

# SUMMARY

USC ID/s:

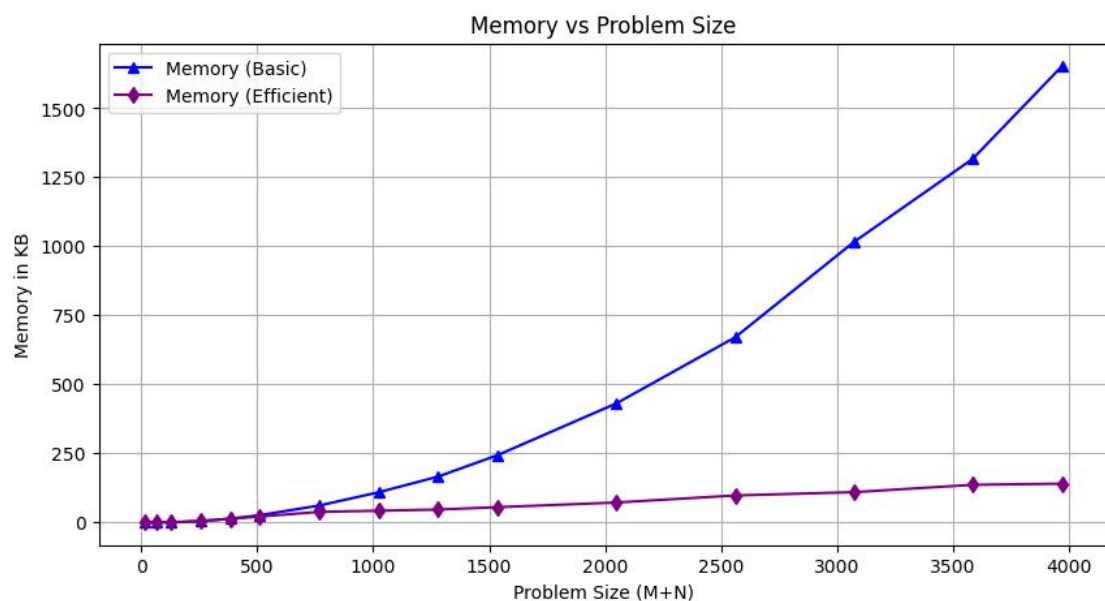
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## Datapoints

| M+N  | Time in MS (Basic) | Time in MS (Efficient) | Memory in KB (Basic) | Memory in KB (Efficient) |
|------|--------------------|------------------------|----------------------|--------------------------|
| 16   | 0.0042000003       | 0.09429                | 0.0                  | 0.0                      |
| 64   | 0.029029999        | 0.108219996            | 0.0                  | 0.0                      |
| 128  | 0.09124            | 0.27375                | 0.0                  | 0.0                      |
| 256  | 0.31559            | 0.73059                | 4.2472               | 4.2272                   |
| 384  | 0.62227            | 1.29262                | 13.1352              | 12.5928                  |
| 512  | 1.10543            | 1.42676                | 25.7904              | 20.9864                  |
| 768  | 1.37324            | 1.91994                | 60.7752              | 37.7672                  |
| 1024 | 1.74783            | 2.65959                | 108.8208             | 41.9824                  |
| 1280 | 2.24578            | 3.06519                | 165.58               | 46.2688                  |
| 1536 | 2.33858            | 3.24225                | 243.208              | 54.78                    |
| 2048 | 2.85203            | 3.94137                | 430.6584             | 71.656                   |
| 2560 | 3.40617            | 5.01149                | 670.104              | 97.1848                  |
| 3072 | 4.68989            | 6.00706                | 1015.5144            | 109.224                  |
| 3584 | 4.3863             | 7.30431                | 1316.7928            | 135.6968                 |
| 3968 | 5.64229            | 8.50355                | 1651.8271            | 139.9128                 |

## Insights

Graph1 – Memory vs Problem Size (M+N)



### *Nature of the Graph (Logarithmic/ Linear/ Polynomial/ Exponential)*

Basic: Polynomial

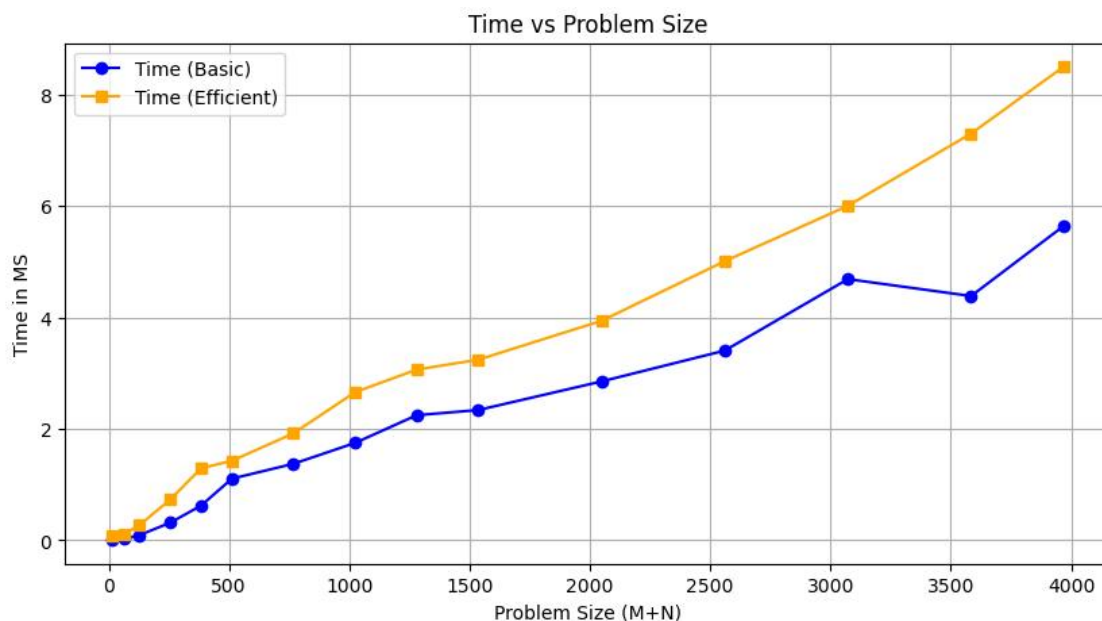
Efficient: Linear

#### *Explanation:*

The Basic algorithm uses a dynamic programming approach that requires an  $m \times n$  two-dimensional array  $dp$  to store intermediate results, where  $m$  and  $n$  are the lengths of the two input sequences, respectively. Therefore, the spatial complexity of this algorithm is  $O(mn)$ , which is polynomial.

The Efficient algorithm uses a divide-and-conquer strategy to recursively divide the problem into subproblems. At each level of recursion, it only needs a one-dimensional array of length  $m$  or  $n$  to store the intermediate result. Therefore, at any given time, the space required for this algorithm is  $O(\max(m, n))$ , which is linear.

Graph2 – Time vs Problem Size (M+N)



### *Nature of the Graph (Logarithmic/ Linear/ Polynomial/ Exponential)*

Basic: Polynomial

Efficient: Polynomial

#### *Explanation:*

Basic algorithm uses an algorithm based on dynamic programming, because  $m \times n$  two-dimensional array needs to be filled in the algorithm, so its time complexity is  $O(mn)$ , while Efficient algorithm uses a combination of divide and conquer dynamic programming, the two sequences are recursively divided into left and right halves. The cost of the optimal comparison results of the left and right halves is minimized, and the final time complexity should be  $O(2mn)$ . However, the running time of the efficient algorithm is higher than that of the basic algorithm, but it is not twice as long, which may be due to the following reasons:

1. The current data size is not large enough, the running time is affected by some constant factors.

2. The recursive way of Efficient algorithms can also incur additional overhead.

### Contribution

(Please mention what each member did if you think everyone in the group does not have an equal contribution, otherwise, write "Equal Contribution")

9015551525 : <Equal Contribution>

4675328960 : <Equal Contribution>

8157970159 : <Equal Contribution>