## Ontologies in computational biology

Robert Hoehndorf and Paul Schofield

#### Overview

Ontologies and the Semantic Web

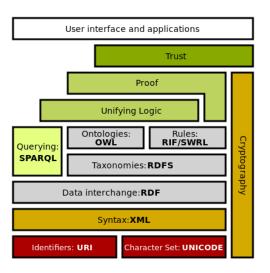
Ontologies and graphs

Semantic Similarity

Machine learning and ontologies

Applications

#### The Semantic Web



#### Description Logics: overview

- ► TBox: defines the terminology of the domain
- ► ABox: states facts (assertions) about the world
- ► Reasoning: derive implicitly represented knowledge (e.g., subsumption)

#### Description Logic: ALC

#### Definition

Let  $N_C$  be a set of concept names and  $N_R$  be a set of relation names,  $N_C \cap N_R = \emptyset$ .  $\mathcal{ALC}$  concept descriptions are inductively defined as:

- ▶ If  $A \in N_C$ , then A is an ALC concept description
- ▶ If C, D are ALC concept description, and  $r \in N_R$ , then the following are ALC concept descriptions:
  - $ightharpoonup C \sqcap D$
  - $ightharpoonup C \sqcup D$
  - **▶** ¬*C*
  - ▶ ∀r.C
  - **▶** ∃r.C
- ▶ We use  $\bot$  as abbreviation of  $A \sqcap \neg A$ ,  $\top$  as abbreviation of  $A \sqcup \neg A$

## Description Logic: ALC

#### Definition

An interpretation  $\mathcal{I} = (\Delta^{\mathcal{I}}, \cdot^{\mathcal{I}})$  consists of a non-empty domain  $\Delta^{\mathcal{I}}$  and an interpretation function  $\cdot^{\mathcal{I}}$ :

- ▶  $A^{\mathcal{I}} \subseteq \Delta^{\mathcal{I}}$  for all  $A \in N_C$ ,
- $\blacktriangleright \ r^{\mathcal{I}} \subseteq \Delta^{\mathcal{I}} \times \Delta^{\mathcal{I}} \text{ for all } r \in N_R$

The interpretation function is extended to  $\mathcal{ALC}$  concept descriptions as follows:

- $(C \sqcap D)^{\mathcal{I}} := C^{\mathcal{I}} \cap D^{\mathcal{I}}$
- $(C \sqcup D)^{\mathcal{I}} := C^{\mathcal{I}} \cup D^{\mathcal{I}}$
- $(\forall r.C)^{\mathcal{I}} := \{d \in \Delta^{\mathcal{I}} | \text{for all } e \in \Delta^{\mathcal{I}} : (d,e) \in r^{\mathcal{I}} \text{ implies } e \in \mathcal{C}^{\mathcal{I}} \}$

#### Description Logic: terminologies

- ▶ A concept definition is of the form  $A \equiv C$  where
  - ightharpoonup A is a concept name
  - C is a concept description
- ► A TBox is a finite set of concept definitions such that it
  - does not contain multiple definitions,
  - does not contain cyclic definitions
- ► A defined concept occurs on the left-hand side of a definition
- ► A *primitive concept* does not occur on the left-hand side of a definition
- ▶ An interpretation  $\mathcal{I}$  is a model of a TBox  $\mathcal{T}$  if it satisfies all its concept definitions:  $A^{\mathcal{I}} = C^{\mathcal{I}}$  for all  $A \equiv C \in \mathcal{T}$

## Description Logic: terminologies

- ► Also possible to use more general constraints for the definition of concepts
- ▶ A generalized concept inclusion (GCI) is of the form  $C \sqsubseteq D$  where C, D may be concept descriptions
- ▶ An interpretation  $\mathcal{I}$  is a model of a set of GCls  $\mathcal{T}$  (a general TBox) if it satisfies all its concept inclusion axioms:  $C^{\mathcal{I}} \subseteq D^{\mathcal{I}}$  for all  $C \sqsubseteq D \in \mathcal{T}$

## Description Logic: assertions

- An assertion is of the form C(a) (concept assertion) or r(a, b) (role assertion), where C is a concept description, r is a role, a, b are individual names from a set  $N_I$  of such names
- ► An ABox is a finite set of assertions
- ▶ An interpretation  $\mathcal{I}$  is a model of an ABox  $\mathcal{A}$  if it satisfies all its assertions:
  - ▶  $a^{\mathcal{I}} \in C^{\mathcal{I}}$  for all  $C(a) \in \mathcal{A}$
  - $ightharpoonup (a^{\mathcal{I}},b^{\mathcal{I}}) \in r^{\mathcal{I}} \text{ for all } r(a,b) \in \mathcal{A}$

#### Description Logic: ALC

- ightharpoonup  $\mathcal{ALC}$  can be seen as a fragment of FOL:
  - concept names are unary predicates, role names binary predicates
  - ► concept descriptions are formulas with one free variable
- ► the formulas resulting from transformation to FOL are known to be decidable (two-variable fragment)

# Web Ontology Language (OWL)

- ▶ OWL 2 is based on the Description Logic SROIQ(D)
- $\blacktriangleright$   $\mathcal{ALC}$  with
  - ▶ complex role inclusions:  $r \circ s \subseteq r$
  - ▶ role hierarchy:  $r \subseteq s$
  - ▶ role transitivity  $r \circ r \subseteq r$
  - ▶ nominals:  $\{a_1, ..., a_n\}$  as concept constructor
  - qualified number restrictions:  $(\leq nr.Q)$
  - ▶ datatype properties:  $\exists r. [\geq n(Integer)]$

## Terminology

- ▶ Instances
- ► Properties
  - Object properties
  - Datatype properties
- Classes
- ▶ Meta-classes
  - ► OWL Full
  - ► Punning
- Axiom
  - ► Class axioms: Subclass, Equivalent class, Disjoint class
  - ► Property axioms
- Ontology
- ► OWL: Web Ontology Language

#### Syntax

- ▶ originally an extension of RDF and RDF Schema
- several different syntaxes

Consider the axiom  $Parent \equiv Human \sqcap \exists hasChild. \top$ 

## Functional Syntax

```
EquivalentClasses(:Parent
   ObjectSomeValuesFrom(:hasChild owl:Thing))
```

## RDF/XML Syntax

## RDF Turtle Syntax

# OWL/XML Syntax

## Manchester OWL Syntax

Class: Parent
 EquivalentTo:
 hasChild some owl:Thing

# Manchester OWL Syntax

DL Syntax	Manchester Syntax	Example
$C \sqcap D$	C and D	Human and Male
$C \sqcup D$	C or D	Male or Female
$\neg C$	not C	not Male
∃ <i>R</i> . <i>C</i>	R some C	hasChild some Human
∀R.C	R only C	hasChild only Human
$(\geq nR.C)$	R min n C	hasChild min 1 Human
$(\leq nR.C)$	R max n C	hasChild max 1 Human
(= nR.C)	R exactly n C	hasChild exactly 1 Human
$\{a\}\sqcup\{b\}\sqcup$	{a b}	{John Robert Mary}

#### OWL classes and namespaces

- ▶ ⊥ is owl:Nothing
- ▶ ⊤ is owl:Thing
- ▶ owl: is a namespace (http://www.w3.org/2002/07/owl#)
- owl:Thing expands to http://www.w3.org/2002/07/owl#Thing (a class IRI)
- ▶ all OWL entities (ontologies, classes, properties, instances) are referred to by an IRI
- ▶ namespaces define a common (IRI-)prefix, e.g.,
  - ► rdf: http://www.w3.org/1999/02/22-rdf-syntax-ns#
  - ► rdfs: http://www.w3.org/2000/01/rdf-schema#
- can define own namespaces:

Namespace: mynamespace <a href="http://www.kaust.edu.sa#">http://www.kaust.edu.sa#</a>>Class: mynamespace:Student # http://www.kaust.edu.sa#Student

#### Object properties

- ► Object property characteristics:
  - ► transitive
  - ► symmetric, asymmetric
  - ► reflexive, irreflexive
  - functional, inverse functional
  - ► inverse of
- ► Domain and range

#### Annotation properties

- ► OWL entities (classes, properties, axioms, ontologies, etc.) can have annotations
- outside of OWL semantics (unless for OWL Full)
- useful to add labels, synonyms, explanation, (textual) definitions, authoring information, versions, etc.
- predefined: rdfs:label, owl:versionInfo, rdfs:comment, rdfs:seeAlso, rdfs:isDefinedBy
- ▶ Dublin Core

## **OWL** Reasoning

- Classification: compute the most specific sub- and super-classes for each named class in an OWL ontology
- ► Subsumption: find all sub-, super- or equivalent classes of an OWL class description
- ► Consistency: find contradictions in OWL knowledge base
- ► Instantiation: is a and instance of C?

# Complexity of reasoning in OWL

- ▶ OWL 2 ( $\mathcal{SROIQ}$ ) is 2NEXPTIME-complete
- ▶ OWL (1) (SHOIN) is NEXPTIME-complete
- ▶ OWL Lite (SHIF) is EXPTIME-complete

## OWL profiles

- ► OWL 2 EL: PTIME-complete
- ► OWL 2 RL: PTIME-complete
- ► OWL 2 QL: AC<sup>0</sup> w.r.t. data size

#### OWL 2 EL

- ► Class axioms:
  - ► subclass, equivalent class, disjoint class
- ► Object property axioms:
  - domain and range restrictions, property inclusion, property chains, property equivalence, transitive and reflexive properties
- Class descriptions:
  - intersection, existential quantification, enumerations to a single individual
- ► Assertions: all

## Why OWL?

- ► OWL exploits 20+ years of research on Description Logic
- ► well-defined semantics
- complexity and decidability well understood
- known algorithms
- scalability demonstrated in practise

## Why OWL?

Major benefit is the large number of tools and infrastructure:

- ► Editors: Protege, WebProtege
- ► Reasoners: HermiT, Pellet, FaCT++, **ELK**, KAON2, RACER,...
- ► Explanation, justification
- ▶ Modularization
- ► APIs (esp. the OWL API)

#### **OWL** vs Databases

Database	OWL Ontology
Closed World Assumption	Open World Assumption
Unique Name Assumption	No UNA
Schema constraints data structure	Axioms behave like inference rules

Based on slides by Ian Horrocks

- hasPet some owl:Thing SubclassOf: Human
- ► Phoenix SubclassOf: petOf only Wizard
- ► HarryPotter: Wizard
- ► DracoMalfoy: Wizard
- ► HarryPotter hasFriend RonWeasley
- HarryPotter hasFriend HermioneGranger
- ► HarryPotter hasPet Hedwig

Query: Is Draco a friend of Harry Potter?

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Query: Is Draco a friend of Harry Potter?

- ► DB: No
- ► OWL: Don't know

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- ► DB: 2
- ► OWL: At least 1

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- ► RonWeasley ≠ HermioneGranger
- ► HarryPotter: hasFriend only {HerminoeGranger RonWeasley}

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- ► OWL: 2

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#### Adding new facts:

- ► Dumbledore: Wizard
- ► Fawkes: Phoenix
- ► Fawkes isPetOf DumbleDore
- ▶ DB: Update rejects, constrain violation
- ➤ OWL: infer that Dumbledore is Human; infer that Dumbledore is a Wizard

## Ontology-based information systems

# Ontology like DB schema, instances like data Advantages:

- ► Relatively easy to maintain and update schema
- Query answers reflect both schema and data
- ► Can deal with incomplete information
- ► Answer intensional and extensional queries

#### Disadvantages:

- Semantic can seem counter-intuitive (OWA, UNA)
- ▶ Query answering (logical entailment) much more difficult

#### Hands-on part 1

- ► start Jupyter and open the Notebook
  - https://github.com/bio-ontology-research-group/ontology-tutorial/blob/master/ontology-analysis.ipynb
- ► run the "Reasoning with ontologies" part
  - ► then modify the code and retrieve all superclasses of "increased B cell apoptosis"
  - ▶ and then the superclasses of "B cell apoptotic process"

# Ontologies, axioms, and bioinformatics

- ► ontologies are ubiquitous
- ► rich formal characterization (axioms)
- ► can they also be used for data analysis?

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- ► Which genetic disease produces similar symptoms to ebola?
- ▶ Does functional similarity correlate with phenotypic similarity?

## Ontologies and graphs

- semantic similarity measures can be graph-based, feature-based, or model-based
- we may need to generate graphs from ontologies
  - ► *is-a* relations are easy
  - ▶ how about *part-of*, *regulates*, *precedes*, etc.?
- ► relational patterns are implicit in OWL axioms
  - ► in first order logic
  - ▶ needs to translate them into OWL
  - ► defined in OBO Relation Ontology

#### Relations as patterns

- ► OBO Relation Ontology (RO):
  - ▶ https://github.com/oborel/obo-relations
- ► Basic Formal Ontology (BFO):
  - provides top-level classes
    - Continuant, Process, Function, Material object, etc.
  - used for some OBO Foundry ontologies
- ▶ RO and BFO provide a top-level system of classes and relations shared across many biomedical ontologies
  - ▶ even GO, although somewhat hidden!
- ▶ this system defines patterns used to generate graphs

#### Relations as patterns

```
      ▶ X SubClassOf:
      Y: X \xrightarrow{\text{is-a}} Y

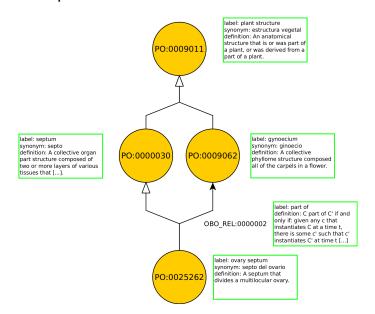
      ▶ X SubClassOf:
      part-of some Y: X \xrightarrow{\text{part-of}} Y

      ▶ X SubClassOf:
      regulates some Y: X \xrightarrow{\text{regulates}} Y

      ▶ X DisjointWith:
      Y: X \xleftarrow{\text{disjoint}} Y

      ▶ X EquivalentTo:
      Y: X \xleftarrow{\text{missiont}} Y, \{X, Y\}
```

#### Relations as patterns



#### Semantic similarity

- ▶ We want to use background knowledge in ontologies to
  - ► determine similarity between classes,
  - ► instances,
  - and entities with ontology annotations

- semantic similarity measures similarity between classes
- semantic similarity measures similarity between instances of classes
- semantic similarity measures similarity between entities annotated with classes
- ightharpoonup  $\Rightarrow$  reduce all of this to similarity between classes

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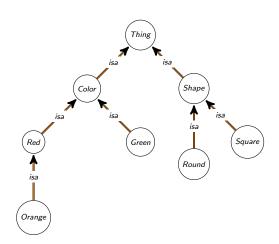
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  - ▶ weaker form: sim(x,x) > sim(x,y) for all  $x \neq y$

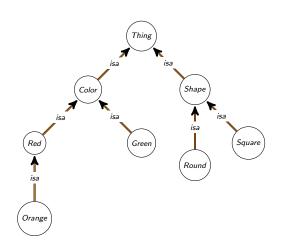
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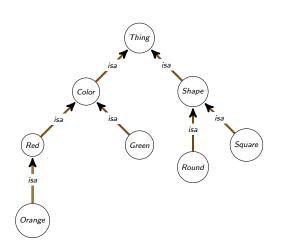
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- ightharpoonup sim(x,x) > sim(x,y) for  $x \neq y$
- ightharpoonup sim is a normalized similarity measure if it has values in [0,1]

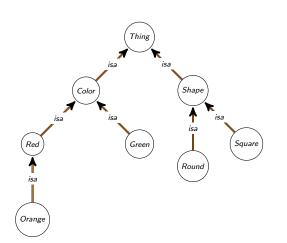




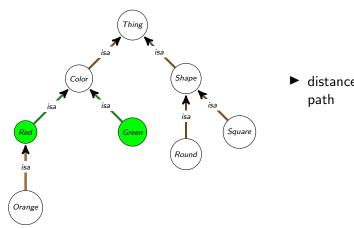
► distance on shortest path (Rada *et al.*, 1989)



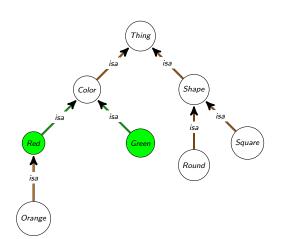
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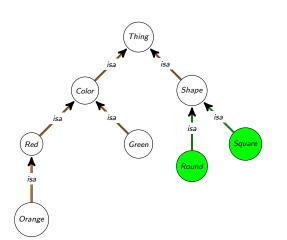
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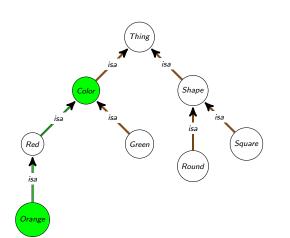
distance on shortest path



- distance on shortest path
- ▶ distance(green, red)
  = 2
- $sim_{Rada}(green, red) = \frac{1}{3}$



- distance on shortest path
- distance(square, round) = 2
- $sim_{Rada}(square, round) = \frac{1}{3}$



- distance on shortest path
- distance(orange, color) = 2
- $sim_{Rada}(orange, color) = \frac{1}{3}$

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- account for different edge types
  - non-uniform edge weighting

- ▶ term specificity measure  $\sigma: C \mapsto \mathbb{R}$ :

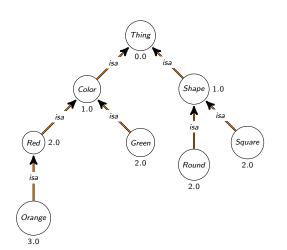
- ▶ term specificity measure  $\sigma: C \mapsto \mathbb{R}$ :
  - $ightharpoonup x \sqsubseteq y \to \sigma(x) \ge \sigma(y)$
- ► intrinsic:
  - $ightharpoonup \sigma(x) = f(depth(x))$
  - $ightharpoonup \sigma(x) = f(A(x))$  (for ancestors A(x))
  - $ightharpoonup \sigma(x) = f(D(x))$  (for descendants D(x))
  - ► many more, e.g., Zhou et al.:

$$\sigma(x) = k \cdot \left(1 - \frac{\log |D(x)|}{\log |C|}\right) + (1 - k) \frac{\log depth(x)}{\log depth(G_T)}$$

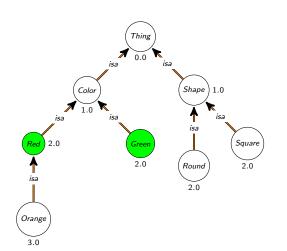
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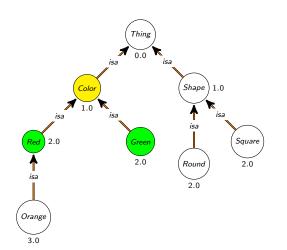
- extrinsic:
  - $ightharpoonup \sigma(x)$  defined as a function of instances (or annotations) I
    - note: the number of instances monotonically decreases with increasing depth in taxonomies
  - Resnik 1995:  $elC_{Resnik}(x) = -\log p(x)$  (with  $p(x) = \frac{|I(x)|}{|I|}$ )
    - in biology, one of the most popular specificity measure when annotations are present



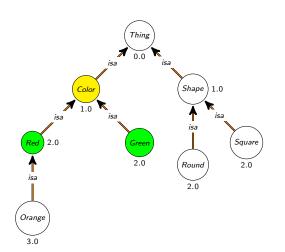
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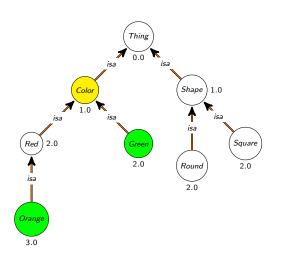
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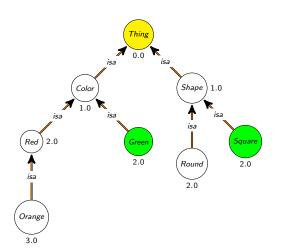
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- ► Resnik 1995: similarity between *x* and *y* is the information content of the *most* informative common ancestor
  - $sim_{Resnik}(Green, Red) = 1.0$

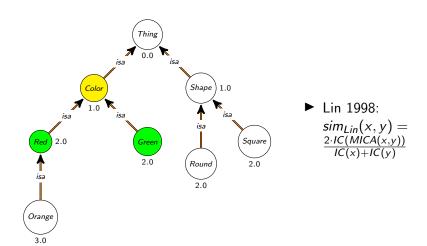


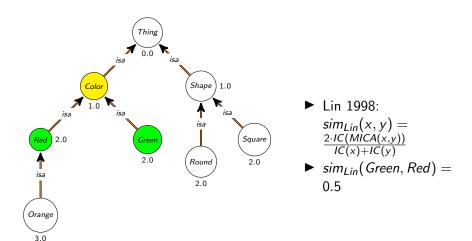
- ► Resnik 1995: similarity between *x* and *y* is the information content of the *most* informative common ancestor
  - sim<sub>Resnik</sub>(Green, Orange) =
    1.0

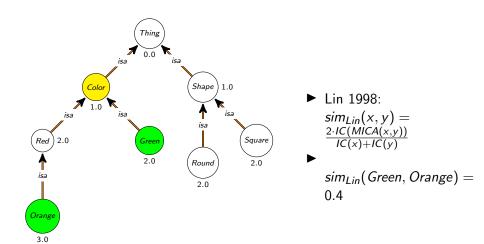


- ► Resnik 1995: similarity between *x* and *y* is the information content of the *most* informative common ancestor
  - sim<sub>Resnik</sub> (Square, Orange) 0.0

- ► (Red, Green) and (Orange, Green) have the same similarity
- ▶ need to incorporate the specificity of the compared classes

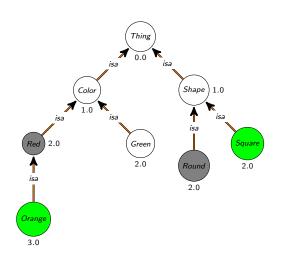




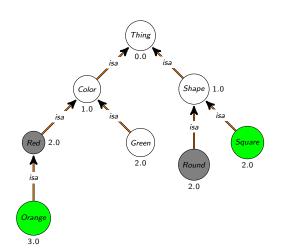


- ► many(!) others:
  - ▶ Jiang & Conrath 1997
  - ► Mazandu & Mulder 2013
  - ► Schlicker et al. 2009
  - ▶ ...

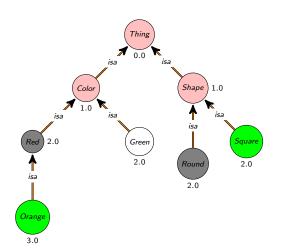
- we only looked at comparing pairs of classes
- ▶ mostly, we want to compare *sets* of classes
  - ► set of GO annotations
  - set of signs and symptoms
  - ► set of phenotypes
- ▶ two approaches:
  - compare each class individually, then merge
  - directly set-based similarity measures



 similarity between a square-and-orange thing and a round-and-red thing



- similarity between a square-and-orange thing and a round-and-red thing
- Pesquita et al., 2007:  $simGIC(X, Y) = \sum_{c \in A(X) \cap A(Y)} IC(c) \sum_{c \in A(X) \cup A(Y)} IC(c)$



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- Pesquita et al., 2007:  $simGIC(X, Y) = \sum_{c \in A(X) \cap A(Y)} IC(c) \sum_{c \in A(X) \cup A(Y)} IC(c)$
- $\blacktriangleright \ simGIC(so, rr) = \frac{2}{11}$

- ► alternatively: use different merging strategies
- ► common: average, maximum, best-matching average

► Average: 
$$sim_A(X, Y) = \frac{\sum_{x \in X} \sum_{y \in Y} sim(x, y)}{|X| \times |Y|}$$

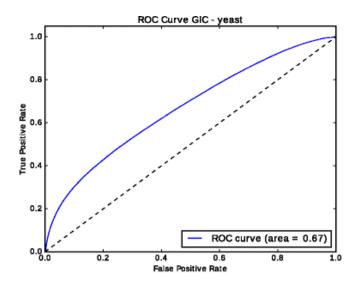
- ► Max average:  $sim_{MA}(X, Y) = \frac{1}{|X|} \sum_{x \in X} max_{y \in Y} sim(x, y)$
- ▶ Best match average:  $sim_{BMA}(X, Y) = \frac{sim_{MA}(X, Y) + sim_{MA}(Y, X)}{2}$

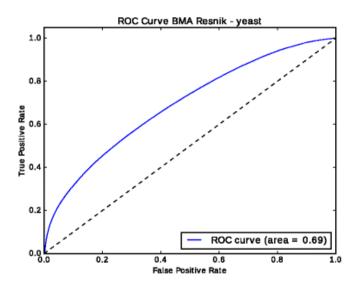
- ► Semantic Measures Library:
  - comprehensive Java library
  - ► http://www.semantic-measures-library.org/
- ▶ R packages: GOSim, GOSemSim, HPOSim, LSAfun, ontologySimilarity,...
- ► Python: sematch, fastsemsim (GO only)

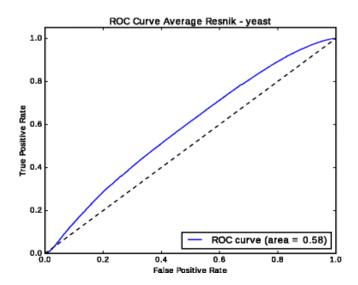
#### Hypothesis

Interacting proteins have similar functions.

- relies on background knowledge about functions (encoded in GO)
- ► "similarity" can mean:
  - ▶ part of the same pathway
  - siblings of a common super-class
  - ▶ located in the same location
- set-based comparison of GO functions
  - ► single GO hierarchy or all?
  - which similarity measure?







- ▶ no obvious choice of similarity measure
- ► depends on application
  - predicting PPIs in different organisms may benefit from a different similarity measure!
- different similarity measures may react differently to biases in data
- ► needs some testing and experience

#### Recommendations:

- ▶ use Resnik's information content measure
- ▶ use Resnik's similarity
- ▶ use Best Match Average
- ▶ use the full ontology
- classify your ontology using an automated reasoner before applying semantic similarity
  - ▶ although many ontologies come pre-classified
- ► ⇒ but there are many exceptions
  - ► similar location ⇒ use location subset of GO
  - ▶ developmental phenotypes ⇒ use developmental branch of phenotype ontology

- choice of ontology determines the kind of similarity
- functional similarity: Gene Ontology
- ▶ anatomical, structural similarity: anatomy ontologies (Uberon, MA, FMA, etc.)
- ▶ phenotypic similarity: phenotype ontology (HPO, MP, etc.)
- chemical structural similarity: ChEBI

- phenotypic similarity used to:
  - diagnosis: similarity between patient phenotypes and disease phenotypes
    - also between patient phenotypes and gene-phenotype associations
    - ► Phenomizer: http://compbio.charite.de/phenomizer/
  - disease modules: similarity between disease and disease
  - clustering/stratification: similarity between patient and patient
  - disease gene discovery: similarity between patient/disease phenotypes and gene-phenotype associations
    - ► in humans
    - ► in model organisms
  - drug repurposing: side-effect similarity; similarity between side effect profile and gene-disease associations

- comparing entities annotated with different ontologies/vocabularies of the same (or related) domains
  - ▶ medical: UMLS, HPO, DO, ORDO, NCIT, ICD, SNOMED CT, MeSH, ...
  - ▶ phenotype: HPO, MP, CPO, WBPhenotype, FBCV, MeSH, ...
  - ► chemical: ChEBI, MeSH, DrOn, RXNorm, DrugBank, ...
- ▶ needs mapping, alignment, or integration
  - mapping: given a term t, find corresponding class in ontology O
    - ► can be 1:1, 1:n, n:1, n:m
    - t can be from ontology, vocabulary, database, or text
    - ▶ use O for analysis
  - ▶ alignment: given two ontologies or vocabularies  $O_1$  and  $O_2$ , find all mappings between classes/terms in  $O_1$  and  $O_2$ 
    - applicable to ontologies and vocabularies
    - ightharpoonup use  $O_1$  or  $O_2$  for analysis
  - ▶ integration: given two ontologies  $O_1$  and  $O_2$ , combine both ontologies into a single ontology O
    - ► maintain meaning of classes
    - ▶ use *O* for analysis

- lexical mappings: use class labels (and synonyms) to find matches
  - ▶ hypertension (HP:0000822) and hypertension (MP:0000231)
- semantic mappings: use class axioms to find matches
  - ► pulmonary valve stenosis (MP:0006182) and Pulmonic stenosis (HP:0001642)
  - ▶ both definitions based on constricted (PATO:0001847) and pulmonary valve (UBERON:0002146)
- hybrid: combine lexical and semantic mappings

tools for ontology mapping, matching, integration:

- ► AgreementMaker Light:
  - https://github.com/AgreementMakerLight/AML-Jar
    - structural (semantic) and lexical matches
    - ► can use domain-specific background knowledge
- ► LogMap: https:

//github.com/ernestojimenezruiz/logmap-matcher

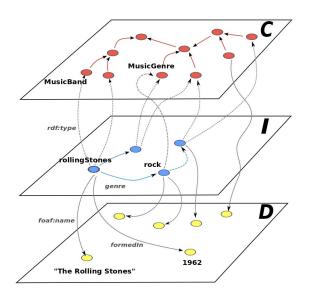
- structural (semantic) and lexical matches
- biology-themed versions
- ► NCBO Annotator:

https://bioportal.bioontology.org/annotator

- ► lexical matches only
- can annotate full text
- recent tools and comprehensive ongoing evaluation:
  - ► OAEI: http://oaei.ontologymatching.org/

#### Hands-on part 2

- ▶ back to Jupyter...
- ► run the "Semantic Similarity" part
  - ► then find the mouse genotype with the most similar set of phenotypes to "Tetralogy of Fallot" (OMIM:187500)
  - ▶ or: use the data from https://hpo.jax.org/app/download/annotation to add more diseases and query by disease (hint: a disease is really just a set of phenotypes)



From Harispe et al., Semantic Similarity From Natural Language And Ontology Analysis, 2015.

- ► Shortest Path
  - ► applicable to arbitrary knowledge graphs
  - ► does not capture similarity well over all edge types, e.g., disjointWith, differentFrom, opposite-of, etc.
- ► Random Walk
  - ▶ with or without restart
  - ▶ iterated
  - does not consider edge labels ⇒ captures only adjacency of nodes
  - ► scores whole graph with *probability* of being in a state
  - can take multiple seed nodes
    - widely used to find disease genes

► feature learning on knowledge graph

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- ► e.g., iterated, edge-labeled random walk
  - ▶ walks form *sentences*
  - sentences form a corpus
  - feature learning on corpus through Word2Vec (or factorization of co-occurrence matrix)

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  - with support for reasoning over bio-ontologies: https://github.com/bio-ontology-research-group/ walking-rdf-and-owl
  - Onto2Vec: https://github.com/ bio-ontology-research-group/onto2vec/

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- ► Translational knowledge graph embeddings: TransE, TransR, TransE, HolE, etc.
  - analogy-based
  - ► https://github.com/thunlp/KB2E

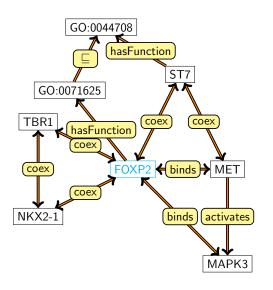
### How to measure similarity?

- ► feature learning on knowledge graph
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- ► Translational knowledge graph embeddings: TransE, TransR, TransE, HolE, etc.
  - analogy-based
  - ► https://github.com/thunlp/KB2E
- generates (dense) feature vectors for nodes (classes, instances) and relations

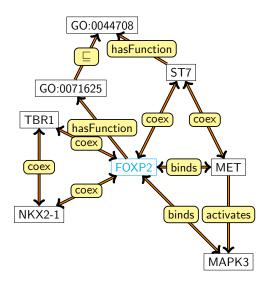
## Knowledge graph embeddings

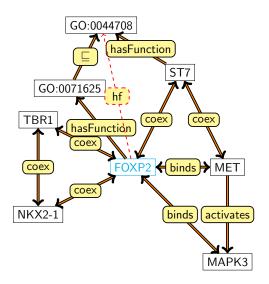
#### Definition

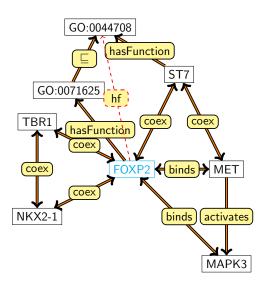
Let  $KG = (V, E, L; \vdash)$  be a knowledge graph with a set of vertices V, a set of edges  $E \subseteq V \times V$ , a label function  $L: V \cup E \mapsto Lab$  that assigns labels from a label set Lab to vertices and edges, and an inference relation  $\vdash$ . A knowledge graph embedding is a function  $f_{\eta}: KG \mapsto \mathbf{R}^n$  (subject to certain constraints).



- ► task: predict if FOXP2 is involved in disease *D*
- task: what chemicals could (directly or indirectly) affect FOXP2's function?
- which features are relevant?

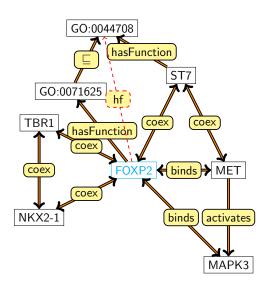




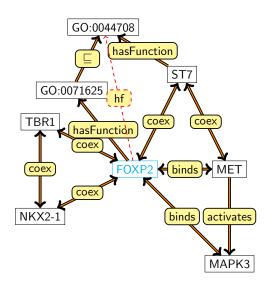


► :FOXP2 :binds :MET

:coex :ST7 :hasFunction GO:0044708

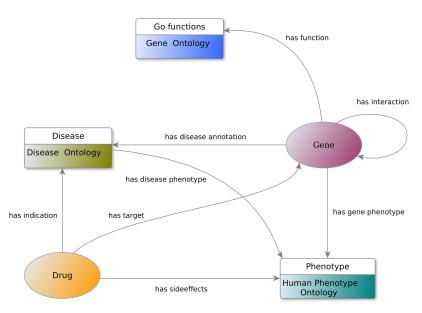


- ➤ :FOXP2 :binds :MET :coex :ST7 :hasFunction GO:0044708
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- ► :FOXP2 :coex :TBR1 :coex :NKX2-1 :coex :TBR1 :coex ...

- ► skip-gram model learns representation/features for each node
  - ► Word2Vec model, given a word predicts context
  - ▶ use local and non-local information
- automated reasoning deductively closes the knowledge graph
  - ► making this a neuro-symbolic model
- useful for edge prediction, similarity, clustering, as feature vectors
  - edge prediction: analogy, classifier (e.g., SVM)



Old and annual and	Source type	Target type	Without reasoning		With reasoning	
Object property			F-measure	AUC	F-measure	AUC
has target	Drug	Gene/Protein	0.94	0.97	0.94	0.98
has disease annotation	Gene/Protein	Disease	0.89	0.95	0.89	0.95
has side-effect*	Drug	Phenotype	0.86	0.93	0.87	0.94
has interaction	Gene/Protein	Gene/Protein	0.82	0.88	0.82	0.88
has function*	Gene/Protein	Function	0.85	0.95	0.83	0.91
has gene phenotype*	Gene/Protein	Phenotype	0.84	0.91	0.82	0.90
has indication	Drug	Disease	0.72	0.79	0.76	0.83
has disease phenotype*	Disease	Phenotype	0.72	0.78	0.70	0.77

Alsharani et al. Neuro-symbolic representation learning on biological knowledge graphs. Bioinformatics, 2017.

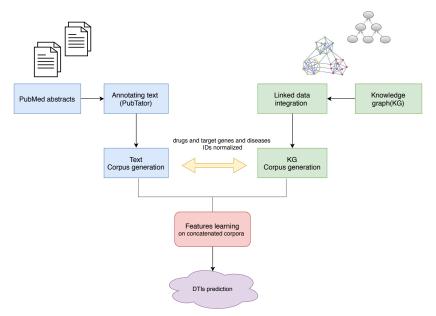
The forkhead-box P2 (FOXP2) gene polymorphism has been reported to be involved in the susceptibility to schizophrenia; however, few studies have investigated the association between FOXP2 gene polymorphism and clinical symptoms in schizophrenia.

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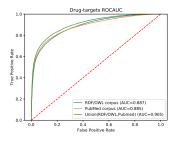
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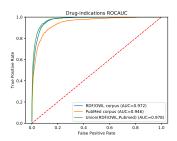
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# Multi-modal feature learning: drug targets and indications





Alshahrani & H. Drug repurposing through multi-modal learning on knowledge graphs. BioRxiv, 2018.

# Ontologies: axioms, not graphs!

Overview	Browse	DLQuery Download		
Annotation	Va	Value		
label	E	B cell apoptotic process		
definition		Any apoptotic process in a B cell, a lymphocyte of B lineage with the phenotype CD19-positive and capable of B cell mediated immunity.		
class	ŀ	http://purl.obolibrary.org/obo/GO_0001783		
ontology	(	GO-PLUS		
Equivalent	ā	apoptotic process and (occurs in some B cell)		
SubClassOf	C	occurs in some B cell, lymphocyte apoptotic process		
id	(	GO:0001783		
has_obo_name	espace b	olological_process		

### Ontologies: axioms, not graphs!

#### Gene Ontology:

- ▶ behavior DisjointWith: 'developmental process'
- ▶ behavior SubclassOf: only-in-taxon some metazoa
- ▶ 'cell proliferation' DisjointWith: in-taxon some fungi
- ▶ 'cell growth' EquivalentTo: growth and ('results in growth of' some cell)
- ▶ ...

## Ontology embeddings

#### Definition

Let  $O = (C, R, I; ax; \vdash)$  be an ontology with a set of classes C, a set of relations R, a set of instances I, a set of axioms ax and an inference relation  $\vdash$ . An ontology embedding is a function  $f_{\eta}: C \cup R \cup I \mapsto \mathbf{R}^n$  (subject to certain constraints).

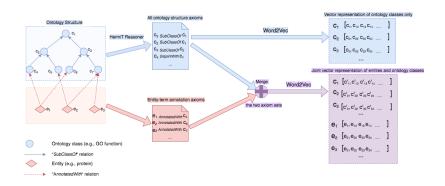
### Ontology embeddings

#### Definition

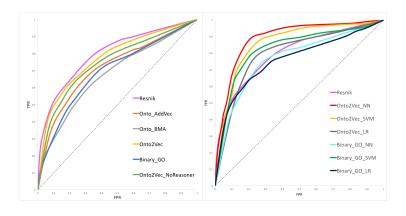
Let  $O = (C, R, I; ax; \vdash)$  be an ontology with a set of classes C, a set of relations R, a set of instances I, a set of axioms ax and an inference relation  $\vdash$ . An ontology embedding is a function  $f_{\eta}: C \cup R \cup I \mapsto \mathbf{R}^n$  (subject to certain constraints).

We use co-occurrence within  $ax^{\vdash}$  to constrain the embedding function, where the constraints on co-occurrence are formulated using the Word2Vec skipgram model.

### Onto2Vec

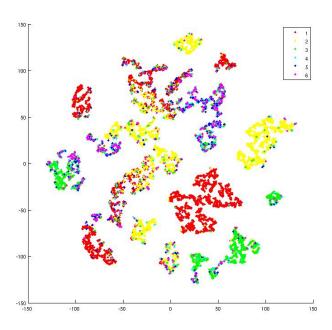


### Predicting PPIs: trainable similarity measures

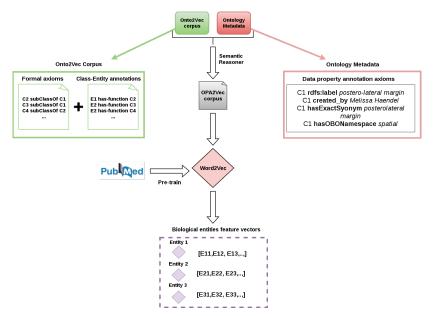


Smaili et al. Onto2Vec: joint vector-based representation of biological entities and their ontology-based annotations, Bioinformatics, 2018.

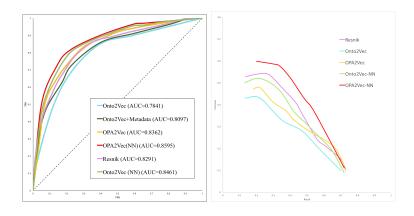
# Visualizing embeddings



### Ontologies Plus Annotations 2 Vec



# Phenotype-based prediction of candidate genes

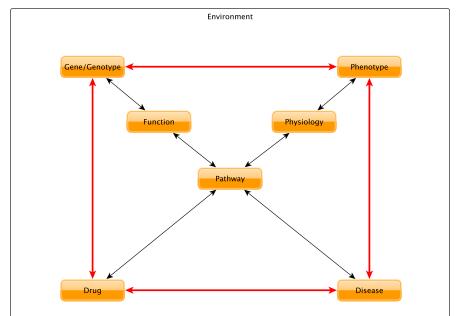


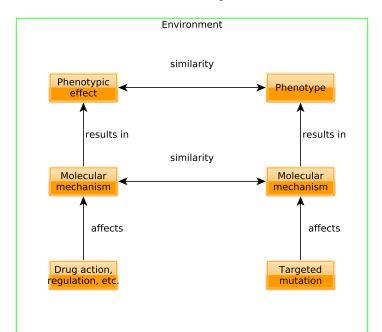
### Hands-on part

- ► run the machine learning with ontologies part
- explore the different similarity measures
- repeat what you have done with semantic similarity using the ontology embeddings

### How to measure similarity?

- vector-based similarity measure
- cosine similarity:  $sim(X, Y) = \frac{\sum_{i=1}^{n} X_i Y_i}{\sqrt{\sum_{i=1}^{n} X_i^2} \sqrt{\sum_{i=1}^{n} Y_i^2}}$ 
  - ightharpoonup bounded between [-1,1]
- ► Euclidean distance:  $sim(X, Y) = \sqrt{\sum_{i=1}^{n} (X_i Y_i)^2}$ 
  - ▶ not bounded (and rarely used)
- ► any other kind of function
  - Neural Networks can approximate any function (universal approximation theorem)
  - "trainable" semantic similarity measures
  - will need training data





- ► same kind of entity, same ontology:
  - ► x is associated with y
  - $\triangleright$  z is similar to x
  - ► therefore: z may also be associated with y
- ► candidate genes (polygenic disease):
  - ► FunSimMat: similar function ⇒ similar/same disease
  - ▶ side effect similarity: similar side effects ⇒ similar targets/indications

- ▶ different kind of entity, same ontology:
  - ▶ Phenomizer: genotype x associated with phenotypes a; patient y has symptoms b; a is similar to b; therefore: x causes the symptoms in b
  - ► PhenomeNET: similar to Phenomizer but using model organism phenotypes (knockouts)
  - ▶ PhenomeDrug: knockout of gene x causes phenotypes a; drug y causes side effects b; a is similar to b; therefore: drug y inhibits x (or: phenotypes b are caused by inhibition of x)
  - ▶ needs to compare model organism phenotypes and human phenotypes ⇒ ontology alignment/integration/mapping

- ▶ if you have not done so *before* the tutorial, don't start now
  - ▶ you need to download a lot of data
  - you can just follow our demonstration and try later
  - (unless Internet is exceptionally fast for a conference Wifi, then just go ahead and do everything now)
- ► Jupyter Notebook
  - notebooks consist of code and rich text fragments
  - human readable (with nice figures) and executable
  - ▶ need to install the SciJava kernel (default: iPython)
  - very widely used
- https://github.com/bio-ontology-research-group/ ontology-tutorial

#### In the tutorial, we will

- ► download an ontology
- explore the ontology with OWLAPI
- classify the ontology with an OWL reasoner
  - ► and query using an OWL reasoner
- store the inferred version locally
- use the Semantic Measures Library to:
  - explore the ontology as graph
  - compute similarity between classes
  - ► use different similarity measures
  - compare patients to mice
- ► learn to use Onto2Vec and OPA2Vec
- you can build on this and extend for your own research!

Do the tutorial...

- ▶ now play with the Notebook:
  - ► look at the results list (check MGI)
  - ► try another disease (check OMIM)
  - ► or a drug effect (check SIDER)
- you can also test another ontology
  - ► GO for functional similarity
  - ► ChEBI for chemical (structural) similarity
  - or yeast phenotypes