



**Department of Computer Science**  
Subject: Operating System

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Lab no.: Assignment

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Semester: 5th

**Part 1: Semaphore theory**

1. A counting semaphore is initialized to 7. If 10 wait() and 4 signal() operations are performed, find the final value of the semaphore.

1- initial  $s = 7$   
 $10 \text{ wait}() = 7 - 10 = -3$   
 $4 \text{ signal} = -3 + 4 = 1$   
 Semaphore value is 1

2. A semaphore starts with value 3. If 5 wait() and 6 signal() operations occur, calculate the resulting semaphore value.

2- initial  $s = 3$   
 $5 \text{ wait}() = 3 - 5 = -2$   
 $6 \text{ signal} = -2 + 6 = 4$   
 Semaphore value = 4

3. A semaphore is initialized to 0. If 8 signal() followed by 3 wait() operations are executed, find the final value.

3- initial  $s = 0$   
 $8 \text{ signal} = 0 + 8 = 8$  (free 8 space)  
 $3 \text{ wait}() = 8 - 3 = 5$   
 Semaphore value = 5

4. A semaphore is initialized to 2. If 5 wait() operations are executed:

- a) How many processes enter the critical section?  
 b) How many processes are blocked?

4- initial  $s = 2$   
 $5 \text{ wait}() = 2 - 5 = -3$   
 a) 2 processes enter in critical section 3 has to wait  
 b) 3 processes are block

5. A semaphore starts at 1. If 3 wait() and 1 signal() operations are performed:

- a) How many processes remain blocked?

b) What is the final semaphore value?

5-	$S \rightarrow 1$
	$3 \text{ wait}() = 1 \cdot 3 = -2$
	$1 \text{ signal}() = -2 + 1 = -1$
a)	1 process remain block
b)	final semaphore = -1

6.

semaphore S = 3;

wait(S); wait(S);

signal(S);

wait(S); wait(S);

6-	$S = 3$
	wait(S) perform wait operation on S
	$S = S - 1$
•	$\text{wait}(S) = 3 - 1 = 2$
a)	1 process enter in critical section
b)	$S = 2$
•	$\text{wait}(S) = 2 - 1 = 1$
a)	1 process enter in critical section
b)	$S = 1$
•	$\text{signal}(S) = 1 + 1 = 2$ (free 2 space)
•	$\text{wait}(S) = 2 - 1 = 1$
a)	1 process enter in critical section
b)	$S = 1$
•	$\text{wait}(S) = 1 - 1 = 0$
a)	No process enter in critical section
b)	$S = 0$
⇒	Process enter in critical section = 4
⇒	$S = 0$

a) How many processes enter the critical section?

b) What is the final value of S?

7.

semaphore S = 1;

wait(S); wait(S);

signal(S);

signal(S);

a) How many processes are blocked?

b) What is the final value of S?

7-  $S = 1$   
 $\text{wait}(S) = 1 - 1 = 0$  (1 enter in critical section)  
 $\text{wait}(S) = 0 - 1 = -1$  process blocked  
 $\text{signal}(S) = -1 + 1 = 0$  1 process out  
 $\text{signal}(S) = 0 + 1$  1 free space

8. A binary semaphore is initialized to 1. Five wait() operations are executed without any signal(). How many processes enter the critical section and how many are blocked?

8) binary semaphore = 1  
 $5 \text{ wait}() = 1 - 5 = -4$   
 • 4 processes are blocked  
 • 1 process enter in critical section

9. A counting semaphore is initialized to 4. If 6 processes execute wait() simultaneously, how many proceed and how many are blocked?

9)  $S = 4$   
 $6 \text{ wait}() = 4 - 6 = -2$   
 • 2 processes are blocked, rest in critical section

10. A semaphore S is initialized to 2.  $\text{wait}(S); \text{wait}(S); \text{wait}(S); \text{signal}(S); \text{signal}(S); \text{wait}(S);$

- a) Track the semaphore value after each operation.  
 b) How many processes were blocked at any time?

critical section

10) -  $S = 2$

- $\text{wait}() \Rightarrow S = S - 1$   
 $2 - 1 = 1$   
 $\Rightarrow 1 \text{ process in critical section}$
- $\text{wait}() = 1 - 1 = 0$   
 $\Rightarrow 1 \text{ process in critical section}$
- $\text{wait}() = -1$   
 $\Rightarrow 1 \text{ process blocked}$
- $\text{signal}(s) = -1 + 1 = 0$   
 $\Rightarrow 1 \text{ process wake up}$
- $\text{signal}(s) = 0 + 1 = 1$   
 $\Rightarrow 1 \text{ process space free}$
- $\text{wait}(s) = 1 - 1$   
 $\Rightarrow 1 \text{ in critical section}$

$\Rightarrow 1 \text{ process was blocked during whole situation}$

11. A semaphore is initialized to 0. Three processes execute wait() before any signal(). Later, 5 signal() operations are executed. a) How many processes wake up?  
b) What is the final semaphore value?

11) -  $S = 0$

$3 \cdot \text{wait}() = 0 - 3 = -3 \text{ All blocked}$

$5 \cdot \text{signal} = -3 + 5 = 2 \quad 3 \text{ in critical section}$

a) three process wake up  
b)  $S = 2$

## Part 2: Semaphore Coding

Consider the Producer–Consumer problem using semaphores as implemented in Lab-10 (Lab-plan attached). Rewrite the program in your own coding style, compile and execute it successfully, and explain the working of the code in your own words.

Submission Requirements:

- Your rewritten source code
- A brief description of how the code works
- Screenshots of the program output showing successful execution

```
#include <stdio.h>
#include <pthread.h>
#include <semaphore.h>
#include <unistd.h>
#define BUFFER_SIZE 5
int buffer[BUFFER_SIZE];
int in = 0;
int out = 0;

sem_t empty;
sem_t full;
```

```

pthread_mutex_t mutex;
void* producer(void* arg) {
    int id = *(int*)arg;
    for(int i = 0; i < 3; i++) {
        int item = id * 100 + i;

        sem_wait(&empty);
        pthread_mutex_lock(&mutex);

        buffer[in] = item;
        printf("Producer %d produced item %d at position %d\n", id, item, in);
        in = (in + 1) % BUFFER_SIZE;

        pthread_mutex_unlock(&mutex);
        sem_post(&full);
        sleep(1);
    }
    return NULL;
}

void* consumer(void* arg) {
    int id = *(int*)arg;
    for(int i = 0; i < 3; i++) {
        sem_wait(&full);
        pthread_mutex_lock(&mutex);
        int item = buffer[out];
        printf("Consumer %d consumed item %d from position %d\n", id, item, out);
        out = (out + 1) % BUFFER_SIZE;
        pthread_mutex_unlock(&mutex);
        sem_post(&empty);
        sleep(2);
    }
    return NULL;
}

int main() {
    pthread_t prod[2], cons[2];
    int ids[2] = {1, 2};
    sem_init(&empty, 0, BUFFER_SIZE);
    sem_init(&full, 0, 0);
    pthread_mutex_init(&mutex, NULL);
    for (int i = 0; i < 2; i++)
    {
        pthread_create(&prod[i], NULL, producer, &ids[i]);
        pthread_create(&cons[i], NULL, consumer, &ids[i]);
    }
    for (int i = 0; i < 2; i++)
    {
        pthread_join(prod[i], NULL);
        pthread_join(cons[i], NULL);
    }
}

```

```

    sem_destroy(&empty);
    sem_destroy(&full);
    pthread_mutex_destroy(&mutex);
    return 0;
}

```

```

compilation terminated.
● amina@DESKTOP-SEP18NK:~/OSLabs$ cd ./lab10/
○ amina@DESKTOP-SEP18NK:~/OSLabs/lab10$ gcc h
/usr/bin/ld: cannot find h: No such file or directory
collect2: error: ld returned 1 exit status
● amina@DESKTOP-SEP18NK:~/OSLabs/lab10$ gcc ./homeTask.c -o Q1 -lpthread
● amina@DESKTOP-SEP18NK:~/OSLabs/lab10$ ./Q1
Producer 1 produced item 100 at position 0
Consumer 1 consumed item 100 from position 0
Producer 2 produced item 200 at position 1
Consumer 2 consumed item 200 from position 1
Producer 1 produced item 101 at position 2
Producer 2 produced item 201 at position 3
Consumer 1 consumed item 101 from position 2
Consumer 2 consumed item 201 from position 3
Producer 1 produced item 102 at position 4
Producer 2 produced item 202 at position 0
Consumer 1 consumed item 102 from position 4
Consumer 2 consumed item 202 from position 0
● ○ amina@DESKTOP-SEP18NK:~/OSLabs/lab10$ []

```

How It Works:

Buffer:

- A small array where producers put items and consumers take items.
- in tells where the next item goes, out tells where the next item is taken from.

Producer:

- Waits if the buffer is full.
- Locks the buffer to safely put an item.
- Unlocks the buffer and tells consumers that there's a new item.

Consumer:

- Waits if the buffer is empty.
- Locks the buffer to safely take an item.
- Unlocks the buffer and tells producers that there's space.

Synchronization:

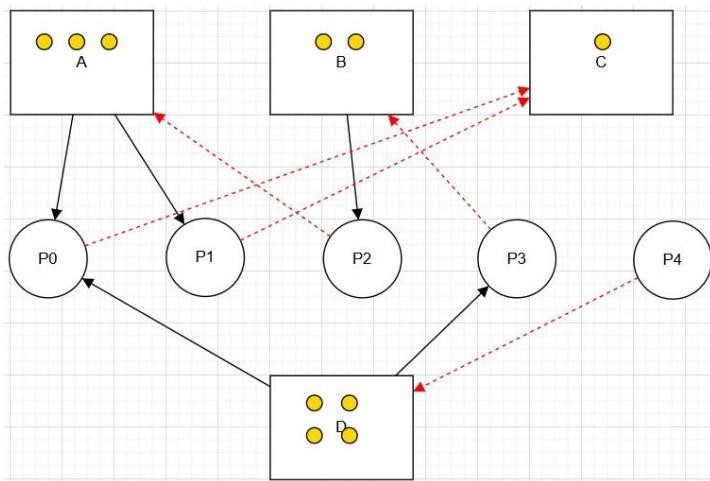
- Semaphore empty -> Counts empty spaces.
- Semaphore full ->Counts items in the buffer.
- Mutex-> Ensures only one thread touches the buffer at a time.

Circular Buffer:

When in or out reach the end of the array, they go back to the start.

### Part 3: RAG (Recourse Allocation Graph)

- Convert the following graph into matrix table ,



**Part -3**

Process → resource → request  
resource → process → holding (Allocated)

**Allocation Matrix**

Process	A	B	C	D
P <sub>0</sub>	1	0	0	1
P <sub>1</sub>	1	0	0	0
P <sub>2</sub>	0	1	0	0
P <sub>3</sub>	0	0	0	1
P <sub>4</sub>	0	0	0	0

**Request Matrix**

Process	A	B	C	D
P <sub>0</sub>	0	0	1	0
P <sub>1</sub>	0	0	1	0
P <sub>2</sub>	1	0	0	0
P <sub>3</sub>	0	1	0	0
P <sub>4</sub>	0	0	0	1

### Part 4: Banker's Algorithm

System Description:

- The system comprises five processes (P0–P3) and four resources (A,B,C,D).
- Total Existing Resources:

Total			
A	B	C	D
6	4	4	2

- Snapshot at the initial time stage:

	Allocation				Max				Need			
	A	B	C	D	A	B	C	D	A	B	C	D
P0	2	0	1	1	3	2	1	1				
P1	1	1	0	0	1	2	0	2				
P2	1	0	1	0	3	2	1	0				
P3	0	1	0	1	2	1	0	1				

.

### Questions:

#### 1. Compute the Available Vector:

- Calculate the available resources for each type of resource.

#### 2. Compute the Need Matrix:

- Determine the need matrix by subtracting the allocation matrix from the maximum matrix.

#### 3. Safety Check:

- Determine if the current allocation state is safe. If so, provide a safe sequence of the processes.
- Show how the Available (working array) changes as each process terminates.

Part-4																										
a)	Compute the Available Vector Allocate: $A = 2+1+1+0 = 4$ $B = 0+1+0+1 = 2$ $C = 1+0+1+0 = 2$ $D = 1+0+0+1 = 2$																									
	Available = Total - Allocate $A = 6-4 = 2$ $B = 4-2 = 2$ $C = 2-2 = 0$ $D = 2-2 = 0$																									
	Available Vector <table border="1" style="display: inline-table; vertical-align: middle;"><tr><td>A</td><td>B</td><td>C</td><td>D</td></tr><tr><td>2</td><td>2</td><td>2</td><td>0</td></tr></table>	A	B	C	D	2	2	2	0																	
A	B	C	D																							
2	2	2	0																							
b)	[Need Matrix] (Mat- Allocat) <table border="1" style="display: inline-table; vertical-align: middle;"><tr><th>Process</th><th>A</th><th>B</th><th>C</th><th>D</th></tr><tr><td>P<sub>0</sub></td><td>1</td><td>2</td><td>0</td><td>0</td></tr><tr><td>P<sub>1</sub></td><td>0</td><td>1</td><td>0</td><td>2</td></tr><tr><td>P<sub>2</sub></td><td>2</td><td>2</td><td>0</td><td>0</td></tr><tr><td>P<sub>3</sub></td><td>2</td><td>0</td><td>0</td><td>0</td></tr></table>	Process	A	B	C	D	P <sub>0</sub>	1	2	0	0	P <sub>1</sub>	0	1	0	2	P <sub>2</sub>	2	2	0	0	P <sub>3</sub>	2	0	0	0
Process	A	B	C	D																						
P <sub>0</sub>	1	2	0	0																						
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P <sub>2</sub>	2	2	0	0																						
P <sub>3</sub>	2	0	0	0																						

### Safety Check:

- Determine if the current allocation state is safe. If so, provide a safe sequence of the processes.
- Show how the Available (working array) changes as each process terminates.

**Answer:**

#### Safe when Need $\leq$ Available

Initially available vector=(2,2,2,0)

**For P0:**

Need(1,2,0,0)  $\leq$  Available(2,2,2,0)

thus P0 process can be completed

Now once completed,

**Available vector= Previously Available+ AllocationP0**

$$=(2,2,2,0)+(2,0,1,1)=(4,2,3,1)$$

**For P1:**

Need(0,1,0,2)  $\leq$  Available(4,2,3,1) (X)

thus P1 process cant be completed

We need D(2) available=1

**THUS THE GIVEN SEQUENCE IS NOT FEASIBLE THE CORRECT SEQUENCE IS,**

#### Safe when Need $\leq$ Available

Initially available vector=(2,2,2,0)

**For P0:**

Need(1,2,0,0)  $\leq$  Available(2,2,2,0)

thus P0 process can be completed

Now once completed,

**Available vector= Previously Available+ AllocationP0**

$$=(2,2,2,0)+(2,0,1,1)=(4,2,3,1)$$

**For P2:**

Need(2,2,0,0)  $\leq$  Available(4,2,3,1)

thus P2 process completed

Now once completed,

**Available vector= Previously Available+ AllocationP2**

$$=(4,2,3,1)+(1,0,1,0)=(5,2,4,1)$$

**For P3:**

Need(2,0,0,0)  $\leq$  Available(5,2,4,1)

thus P3 process completed

Now once completed,

**Available vector= Previously Available+ AllocationP2**

$$=(5,2,4,1)+(0,1,0,1)=(5,3,4,2)$$

**For P1:**

Need(0,1,0,2)  $\leq$  Available(5,3,4,2)

thus P1 process completed

Now once completed,

**Available vector= Previously Available+ AllocationP2**

$$=(5,3,4,2)+(1,1,0,0)=(6,4,4,2)$$

Thus the system is in safe state

**P0->P2->P3->P1**

**Submission Guidelines:**

- Ensure all answers are well-explained and calculations are shown step-by-step.
- Submit your assignment on MS Team and GitHub in a PDF format.
- VIVA based Evaluation so Develop your own solution after getting help.