

ELEC 278

Tutorial Week 4

2022 Fall

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Outline



- Memory types
 - Static memory
 - Global memory (Data Segment)
 - Local memory (Stack Segment)
 - Dynamic memory (Heap)
- Linked Lists
 - Examples

Memory types

Pay attention to the lifetime of each memory types.

```
#define LENGTH 3

int global_array[LENGTH] = {1, 2, 3};

void main() {
    int local_array[LENGTH] = {4, 5, 6};

    int *dynamic_array;

    dynamic_array = (int *)malloc(sizeof(int) * LENGTH);

    free(dynamic_array);
}
```

- Static memory
 - Global memory (Data Segment)
 - Allocated at the loading time (they exist even before any instruction of the program is executed)
 - Local memory (Stack Segment)
 - Any variable/array that is allocated within any function is stored on the “Stack”.
 - They will be destroyed/cleared at the end of the function.
- Dynamic memory (Heap)
 - Any memory allocated with malloc
 - They will not be freed automatically unless passed to the free() function

Memory types

Let's see some examples.

```
int global_array[LENGTH] = {1, 2, 3};

void print_array(char *name, int *array, int length) {
    printf("%S: {");
    for (int i = 0; i < length; i++) {
        printf("%d", array[i]);
        if (i < length - 1) {
            printf(", ");
        }
    }
    printf("}\n");
}

void main() {
    int local_array[LENGTH] = {4, 5, 6};
    int *dynamic_array;
    dynamic_array = (int *)malloc(sizeof(int) * LENGTH);
    free(dynamic_array);
}
```

Problem – Project Statement



*The goal of this project is to extend your knowledge of basic data structures. You will be given a list of functions for implementing a **polynomial**.*

A polynomial is a sum of terms, where each term is of the form $K x^n$, where K is a numeric coefficient, n is the exponent and x is the independent variable.

$$f = \sum_n K x^n$$

For example: $6x^3 - 2x^2 + 4x^1 - 3x^0$

Problem – term structure



```
typedef struct polyterm_st polyterm, *p_polyterm;

struct polyterm_st {
    struct polyterm_st *ptnext; // link to next item in list
    int exp;                     // Exponent value
    double factor;               // Factor value
};
```

So, the expression $6x^3 - 2x^2 + 4x^1 - 3x^0$ could be held in 4 nodes:

$(6,3) \rightarrow (-2,2) \rightarrow (4,1) \rightarrow (-3, 0)$

Problem – *polynomial* structure



Polynomial is linked list of polynomial terms. Polynomial descriptor is pretty minimal.

```
typedef struct poly_st polynomial, *p_polynomial;  
  
struct poly_st {  
    polyterm *pt; // pointer to list of terms  
};
```


Problem – *create* polynomial



Write a function to create new polynomial.

```
polynomial *new_polynomial(void) {  
    polynomial *ppnm = (polynomial *)malloc(sizeof(polynomial));  
    if (ppnm != NULL) {  
        ppnm->pt = NULL;  
    }  
    return ppnm;  
}
```

Problem – *create* a polyterm



Write a function to create new polyterm.

```
polyterm *new_polyterm(int expon, double multiplier) {  
    polyterm *ptm = (polyterm *)malloc(sizeof(polyterm));  
    if (ptm != NULL) {  
        ptm->ptnext = NULL;  
        ptm->exp = expon;  
        ptm->factor = multiplier;  
    }  
    return ptm;  
}
```

Problem – power function



Write a power function for a Polyterm.

$$2^3 = 8$$

```
int power(int n, int exp) {  
    int count;  
    int rslt = 1; // lets us handle 0 exponent  
    if (exp < 0)  
        rslt = -1;  
    else  
        for (count = 1; count <= exp; count++) rslt = rslt * n;  
    return rslt;  
}
```

Problem - polynomial evaluation (A)



Write a function that takes a linked list of Terms and performs the evaluation as follows:

```
set sum = 0;
for all the Terms in the linked list {
    compute value of this term: coeff * (x raised to
    the power exp) add this value to sum
}
return sum;
```

Problem - polynomial evaluation (B)



```
int evaluate(polyterm *pt, double x) {  
    int sum = 0;  
    while (pt != NULL) {  
        sum = sum + (pt->factor) * power(x, pt->exp);  
        pt = pt->ptnext;  
    }  
    return sum;  
}
```

Problem - polynomial representation



Write a function to print a representation of the polynomial

```
void print(polyterm *pt) {
    int donefirst = 0; // you'll see why in a moment
    while (pt != NULL) {
        char sign = (pt->factor < 0) ? '-' : '+';
        double abscoeff = abs(pt->factor);
        // print sign
        if (donefirst || sign == '-') {
            printf(" %c ", sign);
        }
        donefirst = 1;
        printf("%8.2lf X^%d ", abscoeff, pt->exp);
        pt = pt->ptnext;
    }
}
```

Problem - differentiating a polynomial



Write a function to differentiate a polynomial

```
void differentiate(polyterm *pt) {
    while (pt != NULL) {
        pt->factor = pt->factor * pt->exp;
        pt->exp--;
        if (pt->ptnext->exp == 0) {
            polyterm *ptmp = pt->ptnext;
            pt->ptnext = NULL; // unlink it from polynomial
            free(ptmp);        // get rid of the Term
        }
        pt = pt->ptnext;
    }
}
```

Problem – set a coefficient (A)



Write a function to set a coefficient in a polynomial

```
void setcoefficient (polyterm *ppt, int i, double c) {
    polyterm pll = *ppt
    polyterm *pt = (polyterm) malloc (sizeof (polyterm));
    polyterm *ptmp;    // temporary Term pointer
    if (pt == NULL) return 0; // should report
    pt->coeff = c;
    pt->exp = i;
    pt->next = NULL;
    if (pll == NULL) {
        pll = pt;
        *ppt = pll;
        return;
    }
}
```

Continued ...

Problem – set a coefficient (B)

```
ptmp = *p11;
if (pt->exp > ptmp->exp) {
    // new node at front
    pt->next = ptmp;
    p11 = pt;
    *ppt = p11;
    return;
}
while (ptmp->exp > pt->exp) {
    if (ptmp->next == NULL || pt->exp > ptmp->next->exp){
        pt->next = ptmp->next;
        ptmp->next = pt; // current next becomes new node
        return;
    }
    ptmp = ptmp->next;
}
}
```

Problem – add polynomials (A)



Write a function to add two polynomials.

Example: $(3x^2+2) + (2x^2+4x+1)$

```
polynomial *addPolynomials(polynomial *pa, polynomial *pb) {  
    polynomial *pnew; // point to new polynomial  
  
    if (pa == NULL || pa->pt == NULL || pb == NULL || pb->pt == NULL) {  
        pnew = NULL;  
    } else {  
        polyterm *pta, *ptb;  
        pnew = new_polynomial();  
        pta = pa->pt;  
        ptb = pb->pt;
```

Problem – add polynomials (B)

```
while (pta != NULL || ptb != NULL) {
    if ((ptb == NULL) || (pta->exp > ptb->exp)) {
        polyterm *p = new_polyterm(pta->exp, pta->factor);
        InsertPolyTerm(pnew, p);
        pta = pta->ptnext;
    }
    else if ((pta == NULL) || (ptb->exp > pta->exp)) {
        polyterm *p = new_polyterm(ptb->exp, ptb->factor);
        InsertPolyTerm(pnew, p);
        ptb = ptb->ptnext;
    }
    else if (pta->exp == ptb->exp) {
        polyterm *p = new_polyterm(pta->exp, pta->factor + ptb->factor);
        InsertPolyTerm(pnew, p);
        pta = pta->ptnext;
        ptb = ptb->ptnext;
    }
}
```