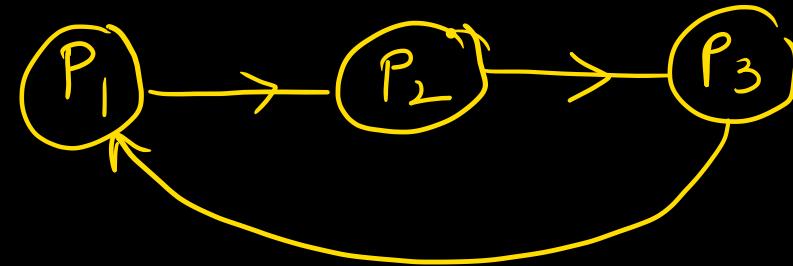
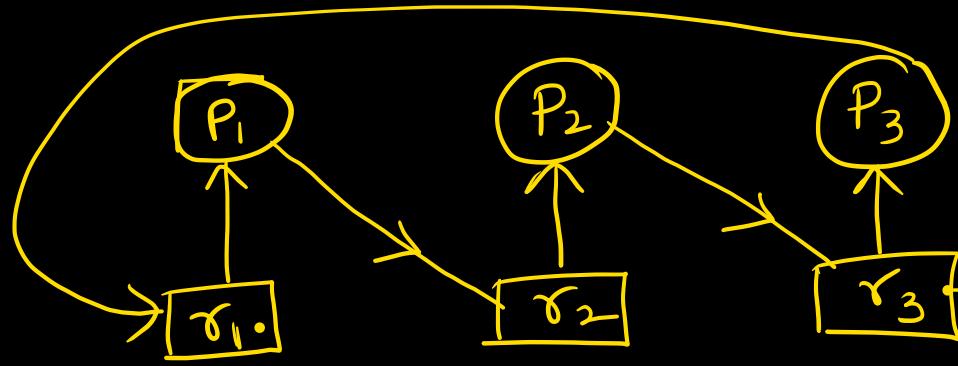


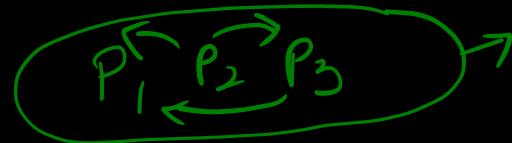
Dead locks → dead easy
only synchronization in diff intOS.

Dead lock:



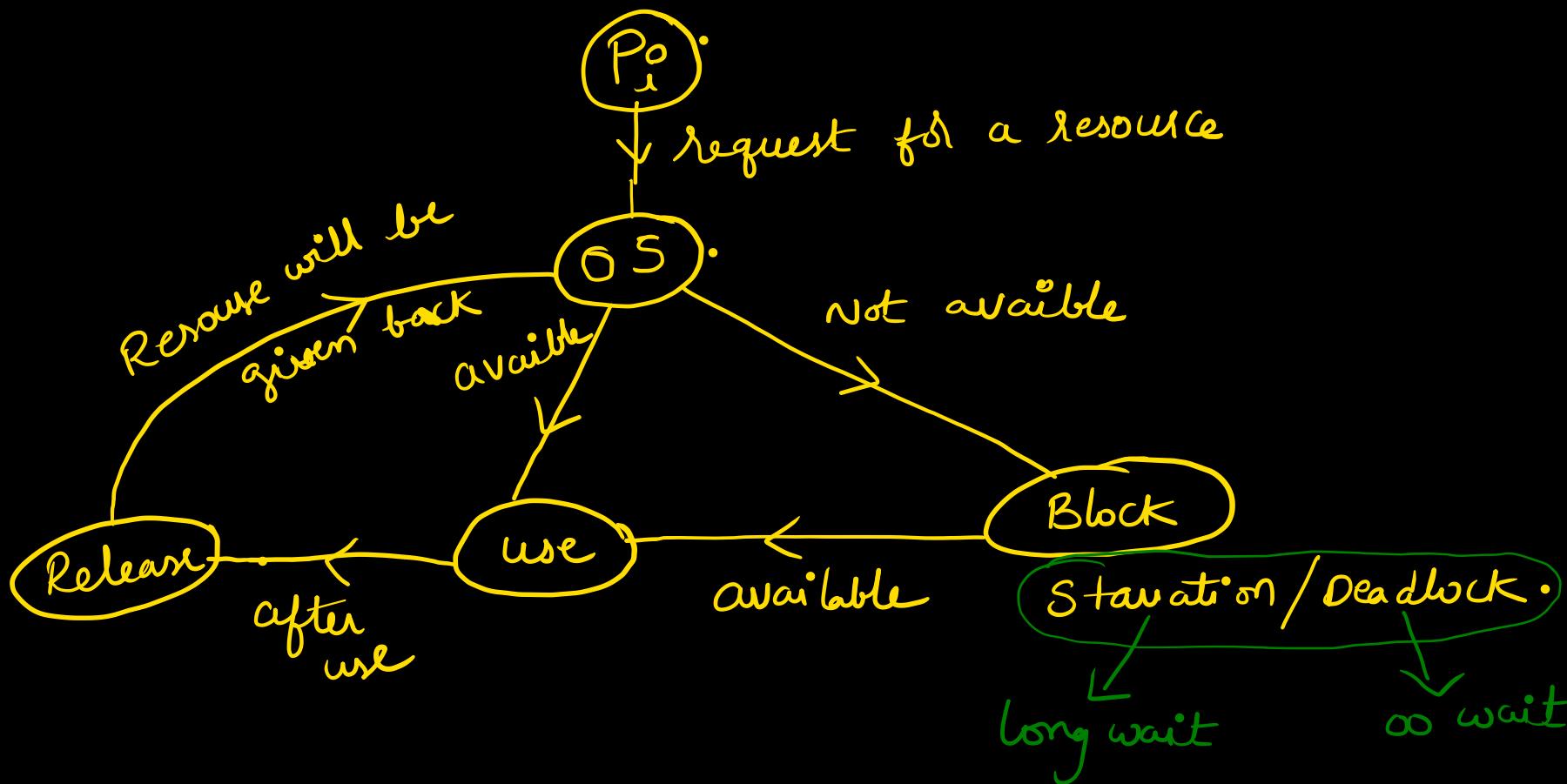
deadlock •

A set of processes are said to be in deadlock if they wait for happening of an event caused by others in the same set.



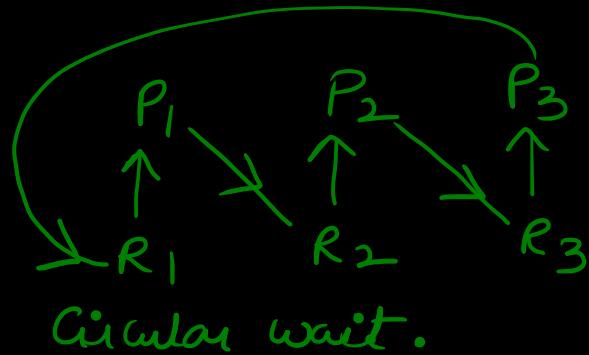
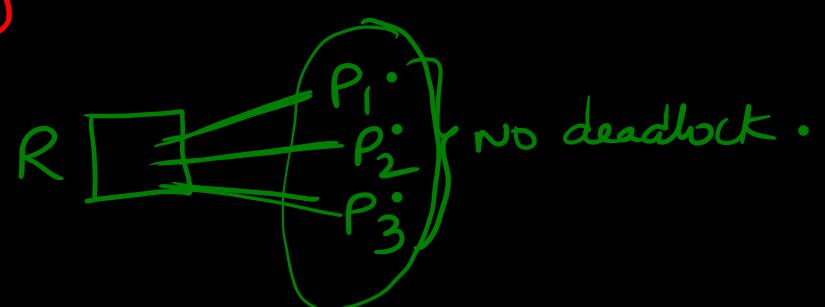
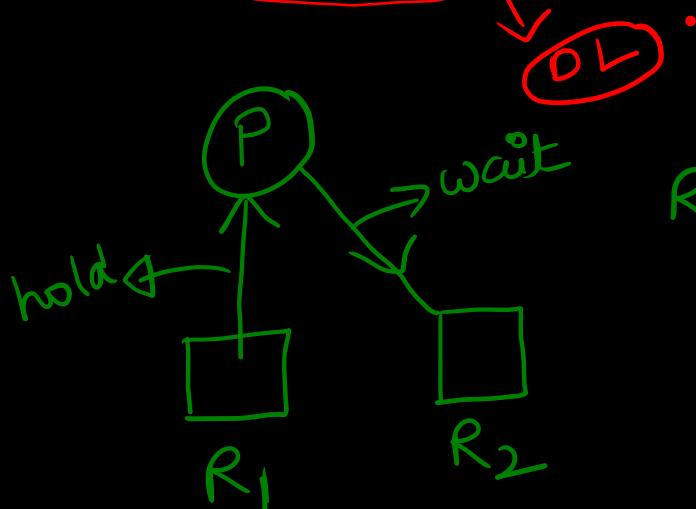
Starvation → long waiting.

Deadlock → infinite waiting. (forever waiting)



necessary conditions for DeadLock:

- mutual exclusion → A Resource Cannot be accessed by more than one process at the same time
- Hold and wait → A processes should wait for a rec while holding another reso
- no preemption → we should not pull a resource by force.
- Circular wait → Processes should wait for each other in a circle.



Necessary condition : Clouds are necessary for Rain.

Sufficient condition : clouds are not sufficient for Rain

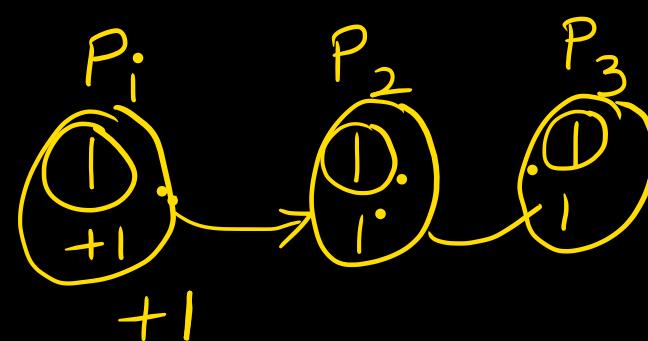
4 Conditions → necessary for DL.

which mean if there has to be DL, then 4 Cond should be true

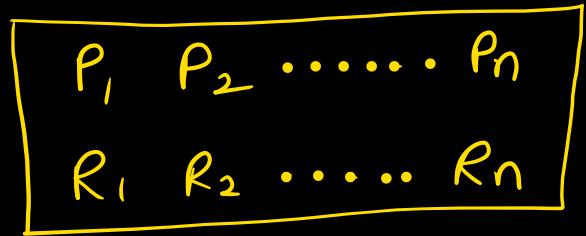
But not sufficient

→ If 4 conditions are true, there may or may not be DL.

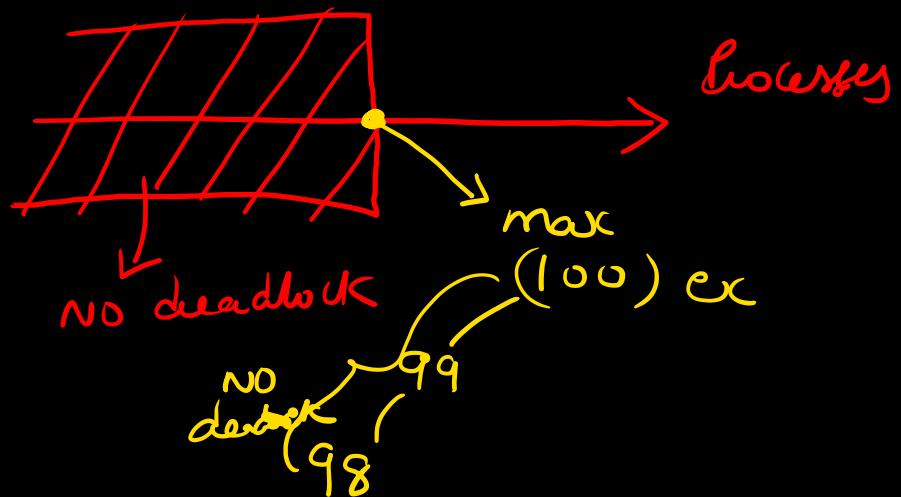
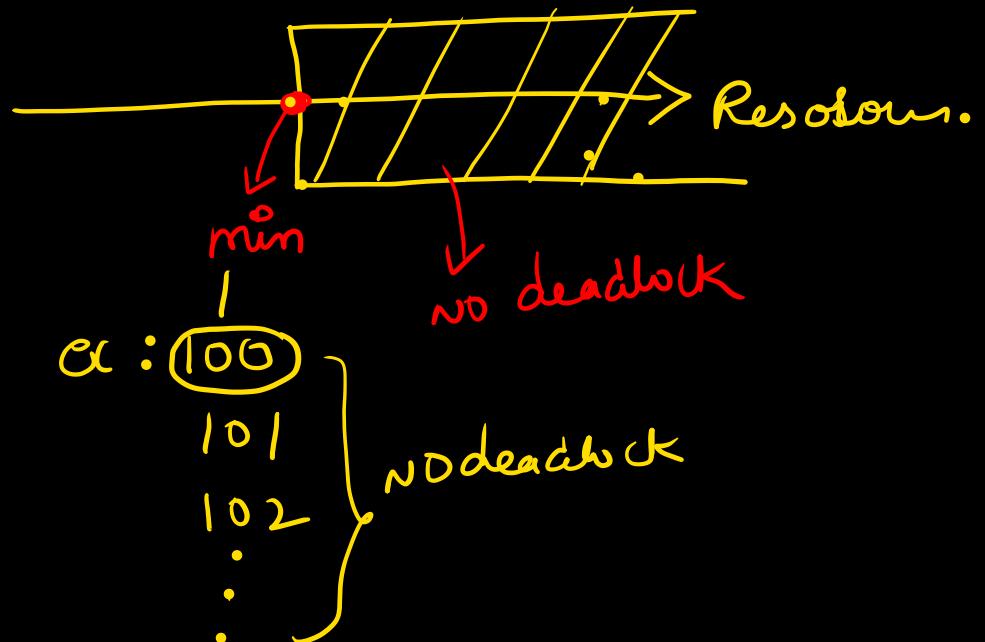
A system is having 3 user processes each requiring 2 units of resource 'R'. The minimum number of units of 'R' such that no deadlock occurs is.



max R \rightarrow still leading to deadlock
min 4 \rightarrow for no deadlock



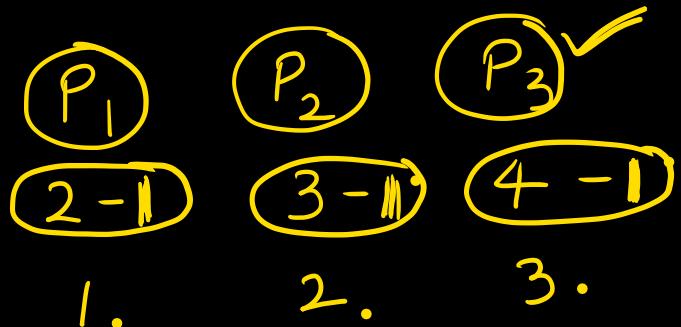
- ② ✓ min no of Resources such that no DL occur
 max no of processes such that no DL occurs.



P_1	P_2	P_4
R	2	3

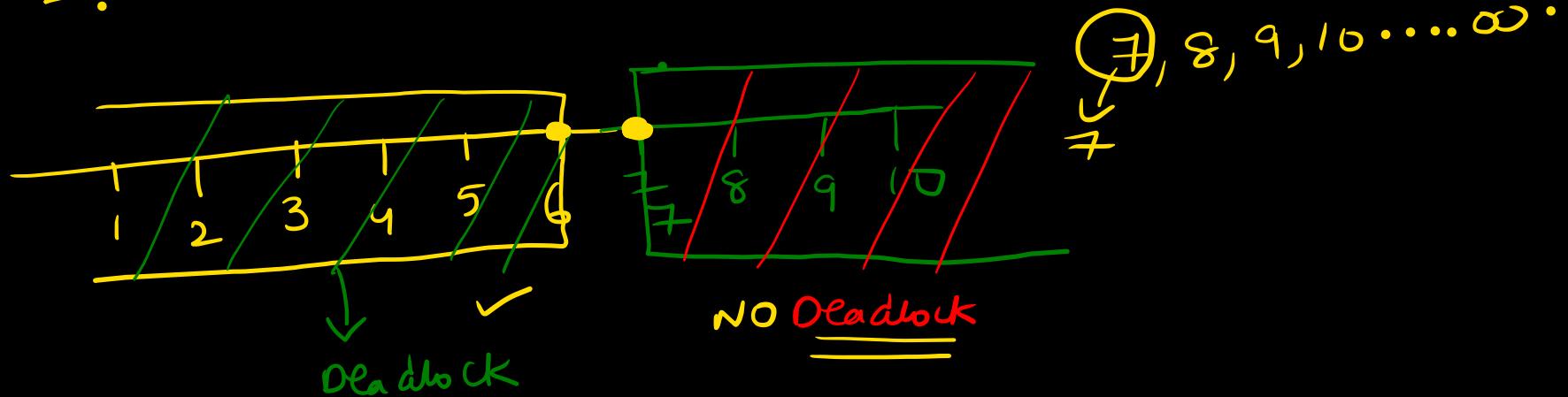
min no of ' R ' for no deadlock.

max no of $R \rightarrow$ still deadlock



$(6+1) \rightarrow \text{min } 'R'$

$6^+ \rightarrow \text{max no of } R \rightarrow \text{still deadlock.}$



$P_1 \ P_2 \ \dots \ P_n$

$R \ X_1 \ X_2 \ \dots \ X_n$

min 'R' no deadlock?

$$\sum_{i=1}^n (x_i^o - 1) = \left(\sum_{i=1}^n x_i^o - n + 1 \right)$$

max of $R \rightarrow$ still DL

max of $R \rightarrow$ still DL

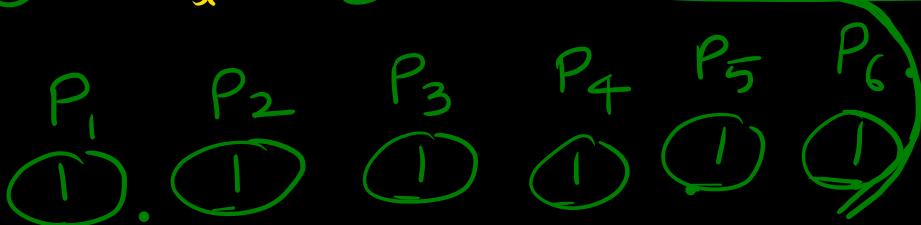
min of $R \rightarrow$ no deadlock.

There are 6 instances of a resource and every process P_i requires 2 instances of that resource to finish its execution. Then how many processes can be present at max so that there will be no dead lock.

$R = 6$, $P_0 \rightarrow 2$, min of processes \rightarrow still there decision

Processes
→ max

Resource
→ man

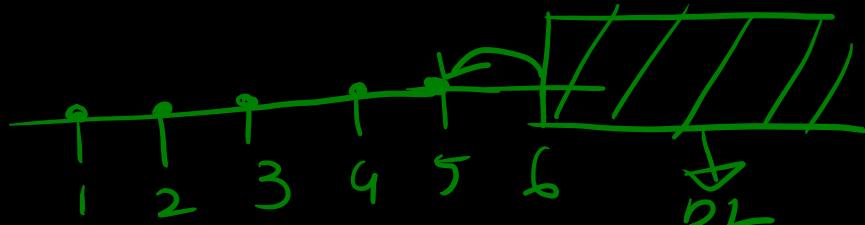


.6 → D.L.

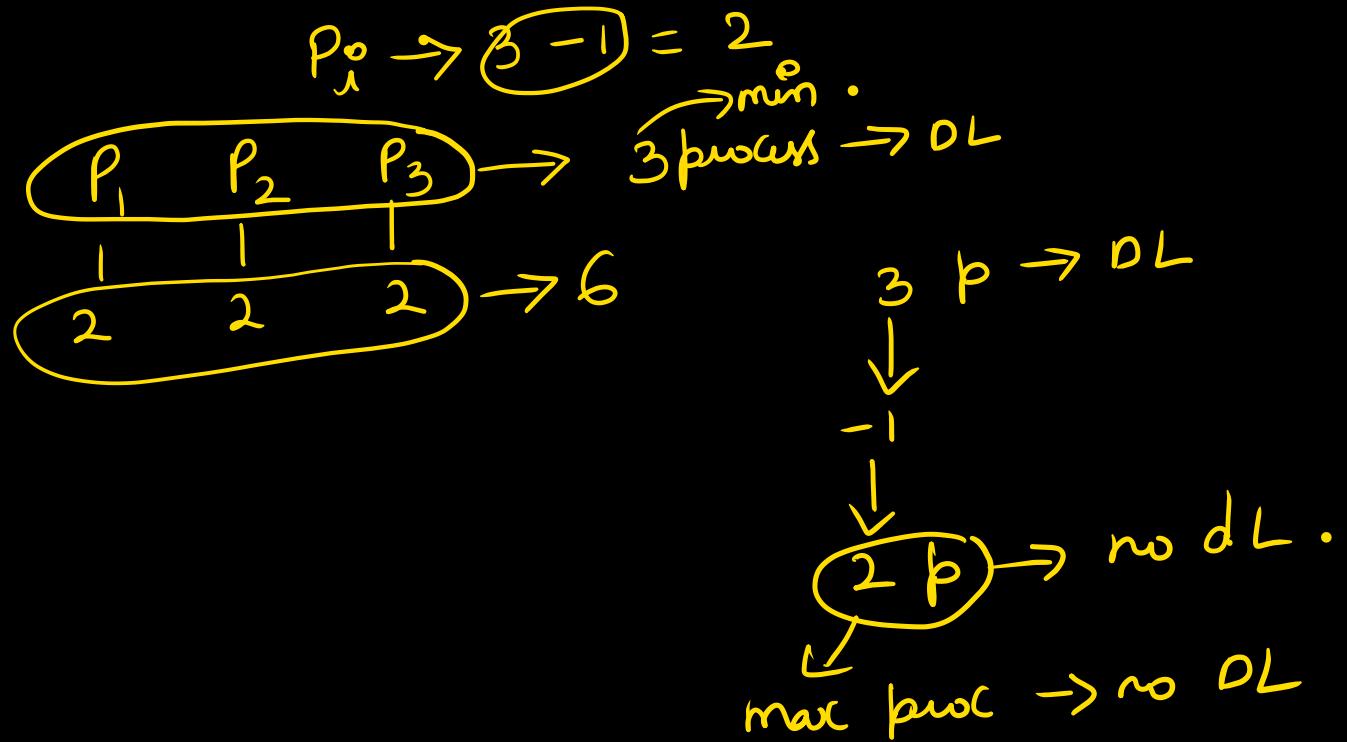
⑤ → NDL.

5 ✓

- ⑥ process → deadlock.
- + process → d
- 8 → DL



6 instances of 'R' , P_0 needs 3 instances max # of P no DL = ?



100 instances of R, $P_0 \rightarrow 2$ instances \rightarrow max #P no DL?

$$P_i \rightarrow (2-1) = 1.$$

$$n * 1 = 100$$

$n = 100$ \rightarrow min # of processes for DL

$n-1 = 99 \rightarrow$ max # of processes for no DL.

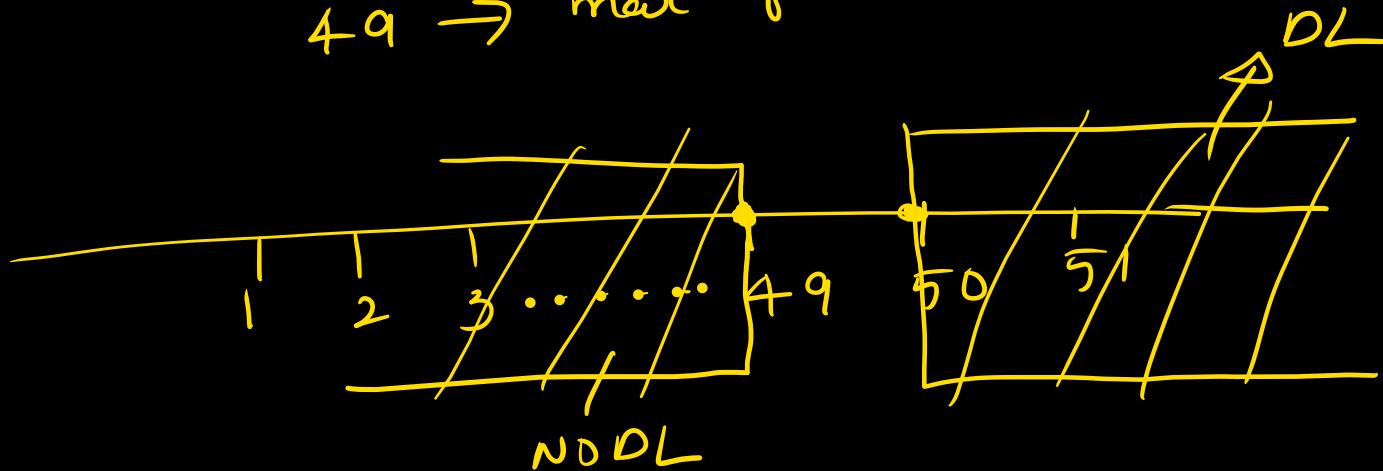
100 instances , $P_i \rightarrow 3$ instances , max #P for no DL = ?

$$P_i \rightarrow (3 - 1) = 2$$

$$n * 2 = 100$$

$n = 50 \rightarrow$ min #P for DL

\downarrow^{-1}
 $49 \rightarrow$ max #P for no DL

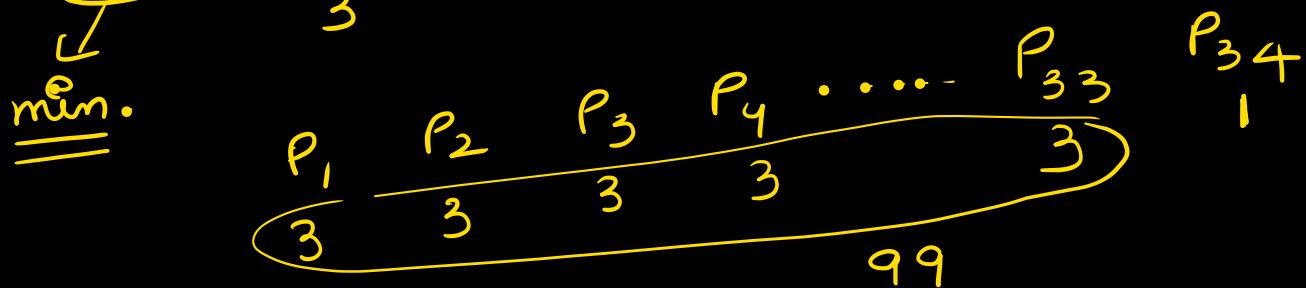


100 instances , $P_1 \rightarrow$ 4 instances , max # of P so that no deadlock?

$$P_1 \rightarrow (4-1) = 3$$

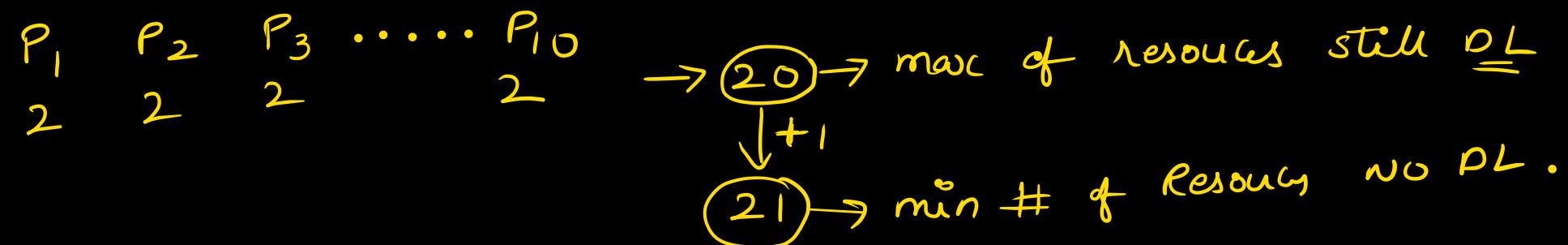
$$\underline{\text{min}} = \underline{\underline{33}} \cdot 3 \rightarrow 34$$

$$n * 3 = 100$$
$$\underline{\text{min}} = \frac{100}{3} = \underline{\underline{33}} \cdot 3 \rightarrow 34$$



34
↓ -1
33 → max no of processes
with no deadlock

10 processes , each process requires ③ instances , min # of resources such that no deadlock?



Gate 92: A computer system has 6 tape drives, with n processes competing for them. Each process needs 3 tape drives. The maximum value of ' n ' for which system is DL free

$$P_i \rightarrow ③ - 1 \rightarrow 2$$

$$\begin{aligned} n &\times 2 = 6 \\ n &= ③ \rightarrow \min \# \text{ of processes} \rightarrow \text{DL} \\ &\downarrow -1 \\ ② &\rightarrow \max \# \text{ of processes} \rightarrow \text{no DL} \end{aligned}$$

Gate 93: Consider a system having 'm' resources of the same type. The resources are shared by 3 processes A, B and C, which have peak demands 3, 4 and 6. For what value of 'm' deadlock will not occur.

↓
min is not used

- a) 7 b) 9 c) 10

✓ 13

A	B	C
1	1	1
(3 - 1)	(4 - 1)	(6 - 1)

2 3 5 → 10 max DL

↓ +1
11 → min DL free

11, 12, 13, 14, 15

Gate05
 Suppose n processes $P_1, P_2 \dots P_n$ have 'm' identical resource units which can be reserved and released one at a time. The maximum resource requirement of process P_i is S_i^o where $S_i^o > 0$. Which one of the following is a sufficient condition for ensuring OL free.

- a) $\forall i : S_i^o < m$
- b) $\forall i : S_i^o < n$
- c) $\sum_{i=1}^n S_i^o < (m+n)$
- d) $\sum_{i=1}^n S_i^o < (m \times n)$

$$\begin{array}{ccccccc}
 P_1 & P_2 & P_3 & \dots & P_n \\
 (S_1^o - 1) & (S_2^o - 1) & (S_3^o - 1) & & (S_n^o - 1) & \checkmark & \checkmark
 \end{array}$$

$$\sum_{i=1}^n (S_i^o - 1) = \sum_{i=1}^n S_i^o - \sum_{i=1}^n 1 = \left(\sum_{i=1}^n S_i^o - n \right) < m$$

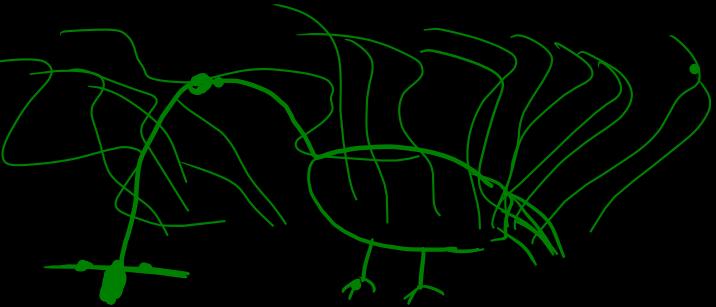
$$\sum_{i=1}^n S_i^o < m + n$$

Strategies for handling Deadlocks :

- 1) Deadlock Ignorance
- 2) Deadlock Prevention → Before it happens → OL never happens.
- 3) Deadlock avoidance
- 4) Deadlock detection and recovery.

Deadlock Ignorance:

DL - ① in 4 years ↘



Act as if there is no deadlock ✓

If all processes get into deadlock → Restart the system.

Windows and Linux follow DL ignorance.

No action is taken to prevent DL, no detection of DL,

No avoidance, no recovery. Simply ignore.

Ostrich approach.

Deadlock Prevention:

Condition	Approach to disable
mutual exclusion	Spool everything
Hold and wait	Request all resources initially
no preemption	Take away resources
circular wait	Order resources numerically

↓
necessary for DL

If we disable at least
one condition, there will
be no deadlock