

) msb:- The bit on the left is called msb (most significant bit)

) decimal representation for unsigned binary integers.

a)  $00110101_B = 53_D$

$$1 \times 2^5 + 1 \times 2^4 + 1 \times 2^2 + 1 \times 2^0 = 32 + 16 + 4 + 1 = 53_D$$

b)  $10010110_B = 150_D$

$$1 \times 2^7 + 2^4 + 2^2 + 2^1 = 128 + 16 + 4 + 2 = 150_D$$

c)  $11001100_B = 204_D$

$$1 \times 2^7 + 1 \times 2^6 + 1 \times 2^3 + 1 \times 2^2 = 128 + 64 + 8 + 4 = 204_D$$

3) addition for binary integers.

a)  $10101111_B + 11011011_B = 110001010_B$

$$\begin{array}{r} 10101111 \\ 11011011 \\ \hline \rightarrow \text{carry } 1 \end{array} \quad \begin{array}{r} 10101111 \\ 11011011 \\ \hline 110001010 \end{array}$$

b)  $10010111_B + 11111111_B = 110010110_B$

$$\begin{array}{r} 10010111 \\ 11111111 \\ \hline \text{carry} \leftarrow 1 \end{array} \quad \begin{array}{r} 10010111 \\ 11111111 \\ \hline 110010110 \end{array}$$

c)  $01110101 + 10101100 = 100100001_B$

$$\begin{array}{r} 01110101 \\ 10101100 \\ \hline 100100001 \end{array}$$

8) word  $\rightarrow$  16 bits  
doubleword  $\rightarrow$  32 bits  
quadword  $\rightarrow$  64 bits

a) 12 bits      b) 16 bits      c) 22 bits.

a)  $\frac{00110101}{3} \frac{11010100}{5} \frac{1010100}{d} \frac{0011}{A} = 35DA_H$

b)  $\frac{1100}{C} \frac{1110}{E} \frac{1001}{A} \frac{0011}{3} = CE A3_H$

c)  $\frac{1111}{F} \frac{1110}{E} \frac{1101}{D} \frac{1011}{B} = FEDB_H$

a) hexadecimal to decimal.

b)  $62_H = 2 + 96 = 98_D$

c)  $1C9_H = 9 + 12 \times 16 + 256 \times 1 = 457_D$

18) convert signed decimal to hexadecimal.

2

a)  $-32 = |-32| = 32 = 00100000_B$

$$\begin{array}{r} \text{2's complement} \\ \text{add 1.} \quad \begin{array}{r} 11011111 \\ 111111 \\ \hline 11100000 \\ \hline E \quad 0 \end{array} \end{array}$$

$-32_D = E0_H$

b)  $|-62| = 62 = 00111110_B$

$$\begin{array}{r} \text{1's complement} \quad 11000001 \\ \text{add 1.} \quad \begin{array}{r} 11000001 \\ 1 \\ \hline 11000010 \\ \hline C \quad 2 \end{array} \end{array}$$

$-62 = C2_H$

c) a)  $7F9B_H = 32667_D$

$8230_H$

$1000 \ 0010 \ 0011 \ 0000_B$  to find 2's complement

$0111 \ 1101 \ 1100 \ 1111$

$$\begin{array}{r} 0111 \ 1101 \ 1100 \ 1111 \\ \hline 0111 \ 1101 \ 1101 \ 0000 \end{array}$$

$= 2^{14} + 2^{13} + 2^{12} + 2^{11} + 2^{10} + 2^9 + 2^8 + 2^7 + 2^6 + 2^5 = -32208_D$

$8230_H = -32208_D$

2) binary to decimal.

3

a)  $10000000_b = \underline{-128_D}$

$$\begin{array}{r} 01111111 \\ \hline 1 \end{array}$$

$$10000000$$

b)  $11001100_b = \underline{-52_D}$

$$\begin{array}{r} 00110011 \\ \hline 1 \end{array}$$

$$00110100 = -52_D$$

c)  $10110111_b = \underline{-73_D}$

$$\begin{array}{r} 01001000 \\ \hline 1 \end{array}$$

$$01001001_b = -73_D$$

3) a)  $-5_D = 00000101$  to find 2's complement which is  $11110101$

$$\underline{-5_D = 11110101_b}$$

$$\underline{11110111}$$

b)  $-36_D \Rightarrow 00100100$  to calculate 2's complement

$$\begin{array}{r} 11011011 \\ \hline 11 \end{array}$$

$$\underline{11011100_b}$$

$$\underline{-36_D = 11011100_b}$$

c)  $-16_D \Rightarrow 00010000$  to calculate 2's complement.

$$\begin{array}{r} 11101111 \\ \hline 1111 \end{array}$$

$$\underline{11100000_b}$$

$$\underline{-16_D = 11100000_b}$$

25)  $88_D \rightarrow X \text{ ASCII}$

②

$58_H \rightarrow X \text{ ASCII}$

section 1.4.2

3)

A	B	$A \vee B$	$\neg(A \vee B)$
0	0	0	1
0	1	1	0
1	0	1	0
1	1	1	0

4)

A	B	$\neg A$	$\neg B$	$(\neg A \wedge \neg B)$
0	0	1	1	1
0	1	1	0	0
1	0	0	1	0
1	1	0	0	0

16.