Homework 5

Introduction to Data Science ¶

Spring 2023

Amir Hossein Daraie

pulsar.csv (source (https://archive.ics.uci.edu/ml/datasets/HTRU2)) contains statistics from two types of signal from pulsar candidates: integrated profile and dispersion-measure signal-to-noise curve.

In [1]:

```
import pandas as pd

data = pd.read_csv("pulsar.csv")
display(data)
X = data.iloc[:,:8]
y = data.iloc[:,8]

from sklearn.model_selection import StratifiedShuffleSplit

# Split
split = StratifiedShuffleSplit(n_splits=1, test_size=1/3, random_state=0)
for train_idx, test_idx in split.split(X, y):
    X_train, y_train = X.iloc[train_idx], y.iloc[train_idx]
    X_test, y_test = X.iloc[test_idx], y.iloc[test_idx]
```

IP_Mean	IP_SD	IP_Kurt	IP_Skew	DMSNR_Mean	DMSNR_SD	DMSNR_Kurt	D
140.562500	55.683782	-0.234571	-0.699648	3.199833	19.110426	7.975532	
102.507812	58.882430	0.465318	-0.515088	1.677258	14.860146	10.576487	
103.015625	39.341649	0.323328	1.051164	3.121237	21.744669	7.735822	
136.750000	57.178449	-0.068415	-0.636238	3.642977	20.959280	6.896499	
88.726562	40.672225	0.600866	1.123492	1.178930	11.468720	14.269573	
136.429688	59.847421	-0.187846	-0.738123	1.296823	12.166062	15.450260	
122.554688	49.485605	0.127978	0.323061	16.409699	44.626893	2.945244	
119.335938	59.935939	0.159363	-0.743025	21.430602	58.872000	2.499517	
114.507812	53.902400	0.201161	-0.024789	1.946488	13.381731	10.007967	
57.062500	85.797340	1.406391	0.089520	188.306020	64.712562	-1.597527	
	140.562500 102.507812 103.015625 136.750000 88.726562 136.429688 122.554688 119.335938 114.507812	140.562500 55.683782 102.507812 58.882430 103.015625 39.341649 136.750000 57.178449 88.726562 40.672225 136.429688 59.847421 122.554688 49.485605 119.335938 59.935939 114.507812 53.902400	140.562500 55.683782 -0.234571 102.507812 58.882430 0.465318 103.015625 39.341649 0.323328 136.750000 57.178449 -0.068415 88.726562 40.672225 0.600866 136.429688 59.847421 -0.187846 122.554688 49.485605 0.127978 119.335938 59.935939 0.159363 114.507812 53.902400 0.201161	140.562500 55.683782 -0.234571 -0.699648 102.507812 58.882430 0.465318 -0.515088 103.015625 39.341649 0.323328 1.051164 136.750000 57.178449 -0.068415 -0.636238 88.726562 40.672225 0.600866 1.123492 136.429688 59.847421 -0.187846 -0.738123 122.554688 49.485605 0.127978 0.323061 119.335938 59.935939 0.159363 -0.743025 114.507812 53.902400 0.201161 -0.024789	140.562500 55.683782 -0.234571 -0.699648 3.199833 102.507812 58.882430 0.465318 -0.515088 1.677258 103.015625 39.341649 0.323328 1.051164 3.121237 136.750000 57.178449 -0.068415 -0.636238 3.642977 88.726562 40.672225 0.600866 1.123492 1.178930 136.429688 59.847421 -0.187846 -0.738123 1.296823 122.554688 49.485605 0.127978 0.323061 16.409699 119.335938 59.935939 0.159363 -0.743025 21.430602 114.507812 53.902400 0.201161 -0.024789 1.946488	140.562500 55.683782 -0.234571 -0.699648 3.199833 19.110426 102.507812 58.882430 0.465318 -0.515088 1.677258 14.860146 103.015625 39.341649 0.323328 1.051164 3.121237 21.744669 136.750000 57.178449 -0.068415 -0.636238 3.642977 20.959280 88.726562 40.672225 0.600866 1.123492 1.178930 11.468720 136.429688 59.847421 -0.187846 -0.738123 1.296823 12.166062 122.554688 49.485605 0.127978 0.323061 16.409699 44.626893 119.335938 59.935939 0.159363 -0.743025 21.430602 58.872000 114.507812 53.902400 0.201161 -0.024789 1.946488 13.381731	140.562500 55.683782 -0.234571 -0.699648 3.199833 19.110426 7.975532 102.507812 58.882430 0.465318 -0.515088 1.677258 14.860146 10.576487 103.015625 39.341649 0.323328 1.051164 3.121237 21.744669 7.735822 136.750000 57.178449 -0.068415 -0.636238 3.642977 20.959280 6.896499 88.726562 40.672225 0.600866 1.123492 1.178930 11.468720 14.269573 136.429688 59.847421 -0.187846 -0.738123 1.296823 12.166062 15.450260 122.554688 49.485605 0.127978 0.323061 16.409699 44.626893 2.945244 119.335938 59.935939 0.159363 -0.743025 21.430602 58.872000 2.499517 114.507812 53.902400 0.201161 -0.024789 1.946488 13.381731 10.007967

17898 rows × 9 columns

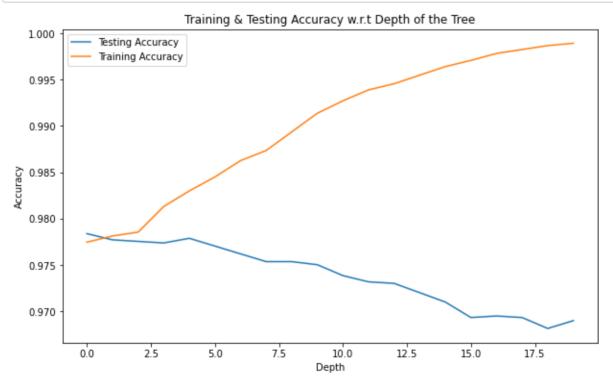
Part 1A [3pts] For max_depth ranging from 1 to 20, fit decision tree classifiers using to the training data. Use random state=0. Plot training vs. test accuracy.

In [2]:

```
import numpy as np
from sklearn.tree import DecisionTreeClassifier
from sklearn.metrics import accuracy_score
import matplotlib.pyplot as plt
```

In [3]:

```
acc = np.zeros((20,2))
# decision-surfaces as fn of max depth
for depth in range(0,20):
    clf = DecisionTreeClassifier(max depth=depth+1, random state=0)
    clf.fit(X train,y train)
    preds test = clf.predict(X test)
    preds_train = clf.predict(X_train)
    acc test = accuracy score(y test,preds test)
    acc_train = accuracy_score(y_train,preds_train)
    acc[depth,0] = acc_test
    acc[depth,1] = acc train
# Plot train accuracy vs test accuracy
plt.figure(figsize=(10,6))
plt.plot(acc[:,0])
plt.plot(acc[:,1])
plt.xlabel("Depth")
plt.ylabel("Accuracy")
plt.title("Training & Testing Accuracy w.r.t Depth of the Tree")
plt.legend(["Testing Accuracy", "Training Accuracy"])
plt.show()
```



Part 1B [2pts] What trends do you observe in the training and test accuracies as depth increases? Explain these trends.

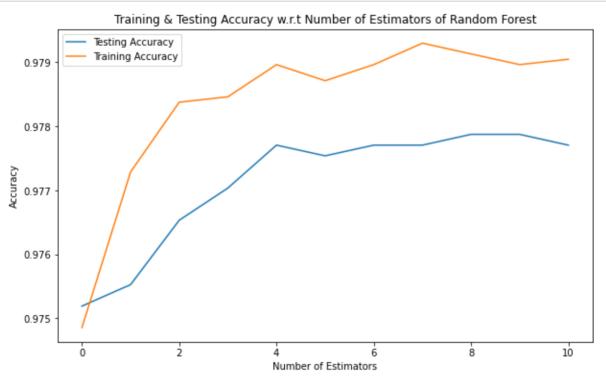
Part 1B Answer:

I am seeing that as the depth of the tree increases, the testing accuracy decreases and the training accuracy increases. This means that there is an overfitting of our model on this dataset.

Part 2A [3pts] For $n_{estimators}$ ranging from 1 to 101 with step size 10, fit random forest classifiers to the training data. Use $random_{estate} = 0$ and $max_{depth} = 3$. Plot training vs. test accuracy.

In [4]:

```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.ensemble import RandomForestClassifier
acc = np.zeros((11,2))
# decision-surfaces as fn of max depth
for n est in range(0,101,10):
    clf = RandomForestClassifier(n estimators=n est+1, max depth=3, random state=0)
    clf.fit(X train,y train)
    preds test = clf.predict(X test)
    preds train = clf.predict(X train)
    acc_test = accuracy_score(y_test,preds_test)
    acc train = accuracy score(y train,preds train)
    acc[int(n est/10), 0] = acc test
    acc[int(n est/10),1] = acc train
# Plot train accuracy vs test accuracy
plt.figure(figsize=(10,6))
plt.plot(acc[:,0])
plt.plot(acc[:,1])
plt.xlabel("Number of Estimators")
plt.ylabel("Accuracy")
plt.title("Training & Testing Accuracy w.r.t Number of Estimators of Random Forest")
plt.legend(["Testing Accuracy", "Training Accuracy"])
plt.show()
```



Part 2B What trends do you observe in the training and test accuracies as n_estimators increases? Explain these trends.

Part 2B Answer:

I am seeing that as the number of estimators increase, the train and test accuracy increase together. This

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In []: