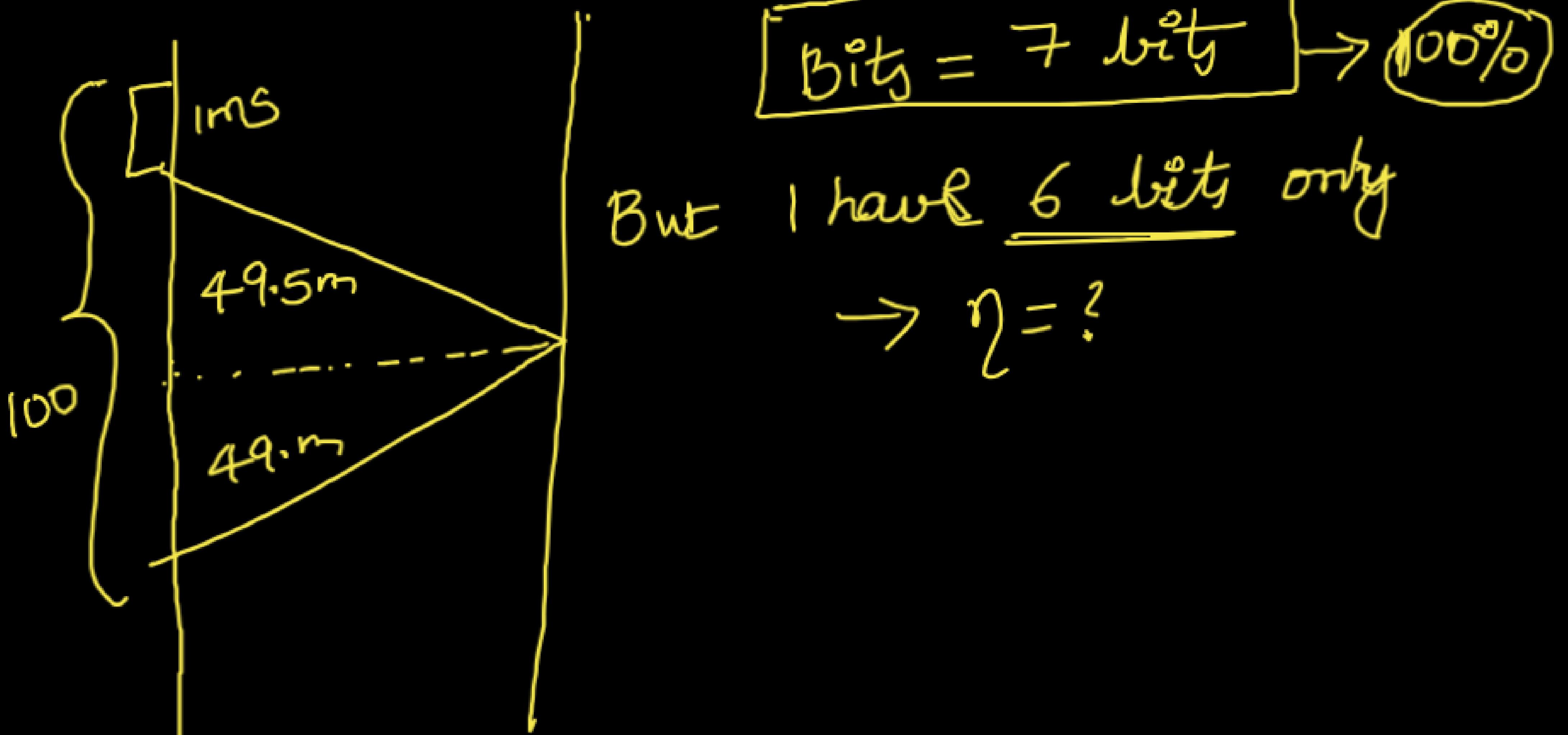
$$T_t = 1 \text{ ms} \quad T_p = 49.5 \text{ ms}$$





100

100

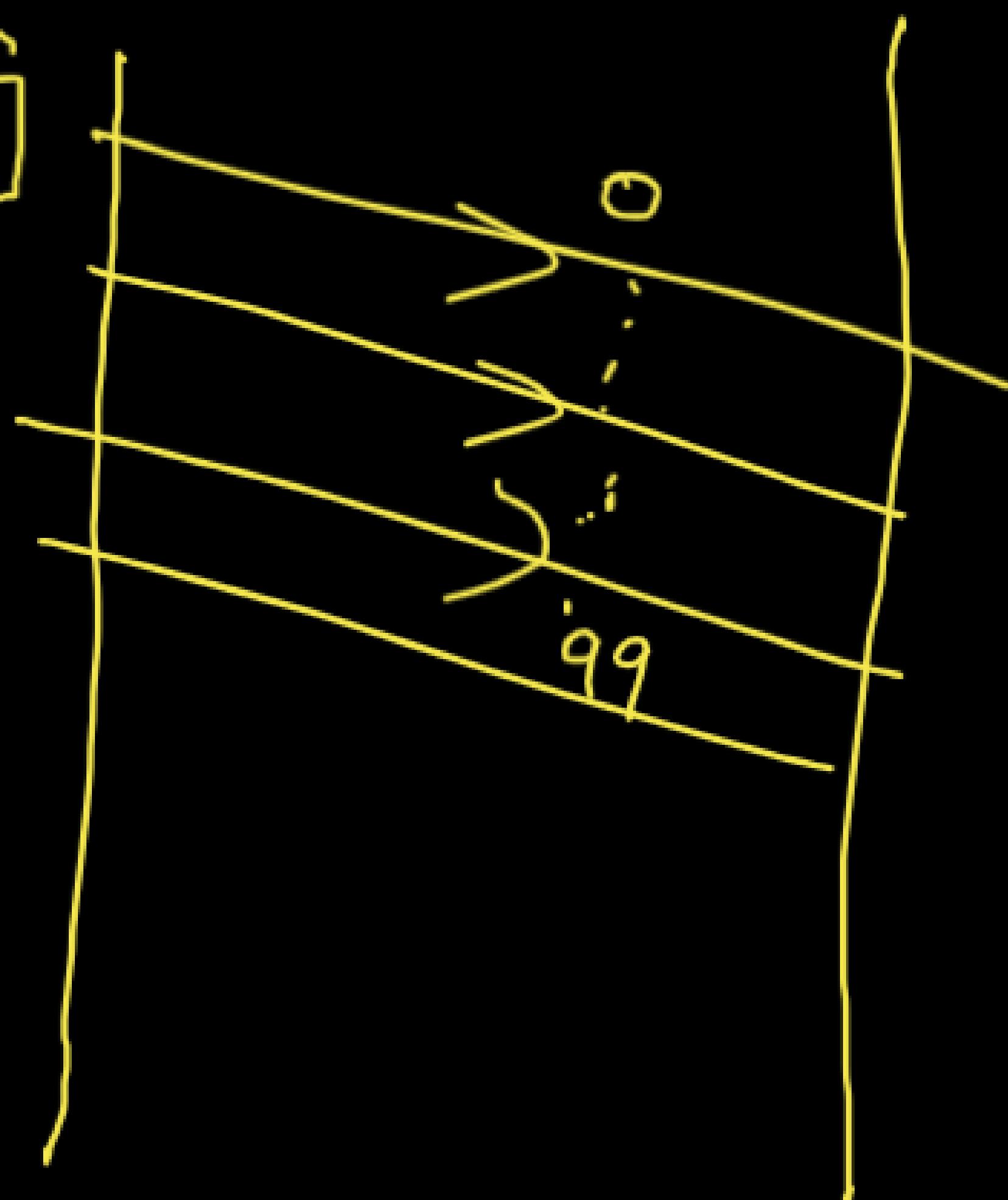


100 f₁ max

99... 4 3 2 1 0

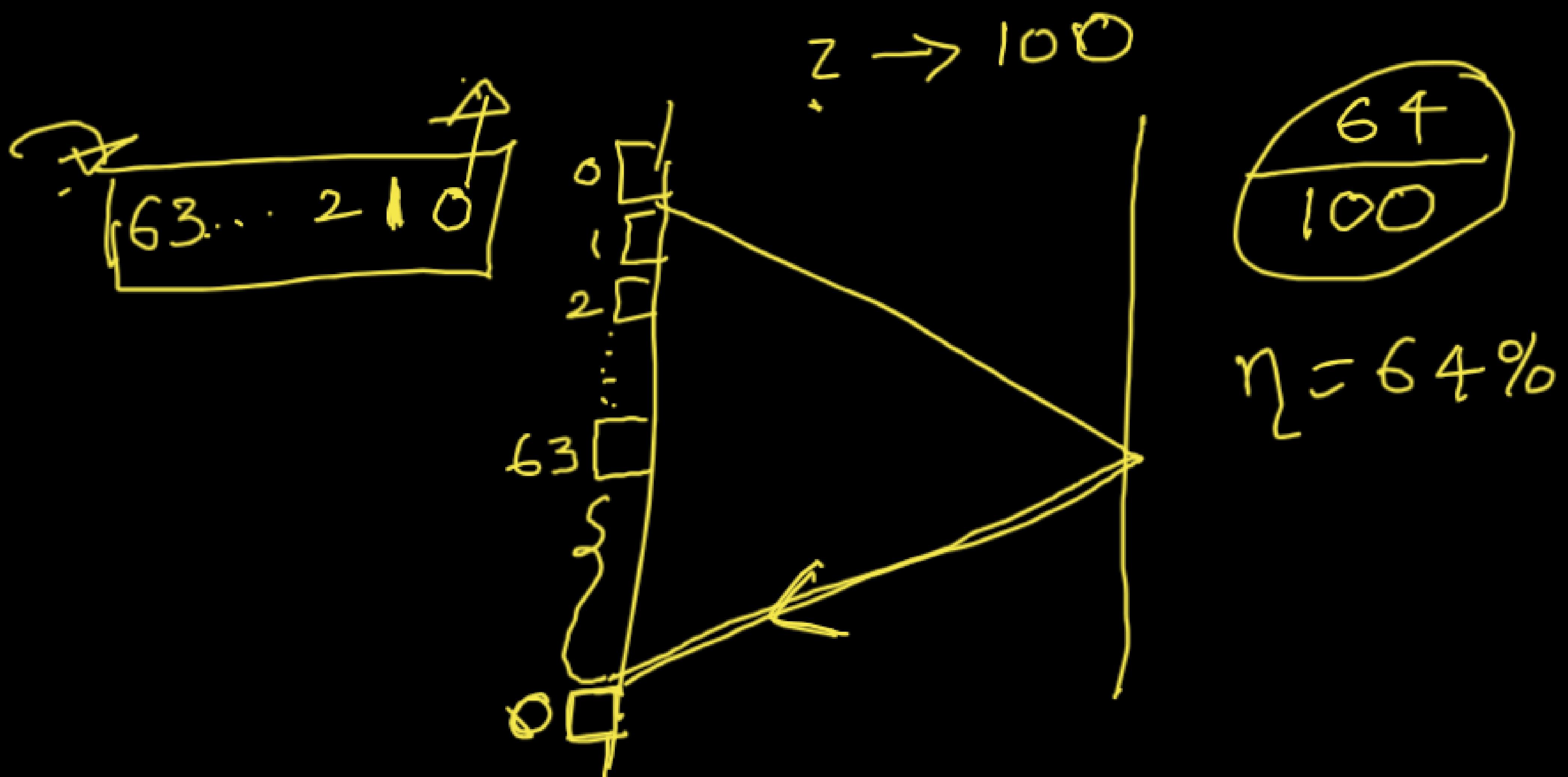
WS

if I have
100 def
number.



But we have only 6 bits

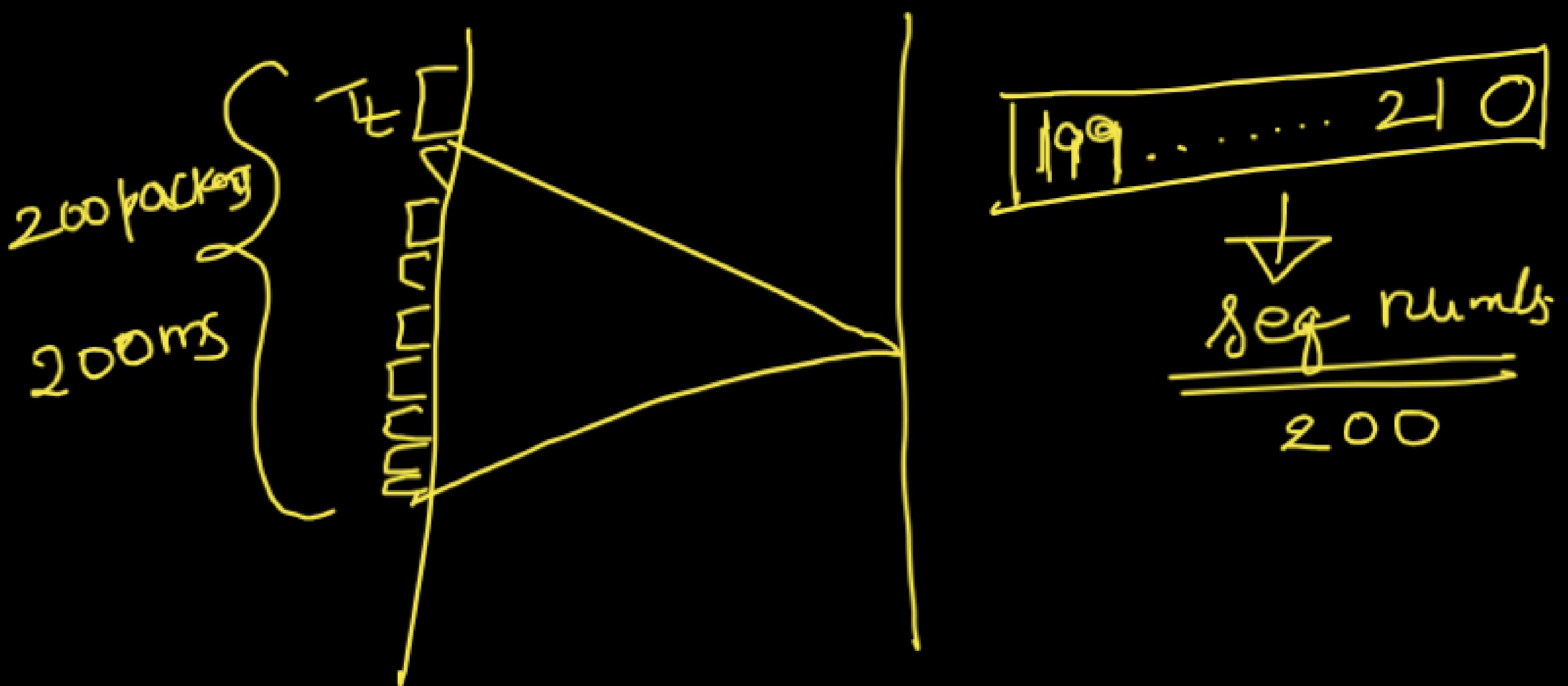
6 bits \Rightarrow 64 seg numbers only.



$$\tau_t = 1 \text{ ms}, \tau_p = 99.5 \text{ ms} \quad |\omega_s| \rightarrow 100\%$$

$$|\omega_s| = 1 + 2\alpha = 200 \text{ packets}$$

$$\text{Seg} \rightarrow ? \geq 200; \text{ bits} \rightarrow 8 \text{ bits}$$



K=8 bits 8 bits \rightarrow 100% eff

7 bits \rightarrow ? n

|WS| \rightarrow 200 packets

But \rightarrow 2⁷ \rightarrow 128 pick

$$\frac{128}{200} = 64\%$$

$$\text{G} \quad T_t = 1 \text{ ms} \quad T_p = 149.5 \text{ ms}$$

$$|w_s| \rightarrow 100\% \text{ eff} \quad (1+2a) = 300 \text{ pkts}$$

bits \rightarrow Seq num \rightarrow 9 bit

$$\boxed{8 \text{ bits} \rightarrow ? \text{ n}}$$

$$8 \rightarrow 256.$$

$$\gamma = \frac{256}{300} = 85.33\%$$

$$w_s = \frac{(1+2a)}{2^n} \rightarrow \underline{\underline{\text{enough Seq num}}}$$

If ' n ' → no of bits in seq no field

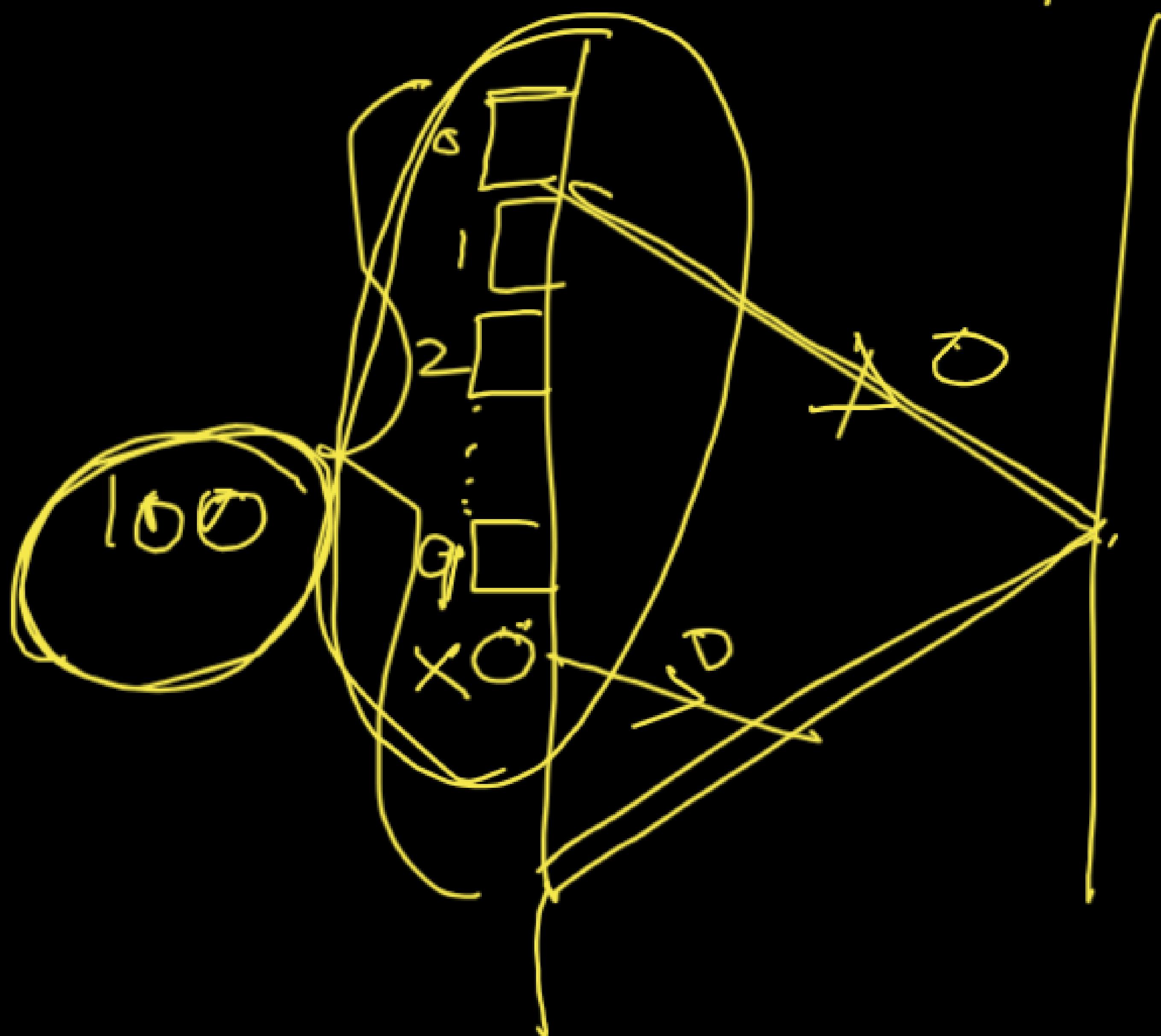
↓
Seq

2^n

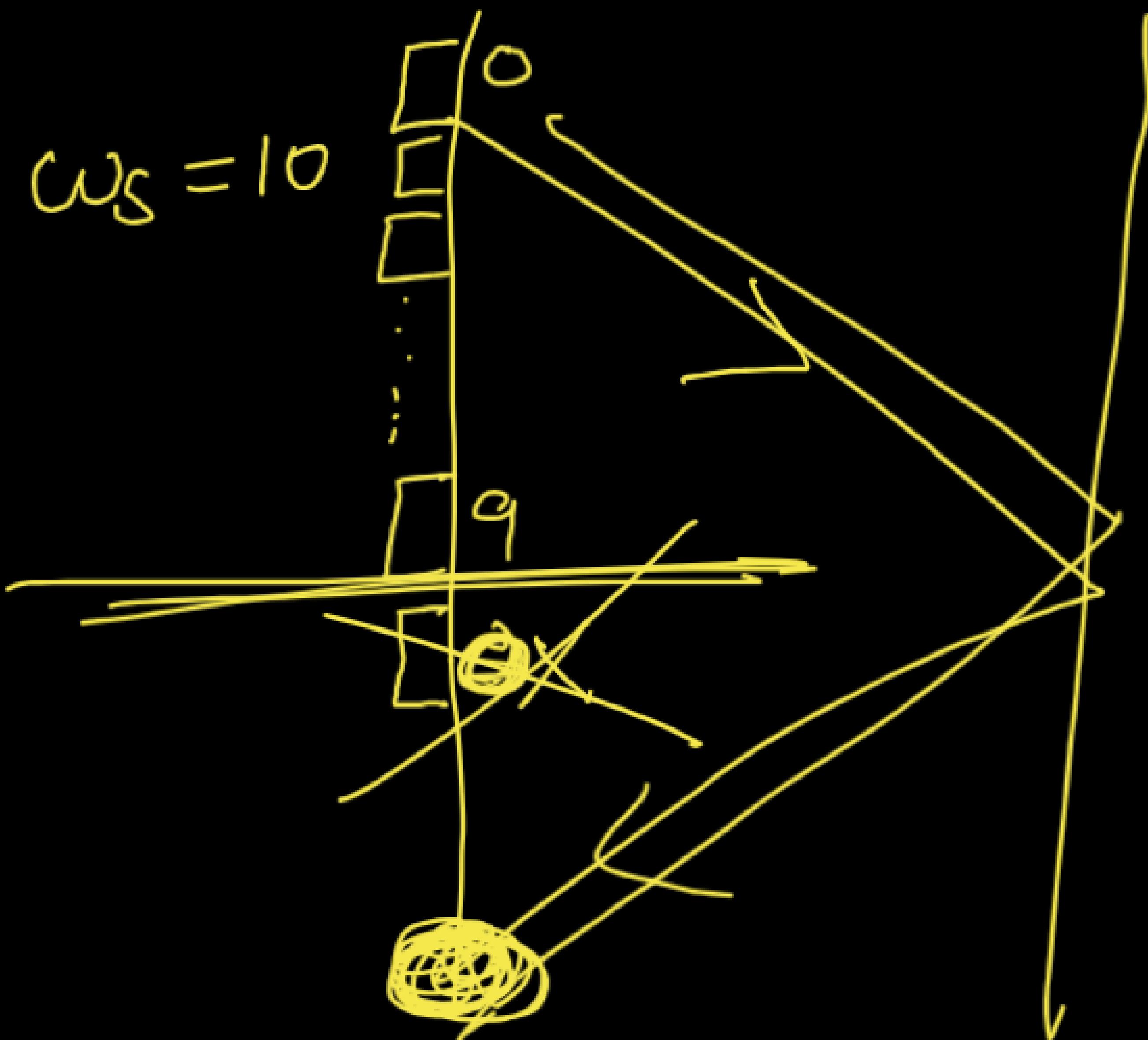
$\underline{\underline{1+2a}}$

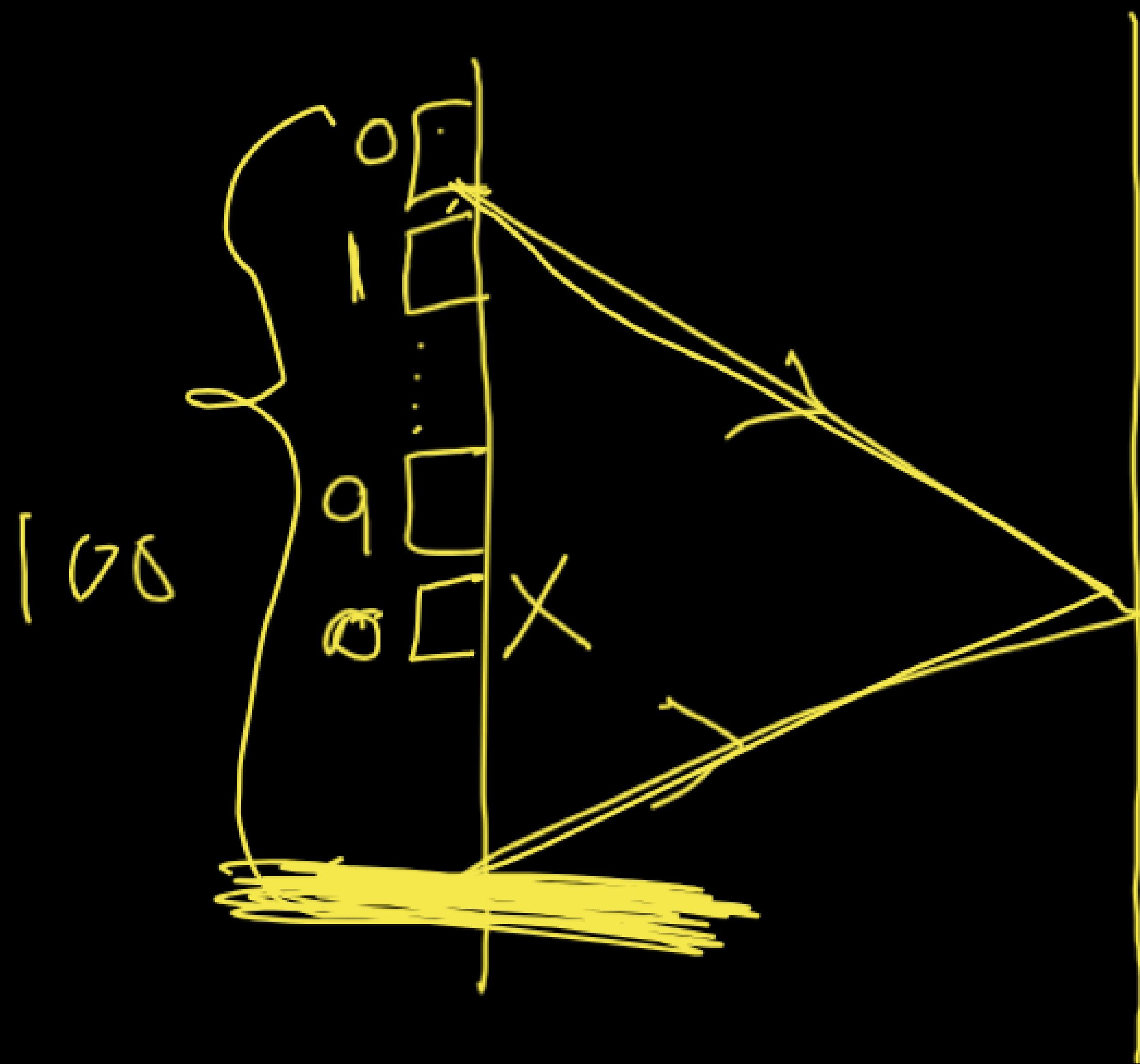
$$w_s = \min(1+2a, 2^n)$$

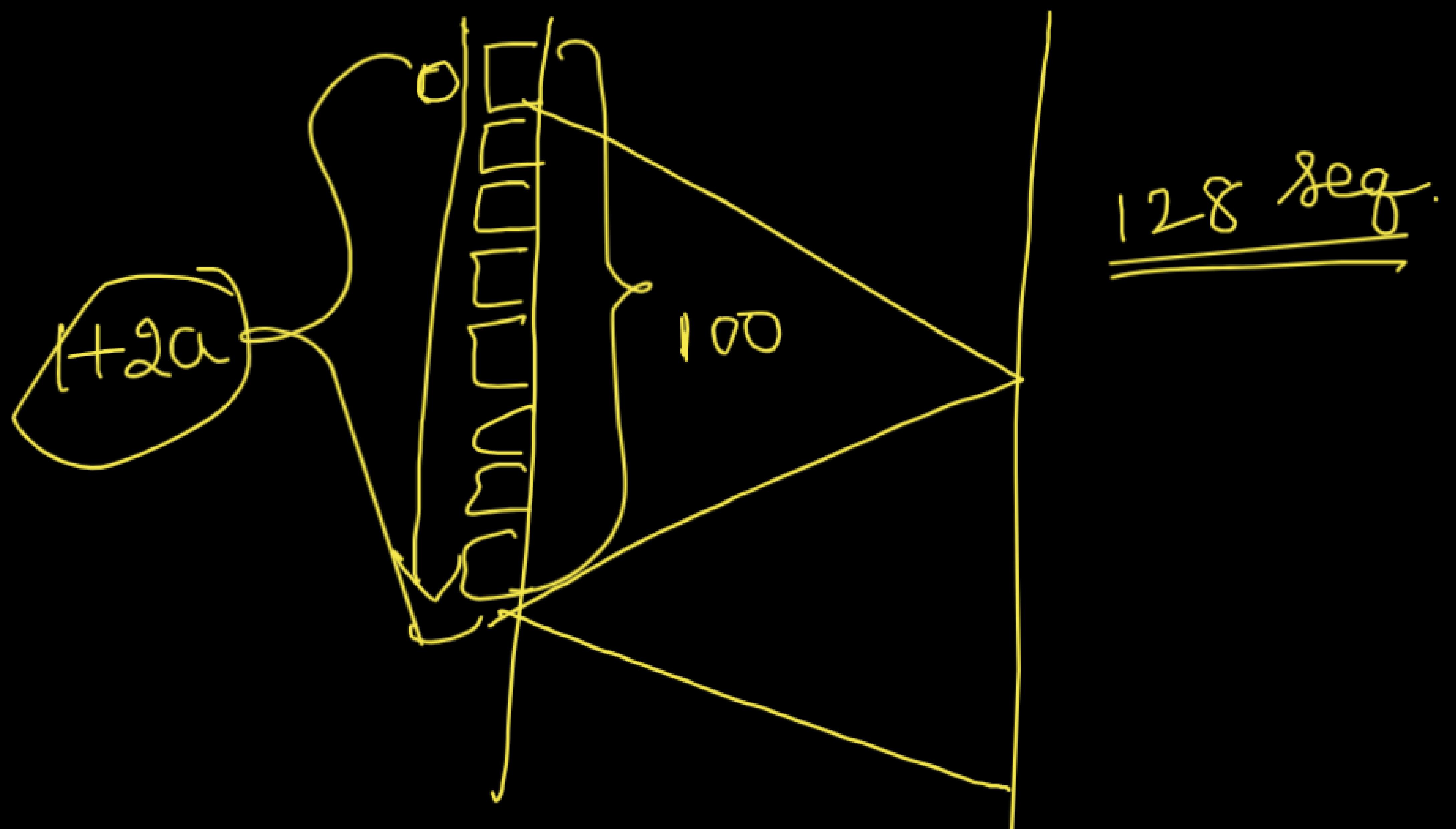
100 10 → 10
100 128 → 100



$\omega_s = 10$



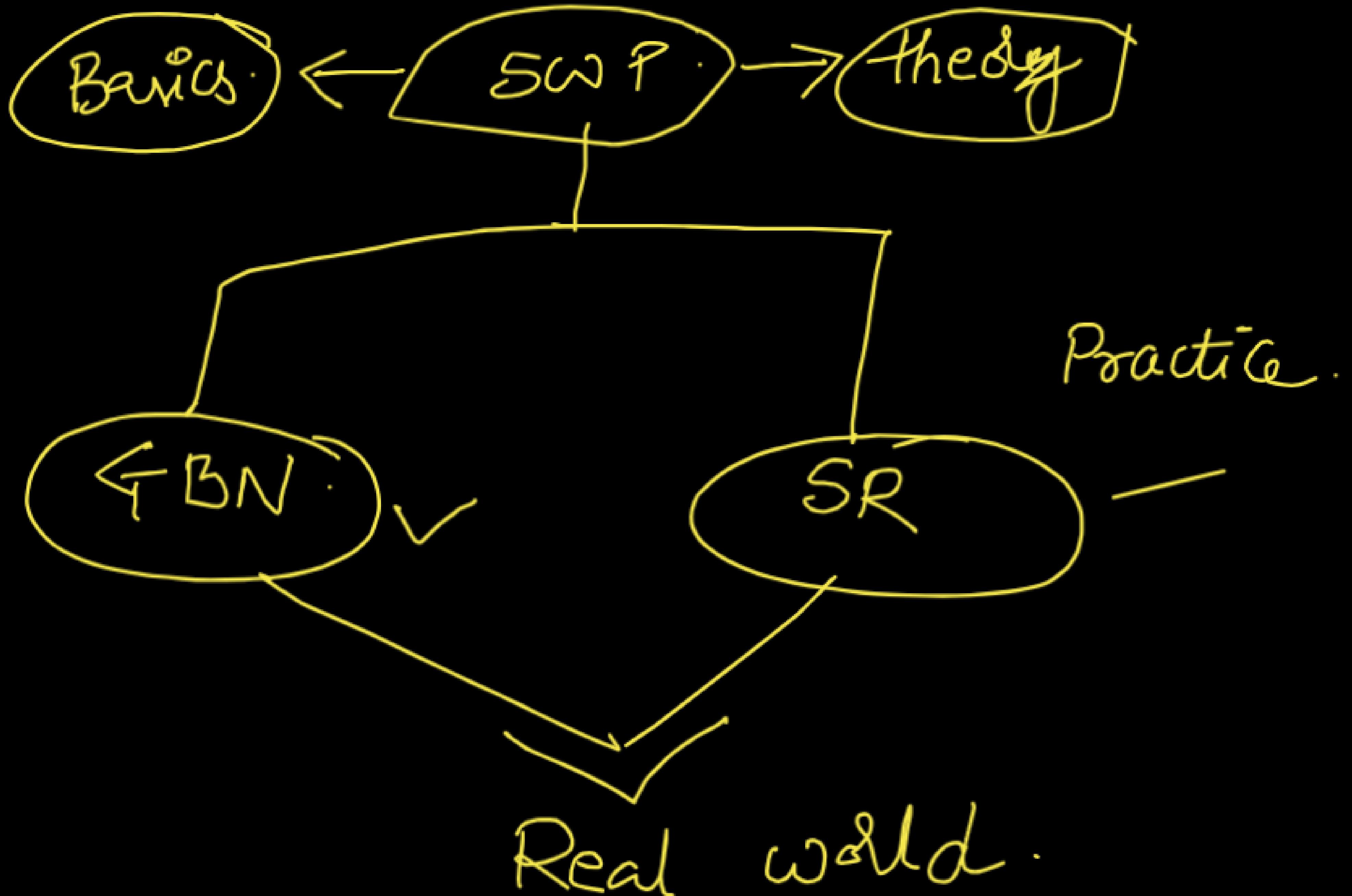




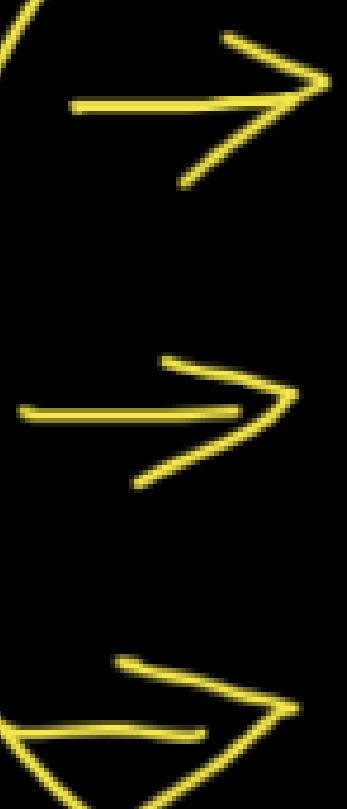
$(1+2\alpha)$

8:08

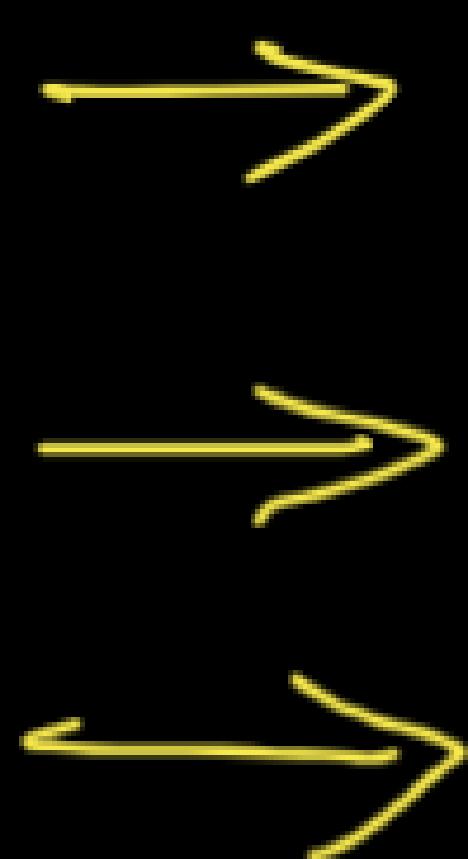
Finish \Rightarrow SWP
Date \rightarrow



GBN



SR



3 points

No text book has simple explanation

Dont lead

GBN

\rightarrow Go back

N

(i) Sender window size in 'N'

GB10

$$|W_S| = 10$$

GB100

$$|W_S| = 100$$

$|N| \geq 2$

?

$|N| = 1$



Stop and wait

$$T_t = 1 \text{ ms} \quad T_p = 49.5 \text{ ms} \rightarrow n \text{ for } GB10$$

$$100\% \rightarrow \underline{\underline{\omega_S}} = 1+2a \\ = 1+2*49.5 \\ = \underline{\underline{100 \text{ packets}}}$$

$$\boxed{GB10} \rightarrow \omega_S = 10 \text{ packets}$$

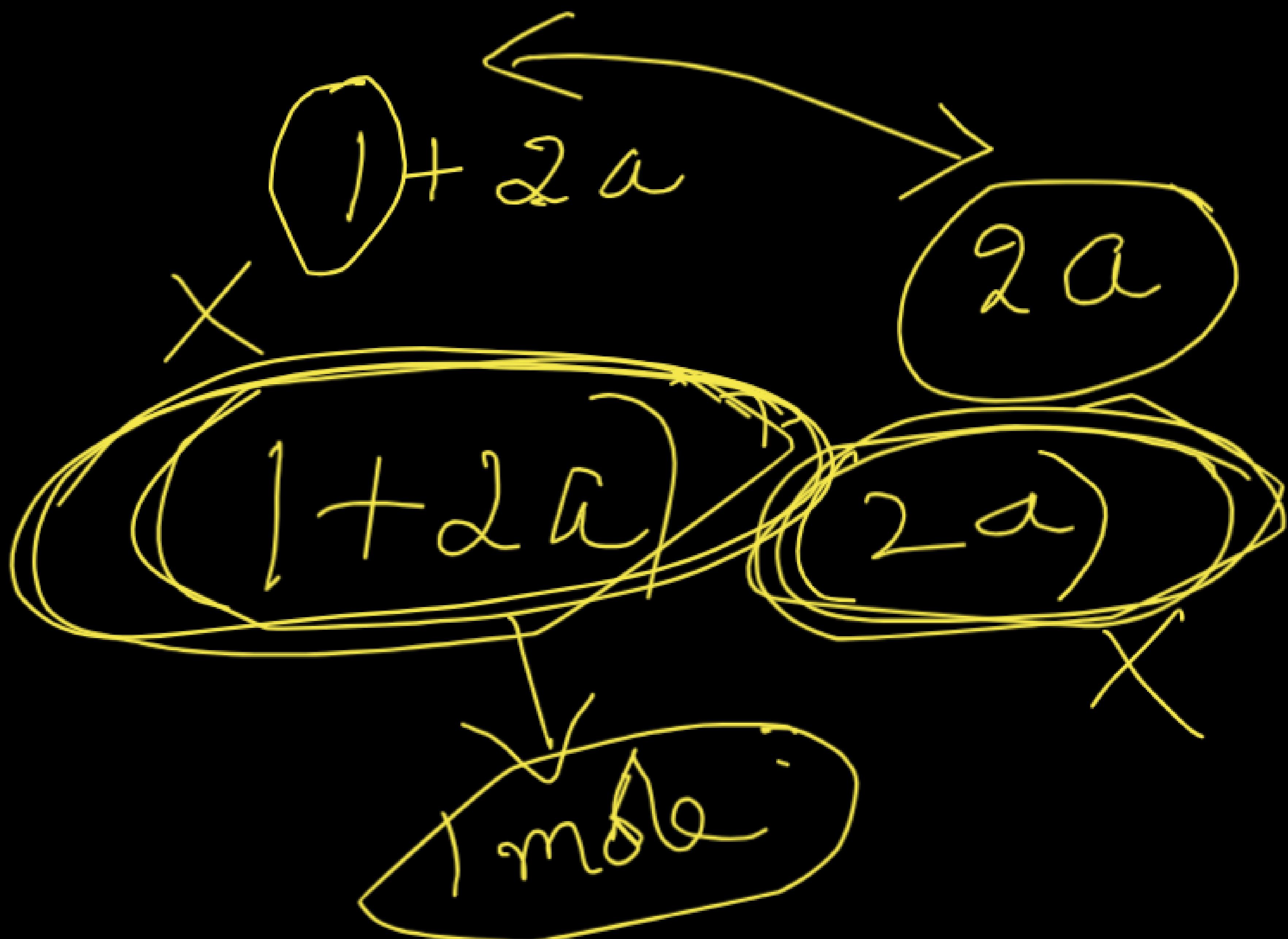
$$n = \underline{\underline{\frac{10}{100}}}$$

$$T_F = 1 \text{ ms}, T_P = 99.5 \text{ ms} \rightarrow \text{GB100}$$

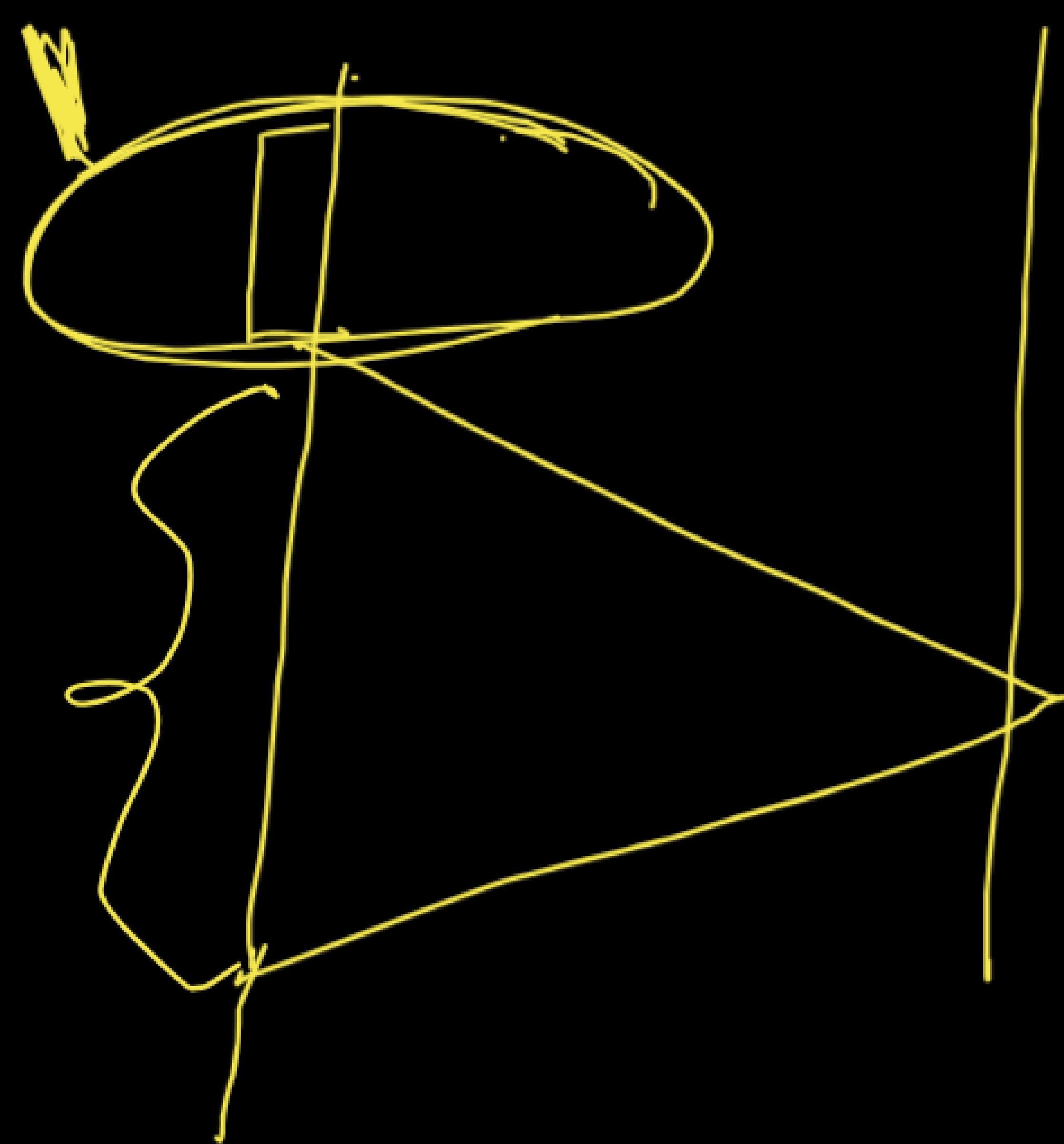
$$100\% \rightarrow (1+2\alpha) \rightarrow 200 \text{ parts}$$

$$|\omega_s| = 100 \quad n = \frac{100}{200}$$

50%



mode



2) Receiver window size is $\boxed{1}$

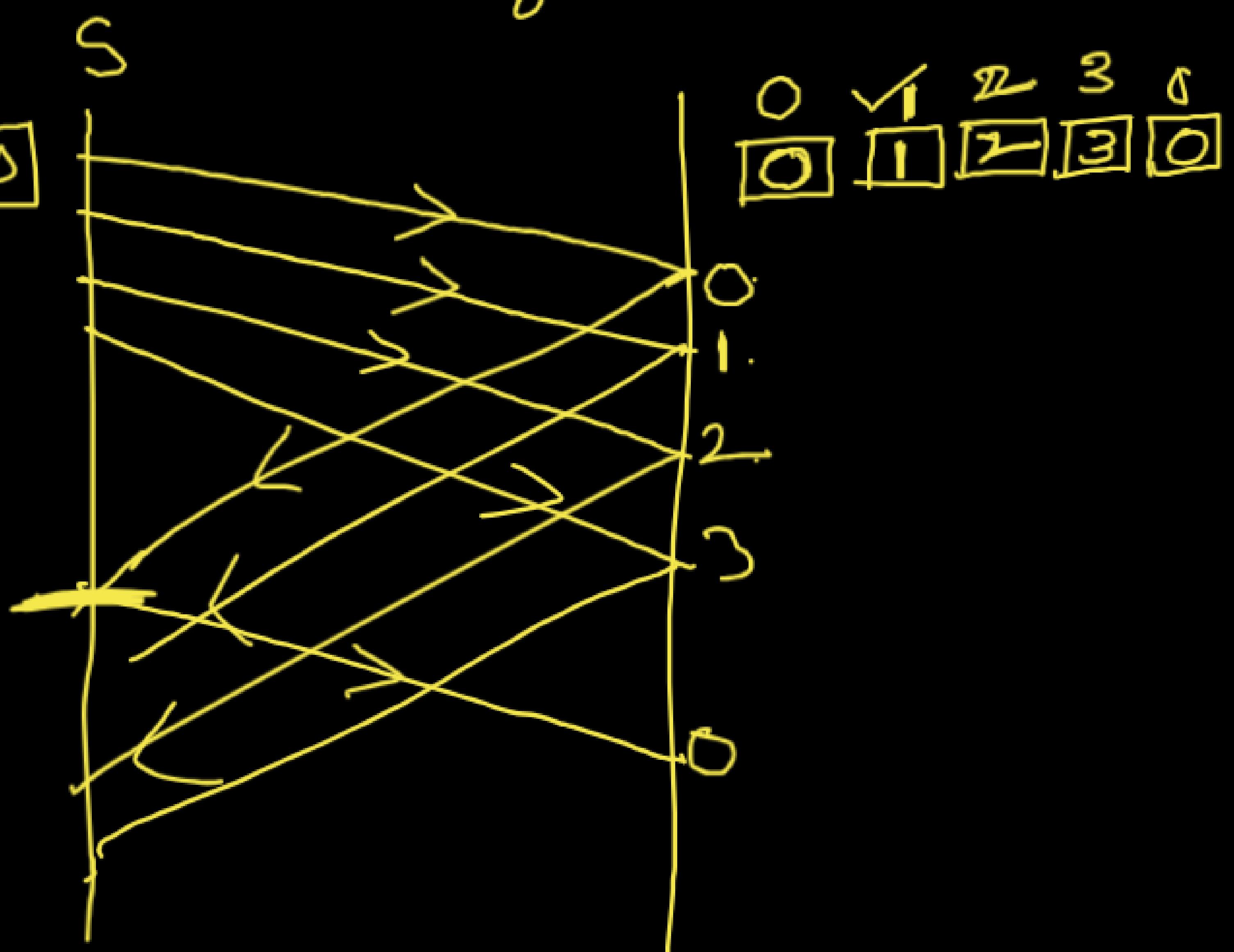
ex:

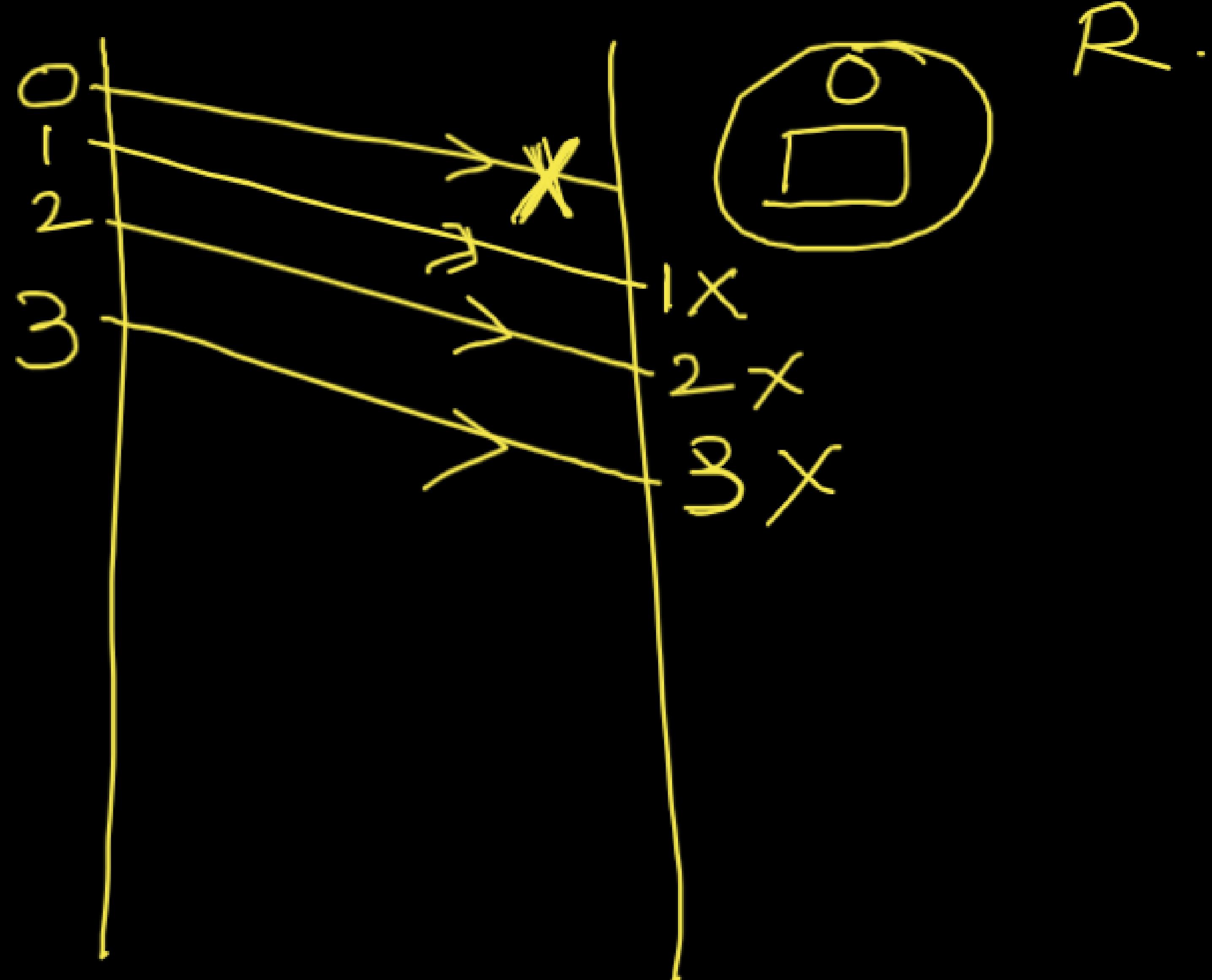
$$W_S = 4$$

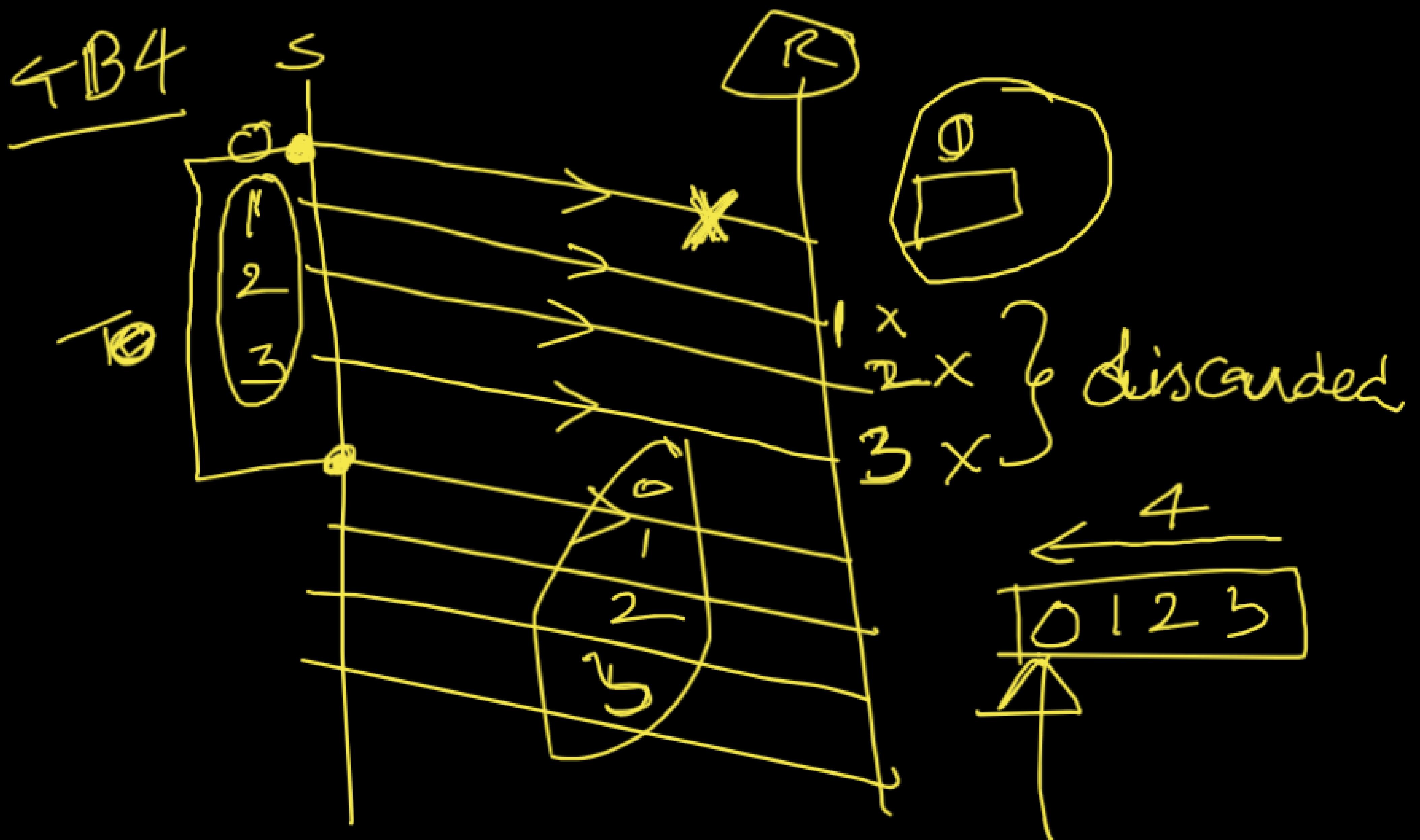
GB4

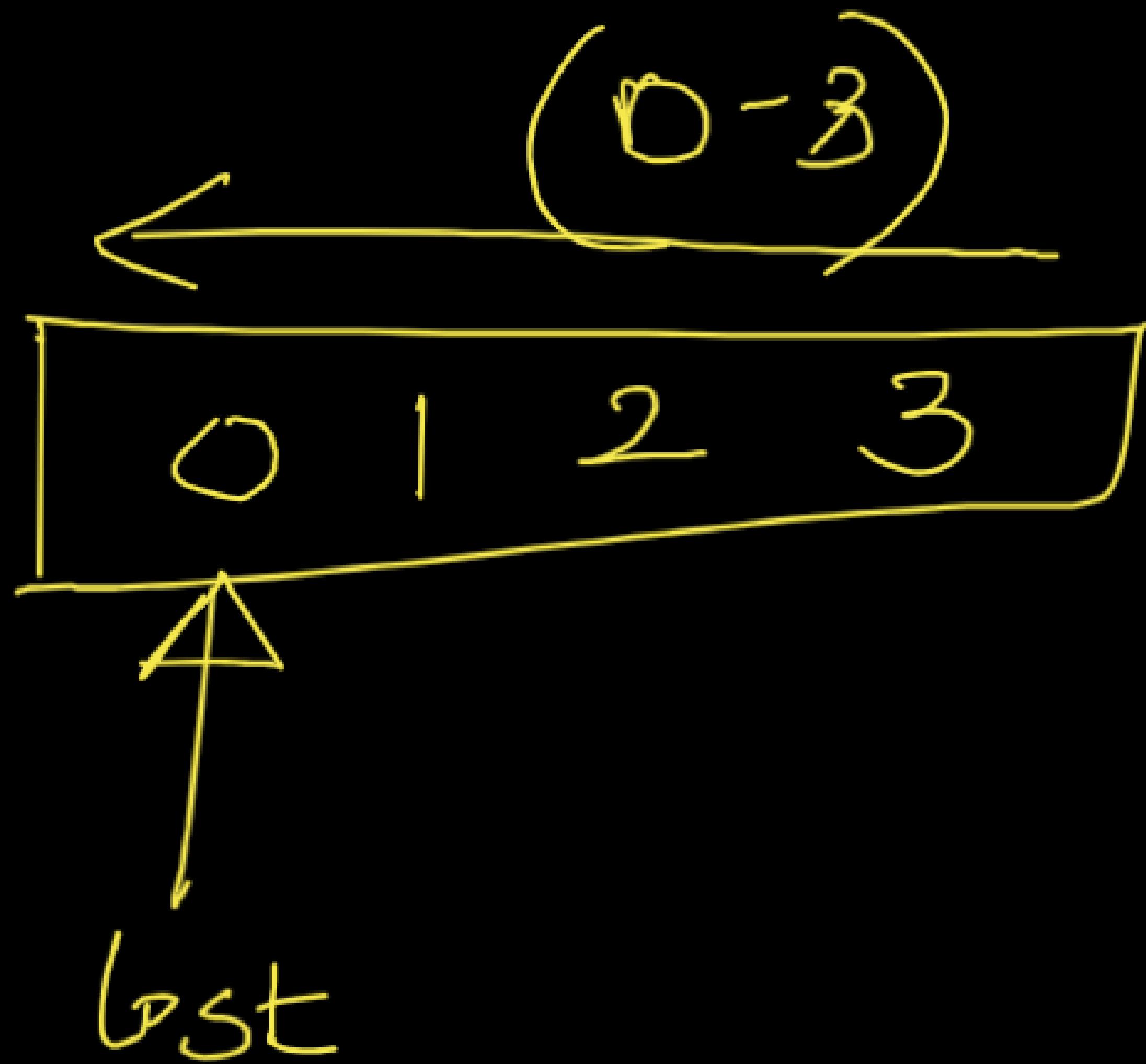
window
↓
Buffer

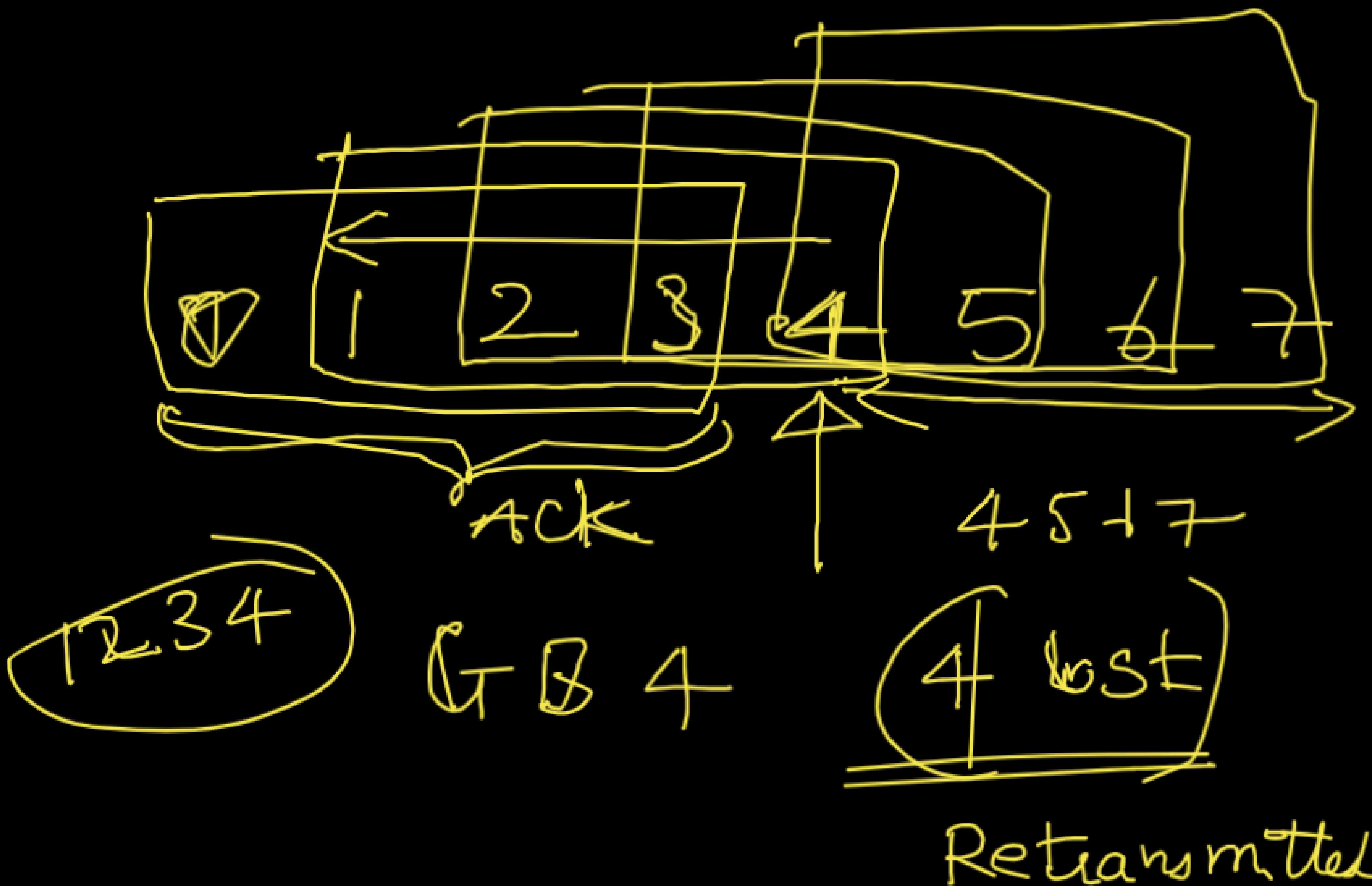
4 seq num

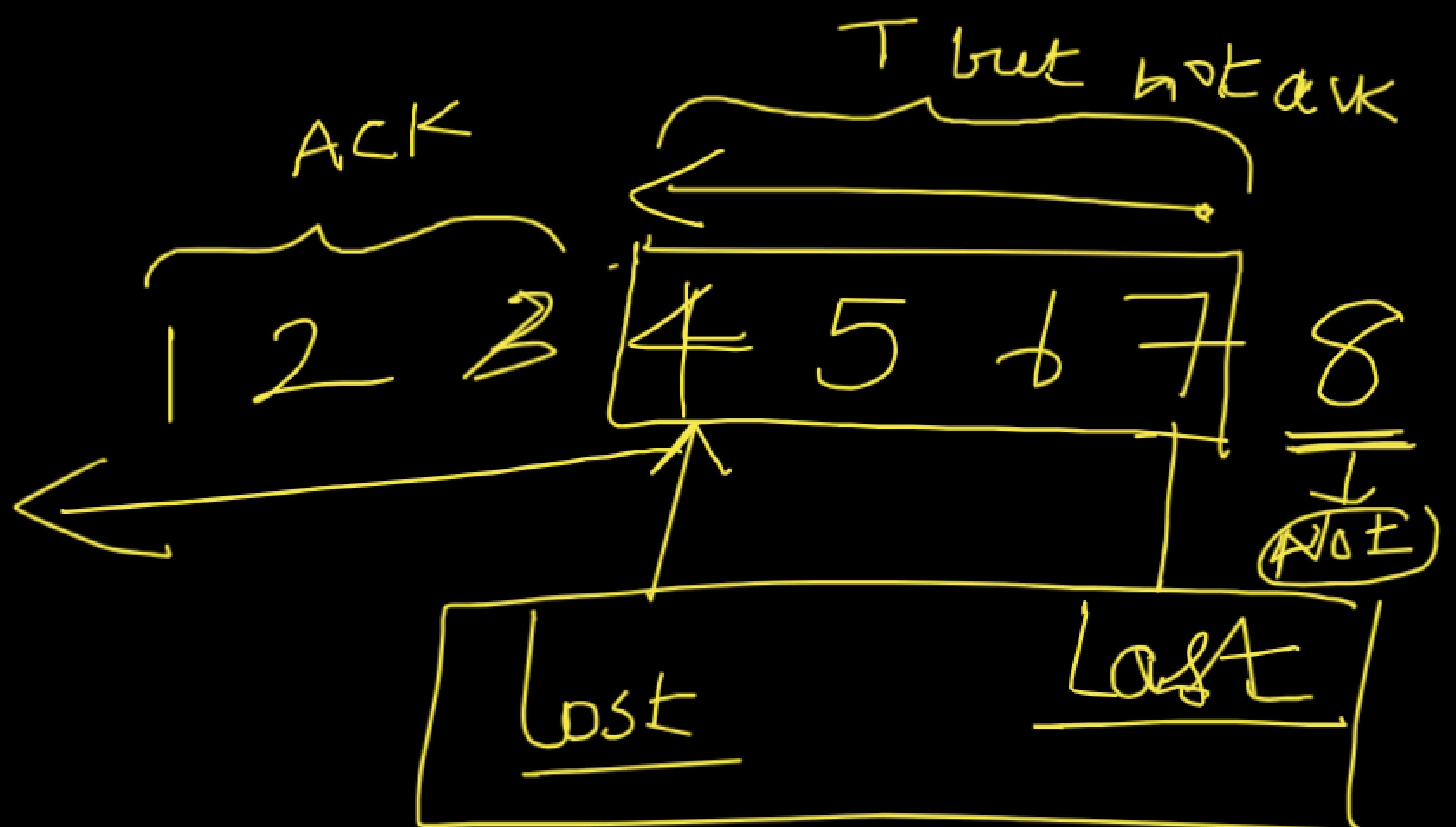




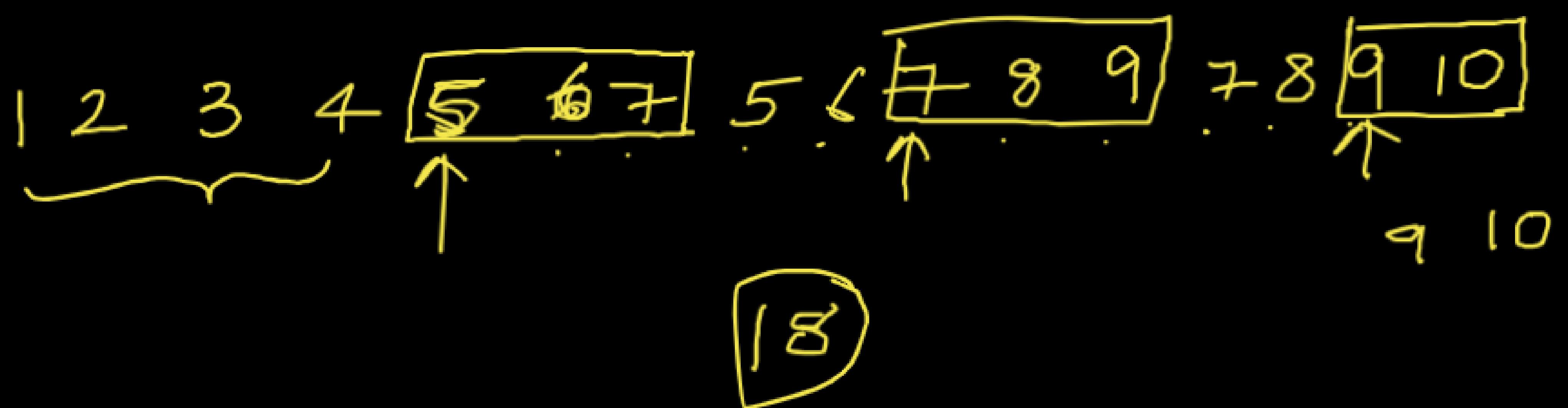


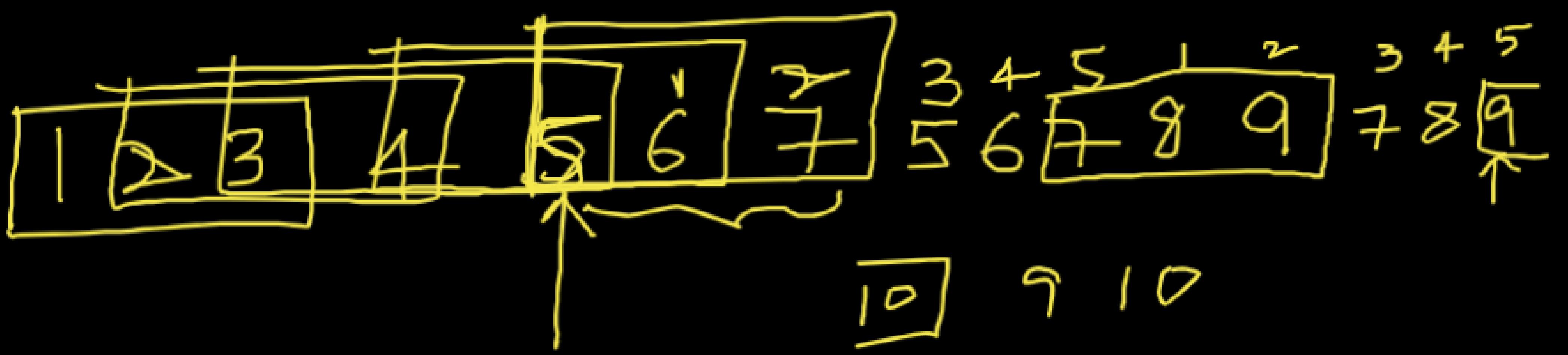






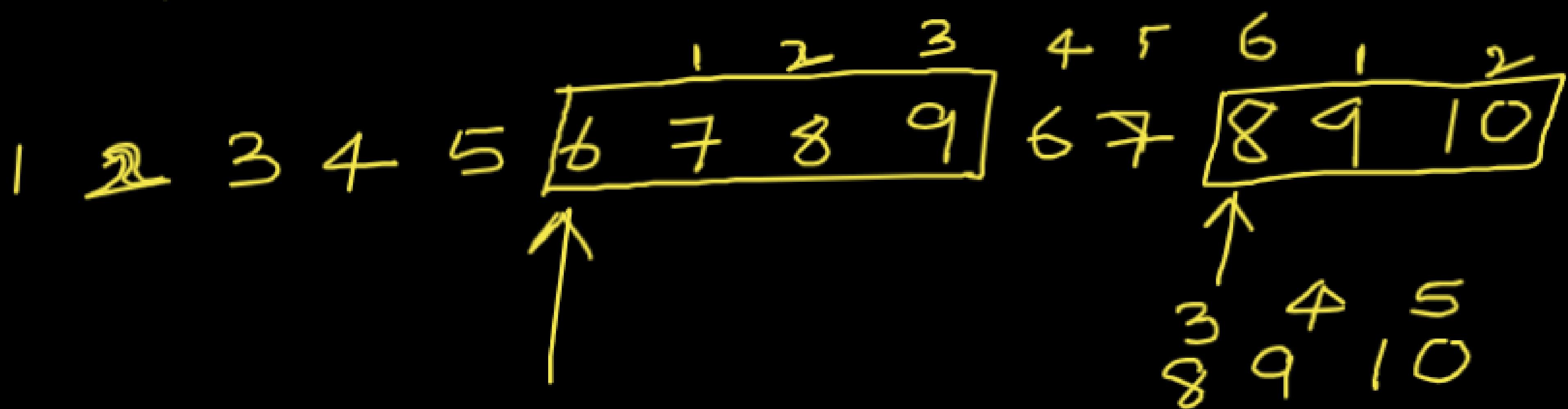
GB-3, if every 5th packet \rightarrow train
is lost and if we have to send
10 packets, then \rightarrow transmission?



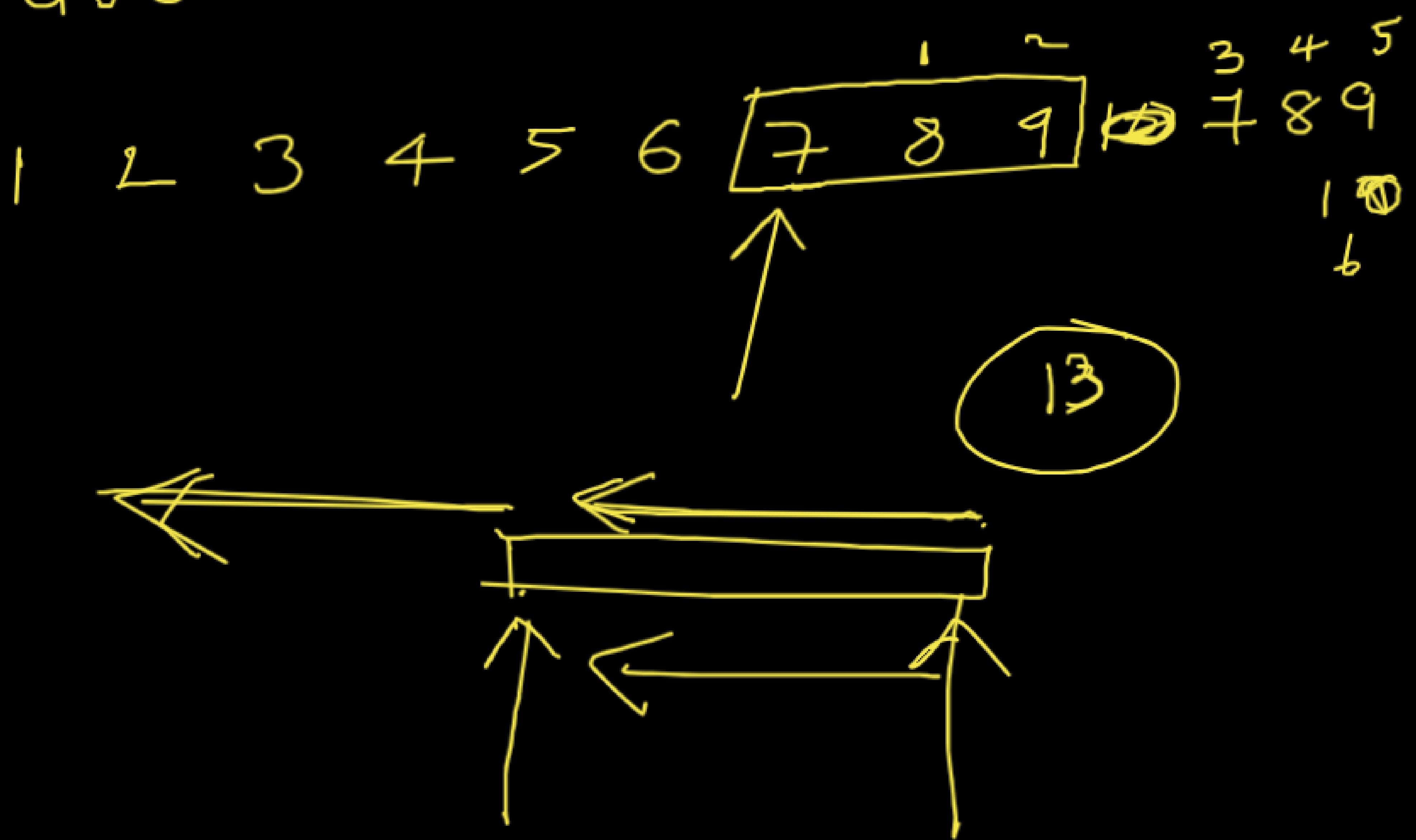


GB4 → 6th packet → 10 packets

Transmission

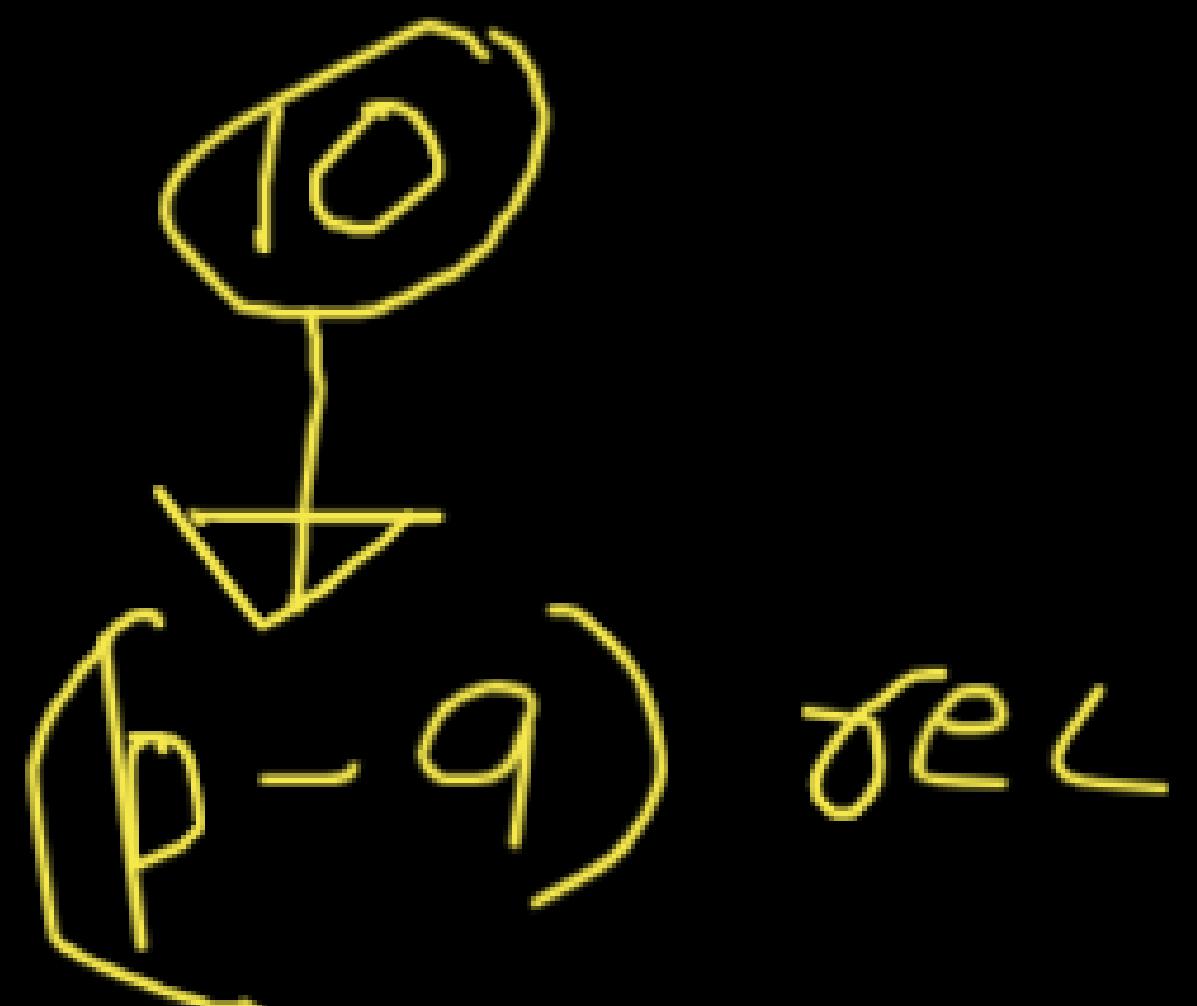
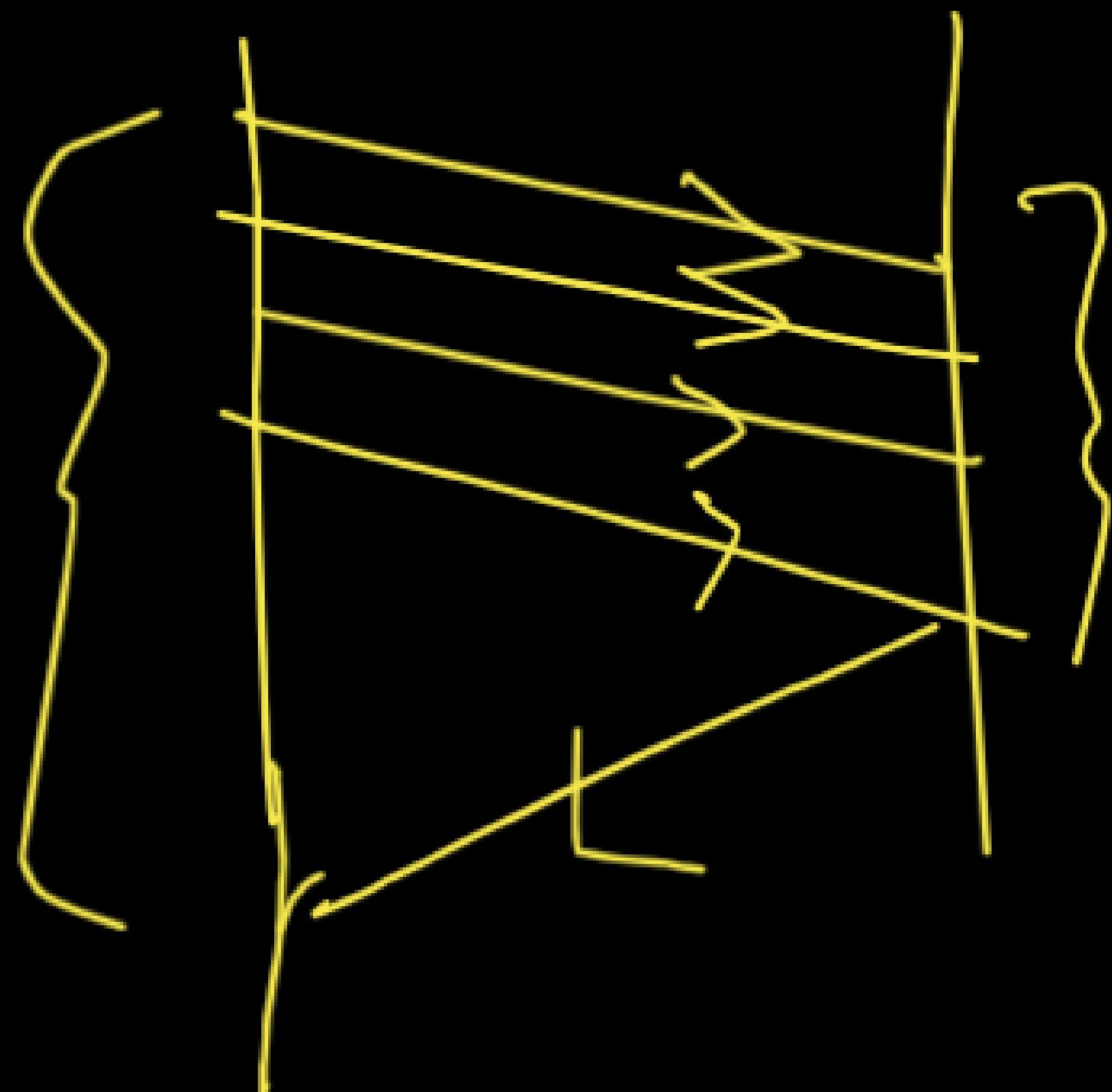


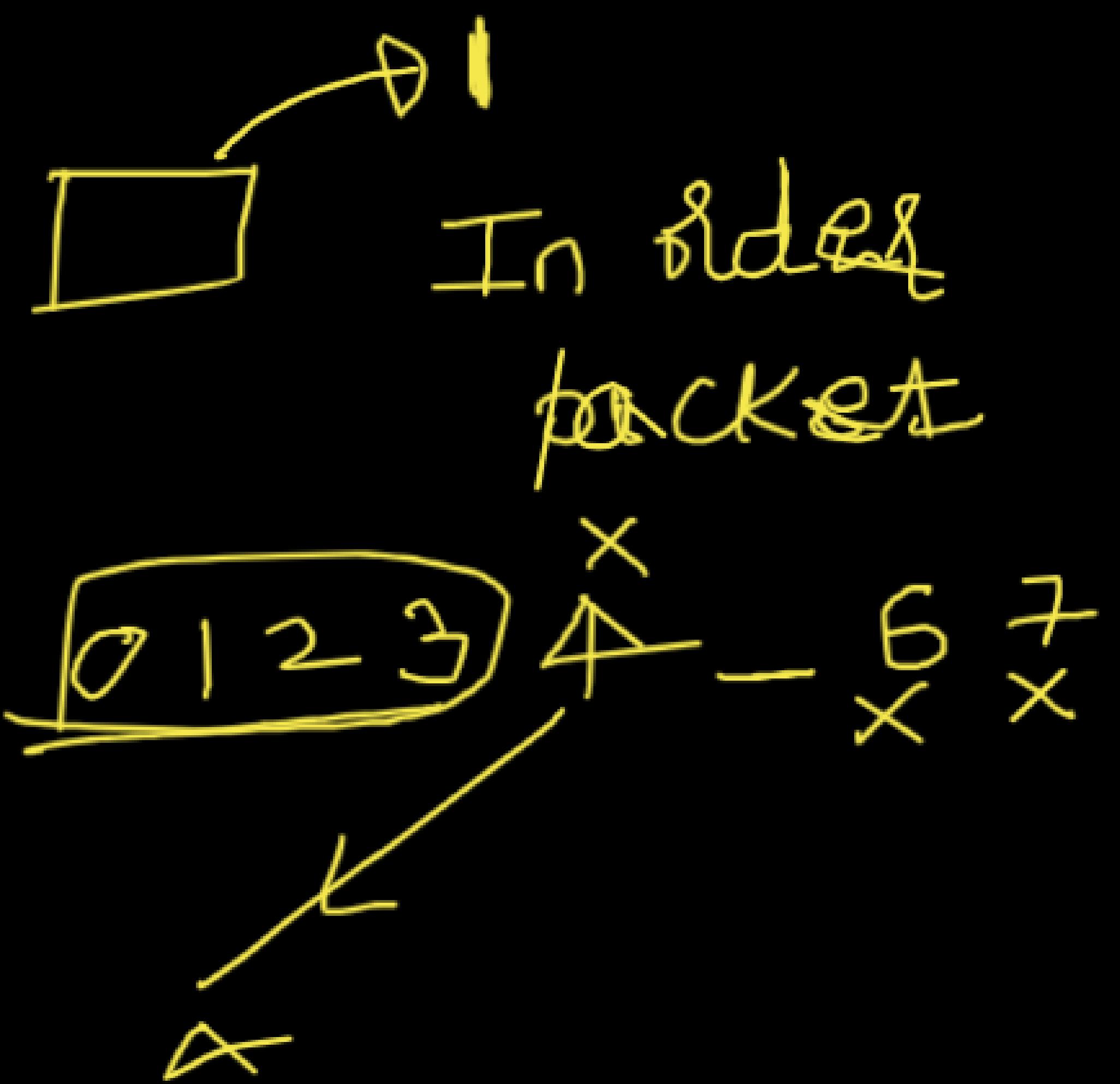
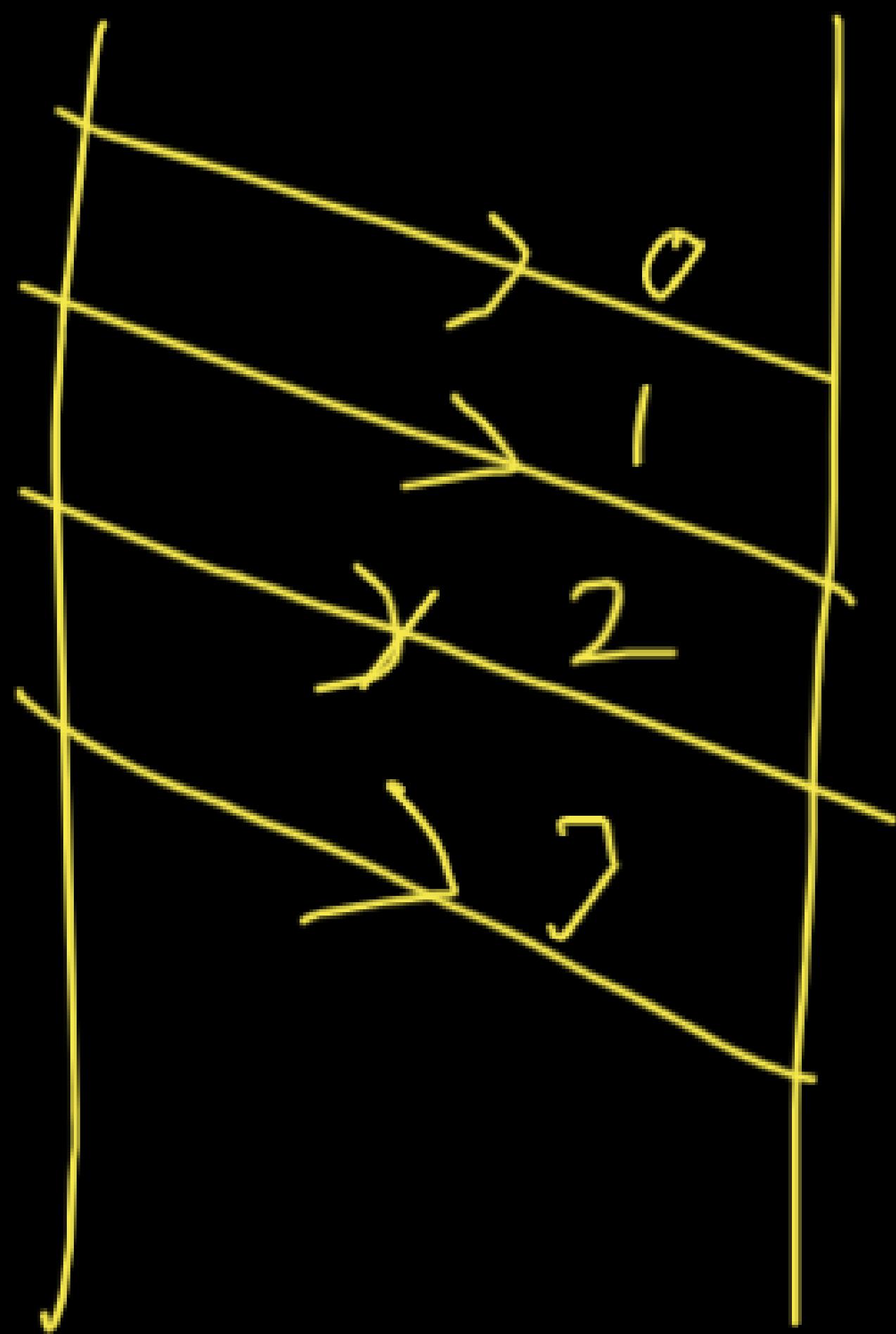
GB3 - 7px → 10 packets

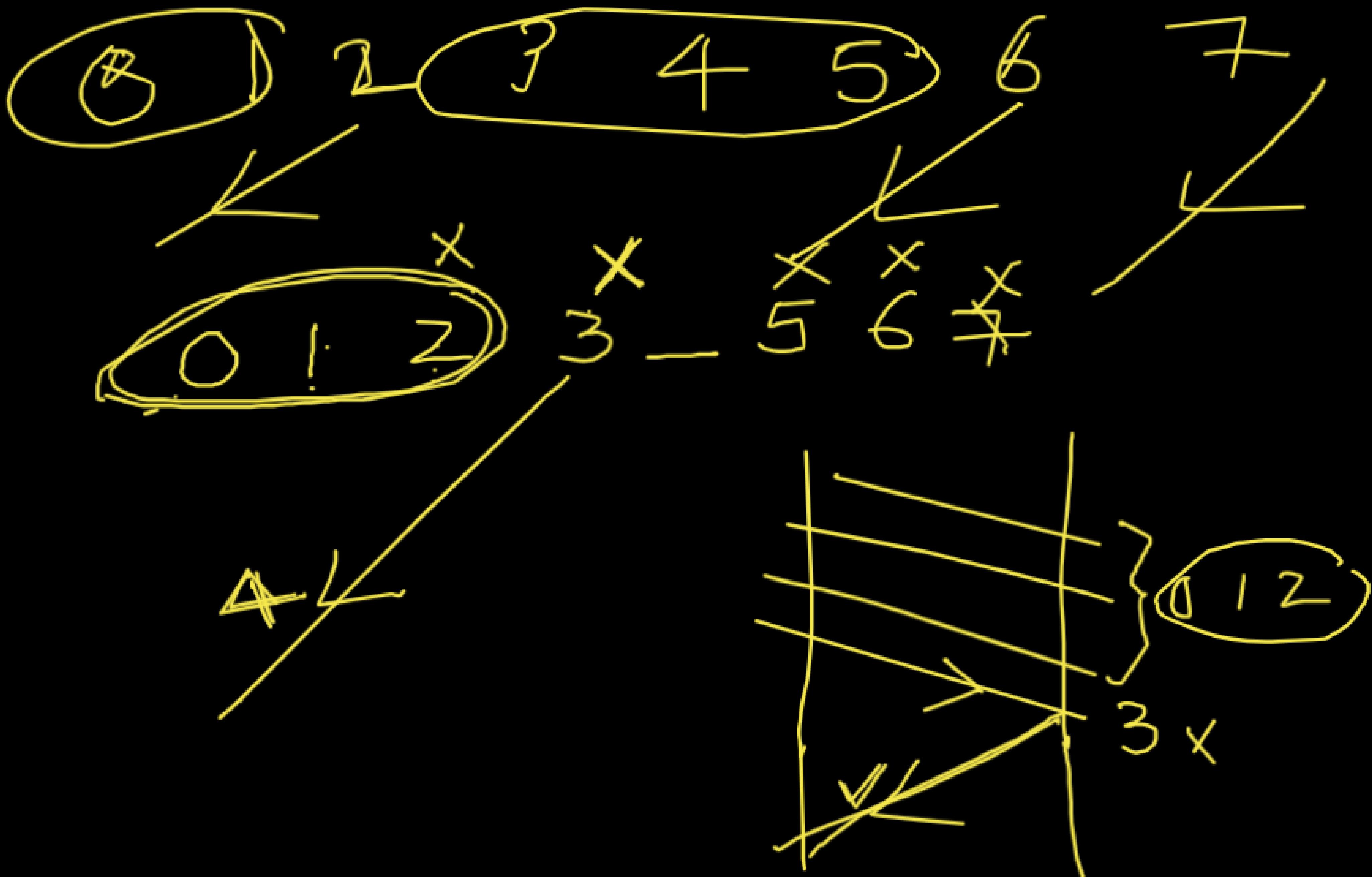


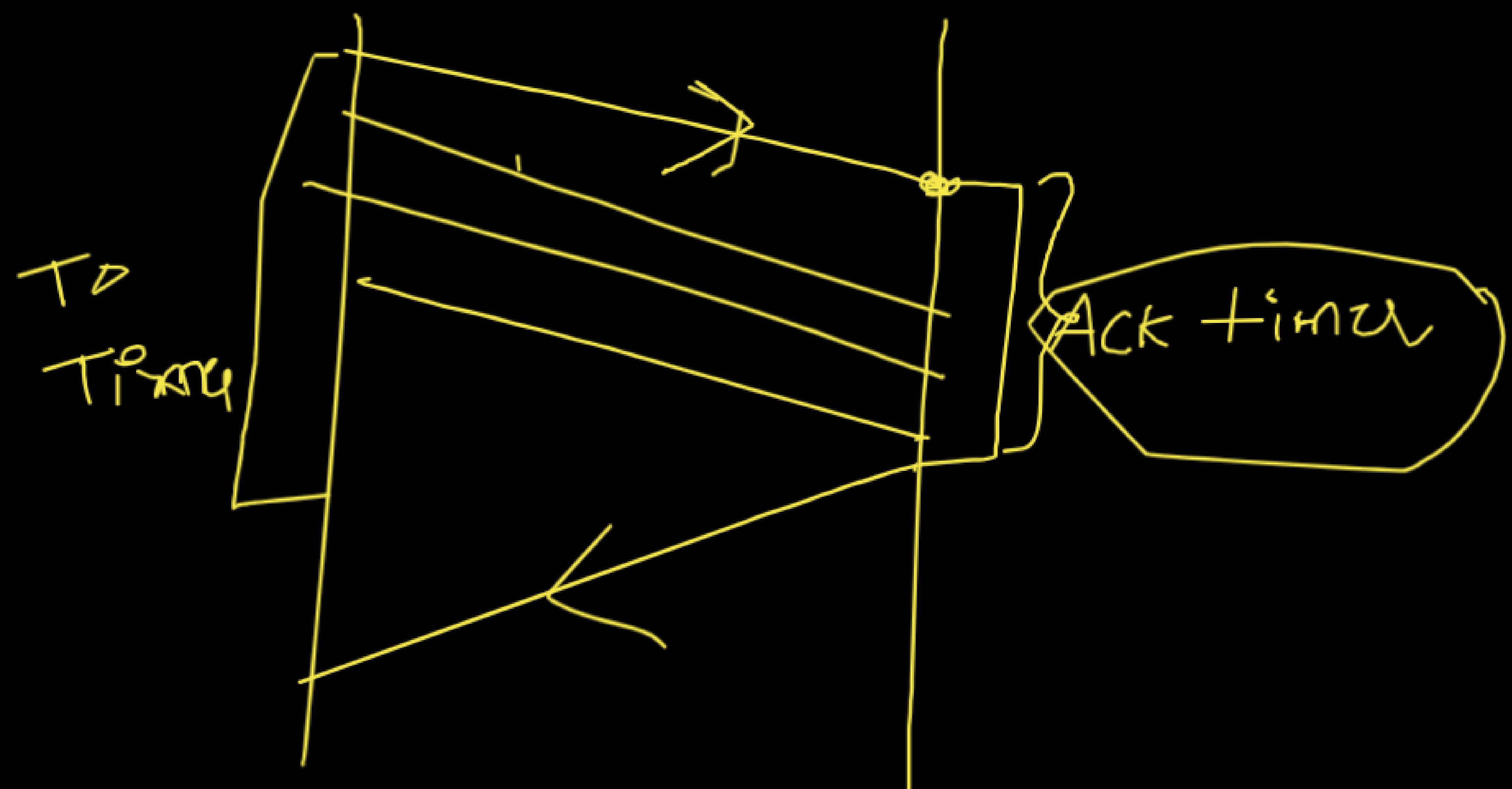
ACK: Ind | Cumulative

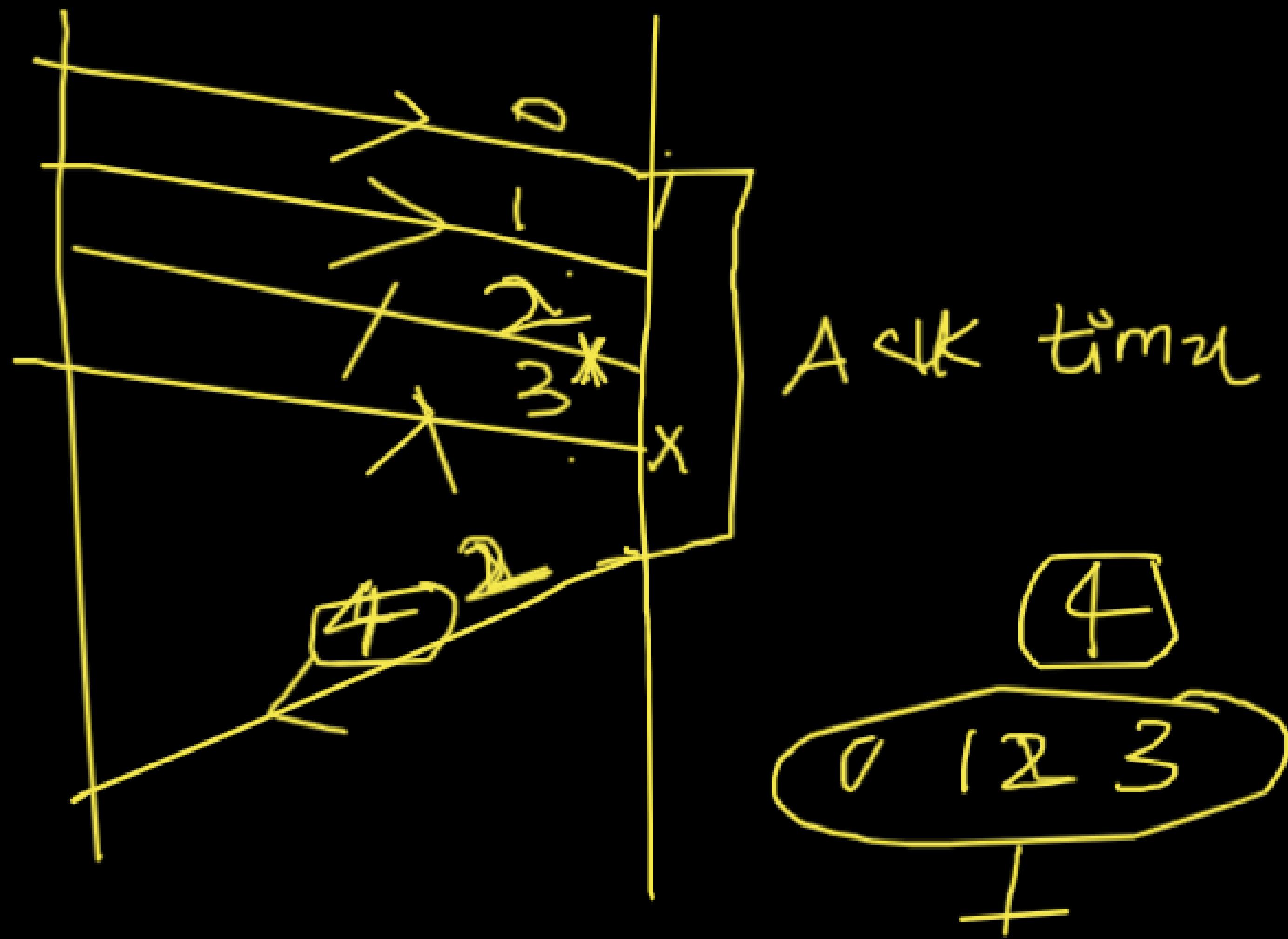
GBN: ~~Ind~~ Cumulative

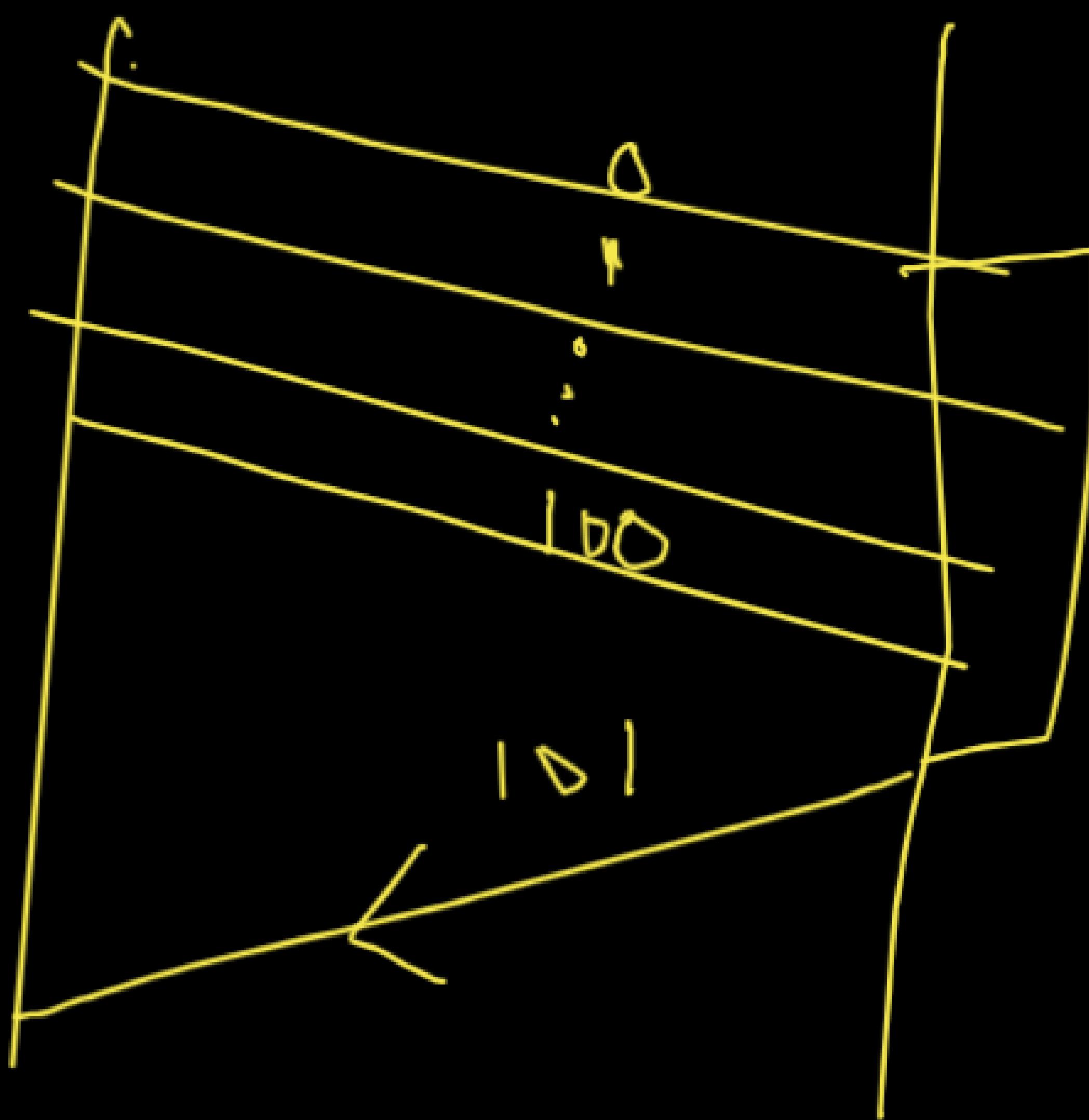


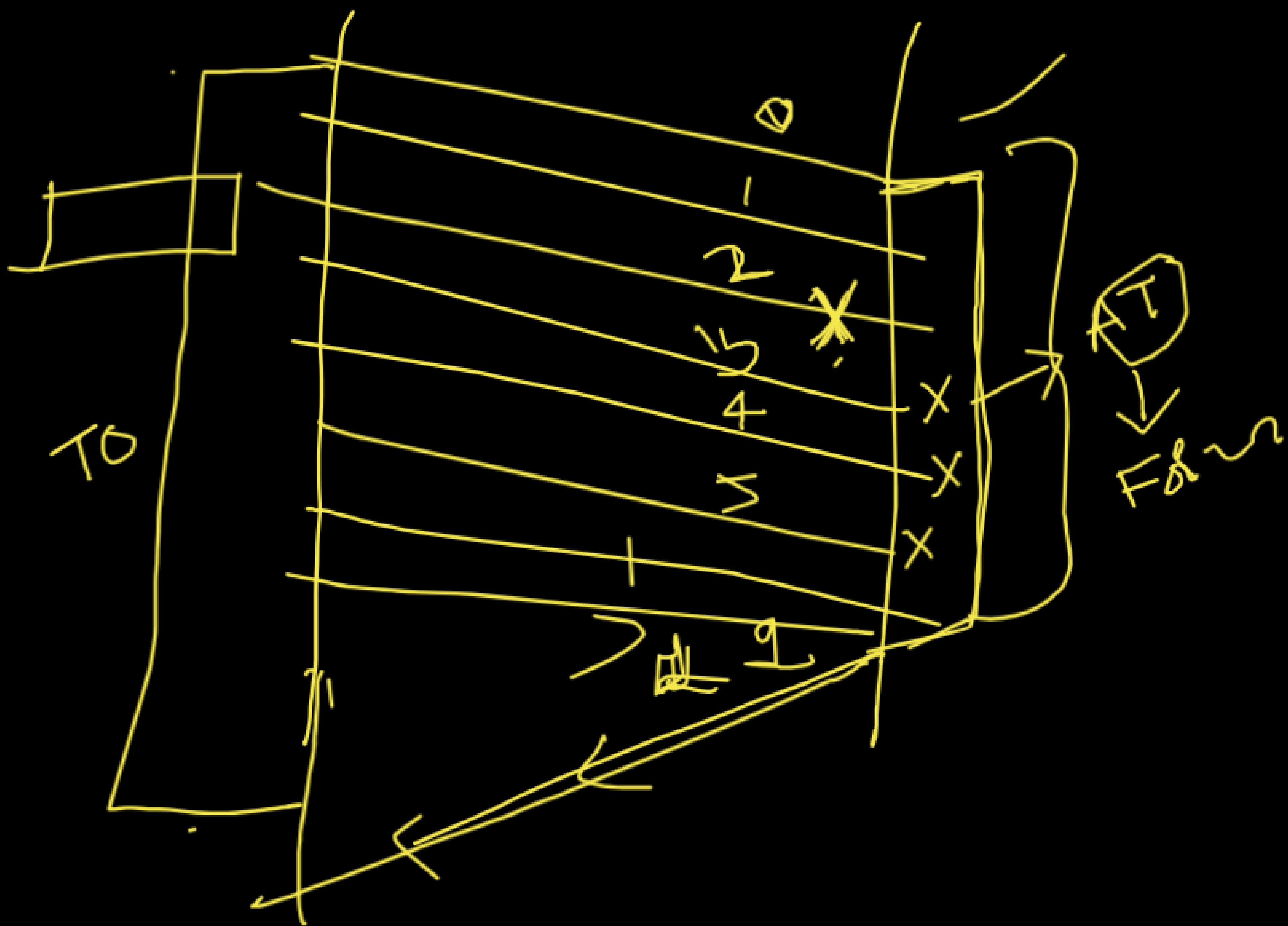












Scorpion

