HW2

Asa Di Carlo

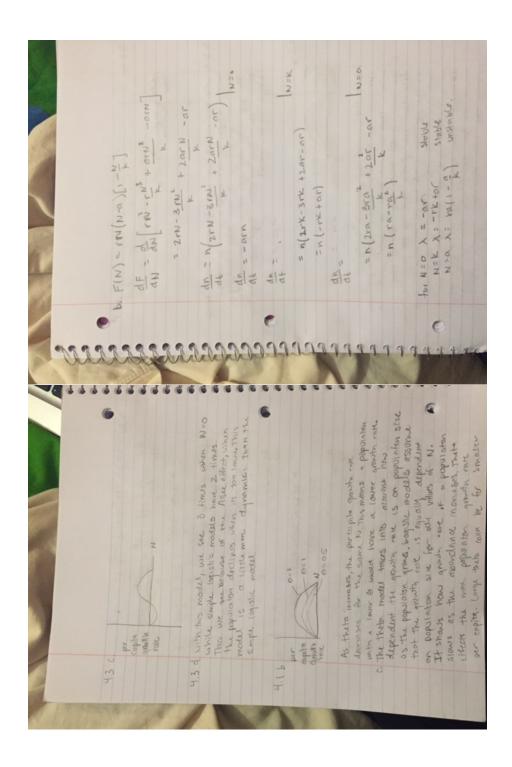
April 2016

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Sorry this got a little out of order, but I numbered everything.

|N(N)| = r + r + C ecintus case - N(0) $N = e^{rt} N(0)$ $F(N) = c N \left(1 - \left(\frac{|N|}{r}\right)^{0}\right)$ 3rt dW = 0 and get N O = F(N)

O = (N (1 - (R))) AF = dr - dr (N) to dF du [rn-rn(Nb) Tila dN = F(N) equilibria N=0 dn = rat Stability for N=0 x=r urstable dn ~ n (r-fo (1+0) N) | N
= n (r-r (1+0))
= n(r-(-r+0))
= n(r-r-0)
= n(r-r-0) de = n (r - K (110) NO) 4.3 a olw = rN(N-a)[1-k] at 2 ndE | si=0 -- NCB かっている 100 × dh = nr



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animals like ingelts. they only the fact they controlls the	dk - rN (1- k)	refer = en((2)) - 1 (k-N)	(K-N)(e-e+)=N Ke-e+-Ne-e+-N Ke-e+-Ne-e+-N Ke-e+-Ne-e+Ne-e+-Ne-e+-Ne-e+-Ne-e+-Ne-e+Ne-e+	146'ert =N 1+6'ert =N N(0)ert =N(T) 1+ N(0) ert	
imads I	OR NO. W	rate = F	Kecert Kecert	1 + C - C - N - N - N - N - N - N - N - N -	4

Logistic Growth a. Code:

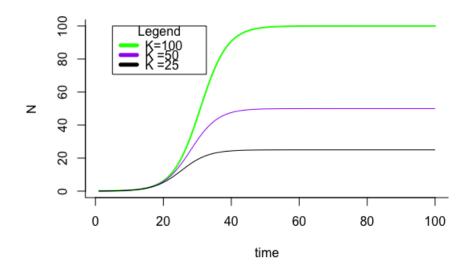
```
# gives dsSolve control over the script
library (deSolve)
\# logistic growth function
log.growth \leftarrow function(t, y, p)  {
 N \leftarrow y[1]
  with (as. list(p), \{
    dN.dt < r * N * (1 - (N/K))
    return(list(dN.dt))
  })
}
# gives vales for function
p \leftarrow c('r' = 0.25, 'K' = 100)
y0 \leftarrow c('N' = runif(1, min = 0.01, max = 0.1))
t < -1:100
#runs and stores solution data for the ode
sim \leftarrow ode(y = y0, time = t, func = log.growth, parms = p
   , method = 'lsoda')
sim <- as.data.frame(sim)
# plot my simulation
plot (N ~ time, data = sim, type = '1', lwd = 2, bty = '1'
    , col = 'green')
\# defines new values for function and plots it
p.2 \leftarrow c('r' = 0.25, 'K' = 50)
sim.2 \leftarrow ode(y = y0, time = t, func = log.growth, parms =
    p.2, method = 'lsoda')
\sin .2 \leftarrow as.data.frame(\sin .2)
points (N ~ time, data = sim.2, type = 'l', col = 'purple'
   )
\# defines new values for function and plots it
p.3 \leftarrow c('r' = 0.25, 'K' = 25)
sim.3 \leftarrow ode(y = y0, time = t, func = log.growth, parms =
    p.3, method = 'lsoda')
sim.3 \leftarrow as.data.frame(sim.3)
points (N ~ time, data = sim.3, type = 'l')
```

```
#to create legend

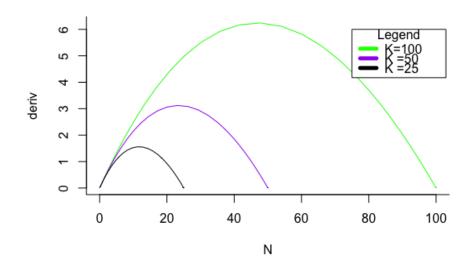
v <- strwidth('green_K_=_100')

legend(5,100,c("K=100", "K_=50", "K_=25"), text.width = v

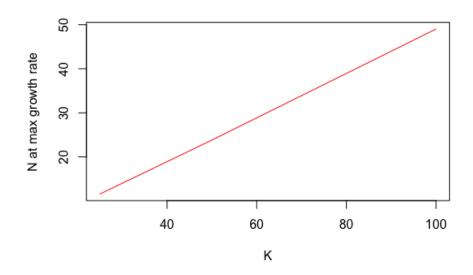
, lty=c(1,1,1), title = "Legend",lwd = c(5.0, 5.0,
5.0), col = c("green", "purple", "black"))
```



b. Code:



c. Code:



Fishery Population Growth

Species C will be maintained at the highest abundance because it has the highest population (N) at max the growth $N(C) \approx 55.55$ compared to $N(A) \approx 41.60$ and $N(B) \approx 47.49$

Code:

```
library (deSolve)
\# logistic growth function
log.growth \leftarrow function(t, y, p)  {
  N \leftarrow y[1]
  with (as. list(p), \{
    dN. dt <- r * N * (1 - (N / K)^theta)
    return(list(dN.dt))
  })
}
# gives vales for function
p \leftarrow c('r' = 0.25, 'K' = 100, 'theta' = 0.5)
y0 \leftarrow c('N' = 0.05)
t < -1:100
#runs and stores solution data for the ode
sim \leftarrow ode(y = y0, times = t, func = log.growth, parms =
   p, method = 'lsoda')
sim \leftarrow as.data.frame(sim)
\# plot my simulation
plot(N ~ time, data = sim, type = 'l', lwd = 2, bty = 'l'
    , col = 'blue')
\# defines new values for function and plots it
p.2 \leftarrow c('r' = 0.25, 'K' = 100, 'theta' = 1)
sim.2 \leftarrow ode(y = y0, times = t, func = log.growth, parms
   = p.2, method = 'lsoda')
\sin . 2 \leftarrow as. data. frame(\sin . 2)
points (N ~ time, data = sim.2, type = '1', lwd = 2, bty =
     'l', col = 'orange')
\# defines new values for function and plots it
p.3 \leftarrow c('r' = 0.25, 'K' = 100, 'theta' = 1.8)
sim.3 \leftarrow ode(y = y0, times = t, func = log.growth, parms
```

```
= p.3, method = 'lsoda')
sim.3 \leftarrow as.data.frame(sim.3)
points (N ~ time, data = sim.3, type = 'l', lwd = 2, bty =
     'l', col = 'green')
# computes derivative
sim deriv \leftarrow c(diff(sim N), NA)
sim.2\$deriv \leftarrow c(diff(sim.2\$N), NA)
sim.3\$deriv \leftarrow c(diff(sim.3\$N), NA)
\# plots pop level growth rate vs pop abundance
plot(deriv N, data = sim, type = 'l', col = 'green',
bty = 'l', ylim = \mathbf{c}(0,10))

points(deriv N, data = sim.2, type = 'l', col = 'purple
    ', bty = '1'
points (deriv ~ N, data = sim.3, type = '1', bty = '1')
\#c. finds pop abundance that yeilds max growth rate
a1 <- sim$N[which(sim$deriv == max(sim$deriv, na.rm =
   TRUE))]
a2 \leftarrow sim.2 $N[which(sim.2$deriv = max(sim.2$deriv, na.rm
    = TRUE))
a3 \leftarrow sim.3 $N[which(sim.3$deriv = max(sim.3$deriv, na.rm
    = TRUE))
```

