

```

sum = 0;
for (i = 0; i < 10; i++) {
    if (i % 2)
        continue;
    sum += i;
}
printf("%d\n", sum);

```

- W 12. The following “prime-testing” loop appeared in Section 6.4 as an example:

```

for (d = 2; d < n; d++)
    if (n % d == 0)
        break;

```

This loop isn’t very efficient. It’s not necessary to divide n by all numbers between 2 and $n - 1$ to determine whether it’s prime. In fact, we need only check divisors up to the square root of n . Modify the loop to take advantage of this fact. *Hint:* Don’t try to compute the square root of n ; instead, compare $d * d$ with n .

Section 6.5

- *13. Rewrite the following loop so that its body is empty:

```

for (n = 0; m > 0; n++)
    m /= 2;

```

- W*14. Find the error in the following program fragment and fix it.

```

if (n % 2 == 0);
    printf("n is even\n");

```

Programming Projects

- Write a program that finds the largest in a series of numbers entered by the user. The program must prompt the user to enter numbers one by one. When the user enters 0 or a negative number, the program must display the largest nonnegative number entered:

```

Enter a number: 60
Enter a number: 38.3
Enter a number: 4.89
Enter a number: 100.62
Enter a number: 75.2295
Enter a number: 0

```

The largest number entered was 100.62

Notice that the numbers aren’t necessarily integers.

- W 2. Write a program that asks the user to enter two integers, then calculates and displays their greatest common divisor (GCD):

```

Enter two integers: 12 28
Greatest common divisor: 4

```

Hint: The classic algorithm for computing the GCD, known as Euclid’s algorithm, goes as follows: Let m and n be variables containing the two numbers. If n is 0, then stop: m contains the GCD. Otherwise, compute the remainder when m is divided by n . Copy n into m and copy the remainder into n . Then repeat the process, starting with testing whether n is 0.