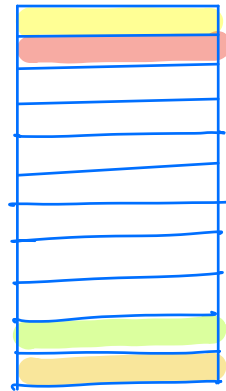
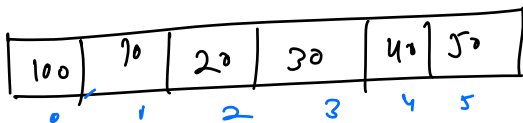
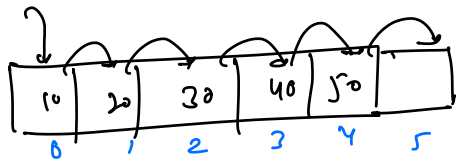


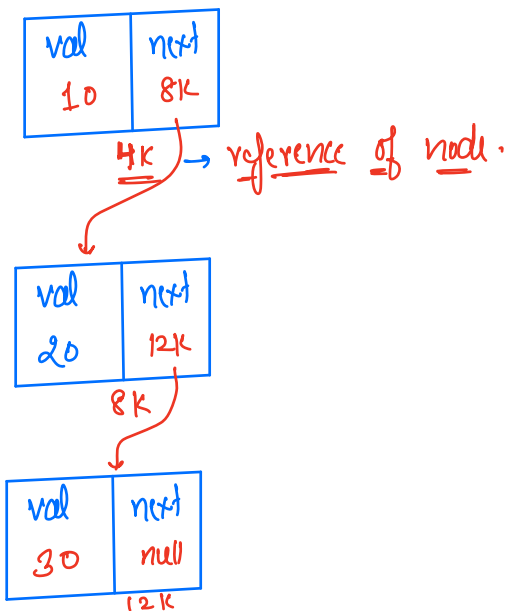
Arrays → contiguous memory location ⇒ random access time
↓
 $O(1)$

Linked-list →



insertion/deletion

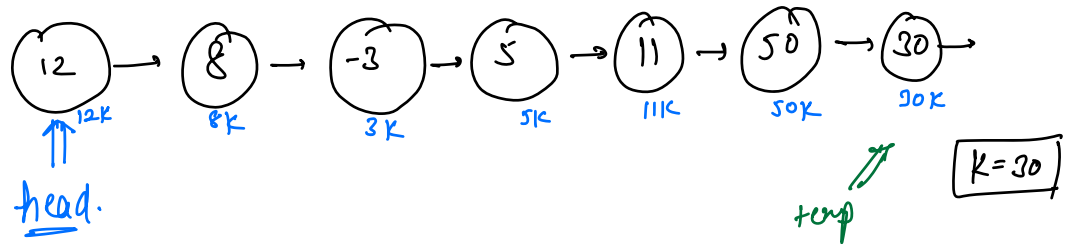
Node a = new Node(10);
Node b = new Node(20);
a.next = b;



```
class Node {  
    int val;  
    Node next;  
  
    Node(int x) {  
        val = x;  
        next = null;  
    }  
}
```

Node c = new Node(30);
b.next = c;

Q Search for a given element K in the linked list.

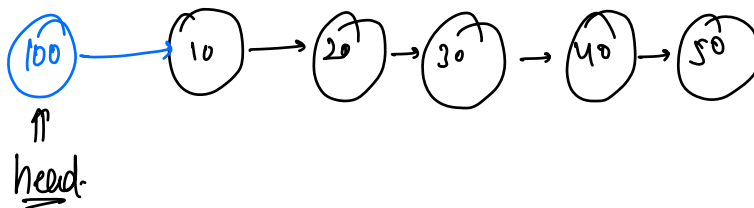
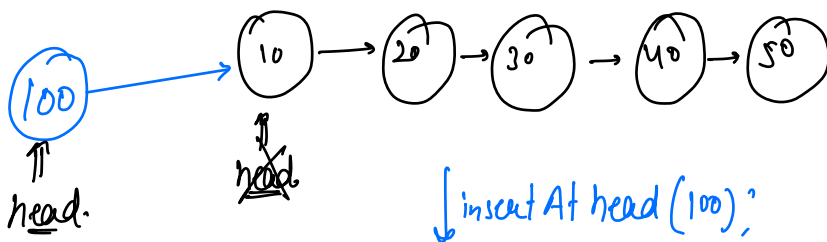


① Never ever have
head to traverse
the linked list.

```
if (head == null) { return false; }
Node temp = head;
while (temp != null) {
    if (temp.val == K) { return true; }
    temp = temp.next;
}
return false;
```

Insertion in LL

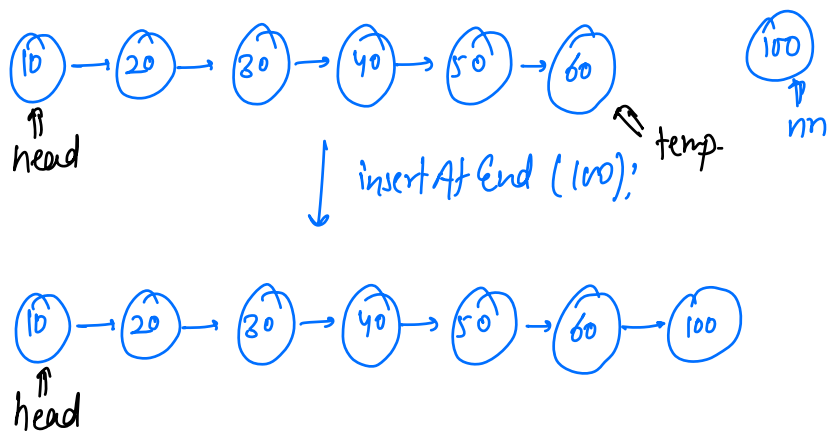
• At head.



pseudo-code

```
Node nn = new Node(100);  
nn.next = head;  
head = nn
```

• At the end



pseudo-code

```
Node nn = new Node(x);
```

```
Node temp = head;
```

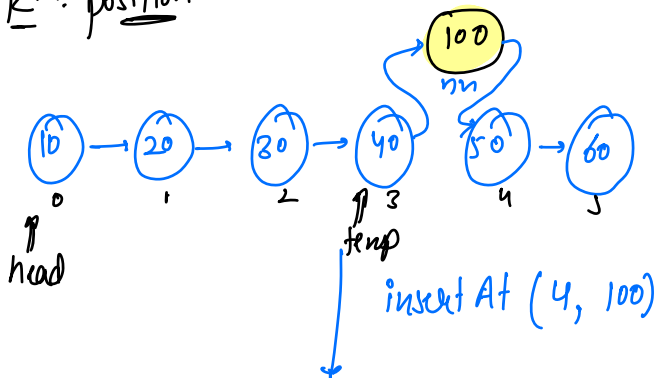
```
if (temp == null) { head = nn, return }
```

```
while (temp.next != null) {  
    temp = temp.next;  
}
```

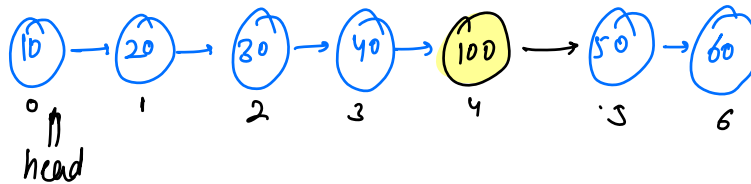
```
temp.next = nn;
```

$\left\{ \begin{array}{l} \text{T.C} \rightarrow O(N) \\ \text{S.C} \rightarrow O(1) \end{array} \right\}$

Insert At k^{th} position.



Node temp2 = temp.next
temp.next = nn
nn.next = temp2



pseudo-code -

Node nn = new Node(x);

if (head == null) { head = nn, return }

Node temp = head

//update it $k-1$ times.

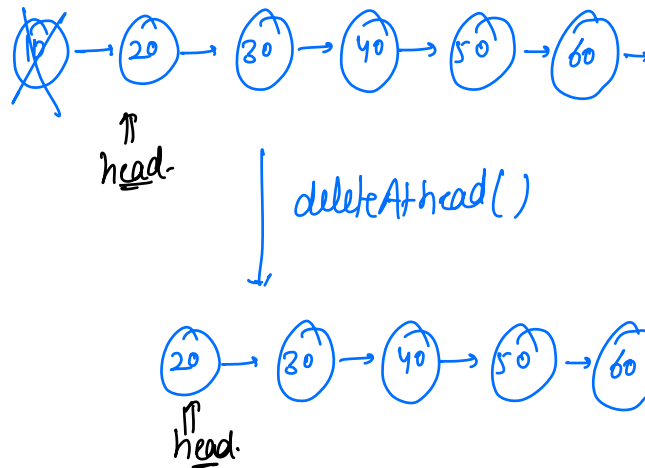
for (i = 1 ; i ≤ k-1 ; i++) {
temp = temp.next
}

nn.next = temp.next //creating right connection

temp.next = nn //creating left connection.

Deletion

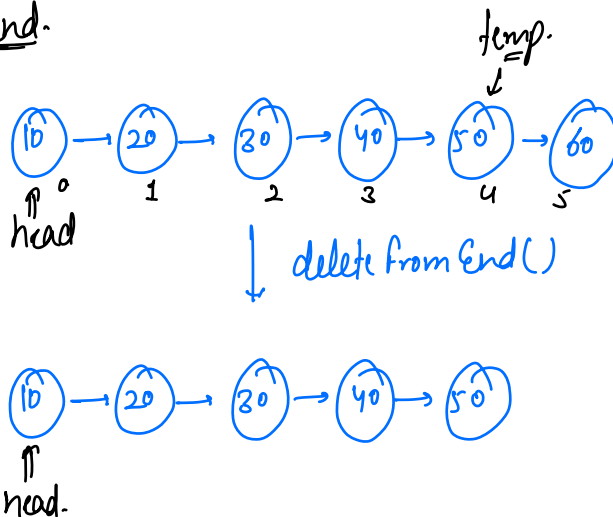
• At head.



pseudo-code.

```
if (head == null) { "List is empty";  
  head = head.next
```

• At End.



temp.next.next = null
last node

pseudo-code.

Node temp = head;

→
→

while(temp.next != null) {
 temp = temp.next
}

temp.next = null;

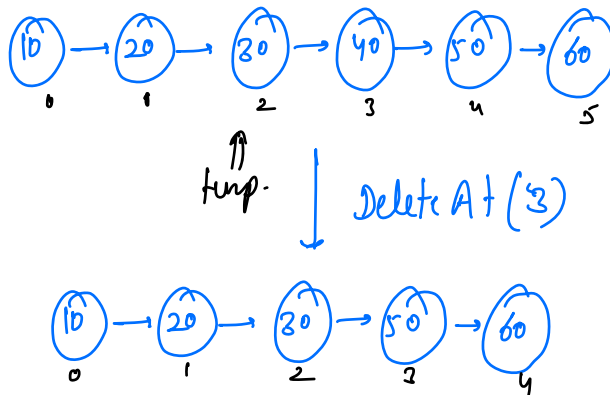
① length < 2.

Handle these
two edge-cases
on your own.

length = 1,

length = 0;

• Deletion At kth Index



pseudo-code.

Node temp = head.

for(i = 1 ; i ≤ k-1 ; i++) {
 temp = temp.next;

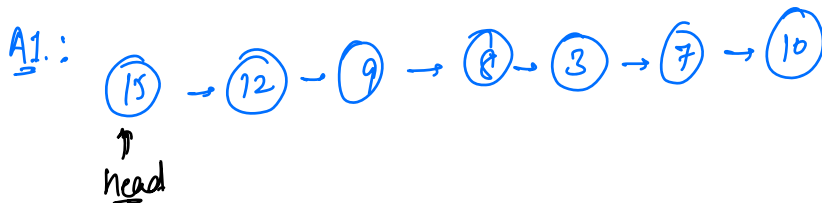
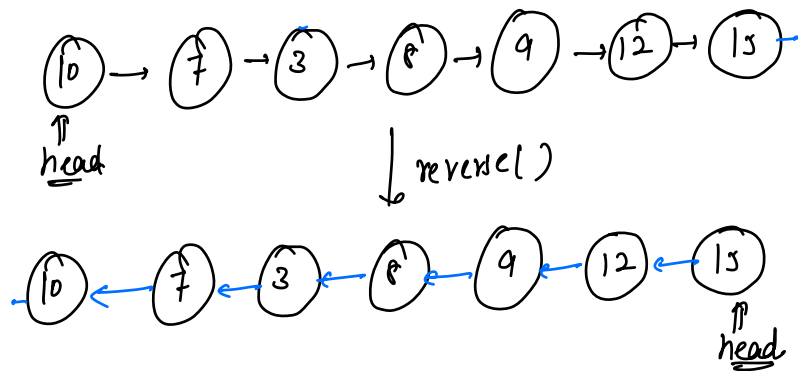
}

temp.next = temp.next.next

Think & handle
the edge-cases
(# todo).

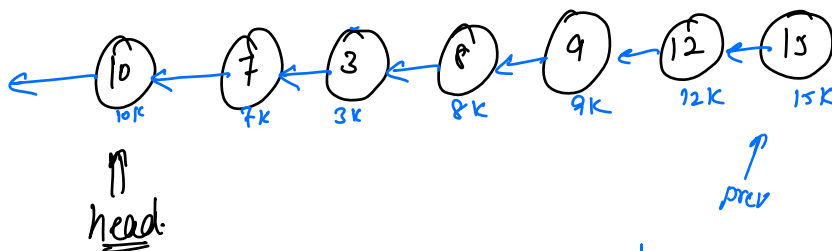
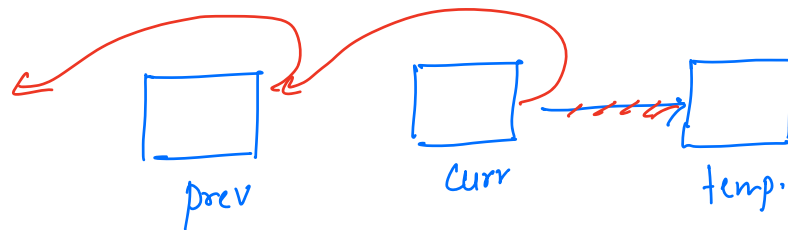
{ Break → 10:53 → 11:00 PM }

Reverse the linked-list



traverse on all the nodes and do add first.

T.C → $O(N)$, S.C → $O(1)$.



temp = null

prev	curr	
12K	15K	9K
curr = 15K null		
		12K

```

// Preserve curr.next (temp = curr.next)
curr.next = prev

[ prev = curr
  curr = temp ]

head = prev

```

pseudo-code :

```

prev = null, curr = head;

while( curr != null ){
    Node temp = curr.next
    curr.next = prev

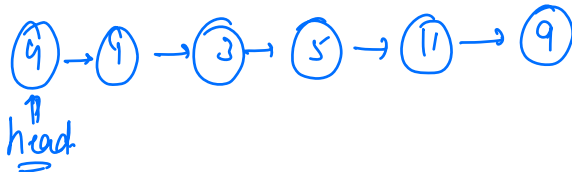
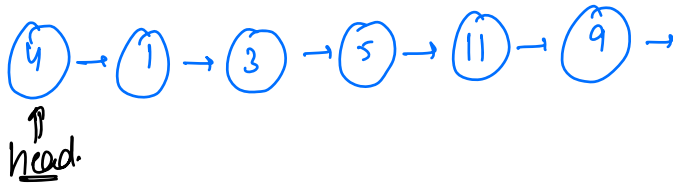
    prev = curr
    curr = temp
}

head = prev;

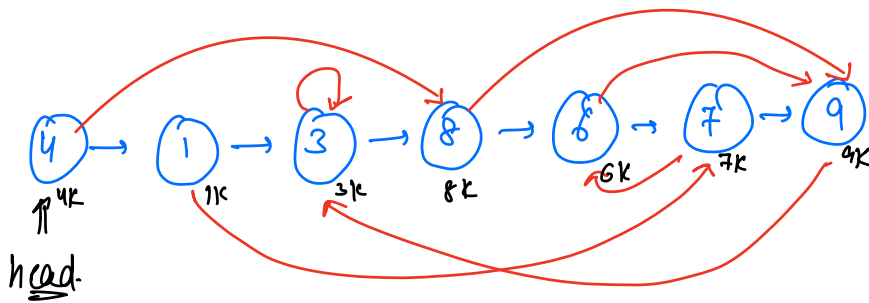
```

T.C $\rightarrow O(N)$
 S.C $\rightarrow O(1)$

Clone A Linked-List

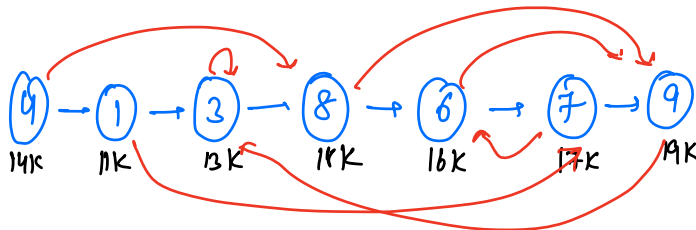


Clone A UnkedList With Random Pointer

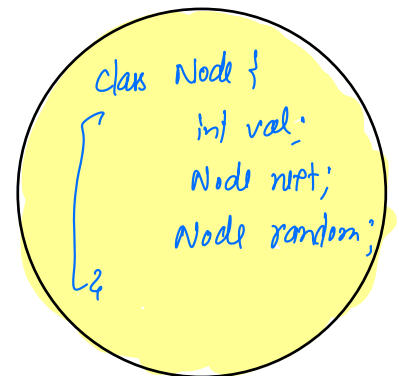


Idea-1

① Clone the l.l with next only.

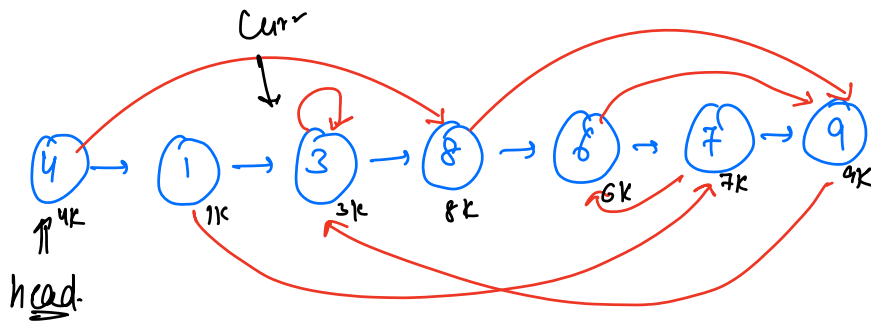


find the index of random node
in the original l.l, then traverse
upto that idx in c.l.l and set random pointer for
every node in the cloned linked list;

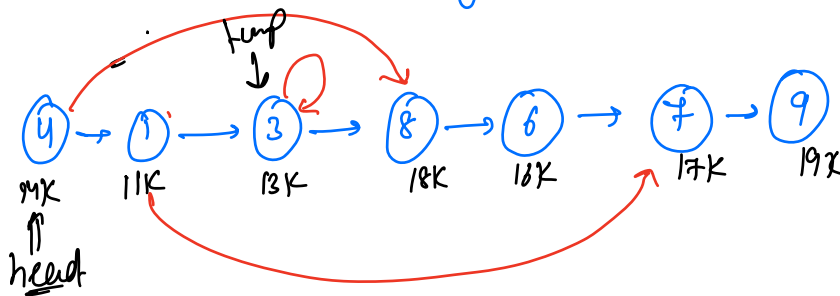


T.C $\rightarrow O(N^2)$

! for every old node, you know the ref of new Node
idea → Use Hashmap to store new Node against old Node



① Create a new linked only with next pointer & also create your Hashmap



old Node new Node

4K	→	14K
1K	→	11K
3K	→	13K
8K	→	18K
6K	→	16K
7K	→	17K
9K	→	19K

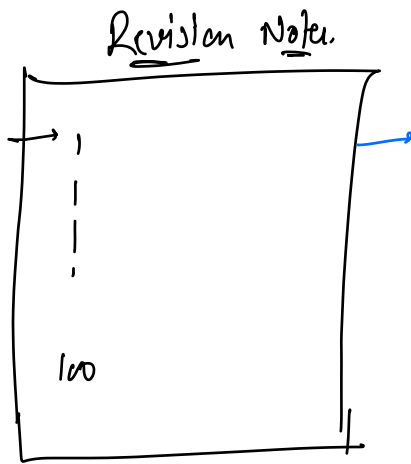
curr = head of o.l.l.
temp = head of c.l.l.

temp.random = hm[curr.random]

T.C → $O(N)$
S.C → $O(N)$

$O(1)$ S.C

L.L.
Trees



logic & pseudo-code
in the notes.