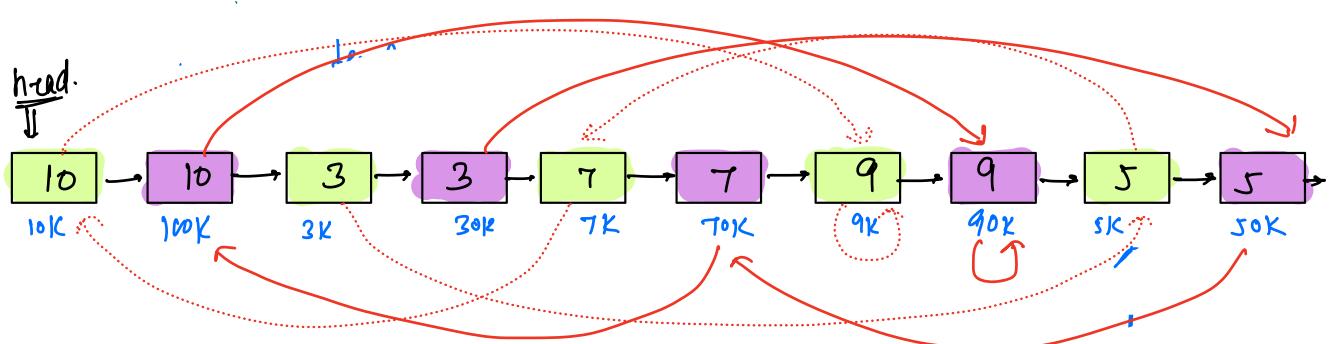
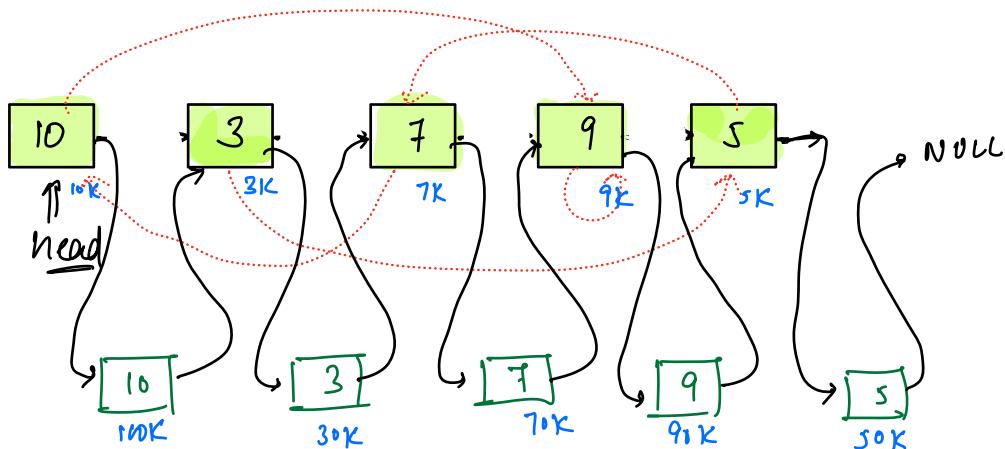


Clone Linked-List Inith Random Pointer

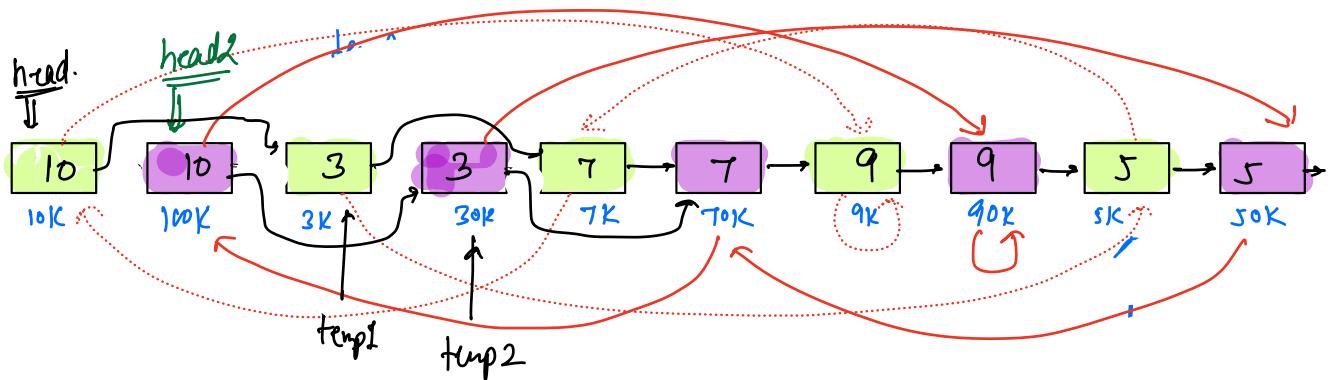


① Insert cloned nodes in the original linked-list. J N.

② Set random of cloned nodes using random of original nodes.
Every cloned node is lying next to the original (old) node

```
while(temp != NULL) {
    temp.next.random = temp.random.next
    temp = temp.next.next
}
```

N



③ Separate old & new linked list.

`head2 = head.next;`

`temp2 = head2;`

`temp1 = head;`

`while (temp1 != NULL && temp2 != NULL) {`

`temp1.next = temp1.next.next`

`temp2.next = temp2.next.next`

`// update temp1 & temp2`

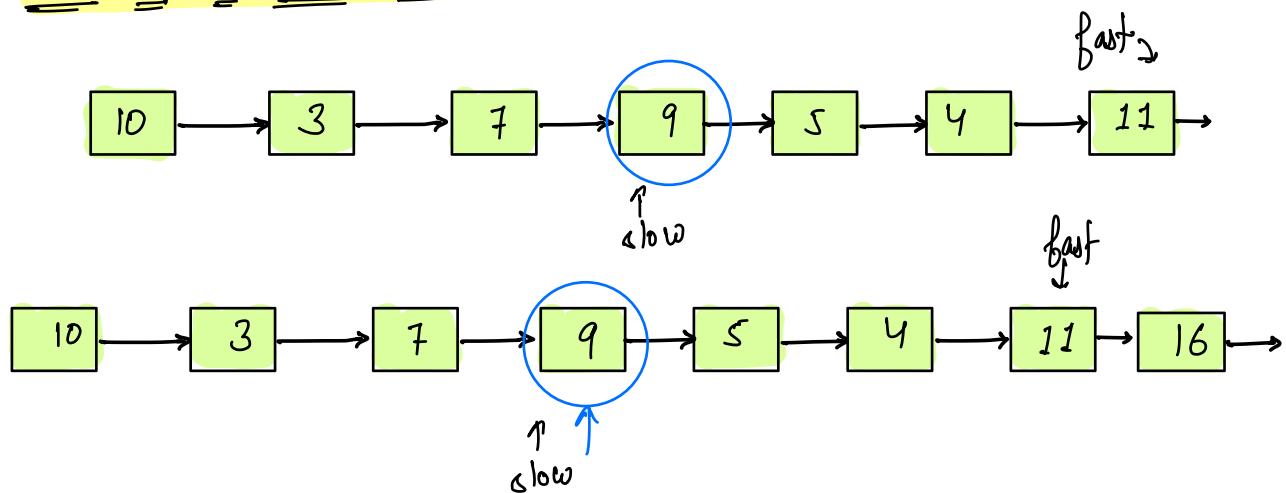
`temp1 = temp1.next`

`temp2 = temp2.next`

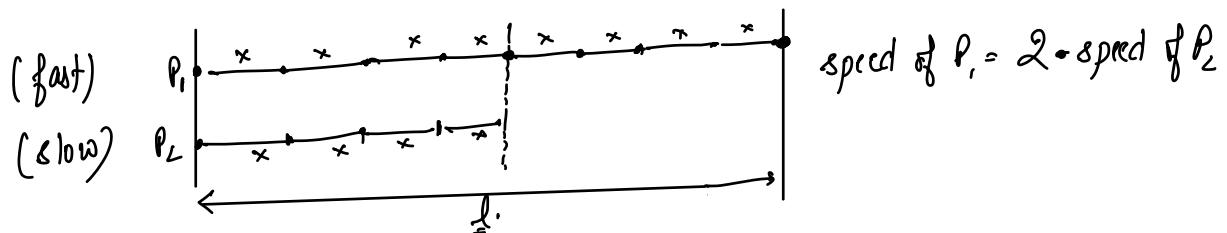
`}`
`return head2;`

$T.C \rightarrow O(N)$
 $I.O \sim O(1)$

Middle Of A Linked List.



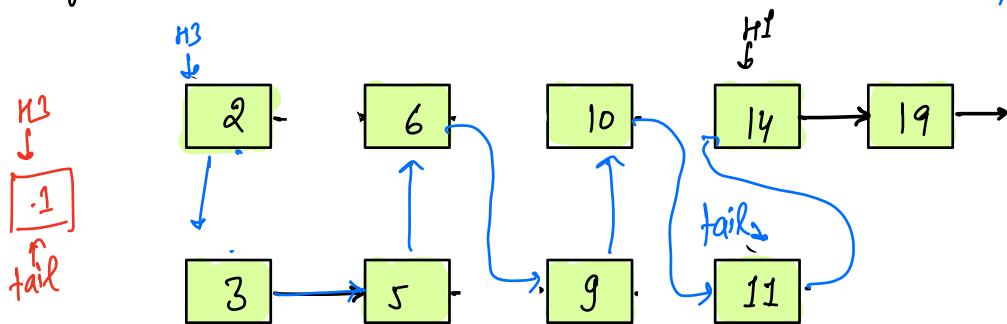
Idea-1. find length of LL $\rightarrow l$.
 arr = element present at $(\frac{l-1}{2})^{th}$ idx. $\begin{cases} T.C \rightarrow O(n) \\ S.C \rightarrow O(1) \end{cases}$



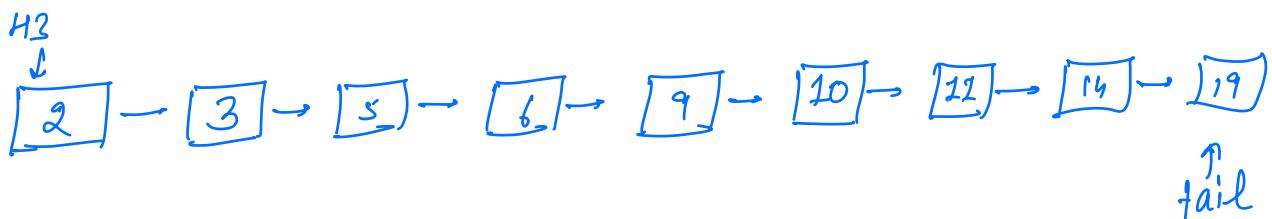
slow = fast = head $\xrightarrow{\text{odd}}$
 while ($fast.next \neq \text{NULL}$ & $fast.next.next \neq \text{NULL}$) {
 {
 slow = slow.next
 fast = fast.next.next
 }
 return slow ; $\xrightarrow{\text{even}}$

$\begin{cases} T.C \rightarrow O(n) \\ S.C \rightarrow O(1) \end{cases}$

Merge Two Sorted Linked-lists



$\text{fail.next} = \text{H2}$
 $\text{H2} = \text{H2.next}$
 $\text{tail} = \text{tail.next}$



// pseudo-code -

```

Node H3 = null;           // Node dummy = new Node (-)
Node fail = null;          // H3 = tail = dummy;
if (H1 == null) { return H2; }
if (H2 == null) { return H1; }
    
```

```

// if (H1.val <= H2.val) { H3 = H1, tail = H2, H1 = H1.next } X
else { H3 = H2, tail = H2, H2 = H2.next } // 
    
```

```

while (H1 != NULL && H2 != NULL) {
    
```

```

        if (H1.val <= H2.val) {
            
```

```

                tail.next = H1
                H1 = H1.next
                tail = tail.next
            
```

```

        } else {
                tail.next = H2
                H2 = H2.next
                tail = tail.next
            
```

```

if ( H2 == NULL) {
    tail.next = H1;
}

if ( H1 == NULL) {
    tail.next = H2;
}

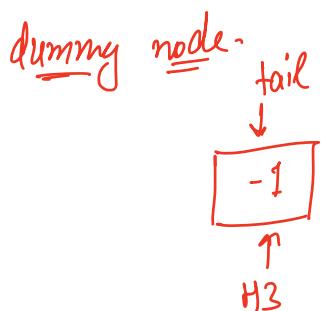
return H3; // return H3.next

```

total no. of nodes.

$T.C \rightarrow O(n)$

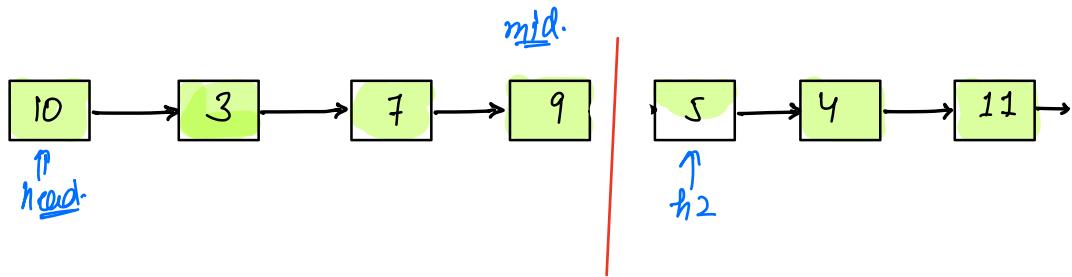
$S.C \rightarrow O(1)$



Break. $\rightarrow 10:40 \rightarrow 10:47$

Merge Sort a linked list →

↓ Merge Sort.



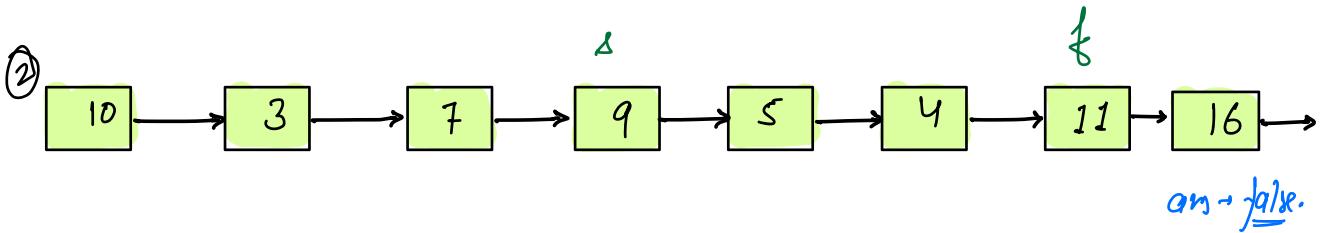
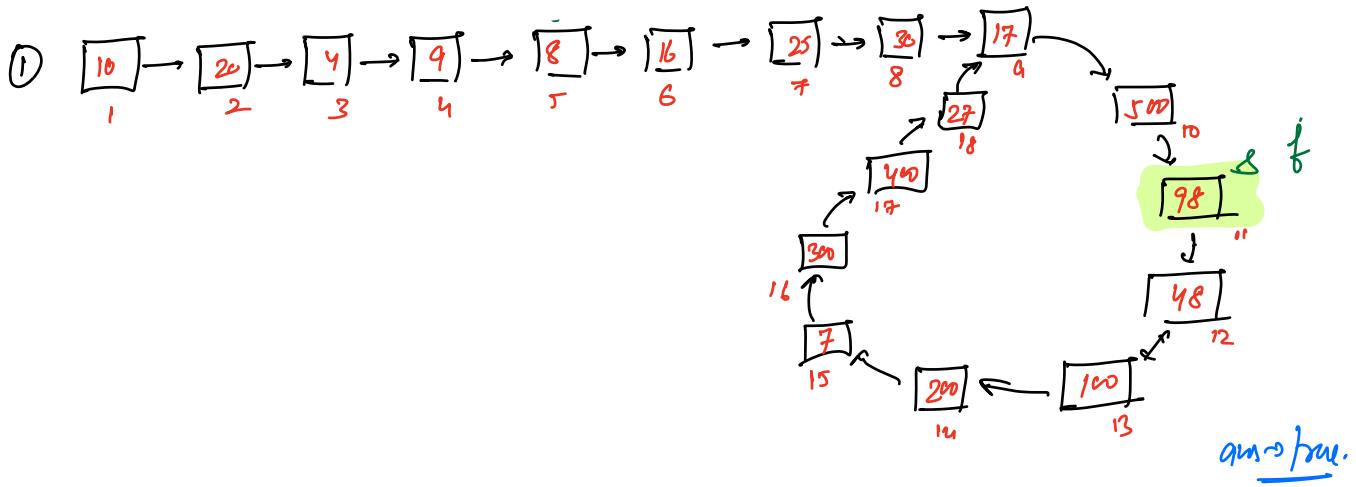
{ Node mergeSortLL (Node head) {
 if (head == null || head.next == null) { return head; }
 Node mid = getMiddle (head);
 Node h2 = mid.next;
 mid.next = null;
 head = mergeSortLL (head);
 h2 = mergeSortLL (h2);
 return mergeSortedLL (head, h2);
}

[# to do → dry run this code]

[
 T.C → $O(N \log N)$
 S.C → $O(\log N)$
]

Recursive stack

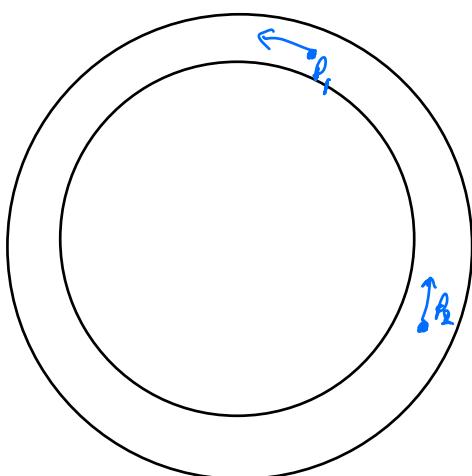
Check if there is a loop.



idea: 1. → Use HashSet / HashMap to store the reference of all nodes.

If reference of any node is already stored, return true,
otherwise. temp will become NULL eventually.

[T.C → O(N) , S.L → O(N)]



[speed of P1 ≠ speed of P2]

↓
 they will meet at one point definitely.

pseudo-code:

slow = fast = head

while (fast.next != NULL && fast.next.next != NULL) {

 slow = slow.next

 fast = fast.next.next

 if (slow == fast) {

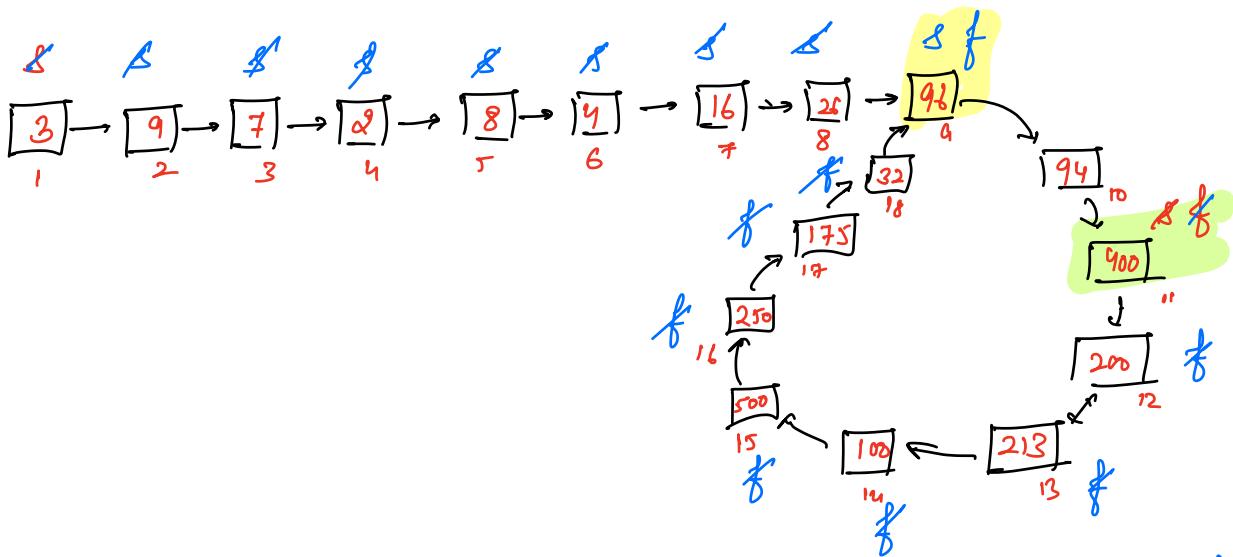
 return true

}

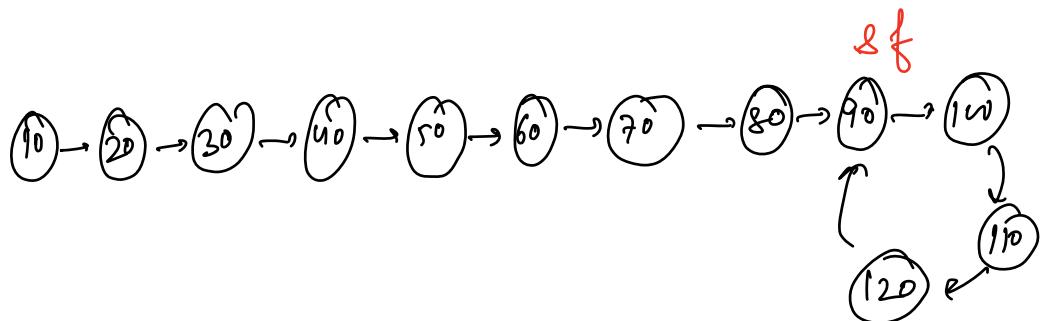
return false;

T.C $\rightarrow O(N)$
S.C $\rightarrow O(1)$

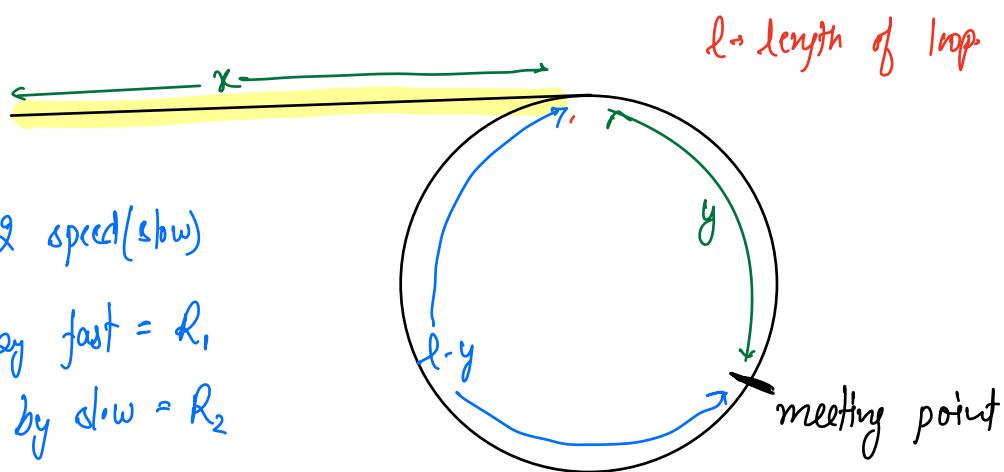
Find the start point of the loop



- Reset slow pointer to head.
- Move slow & fast pointer simultaneously by 1 step.
- Their meeting point → start point of the loop.



proof →



$$\text{distance covered by fast} = x + (R_1 \cdot l) + y.$$

$$\text{distance covered by slow} = x + (R_2 \cdot l) + y.$$

$$\text{distance covered by fast} = 2 * \text{distance covered by slow}$$

$$x + (R_1 \cdot l) + y = 2 * (x + R_2 \cdot l + y)$$

$$x + y + R_1 \cdot l = 2x + 2y + 2R_2 \cdot l$$

$$R_1 \cdot l - 2R_2 \cdot l = x + y$$

$$\frac{(R_1 - 2R_2) \cdot l}{R_2} = x + y$$

$$\boxed{R_2 \cdot l - y = x}$$

$$\Rightarrow \boxed{x = R_2 l - y}$$

constant.

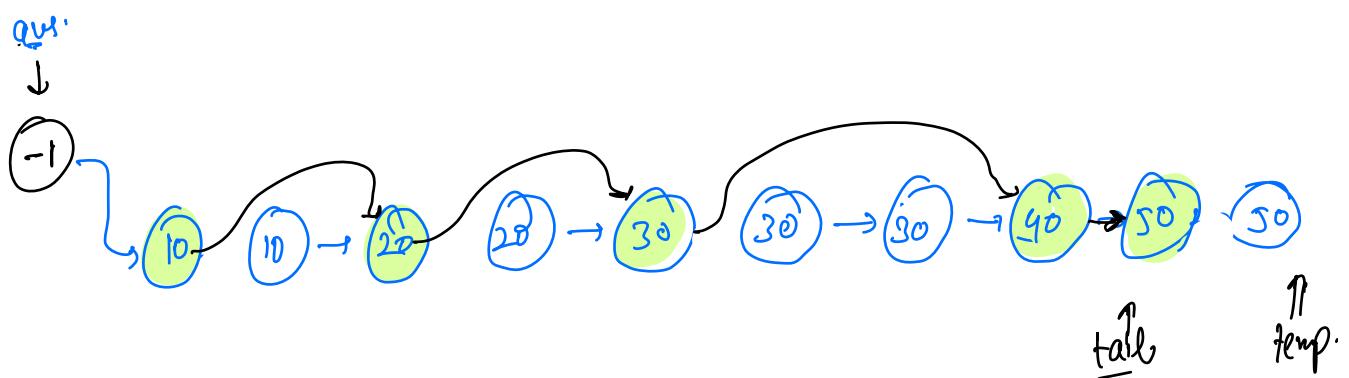
$$\begin{matrix} R_2 = 1 \\ R_2 = 2 \end{matrix}$$

$$\begin{aligned} x &= l - y \\ n &= 2l - y \\ x &= l + (l - y) \\ R_2 = 3 &\quad x = 3l - y \\ &\quad " \end{aligned}$$

$$n = 2l + (l-y)$$

$\nearrow p \quad \searrow p$

→ check if a loop is there
 → find s.p. of loop
 - proof.



```

while (temp != null) {
  if (tail.val == temp.val) {
    tail.next = temp.next;
    tail = tail.next;
    temp = temp.next;
  }
  tail.next = null;
  return ans.next;
}
  
```