P1: Pwaneta 1 nt Llóada Pr: Paramte 2. C1: Curpo 1 de Ny b) order Notmal: $\beta^{=} (\lambda_{X}.((\lambda_{X}.\lambda_{Y}.X)X)) M N$ $\beta = ((\lambda_{x}.\lambda_{y}.x) M) N$ $= (\lambda_X, \lambda_Y, X) M N$ B = (XY.M) N (Se cluse martir et autra)

6) b) order Aplicativo;

$$C_1 = (\lambda_X . ((\lambda_X . \lambda_Y . x) x)) . Y$$
 $\beta = (\lambda_X . ((\lambda_X . \lambda_U . x) x)) . Y$
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$$= (\lambda y \cdot \lambda u \cdot y) M N$$

$$B = (\lambda u \cdot M) N$$

$$B = M \text{ order Applications.}$$