

Google.

Q1) Infinite stream of characters,

After a new character comes, check if the current stream of characters forms a palindromic string or not.

a	✓
ab	x
abc	x
abcb	x
abcba	✓
⋮	⋮

Idea-1 → After every new character, check if current string is a palindrome or not.

palindrome.

$$\boxed{s = \text{rev}(s)}$$

↓ map
integer value?

Rolling hash
Can help?

$$\begin{array}{lcl} & a & b & c & b & a \\ & \downarrow & \downarrow & \downarrow & \downarrow & \downarrow \\ \text{forward hash:} & p^4 & p^3 & p^2 & p^1 & p^0 & \{ a \cdot 26^4 + b \cdot 26^3 + c \cdot 26^2 + b \cdot 26^1 + a \cdot 26^0 \} \\ \text{backward hash} & p^0 & p^1 & p^2 & p^3 & p^4 & \{ a \cdot 26^4 + b \cdot 26^3 + c \cdot 26^2 + b \cdot 26^1 + a \cdot 26^0 \} \end{array}$$

$\{ F.H = B.H \} \Rightarrow$ string is palindrome.

	<u>F.H.</u>	<u>B.H.</u>
<u>a</u> .	$a * p^0$	$a * p^0$
<u>a</u> <u>b</u>	$a * p^1 + b * p^0$	$a * p^0 + b * p^1$
<u>a</u> <u>b</u> <u>c</u>	$a * p^2 + b * p^1 + c * p^0$	$a * p^0 + b * p^1 + c * p^2$

$p = 26$

$$F.H_{new} = F.H_{old} * p + \text{new-character.}$$

$$B.H_{new} = B.H_{old} + \text{new-character} * p^{\text{length}-1}$$

$$F.H_{new} == B.H_{new} \Rightarrow \text{palindrome.}$$

if there are N characters $\rightarrow T.C \rightarrow O(N)$

Q: find length of longest substring which contains all unique / distinct elements.

ch[] → [a e b c a b g e b @ # g b k d b #]
 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16
 [ans=6]

idea-1. Consider all the substrings & find longest substring with distinct characters.

$$\frac{N(N+1)}{2} * N \Rightarrow T.C \rightarrow O(N^3)$$

idea-2.

```

for (i = 0; i < N; i++) {
    HashSet<char> hs, l = 0
    for (j = i; j < N; j++) {
        if (s[j] is already present in the hs) {
            update ans & break
        }
        {
            l++
            hs.insert(s[j])
        }
    }
}

```

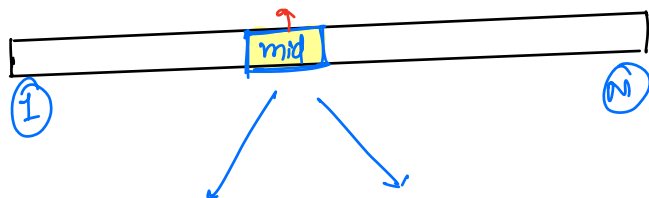
[T.C → O(N²).]

$N \log N$
 → Sorting X
 → B.C

idea 3

Binary Search
(on length) → target = length of longest substring containing unique characters
→ search space = length [1 to N]
→ condition =

check → [s.w.] using hashmap = O(N)



Substring with len=mid is not possible which contains all the unique elements.

Go to left:
right = mid - 1

Substring with len=mid is there which contains all the unique elements.

update ans.

Go to right:
left = mid + 1

$\left\{ \begin{array}{l} T.C \rightarrow O(N \log N) \\ S.C \rightarrow O(N) \end{array} \right\}$

idea.4

Q.4

ch[] → [a e b c a b g c b @ # g b k d b #]

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16

↑

~~a, e, b, c, g~~
~~e, @, #, k, d~~
#

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pseudo-code -

```
i=0, j=0, HashSet<char> hs;
```

$$a_{ns} \approx 0$$

```
while ( j < n ) {
```

```

if ( s[j] is already present in hs ) {
    ans = max( ans, j-i )
    while ( s[i] != s[j] ) {
        remove s[i] from hs
        i++
    }
    i++ , j++
}
else {
    add s[j] to hs , j++
}
}

```

$$\left\{ \begin{array}{l} T.C \rightarrow O(N) \\ S.C \rightarrow O(N) \end{array} \right\}$$

{ Break → 11:43 → 11:50 AM }

```

4     ans = Math.max(ans, j-i);
return ans;

```

Q: Count all permutations of A in B as substrings.

A: a b c

B: a b c b a c a b c [ans = 5]

idea: Permutations →

a b c
a c b
b a c
b c a
c a b
c b a

(backtracking)

Generate all permutation & for every permutation find how many times that permutation is present in B as substring.

T.C → $O(n! * n)$

observation

[For every permutation → frequency of each character in all the permutation will remain same.]

length

(N)

A: a c a

(M)

B: a c a a b z c a a

[ans = 3]

freq →

a	b	c	d	...	z
↓	↓	↓	↓		↓
2	0	1	0		0

freq →

a	b	c	d	...	z
↓	↓	↓	↓		↓
2	0	1	0		1
2	1	0	1		0
1	0	1	0		0

pseudo-code

farr[26]; // hashmap ✓

```
for (i = 0; i < N; i++) {  
    ch = A[i]  
    farr[ch - 'a']++  
}
```

N

cfarr[26];

```
for (i = 0; i < N; i++) {  
    ch = B[i]  
    cfarr[ch - 'a']++  
}
```

N

compare (farr, cfarr) { count++ } → 26.

s = 1, e = N.

while (e < m) {

```
    cfarr[B[s-1] - 'a']--; // excluding s-1th ch  
    cfarr[B[e] - 'a']++; // including eth ch  
    compare(farr, cfarr) { count++ }  
    s++, e++;
```

(m-n)
+
26

return count;

T.C → (m-n) * 26.

A : a b c { N }
 B : a b c b a c a b c { M }

curr-freq.

a	b	c
↓	↓	↓
1	0	0
0	1	1
1	2	0
2	1	1
1	0	0
1	1	1

need = ~~2~~ ~~1~~ ~~1~~
~~2~~ ~~0~~ ~~0~~
~~1~~ ~~1~~ ~~1~~
~~0~~ ~~0~~ ~~0~~

req-frequency.

a	b	c
↓	↓	↓
1	1	1

count = ~~2~~ ~~2~~ ~~3~~ 4 5.

pseudo-code:

need = A.length(), count = 0

req-farr[26];

```
for (i = 0; i < N; i++) {  
    ch = A[i]  
    req-farr[ch - 'a'] ++  
}
```

Creating required
frequency arr.

(N)

// Create the first window

cfarr[26];

```
for (i = 0; i < N; i++) {  
    if (cfarr[B[i] - 'a'] < req-farr[B[i] - 'a']) {  
        need --  
        cfarr[B[i] - 'a'] ++  
    }  
}
```

// it is fulfilling our
need.

(N)

if (need == 0) { count++ }

s = 1, e = N

while (e < m) { // exclude B[s-1], include B[e]

if (B[e] != B[s-1]) {

if (cfarr[B[e] - 'a'] < req-farr[B[e] - 'a']) {
 need --

if (cfarr[B[s-1] - 'a'] <= req-farr[B[s-1] - 'a']) {
 need ++

cfarr[B[e] - 'a'] ++, cfarr[B[s-1] - 'a'] --;

if (need == 0) { count++ }

s++, e++

return count;

$m = N$

S.C $\rightarrow O(1)$

T.C $\rightarrow O(N + m)$

H.W.

Q1 find the shortest substring in A which contains all the characters of B.

A: A D O B E C O D E B A N C

B: A B C

→ prev 2 questions.

curr

A	B	C	D	E	-	N	-	O	-	-	Z
2	1	1	1	1	1	1	1	1	1	1	1
1	1	1	1	1	1	1	1	1	1	1	1
0	2	0	2	2	0	0	0	2	0	0	0
1	1	1	1	1	0	0	0	1	0	0	0

need = 2

2 1
1 0
0 1

req. curr

A	B	C	D
1	1	1	0

ans = 6.6.4