HashTable ADT

HashMap vs. HashTable in Java:

- Both implement Map interface
 - Advantages: fast insertion, fast search.
 - Disadvantage: hash table has fixed size

HashMap vs. HashTable in Java (Cont.)

- 1. HashTable is synchronized, whereas HashMap is not. This makes HashMap better for non-threaded applications, as unsynchronized Objects typically perform better than synchronized ones.
- 2. HashTable does not allow null keys or values. HashMap allows one null key and any number of null values.
- 3. One of HashMap's subclasses is LinkedHashMap, so in the event that you'd want predictable iteration order (which is insertion order by default), you could easily swap out the HashMap for a LinkedHashMap. This wouldn't be as easy if you were using HashTable.

Source

ConcurrentHashMap

There is however ConcurrentHashMap which solves the concurrency issues of HashTable!

Let's dive in to Java's HashTable source code ...

Question

Why Java AND s the hashCode of the key with 0x7ffffff before % with table.length

```
private int hash(Key key) {
   return (key.hashCode() & 0x7ffffffff) % table.length;
}
```

Answer

```
0x7FFFFFFF is 0111 1111 1111 1111 1111 1111 1111 : all 1 except the sign bit.
```

(hash & 0x7FFFFFFF) will result in a positive integer.

(hash & 0x7FFFFFFF) % table.length will be in the range of the tab length.

Question

What does a threshold represent and why is it needed?

```
void rehash() {
    int oldCapacity = table.length;
    Entry<?,?>[] oldMap = table;
    int newCapacity = (oldCapacity << 1) + 1;</pre>
    Entry<?,?>[] newMap = new Entry<?,?>[newCapacity];
    version++;
    threshold = (int)Math.min(newCapacity * loadFactor, MAX_ARRAY_SIZE + 1);
    table = newMap;
    // Traverse through the table and reset them using newCapacity
```

Answer

- The table is rehashed when its size exceeds this threshold
 - The value of this field is: capacity * loadFactor
 - ullet the default value of loadFactor is 0.75
- It's needed to prevent repeat collisions

Concrete definition of the HashTable

HashTable is a data structure that implements an associative array abstract data type, a structure that can map keys to values. A hash table uses a hash function to compute an index, also called a hash code, into an array of buckets or slots, from which the desired value can be found.

Addressing Techniques

What are the common implementations for HashTable's buckets?

- (Chaining) Separate chaining with linked lists O(n)
 - Buckets are just LinkedLists of entries
 - Look through the bucket to find an entry with matching hash
 - If any then update entry's value property
 - Otherwise, create new entry and add it to the head of LinkedList

Addressing Techniques (Cont.)

- (Chaining) Separate chaining with self-balancing tree $O(\log\,n)$
 - Similar to previous except using a tree hence faster lookup but more complexity

Addressing Techniques (Cont.)

- (Open addressing) These are techniques to resolve collisions
 - Linear probing:
 - lacktriangleq upon collision, $ext{hash}(key)+i$ where $i\in\{1...n\}$
 - repeat above if we there is still a collision
 - Quadratic probing:
 - lacktriangleq upon collision, $ext{hash}(key) + i * i$ where $i \in \{1...n\}$
 - \circ Double hashing: upon collision, add $i \in 0, n$ to the hash(key) and then take modulo
 - ullet upon collision, $ext{hash}(key) + i * ext{hash}2(key)$ where $i \in \{1...n\}$

Linear probing

Linear probing: array of size M.

- Hash: map key to integer i between 0 and M-1.
- Insert: put in slot i if free, if not try i+1, i+2, etc.
- Search: search slot i, if occupied but no match, try i+1, i+2, etc

More specifically:

- ullet If slot $\mathrm{hash}(x)+\%S$ is full, then we try $(\mathrm{hash}(x)+1)\%S$
 - $\circ \,$ If $(\mathrm{hash}(x)+1)+\%S$ is also full, then we try $(\mathrm{hash}(x)+2)\%S$
 - ullet If $(\mathrm{hash}(x)+2)\%S$ is also full, then we try $(\mathrm{hash}(x)+3)\%S$

Exercise

Let's implement linear probing given:

- Entry<K, V>[] table
- hash(K): int
- key: K and value: V

Solution

```
for (int i = hash(key); table[i] != null; i = (i + 1) % table.length) {
    // Update if there is already a key/value pair in the map
    if (table[i].getKey().equals(key)) {
        table[i] = new Entry<K, V>(key, value);
        return;
    }
}
// We found a free spot
table[i] = new Entry<K, V>(key, value);
```

Exercise

Let's implement quadratic probing give:

- Entry<K, V>[] table
- hash(K): int
- key: K and value: V

Solution

```
for (int i = hash(key), j = 1; table[i] != null; i = (hash(key) + j * j) % table.length, j++) {
    // Update if there is already a key/value pair in the map
    if (table[i].getKey().equals(key)) {
        table[i] = new Entry<K, V>(key, value);
        return;
    }
}
// We found a free spot
table[i] = new Entry<K, V>(key, value);
```

Exercise

Let's implement double hashing give:

- Entry<K, V>[] table
- hash(K): int
- key: K and value: V

Solution

```
for (int i = hash(key), j = 1; table[i] != null; i = (hash(key) + j * hash2(key)) % table.length, j++) {
    // Update if there is already a key/value pair in the map
    if (table[i].getKey().equals(key)) {
        table[i] = new Entry<K, V>(key, value);
        return;
    }
}
// We found a free spot
table[i] = new Entry<K, V>(key, value);
```

Miscellaneous: collision resolving technique

Robin Hood hashing

It's a technique to help us with big-O (or worst-case).

The idea is that a new key may displace a key already inserted, if its probe count is larger than that of the key at the current position. The net effect of this is that it reduces worst case search times in the table.

In the context of a hash table, the rich are those items that are located very close to their hash index, and the poor items are located far away.

Source

Robin Hood hashing (Cont.)

- We need to store count of probing it took for an existing entry
 - o Replace if j > table[i].getProbingCount()
 - Then continue with probing but with table[i]

Lab exercise