SAI - 2020 Motion and Deep learning



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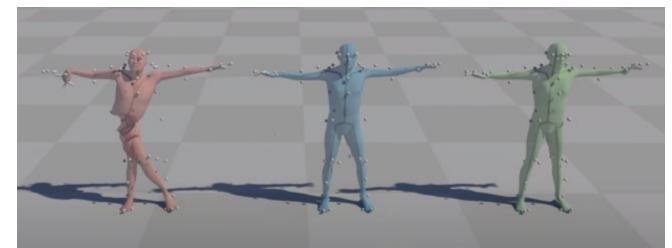
Deep learning in CGI

Denoise

Improving corrupted data

모션 입력(좌), 왼쪽에서부터 오른쪽으로 순서대로 uncleaned data, denoised data, hand-cleaned data





출처: Ubisoft

좌우 그림에서 좌측은 간단한 path tracing으로 렌더된 이미지들, 중간은 RL/ML 개선된 이미지들 02



AN OVERVIEW



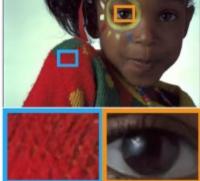
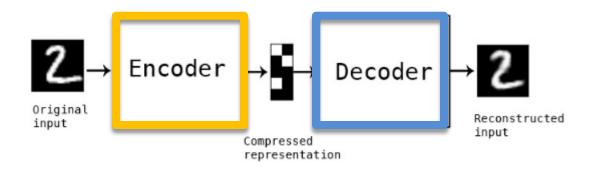


Figure 1. Example results for Poisson noise ($\lambda = 30$). Our result was computed by using noisy targets.



Learning motion manifold with Convolutional AE

What is Convolutional AutoEncoder?



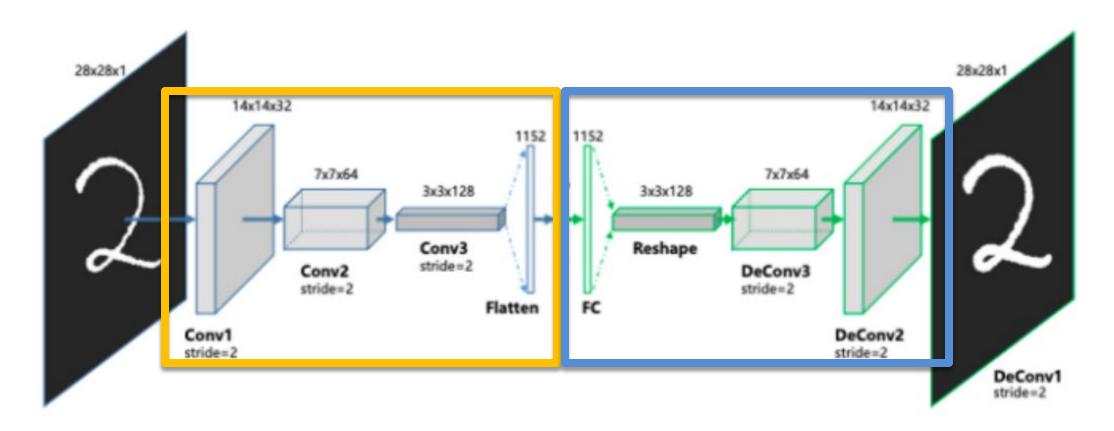
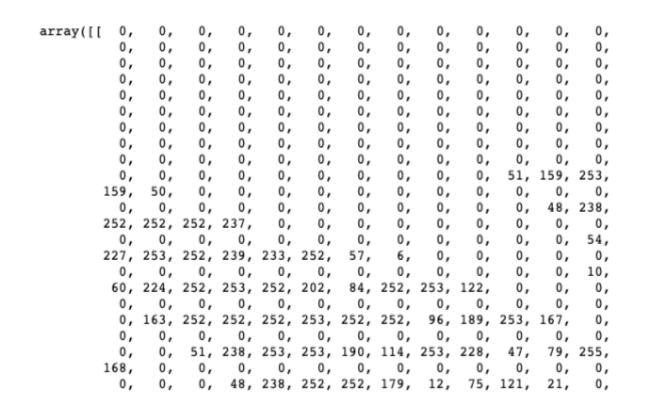


Figure (D)

Encoder: Filtering + MaxPooling



In order to fit a neural network framework for model training, we can stack all the $28 \times 28 = 784$ values in a column. The stacked column for the first record look like this: (using $x_{train[1].reshape(1,784)}$):



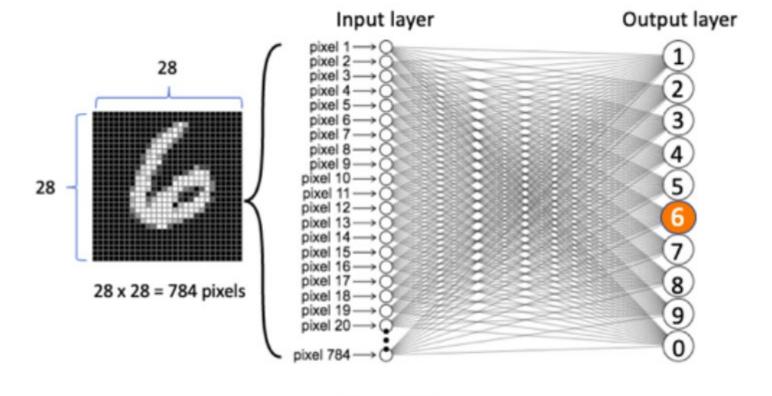


Figure (B)



Encoder: Filtering + MaxPooling

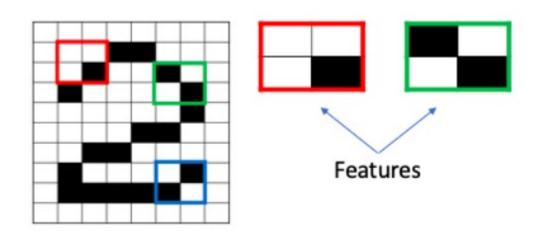
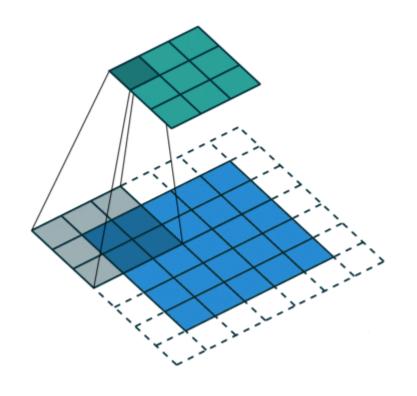


Figure (E): The Feature Maps



filtering

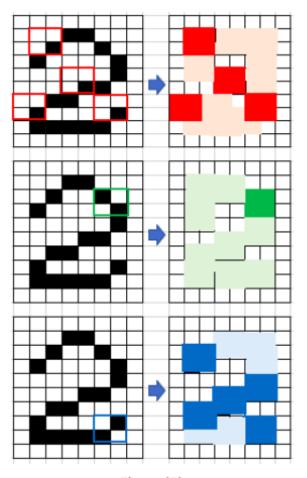


Figure (G)

Encoder: Filtering + MaxPooling

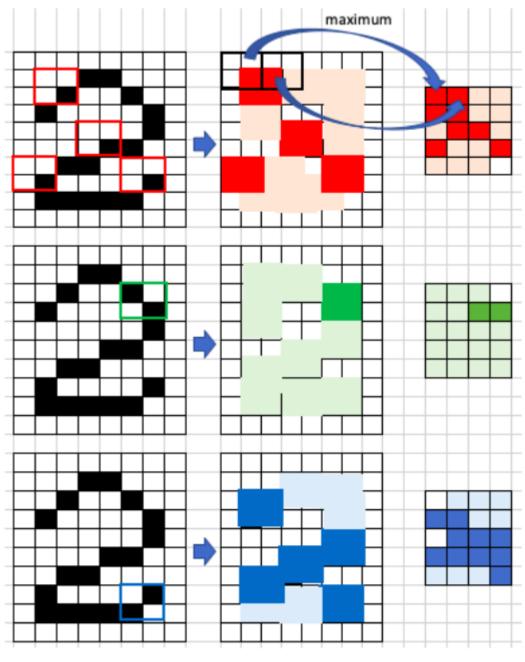
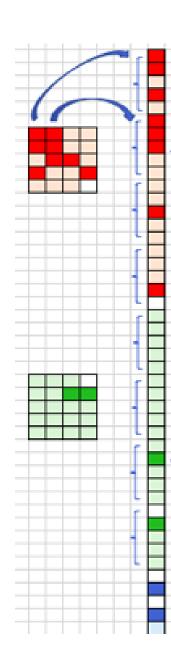


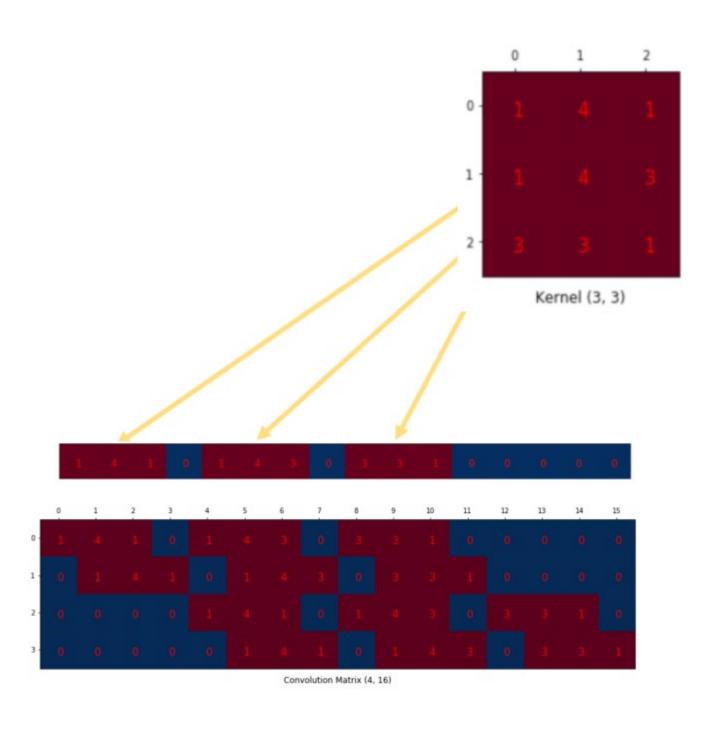
Figure (H): Max Pooling

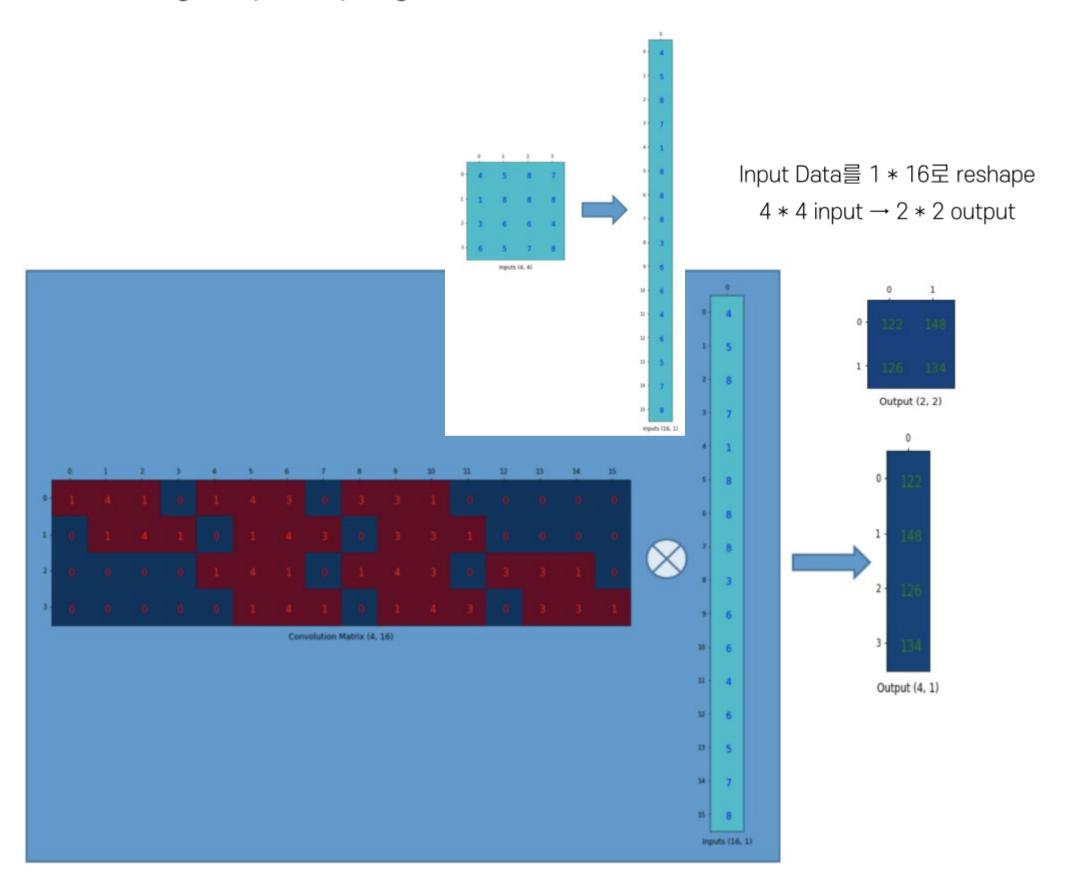
Max pooling



Decoder: Filtering + UpSampling

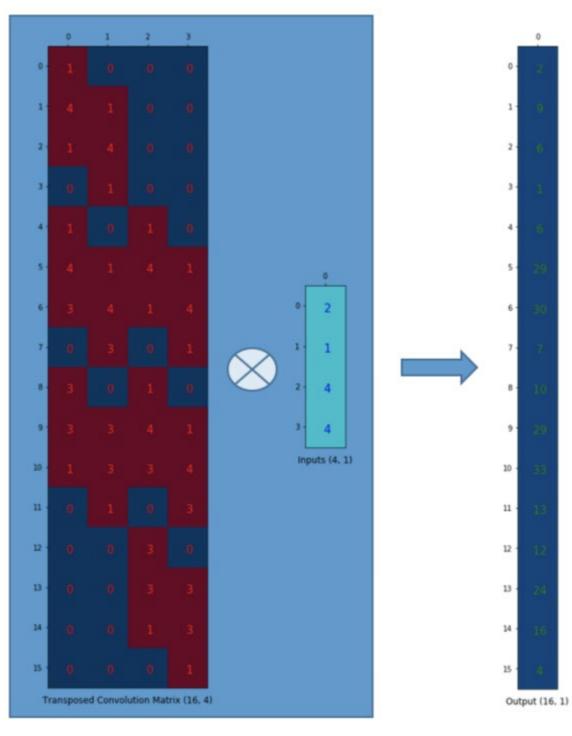






Decoder: Filtering + UpSampling

Transpose Convolutional matrix

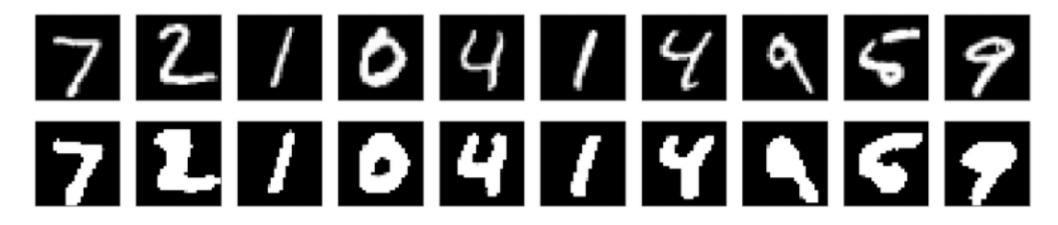


Input Data(2*2)를 1*4로 reshape 2*2 input → 4*4 output

Convolution By Matrix Multiplication

궁금해서 한 번 해본 Autoencoder

모델 학습 결과물:



결과물:

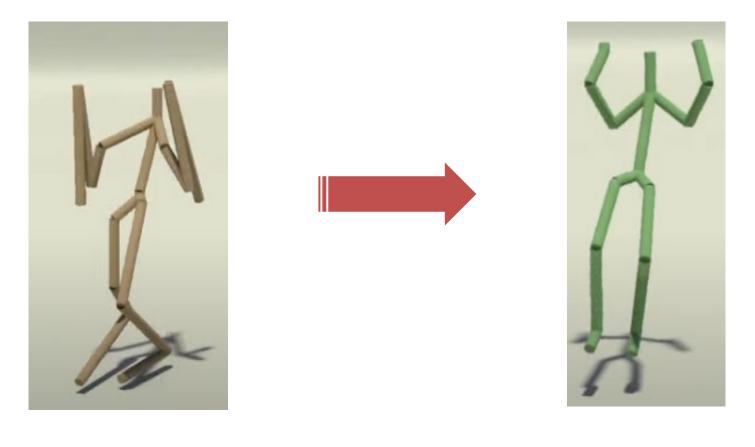


결론: 그냥 CNN이다

Encoder & Decoder가 있는

Learning motion manifold with CAE

다량의, 노이즈가 낀 모션 데이터를 CAE로 학습해보자



Biologically impossible Unrealistic "Fast" motion

Valid motion

Time series of human pose: Visible unit n: num of frames m: num of degree of freedom, $\mathbf{X} \in \mathbb{R}^{nm}$ $\mathbf{Y} \in [-1,1]^{ik}$

 $k \in \mathbb{R}^{nm}$ Weights/Biases $k \in [-1,1]^{ik}$

Hidden unit

Tanh의 함수의 범위

Max pooling

Projection

$$\Phi_k(\mathbf{X}) = \tanh(\Psi(\mathbf{X} * \mathbf{W}_k + \mathbf{b}_k))$$

Inverse Projection

$$\mathbf{\Phi}_k^{\dagger}(\mathbf{Y}) = (\mathbf{\Psi}^{\dagger}(\tanh^{-1}(\mathbf{Y})) - \mathbf{b}_k) * \tilde{\mathbf{W}}_k$$

Initial value: 0

 \mathbf{W}, \mathbf{b}

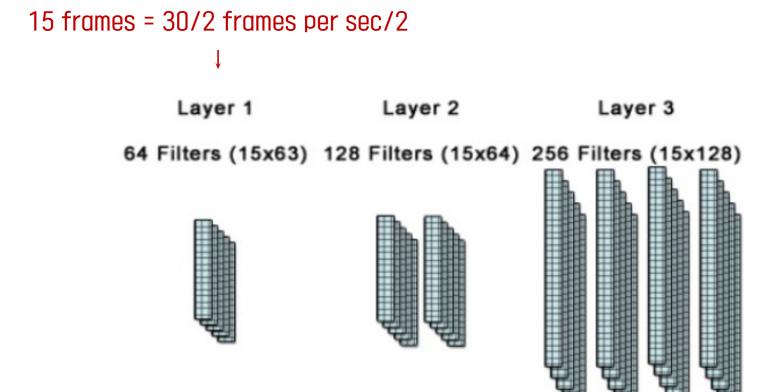


Figure 2: Structure of the Convolutional Autoencoder. Layer 1 contains 64 filters of size 15x63. Layer 2 contains 128 filters of size 15x64. Layer 3 contains 256 filters of size 15x128. The first dimension of the filter corresponds to a temporal window, while the second dimension corresponds to the number of features/filters on the layer below.

Sub-sampled input data = X
Sub-sampled input data = X
160 frames roughly covers 5 sec
= covers distinct motion

Visible Units L1 Hidden L2 Hidden L3 Hidden (160x63) (80x64)(40x128) (20x256) Convolution & Max Pooling One dimension convolution Normalized joint lengths.. etc Depooling & Deconvolution

Encoder:
$$\mathbf{\Phi}_k(\mathbf{X}) = anh(\mathbf{\Psi}(\mathbf{X}*\mathbf{W}_k+\mathbf{b}_k))$$

Decoder:
$$\mathbf{\Phi}_k^\dagger(\mathbf{Y}) = (\mathbf{\Psi}^\dagger(anh^{-1}(\mathbf{Y})) - \mathbf{b}_k) * \tilde{\mathbf{W}}_k$$

Ground truth data
$$0.01$$
 $Loss(\mathbf{X}) = \|\mathbf{X} - \mathbf{\Phi}^\dagger(\mathbf{\Phi}(\mathbf{X}_c))\|_2^2 + \alpha \|\mathbf{\Phi}(\mathbf{X}_c)\|_1$ Mean Squared Error Loss 노이즈가 첨가된 data







Stepped Motion

Projected

Ground Truth

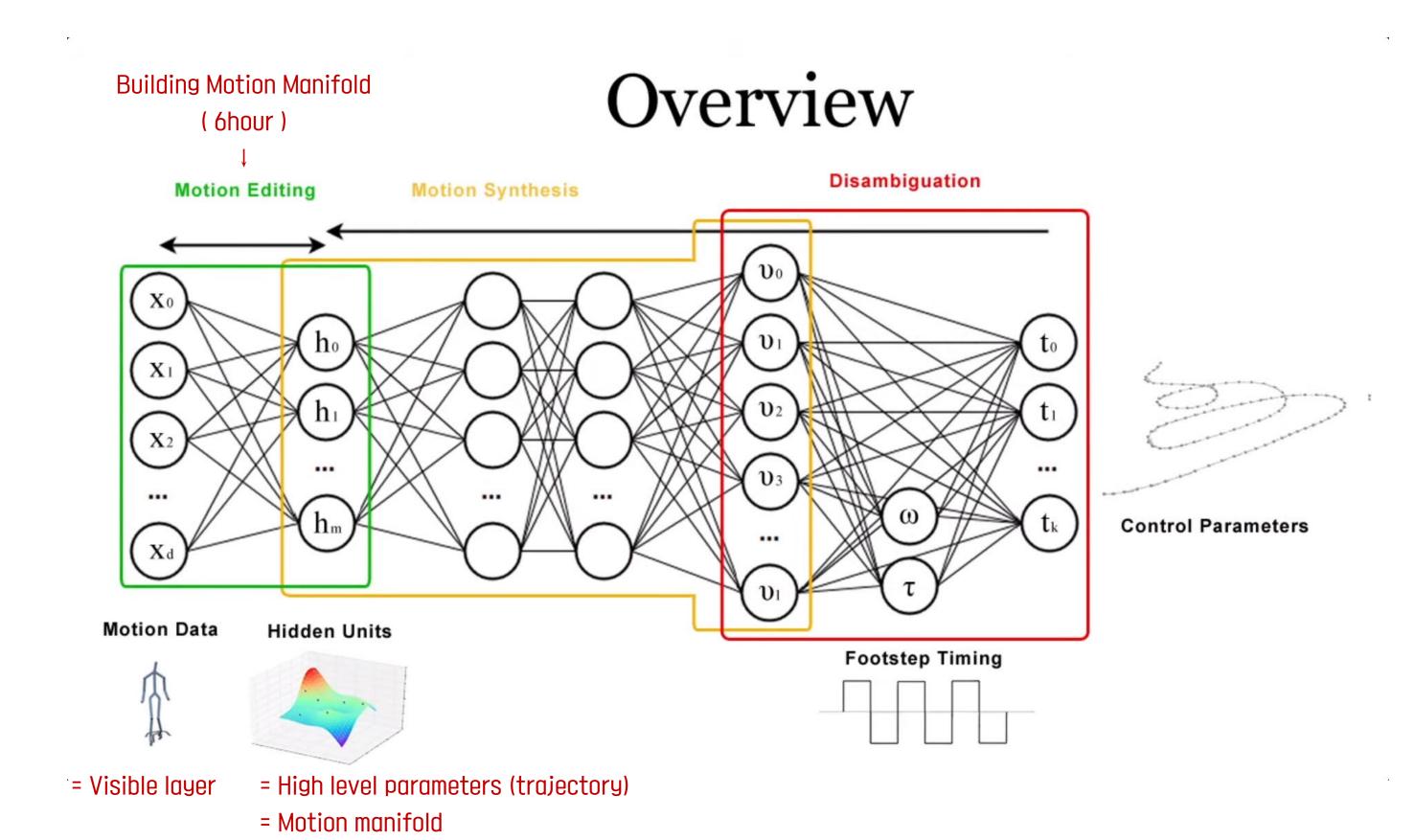


DL framework for Character Motion synthesis

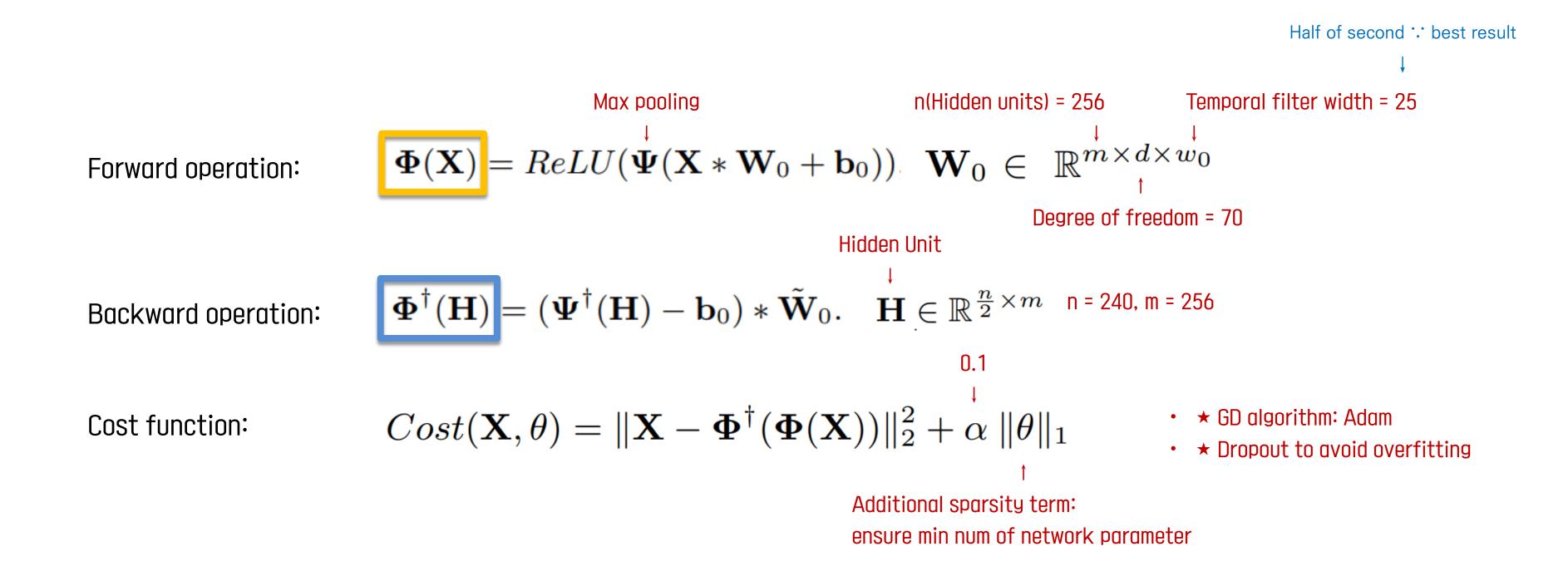
Solved Issues

Hovering Character → Some-how similar to human "walking"

Motion Editing



Building Motion manifold (위 내용과 거의 동일)



Structure of the Feedforward Network

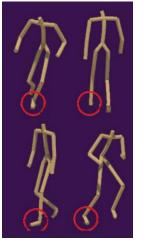
$$h_1, h_2$$
 w_1, w_2, w_3 l 64, 128, 45, 25, 15 and 7,

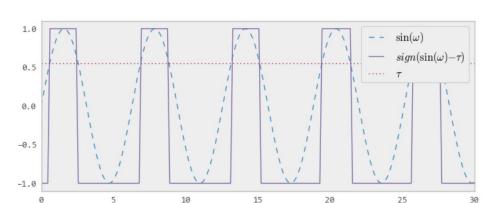
$$\mathbf{T} \in \mathbb{R}^{n imes k}$$
Contact: 1, Else: -1
 $\mathbf{F} \in \{-1,1\}^{n imes 4}$

$$\mathbf{\Pi}(\mathbf{T}) = ReLU(\mathbf{\Psi}(ReLU(ReLU(\mathbf{T}))) + \mathbf{W}_1 + \mathbf{b}_1) * \mathbf{W}_2 + \mathbf{b}_2) * \mathbf{W}_3 + \mathbf{b}_3), \quad (4)$$

where $\mathbf{W}_1 \in \mathbb{R}^{h_1 \times l \times w_1}$, $\mathbf{b}_1 \in \mathbb{R}^{h_1}$, $\mathbf{W}_2 \in \mathbb{R}^{h_2 \times h_1 \times w_2}$, $\mathbf{b}_2 \in \mathbb{R}^{h_2}$, $\mathbf{W}_3 \in \mathbb{R}^{m \times h_2 \times w_3}$, $\mathbf{b}_3 \in \mathbb{R}^m$, h_1, h_2 are the

$$Cost(\mathbf{T}, \mathbf{X}, \phi) = \|\mathbf{X} - \mathbf{\Phi}^{\dagger}(\mathbf{\Pi}(\mathbf{T}))\|_{2}^{2} + \alpha \|\phi\|_{1}$$

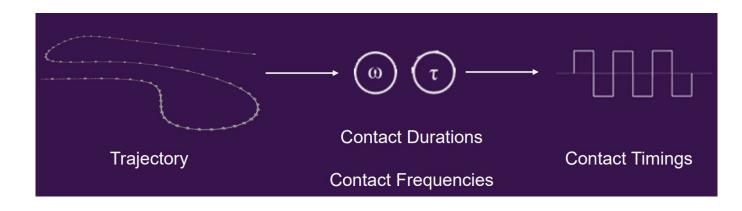




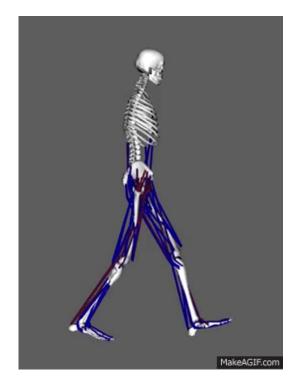
where $\mathbf{F} \in \{-1, 1\}^{n \times 4}$ is a matrix that represents the contact states of left heel, left toe, right heel, and right toe at each frame, and

$$\mathbf{F}(\omega,\tau) = \begin{bmatrix} sign(\sin(c\,\omega + a^h) - b^h - \tau^{lh}) \\ sign(\sin(c\,\omega + a^t) - b^t - \tau^{lt}) \\ sign(\sin(c\,\omega + a^h + \pi) - b^h - \tau^{rh}) \\ sign(\sin(c\,\omega + a^t + \pi) - b^t - \tau^{rt}) \end{bmatrix}^{\mathsf{T}}$$

where ω and τ control the *frequency* and *step duration* at each frame



Structure of the Feedforward Network



Gait cycle (보행 주기)

보행 주기의 나쁜 예(?):



Contact frequency:
$$\omega_i = \Delta \omega_i + \Delta \omega_{i-1} + ... + \Delta \omega_0$$
 $\Delta \omega_i = \frac{\pi}{L_i}$ wavelength of the steps.

Contact duration:
$$au_i = \cos \frac{\pi d_i}{u_i + d_i}$$
 of the number of frames with the foot up u_i over the number of frames with the foot down d_i .

matrix
$$\Gamma = \{\tau^{lh}, \tau^{lt}, \tau^{rh}, \tau^{rt}, \Delta\omega\}$$

Locomotion Path

$$\mathbf{\Gamma}(\mathbf{T}) = ReLU(\mathbf{T} * \mathbf{W}_4 + \mathbf{b}_4) * \mathbf{W}_5 + \mathbf{b}_5 \qquad w_4, w_5 \ h_4 \ k, l$$

$$\mathbf{W}_4 \in \mathbb{R}^{h_4 \times k \times w_4}, \ \mathbf{b}_4 \in \mathbb{R}^{h_4}, \ \mathbf{W}_5 \in \mathbb{R}^{l \times h_4 \times w_5}, \ \mathbf{b}_5 \in \mathbb{R}^l$$
3 and 5

Network trained
$$\rightarrow$$

$$\mathbf{F}(\omega, \tau) = \begin{bmatrix} sign(\sin(c \, \omega + a^h) - b^h - \tau^{lh}) \\ sign(\sin(c \, \omega + a^t) - b^t - \tau^{lt}) \\ sign(\sin(c \, \omega + a^h + \pi) - b^h - \tau^{rh}) \\ sign(\sin(c \, \omega + a^t + \pi) - b^t - \tau^{rt}) \end{bmatrix}^{\mathsf{T}}$$

Motion Editing

Apply constraints in the hidden space

Positional Constraints:
$$Pos(\mathbf{H}) = \sum_{j} \|\mathbf{v}_{r}^{\mathbf{H}} + \boldsymbol{\omega}^{\mathbf{H}} \times \mathbf{p}_{j}^{\mathbf{H}} + \mathbf{v}_{j}^{\mathbf{H}} - \mathbf{v}_{j}'\|_{2}^{2}.$$

Fixing foot sliding

Bone Length Constraints:
$$Bone(\mathbf{H}) = \sum_{i} \sum_{b} |||\mathbf{p}_{b_{j_1}}^{\mathbf{H}i} - \mathbf{p}_{b_{j_2}}^{\mathbf{H}i}|| - l_b|^2$$

Preserve rigidity

Trajectory Constraints:
$$Traj(\mathbf{H}) = \|\omega^{\mathbf{H}} - \omega'\|_2^2 + \|\mathbf{v}_r^{\mathbf{H}} - \mathbf{v}_r'\|_2^2$$

Constrain motion into precise trajectory

$$\mathbf{H}' = arg \min_{\mathbf{H}} \ Pos(\mathbf{H}) + Bone(\mathbf{H}) + Traj(\mathbf{H}).$$

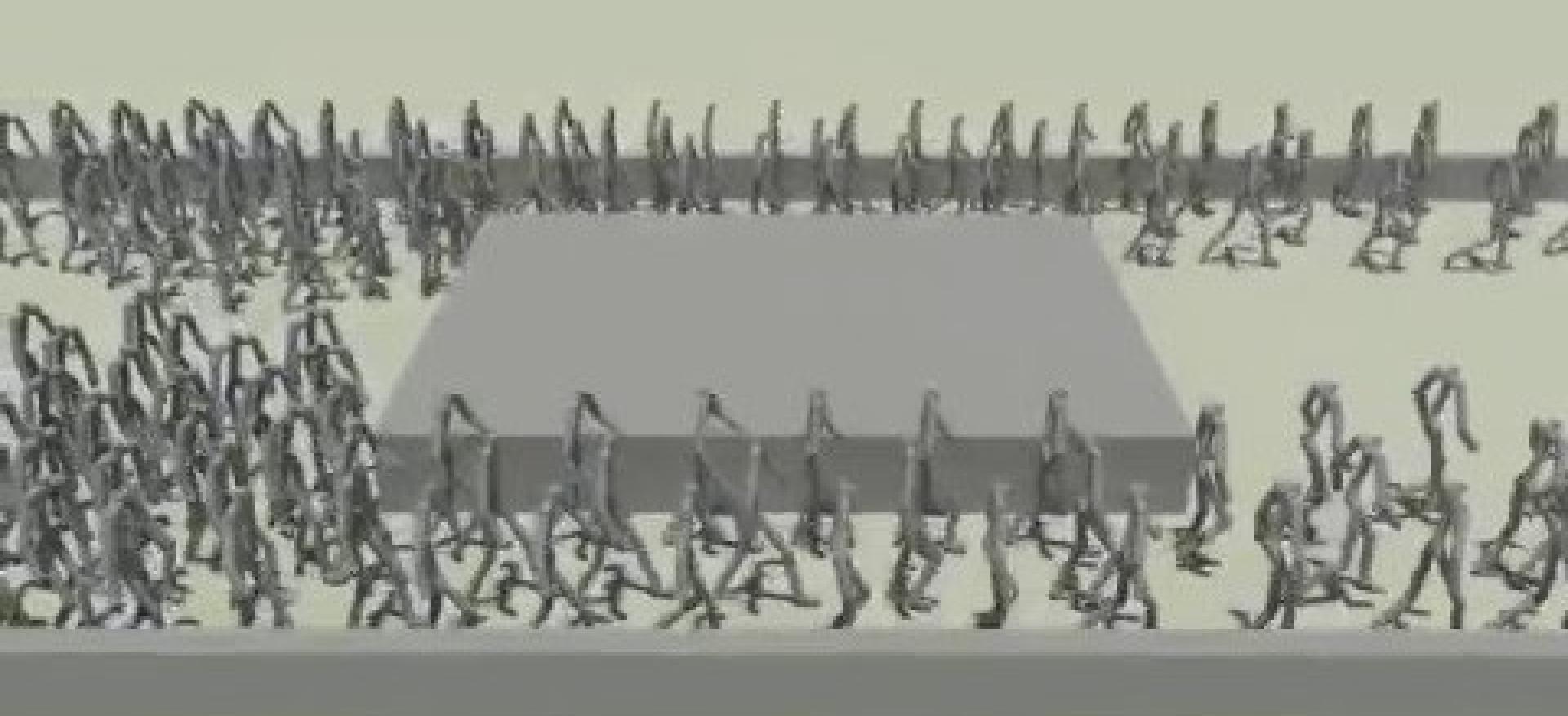
Motion Editing

Apply style in the hidden unit values which produce Gram matrix

Gram Matrix에 대한 짧은 설명 by 홍교수님 http://blog.naver.com/PostView.nhn?blogId=atelierjpro&logNo=221180412283

Style 삼관계수 = 1.0 Content 삼관계수 = 0.01
$$Style(\mathbf{H}) = \overset{\downarrow}{s} \|G(\mathbf{\Phi}(\mathbf{S})) - G(\mathbf{H})\|_2^2 + \overset{\downarrow}{c} \|\mathbf{\Phi}(\mathbf{C}) - \mathbf{H}\|_2^2$$
 Compute Gram matrix

$$G(\mathbf{H}) = \frac{\sum_{i}^{n} \mathbf{H}_{i} \mathbf{H}_{i}^{\mathsf{T}}}{n}.$$





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