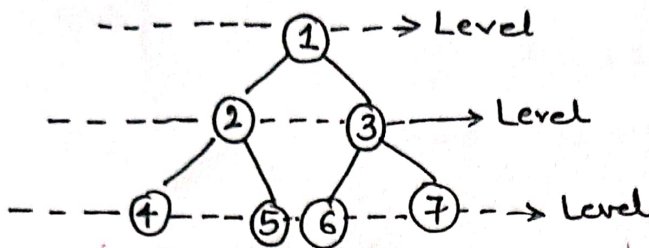


TREE

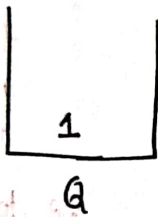
(BFS)

Level Order Traversal of Binary Tree



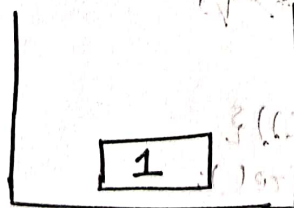
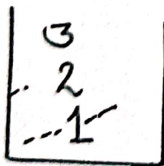
1
2 3
4 5 6 7

We initially require a Queue Data Structure

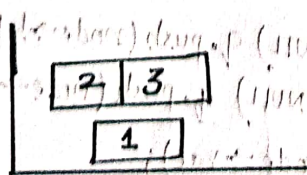
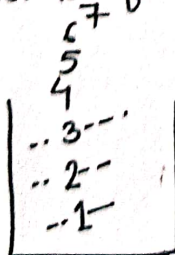


→ In order to store the traversal level wise, we will be requiring some data structure, vector of vector which store level of traversal level wise.

→ When you remove 1 from the Data Structure make sure you add both its left and right child into the Queue.



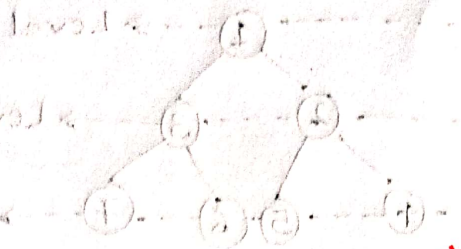
→ whatever is left in your Queue, just remove and put it in the Queue



1-
2- 3-
4- 5- 6- 7-

(270)

Level Order Traversal

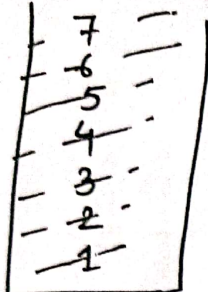


TIME COMPLEXITY = $O(N)$

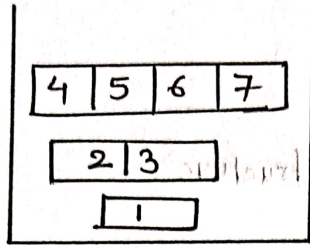
SPACE COMPLEXITY = $O(N)$

Because in worst case you have to store all the element into the Queue.

We don't consider $ds \rightarrow O(N)$ because you ultimately have to return the answer.



now queue data structure is empty.



This data structure now stores level order traversal.

C++ Code:-

class Solution {

public:

vector<vector<int>> levelOrder(TreeNode* root) {

vector<vector<int>> ans;

if (root == NULL) return ans;

queue<TreeNode*> q;

q.push(root);

while (!q.empty()) {

int size = q.size();

vector<int> level;

for (int i = 0; i < size; i++) {

TreeNode* node = q.front();

q.pop();

if (node->left != NULL) q.push(node->left);

if (node->right != NULL) q.push(node->right);

level.push_back(node->val);

}

ans.push_back(level); } return ans; }

