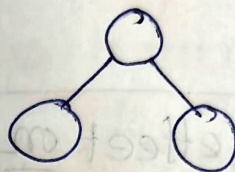
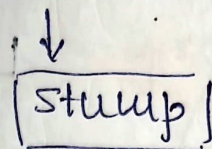


AdaBoost:

1. combines lot of weak learners.



2. Some stumps have more-to-say in the final decision unlike RF.
3. Each Stump try to reduce previous stump's mistake.

↳ by sampling wrongly classified data more times by increasing the weights of wrongly classified data.

Steps:

- ① assign sample weight.

say, $n = 8$

$$w_i = 0.125$$

$$\text{initially, } w_i = \frac{1}{n}$$

$n = \text{row numbers}$

- ② split by every attribute and calculate Gini Impurity & weighted GI.

PW > 17G

Y

N

HD	
correct	IC
3	0

HD	
C	IC
4	1

$$\bullet \left(\frac{3}{8}\right)^2 + \left(\frac{0}{0}\right)^2$$

$$= \frac{1}{4} = \frac{17}{25} = 0.68$$

$$\bullet \left(\frac{4}{5}\right)^2 + \left(\frac{1}{5}\right)^2$$

$$\bullet \text{ weight for } Y = \frac{3}{8}$$

$$\bullet \text{ weight for } N = \frac{5}{8}$$

$$\bullet WGI = 1 - \left(\frac{3}{8} \times 1 + \frac{5}{8} \times 0.68 \right)$$

$$= 1 - (0.375 + 0.425)$$

$$= 1 - 0.8$$

$$= 0.2$$

→ based on the lowest WGI, choose the attribute and split it.

③ Now calculate Total Error; # of rows misclassified by the attribute.

Ex: say if we split by PW, 1 row get misclassified.

$$\hookrightarrow \text{Then total error} = \frac{1}{8} = \frac{1}{n}$$

④ Now calculate amount of say for that stump:

• Amount of say $= \frac{1}{2} \log \frac{1 - TE}{TE}$

for, 1W, AOS $= 0.5 \times \log \left(\frac{1 - 0.125}{0.125} \right)$
 $= 0.5 \times \log(7) = 0.5 \times \ln(7)$

$AOS = 0.97$

⑤ Now assign new sample weight:

a) for misclassified:

• New SW $= \text{old SW} \times e^{AOS}$

b) for correctly classified:

• New SW $= \text{old SW} \times e^{-AOS}$

and normalize them:

$\tilde{w}_i = \frac{w_i}{\sum w_i}$ $w_i = \text{New SW}$

⑥ Now assign range for each row:

w_i	r_i	range	↓ cumulative sum
0.07	1	0 - 0.07	
0.07	2	0.07 - 0.14	
0.07	3	0.14 - 0.28	
0.07	4	0.24 - 0.77	
0.07	5	0.77 - 0.84	
0.07			

→ misclassified one have max width.

1

⑦ Now generate random number b/w 0 to 1 and choose the row in which bin it falls.

↳ misclassified one ie, having max bin width will have max ~~error~~ probability to get picked up.

↳ This way sampling → create new dataset.

⑧ Now repeat from step 2:

↳ and make all sample weights to $\frac{1}{n}$ again.

→ can not handle missing values by default.

→ sensitive to outliers.

↳ can have large impact on the weights in each iterations.

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