Severity of adverse reactions in children

May 31, 2020

1 Severity of adverse reactions in pediatric patients

1.1 Data collection and cleaning

We will first collect the data. We will initially collect only data for 'children' i.e. patient age group '3' as reported in the database. This does not include neonates, infants or adolescents.

Given the total number of children in the database (35,000), we will initially restrict our analyses to the first 5,000. The sample can be expanded or reduced by changing n_reports.

[1]:
```
# import standard modules necessary for data processing and visualisation
# set style for plotting
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
import numpy as np
from matplotlib.colors import LogNorm
import scipy.stats as st
plt.style.use('seaborn')
plt.rcParams['figure.figsize'] = (10.0, 6.0)

# import my modules
import collect_data
import clean_data
import process_data

# define the base of the URL used to access the database
# search terms will be appended to this to obtain specific recordsets
url_base = "https://api.fda.gov/drug/event.json?search=receivedate:
 ↪[20030101+TO+20200528]"
```

1.1.1 Collecting the pediatric dataset

[2]:
```
n_reports = 5000

# collect pediatric data from database and flatten
raw_pediatric = collect_data.collect_pediatric_data(n_reports)
```

```
raw_pediatric.reset_index(drop=True, inplace=True)
flat_pediatric = collect_data.flatten_dataframe(raw_pediatric)
```

```
HBox(children=(FloatProgress(value=0.0, description='Progress', max=50.0, style=ProgressStyle(
```

[3]:
```
flat_pediatric.head(5)
```

[3]:

	reporttype	receiptdateformat	companynumb	occurcountry	\
0	1	102	US-GILEAD-2012-0061944	US	
1	1	102	US-GILEAD-2012-0059314	US	
2	1	102	US-GILEAD-2012-0060537	US	
3	1	102	US-GILEAD-2012-0060700	US	
4	1	102	US-GILEAD-2012-0061671	US	

	safetyreportversion	receivedateformat	duplicate	transmissiondateformat	\
0	3	102	1	102	
1	3	102	1	102	
2	3	102	1	102	
3	2	102	1	102	
4	3	102	1	102	

	fulfillexpeditecriteria	safetyreportid	…	\
0	2	10003430	…	
1	2	10003517	…	
2	2	10004354	…	
3	2	10004368	…	
4	2	10004919	…	

	spl_id	substance_name	\
0	acf09b42-e9a4-4aee-82f7-75d413d06ec5	AMBRISENTAN	
1	acf09b42-e9a4-4aee-82f7-75d413d06ec5	AMBRISENTAN	
2	acf09b42-e9a4-4aee-82f7-75d413d06ec5	AMBRISENTAN	
3	acf09b42-e9a4-4aee-82f7-75d413d06ec5	AMBRISENTAN	
4	acf09b42-e9a4-4aee-82f7-75d413d06ec5	AMBRISENTAN	

	product_type	route	application_number	nui	pharm_class_cs	\
0	HUMAN PRESCRIPTION DRUG	ORAL	NDA022081	NaN	NaN	
1	HUMAN PRESCRIPTION DRUG	ORAL	NDA022081	NaN	NaN	
2	HUMAN PRESCRIPTION DRUG	ORAL	NDA022081	NaN	NaN	
3	HUMAN PRESCRIPTION DRUG	ORAL	NDA022081	NaN	NaN	
4	HUMAN PRESCRIPTION DRUG	ORAL	NDA022081	NaN	NaN	

	pharm_class_epc	pharm_class_moa	pharm_class_pe
0	NaN	NaN	NaN
1	NaN	NaN	NaN

```
2              NaN             NaN             NaN
3              NaN             NaN             NaN
4              NaN             NaN             NaN

[5 rows x 87 columns]
```

We can see that we have a flattened dataframe, with no nested dictionaries or lists (in any desired columns). However, it is also clear that there are numerous missing values and a large number of columns (87). We must reduce this featureset and clean the data before analysis.

1.1.2 Cleaning the data

We clean the data to remove unnecessary/undesired columns, impute missing values (where appropriate), remove columns with a high fraction of missing values, format types appropriately, and filter any outliers.

[4]:
```
# remove unnecessary columns
clean_pediatric = clean_data.drop_unnecessary_columns(flat_pediatric)

# replace missing values in seriousness outcome columns with 0
# assume that no entry means this outcome did not take place
clean_pediatric = clean_data.fill_seriousness_nan(clean_pediatric)

# remove any columns which have more than 40% msising values
clean_pediatric = clean_data.remove_nan_columns(clean_pediatric, 40)

# fix data types and formatting
clean_pediatric = clean_data.fix_data_types(clean_pediatric)
clean_pediatric = clean_data.reformat_onsetage(clean_pediatric)

# remove outliers in patient age category
clean_pediatric = clean_data.remove_outliers(clean_pediatric)

# remap seriousness from {1, 2} to {1, 0}
clean_pediatric.serious = clean_pediatric.serious.map({2:0, 1:1}) #map␣
↪serious_to_boolean

pediatric_data = clean_pediatric.reset_index()
```

Examine the cleaned and reduced dataset by eye to look for anomalies and problems.

[5]:
```
# preview data
pediatric_data.head(10)
```

[5]:
```
   index  reporttype occurcountry  serious  primarysource.qualification  \
0      0         1.0           US        0                          5.0
1      1         1.0           US        0                          1.0
```

```
2      2         1.0           US        0                          1.0
3      3         1.0           US        0                          5.0
4      4         1.0           US        0                          5.0
5      5         1.0           US        1                          5.0
6      6         1.0           US        0                          5.0
7      7         1.0           US        0                          1.0
8      8         1.0           US        0                          1.0
9      9         1.0           US        0                          5.0

   patient.patientsex  seriousnessother  seriousnesshospitalization  \
0                 1.0               0.0                         0.0
1                 1.0               0.0                         0.0
2                 1.0               0.0                         0.0
3                 2.0               0.0                         0.0
4                 2.0               0.0                         0.0
5                 2.0               1.0                         0.0
6                 1.0               0.0                         0.0
7                 2.0               0.0                         0.0
8                 1.0               0.0                         0.0
9                 2.0               0.0                         0.0

   seriousnesslifethreatening  seriousnessdeath  seriousnessdisabling  \
0                         0.0               0.0                   0.0
1                         0.0               0.0                   0.0
2                         0.0               0.0                   0.0
3                         0.0               0.0                   0.0
4                         0.0               0.0                   0.0
5                         0.0               0.0                   0.0
6                         0.0               0.0                   0.0
7                         0.0               0.0                   0.0
8                         0.0               0.0                   0.0
9                         0.0               0.0                   0.0

   seriousnesscongenitalanomali  reactionoutcome      reactionmeddrapt route  \
0                           0.0              6.0             Sinusitis  ORAL
1                           0.0              6.0               Hiccups  ORAL
2                           0.0              6.0             Hordeolum  ORAL
3                           0.0              6.0      Oral candidiasis  ORAL
4                           0.0              6.0       Nasopharyngitis  ORAL
5                           0.0              6.0       Coeliac disease  ORAL
6                           0.0              6.0  Heart rate increased  ORAL
7                           0.0              6.0              Dyspnoea  ORAL
8                           0.0              6.0             Sinusitis  ORAL
9                           0.0              6.0             Sinusitis  ORAL

   patient.patientonsetageyear
0                         10.0
```

```
1                          4.0
2                          4.0
3                          2.0
4                          5.0
5                         13.0
6                          7.0
7                          6.0
8                          6.0
9                          8.0
```

1.2 Analysis of factors influencing severity of adverse response in children

1.2.1 Descriptive statistics

We intially calculate some basic descriptive statistics on the numerical data in the dataframe.

[6]:
```
pediatric_data.describe()
```

[6]:
```
              index   reporttype      serious  primarysource.qualification  \
count   4991.000000  4991.000000  4991.000000                  4974.000000
mean    2498.518734     1.257864     0.535965                     3.488741
std     1443.076841     0.450591     0.498755                     1.703362
min        0.000000     1.000000     0.000000                     1.000000
25%     1249.500000     1.000000     0.000000                     1.000000
50%     2497.000000     1.000000     1.000000                     5.000000
75%     3748.500000     2.000000     1.000000                     5.000000
max     4999.000000     4.000000     1.000000                     5.000000

       patient.patientsex  seriousnessother  seriousnesshospitalization  \
count         4030.000000       4991.000000                 4991.000000
mean             1.331266          0.364857                    0.166299
std              0.470727          0.481438                    0.372386
min              1.000000          0.000000                    0.000000
25%              1.000000          0.000000                    0.000000
50%              1.000000          0.000000                    0.000000
75%              2.000000          1.000000                    0.000000
max              2.000000          1.000000                    1.000000

       seriousnesslifethreatening  seriousnessdeath  seriousnessdisabling  \
count                 4991.000000       4991.000000           4991.000000
mean                     0.017832          0.048487              0.006211
std                      0.132354          0.214815              0.078574
min                      0.000000          0.000000              0.000000
25%                      0.000000          0.000000              0.000000
50%                      0.000000          0.000000              0.000000
75%                      0.000000          0.000000              0.000000
```

```
max                          1.000000          1.000000              1.000000

       seriousnesscongenitalanomali  reactionoutcome  \
count                   4991.000000      4870.000000
mean                       0.003206         4.596099
std                        0.056534         2.000540
min                        0.000000         1.000000
25%                        0.000000         3.000000
50%                        0.000000         6.000000
75%                        0.000000         6.000000
max                        1.000000         6.000000

       patient.patientonsetageyear
count                   2586.000000
mean                       7.881574
std                        3.320164
min                        0.666667
25%                        5.000000
50%                        8.000000
75%                       11.000000
max                       17.000000
```

Not all of this data is meaningful but we can still see some useful properties of the data from these statistics.

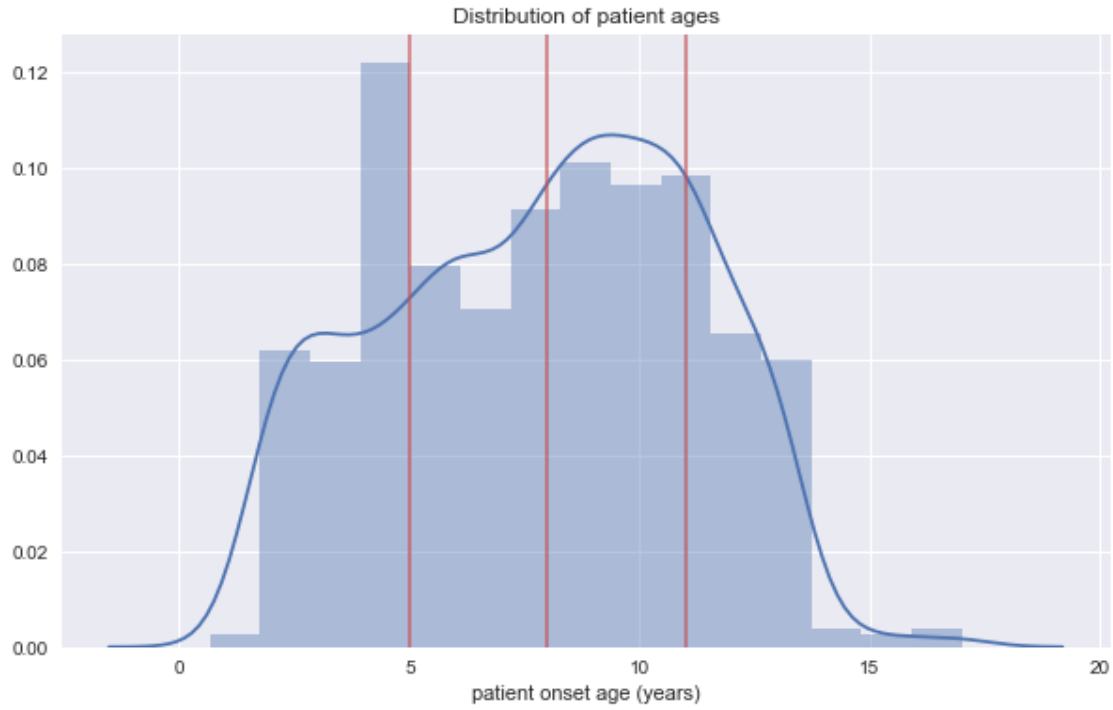
Basic checks of the boolean and categorical data have maxima and minima as expected. The means of the boolean data give an indication of the skew, e.g. 54% of the reports are 'serious', defined as an adverse event resulting in death, a life threatening condition, hospitalization, disability, congenital anomaly, or other serious condition. We can also quickly see that the data are skewed towards male patients and that a serious outcome of 'other' is reported for almost 50% of the dataset.

The only continuous numerical data in this dataset is the age of the patient at the onset of the adverse response. The oldest patient in our sample is 17 (we removed any outliers above this threshold) whilst the youngest is 0.6 years. The 'children' category on which the data was selected encompasses a wide range of (pediatric) ages. More detailed future analysis should consider selecting data across all pediatric categories rather than just 'child' since it seems the categories are subject to some interpretation.

Within this data, the standard deviation of patient age is 3.3 years with a mean of 7.8 years. We plot the distribution below and mark the quartiles in red.

[7]:
```
# plot distribtuion of patient ages
data_age = pediatric_data['patient.patientonsetageyear']
ax = sns.distplot(data_age, bins=15, kde=True);
ax.set_xlabel('patient onset age (years)');
ax.set_title('Distribution of patient ages');

# plot the quartiles
for q in [0.25,0.5,0.75]:
```

```
    ax.axvline(data_age.quantile(q), 0, 1, color='C2', alpha=0.7)
```



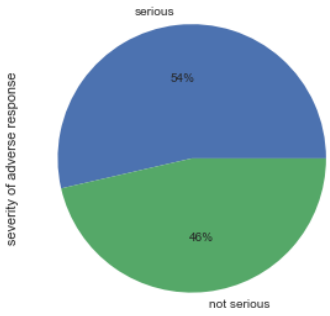
1.2.2 Exploring types of adverse response outcomes

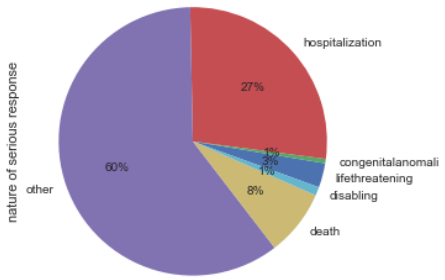
Similar to our analysis for the full database (presented in the Exploring_OpenFDA_Adverse_Reactions notebook), we can now analyse the cleaned pediatric dataset. We are primarily interested in the severity of the adverse response and so we start by exploring this feature.

We begin by considering the relative proportions of seriousness outcomes in the data.

[8]:
```
# create pie chart for serious vs not serious
fig1, (ax1, ax2) = plt.subplots(nrows=1, ncols=2,figsize=(18,5))
pediatric_data.serious.value_counts().plot.pie(labels=['serious','not␣
 ↪serious'], ax=ax1, autopct='%1.0f%%');
ax1.set_ylabel('severity of adverse response');

# create pie chart showing all seriousness outcomes
seriousness_col_names = ['seriousnesslifethreatening',
                         'seriousnesscongenitalanomali',
                         'seriousnesshospitalization',
                         'seriousnessother',
                         'seriousnessdeath' ,
                         'seriousnessdisabling'
```

```
                          ]
labels = [item.replace('seriousness','') for item in seriousness_col_names]
df_serious = pediatric_data[seriousness_col_names]
df_serious.sum().plot.pie(ax=ax2, autopct='%1.0f%%', labels=labels,␣
↪startangle=-20)
ax2.set_ylabel('nature of serious response');
```





We can see that the fraction of reported serious adverse responses is similar to the entire population calculated in our population study (54% compared to 59%). Of those where the nature of the serious reponse was reported, the majority (60%) reported a response that did not result in death, disability, congenital anomali, a threat to life or hospitalisation.

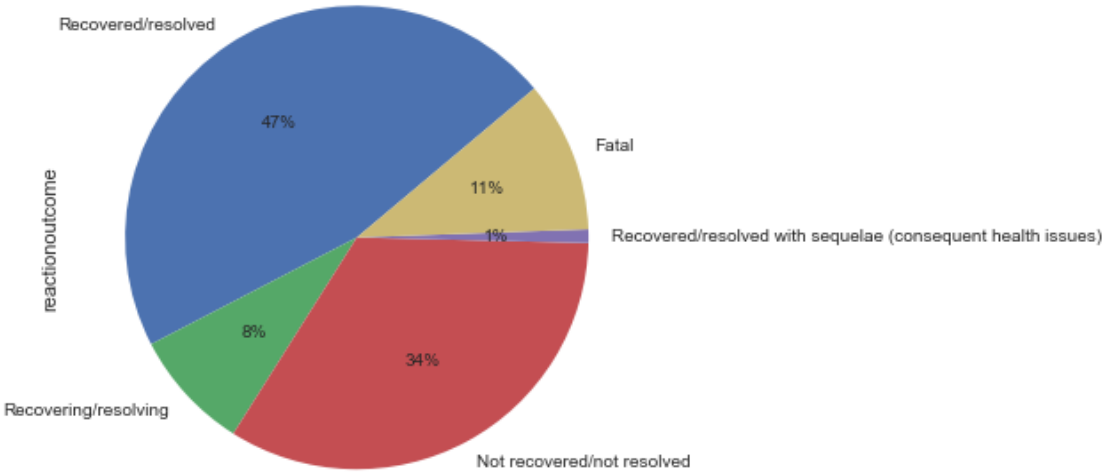
Two different but comparable metrics exist within the database that give an indication of severity. We can gain some understanding of the accuracy of the data by comparing these metrics. We know whether the outcome was classified as 'serious' or 'not serious'. We also have the nature of the outcome as falling into one of these categories:

- 1 = Recovered/resolved
- 2 = Recovering/resolving
- 3 = Not recovered/not resolved
- 4 = Recovered/resolved with sequelae (consequent health issues)
- 5 = Fatal
- 6 = Unknown

We can examine the relative frequencies of these outcomes in our data (ignoring any blanks or unknowns).

[9]:
```
# count and plot frequencies of patient outcomes
outcome_df = pediatric_data.reactionoutcome.value_counts()
outcome_df.sort_index(inplace=True)
labels_dict = {1 : 'Recovered/resolved',
               2 : 'Recovering/resolving',
               3 : 'Not recovered/not resolved',
               4 : 'Recovered/resolved with sequelae (consequent health␣
↪issues)',
               5 : 'Fatal',
```

```
                6 : 'Unknown'
               }
ax1 = outcome_df[outcome_df.index != 6].plot.pie(autopct='%1.0f%%',␣
↪labels=labels_dict.values(), startangle=40);
```



Some categories can be compared directly. For example the number of reports listing the outcome as 'death' is 11% by this metric compared to 8% by the feature 'seriousnessdeath'. When combined with the relative sparsity of entries in the 'seriousness' fields, we might infer that this metric may be more reliable.

It is noteworthy that many reports indicate multiple serious outcomes, for example hospitalization and death are not mutually exclusive.

1.2.3 Exploring the impact of age on adverse response outcomes

[10]:
```
pediatric_data.groupby('serious').mean()
```

[10]:

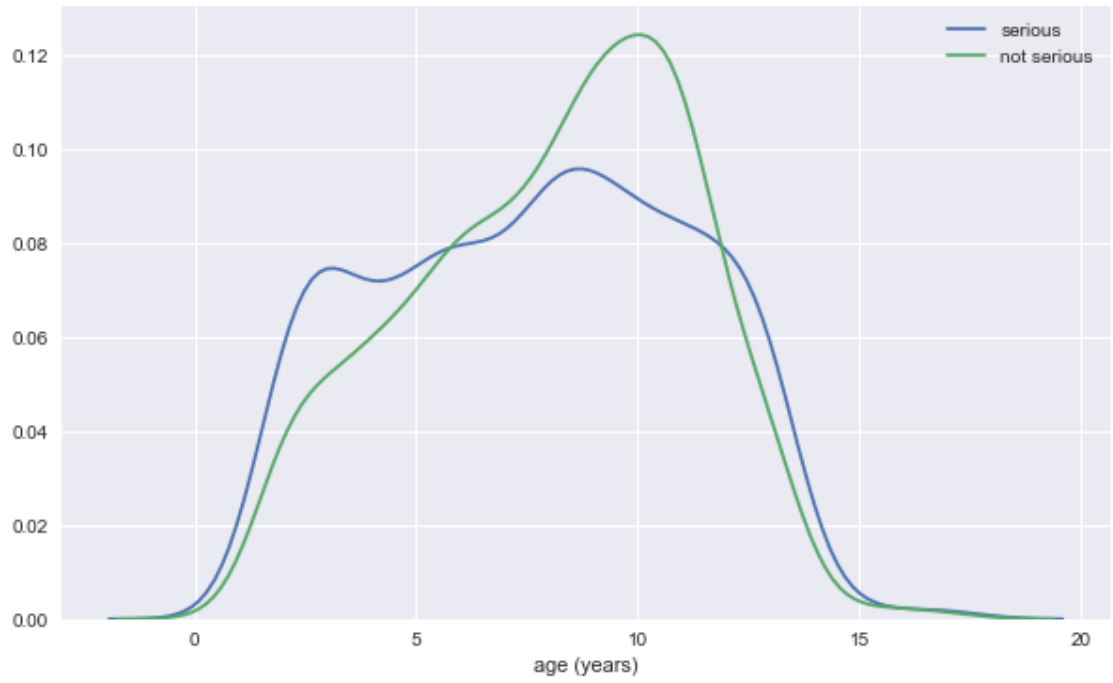
serious	index	reporttype	primarysource.qualification	patient.patientsex	seriousnessother	seriousnesshospitalization
0	2894.278929	1.145509	4.163424	1.310559	0.000000	0.00000
1	2155.871776	1.355140	2.902292	1.350334	0.680748	0.31028

```
         seriousnesslifethreatening  seriousnessdeath  seriousnessdisabling  \
serious
0                          0.000000          0.000000              0.000000
1                          0.033271          0.090467              0.011589

         seriousnesscongenitalanomali  reactionoutcome  \
serious
0                            0.000000         4.856007
1                            0.005981         4.370299

         patient.patientonsetageyear
serious
0                            8.076423
1                            7.711292
```

It seems that reports of serious adverse effects are more likely to be seen in slightly younger patients. We consider their relative distributions and compare them at a 95% significance level using a z-test.

[11]:
```
# plot two distribution plots comparing serious and not serious distributions
fig = plt.figure()
serious_1 = pediatric_data.loc[pediatric_data.serious==1, 'patient.
 ↪patientonsetageyear']
serious_0 = pediatric_data.loc[pediatric_data.serious==0, 'patient.
 ↪patientonsetageyear']
sns.kdeplot(serious_1, label='serious');
sns.kdeplot(serious_0, label='not serious');
plt.xlabel('age (years)');

# perform z test to compare means of distributions
# at 95% significant level
z = process_data.z_test(serious_0,serious_1, 0.95)
```

```
z = 0.0781  critical value = 1.64
Do not reject null hypothesis. Insufficiest evidence for dependence.
```



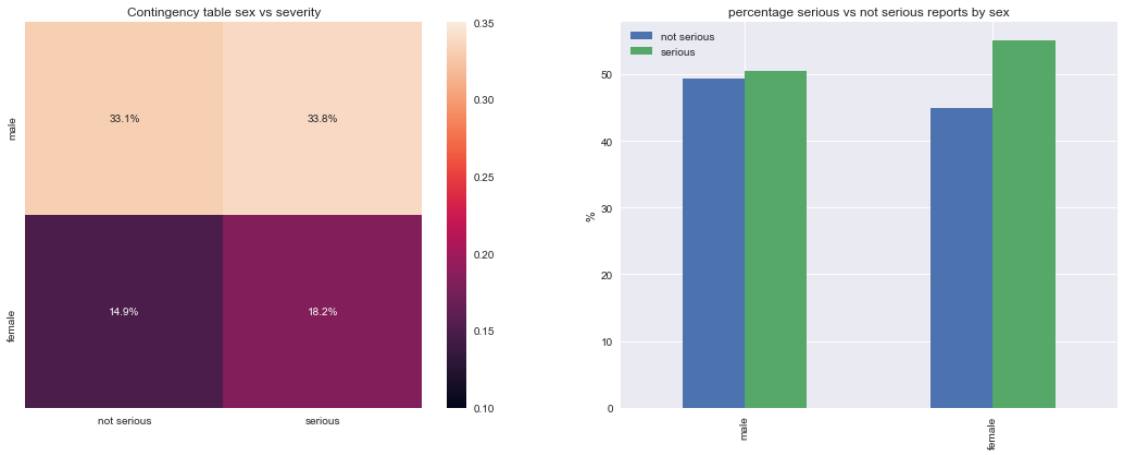
Whilst the 'not serious' responses are more skewed to older children, there is not enough evidence here to reject the null hypothesis that there is no correlation between age and severity of adverse reports.

1.2.4 Exploring the impact of sex on adverse response outcomes

We can also consider the correlation with sex using a contingency table.

[12]:
```
# create a pivot table on sex and serious
pivot_tb = process_data.calculate_serious_pivot(pediatric_data, 'patient.
 ↪patientsex')
tb = pivot_tb.drop(columns=['total','not serious %','serious %'])
tb = tb.divide(tb.sum().sum())

# plot heatmap of contingency table
fig, (ax1, ax2) = plt.subplots(nrows=1, ncols=2,figsize=(18,6.5))
ax1 = sns.heatmap(tb,vmin=0.10,vmax=0.35,
                  #norm=LogNorm(vmin=sub_data.min().min(), vmax=sub_data.max().
 ↪max()),
                  annot=True,
                 fmt='.1%', ax=ax1);
ax1.set_xlabel('');
ax1.set_ylabel('');
ax1.set_yticklabels(['male','female']);
```

```
ax1.set_title('Contingency table sex vs severity')

# plot bar chart showing relative frequencies of serious/not serious by sex
process_data.plot_serious_pivot(pivot_tb, 'route', ax2)
ax2.set_title('percentage serious vs not serious reports by sex');
ax2.set_xticklabels(['male','female']);
ax2.set_xlabel('');
ax2.set_ylabel('%');
```



We can see that there are significantly more reports of adverse reponses in male patients in the database. This might suggest that male patients are more likely to suffer adverse respones or that they are more likely to report adverse responses than female patients (or both).

One indication that suggests male patients might simply be more likely to report adverse effects (either directly or through a clinician) is that, of female reports, 55% of reports were for serious adverse effects compared to 45% for not serious. The ratio of serious and non-serious adverse reports for male patients in the data is 50:50.

We can calculate Pearson's χ^2 correlation coefficient to understand whether these results are significant (i.e. whether, for a given significance level, there is a correlation between sex and severity of response). We will choose a 99% significance level.

[13]:
```
process_data.significance_test(pivot_tb[['not serious','serious']], 0.99)
```

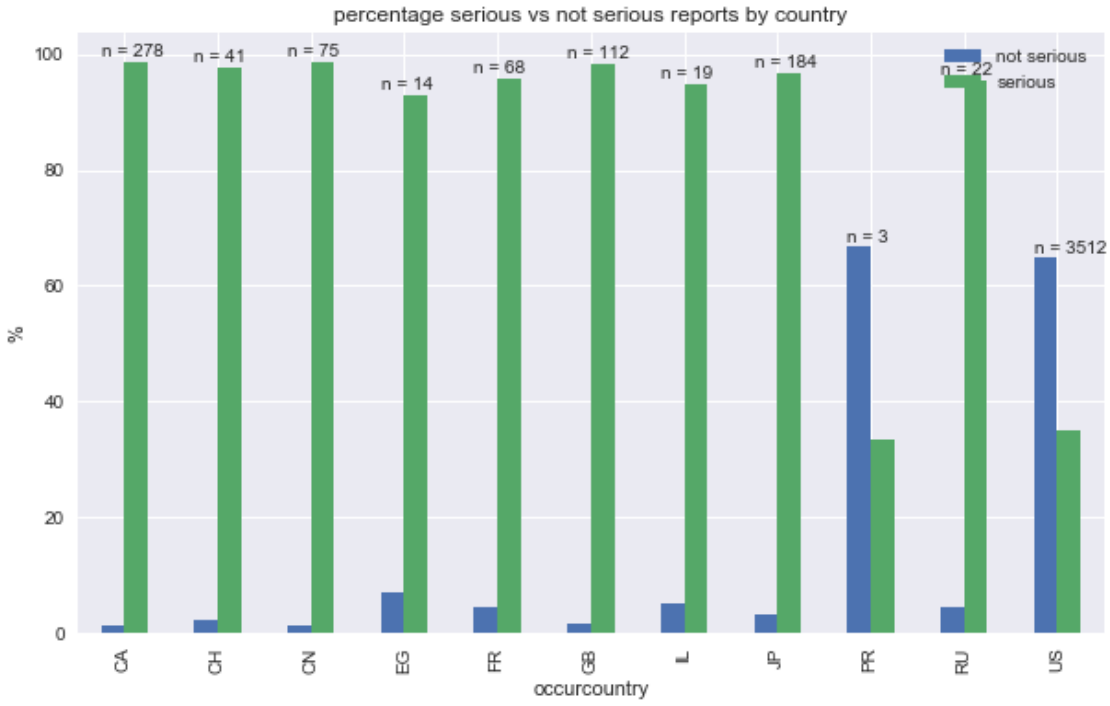
```
dof = 1  probability = 0.990 | critical = 6.635   chi2 = 7.004

Reject null hypothesis. Variables dependent at the 99% confidence level.
```

We find that there is sufficient evidence at the 99% significance level to reject the null hypothesis that there is no dependency between gender and the serious status of the report. There is a correlation between severity of the adverse response and sex. This feature may be useful in a predictive model.

1.2.5 Exploring the impact of country on adverse response outcomes

A similar analysis is performed on the country in which the adverse response took place.

[14]:
```
# construct pivot table and plot
pivot_tb = process_data.calculate_serious_pivot(pediatric_data, 'occurcountry')
ax = process_data.plot_serious_pivot(pivot_tb, 'occurcountry', annotate=True)
ax.set_title('percentage serious vs not serious reports by country');
plt.show()

# calculate significance
process_data.significance_test(pivot_tb[['not serious','serious']], 0.99)
```




```
dof = 10  probability = 0.990 | critical = 23.209   chi2 = 1038.201

Reject null hypothesis. Variables dependent at the 99% confidence level.
```

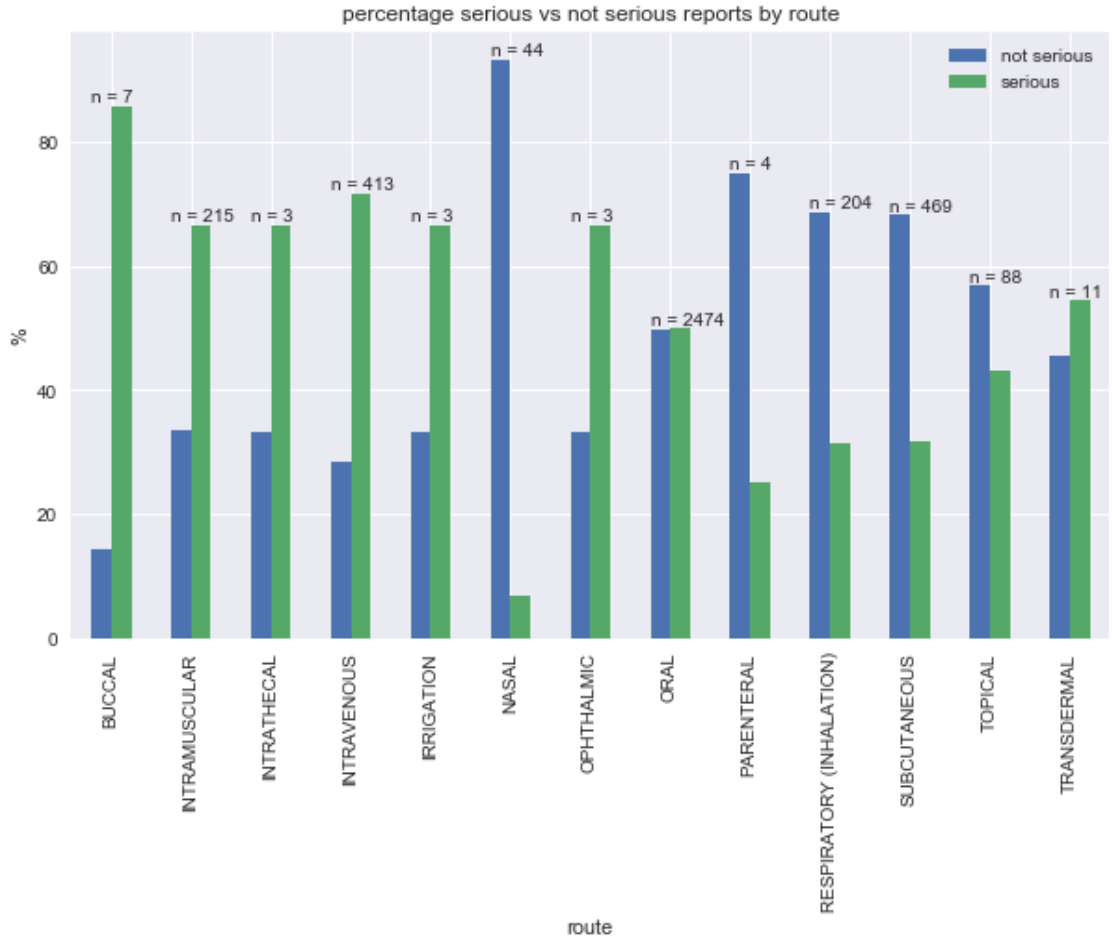
We find in this case also that, at the 99% significance level, there is sufficient evidence to reject the null hypothesis (i.e. that there is no correlation). This feature may be useful in a predictive model.

This is clear from examining the data by eye. However, we should be cautious that the 'not serious' cases are therefore nearly entirely coming from the US, which may introduce some bias in our analysis. Future analysis might rebalance the data to address this issue.

1.2.6 Exploring the impact of drug administration route on adverse response outcomes

We repeat the process again exploring the possibility that adverse response severity may be influenced by the administration route.

[15]:
```
# calculate pivot table for severity against drug administration route
pivot_tb = process_data.calculate_serious_pivot(pediatric_data, 'route')
ax = process_data.plot_serious_pivot(pivot_tb, 'route', annotate=True)
ax.set_title('percentage serious vs not serious reports by route');
plt.show()

# calculate significance
process_data.significance_test(pivot_tb[['not serious','serious']], 0.99)
```




```
dof = 12  probability = 0.990 | critical = 26.217   chi2 = 231.544

Reject null hypothesis. Variables dependent at the 99% confidence level.
```

We find that, again, there is enough evidence at a 99% significance level to reject the null hypothesis.

We have discovered at least three factors (sex, drug administration route and country) that are correlated with the severity of the adverse response reports. With further time, interpretation of these correlations would benefit from comparison to general population data, a larger dataset and a more detailed understanding of how and why adverse reports are made to the database.

1.3 Logistic regression model

I am interested to construct a model to predict the severity of adverse responses given certain information about a patient and the drug(s) that they are taking. The model would require significant fine tuning taking longer than the time available to complete this task. However, I include a representative approach using logistic regression to classify severity as serious or not serious. This simple model performs poorly but a variety of approaches might improve the accuracy of the model. I discuss these below.

[28]:
```
from sklearn.impute import SimpleImputer
from sklearn.linear_model import LogisticRegression
from sklearn import metrics
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import LabelEncoder
import process_data as process
```

I will establish a simple model based only on gender, age of patient and drug administration route. The data must first be cleaned further and preprocessed.

Further cleaning of the data

[29]:
```
# Shuffle the data in case it is sorted
data = pediatric_data.sample(frac=1).reset_index(drop=True)

# Remove all rows with no gender specified
# (could have alternatively mapped to additional category)
print(f"{data['patient.patientsex'].isna().sum()} of {data['index'].count()} "
      f"rows with missing sex removed "
     f"({data['patient.patientsex'].isna().sum()/data['index'].count():.2%})")
data = data[data['patient.patientsex'].notna()]

# Due to small numbers, group least prevalent routes into 'other'
# Keep only most prevalent routes (>10% of data)
data = process.map_routes(data, 0.1)

# Map routes with missing values to new category 'unknown'
data.route_summary = data.route_summary.fillna('UNKNOWN')
```

```
961 of 4991 rows with missing sex removed (19.25%)
```

Impute missing values and construct logistic regressor

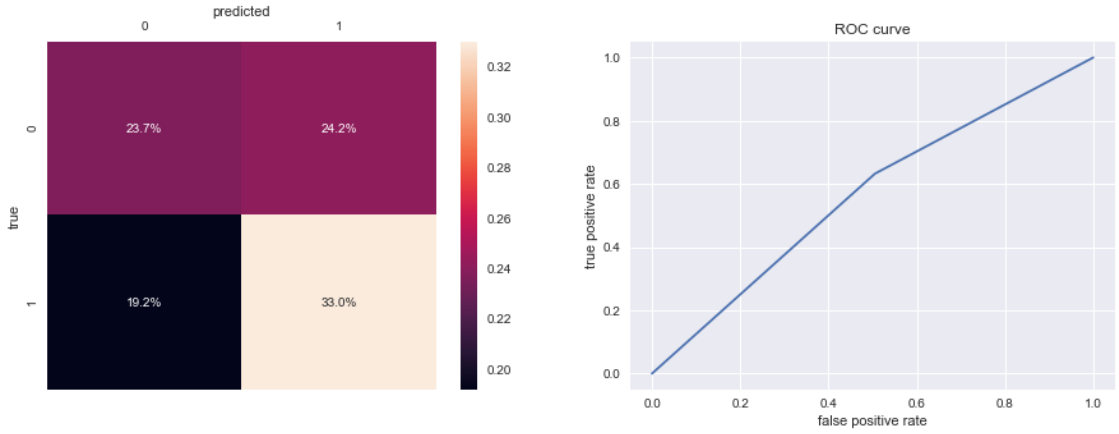
[30]:
```
# Select features to model
X = data[['patient.patientsex', 'patient.patientonsetageyear', 'route_summary']]
y = data['serious']

# Split into training data and validation data (consider cross-validation later)
X_train, X_valid, y_train, y_valid = train_test_split(X, y, test_size=0.3,␣
 ↪random_state=0)

# List categorical and numerical columns
cols_cat = ['route_summary']
patient_age = 'patient.patientonsetageyear'
imputed_X_train = X_train.copy()
imputed_X_valid = X_valid.copy()

# Apply label encoder to each column with categorical data
label_encoder = LabelEncoder()
for col in cols_cat:
    imputed_X_train[col] = label_encoder.fit_transform(X_train[col].astype(str))
    imputed_X_valid[col] = label_encoder.transform(X_valid[col].astype(str))

# Imputation: replace missing numerical data with mean value
process.impute_on_mean(imputed_X_train, 'patient.patientonsetageyear')
process.impute_on_mean(imputed_X_valid, 'patient.patientonsetageyear')

# Imputation removed column names
# Put them back
imputed_X_train.columns = X_train.columns
imputed_X_valid.columns = X_valid.columns

# define logistic regression model
log_reg = LogisticRegression();
log_reg.fit(imputed_X_train, y_train);
```

Determine accuracy of model

[31]:
```
# predict
y_pred = log_reg.predict(imputed_X_valid)
print('Accuracy of logistic regression classifier on validation set: {:.2f}'.
 ↪format(log_reg.score(imputed_X_valid, y_valid)))
confusion_matrix = metrics.confusion_matrix(y_valid, y_pred)
fig, (ax1, ax2) = plt.subplots(nrows=1,ncols=2,figsize=(15,5))
sns.heatmap(confusion_matrix/np.sum(confusion_matrix),annot=True,fmt='.
 ↪1%',ax=ax1);
ax1.set_xlabel('predicted');
ax1.set_ylabel('true');
```

```
ax1.xaxis.tick_top()
ax1.xaxis.set_label_position('top');

# plot ROC curve
fpr, tpr, _ = metrics.roc_curve(y_valid, y_pred)
ax2.plot(fpr, tpr);
ax2.set_xlabel('false positive rate')
ax2.set_ylabel('true positive rate')
ax2.set_title('ROC curve')
plt.show()

print(metrics.classification_report(y_valid, y_pred))
```

```
Accuracy of logistic regression classifier on validation set: 0.57
```




```
              precision    recall  f1-score   support

           0       0.55      0.49      0.52       578
           1       0.58      0.63      0.60       631

    accuracy                           0.57      1209
   macro avg       0.56      0.56      0.56      1209
weighted avg       0.57      0.57      0.56      1209
```

The accuracy is extremely poor for this model (little better than random). The ROC curve that plots false positive rate against true negative rate lies only slightly above the expected line for randomness. There are likely many reasons for this and I list possible next steps to improve the model below.

Next steps to improve the model

- Increase the volume of data

- Increase the number of features (e.g. country, drug type, pediatric indication, prescription/OTC)
- Balance the dataset
- Reintroduce less common administration routes
- Alter categorical data encoding (use one-hot encoding)
- Cross-validation
- Alternative approaches e.g random forest or XGBoost

Additionally, I would build the code into a pipeline rather than having each step as laid out above.

1.4 Conclusions

I have explored the FDA Adverse Reaction System and summaried the data it contains in the first notebook. Simple frequency plots and calculations are performed to understand where reports comes from, the number of reports over time, the gender breakdown of reports and the severity of the adverse responses reported.

In a second stage, I have pulled records directly from the data to create a dataset of 5,000 reports of adverse respones in the patient age group category 'children'. Using these data, I have examined the correlation of severity of response with various other reported features including age, gender, drug administration route and country. In all cases except age, a statistically significant correlation is observed. The analysis could be improved by ensuring balanced samples and accounting for variations within the population at large. A larger dataset would also produce more reliable results. Given the age range found in the 'child' category, it would likely be sensible to include all pediatric patient age ranges in future studies.

In a final stage, I have constructed an illustrative logistic regression model to predict a response as 'serious' or 'not serious' as defined by the FDA. This model is overly simplistic and requires further refinement both for reliability and for accuracy.