(b) L(n, V, N) = fcn+ = 1 vpgp(w) + = 2 dqhq(h) = 211+22+(11-212-2) V - x121 - 72 42 =0 $\nabla_{\mathcal{X}} = \begin{pmatrix} 1 + V - \lambda_1 \\ 1 - V - \lambda_2 \end{pmatrix} = 0 \text{ and } f(x) \text{ is unbounded}$ and based on a theorm, if the Primal is unbounded,

the saal is intensible.

Task2) [(n, x, v) = f(n, x2) + it (n, n) + if (n, n) = n1+n2+v(n2-2n,-0,5)+x(n+n2-1) $\nabla_{n} \mathcal{L} = \begin{pmatrix} 2n_1 - 2v + \lambda \\ 2n_2 + v + \lambda \end{pmatrix} = 0 \Longrightarrow \mathcal{H} = \begin{pmatrix} 2v - \lambda \\ 2 \end{pmatrix}$ +x (2+x-1-1) $= \frac{5v^2 - 2v\lambda + 7\lambda^2}{4} + \frac{-5v^2 + \lambda v - v + \lambda v - 2\lambda^2 - 2\lambda}{2}$ = -5~2+2~1-2~2v-4x Hence the dual problem is (1919) = (-16, -9) g(x,v) = -5/2 + 1/2 - 2 - 2 - 2

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