SIMILARITY METRICS

STARTER GUIDE



Euclidean Distance

Straight line distance between two points in euclidean space

Formula: For two points x and y with n dimensions,

$$d(x, y) = \sqrt{\sum_{i=1}^{n} (x_i - y_i)^2}$$

- Used in clustering algorithms, image processing, biometrics
- · Computationally efficient
- versatile for wide range of applications

- Sensitive to scale and outliers
- Poor performance in high dimensions
- · Assumes linearity



Manhattan Distance

Distance between two points in a grid based path

Formula: For two points x and y with n dimensions,

$$d_{\text{Manhattan}}(x, y) = \sum_{i=1}^{n} |x_i - y_i|$$

- Used in routing, robotics, and any grid-based scenarios
- It is more effective than euclidean in high-dimensional spaces
- versatile for wide range of applications

- Not suitable for non-grid worlds
- doesn't consider diognal relationships between two points
- Too much emphasis of axalselistariglet -----

Minkowski Distance

Generalization of Euclidean and Manhattan distance
Formula: For two points x and y with n dimensions,

$$D(X, Y) = \left(\sum_{i=1}^{n} |x_i - y_i|^p\right)^{\frac{1}{p}}$$

- If p=1 it is manhattan distance; if p=2 it is euclidean distance
- p can be considered hyper-parameter in training
- Higher values of p can be used to emphasize larger distances between points



Cosine Similarity

measures the cosine of angle between two vectors

Formula: For two points x and y with n dimensions,

$$d(x,y) = \frac{x \cdot y}{||x|| \cdot ||y||} = \frac{\sum_{i=1}^{n} x_i y_i}{\sqrt{\sum_{i=1}^{n} x_i^2} \cdot \sqrt{\sum_{i=1}^{n} y_i^2}}$$

- Used extensively in NLP tasks like text clustering and classification
- · Also used for image-image and image-text retrieval
- It captures semantic similarity, insensitive to magnitude and scaling, and works great in high-dimensional data

- Sensitive to noise
- May not work well for non-vector data



Hamming distance

measures the positional differences between two strings of equal length

Formula: For two strings s and t of length n,

$$d_{H}(s,t) = \sum_{i=1}^{n} \left| s_{i} - t_{i} \right|$$

- Used in error detection, DNA sequencing and networking
- Works well for categorical data with small no. of categories
- · Computationally efficient

- · Doesn't capture any context and semantics
- · Doesn't work well for continuous data



Jaccard Index

Size of intersection divided by size of union (IoU)
Formula:

$$J(A,B) = \frac{|A \cap B|}{|A \cup B|}$$

- Used in image segmentation, information retreival, and bioinformatics
- · Effective for sparse data
- Insensitive to size of A and B

- Doesn't consider the magnitude of elements in A and B
- · Doesn't work well for continuous data
- Insensitive to small overlaps



THANK YOU FOR READING TILL THE END

SEE YOU IN THE NEXT ONE!

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