# **Stochastic Gradient Descent For Linear Regression**

In [0]:

```
import warnings
warnings.filterwarnings("ignore")
from tqdm import tqdm
from sklearn.datasets import load_boston
from sklearn.preprocessing import StandardScaler
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.linear_model import SGDRegressor
from sklearn.metrics import mean_squared_error
import random
from sklearn.model_selection import train_test_split
```

In [0]:

```
class MySGDClassifier():
    def init (self, sample size, iterations):
       self. sample size=sample size
        self._iterations=iterations
        self._coefficients=0
        self. intercept=0
    def find minima(self, d train):
        self. coefficients=np.array([random.uniform(-2,2) for in range(1,d train.shape[1])],ndmin=2)
        self. intercept=0
        for itr in range(self. iterations):
            tr data=d train.sample(self. sample size,random state=itr,axis=0)
            x=np.array(tr data.drop('price',axis=1))
            y=np.array(tr data['price'])
            const=(2/x.shape[0])
            temp_w=np.zeros(shape=(1,13))
            \texttt{temp\_b=0}
            for i in range(1,self._sample_size):
              y_hat_i=np.dot(self._coefficients,x[i].T)+self._intercept
              temp_w+=(y[i]-y_hat_i) *(x[i])
              temp b+=(y[i]-y hat i)
            temp_w*=(-2/self._sample_size)
            temp_b*=(-2/self._sample_size)
            self._coefficients=(self._coefficients-(0.12*temp_w))
            self. intercept=(self. intercept-(0.12*temp b))
    def make_predictions(self,d_test):
        return np.dot(d_test, self._coefficients.T)+self. intercept
    def plot_actual_vs_pred(self,test_pred,y_test):
       plt.figure(1, figsize=(8,5))
       plt.scatter(y_test, test_pred)
       plt.xlabel("Actual Cost")
       plt.ylabel("Predicted Cost")
       plt.title("Actual vs Predicted Cost For Test Data")
       plt.show()
       print("+"*30)
                                     : ", mean squared error(y test, test_pred))
       print("MSE
       print("Weights/Coefficients: ", self. coefficients)
       print("Intercept
                                    : ",self._intercept)
       print("+"*30)
```

In [0]:

```
b_data=pd.DataFrame(data=load_boston().data)
target=load_boston().target
d_tr,d_test, y_tr, y_test=train_test_split(b_data, target, test_size=0.33, random_state=5)
```

```
In [0]:

# Standardizing the data so that performance of SGD will increase i.e it will converge fast
std=StandardScaler()
std_tr_data=std.fit_transform(d_tr)
std_test_data=std.transform(d_test)
```

```
In [0]:
```

```
d_train1=pd.DataFrame(data=std_tr_data)
d_train1['price']=y_tr
```

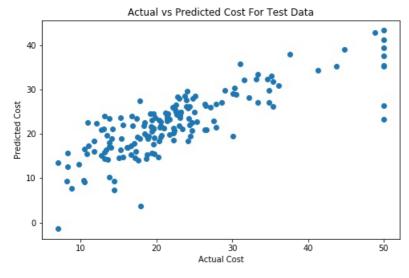
In [0]:

```
def compute_all(d_train, test_data, y_test, iterations, sample_size):
    my_sgd=MySGDClassifier(sample_size, iterations)
    my_sgd.find_minima(d_train1)
    test_pred=my_sgd.make_predictions(test_data)
    my_sgd.plot_actual_vs_pred(test_pred, y_test)
```

#### Training and testing against Test dataset with 30 iterations

#### In [203]:

compute\_all(d\_train1,std\_test\_data,y\_test,iterations=40,sample\_size=30)



MSE : 31.37739211304358

Weights/Coefficients: [[-1.00717852 0.21603858 -0.18299627 0.3492509 -1.02392846 3.49561218

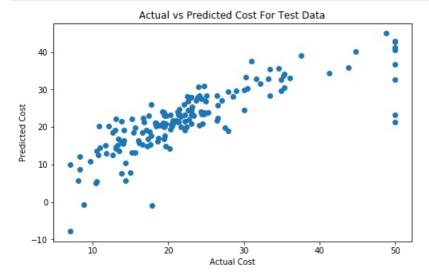
0.03307049 -2.9516795 1.58864193 0.01315107 -2.15431507 1.08253157

-2.70573371]]

Intercept : [22.83713775]

### Training and testing against Test dataset with 70 iterations

compute all(d train1,std test data,y test,iterations=50,sample size=30)



MSE : 30.25319101848719

 $Weights/Coefficients: [[-1.68588636 \quad 0.76870825 \quad -0.10629362 \quad 0.1270256 \quad -0.90590217 \quad 3.63550199 \quad -0.90590217 \quad -0.90590$ 

0.1133121 -2.5774426 2.26615579 -1.30404873 -2.40256347 1.38085018

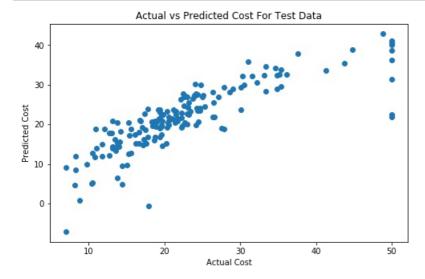
-2.77010962]]

: [22.71648945] Intercept

### Training and testing against Test dataset with 100 iterations

In [201]:

compute all(d train1,std test data,y test,iterations=100,sample size=30)



MSE : 29.79079487504899 Weights/Coefficients : [[-1.44396186 0.6059506 -0.09184959 0.01220607 -1.19700039 3.1638696

-0.11701379 -2.72942825 2.25736475 -1.53717416 -2.29540154 1.17211594

-3.13460826]]

Intercept : [22.27095764]

## SGDRegressor Using sklearn

```
In [0]:
```

```
t data=pd.DataFrame(data=load boston().data)
target=load_boston().target
d_tr,d_test, y_tr, y_test=train_test_split(t_data, target, test_size=0.33, random_state=5)
```

#### In [0]:

```
# Standardizing the data so that performance of SGD will increase i.e it will converge fast std=StandardScaler() std_tr_data=std.fit_transform(d_tr) std_test_data=std.transform(d_test)
```

#### In [0]:

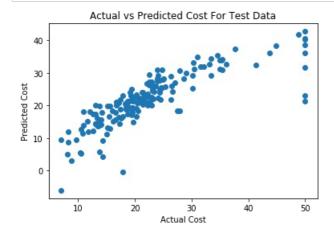
```
def print_info(mse,coeff,intercept):
    print("+"*30)
    print("MSE : ",mse)
    print("Weights/Coeffiecients : ",coeff)
    print("Intercept : ",intercept)
    print("+"*30)
```

#### In [0]:

```
def sklearnsSGD(d_tr,y_tr,d_test,y_test,itr=15):
    clf = SGDRegressor(max_iter=itr,random_state=10)
    clf.fit(d_tr, y_tr)
    test_pred=clf.predict(d_test)
    plt.scatter(y_test,test_pred)
    plt.xlabel("Actual Cost")
    plt.ylabel("Predicted Cost")
    plt.title("Actual vs Predicted Cost For Test Data")
    plt.show()
    return mean_squared_error(y_tr, clf.predict(d_tr)),clf.coef_,clf.intercept_
```

#### In [139]:

mse,coeff,inter=sklearnsSGD(std\_tr\_data,y\_tr,std\_test\_data,y\_test,itr=30)
print\_info(mse,coeff,inter)



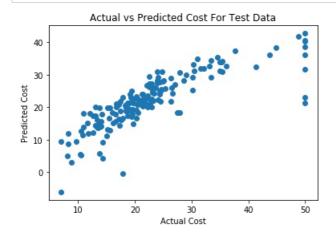
MSE : 19.886552442640202

Weights/Coefficients: [-1.14213423 0.6729475 -0.52259626 0.26959962 -1.02628079 3.01344071

-0.45182218 -2.45564735 1.42475077 -0.80957698 -2.02464983 1.01018053

-3.28711035]

 mse,coeff,inter=sklearnsSGD(std\_tr\_data,y\_tr,std\_test\_data,y\_test,itr=70)
print info(mse,coeff,inter)



MSE : 19.886552442640202

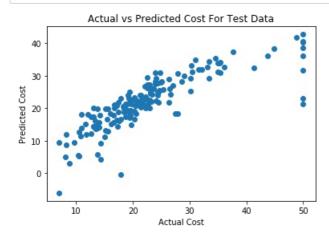
Weights/Coefficients: [-1.14213423 0.6729475 -0.52259626 0.26959962 -1.02628079 3.01344071

-0.45182218 -2.45564735 1.42475077 -0.80957698 -2.02464983 1.01018053

-3.28711035]

#### In [141]:

mse,coeff,inter=sklearnsSGD(std\_tr\_data,y\_tr,std\_test\_data,y\_test,itr=100)
print\_info(mse,coeff,inter)



Weights/Coefficients: [-1.14213423 0.6729475 -0.52259626 0.26959962 -1.02628079 3.01344071

-0.45182218 -2.45564735 1.42475077 -0.80957698 -2.02464983 1.01018053

-3.28711035]

# **Summary:**

SGD	I	iterations	ı	MSE	1
MySGD		30		31.37739211304358	
sklearn		30		19.886552442640202	
MySGD		70		30.25319101848719	
sklearn	-	70		19.886552442640202	
MySGD sklearn		100 100	   	29.79079487504899 19.886552442640202	 

## **Conclusion:**

- 1. SGD is iterative algorithm i.e with each iteration over training data we are trying to find best weight vector with which our loss functions gives minimum value.
- 2. SGD basically uses update function to reach or make step by step progress towards minima.
- 3. Learning rate is our hyper-parameter in case of SGD as it decides the step sizes.
- 4. If learning rate is two low our model will make very small progress towards minimum and may halt before or at local minima.
- 5. If it too large we may crossover minima
- 6. So best thing is to do is reduce the learning rate on each iteration for first few iteration it better be huge reduction so that we surpasses the local mimima.
- 7. In the dataset which we have choosen that is Boston House Prices dataset here our number of datapoints were less but in case of huge datasets it is will be very costly to do summation over all datapoints for each update so we are using random K no of datapoints for each iteration such a way that n>=k>=1.
- 8. That will make SGD very fast and computationally efficient.