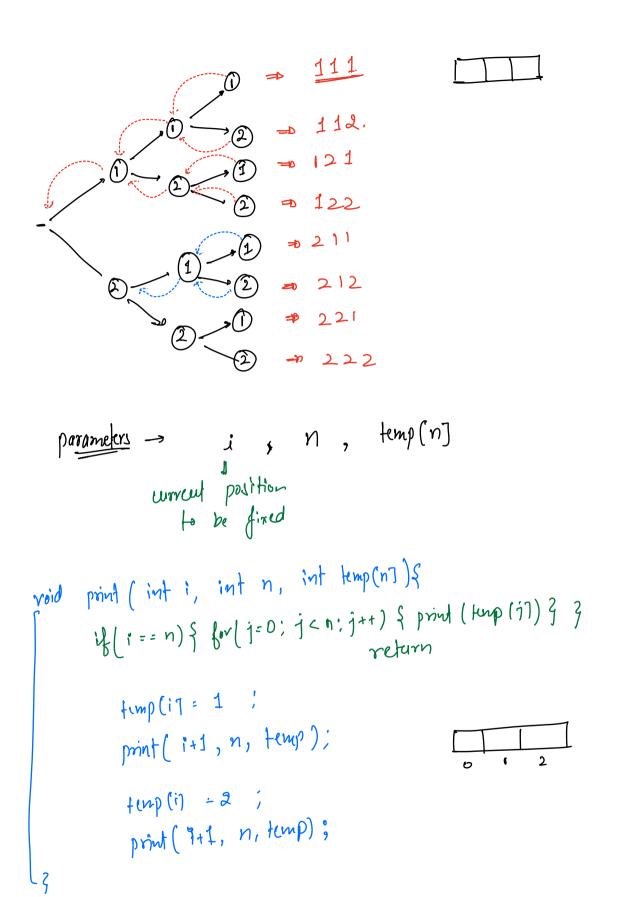
## Bock bracking. -

Algorithmic technique used to find solution by exploring all the possible candidate for your ans.

which can be formed by \$1,2? 1) Print all N. digit numbers N=3.

Using Bit Manipulation

2 2 2



```
print ( int i, int n, int temp(n)) {
    If ( == n) { for ( j=0; j<n; j++) { prod ( tup (j)) } }
                                                                                                      111
      temp(i7 = 1 /
                                                                                                       121
       print ( i+1, n, temp);
                                                                                                       122
    print(1:3, n=3, 4x)
print(3,2,4x)
print(3,2,4x)
print(1:3, n=3, 4x)
      temp (i) -2;
                                print ( i=0, n=3, 4* )
                                              no of recursive + fine taken
N.53-
                                                                                                    16
                                           S. ( -> O(N)
                                                                                                    32
```

```
digits → $1,2,3,4,5 }
                         option. - {2,3,1,9}
        void print (int i, int n, temp(n7, option(7))
       pose condition

\begin{cases}
\text{for } | j = 0; j < \text{options. size } (); j + +) \\
\text{femp } (i) = \text{options } [j] \\
\text{print } (j + 1, m, temp, options)
\end{cases}
```

(1) find the count of subsets with sum=K. Criven NI distinct elements.

B.f. Consider all the subsets.

$$\begin{cases} 5 & -2 & 9 & 2 \\ 5 & -2 & 9 & 2 \\ 5 & 5 & -2 &$$

parameters

i, n, currsum, arr[7, K

```
int countsubsctibithsumk (i, n, currsum, arr (N7, x))

if (i=n) { if (currsum = ek) return 1 }

ans = 0

// option no.1 - if current element is included

currsum + = arr (i)

ans + = countsubsctibithsumk (i+1, n, currsum, arr, k)

// aption rund - if current element is not included

currsum - = arr (i)

ans + = countsubsctibithsumk (i+1, n, currsum, arr, k)

return ans;
                                                                                                                                                                      J.C- 0(2")
```

- [Generate all the subsets.]

Brak → 10:28 → 10:45.

## Qu Generate All Permutations (unique elements)

parameters - i, n, arr()

```
permutations (int i, int n, int arr(n7) {
                                  Y(i = = n) { prind an [7 & return }
                                      swap ( arr(i1, arr(j1)))

permutations ( i+1, n, arr)

swap ( arr(i1, arr(j1)))

Swap ( arr(i1, arr(j1)))
       permutations (int i, int n, int arr(n7) {

if (i = = n) {

print arr 1 & return }
     \begin{cases} v(j=i; j \leq n; j^{+*}) & \\ swap(avv(i), avv(i)) \\ purmutations(1+1, n, avv) \\ suap(avv(i), avv(i)) \end{cases}
permutations (3,2,arr)

permutations (3,3,4x)

permutations (2,3,4x)

permutations (2,3,4x)

permutations (2,3,4x)

permutations (2,3,4x)

permutations (2,3,4x)

permutations (2,3,4x)

permutations (1,3,4x)

permutations (1,3,4x)

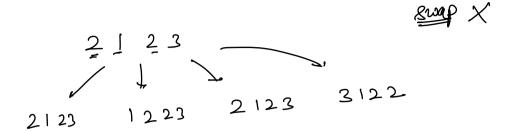
permutations (1,3,4x)

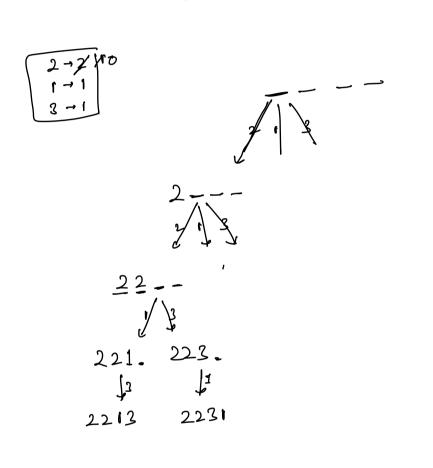
permutations (1,3,4x)

permutations (1,3,4x)

permutations (1,3,4x)
```

Duplicates ?





```
void permutations ( & , n, arr, freq.) \S

if ( i==n) \S

for ( traverse^{-in} the hashmap) \S

if ( traverse^{-in} the hashmap) \S

arr (i) = \pi

Im [\pi] --

permutations ( i+1, n, arr, freq)

hm [\pi] ++

\S

\S
```

## Structure

```
Junc Jenne Backkarling

Ty all the options of

recurring all

recurring all

recurring and

recu
```