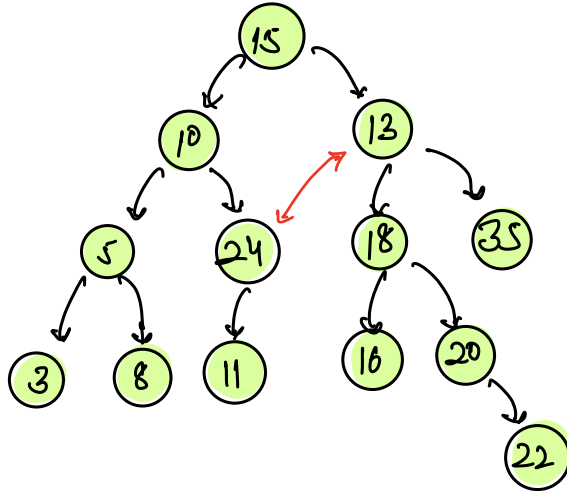


Q. Given root of BST. Two nodes are swapped in given B.S.T, find those two nodes.

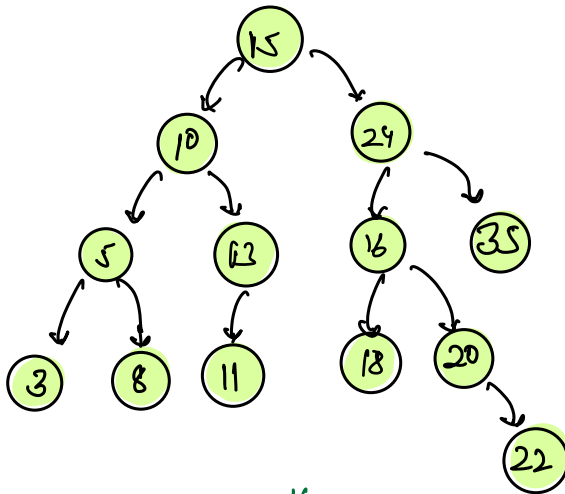


24, 13.

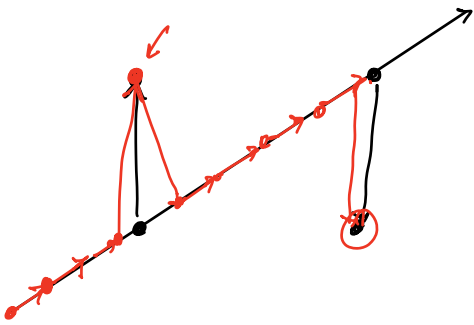
arr $\rightarrow [3, 5, 8, 10, 11, 14, 15, 16, 18, 20, 22, 23, 35]$

3, 5, 8, 10, 11, 24, 15, 16, 18, 20, 22, 13, 35

24, 13.


$$\left[\begin{array}{l} \text{T.C} \rightarrow O(N) \\ \text{S.C} \rightarrow O(N) \end{array} \right]$$

in $\rightarrow [3, 5, 8, 10, 11, 13, 15, \boxed{16, 18}, 20, 22, 24, 35]$



idea \rightarrow 2. \rightarrow Since you are looking for adjacent nodes only.
Use prev & curr strategy

prev = NULL, Node first = NULL, second = NULL

find (Node curr) {

if (curr == NULL) { return; }

find (curr.left);

if (prev != NULL && curr.data < prev.data) {

if (first == NULL) { first = prev; }

second = curr;

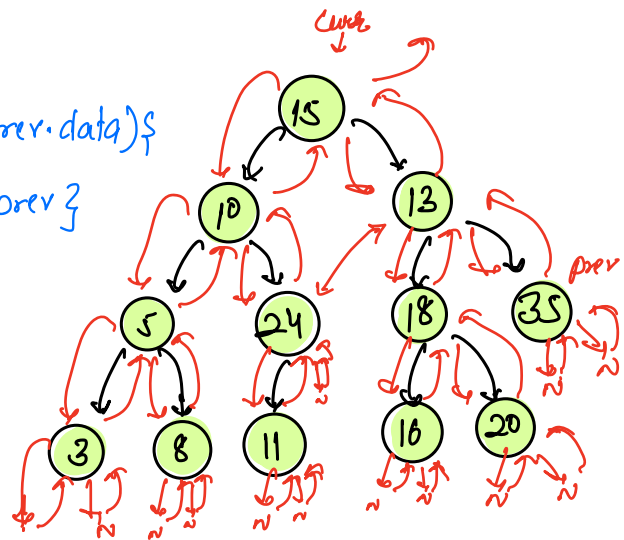
prev = curr;

find (curr.right);

}

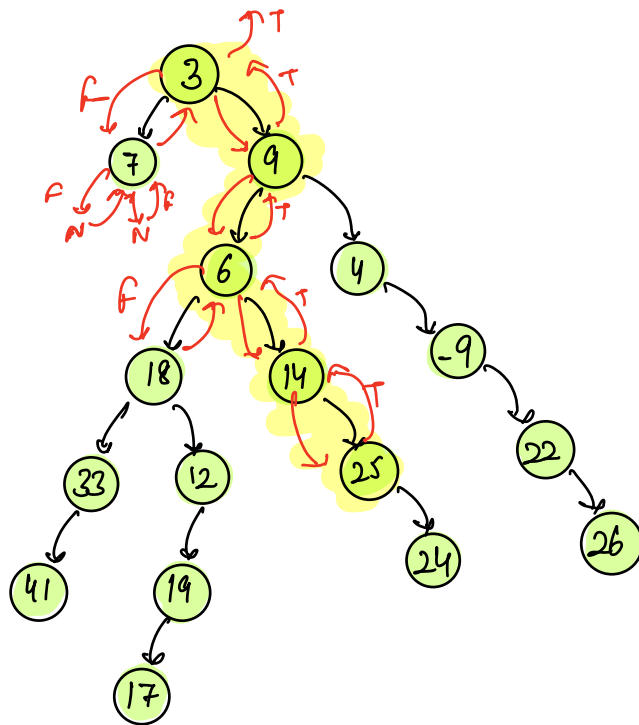
prev, first, second \rightarrow NULL

24.
13



[T.C \rightarrow O(N) , S.C \rightarrow O(H)]

Recursive Stack ht.



Binary Tree.

Search (25).

↓
pre-order traversal

[3, 9, 6, 14, 25].

```
boolean search (Node root, int K) {
```

```
    if (root == NULL) { return false; }
```

```
    if (root.data == K) { return true; }
```

```
    return search (root.left, K) || search (root.right, K)
```

```
}
```

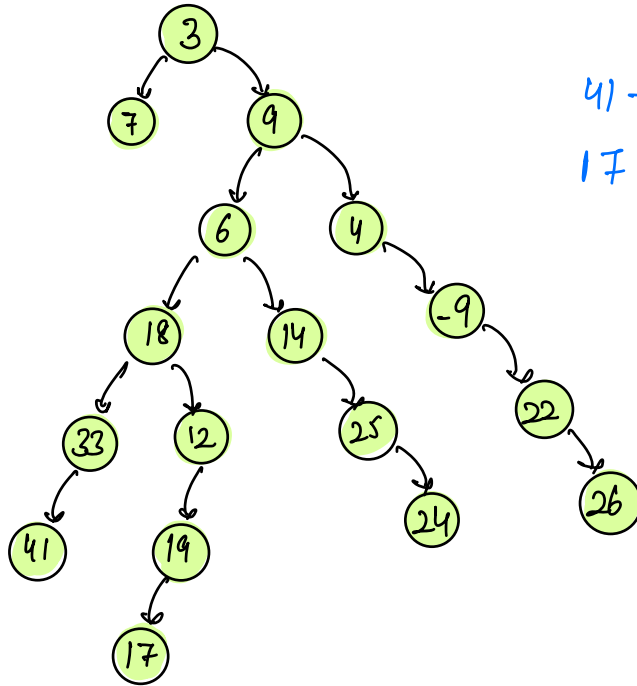
path from root to node.

```
boolean search (Node root, int k, list<int> path) {  
    if (root == NULL) { return false; }  
    if (root->data == k) { path->insert(root->data); return true; }  
    if (search(root->left, k) || search(root->right, k)) {  
        path->insert(root->data);  
        return true;  
    }  
    return false;  
}
```

//reverse the list to get path from root to node.

Lowest Common Ancestor (L.C.A)

41 and 17



41 → [3, 9, 6, 18, 33, 41]

17 → [3, 9, 6, 18, 12, 19, 17]

$\text{lca}(41, 17) \rightarrow \underline{18}$

$\left[\begin{array}{l} \text{T.C} \rightarrow O(N) \\ \text{S.C} \rightarrow O(N+H) \end{array} \right]$
↓
 $O(H)$ H to do.

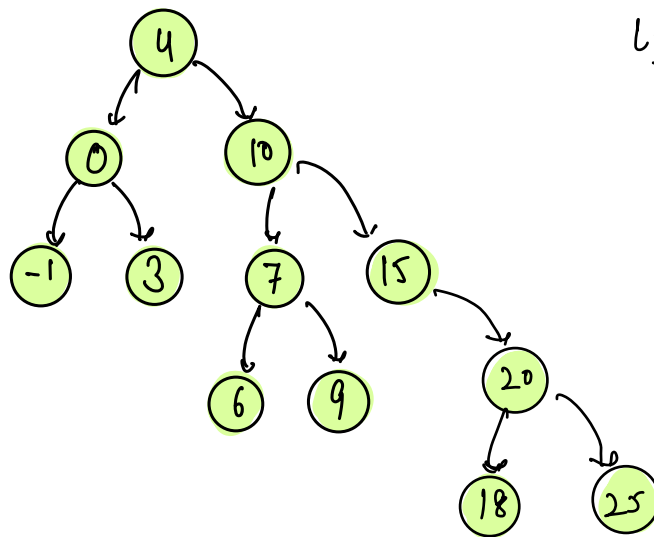
$\text{L.C.A}(x, y)$

① → root to node path (x)

② → root to node path (y)

③ → traverse the path until first non-common ancestor.

L.C.A in B.S.T.



L.C.A(6, 20)

L.C.A(x, y)

Node curr = root;

while (curr != null) {

if (x < curr.data && y < curr.data) {

curr = curr.left

{
2

else if (x > curr.data && y > curr.data) {

curr = curr.right

{
2

else {

return curr;

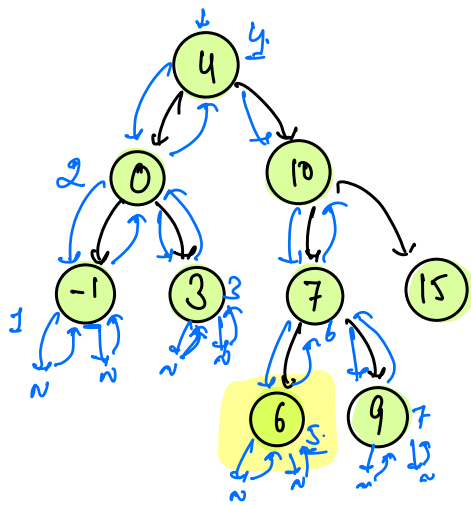
{
2

}

B.B.T. $\rightarrow O(\log_2 N)$

{
T.C $\rightarrow O(H)$
S.C $\rightarrow O(1)$
}

Q1 Find k^{th} smallest element in B.S.T.



$$K = 3 \Rightarrow (3)$$

$$K = 5 \Rightarrow (6)$$

$$K = 8 \Rightarrow (10)$$

Count $\rightarrow 0$.

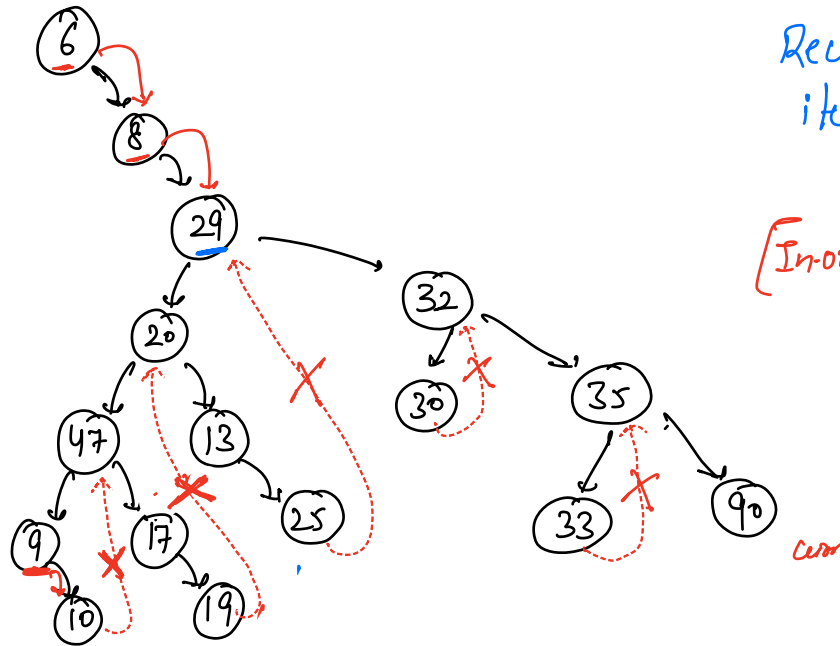
idea-1. in-order & store elements in arr[].
return arr[K-1];

T.C $\rightarrow O(N)$
S.C $\rightarrow O(N)$

idea-2 On the fly, we can maintain a count. $\left\{ \begin{array}{l} \text{T.C} \rightarrow O(N) \\ \text{S.C} \rightarrow O(1) \end{array} \right\}$

In-order Traversal of Binary Tree in $SC \rightarrow O(1)$

(Morris In-Order Traversal)



6, 8, 9, 10, 47, 17, 19, 20, 13, 25, 29, 30, 32, 33, 35, 40.

curr;
Node temp = curr.left
while(temp.right != null)
{
temp = temp.right
}
temp.right = curr;

pseudo-code.

Node curr = root;

while (curr != NULL) {

if (curr.left == NULL) {

print(curr.data);

curr = curr.right

}

else {

pred = curr.left

while (pred.right != NULL && pred.right != curr) {

[pred = pred.right

if (pred.right == NULL) {

// create the connection

pred.right = curr, curr = curr.left

} else {

// break the connection

pred.right = null

print(curr.data);

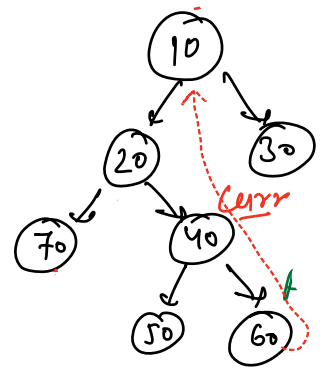
curr = curr.right

}

}

}

$\left[\begin{array}{l} T.C \rightarrow O(N) \\ S.C \rightarrow O(1) \end{array} \right]$



70, 20,

→ in-order

→ pre-order in $O(1)$ space (#todo)