

# **Digital Image Processing**

## **Image Enhancement**

**by**

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# Background

- ❑ Very first step in Digital Image Processing.
- ❑ It is purely subjective.
- ❑ It is a cosmetic procedure.
- ❑ It improves subjective qualities of images.
- ❑ It has two domains:
  - ❑ Spatial domain
  - ❑ Frequency domain

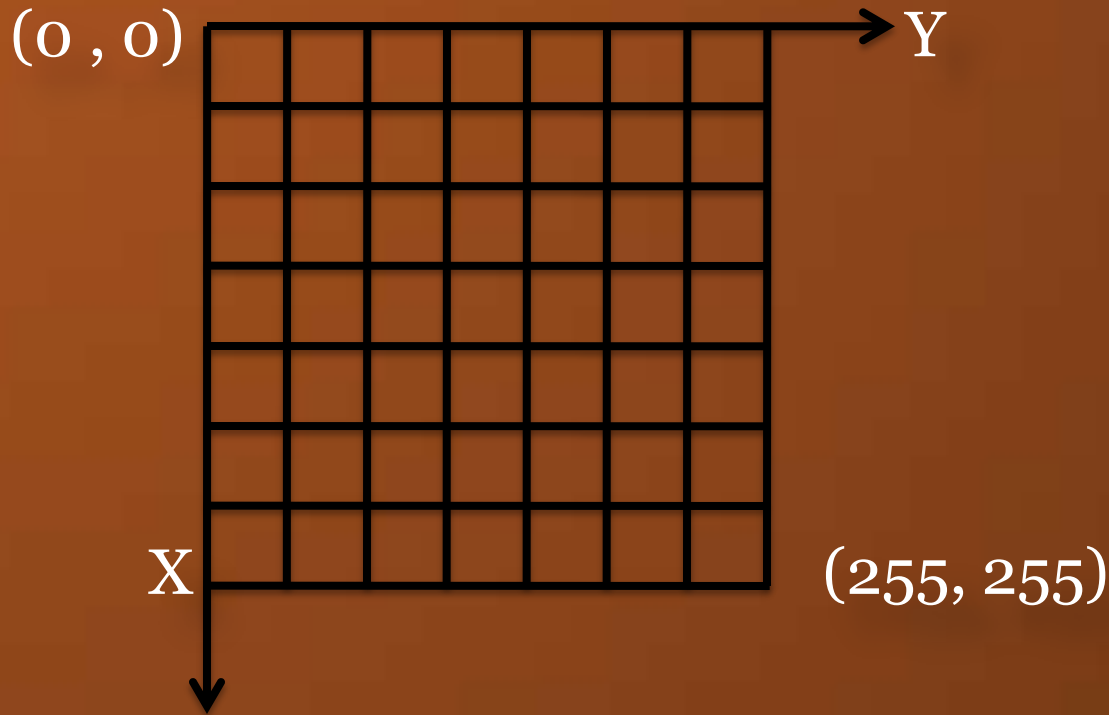
# Spatial Domain

- ❑ Spatial means working in space i.e. (given image).
- ❑ It means working with pixel values or raw data.
- ❑ Let  $g(x, y)$  be original image
- ❑        where  $g$  is gray level values &  $(x, y)$  is co-ordinates
- ❑ For 8-bit image,  $g$  can take values from 0 – 255

where 0 – BLACK ,  
255 – WHITE &  
others - shades of GRAY

# Spatial Domain

□ In an image with size 256 x 256,  $(x, y)$  can assume any value from  $(0, 0)$  to  $(255, 255)$ .



# Spatial Domain

- Applying transform modifies the image

$$f(x,y) = T g(x,y)$$

where,

$g(x,y)$  is original image

$T$  is transformation applied on  $g(x,y)$

$f(x,y)$  is new modified image

- In spatial domain techniques simply  $T$  changes.
- Spatial domain enhancement is carried out in two ways:
  - Point processing
  - Neighborhood processing

# Point Processing

- ❑ Here, we work on single pixel i.e.  $T$  is  $1 \times 1$  operator.
- ❑ New image depends on transform  $T$  and original image.
- ❑ Some important examples of point processing are:
  - ❑ Digital Negative
  - ❑ Contrast Stretching
  - ❑ Thresholding
  - ❑ Gray level slicing
  - ❑ Bit plane slicing
  - ❑ Dynamic range compression

# Point Processing

## □ Identity Transformation:

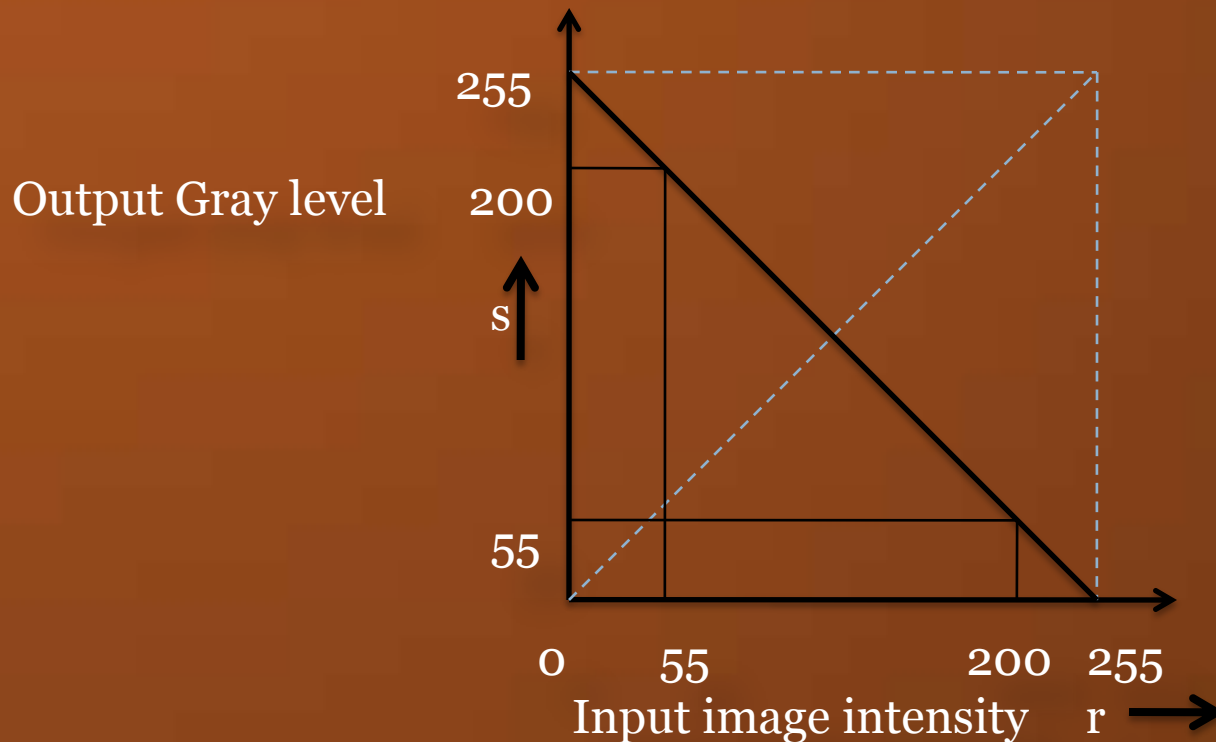


- It does not modify the input image at all.
- In general,  $s = r$

# Point Processing

## 1) Digital Image Negative:

- Useful in large applications e.g. X-ray images.
- Negative means inverting gray levels.





# Point Processing

➤ Digital Negative can be obtained by:

$$s = 255 - r \quad (\text{where, } r_{\max} = 255)$$

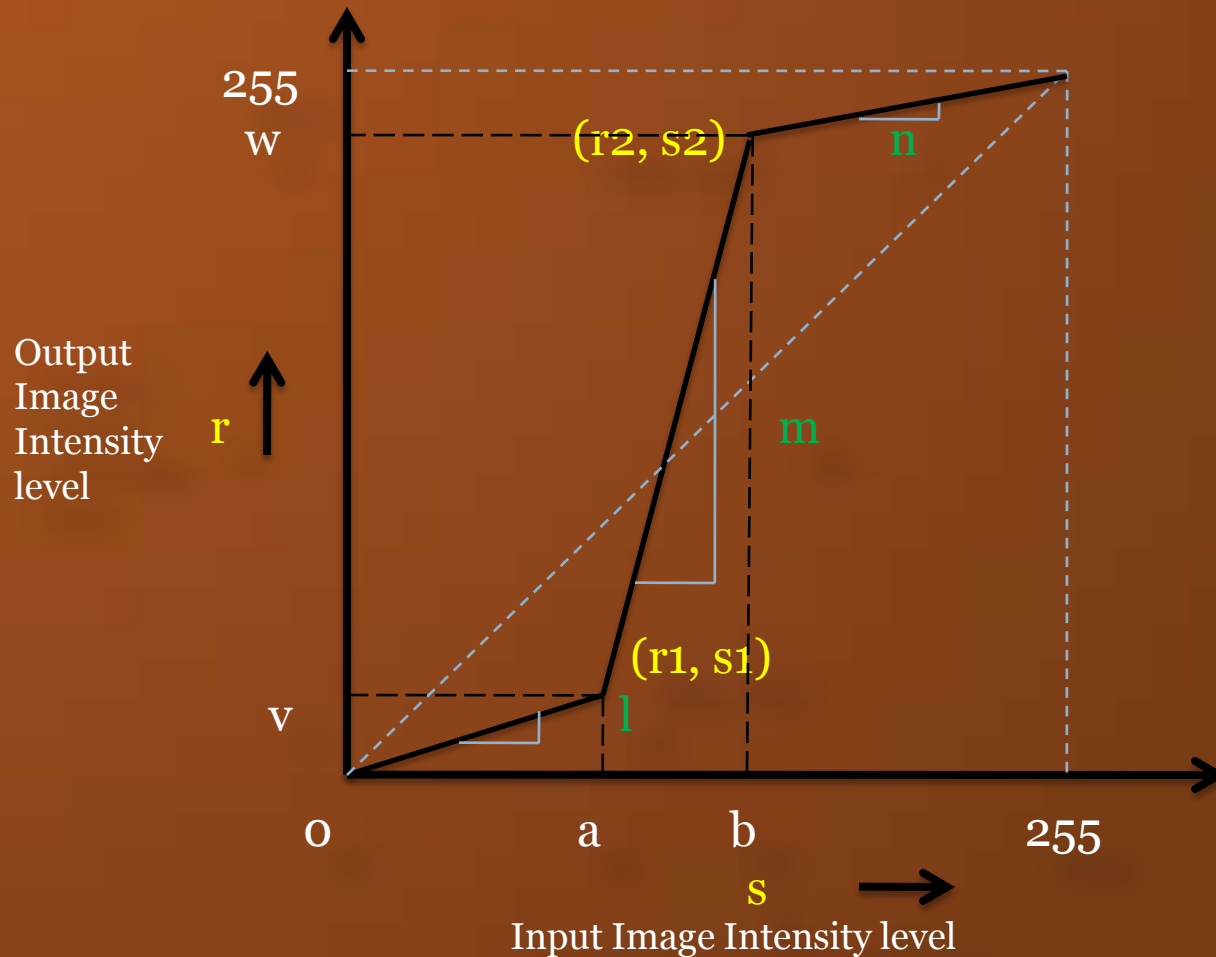
when,  $r = 0$ ;  $s = 255$   
& if  $r = 255$ ;  $s = 0$

Generally,  $s = (L-1) - r$

where,  $L$  – total number of gray levels (e.g. 256 for 8-bit image)

# Point Processing

## 2) Contrast Stretching:



# Point Processing

## ❑ Reasons:

- ❑ Poor Illumination
- ❑ Wrong setting of lens aperture

❑ Idea behind *Contrast Stretching* is to make dark portion darker and bright portion brighter.

❑ In above figure, dotted line indicated *Identity Transformation* & solid line indicates *Contrast Stretching*.

❑ Dark portion is being made darker by assigning slope of  $< 1$ .

❑ Bright portion is being made brighter by assigning slope of  $> 1$ .

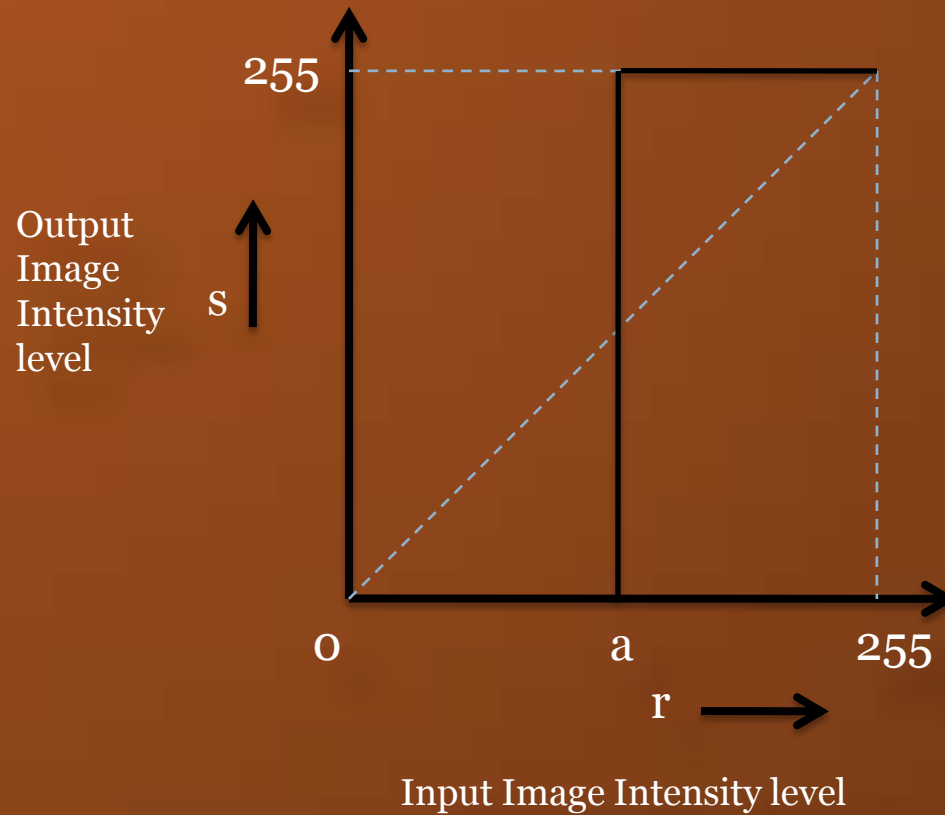
❑ Any set of slopes cant be generalized for all kind of images.

❑ Formulation is given below:

$$\begin{aligned} s &= l.r && ; && \text{for } 0 \leq r \leq a \\ &= m(r-a) + v && ; && \text{for } a \leq r \leq b \\ &= n(r-b) + w && ; && \text{for } b \leq r \leq L-1 \end{aligned}$$

# Point Processing

## 3) Thresholding:



# Point Processing

- ❑ Extreme Contrast Stretching yields Thresholding.
- ❑ In Contrast Stretching figure, if l & n slope are made ZERO & if m slope is increased then we get Thresholding Transformation.
- ❑ If  $r_1 = r_2$ ,  $s_1 = 0$  &  $s_2 = L-1$   
Then we get Thresholding function.
- ❑ Expression goes as under:

$$s = 0; \text{ if } r \leq a$$

$$s = L - 1; \text{ if } r > a$$

where, L is number of Gray levels.

Note: It is a subjective phenomenon.

Thresholded image has maximum contrast as it has only **BLACK & WHITE** gray values.

# Point Processing

## 4) Gray Level Slicing (Intensity Slicing):

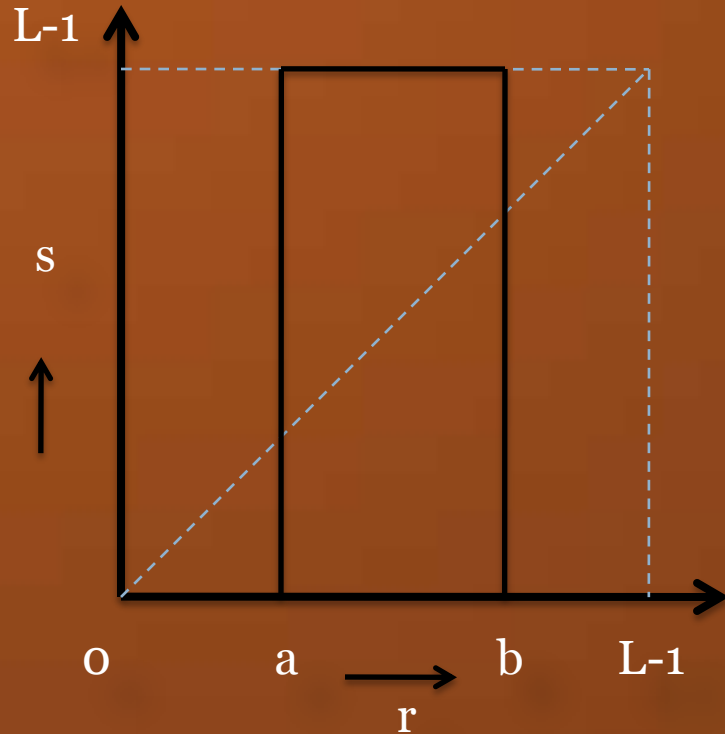


fig. (1) Slicing w/o background

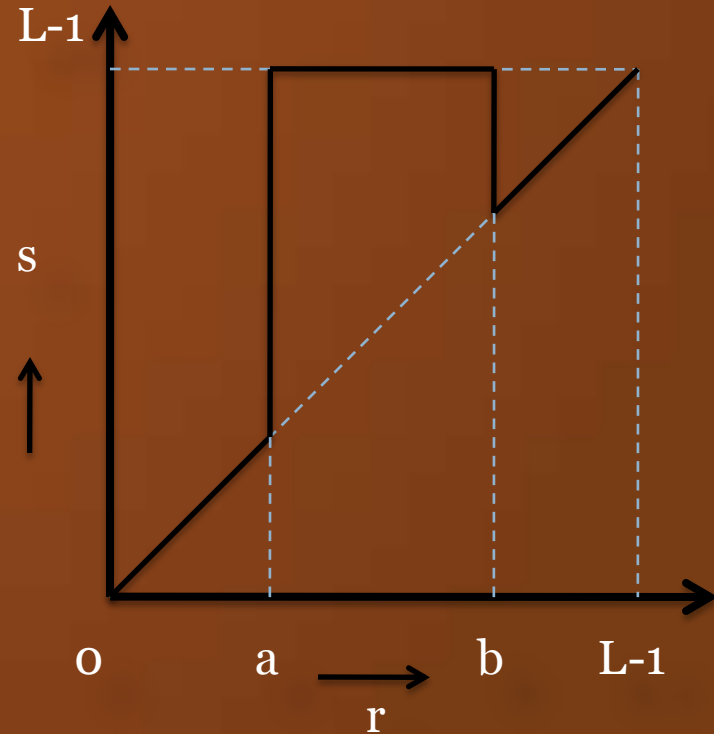


fig. (2) Slicing with background

# Point Processing

- ❑ Thresholding splits the image in 2 parts
- ❑ At times, we need to highlight a specific range of gray levels.  
eg. X-ray scan, CT scan
- ❑ It looks similar to thresholding except that we select a band of gray levels.
- ❑ Formulation of Gray level slicing w/o background (fig. 1):
$$s = L-1 \quad ; \quad \text{for } a \leq r \leq b$$
$$= 0 \quad ; \quad \text{otherwise}$$
- ❑ No background at all.
- ❑ Sometimes we may need to retain the background.
- ❑ Formulation of Gray level slicing with background (fig. 2):
$$s = L-1 \quad ; \quad \text{for } a \leq r \leq b$$
$$= r \quad ; \quad \text{otherwise}$$

# Point Processing

## 5) Bit Plane Slicing:

- ❑ Here, we find the contribution made by each bit to the final image.
- ❑ Consider a 256 x 256 image with 256 gray levels i.e. 8-bit representation for each pixel. E.g. **BLACK** is represented as 0000\_0000 & **WHITE** by 1111\_1111.
- ❑ Consider LSB value of each pixel & plot image. Continue till MSB is reached.
- ❑ All 8 images will be binary.
- ❑ Observing the images we conclude that
  - Higher order images contain visually sufficient data.
  - Lower order bits contain suitable details of image.
- ❑ Hence, BPS can be used in Image Compression.
- ❑ We can transmit only higher order bits & remove lower order bits.
- ❑ E.g. Stignography



# Point Processing

Ex. Plot bit planes of the given 3 x 3 image.

1	2	0
4	3	2
7	5	2

1 - 000000001  
 2 - 000000010  
 0 - 000000000  
 4 - 000001000  
 3 - 00000011  
 2 - 00000010  
 7 - 00000111  
 5 - 00000101  
 2 - 00000010

001	010	000
100	011	010
111	101	010

Max. Intensity is 7 thus 3 – bits

1	0	0
0	1	0
1	1	0

LSB plane

0	1	0
0	1	1
1	0	1

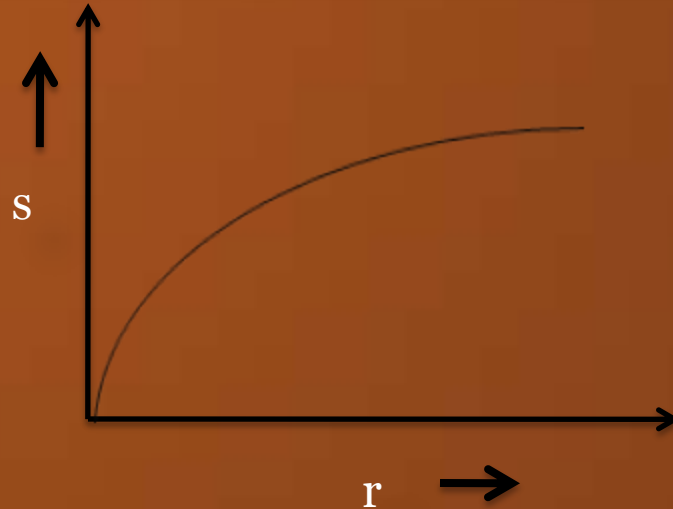
Middle Plane

0	0	0
1	0	0
1	1	0

MSB Plane

# Point Processing

## 6) Dynamic Range Compression (Log transformation):



- ❑ At times, dynamic range of image exceeds the capability of display device.
- ❑ Some pixel values are so large that the other low value pixel gets obscured.  
E.g. stars in day time are not visible though present due to large intensity of sun.
- ❑ Thus dynamic range needs to be compressed.

# Point Processing

❑ Log operator is an excellent compression function.

❑ Thus, Dynamic range compression is achieved using log operator.

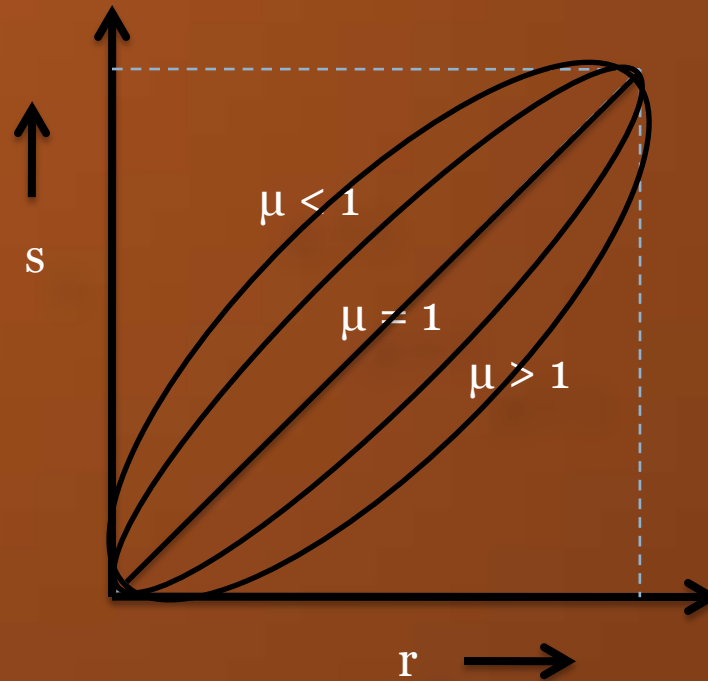
❑ Formulation:

$$s = C \cdot \log(1 + |r|)$$

where, C – normalization constant  
r – input intensity

# Point Processing

## 7) Power law Transform:



$$f(x, y) = C \cdot g(x, y)^\mu$$

$s = C \cdot r^\mu$  where,  $C$  &  $\mu$  are positive constants

# Point Processing

- ❑ The Transformation is shown for different values of ' $\mu$ ' which is also the gamma correction factor.
- ❑ By changing  $\mu$ , we obtain the family of transformation curves.
- ❑ Nonlinearity encountered during image capturing, storing & displaying can be corrected using gamma correction.
- ❑ Power Law Transform can be used to increase dynamic range of image.

End of Point Processing