```
Registration: xxxx;
Description: Matrix Diagonalization, Inverse, Eigen vector/value.
             3 Identical Mass-Spring System ( 2 -1 0)(x1)
                                                                     (x1)
                                                    -1)(x2) = mw^2/k(x2)
                                            (-1)
                                                    2)(x3)
                                            (0 -1)
Author: AKB
import numpy as np
# Four identical spring constant, three identical mass
k, m = 1.0, 1.0
a, b = input("number of rows and columns of A: ").split()
a, b = int(a), int(b)
A = np.array([[float(input("A"+str(i)+str(j)+" : ")) for j in range(b)] for i in
range(a)])
# Matrix Inverse
Ainv = np.linalg.inv(A)
print (^1/A = ^n, Ainv)
# Identity Matrix
I = np.dot(A, Ainv)
print ('Orthogonality check: A*1/A = \n', I)
# Eigenvalues and Eigenvectors
eigen_val, eigen_vec = np.linalg.eig(A)
\#eigen\_val = np.\overline{linalg.eigvals(A)}
# Print Results
print ('Eigen value of A = \n', eigen_val)
print ('Eigen vector of A = \n', eigen_vec)
print ('Eigen Frequencies are = \n', np.sqrt(k/m*eigen_val))
#for i in range(a):
    print ('Eigen vectors of A = \n', eigen_vec[:,i])
 Results
 number of rows and columns of A: 3 3
 A00 : 2
 A01 : -1
 A02 : 0
 A10 : -1
 A11 : 2
 A12 : -1
 A20 : 0
 A21 : -1
 A22 : 2
 1/A = [[ 0.75  0.5  0.25]
         0.5 1.
                     0.5 1
        [ 0.25 0.5 0.75]]
 A*1/A = [[ 1.000000000e+00 0.00000000e+00 0.00000000e+00]
          Eigen value of A = [ 3.41421356 2. 0.58578644]
Eigen Frequencies are = [ 1.84775907 1.41421356 0.76536686]
 Eigen vector of A = [[-5.000000000e-01 -7.07106781e-01 5.000000000e-01]
                       7.07106781e-01 4.05925293e-16 7.07106781e-01]
                      [ -5.00000000e-01 7.07106781e-01 5.00000000e-01]]
0.00
```