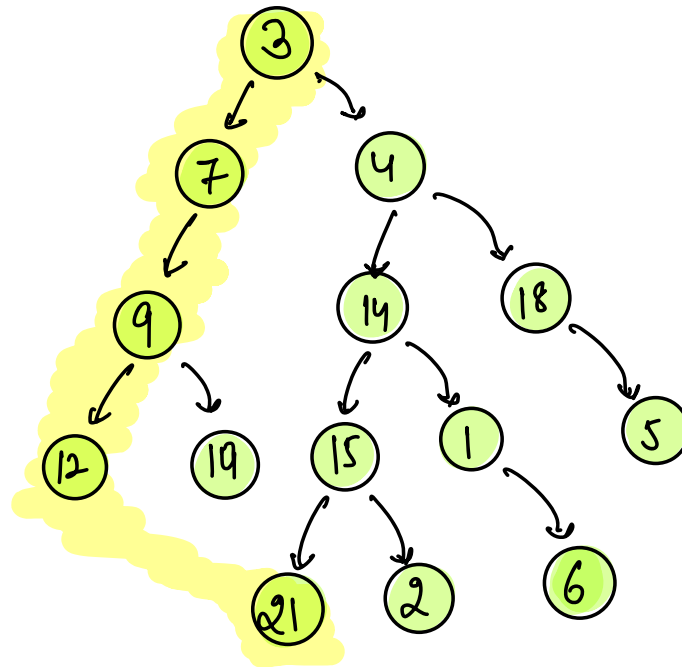
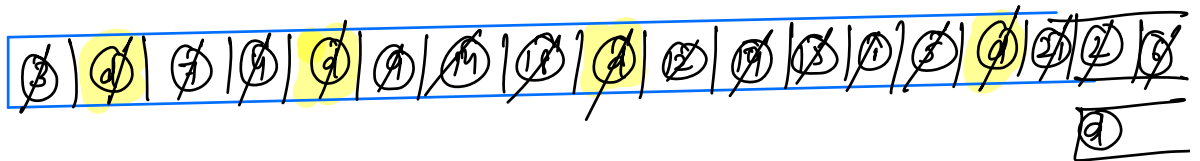


Left View



Idea:- Print the first node of each & every level.



o/p:- [3, 7, 9, 12, 21]

print 1st node after every dummy node in level-order traversal line-wise.

pseudo-code -

Node dummy = new Node(-1);

Queue <Node> q = new ArrayDeque<>();

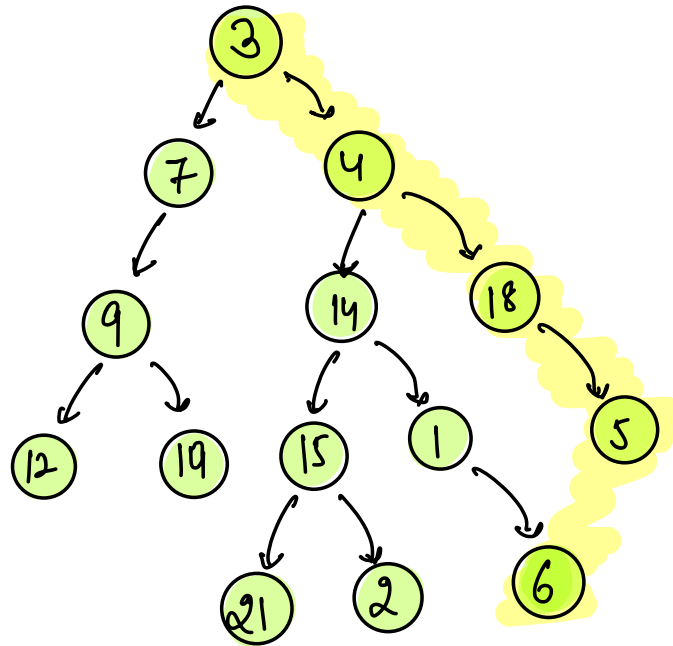
q.enqueue(root); q.enqueue(dummy);

print(root.data);

```
while (q.size() > 1) {  
    Node x = q.dequeue();  
    if (x == dummy) {  
        print(q.front().data);  
        q.enqueue(dummy);  
    } else {  
        if (x.left != null) { q.enqueue(x.left); }  
        if (x.right != null) { q.enqueue(x.right); }  
    }  
}
```

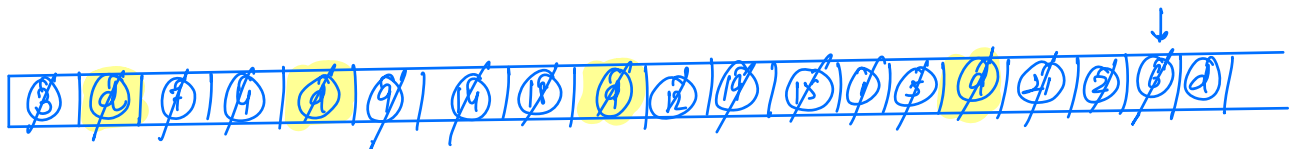
$\left[\begin{array}{l} \text{T.C} \rightarrow O(N) \\ \text{S.C} \rightarrow O(N) \end{array} \right]$

Right View



idea. → print the last element of each level.

↓
element present just before dummy node.



Node prev → NULL.

o/p. → [3, 4, 18, 5, 6]

#pseudo-code - 1.

```
Node dummy = new Node(-1);
```

```
Queue <Node> q = new ArrayDeque<>();
```

```
q.enqueue(root); q.enqueue(dummy);
```

```
Node prev = NULL;
```

```
while (q.size() > 1) {  
    Node x = q.dequeue();  
    if (x == dummy) {  
        print(prev.data);  
        q.enqueue(dummy);  
    } else {  
        if (x.left != NULL) { q.enqueue(x.left); }  
        if (x.right != NULL) { q.enqueue(x.right); }  
    }  
    prev = x; //update prev Node just before next iteration.  
}
```

$\left[\begin{array}{l} \text{T.C} \rightarrow O(N) \\ \text{S.C} \rightarrow O(N) \end{array} \right]$

```
print(prev.data); //?
```

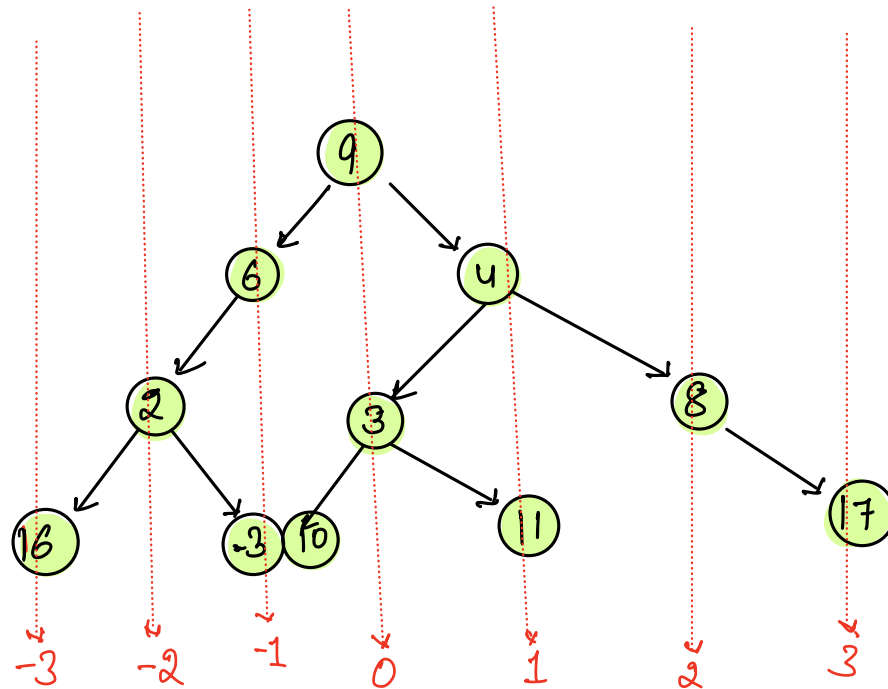
pseudo-code - 2.

```
Node dummy = new Node(-1);  
Queue <Node> q = new ArrayDeque<>();  
q.enqueue(root); q.enqueue(dummy);  
print(root.data);
```

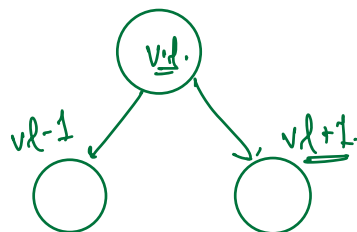
```
while (q.size() > 1) {  
    Node x = q.dequeue();  
    if (x == dummy) {  
        print(q.front().data);  
        q.enqueue(dummy);  
    } else {  
        if (x.right != null) { q.enqueue(x.right); }  
        if (x.left != null) { q.enqueue(x.left); }  
    }  
}
```

$\left[\begin{array}{l} \text{T.C} \rightarrow O(N) \\ \text{S.C} \rightarrow O(N) \end{array} \right]$

Vertical Order Traversal (top to bottom)



o/p \Rightarrow $\left[\begin{array}{c} 16 \\ 2 \\ 6 \quad -3 \quad 10 \\ 9 \quad 3 \\ 4 \quad 11 \\ 8 \\ 17 \end{array} \right]$

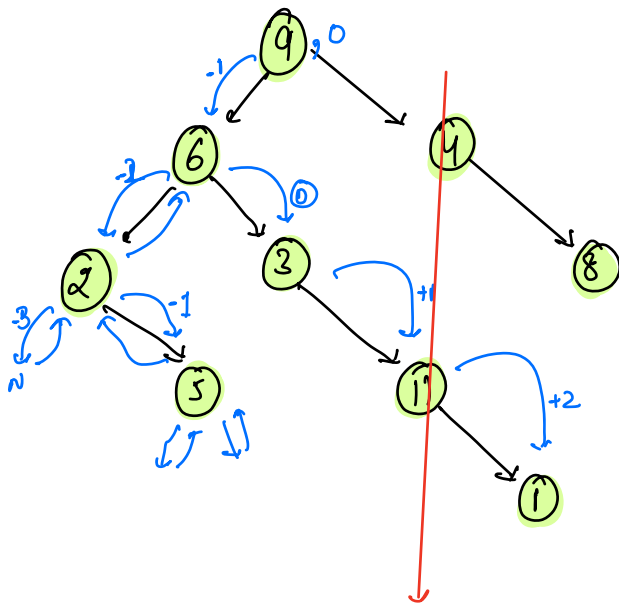


Hashmap

$\left\{ \begin{array}{l} 0 \rightarrow 9, 3 \\ -1 \rightarrow 6, -3, 10 \\ -3 \rightarrow 16 \\ -2 \rightarrow 2 \\ 3 \rightarrow 17 \\ 2 \rightarrow 8 \\ 1 \rightarrow 4, 11 \end{array} \right.$

\rightarrow pre-order

\rightarrow level-order

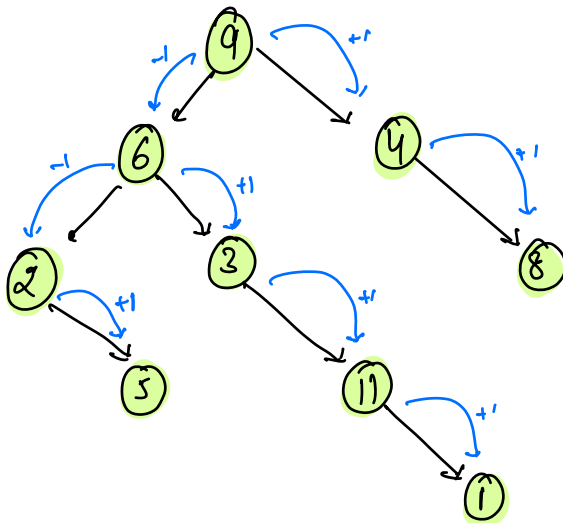


H.M.

0	→	(9, 3)
-1	→	(6, 5)
-2	→	(2)
+1	→	(11)
+2	→	(8)

int → list<Node>

pre-order can't help you with top-bottom.



int	list<Node>
0	→ (9, 3)
-1	→ (6, 5)
1	→ (4, 11)
-2	→ (2)
2	→ (8, 1)

(9/0)	(6/-1)	(4/1)	(2/-2)	(3/0)	(8/2)	(5/-1)	(11/1)	(1/2)
-------	--------	-------	--------	-------	-------	--------	--------	-------

minvl = -2, maxvl = +2.

for (i = minvl; i ≤ maxvl; i++)
 {
 get the corresponding data
 of i from HM
 }

pseudo-code -

Pair → Node
level

HashMap < integer, List<Node>> hm;

Queue < Pair > q;

q.enqueue({root, 0});

while(q.size() > 0) {

Node rp = q.dequeue();

if (hm.containsKey(rp.level)) {

hm[rp.level].add(rp.node);

} else {

List<Node> l;

l.add(rp.node);

hm.insert (rp.level, l);

key

value (List<Node>)

// insert left child { rp.node.left, rp.level - 1 }

// insert right child { rp.node.right, rp.level + 1 }

minvl = min(minvl, rp.level)

maxvl = max(maxvl, rp.level)

}

for(i = minvl ; i ≤ maxvl ; i++) {

// print the corresponding list.

}

T.C → O(N)
S.C → O(N)

Top view → first node of each vertical level.

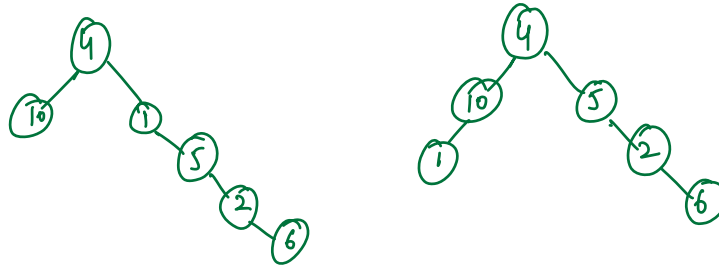
Bottom View → last node of each vertical level.

(# todo)

Construct Binary Tree.

① pre-Order → node left right.

4 10 1 5 2 6
↓
root



② post-Order left right Node.

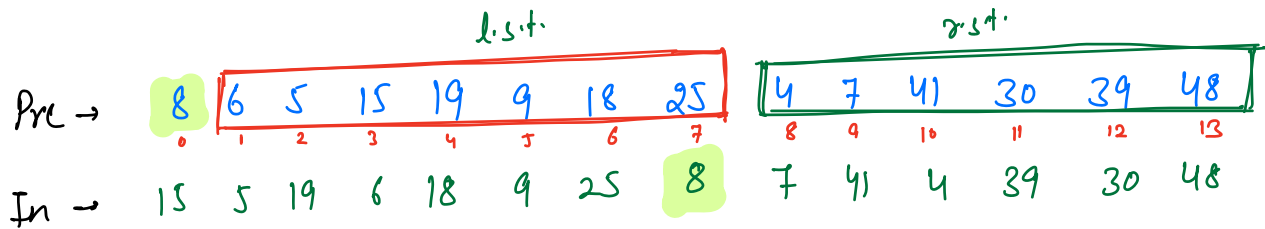
4 10 1 5 2 6.
 ↓
 root.

③ In-order left Node right.

4 10 1 5 2 6.

$\left[\begin{array}{ll} \text{pre} + \text{In} & \checkmark \\ \text{post} + \text{In} & \checkmark \end{array} \right]$

→ N. distinct elements.



8

Pre → 6 5 15 19 9 18 25

In → 15 5 19 6 18 9 25

6

Pre: 4 7 41 30 39 48

In: 7 41 4 39 30 48

4

Pre → 5 15 19

In → 15 5 19

5

Pre → 9 18 25

In → 18 9 25

9

Pre → 7 41

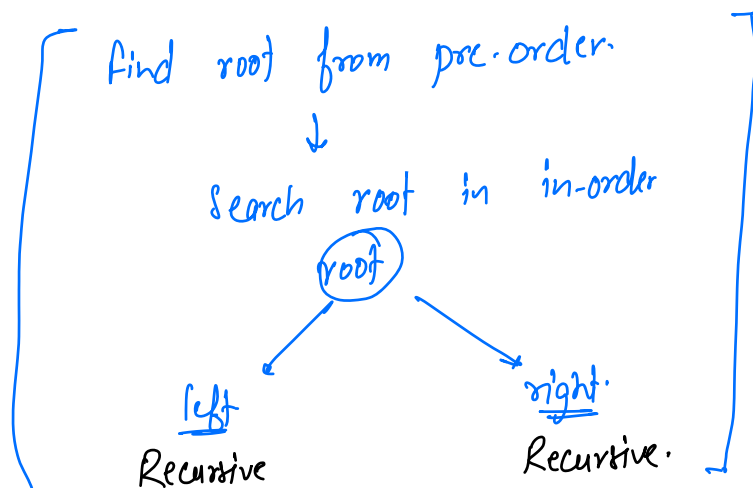
In → 7 41

7

Pre → 30 39 48

In → 39 30 48

30



Assumption: Construct the tree & return the root.

0 N-1 0 N-1

```
Node construct (pre[], in[], pre, pre, ins, inc) {
```

```
    if (pre > pre) { return NULL; }
```

```
    int val = pre[pre];
```

```
    Node root = new Node(val);
```

```
    // Search root in in-order (HashMap)
```

```
    int idx = -1;
```

```
    for (i = ins; i ≤ inc; i++) {
```

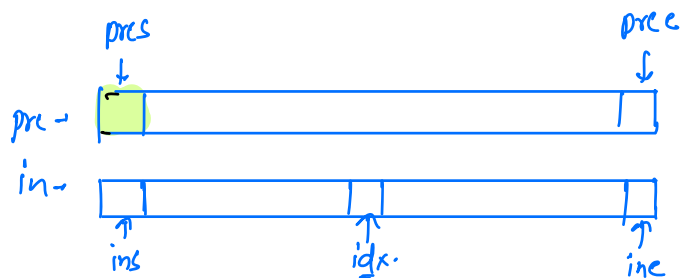
```
        if (in[i] == val) {  
            idx = i; break;  
        }
```

```
    l = idx - ins;
```

```
    root.left = construct (pre, in, pre+1, pre+l, ins, idx-1);
```

```
    root.right = construct (pre, in, pre+l+1, pre, idx+1, inc);
```

```
    return root;
```



$$\begin{aligned} \text{no. of elements in list} &= [\text{ins}, \text{idx}) \\ &= \text{idx} - \text{ins}. \end{aligned}$$

$$\begin{array}{l} \text{T.C} \rightarrow \{ \# \text{ to do} \} \\ \text{S.C} \rightarrow \end{array}$$

