Task 4) L(w)= 1 = 1 (fw(ni) ) (1) l(f(xi), gi) = - log P(y=y:/xi,w)  $=\underbrace{\underbrace{\underbrace{\underbrace{f_{w}(u_{i})_{j}}}_{j=1}}}\underbrace{\underbrace{\underbrace{e_{f_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}}\underbrace{\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}_{\underbrace{\underbrace{k_{w}(u_{i})_{j}}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}}\underbrace{\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}}\underbrace{\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i})_{j}}\underbrace{b_{w}(u_{i$ for each => l(fw(ril);,yi) = - = 8y; cm = fw(ril) m = fw(u)=Wn (1) D, D, D Syicm log & ewixi = -1 \sum \sum \sum \cm \sum \sum \cm \ Jum = 1. Syicm & ni - [ui)e mxi & start - [ui)e mxi & start -  $=\frac{1}{n}\sum_{i=1}^{n}\left(3_{i}\cos^{2}\theta-\frac{e^{i\omega_{m}n_{i}}}{2}\right)n_{i}$