

# Algorithms

## What is an algorithm?

An algorithm is a procedure, recipe, process to accomplish a task. It takes value as input and delivers a value as output.

## How to develop an algorithm?

The development of an algorithm has four crucial steps:

1. **Specification:** Be clear what the problem is
2. **Design:** Specify structure of the solution, usually in pseudocode
3. **Development:** Convert pseudocode in chosen language (C, Python, Java etc.)
4. **Testing:** if all inputs deliver all necessary outputs

## Example: Linear search in Pseudocode

```
# Linear search last occurrence
p = NIL;
for i = 1 to n do
    if A[i]==v then p=i;
return p;
```

Here we are defining our variable p as 0. For the range of 1 to n in our array A, we are checking the values (v). If we find a value which matches our input, we set it equal to p and return it.

```
# Linear search first occurrence
i = 1;
while i <= n and A[i] != v do i++;
if i <= n then return i;
else return NIL;
```

Here we are setting i to 1. While i is less or equal number of array elements and there is no match in value with the array, keeping adding 1. If i is less or equal n, return i else return 0.

```
#include <stdio.h>

#define n 5

int i, v;
int a[] = { 11, 1, 4, -3, 22 };
int main() {
    i = 0; v = -2;
    while (i < n && a[i] != v) { i++; }
    if (i < n) { printf("%d\n", i); }
```

```

    else { printf("NIL\n"); }
}

```

Here we see how we would do the linear search task with C. As visible, the pseudocode comes very close to what we write in C. Pseudocode allows us to roughly structure out our code, before we write it any language. The Java code for this algorithm is also very close to pseudocode, making it a invaluable tool for construction of algorithms.

```

import java.io.*;
class search {
    static int n = 5;
    static int i, v;
    static int a[] = { 11, 1, 4, -3, 22 };
public static void main(String args[]) {
    i = 0; v = 22;
    while (i < n && a[i] != v) { i++; }
    if (i < n) { System.out.println(i); }
    else { System.out.println("NIL"); }
}
}

```

### Prime number filter in pseudocode

```

A[0] = False; A[1] = False;
for i = 2 to n do A[i] = True;
for i = 2 to floor(n/2) do
    for j = 2 to floor(n/i) do
        A[i*j] = False;

```

This is called the *Sieve of Eratosthenes*. Here we are given an array with all numbers from 0 to  $n$ . We set the first two elements, being  $A[0] = 0$  and  $A[1] = 1$ , to False. We know that these 2 numbers are not primes. Starting from  $i = 2$ , we set all the other elements to True. We then divide our number of array elements by 2 using  $(\text{floor}(n/2))$  - the floor function rounds the float to an integer. What we then do is check which of the remaining elements we have in our array are possible to be reached as a multiple  $A[i*j]$  of our elements  $i$  and  $j$ . Here we can see how this happens .

### Sorting algorithms

#### Bubble sort

#### Selection sort

#### Insertion sort