

The relational Data model concepts:

The relational model uses a collection of tables to represent both data and the relationships among those data.

A table is a collection of rows and columns. Each column has a unique name.

Each row in a table represents a collection of related data values.

In the relational model, a row is called a tuple & a column is called an attribute and the table is called a relation.

e.g. Student (Roll-no, name, city, age)

Roll-No	Name	city	Age
1	Vijay	un. Noida	22
2	Santosh	Delhi	20
3	Croopal	Noida	23

Integrity constraints

— Most database application must have certain integrity constraints that hold for the data

Entity integrity: the entity integrity constraints states that no primary key can be NULL. This is because the primary key value is used to identify individual tuple in a relation, having null values for the primary key implies that we can not identify some tuples.

Referential Integrity: we wish to ensure that a value that appears in one relation for a given set of attributes also appears for a certain set of attributes in another. This condition is called "Referential Integrity".
→ this constraint establishes a relationship between records across a master and a detail tables.

Relational Algebra (Procedural query language)

Relational algebra is a collection of operations that are used to manipulate the entire set of relations. The output of any relational algebra operation is always a relation.

(Set operations) There are several operations like —
→ Union, intersection, difference, & cartesian product
→ Selection, Projection, and Joining.

Select operation (σ)

Syntax

$\sigma_{\text{selection-condition}} \text{ (Relation)}$

e.g. Find the employees where salary is greater than 10,000 rupees.

$\sigma_{\text{salary} > 10,000} \text{ (Employee)}$

one of the interesting properties of the selection operation is that it is commutative. Therefore, all the expressions shown below are equivalent,

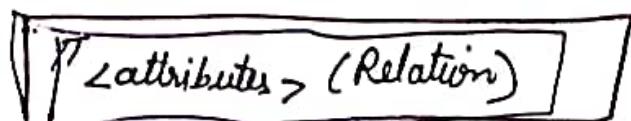
$\sigma_{\text{condition-1}} (\sigma_{\text{condition-2}} (R))$

$\sigma_{(\text{condition-1 AND condition-2})} (R)$

$\sigma_{\text{condition-2}} (\sigma_{\text{condition-1}} (R))$

Projection operation (π)

It is used to select only few columns from a relation.



e.g. List name and salary of all the employees.

$\pi_{\text{name}, \text{salary}} (\text{Employee})$

e.g. Find the name, address & salary of the employees who earn more than ₹5000 rupees.

$\pi_{\text{name}, \text{salary}, \text{addr} \mid \text{salary} > 5000} (\text{Employee})$

Union (\cup)

The result of this operation, i.e. RUS, is a relation that include all tuples that are either in R or in S or in both.

Duplicate tuples will not appear in the output.

Union compatibility: Let R & S are two relations with attributes (A_1, A_2, \dots, A_n) and (B_1, B_2, \dots, B_n) . If R & S are to be unioned, it should satisfy the following two rules:

Rule 1: The relation R & S must have same degree i.e., the number of attributes of R and S must be same.

Rule 2: The domain of i th attribute of R and domain of i th attribute of S must be same.
 $\text{dom}(A_i) = \text{dom}(B_i)$, where, $1 \leq i \leq n$.

Select operation -

Relation R

A	B	C	D
α	α	1	7
α	β	5	7
β	β	12	83
β	β	23	10

σ (R)

$$A = B \wedge D > 5$$

A	B	C	D
α	α	1	7
β	β	23	10

$\pi_{A,C}(R)$

A	C
α	1
α	5
β	12
β	23

UNION operation -

Relation R, S

A	B
α	1
α	2
β	1

A	B
α	2
β	3

\rightarrow

A	B
α	1
α	2
β	1
β	3

Set Difference operation -

A	B
a	1
b	2
c	1

(R)

A	B
a	2
b	3

(S)

A	B
a	1
b	1

R-S

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Rename: (P) rho

The results of Relational-Algebra expressions
do not have a name that we can use to refer
to them.

e.g. Given a relational-algebra expression E, The expression
 $\rho_x(E)$
returns the result of expression E under the name x.

$\rho_d(\text{account})$

↳ table name.

Cartesian Product

Find the Cartesian product relations & teachids.

→ Select * from instructor, teacher.

→ Find the names of all instructors who have taught some course and the course-id (equifom, Natural)

→ Select name, course-id from instructor, teacher where instructor.ID = teacher.ID.

→ Find the names of all instructors in the Art department who have taught some course and the course-id
Select name, course-id from instructor, teacher where instructor.ID = teacher.ID and instructor.dept-name = 'Art'

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3

Cartesian Product operation —

relations

A	B
α	1
β	2

(R)

C	D	E
α	10	a
β	10	a
β	20	b
γ	10	b

(S)

A	B	C	D	E
α	1	α	10	a
α	1	β	10	a
α	1	β	20	b
α	1	γ	10	a
β	2	α	10	a
β	2	β	10	a
β	2	β	20	b
β	2	γ	10	b

Intersection (\cap)

The expression $R \cap S$ returns all tuples that appear in both the relations R & S .

Difference

This operation, written as $R - S$ (set difference) returns all tuples that are in R but not in S .

Cartesian Product (\times)

The cartesian product or cross-product is a binary operation that is used to combine two relations. Assuming R & S as relations with n & m attributes respectively, the cartesian product $R \times S$ can be written as —

$$R(A_1, A_2, \dots, A_n) \times S(B_1, B_2, \dots, B_m)$$

The result of the above set operation is

$$\{A_1, A_2, \dots, A_n, B_1, B_2, \dots, B_m\}$$

where,

$$\text{Degree}(Q) = n+m$$

$\text{count}(Q) = \text{Number of tuples in } R \times \text{Number of tuples in } S.$

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5

Division

Consider two relations R & S . Assume that R has two attributes r_1 & r_2 & S has only one attribute s_2 with the same domain as in R .

This is to ensure that the degree of the numerator is more than the degree of denominators. Now we shall define R/S as

r_1 is the result.

Division $\div R$ S

A	B
α_1	β_1
α_2	β_1
α_1	β_2
α_3	β_2

B
β_1
β_2

 $R(A, B) / S(B)$

It results A values for that there should be tuple (A, B) for every value of relation B.

e.g. Used in queries where every / all is used
Select A student id who enrolled for all / every course.

Output

A
α_1

(1) calculate \times cross Product

$$\pi_A(R) \times \pi_B(S)$$

A	B
α_1	β_1
α_2	β_1
α_1	β_2
α_2	β_1
α_2	β_2
α_3	β_1
α_3	β_2

R

A	B
α_1	β_1
α_2	β_1
α_1	β_2
α_3	β_2

(2)

 $T - R$ (3) $\pi_A(T - R)$

A
α_2
α_3

= W

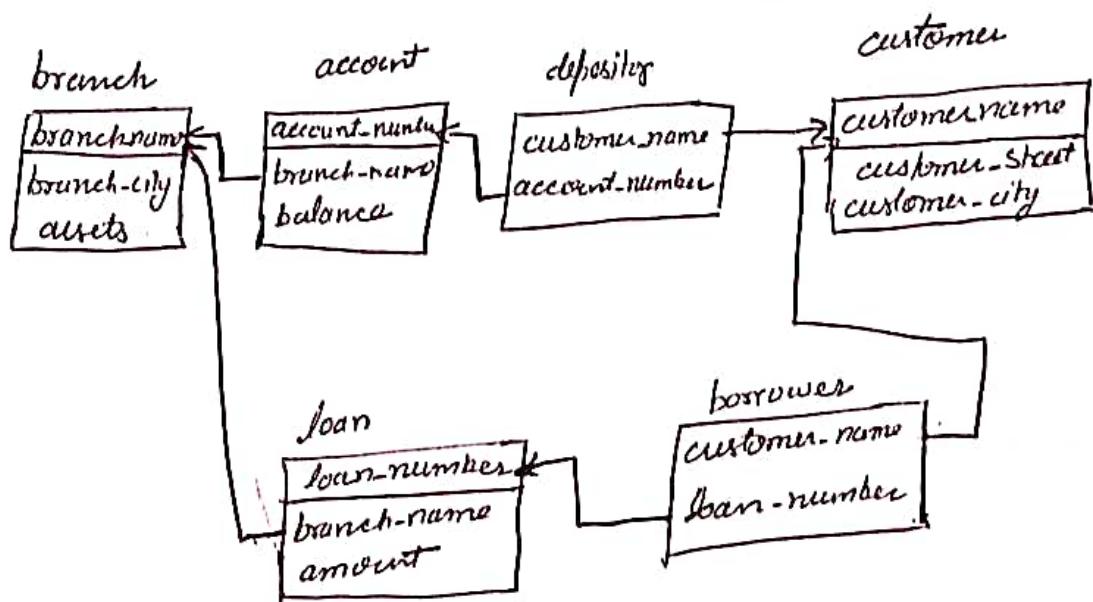
Project A from $T - R$

(4)

$$\pi_A(R) - W$$

A
α_1
α_2
α_3

$$\pi_A(R) - \left(\pi_A \left(\underbrace{\left(\pi_A(R) \times \pi_B(S) \right)}_{\textcircled{1}} - R \right) \right)$$



schema diagram for the banking enterprise.

Q Find all loan made at "Penyridge" branch.

$\sigma_{\text{branch-name} = \text{"Penyridge"} \text{ (loan)}}$

Or Find all loans of over \$ 1200

$\sigma_{\text{amount} > 1200 \text{ (loan)}}$

Or Find all tuples who have been taken loans of more than \$ 1200 made by the "Penyridge" branch.

$\sigma_{\text{branch} = \text{"Penyridge"} \wedge \text{amount} > 1200 \text{ (loan)}}$

Or Find all loan numbers and the amount of loans.

$\pi_{\text{loan-number}, \text{amount}} \text{ (loan)}$

Or Find the loan numbers of each loan of an amount greater than \$ 1200.

$\pi_{\text{loan-number}} (\sigma_{\text{amount} > 1200 \text{ (loan)}})$

Or Find those customers who live in "Harrison".

$\pi_{\text{customer-name}} / \sigma_{\text{city} = \text{"Harrison"} \text{ (customer)}}$

→ Find the names of all customers who have a loan at the Perryridge branch but do not have an account at any branch of the bank.

$\Pi_{customer_name} (\overbrace{branchname = "Perryridge"}^{\text{branchname}} \cap \overbrace{borrower . loannumber = loans . loannumber}^{\text{(borrower} \times \text{loan)}}) - \Pi_{customer_name} (\text{depositor})$.

→
Rename

Find the largest account balance in the bank.

$\Pi_{balance} (\text{account}) - \Pi_{account, balance} (\overbrace{\text{account.balance} < d.balance}^{\text{(account} \times \text{d)}})$

Step (2)

Step (1)

Project balance that are not largest
(as a temporary relation)

rename account table as d for distinction
product with itself.

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d Supplier (S-id, S-name, S-add)
Parts (P-id, P-name, color)
catalog (S-id, P-id, cost)

Write the following query.

- Find the name of suppliers who supply yellow parts
- Find the name of suppliers who supply both blue and green parts.
- Find the name of suppliers who supply all parts.

parts.

Relational Algebra query:

- (a) $\pi_{\text{S-name}} (\text{Supplier} \bowtie \text{catalog} \bowtie (\text{color} = \text{'yellow'} \text{ (Parts)}))$
- (b) $\pi_{\text{S-name}, \text{color}} (\text{Supplier} \bowtie \text{catalog} \bowtie \text{Parts}) \div \pi_{\text{color}} (\text{color} = \text{'blue'} \text{ or } \text{color} = \text{'green'})$
- (c) $\pi_{\text{S-name}, \text{color}} (\text{Supplier} \bowtie \text{catalog} \bowtie \text{Parts}) \div \pi_{\text{color}} (\text{Parts}).$

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Relational calculus

In contrast to Relational Algebra, Relational calculus is a non-procedural query language, i.e., it tells what to do but never explains how to do it.

Tuple Relational Calculus (TRC)

Floating variable ranges over tuples

Notation - $\{T | \text{condition}\}$ i.e., $\{t | P(t)\}$ ^{condition.}

Return all tuples T that satisfies a condition.
 $P(t)$ \rightarrow predicate.

e.g. $\{T.\text{name} | \text{Author}(T) \text{ AND } T.\text{article} = \text{'database'}\}$

Output - Returns tuples with 'name' from Author who has written article on 'database'?

TRC can be quantified, we can use Existential (\exists) and Universal Qualifiers (\forall).

$\exists t \in r(Q(t)) =$ "there exists a tuple t in relation r such that $Q(t)$ predicate is true"

$\forall t \in r(Q(t)) = Q(t)$ is true "for all" tuples in relation r .

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Domain calculus.

In DRC, the filtering variables uses the domain of attributes instead of entire tuple values —

Notation

\rightarrow resulting domain

$$\{ a_1, a_2, a_3, \dots, a_n \mid P(a_1, a_2, a_3, \dots, a_n) \}$$

where a_1, a_2 are attributes and P stands for formulate built inner attributes.

Eg:
 $\{ \langle \text{article}, \text{page}, \text{subject} \rangle \mid \text{Tutorialspoint} \text{ A subject} = \text{database} \}$,

$$\langle a_1, a_2, \dots, a_n \rangle \in \gamma$$

Output - Yields Article, page, and subject from the relation Tutorialspoint, where subject is database.

Just like TRC, DRC can also be written using existential and universal quantifiers.

Q Find loan number, branchname and amount for loans of greater than \$1200.

$$\{ \langle l, b, a \rangle \mid \langle l, b, a \rangle \in \text{loan} \wedge a > 1200 \}$$

Q Find all loan number for loans with an amount greater than \$1200.

$$\{ \langle l \rangle \mid \exists b, a \mid \langle l, b, a \rangle \in \text{loan} \wedge a > 1200 \}$$

tuple calculus

Q Write a query in SQL to display Sname of suppliers.

$\{ \text{s.Sname} \mid \text{supplier}(\text{s}) \rightarrow \text{s is available of supplier}$
 table, will check all rows.

Q Write a query to display Name of parts where color is red.

$$\{ \text{p.pname} \mid \text{Parts}(\text{p}) \wedge \text{p.color} = 'Red' \}$$

Q Write a query to display SID of suppliers whose name is 'John' and address is 'Delhi'.

$$\{ \text{s.sid} \mid \text{supplier}(\text{s}) \wedge \text{s.name} = 'John' \wedge \text{s.add} = 'Delhi' \}$$

Q Write a query aim to display SID of suppliers who supplied some parts.

Q. Write a query in SQL to display names of suppliers who supplied red color parts.

$$\begin{array}{l} \text{S.name} \mid \text{Supplier}(s) \wedge \exists c(\text{catalog}(c)) \\ \quad \exists p(\text{Parts}(p) \wedge s.sid = c.sid) \\ \quad \wedge p.pid = c.pid \wedge p.color = 'Red' \end{array}$$

S is free variable
c & p is bounded variable.

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Domain calculus

Find the names of all customers who have loan from "Penyridge" branch and find the loan amount.

$$\{ \langle c, a \rangle \mid \exists l (\langle c, l \rangle \in \text{borrower} \wedge \exists b(l, b, a) \in \text{loan} \wedge b = "Penyridge") \}$$

Find the names of all customers who have a loan on account or both at Penyridge branch.

$$\{ \langle c \rangle \mid \exists l (\langle c, l \rangle \in \text{borrower} \wedge \exists b(a(l, b, a) \in \text{loan} \wedge b = "Penyridge")) \}$$

$$\vee \exists a (\langle c, a \rangle \in \text{debitor} \wedge \exists b, n (\langle a, b, n \rangle \in \text{account} \wedge b = "Penyridge")) \}$$

→ Q. Find the loanno, branchname and amount for loans of over \$1200.

$$\{ \langle loanno, branchname, amount \rangle \mid \text{loan} \wedge amount > 1200 \}$$

tuple relational calculus.

Unsafe expression:

$\{ s.name \mid \exists \text{ supplier}(s)$
names the tuple supplier which does not exist in
supplier. It will stuck in infinite loop.

SQL (Structured Query Language)
is a language that provides an interface to relational database systems.

Advantages of SQL

(1) Standard independent language:

The universal rules of the SQL have been established by ANSI and ISO. Therefore, the SQL is an open language implying it is not owned or controlled by any single entity.

(2) Speed: The intense competition among database vendors has resulted in faster more robust database management systems that work at lower cost per transaction.

(3) Easy to learn & use:- SQL statements resemble simple English sentences making SQL easy to learn & understand.

(4) Less programming: SQL allows extraction, manipulation and organisation of data with less programming as compared to traditional methods.

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SQL Commands

• Create Table

syntax create table tablename (column_name datatype(me),
column_name datatype(me),)

• Insertion of Data into Tables:

• Insert into tablename (column name₁, column name₂)
values (expression, expression),

• Select command

Select * from tablename

• Delete

Delete from tablename

Deletes from tablename where search condition

group by

Select <columns> from <table>

where <condition>

groupby <group-column>

[having <group condition>]

select count(), min(sal), max(sal)

from emp

group by deptno

SQL Queries

Set operations: union, intersect, difference (except)

(④)

① Union Operation

To find all customers having a loan, an account,
or both at the bank
(Select customer-name from depositor)

union
(Select customer-name from borrower)

$\Pi_{\text{customer-name(depositor)}} \cup \Pi_{\text{customer-name(borrower)}}$
If we want to retain all duplicates, we must write
Union all in place of union.

Select customer-name from depositor

union all
Select customer-name from borrower

$$\text{② } \text{The Intersect Operation: } R \cap S = \{R \cup S\} - \{(R-S) \cup (S-R)\}$$

To find all customers who have both a loan and
an account at the bank

Select distinct customer-name from depositor

intersect

Select distinct customer-name from borrower

$$\Pi_{\text{customer-name(depositor)}} - \Pi_{\text{customer-name(borrower)}}$$

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27/40

③ Difference (except) Operation

To find all customers who have an account but
no loans at the bank

Select distinct customer-name from depositor

except

Select customer-name from borrower

If we want to retain all duplicates, we must
write except all in place of except.

Select customer-name from depositor

except all

Select customer-name from borrower

Union

Q) Find the names of all customers who have a loan, an account, or both from the bank:

$$\Pi_{\text{customer-name}} \text{ (borrower)} \cup \Pi_{\text{customer-name}} \text{ (defaulter)}$$

Intersection

Q) → find the names of all customers who have a loan and an account at bank.

$$\Pi_{\text{customer-name}} \text{ (borrower)} \cap \Pi_{\text{customer-name}} \text{ (defaulter)}$$

Q) difference → find the names of all customers who have an account but no loan from the bank.

$$\Pi_{\text{customer-name}} \text{ (defaulter)} - \Pi_{\text{customer-name}} \text{ (borrower)}$$

Cartesian Product X

Find the names of all customers who have a loan at Penridge branch.

(1) borrower X loan

$$\Pi_{\text{customer-name}} \text{ (Branch = "Penridge")}$$

↳ borrower. Branch = loan. loan number
(borrower X loan)

29/40

acc	balance
1	500
2	700
3	900
4	800

X

acc	balance
1	600
2	700
3	900
4	800

no	balance	no	balance	sec.
1	500	1	500	
2	700	2	700	+ 500
3	900	3	900	1200
4	800	4	800	700
				800
1	500	1	500	
1	500	2	700	+ 500
1	500	3	900	1200
2	700	4	800	700
2	700	1	500	800
2	700	2	700	
2	700	3	900	+ 500
2	700	4	800	1200
3	900	1	500	700
3	900	2	700	
3	900	3	900	+ 500
3	900	4	800	1200
4	800	1	500	500
4	800	2	700	
4	800	3	900	+ 500
4	800	4	800	1200

Aggregate Function

Aggregate function are functions that take a collection of values as input and return a single value. SQL offers five built-in aggregate functions:

(1) AVG? select avg(salary) from Emp;

(2) MIN? select min(salary), max(salary) from Emp ~

where Deptno=30.

Aggregate Function

Aggregate function are functions that take a collection of values as input and return a single value. SQL offers five built-in aggregate functions.

- (1) AVG select avg(salary) from Emp;
- (2) MIN } select min(salary), max(salary) from emp
- (3) MAX } select max(salary) from emp where Deptno=30.
- (4) SUM select sum(salary) from emp
- (5) COUNT → how many tuples are in relation
select count(*) from Emp
select count(distinct Job) from Emp

Index

An index is an ordered list of content of a column or group of columns in a table.

Creating an Index:

Syntax:

Create Index indexname

ON tablename (columnname)

Dropping Indexes:

An index can be dropped by writing

Drop Index

Syntax:

Drop INDEX indexfilename

Order by
 → list in alphabetical order the names of all instructors
 list distinct name from instructors order by name.

Between
 find for names of all instructors with salary between
 90,000 and 100,000
 select name from instructors using salary
 between 90,000 and 100,000

Table combination
 select name, course_id from instructor, teacher
 where (instructors.ID, dirname) = (teachers.ID, "Biology")

Views and indexes.

view. It is how we want to see the current data in our database.

Syntax [or replace]
 Create view viewname AS
 select columnname, columnname

from tablename
 where column = expression-list

Renameing the column viewname A.B follows

Select columnname, columnname
From tablename
Where column = expression-list

Renaming the column viewname AS follows

Syntax :
Create view viewname AS
Select newcolumnname...
From tablename
Where columnname = expression-list

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Procedures in PL/SQL

Procedure is a logical group of SQL and PL/SQL statements that performs a specific action.

Types of PL/SQL Procedures:

① Local or Anonymous procedure : Part of an anonymous block which is not stored as an object in the Oracle database.
called from the executable section of that block.
It cannot be called from inside of any other procedure or function.

② Stored Procedure : Stored in the database as database objects (in the compiled form called P-code).

It can be invoked from various environments that have access to the databases (e.g., other procedures).

Trigger

Trigger is a PL/SQL block structure which is fired when a DML statements like Insert, delete, update is executed, on a database table.

Syntax create [or Replace] Trigger Triggername

{ Before / After } Instead of {

{ Insert [OR] / Update [OR] / Delete } on (col1,hi-

[referencing OLD as a new]

for each row]

when (condition)

BEGIN

----- SQL statements

END;

Cursor

The oracle engine uses a work area for its internal processing in order to execute an SQL statement. This work area is called cursor.

The data stored in the cursor is called the "Active Data Set".

egs cursor & cursorname IS SQL statement

Types of cursor

Implicit cursor:- If the oracle engine for its internal processing has opened a cursor, they are known as implicit cursor.

That is a cursor which opens oracle engine for its internal processing is internal implicit cursor.

Explicit cursor:- A user can also open a cursor for procuring data as required.

Such user defined cursors are known as

Explicit cursor

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Outer joins

recurs = - - -

Dangling tuples in join

Usually, only a subset of tuple of each relation will actually participate in a join. i.e. only tuple that match with the joining attributes.

Tuples of a relation not participating in a join are called dangling tuples.

→ left outer join

→ right outer join

→ full outer join

Join

The Join operation, denoted by \bowtie , used to combine related tuples from two relations

The Join operation can be stated in terms of a cartesian product followed by a select operation.

The general form of a Join operation on two relations R & S

$$R \bowtie_{\text{Join condition}} S$$

In Join only combination of tuples satisfying the join condition appear in the result, whereas in CARTESIAN PRODUCT all combination of tuples are included in the result.

Join = Cartesian Product + Selection

Types of Join

1. Inner Join (Join)

→ Theta Join

→ Equi Join

→ Natural Join

2. Outer Join.

→ Left Outer Join

→ Right Outer Join

→ Full Outer Join.

Inner Join:

An Inner join includes only those tuples that satisfy the matching criteria,

- ① Theta join/conditional join: It joins two or more relation based on some conditions.
It uses all kinds of comparison operators like $<$, $>$, $<=$, $>=$, $=$, \neq

Syntax: $R \bowtie_{\theta} S$ θ is a predicate/condition

$$R \bowtie_{\theta} S = \sigma_{\theta}(A \times B)$$

R	Sid	Name	Age
1	A	21	
2	B	20	
3	C	21	

S	Sid	C-Name	C-Clock
1	DBMS	301	
4	C++	101	
6	OS	201	

$$R \bowtie_{R.\text{sid} \leq S.\text{sid}} S$$

equivalent to

$$\sigma_{R.\text{sid} \leq S.\text{sid}}(R \times S)$$

Natural Join.

Natural Join can only be performed if there is at least one common attribute (column) in two relations. In addition, the attributes must have the same name & domain.

→ Natural Join does not use any comparison operators.

→ It is same as equijoin which occurs implicitly by comparing all the common attributes (columns) in both relation, but difference is that in Natural join the common attribute appears only once.

Syntax

$R \bowtie S$

→ Natural Join of two relations can be obtained by applying a Projection operation to equijoin of two relation.

Natural Join = Cartesian product + selection + projection.

$R(A B C D)$ $S(B D E)$

$R \bowtie S = (A, B, C, D, E)$

$\pi_{R.A, R.B, R.C, R.D, S.E} \{ R.B = S.B \wedge R.D = S.D \}$ $(R \times S)$

Equi Join

→ When we use $=$ condition in theta join, it becomes a EquiJoin.

→ Equi join is a special case of theta join where condition contains equalities ($=$).

$$R \bowtie_{R.a_1 = S.b_1 \wedge \dots \wedge R.a_n = S.b_n} S$$

P		
Sid	Name	Sid

S		
Sid	Crno	Pr-code

$$R \bowtie_{R.sid = S.sid} S$$

equivalent to $\sigma_{R.sid = S.sid} (R \times S)$.

Course

C-id	Course Name	Dept
CS101	DBMS	CS
ME101	DS	ME
EC101	IOT	EC

HOD

Dept	Head
CS	A
ME	B
EC	C

Course & HOD

$\pi_{C-ID, \text{course name}, \text{course.dept}, \text{head}} (\sigma_{\text{course.dept} = \text{HOD.dept}}$
 $(\text{course} \times \text{HOD}))$.

Join operations

- Natural join ($*$)
- Equijoin (\bowtie)
- Theta join (θ)
- outer join (\triangleright)

Natural Join : When we omit the condition during joining of two relations, then it is called as natural join ($*$).

e.g. - Employee (SSN, Name, Addr, DNo)
Department (DNo, DName)

Theta Join (θ)

Let R & S are two relations. Consider an attribute x in R and an attribute y in S . The theta join of these two relations can be written as,

$R \times S$ where $x \theta y$

where θ indicates a valid relational operator.

classmate

Date _____

Page _____

(iii) Full outer Join :- ~~Diagrams~~ ! =

E Id	Name	Age	D. No.	D-Name
1	A	20	101	D ₁
5	NULL	NULL	102	D ₃
3	C	25	103	D ₄
2	B	23	NULL	NULL

21/Oct./2021

DBMS

Date _____
Page _____

Join (\bowtie) :- There are 2 types of Joins :-

(i) Outer Join

(a) Left Outer Join.

(b) Right Outer Join.

(c) Full Outer Join

(ii) Inner Join.

(a) Theta Join.

(b) Equi Join

(c) Natural Join.

(a) Left Outer Join :- \bowtie .

Employee :-

E-Id	Name	Age	D-No	D-Name	E-Id
1	A	20	101	D ₁	1
2	B	28	102	D ₃	5
3	C	25	103	D ₄	3

E-Id	Name	Age	D-No	D-Name
1	A	20	101	D ₁
2	B	28	NULL	NULL
3	C	25	103	D ₄

(b) Right Outer Join :- \bowtie

E-Id	D-Name	D-No	Name	Age
1	D ₁	101	A	20
5	D ₃	102	NULL	NULL
3	D ₄	103	C	25