

## Objectives

- Understanding social interaction while predicting future trajectory in an urban environment is crucial for road safety in autonomous driving.

- Knowledge-based  
+ **Interpretable outputs**  
- **Limited performance**

- Neural Networks (NN)  
+ **Better accuracy**  
- **Not interpretable**

### Key idea :

Combining the **interpretability** of a discrete choice model (DCM) with the **high accuracy** of a neural network-based model (NN) for **vehicle trajectory prediction**.

## Problem Definition

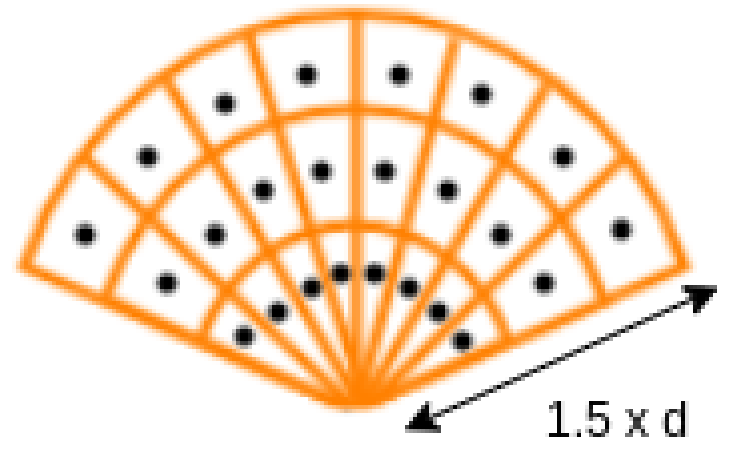
### Inputs

- For agent  $i$ , its states from  $t = 1$  to  $t = t_{obs}$  :  $X_i^t = (x_i^t, y_i^t, v_i^t, a_i^t, \theta_i^t)$
- The potential goals coordinates
- The discrete choice model (DCM)

### Outputs

- $L$  future trajectories of the target agent  $T$  from time  $t = t_{obs} + 1$  to  $t = t_f$ ,
- The associated probabilities

## Goal Set Representation



- Directions** : polar angles
- Longitudinal distance** :  $d = t_f \times v$ :
  - If fixed (f) :  $v = 5.83 \text{ m.s}^{-1}$
  - If dynamic (d) :  $v = v_T^{obs} \text{ m.s}^{-1}$

## Discrete Choice Models

Random Utility Maximization (RUM) theory : decision-maker aims at maximizing the utility relative to their choice of potential goal.

The **utility function** is composed of :

- occupancy**  $occ, occ^1$  : directions containing neighbours in the vicinity are less desirable.
- keep direction**  $dir$  : vehicles tend to maintain the same direction of motion.
- collision avoidance**  $col$  : when a neighbour vehicle's trajectory is head-on towards a potential goal, this goal becomes less desirable due to the chance of a collision.

We compare two DCM models :

1) DCM1 :

$$u_k(\mathbf{X}) = \beta_{dir} dir_k + \beta_{occ} occ_k + \beta_{col} col_k \quad (1)$$

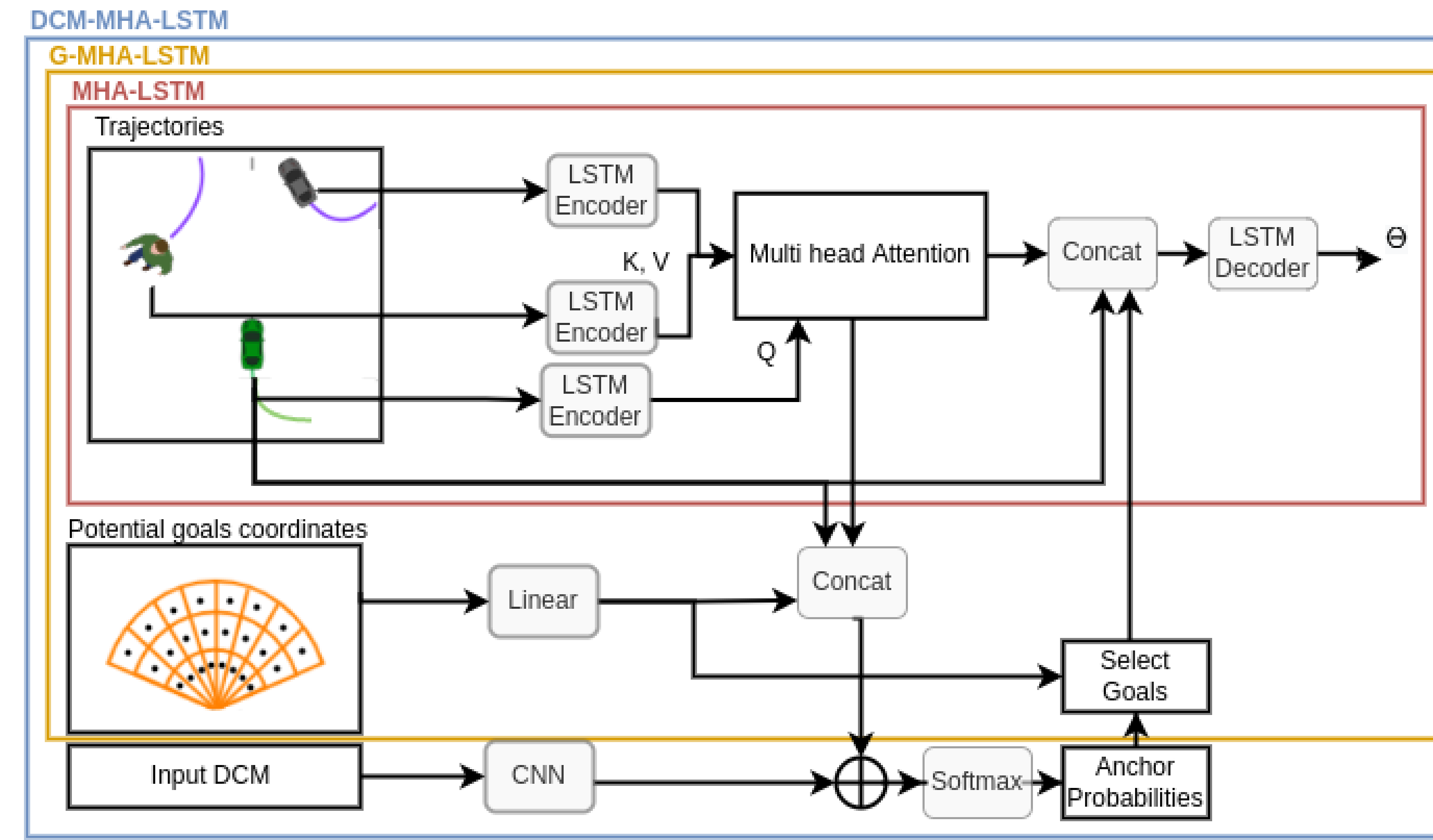
2) DCM2 :

$$u_k(\mathbf{X}) = \beta_{dir} dir_k + \beta_{occ^1} occ_k^1 \quad (2)$$

For  $occ$ , we consider the position of the neighbors at time  $t_{obs}$ .

For  $occ^1$ , we consider their predicted position at time  $t_f$  using a Constant velocity model.

## Model Architecture



## Training

**Outputs** : means and variances  $\Theta_t^t = (\mu_t^t, \Sigma_t^t)$  of Gaussian distributions.

The **loss functions** are :

- $L_{reg} = -\min_l \sum_{t=t_{obs}+1}^{t_{obs}+t_f} \log(\mathcal{N}(y^t | \mu_l^t, \Sigma_l^t))$ ,
- $L_{score} = -\sum_{l=1}^L \delta_{l*}(l) \log(P_l)$ , where  $\delta$  is a function equal to 1 if  $l = l^*$  and 0 otherwise,
- $L_{cls} = -\sum_{k=1}^K \delta_{k*}(k) \log(p_k)$ , where  $p_k$  is the probability associated with the potential goal  $k$ ,  $\delta$  is a function equal to 1 if  $k = k^*$  and 0 otherwise,  $k^*$  is the index of the potential goal most closely matching the endpoint of the ground truth trajectory.

## Estimation of $\beta$

Model	$\beta_{dir}$	$\beta_{col}$	$\beta_{occ}$	$\beta_{occ^1}$
DCM1-MHA-LSTM (f)	-2.3	-0.3	0.2	-
DCM2-MHA-LSTM (f)	-2.4	-	-	-0.1

- $\beta_{dir} < 0$  : vehicles tend to keep their direction,
- $\beta_{occ} > 0$  : vehicles tend to prefer nearby spatial zones crowded by agents (counter intuitive). This can be interpreted as in situations where a lot of agents are moving toward the same destination,
- $\beta_{occ^1} < 0$  : vehicles tend to avoid occupied zones,
- $\beta_{col} < 0$  : vehicles tend to avoid zones where there are potential colliders.

## Comparison of Methods

Comparison of different methods on the INTERACTION validation set (3 secs horizon)

Model	$MinADE_6$	$MinFDE_6$	$Coll - II$
MHA-LSTM	0.23	0.69	6.1 %
G-MHA-LSTM (f)	0.21	0.58	1.5 %
G-MHA-LSTM (d)	0.22	0.63	1.9 %
ODCM1-MHA-LSTM (f)	0.20	0.58	1.4 %
ODCM1-MHA-LSTM (d)	0.24	0.68	<b>1.0 %</b>
ODCM2-MHA-LSTM (f)	0.24	0.67	1.2 %
ODCM2-MHA-LSTM (d)	0.31	0.81	1.3 %
<b>DCM1-MHA-LSTM (f)</b>	<b>0.19</b>	<b>0.57</b>	1.4 %
DCM1-MHA-LSTM (d)	0.20	0.60	1.4 %
DCM2-MHA-LSTM (f)	0.21	0.57	1.2 %
DCM2-MHA-LSTM (d)	0.22	0.61	1.1 %

- Adding DCM decreases collisions, fixed representation (f) gives better results.
- Ours : DCM1-MHA-LSTM (f)

## Comparison with the state-of-the-art

### Comparison models without map

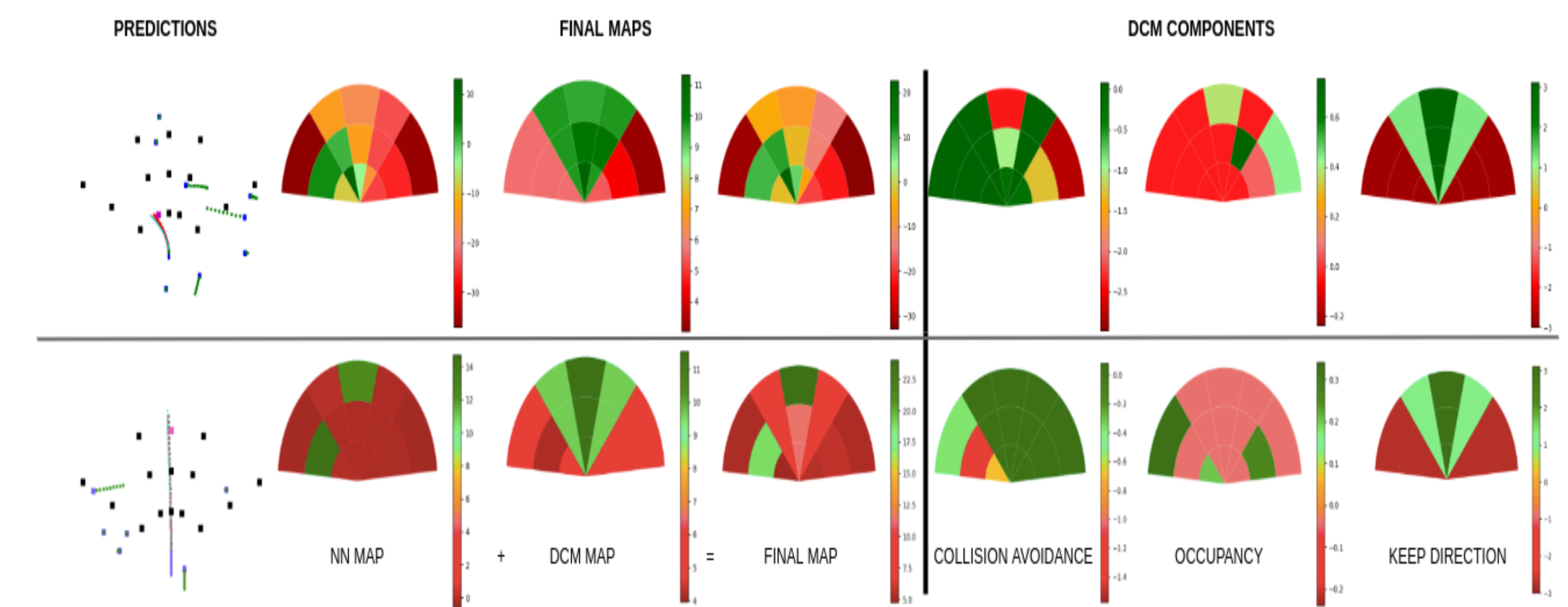
Model	$MinADE_6$	$MinFDE_6$
DESIRE	0.32	0.88
Multipath	0.30	0.99
<b>Ours</b>	<b>0.19</b>	<b>0.58</b>

### Comparison models with map

Model	$MinADE_6$	$MinFDE_6$
<b>SAN</b>	<b>0.10</b>	<b>0.29</b>
TNT	0.21	0.67
ITRA	0.17	0.49
ReCoG	0.19	0.66
<b>Ours</b>	<b>0.19</b>	<b>0.58</b>

- Competitive results against state-of-the-art models.**
- Unlike any of these methods our method provides interpretability.**

## Interpretable Outputs



- (Un)favourable potential goals are shown in green (red).
- First row : the **NN map** influences the most the final decision.
- Second row : the decision is influenced by **keep direction** and **collision avoidance**.