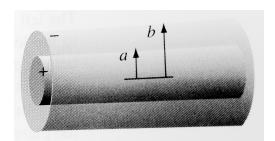
## Help:

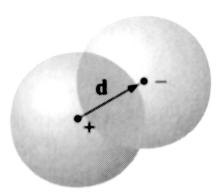
#### 2.16

A long coaxial cable (Fig 2.26) carries a uniform *volume* charge density  $\rho$  on the inner cylinder (radius a), and a uniform *surface* charge density on the outer cylindrical shell (radius b). This surface charge is negative and is of just the right magnitude that the cable as a whole is electrically neutral. Find the electric field in each of the three regions: (i) inside the inner cylinder (s < a), (ii) between the cylinders (a < s < b), (ii) outside the cable (s < b). Plot |E| as a function of s.



## 2.18

Two spheres, each of radius R and carrying uniform volume charge densities  $+\rho$  and  $-\rho$ , respectively, are placed so that they partially overlap (Fig 2.28). Call the vector from the positive center to the negative center **d**. Show that the field in the region of overlap is constant, and find its value. [*Hint*: Use the answer to Prob. 2.12.]



# 2.26 Wolfram OK

A conical surface (an empty ice-cream cone) carries a uniform surface charge  $\sigma$ . The height of the cone is h, as is the radius of the top. Find the potential difference between points  $\mathbf{a}$  (the vertex) and  $\mathbf{b}$  (the center of the top).

## 2.60

A point charge q is at the center of an uncharged spherical conducting shell, of inner radius a and outer radius b. *Question*: How much work would it take to move the charge out to infinity (through a tiny hole drilled in the shell)? [*Answer*:  $(q^2/4\pi\epsilon_0)(1/a)$ ]