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0.00
Registration: xxxx;
Description: Newton-Gregory Forward Interpolation Method
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import numpy as np
# Enter the table y = f(x) and give x
n = int(input('Enter the number of table entries equal to degree of polynomial : '))
print ('Input the x coordinate : \n')
x = np.array([eval(input("x"+str(i)+" : ")) for i in range(n)])
y = np.sin(x)
xx = float(input('Enter point at which the polynomial is to be evaluated : \n'))
a = np.zeros(n) # null-assign the a cofficients
# Compute the divided difference coefficients
a[0] = y[0]
for k in range(0,n):
    w = 1
    p = 0
    for j in range(0,k):
        p += a[j]*w
        w = w^*(x[k] - x[j])
    a[k] = (y[k]-p)/w
print ('Divided difference coefficients are ', a)
# Compute the polynomial at given value
px = a[n-1] \# polynomial value at xx
for k in range(n-2,-1,-1):
    xd = xx - x[k]
    px = a[k] + px*xd
print ('Corresponding value of y is ', px)
Results:
Enter the number of table entries equal to degree of polynomial : 5
Input the x coordinate :
x0:0
x1: np.pi/4
x2 : np.pi/2
x3 : 3.0*np.pi/4
x4 : np.pi
Enter point at which the polynomial is to be evaluated: 0.5
Divided difference coefficients are [ 0. 0.90031632 -0.33574887 -0.05902388 0.03757577]
Corresponding value of y is 0.4783926678401497
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