

4. Requirement LTL:

<<Introduction for LTL requirement>>

- There is Always an exit from any screen.

$$\bigwedge_i \langle \rangle (state = screen_i)$$

- There is a screen (root), such that each screen is reached from it.

$$\bigvee_i \left[\bigwedge_j \left[(state = screen_i) \rightarrow \langle \rangle (state = screen_j) \right] \right]$$

- We can't move from $screen_j$ to $screen_i$ without changing or defining a parameter.

$$(\neg screen_j) \cup [\neg (screen_j \rightarrow (\neg ChangeParmX \cup Screen_i))]$$

- Parameter cannot accept value that is not defined in the List of the possible values.

$$\bigwedge_i (P_i = ON \parallel P_i = OFF \parallel P_i = \parallel P_i = defined \parallel P_i = undefined \parallel P_i = L1_1 \parallel P_i = L2 \parallel P_i = L3)$$

- There is no path to a screen that allows "Illegal parameters values".
(Illegal i.e. value that does not defined in the list of the parameters values)

$$\bigwedge_j \left[(screen_j) \rightarrow \bigwedge_i (P_{ji} = ON \parallel P_{ji} = OFF \parallel P_{ji} = defined \parallel P_{ji} = undefined \parallel P_{ji} = L1 \parallel P_{ji} = L2 \parallel P_{ji} = L3) \right]$$

- Each list of parameters must be defined before entering a screen.

- Parameters values cannot change unless it was intended to do so in its path.

$$\square (\neg ChangeParmX \cup ChangeParmX)$$

- If a Parameter changes in a specific state the change should be updated wherever the parameter is used.

- All parameters always must be consistent.

← States = { screen₁,
screen_m,
changePar X₁,
...
change Par X_k }

X₁... X_k -
parameters of
the model

AP ?

$$4.1 \quad \square \left[(P_i = ON) \vee (P_i = OFF) \rightarrow \neg \Diamond \left((P_i \neq ON) \wedge (P_i \neq OFF) \right) \right]$$

4.2 List

4.3 empty / not empty

3.4 Requirements in LTL:

In this section, we define a set of general requirements that must be true throughout the application run. In order to translate this requirements to ltl we need to define:

States = { $screen_1, \dots, screen_m, ChangeParmX_1, \dots, ChangeParmX_m$ }

Parameters name - X_1, X_2, \dots, X_k values Type=" On/Off"

Parameters name - Y_1, \dots, Y_k values Type=" Empty/NotEmpty"

Parameters name - Z_1, \dots, Z_k values Type=" List"

Parameters Values={ON,OFF, Empty, NotEmpty, L1,...,Ln - parameters of specific list element }

AP a set of conditions such as $(X_1 = on), (X_1 = Off), (Y_i = Empty), (Z_4 = L3) \dots$

1. There is always an exit from any screen.

$$\bigwedge_m \Diamond (state = screen_m)$$

2. Reachability

- 2.1. There is a screen (root), such that each screen is reachable from it:

$$\bigvee_i \left[\bigwedge_j \Box ((state = screen_i) \rightarrow \Diamond (state = screen_j)) \right]$$

- 2.2. Each screen is reachable from $screen_i$:

$$\Box ((state = screen_i) \rightarrow \bigwedge_j (\Diamond (state = screen_j)))$$

3. We cannot move from $screen_j$ to $screen_i$ without changing or defining a parameter.

$$\neg (state = screen_j) \cup [\neg ((state = screen_i) \rightarrow ((state = ChangeParmX) \cup (state = screen_i)))]$$

4. Parameter cannot accept value that is not defined in the List of the possible values.

$$4.1. \Box [(X_k = On \vee X_k = Off) \rightarrow \neg \Diamond ((X_k \neq ON \wedge (X_k \neq OFF)))]$$

$$4.2. \Box [(Y_i = Empty \vee Y_i = NotEmpty) \rightarrow \neg \Diamond ((Y_i \neq Empty \wedge (Y_i \neq NotEmpty)))]$$

$$4.3. \Box [(Z_j = L1 \vee \dots \vee Z_j = Ln) \rightarrow \neg \Diamond ((Z_j \neq L1 \wedge \dots \wedge (Z_j \neq Ln)))]$$

5. There is no path to a screen that allows "Illegal parameters values".
(Illegal i.e. value that does not defined in the list of the parameters values)

$$\bigwedge_j (screen_j)$$

$$\rightarrow \bigwedge_i (P_{ji} = ON \parallel P_{ji} = OFF \parallel P_{ji} = defined \parallel P_{ji} = undefined \parallel P_{ji} = L1 \parallel P_{ji} = L2 \parallel P_{ji} = L3)$$

6. Each list of parameters must be defined before entering a screen.

7. Parameters values cannot change unless it was intended to do so in its path.

$$\Box (\neg ChangeParmX \cup ChangeParmX)$$

4.1 Type "On/Off"
4.2 Type "Emp/Not"

Comment [K23.069]: use \neg instead of \neq everywhere

$$\neg (X_k = OFF)$$

For each param P_i which is changed
on action of element X
the following property has to be checked

If a Parameter changes in a specific state the change should be updated wherever the parameter is used.

8. All parameters always must be consistent

$$(state = screen_m \wedge X_k = On) \rightarrow \bigwedge_j (state = screen_j \wedge X_k = On)$$

$$(state = screen_m \wedge Y_i = NotEmpty) \rightarrow \bigwedge_j (state = screen_j \wedge Y_i = On NotEmpty)$$

$$(state = screen_m \wedge Z_j = L1) \rightarrow \bigwedge_j (state = screen_j \wedge Z_j = L1)$$

3.5 Verification process

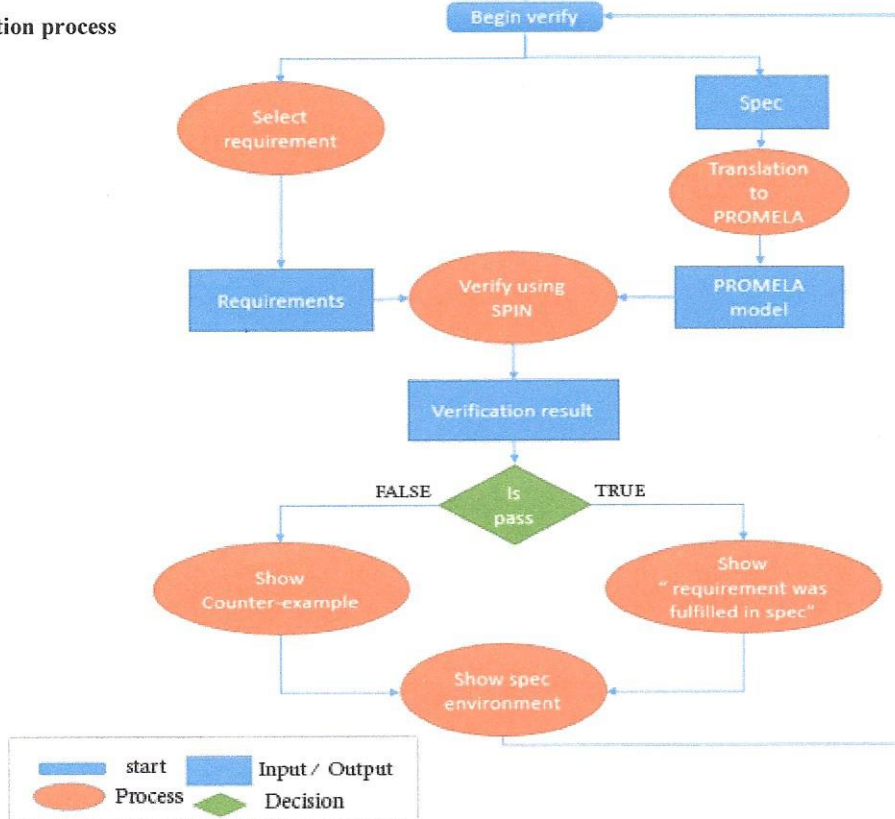


Fig 5: Flowchart: the verification process

After the user built his spec he presses "Verify Spec", a new window will pop, user chooses from this window a screen as a Root and a list of requirements that must be correct in his spec then he presses "Run" The verification process.

The verification process starts with translating the spec to Program Graph that will be written in PROMELA language, and save it in a file.

The tool Create creates a script file that run the PROMELA with every LTL requirement in SPIN and Save saves the verification results in a new file. Then, the user presses "Show-Show verification-Verification Result" to show the result.

4. EXPECTED RESULTS

$\rightarrow \left[\bigwedge (P_{ji} = \text{ON} \vee P_{ji} = \text{OFF}) \right] \wedge$
 $\text{Type}(P_{ji}) = \text{On/Off}$
 $\bigwedge (P_{ji} = \text{Empty} \vee P_{ji} = \text{NonEmpty}) \wedge$
 $\text{Type}(P_{ji}) = \text{Emp/Non}$
 $\bigwedge (P_{ji} = L_1 \vee \dots \vee P_{ji} = L_n)$
 $\text{Type}(P_{ji}) = \text{List}$

For each ~~type~~ of par:

5.1 ~~IF~~ $\text{Type}(P_{ji}) = \text{on/off}$:

$\bigwedge_j ((\text{state} = \text{ser}_j) \rightarrow \bigvee (P_{ji} = \text{ON}) \vee (P_{ji} = \text{OFF}))$

5.2 IF $\text{Type}()$...

$$\bigwedge_i$$

⊛ For an action

⑧

$$\{P_1 = val_1, \dots, P_k = val_k\}$$

on element X the following property has to be checked:

$$\square \left(\bigwedge_i ((P_i = val_i) \rightarrow \bigwedge_{j \neq i} (P_j = val_j)) \right)$$