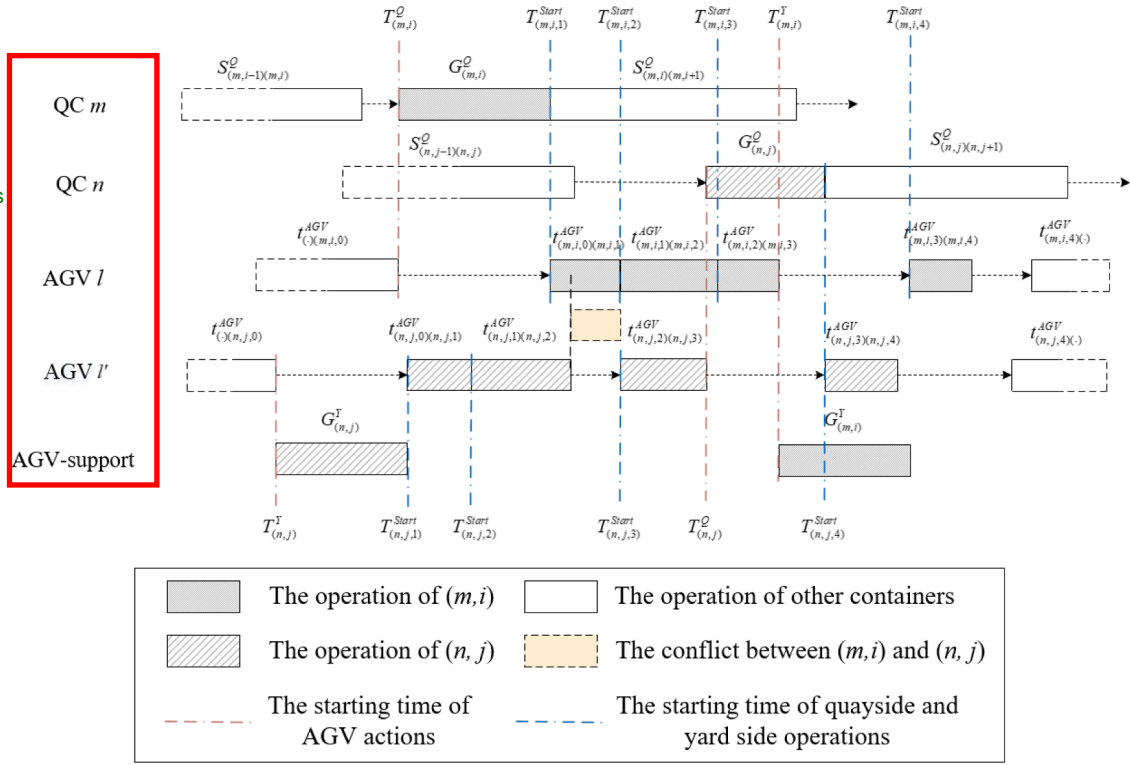


3 essential transporters
Of this problem



Gantt
Chart

Fig. 7. An illustrative example of the sequence and the timing of two exemplary containers.

$$U_{(m,i,\alpha_1)(n,j,\alpha_2)}^{AGV} + U_{(n,j,\alpha_2)(m,i,\alpha_1)}^{AGV} + 3 \left(P_{(m,i,\alpha_1),y}^Y - P_{(n,j,\alpha_2),y}^Y - \sum_{x=1}^{x'} (P_{(m,i,\alpha_1-1),x}^X + P_{(n,j,\alpha_2),x}^X - P_{(m,i,\alpha_1),x}^X - P_{(n,j,\alpha_2-1),x}^X) \right) \geq 0, \quad (23)$$

$$\forall (m, i, \alpha_1), (n, j, \alpha_2) \in W^H, \forall y \in Y^R, \forall x' \in X^R$$

$$T_{(m,i)}^Q + G_{(m,i)}^Q + M(1 - U_{(m,i)(n,j,\alpha)}^{QC}) \geq T_{(n,j,\alpha)}^{Start}, \forall (m, i) \in C, \forall (n, j, \alpha) \in W^H \quad (24)$$

$$U_{(m,i,\alpha_1)(n,j,\alpha_2)}^{AGV} + U_{(n,j,\alpha_2)(m,i,\alpha_1)}^{AGV} \geq P_{(m,i,\alpha_1),x}^X + P_{(n,j,\alpha_2),x}^X - 1, \forall (m, i, \alpha_1), (n, j, \alpha_2) \in W^V, \forall x \in X^R \quad (27)$$

$$T_{(n,j,\alpha)}^{Start} + t_{(n,j,\alpha-1)(n,j,\alpha)}^{AGV} + M(1 - U_{(m,i)(n,j,\alpha)}^{QC}) \geq T_{(m,i)}^Q, \forall (m, i) \in C, \forall (n, j, \alpha) \in W^H \quad (25)$$

$$U_{(m,i,\alpha-1)(m,i,\alpha)}^{AGV} = 1, \forall (m, i) \in C, \forall \alpha \in \{2, 3, 4\} \quad (28)$$

$$\left(3 - U_{(m,i)(n,j,\alpha_2)}^{QC} - P_{(m,i,\alpha_1),y}^Y - P_{(n,j,\alpha_2),y}^Y + \left| \sum_{x=1}^{O_{(m,i)}} P_{(n,j,\alpha_2),x}^X - \sum_{x=O_{(m,i)}+1}^{x_R} P_{(n,j,\alpha_2-1),x}^X \right| \right) M + T_{(n,j,\alpha_2)}^{Start} + t_{(n,j,\alpha_2-1)(m,i,\alpha_1)}^{AGV} \geq T_{(m,i)}^Q + G_{(m,i)}^Q, \quad (26)$$

$$\forall (n, j, \alpha_2) \in W^H, \forall y \in Y^S, \forall (m, i) \in D, \forall \alpha_1 \in \{0\} \text{ or } \forall (m, i) \in L, \forall \alpha_1 \in \{3\}$$