

## Today's Quote

Dream big, stay positive, work hard, and enjoy the journey.

## Today's content

- Intro
- flip
- sort `ch[]`
- Reverse String
- longest · palindromic substring

String.   
 { array of characters   
 { sequence of characters   
 { bunch of characters }   
 { a b c }   
 { b a c }

\* Not same.   
 order is also important.

characters → ASCII value.

'A' - 65	$\xrightarrow{+32}$	'a' - 97
	$\xleftarrow{-32}$	
'B' - 66	$\xrightarrow{+32}$	'b' - 98
	$\xleftarrow{-32}$	
'C' - 67		'c' - 99
'D' - 68		'd' - 100
'		'
'		'
'		'
'Z' - 90		'z' - 122

'0' - 48   
 '1' - 49   
 '2' - 50

$(2^2 \rightarrow 2^5)$

'g' - 57

'\0' → It is not a single character

char ch = 'g'   
 2 bytes. ASCII = 57

ch = 'g'

ch = ch + 8

print(ch) ASCII → 65

'A'

String → array of characters.

String s = "a b c d"

s → 

a	b	c	d
0	1	2	3

→ print(s[2])

→ c will get printed.

Q Given a `char[]`, toggle every character.

↳ Capital  $\rightleftharpoons$  Small

Note → Input contains only small & capital characters.

Eg → AnaConDa

~~o/p~~ → aNAcONdA

toggleCharacters ( `s[]`, `N` ) {

for ( `i = 0` ; `i < N` ; `i++` ) {

if ( `s[i] >= 65 && s[i] <= 90` ) {

// `s[i]` is capital

`s[i] += 32;`

}

else {

// `s[i]` is small

`s[i] -= 32;`

}

}

}

`s[i] = s[i] ^ 32`

or

`s[i] = s[i] ^ (1 << 5)`

T.C →  $O(N)$

S.C →  $O(1)$

A: 65

$2^7$   $2^6$   $2^5$   $2^4$   $2^3$   $2^2$   $2^1$   $2^0$

0 1 0 0 0 0 0 1

B: 66

0 1 0 0 0 0 0 0

C: 67

0 1 0 0 0 0 1 1

|

Z: 90

0 1 0 1 1 0 1 0

a: [97]

$2^7$   $2^6$   $2^5$   $2^4$   $2^3$   $2^2$   $2^1$   $2^0$

0 1 1 0 0 0 0 1

b: [98]

0 1 1 0 0 0 1 0

c: [99]

0 1 1 0 0 0 1 1

|

z: [122]

0 1 1 1 1 0 1 0

Q) Given a char array, which contains only lower-case alphabets. Sort given `ch[]` in alphabetical order.

constraints

$$1 \leq N \leq 10^5$$

$$'a' \leq \text{ch}[i] \leq 'z'$$

Ex: `s = d a b a c d b`

After  $\parallel$  sorting

`s = a a b b c d d`

ideas

① Sort `char[]` using bubble sort.

$$T.C \rightarrow O(N^2)$$

$$S.C \rightarrow O(1)$$

② Use inbuilt sort function +

custom comparator.  
{if needed}

$$T.C \rightarrow O(n \log n)$$

③ `s = d a b a c d b`

$$'a' \rightarrow 2$$

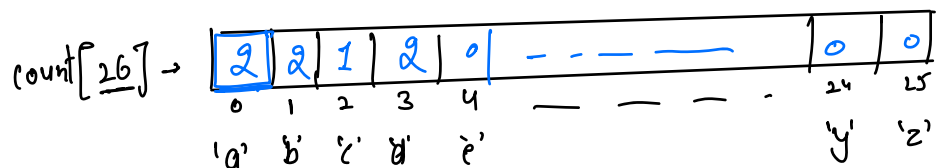
$$'b' \rightarrow 2$$

$$'c' \rightarrow 1$$

$$'d' \rightarrow 2$$

`s = a a b b c d d`

$$\begin{array}{l} 'a' - 'a' = 0 \\ 'b' - 'a' = 1 \\ 'c' - 'a' = 2 \\ \vdots \\ 'z' - 'a' = 25 \end{array}$$



$\text{count}[0] \rightarrow \text{frequency of 'a'}$   
 $\text{count}[1] \rightarrow \text{frequency of 'b'}$   
 $\text{count}[2] \rightarrow \text{frequency of 'c'}$   
 $\vdots$   
 $\text{count}[25] \rightarrow \text{frequency of 'z'}$

```

sortString(char[] s, N) {
    count[26];
    for (i = 0; i < N; i++) {
        idx = s[i] - 'a';
        count[idx] += 1;
    }
    k = 0;
    for (i = 0; i <= 25; i++) {
        ch = i + 'a';
        for (j = 1; j <= count[i]; j++) {
            s[k] = ch;
            k += 1;
        }
    }
}

```

N

n

$T.C \rightarrow O(N)$   
 $S.C \rightarrow O(1)$

eg: s → b b c c d d

count →

0	2	2	2	1	0	—	—	0
0	1	2	3	4	5	—	—	25

i	j	iteration
0	[1, c[0]]	c[0]
1	[1, c[1]]	c[1]
2	[1, c[2]]	c[2]
⋮	⋮	⋮
25	[1, c[25]]	c[25]

= [n]

Substring concept is same as sub-array.

- ↳ 1) continuous part of a string
- 2) full string can be sub-string.
- 3) A single character can be a substring.

Q) check if given substring is palindrome or not.

Eq: 

madam	nayan	level
mam	civic	malayalam
dad	radar	

char ch[11] : { a n a m a d a m e p e }

start index of the substring → end index of the substring.

boolean isPalindrome (ch[ ] str, s, e) {

```
while (s < e) {  
    if (ch[s] != ch[e]) {  
        return false;  
    }  
    s++, e--  
}  
return true;
```

T.C →  $O(N)$   
S.C →  $O(1)$

Q: Given a string, calculate length of the longest palindromic substring.

Ex: a b a c a b  
 0 1 2 3 4 5  
 [ans=5]

Ex: a b c d e  
 0 1 2 3 4  
 [ans=1]

idea-1: For all the substrings, check if it is palindrome or not & get the max-length.

$$\frac{n(n+1)}{2} * n \Rightarrow \begin{matrix} T.C = O(N^3) \\ S.C = O(1) \end{matrix}$$

constraints  $1 \leq N \leq 3 \times 10^3$

```

int longestPal (char[] s , N) {
    ans = 0;
    for( i = 0 ; i < N ; i++) {
        for( j = i ; j < N ; j++) {
            // substring [i, j]
            if ( isPalindrom (s, i, j) ) {
                ans = max (ans, j - i + 1);
            }
        }
    }
    return ans;
}
  
```

// i → start index of the substring  
 // j → end index of the substring.

eg: { x b d y z z y d b d y z y d x }

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14

↑ pf                      ↑ Centre                      ↑ p2

$$\text{length} = (P_1, P_2)$$

$$= P_2 - P_1 - 1$$

idea:

Take any idx as the centre and try to expand to find the length of longest palindromic substring.  $\Rightarrow$  max odd length palindrome.

$$T.C \rightarrow O(N^2)$$

Take any two consecutive characters as the centre & try to expand to find the length of longest palindromic substring.  $\Rightarrow$  max even length palindrome.

$$T.C \rightarrow O(N^2)$$

$$T.C \rightarrow O(N^2)$$

$$S.C \rightarrow O(1)$$



```

int expand ( char s[], p1, p2 ) {
    while ( p1 ≥ 0 && p2 < N && s[p1] == s[p2] ) {
        p1--;
        p2++;
    }
    return p2 - p1 - 1;
}

```

```

int longest Pal ( char[] s , n ) {
    ans = 0/1;

    for ( i = 0 ; i < n ; i++ ) { // max odd-length palindromes.
        // Centre → s[i]
        p1 = i , p2 = i
        ans = max ( ans , expand ( s , p1 , p2 ) );
    }

    for ( i = 0 ; i < n-1 ; i++ ) {
        // Centres → s[i], s[i+1]
        p1 = i , p2 = i+1
        ans = max ( ans , expand ( s , p1 , p2 ) );
    }

    return ans;
}

```

$i = N-1, p_1 = N-1, p_2 = N$

Doubts →

eg: { x b d y z z y d b d y z y d x }

Indices: 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14

Swaps: (2,3), (4,5), (6,7), (8,9), (10,11), (12,13)

i = 4

P<sub>1</sub> = 4 2

P<sub>2</sub> = 6 7

```
for (i = 0; i < n-1; i++) {
    if (a[i] > a[i+1]) {
        swap(a[i], a[i+1]);
        i = -1;
    }
}
```

$$1 + 2 + 3 + \dots + n = \frac{n(n+1)}{2} = \underline{n^2}$$

arr →

3	4	2	5	
x	y	z	x	1
0	1	2	3	4

i = 0 -1 0 -1 0 -1 0 -1 0 -1 0 -1 0 -1 0

$X \doteq A \& B.$  proof

CustomComparator.

$$X \wedge A + X \wedge B$$

$$(A \& B) \wedge A + (A \& B) \wedge B$$