

Pseudo Code -

~~count~~ count = 0

int ar[n][n];

for (i = 0; i < n; i++)

{

for (j = 0; j < n; j++)

{

if (ar[i][j] == 1)

{

if (j+1 < n && ar[j][j+1] == 1)

union (i*(n)+j, (i)*(n)+(j+1))

if (j-1 >= 0 && ar[i][j-1] == 1)

union (i*(n)+j, (i)*(n)+(j-1))

if (i+1 < n && ar[i+1][j] == 1)

union (i*n+j, (i+1)*n+j)

if (i-1 >= 0 && ar[i-1][j] == 1)

union (i*n+j, (i-1)*n+j)

if (i+1 < n && j+1 < n && ar[i+1][j+1] == 1)

union (i*n+j, (i+1)*n+(j+1))

if (i-1 >= 0 && j+1 < n && ar[i-1][j+1] == 1)

union (i*n+j, (i-1)*n+(j+1))

Checking all
adjacent
neighbors of
a vertex.

if $(i-1 > -1 \text{ \&\& } j-1 > -1 \text{ \&\& } \text{ar}[i-1][j-1] == 1)$

union $(i+n+1, (i-1)*n+(j-1))$

if $(i+1 < n \text{ \&\& } j-1 > -1 \text{ \&\& } \text{ar}[i+1][j-1] == 1)$

union $(i+n+1, (i+1)*n+(j-1))$

int freq[] = new int[n*n];

freq - it stores freq. of each set

for $(i=0; i < n; i++)$

{

for $(j=0; j < n; j++)$

{

if $(\text{ar}[i][j] == 1)$

{

$u = \text{find}(i*n+1)$ // function to find ^{connected} distinct vertices.

if $(\text{freq}[u] == 0)$

{

count++;

freq[u]++;

}

else

freq[u]++;

}

}

}